

**VISVESVARAYA TECHNOLOGICAL
UNIVERSITY**

“JnanaSangama”, Belgaum -590014, Karnataka.



LAB REPORT

on

Artificial Intelligence (23CS5PCAIN)

Submitted by

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in partial fulfillment for the award of the degree of
BACHELOR OF ENGINEERING
in
COMPUTER SCIENCE AND ENGINEERING



B.M.S. COLLEGE OF ENGINEERING

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Bull Temple Road, Bangalore 560019
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Department of Computer Science and Engineering



This is to certify that the Lab work entitled “Artificial Intelligence (23CS5PCAIN)” carried out by **Sanath S Shetty(1BM23CS297)**, who is bonafide student of **B.M.S. College of Engineering**. It is in partial fulfillment for the award of **Bachelor of Engineering in Computer Science and Engineering** of the Visvesvaraya Technological University, Belgaum. The Lab report has been approved as it satisfies the academic requirements in respect of an Artificial Intelligence (23CS5PCAIN) work prescribed for the said degree.

Dr. Seema Patil Associate Professor Department of CSE, BMSCE	Dr. Kavitha Sooda Professor & HOD Department of CSE, BMSCE
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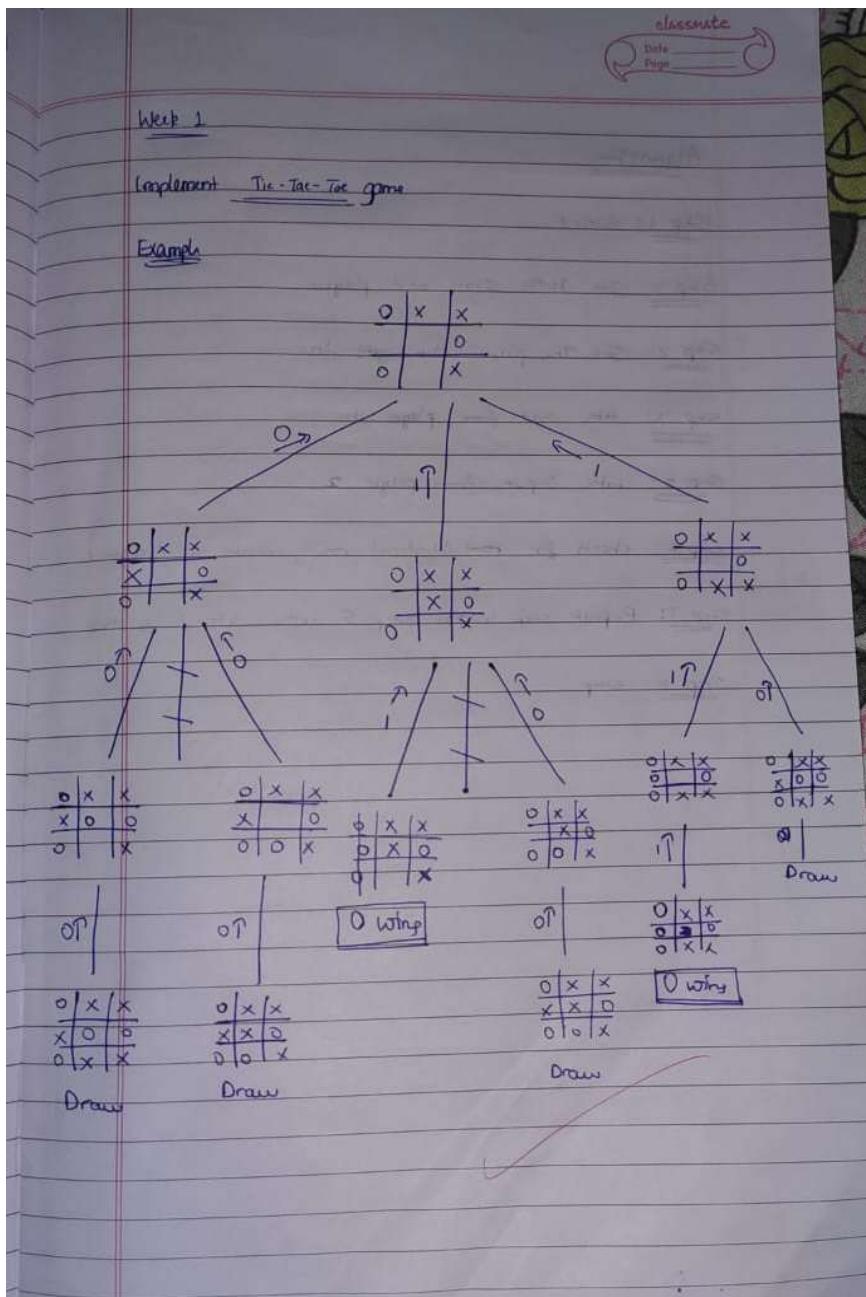
GitHub Link:

<https://github.com/Sanath-S-Shetty/1BM23CS297-AI-LAB>

Program 1

Implement Tic – Tac – Toe Game

Observation:



Algorithm

Step 1: Start

Step 2: Set initial stats and players

Step 3: Set the player who goes first

Step 4: take input from player 1

Step 5: take input from player 2

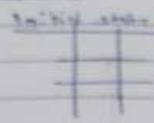
Step 6: check for row/identical rows, column or diagonals

Step 7: Repeat step 4 and step 5 until step 6 is true.

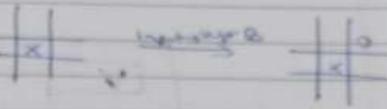
Step 8: Stop

W / 3
1 / 3

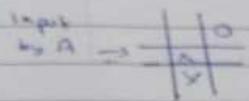
Output



Input
to A



Input
to B

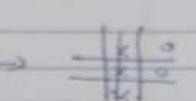


A

B

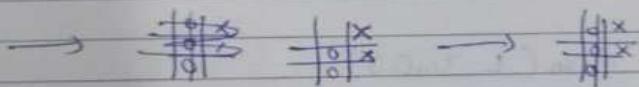
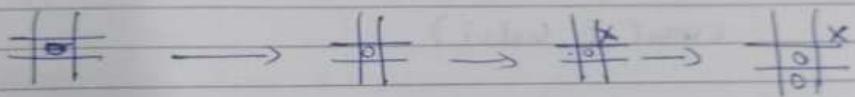
C

D



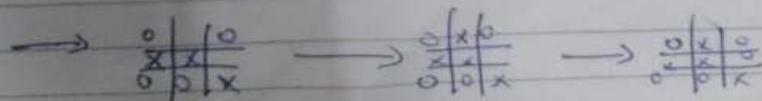
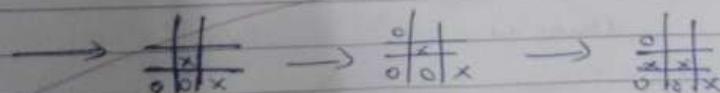
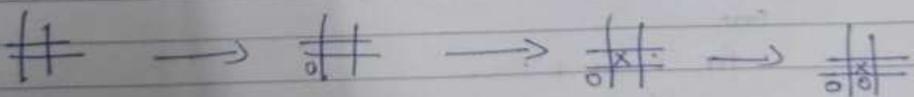
X wires

Initial state



O wires

Initial state



Draw

Code:

```
print("SANATH S SHETTY 1BM23CS297")

def print_board(board):
    for row in board:
        print(" | ".join(row))
        print("-" * 9)

def play_game():
    board = [[" " for _ in range(3)] for _ in range(3)]
    current_player = "X"
    game_over = False

    while not game_over:
        print_board(board)
        print(f"Player {current_player}'s turn.")

        while True:
            try:
                row = int(input("Enter row (0, 1, 2): "))
                col = int(input("Enter column (0, 1, 2): "))
                if 0 <= row <= 2 and 0 <= col <= 2 and board[row][col] == " ":
                    break
            except ValueError:
                print("Invalid input. Please enter integers 0, 1, or 2.")

        board[row][col] = current_player
        if current_player == "X":
            current_player = "O"
        else:
            current_player = "X"

        if check_winner(board):
            print(f"Player {current_player} wins!")
            game_over = True
        elif all(board[i][j] != " " for i in range(3) for j in range(3)):
            print("It's a draw!")
            game_over = True
```

```

except ValueError:
    print("Invalid input. Please enter a number.")

board[row][col] = current_player

win = False
for i in range(3):
    if all(board[i][j] == current_player for j in range(3)) or \
        all(board[j][i] == current_player for j in range(3)):
        win = True
        break
if not win and (all(board[i][i] == current_player for i in range(3)) or \
    all(board[i][2 - i] == current_player for i in range(3))):
    win = True

if win:
    print_board(board)
    print(f'Player {current_player} wins!')
    game_over = True
elif all(cell != " " for row in board for cell in row):
    print_board(board)
    print("It's a draw!")
    game_over = True
else:

```

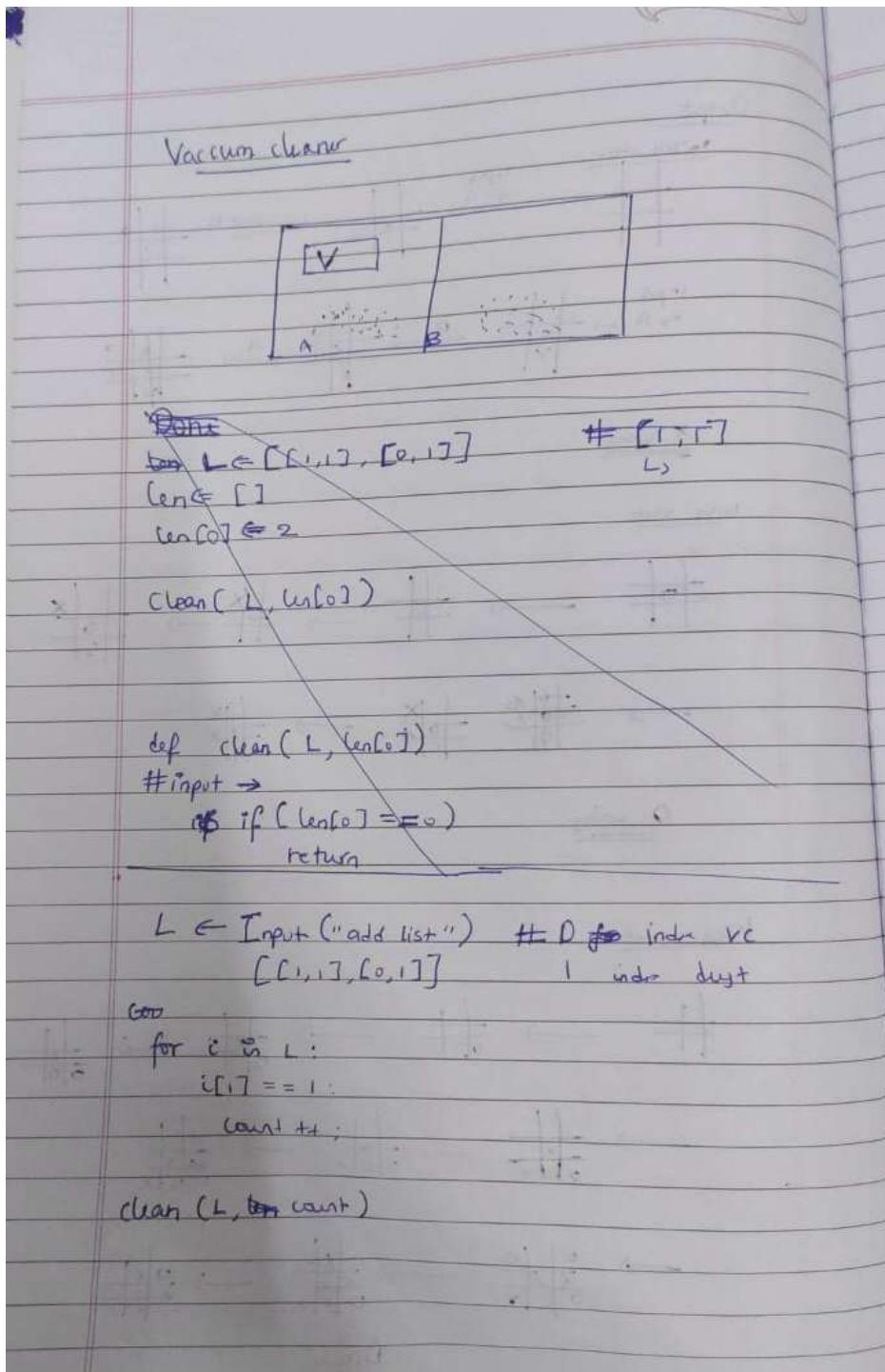
```
current_player = "O" if current_player == "X" else "X"  
  
if __name__ == "__main__":  
    play_game()
```

Output:

```
SANATH S SHETTY 1BM23CS297
| |
-----
| |
-----
| |
-----
Player X's turn.
Enter row (0, 1, 2): 0
Enter column (0, 1, 2): 0
x | |
-----
| |
-----
| |
-----
Player O's turn.
Enter row (0, 1, 2): 2
Enter column (0, 1, 2): 2
x | |
-----
| |
-----
| | o
-----
Player X's turn.
Enter row (0, 1, 2): 0
Enter column (0, 1, 2): 1
x | x |
-----
| |
-----
| | o
-----
Player O's turn.
Enter row (0, 1, 2): 1
Enter column (0, 1, 2): 1
x | x |
-----
| o |
-----
| | o
-----
Player X's turn.
Enter row (0, 1, 2): 0
Enter column (0, 1, 2): 2
x | x | x
-----
| o |
-----
| | o
-----
Player X wins!
```

Implement vacuum cleaner agent

Observation:



Week 1

CLASSWORK
Date _____
Page _____

Algorithm

- 1) Start
- 2) Take user input from no of rooms
- 3) If vacuum cleaner is in A and dirt in A,
clean dirt ()
move from A to B
- 4) If vacuum cleaner is in B and dirt in B
clean dirt ()
move from B to A
- 5) If vacuum cleaner in A and no dirt in B
move @from A to B
else
move from B to A
- 6) ~~else~~ goto Step 3
- 7) Stop

Output

Initial state $\rightarrow [[1, 1], [0, 1]]$
 $\rightarrow [[1, 0], [0, 1]]$
 $\rightarrow [[0, 0], [1, 0]]$

Code:

```
L = []
```

```
L = [[1, 1], [0, 1]]
```

```
print('Sanath 1BM23CS297')
```

```
print(L)
```

```
count = 0

for i in range(len(L)):
    if (L[i][1] == 1):
        count = count + 1

def clean(L, count, index):
    if (count == 0):
        return

    if (index < 0 or index >= len(L)):
        return

    if (L[index][1] == 1):

        L[index][0] = 1
        L[index][1] = 0
        count = count - 1
        print(L)
        L[index][0] = 0

        clean(L, count, index - 1)
        clean(L, count, index + 1)

    else:
        clean(L, count, index + 1)
```

```
clean(L, count, index - 1)
```

```
clean(L, count, 0)
```

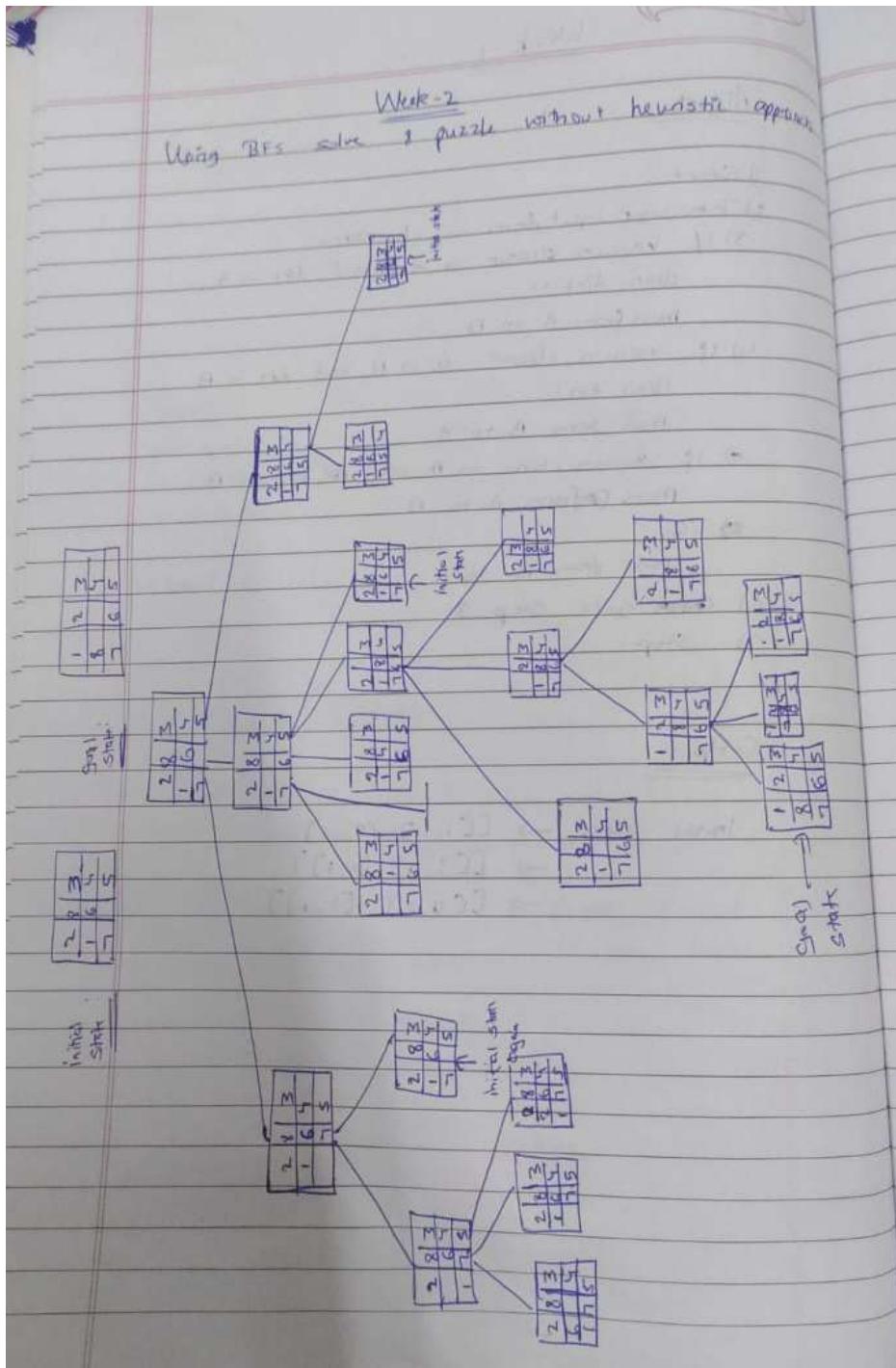
Output:

```
Sanath 1BM23CS297
[[1, 1], [0, 1]]
[[1, 0], [0, 1]]
[[0, 0], [1, 0]]
```

Program 2

Implement 8 puzzle problems using Depth First Search (DFS)

Observation:



Algorithm to solve 8 puzzle with BFS

1. Start
2. Put the initial state to the queue.
3. Remove element from the queue
4. Create states with all 4 other possibility (up, down, right, left)
5. If check if any of the state matches the goal state.
 If yes stop, go to step 8
 else go to step 6
6. Add all other states to queue
 → While queue is not empty, remove element from queue and go to step 4
7. Stop.

Algorithm to solve 8 puzzle with DFS

1. Start
2. Put the initial state to the stack.
3. Remove element from stack
4. Create state with other possibility (up, down, right, left)
5. Check if any of the state matches the goal state.
 If yes go to step 8
 else go to step 6
6. Add other all state to stack.
7. While stack is not empty, remove element from stack and go to step 4
8. Stop

Output for RFS

Initial State: 2 8 3 Goal: 1 2 3
1 6 4 8 0 4
7 0 5 7 6 5

No of states explored: 62

No of moves: 5

Output for DFS

Initial: 2 8 3 goal: 1 2 3
1 6 4 8 0 4
7 0 5 7 6 5

No of states explored: 5163

No of moves: 47

✓
81

Code:

```
print("Sanath S Shetty")
print("1BM23CS297")

from collections import deque

# Function to display puzzle state
def print_state(state):
    for i in range(0, 9, 3):
        print(" ".join(state[i:i+3]))
    print()

# Generate neighbors
def get_neighbors(state):
    neighbors = []
    index = state.index("0") # blank position
    row, col = divmod(index, 3)

    moves = [(-1, 0), (1, 0), (0, -1), (0, 1)] # up, down, left, right

    for dr, dc in moves:
        new_row, new_col = row + dr, col + dc
        if 0 <= new_row < 3 and 0 <= new_col < 3:
            new_index = new_row * 3 + new_col
            neighbors.append(state[:new_index] + "0" + state[new_index+1:])

    return neighbors
```

```

state_list = list(state)

# swap blank

    state_list[index], state_list[new_index] = state_list[new_index],
state_list[index]

    neighbors.append("".join(state_list))

return neighbors

# DFS solver (recursive)

def dfs(start, goal, visited=None, path=None, state_count=[0], max_depth=50):

    if visited is None:
        visited = set()

    if path is None:
        path = []

    visited.add(start)
    state_count[0] += 1

    if start == goal:
        print("Number of states explored:", state_count[0])
        print("Number of moves:", len(path))
        print("\nSolution path:")
        for s in path + [start]:
            print_state(s)

```

```

    return path

if len(path) >= max_depth: # prevent infinite recursion
    return None

for neighbor in get_neighbors(start):
    if neighbor not in visited:
        result = dfs(neighbor, goal, visited, path + [start], state_count, max_depth)
        if result is not None:
            return result

return None

print("Enter the INITIAL 8-puzzle board configuration (use 0 for blank):")
initial_board = []
for i in range(3):
    row = input(f'Row {i+1} (3 numbers space-separated): ').split()
    initial_board.extend(row)

print("\nEnter the GOAL 8-puzzle board configuration (use 0 for blank):")
goal_board = []
for i in range(3):
    row = input(f'Row {i+1} (3 numbers space-separated): ').split()
    goal_board.extend(row)

```

```
start_state = "".join(initial_board)
```

```
goal_state = "".join(goal_board)
```

```
print("\nInitial State:")
```

```
print_state(start_state)
```

```
print("Goal State:")
```

```
print_state(goal_state)
```

```
dfs(start_state, goal_state)
```

Output:

```
Sanath S Shetty
1BM23CS297
Enter the INITIAL 8-puzzle board configuration (use 0 for blank):
Row 1 (3 numbers space-separated): 2 8 3
Row 2 (3 numbers space-separated): 1 6 4
Row 3 (3 numbers space-separated): 7 0 5

Enter the GOAL 8-puzzle board configuration (use 0 for blank):
Row 1 (3 numbers space-separated): 1 2 3
Row 2 (3 numbers space-separated): 8 0 4
Row 3 (3 numbers space-separated): 7 6 5

Initial State:
2 8 3
1 6 4
7 0 5

Goal State:
1 2 3
8 0 4
7 6 5

Number of states explored: 5463
Number of moves: 47

Solution path:
2 8 3
1 6 4
7 0 5

2 8 3
1 0 4
7 6 5

2 0 3
1 8 4
7 6 5

0 2 3
1 8 4
```

2 3 4
1 6 5
8 0 7

2 3 4
1 6 5
8 7 0

2 3 4
1 6 0
8 7 5

2 3 0
1 6 4
8 7 5

2 0 3
1 6 4
8 7 5

0 2 3
1 6 4
8 7 5

1 2 3
0 6 4
8 7 5

1 2 3
8 6 4
0 7 5

1 2 3
8 6 4
7 0 5

1 2 3
8 0 4
7 6 5

Implement Iterative deepening search algorithm

Observation:

Iterative Deepening Search

Algorithm

function Iterative-deepening (problem) returns a solution
inputs : problem, a problem

```
for depth ← 0 to ∞ do
    result ← φ
    if φ(result) &lt; cutoff then return result
    end
```

Output

Initial state :

2	8	3
1	6	4
7	0	5

final state :

1	2	3
8	0	4
7	6	5

No solution at depth 0, 1, 2, ...

Goal reached at depth 5:

Total visited states: 56

Solution found with cost: 05

Code:

```
print("Sanath Shetty")
```

```
print("1BM23CS297")
```

```
MAX_VISITED_DISPLAY = 10
```

```
NUM_INTERMEDIATE_STATES = 3
```

```
MAX_DEPTH_LIMIT = 50
```

```
def print_state(state):
```

```
    for row in state:
```

```
        print(' '.join(str(x) for x in row))
```

```
    print()
```

```
def is_goal(state, goal_state):
```

```
    return state == goal_state
```

```
def find_zero(state):
```

```
    for i in range(3):
```

```
        for j in range(3):
```

```
            if state[i][j] == 0:
```

```
                return i, j
```

```

def get_neighbors(state):
    neighbors = []
    x, y = find_zero(state)
    directions = [(1,0), (-1,0), (0,1), (0,-1)]
    for dx, dy in directions:
        new_x, new_y = x + dx, y + dy
        if 0 <= new_x < 3 and 0 <= new_y < 3:
            new_state = [row[:] for row in state]
            new_state[x][y], new_state[new_x][new_y] = new_state[new_x][new_y], new_state[x][y]
            neighbors.append(new_state)
    return neighbors

```

```

def is_solvable(state):
    flat = [num for row in state for num in row if num != 0]
    inv_count = 0
    for i in range(len(flat)):
        for j in range(i + 1, len(flat)):
            if flat[i] > flat[j]:
                inv_count += 1
    return inv_count % 2 == 0

```

```

def dls(current_state, goal_state, depth_limit, path, visited, visited_states_display):
    """

```

Depth-Limited Search helper for IDDFS.

Returns:

path if goal found else None

""""

if len(path) - 1 > depth_limit:

return None

visited_states_display.append(current_state)

if len(visited_states_display) <= MAX_VISITED_DISPLAY:

print(f"Visited state #{len(visited_states_display)}:")

print_state(current_state)

if is_goal(current_state, goal_state):

return path

for neighbor in reversed(get_neighbors(current_state)):

neighbor_tuple = tuple(tuple(row) for row in neighbor)

if neighbor_tuple not in visited:

visited.add(neighbor_tuple)

result = dls(neighbor, goal_state, depth_limit, path + [neighbor], visited, visited_states_display)

if result is not None:

return result

Backtrack visited set for other paths:

```

    visited.remove(neighbor_tuple)

return None

def iddfs(start_state, goal_state, max_depth=MAX_DEPTH_LIMIT):
    """
    Iterative Deepening DFS:
    Tries DFS with increasing depth limits until goal found or max depth exceeded.
    """

    print("Starting Iterative Deepening DFS traversal...\n")

    for depth in range(max_depth + 1):
        print(f"Trying depth limit: {depth}")
        visited_states_display = []
        visited = set()
        visited.add(tuple(tuple(row) for row in start_state))
        path = dls(start_state, goal_state, depth, [start_state], visited,
                   visited_states_display)
        if path is not None:
            print(f"\nGoal reached at depth {depth}!")
            print(f"Total visited states in last iteration: {len(visited_states_display)}")
            return path
        print(f"No solution found at depth {depth}\n")
    print(f"No solution found within max depth limit {max_depth}")
    return None

```

```
def read_state(name):  
    print(f'Enter the {name} state, row by row (use space-separated numbers, 0 for  
empty):')  
    state = []  
    for _ in range(3):  
        row = input().strip().split()  
        if len(row) != 3:  
            raise ValueError("Each row must have exactly 3 numbers.")  
        row = list(map(int, row))  
        state.append(row)  
    return state
```

```
# --- Main Execution ---
```

```
initial_state = read_state("initial")  
goal_state = read_state("goal")  
  
if not (is_solvable(initial_state) == is_solvable(goal_state)):  
    print("The puzzle is unsolvable.")  
    exit()  
  
solution_path = iddfs(initial_state, goal_state)
```

```

if solution_path:

    cost = len(solution_path) - 1

    print(f"\nSolution found with cost: {cost}\n")
    print("Solution path:")

    total_steps = len(solution_path) - 1 # number of moves
    print("Initial State:")
    print_state(solution_path[0])

if total_steps > 1:

    step_indices = list(range(1, total_steps))

    if len(step_indices) > NUM_INTERMEDIATE_STATES:

        interval = len(step_indices) // (NUM_INTERMEDIATE_STATES + 1)
        selected_indices = [step_indices[i * interval] for i in range(1,
NUM_INTERMEDIATE_STATES + 1)]

    else:

        selected_indices = step_indices

for idx in selected_indices:

    print(f"Intermediate State (Step {idx}):")
    print_state(solution_path[idx])

print("Final State:")
print_state(solution_path[-1])

```

```
else:  
    print("No solution found")
```

Output:

```
→ Sanath Shetty  
1BM23CS297  
Enter the initial state, row by row (use space-separated numbers, 0 for empty):  
2 8 3  
1 6 4  
7 0 5  
Enter the goal state, row by row (use space-separated numbers, 0 for empty):  
1 2 3  
8 0 4  
7 6 5  
Starting Iterative Deepening DFS traversal...  
  
Trying depth limit: 0  
Visited state #1:  
2 8 3  
1 6 4  
7 0 5  
  
No solution found at depth 0  
  
Trying depth limit: 1  
Visited state #1:  
2 8 3  
1 6 4  
7 0 5  
  
Visited state #2:  
2 8 3  
1 6 4  
0 7 5  
  
Visited state #3:  
2 8 3  
1 6 4  
7 5 0  
  
Visited state #4:  
2 8 3  
1 0 4  
7 6 5
```

```
Goal reached at depth 5!
Total visited states in last iteration: 56
```

```
Solution found with cost: 5
```

```
Solution path:
```

```
Initial State:
```

```
2 8 3
```

```
1 6 4
```

```
7 0 5
```

```
Intermediate State (Step 2):
```

```
2 0 3
```

```
1 8 4
```

```
7 6 5
```

```
Intermediate State (Step 3):
```

```
0 2 3
```

```
1 8 4
```

```
7 6 5
```

```
Intermediate State (Step 4):
```

```
1 2 3
```

```
0 8 4
```

```
7 6 5
```

```
Final State:
```

```
1 2 3
```

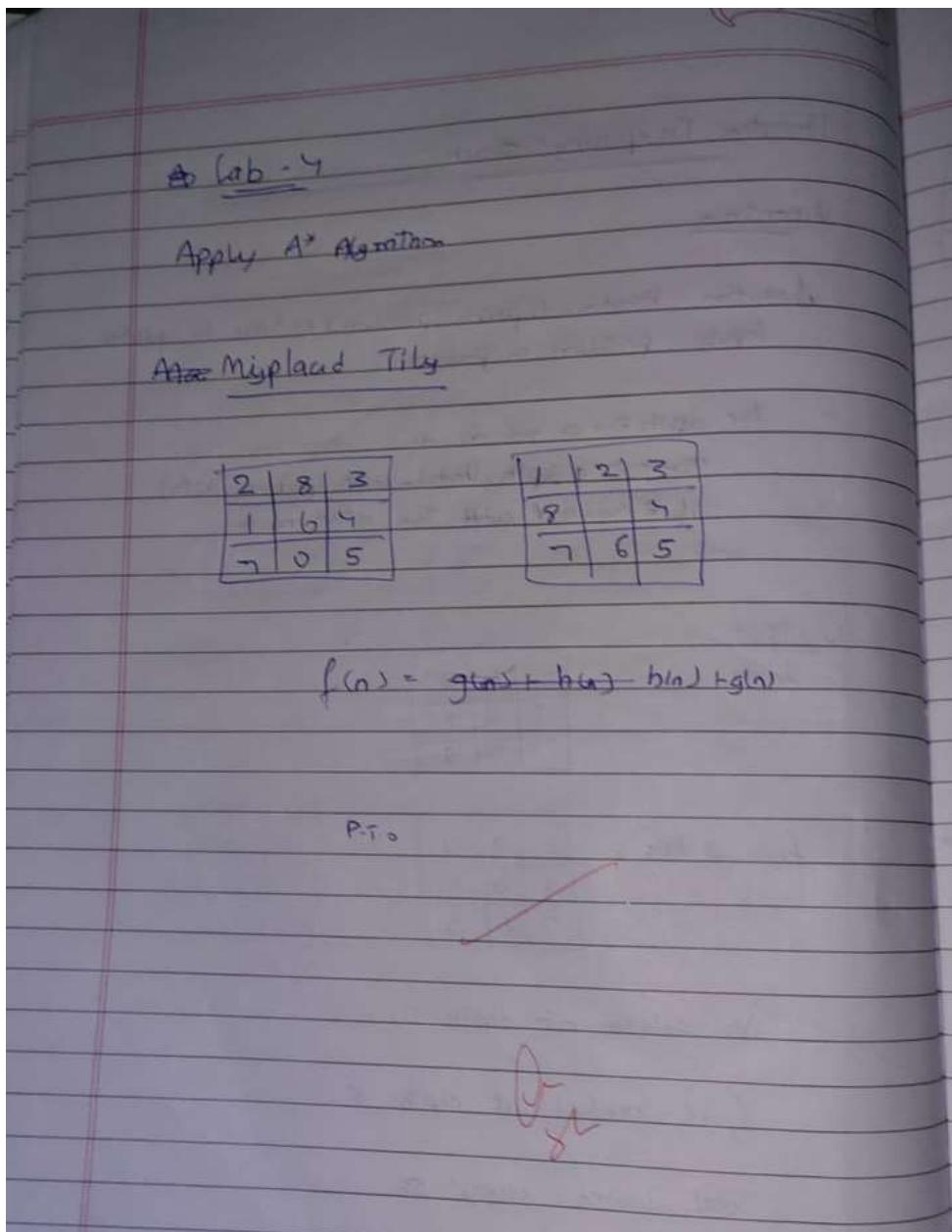
```
8 0 4
```

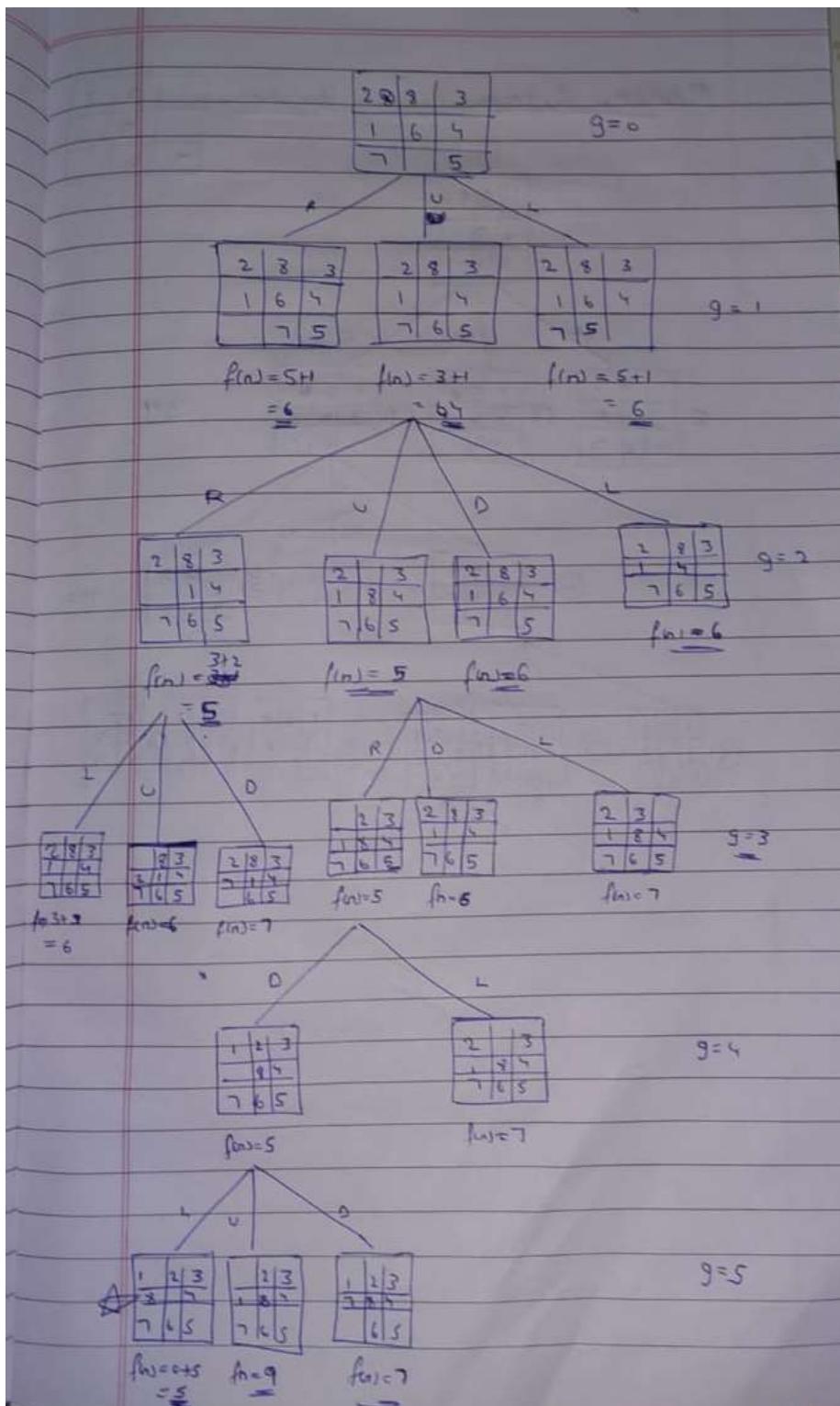
```
7 6 5
```

Program 3

Implement A* search algorithm

Observation:

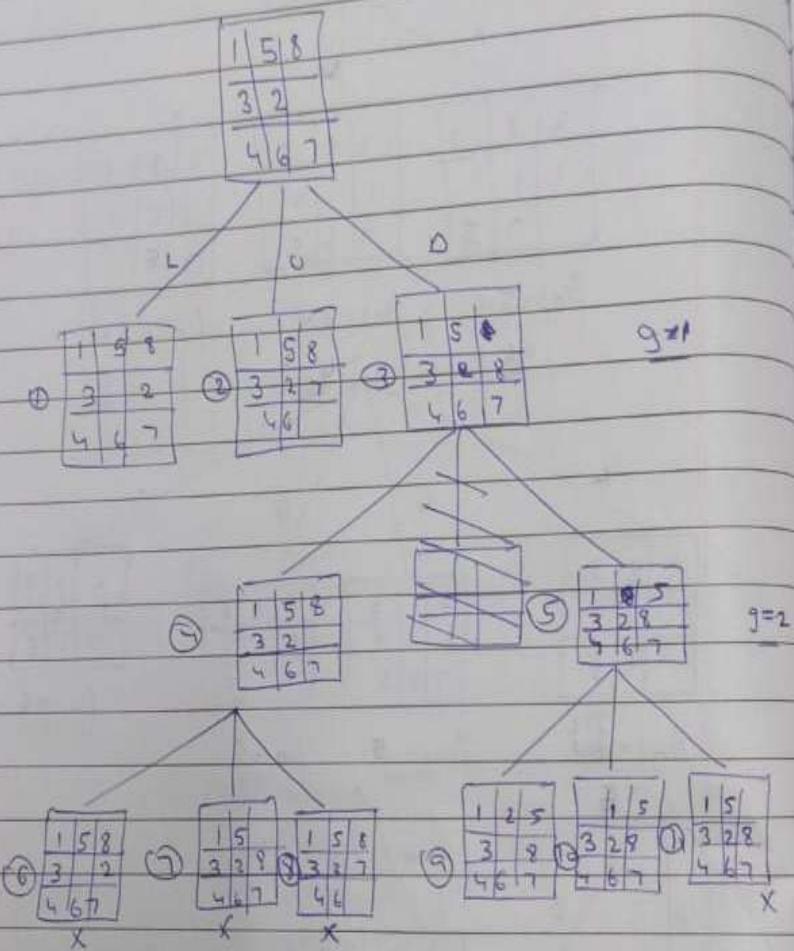




Manhattan digit tree

goal state

1	2	3
4	5	6
7	8	.



Date _____
Postage _____

digram calculation

$g=1$

(1) \rightarrow

1	2	3	4	5	6	7	8
0	1	2	3	1	1	4	2

 (2) \rightarrow

1	2	3	4	5	6	7	8
0	1	3	1	1	2	3	3

$= \underline{15} \rightarrow \underline{14+1}$ $= \underline{15} = \underline{14+1}$

(3) \rightarrow

1	2	3	4	5	6	7	8
0	1	3	1	1	2	2	2

$= \underline{12+12} = \underline{13}$

$g=2$

(4) \rightarrow

1	2	3	4	5	6	7	8
0	1	3	1	1	2	2	3

 (5) \rightarrow

1	2	3	4	5	6	7	8
0	1	3	1	2	2	2	2

$= \underline{13+2} = \underline{15}$ $= \underline{13+2} = \underline{15}$

$g=3$

(6) \rightarrow

1	2	3	4	5	6	7	8
0	0	3	1	2	2	2	2

 (7) \rightarrow

1	2	3	4	5	6	7	8
1	1	3	1	2	2	2	2

$= \underline{15}$ $= \underline{17}$

Output

Number Misplaced tiles

Initial state : 2 8 3
1 6 4
7 0 5

Goal state : 1 2 3
8 0 4
7 6 5

Solution path 2 8 3 2 8 3 2 0 3
1 6 4 → 1 0 4 → 1 8 4
7 0 5 7 6 5 7 6 5

→ 0 2 3 1 2 3 1 2 3
1 8 4 → 0 8 4 → 8 0 4
7 6 5 1 7 6 5 7 6 5

∴ Cost
depth : 5

No. of states expanded = 7

Output

Manhattan diagram.

Initial state: 2 8 3

$$\begin{matrix} 1 & 6 & 7 \\ 7 & 0 & 5 \end{matrix}$$

Goal state: 1 2 3

$$\begin{matrix} 8 & 0 & 4 \\ 7 & 6 & 5 \end{matrix}$$
Solution path

$$\begin{matrix} 2 & 8 & 3 \\ 1 & 6 & 4 \\ 7 & 0 & 5 \end{matrix} \rightarrow \begin{matrix} 2 & 8 & 3 \\ 1 & 0 & 4 \\ 7 & 6 & 5 \end{matrix} \rightarrow \begin{matrix} 2 & 0 & 3 \\ 1 & 8 & 4 \\ 7 & 6 & 5 \end{matrix}$$

$$\begin{matrix} \rightarrow 0 & 2 & 3 \\ 1 & 8 & 4 \\ 7 & 6 & 5 \end{matrix} \rightarrow \begin{matrix} 1 & 2 & 3 \\ 0 & 8 & 4 \\ 7 & 6 & 5 \end{matrix} \rightarrow \begin{matrix} 1 & 2 & 3 \\ 8 & 0 & 4 \\ 7 & 6 & 5 \end{matrix}$$

∴ depth cost = 5

no. of states explored = 6

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Algorithm - Misplaced tiles

- 1) Start
- 2) ~~start~~ start with open list and empty closed list.
- 3) Add initial state
- 4) $f(n) = g(n) + h(n)$
- 5) Loop, while the open list is not empty:
 - remove the state with the lowest $f(n)$
 - \times If this state is the goal state, the solution
→ found
 - else
 - generate all possible other states and ~~not~~ go to step 5

Manhattan distance

- 1) Start
- 2) Initialize start and goal state
- 3) Calculate $f(n) = g(n) + h(n)$ for each possible using manhattan
- 4) Explore the node with least manhattan heuristic
- 5) Return first explore until $h(n)=0$ then $f(n)=g(n)$
- 6) return $f(n)$

le m1

Code:

```
import heapq
```

```
print("Sanath S Shetty")
```

```
print("1BM23CS297")
```

```
def print_state(state):
```

```
    """Prints the 8-puzzle state in a 3x3 grid."""
```

```
    for i in range(0, 9, 3):
```

```
        print(" ".join(str(x) for x in state[i:i+3]))
```

```
    print()
```

```
def misplaced_tiles(current_state, goal_state):
```

```
    """Calculates the number of misplaced tiles heuristic."""
```

```
    misplaced = 0
```

```
    for i in range(9):
```

```
        if current_state[i] != 0 and current_state[i] != goal_state[i]:
```

```
            misplaced += 1
```

```
    return misplaced
```

```
def find_zero(state):
```

```
    """Finds the index of the blank tile (0)."""
```

```
    return state.index(0)
```

```

def get_neighbors(state):
    """Generates possible next states (neighbors) from the current state."""
    neighbors = []
    zero_index = find_zero(state)
    row, col = divmod(zero_index, 3)

    moves = [(-1, 0), (1, 0), (0, -1), (0, 1)] # up, down, left, right

    for dr, dc in moves:
        new_row, new_col = row + dr, col + dc
        if 0 <= new_row < 3 and 0 <= new_col < 3:
            new_index = new_row * 3 + new_col
            new_state_list = list(state)
            new_state_list[zero_index], new_state_list[new_index] =
            new_state_list[new_index], new_state_list[zero_index]
            neighbors.append(tuple(new_state_list))

    return neighbors

```

```

def astar_misplaced(start_state, goal_state):
    """Solves the 8-puzzle using A* with the misplaced tiles heuristic."""
    open_set = []
    heapq.heappush(open_set, (misplaced_tiles(start_state, goal_state), 0,
    start_state, [])) # (f_cost, g_cost, state, path)
    visited = set()
    visited.add(start_state)

```

```

state_count = 0

while open_set:
    f_cost, g_cost, current_state, path = heapq.heappop(open_set)
    state_count += 1

    if current_state == goal_state:
        print("\nGoal reached!")
        print("Number of states explored:", state_count)
        print("depth:", g_cost)
        print("\nSolution path:")
        for s in path + [current_state]:
            print_state(s)
        return path

for neighbor in get_neighbors(current_state):
    if neighbor not in visited:
        visited.add(neighbor)
        new_g_cost = g_cost + 1
        new_f_cost = new_g_cost + misplaced_tiles(neighbor, goal_state)
        heapq.heappush(open_set, (new_f_cost, new_g_cost, neighbor, path +
[current_state]))

print("No solution found.")

```

```

return None

# --- Main Execution ---

print("Enter the INITIAL 8-puzzle board configuration (use 0 for blank):")
initial_board = []
for i in range(3):
    row = input(f'Row {i+1} (3 numbers space-separated): ').split()
    initial_board.extend(map(int, row))

print("\nEnter the GOAL 8-puzzle board configuration (use 0 for blank):")
goal_board = []
for i in range(3):
    row = input(f'Row {i+1} (3 numbers space-separated): ').split()
    goal_board.extend(map(int, row))

start_state = tuple(initial_board)
goal_state = tuple(goal_board)

print("\nInitial State:")
print_state(start_state)

print("Goal State:")
print_state(goal_state)

```

```
astar_misplaced(start_state, goal_state)
```

Output:

```
→ Sanath S Shetty
1BM23CS297
Enter the INITIAL 8-puzzle board configuration (use 0 for blank):
Row 1 (3 numbers space-separated): 2 8 3
Row 2 (3 numbers space-separated): 1 6 4
Row 3 (3 numbers space-separated): 7 0 5

Enter the GOAL 8-puzzle board configuration (use 0 for blank):
Row 1 (3 numbers space-separated): 1 2 3
Row 2 (3 numbers space-separated): 8 0 4
Row 3 (3 numbers space-separated): 7 6 5

Initial State:
2 8 3
1 6 4
7 0 5

Goal State:
1 2 3
8 0 4
7 6 5

Goal reached!
Number of states explored: 7
depth: 5
```

Solution path:

2 8 3
1 6 4
7 0 5

2 8 3
1 0 4
7 6 5

2 0 3
1 8 4
7 6 5

0 2 3
1 8 4
7 6 5

1 2 3
0 8 4
7 6 5

1 2 3
8 0 4
7 6 5

`[(2, 8, 3, 1, 6, 4, 7, 0, 5),
(2, 8, 3, 1, 0, 4, 7, 6, 5),
(2, 0, 3, 1, 8, 4, 7, 6, 5),
(0, 2, 3, 1, 8, 4, 7, 6, 5),
(1, 2, 3, 0, 8, 4, 7, 6, 5)]`

Program 4

Implement Hill Climbing search algorithm to solve N-Queens problem

Observation:

Program - 6 Week - 5

8 queens problem using hill climbing.

Hill climbing search algorithm.

function hc(problem) return a state that is local
max

```
current ← make-node(problem, initial state)
loop do
    neighbour ← a highest valued successor of current
    if neighbour.value ≤ current.value then
        return current.state
    current ← neighbour
```

State Space

Initial state

1)

	0	1	2	3
x_0				Q
x_1			Q	
x_2				
x_3	Q			

$cst = 2$

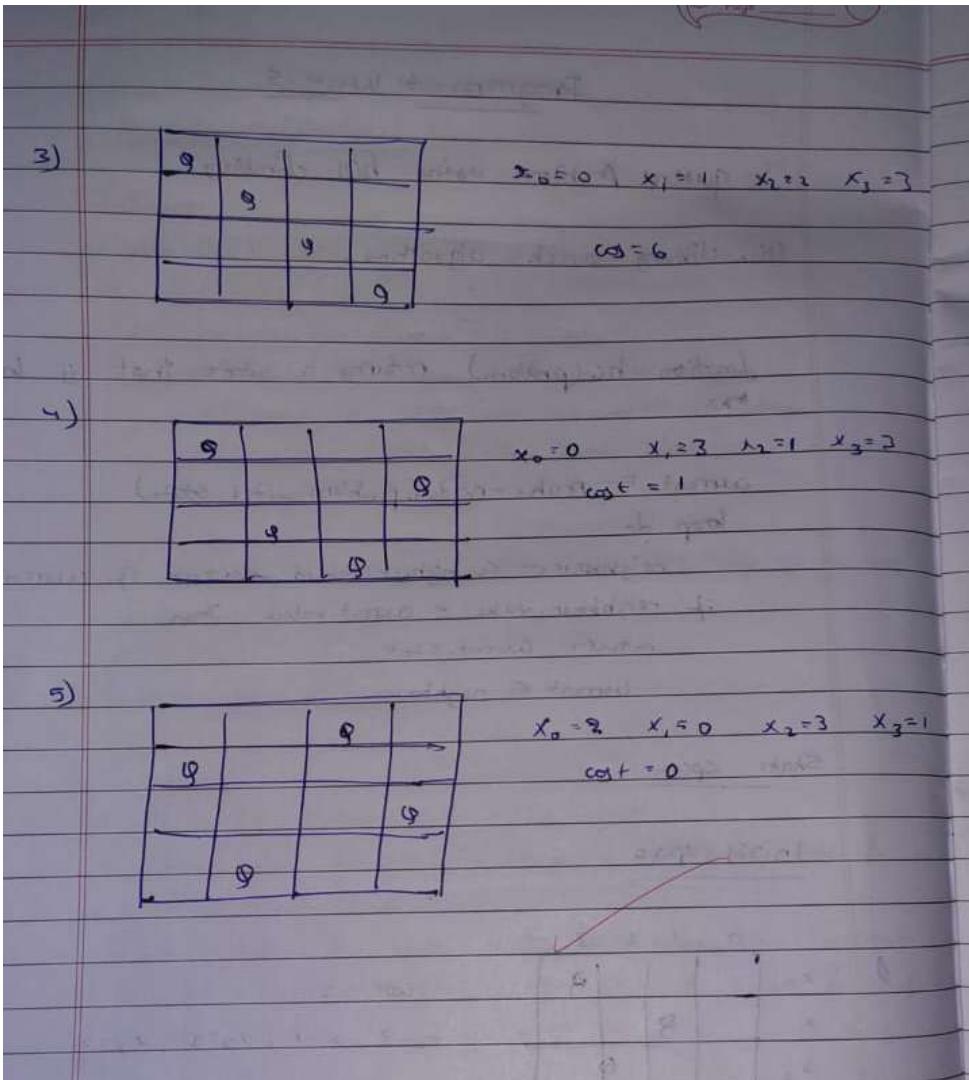
$x_0 = 3, x_1 = 1, x_2 = 2, x_3 = 0$

2)

	0	1	2	3
x_0		Q		
x_1				Q
x_2			Q	
x_3	Q			

$cst = 1$

$x_0 = 1, x_1 = 3, x_2 = 2, x_3 = 0$



Code:

```
print("Sanath S Shetty")
```

```
print("1BM23CS297")
```

```
def print_board(state):
```

```
    n = len(state)
```

```
    for row in range(n):
```

```
        line = ""
```

```

for col in range(n):
    if state[col] == row:
        line += "Q "
    else:
        line += ". "
    print(line)
print()

def calculate_cost(state):
    cost = 0
    n = len(state)
    for i in range(n):
        for j in range(i + 1, n):
            if state[i] == state[j] or abs(state[i] - state[j]) == j - i:
                cost += 1
    return cost

def get_neighbors(state):
    neighbors = []
    n = len(state)
    for i in range(n):
        for j in range(i + 1, n):
            neighbor = list(state)
            neighbor[i], neighbor[j] = neighbor[j], neighbor[i]
            neighbors.append((neighbor, (i, j)))

```

```

return neighbors

def hill_climbing(initial_state):
    current_state = initial_state
    current_cost = calculate_cost(current_state)
    print("Start State:")
    print_board(current_state)
    print(f"Cost: {current_cost}\n")

    path = [(current_state, current_cost, None)]

    while True:
        neighbors = get_neighbors(current_state)
        neighbor_costs = [(tuple(neighbor), calculate_cost(neighbor), swap) for
neighbor, swap in
neighbors]

        neighbor_costs.sort(key=lambda x: (x[1], x[2]))

        best_neighbor, best_cost, best_swap = neighbor_costs[0]
        print(f"Neighbors of {current_state} with costs:")
        for neighbor, cost, swap in neighbor_costs:
            print(f"Swap columns {swap}:")
            print_board(neighbor)
            print(f"Cost: {cost}\n")

```

```

if best_cost < current_cost:
    print(f"Moving to better neighbor by swapping columns {best_swap}:")
    print_board(best_neighbor)
    print(f"Cost: {best_cost}\n")
    current_state, current_cost = best_neighbor, best_cost
    path.append((current_state, current_cost, best_swap))
else:
    print("/nReached goal state.")
    break

return path

```

```

def get_initial_state():
    print("Enter the initial positions of the 4 queens (row for each column, 0-
indexed):")
    positions = []
    for col in range(4):
        while True:
            try:
                pos = int(input(f"Column {col}: "))
                if 0 <= pos < 4:
                    positions.append(pos)
                    break
            else:
                print("Invalid input. Enter a number between 0 and 3.")

```

```
except ValueError:  
    print("Invalid input. Please enter an integer.")  
return tuple(positions)
```

```
initial_state = get_initial_state()  
path = hill_climbing(initial_state)  
  
print("Final path:")  
for i, (state, cost, swap) in enumerate(path):  
    print(f"Step {i}:")  
    print_board(state)  
    print(f"Cost: {cost}")  
    if swap is not None:  
        print(f"Swap columns: {swap}")  
    print("-----")
```

Output:

```
→ Sanath S Shetty
1BM23CS297
Enter the initial positions of the 4 queens (row for each column, 0-indexed):
Column 0: 3
Column 1: 2
Column 2: 1
Column 3: 0
Start State:
. . . Q
. . Q .
. Q . .
Q . . .

Cost: 6

Neighbors of (3, 2, 1, 0) with costs:
Swap columns (0, 1):
. . . Q
. . Q .
Q . . .
. Q . .

Cost: 2

Swap columns (0, 3):
Q . . .
. . Q .
. Q . .
. . . Q

Cost: 2

Swap columns (1, 2):
. . . Q
. Q . .
. . Q .
Q . . .

Cost: 2
```

→ Cost: 4

Swap columns (1, 2):
. Q . .
Q . . .
. . . Q
. . Q .

Cost: 4

/nReached goal state.
Final path:
Step 0:
. . . Q
. . Q .
. Q . .
Q . . .

Cost: 6

Step 1:
. . . Q
. . Q .
Q . . .
. Q . .

Cost: 2

Swap columns: (0, 1)

Step 2:
. . . Q
Q . . .
. . Q .
. Q . .

Cost: 1

Swap columns: (0, 2)

Step 3:
. . Q .
Q . . .
. . . Q
. Q . .

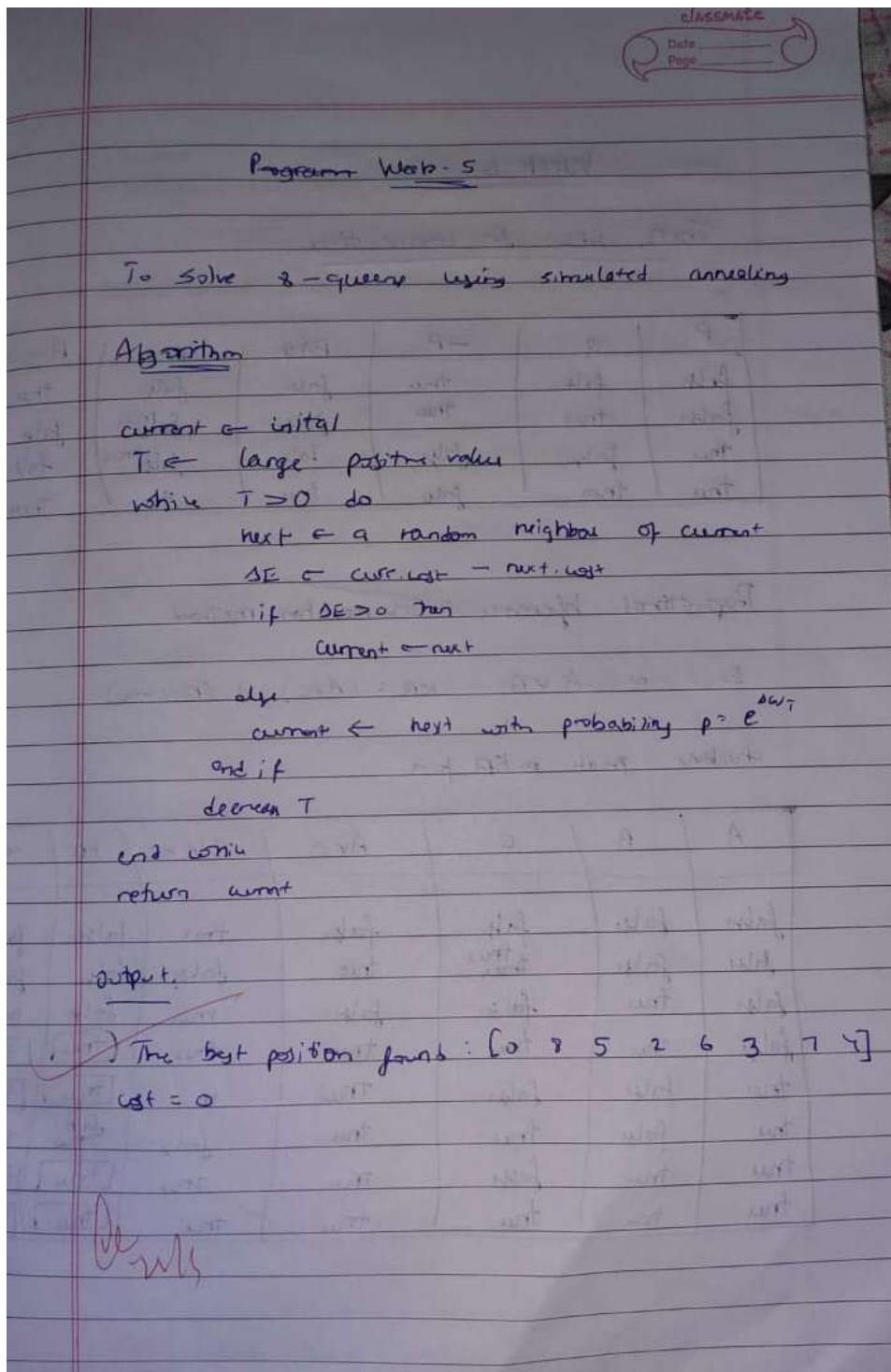
Cost: 0

Swap columns: (2, 3)

Program 5

Simulated Annealing to Solve 8-Queens problem

Observation:



Code:

```
print("Sanath S Shetty")
```

```
print("1BM23CS297")
```

```
import random
```

```
import math
```

```
def print_board(state):
```

```
    n = len(state)
```

```
    for row in range(n):
```

```
        line = ""
```

```
        for col in range(n):
```

```
            if state[col] == row:
```

```
                line += "Q "
```

```
            else:
```

```
                line += ". "
```

```
        print(line)
```

```
    print()
```

```
def calculate_cost(state):
```

```
    cost = 0
```

```
    n = len(state)
```

```
    for i in range(n):
```

```
        for j in range(i + 1, n):
```

```
            if state[i] == state[j] or abs(state[i] - state[j]) == j - i:
```

```

cost += 1

return cost

def get_neighbor(state):
    n = len(state)
    neighbor = list(state)
    i, j = random.sample(range(n), 2)
    neighbor[i], neighbor[j] = neighbor[j], neighbor[i]
    return tuple(neighbor), (i, j)

def simulated_annealing(initial_state, initial_temp=1000, cooling_rate=0.95,
min_temp=1e-3, max_iter=1000):
    current_state = initial_state
    current_cost = calculate_cost(current_state)
    temperature = initial_temp
    path = [(current_state, current_cost, None)]

    print("Initial State:")
    print_board(current_state)
    print(f"Cost: {current_cost}\n")

    iteration = 0
    while temperature > min_temp and current_cost > 0 and iteration < max_iter:
        neighbor, swap = get_neighbor(current_state)

```

```

neighbor_cost = calculate_cost(neighbor)

cost_diff = neighbor_cost - current_cost

if cost_diff < 0 or math.exp(-cost_diff / temperature) > random.random():

    current_state, current_cost = neighbor, neighbor_cost
    path.append((current_state, current_cost, swap))
    print(f"Iteration {iteration}: Swap columns {swap}")
    print_board(current_state)
    print(f"Cost: {current_cost}, Temperature: {temperature:.4f}\n")

    temperature *= cooling_rate
    iteration += 1

print("Terminated.")
return path

def get_initial_state():

    print("Enter the initial positions of the 4 queens (row for each column, 0-indexed):")

    positions = []
    for col in range(4):

        while True:

            try:

```

```
pos = int(input(f"Column {col}:"))

if 0 <= pos < 4:
    positions.append(pos)
    break

else:
    print("Invalid input. Enter a number between 0 and 3.")

except ValueError:
    print("Invalid input. Please enter an integer.")

return tuple(positions)
```

```
initial_state = get_initial_state()
solution_path = simulated_annealing(initial_state)

print("Final path:")
for i, (state, cost, swap) in enumerate(solution_path):
    print(f"Step {i}:")
    print_board(state)
    print(f"Cost: {cost}")
    if swap is not None:
        print(f"Swap columns: {swap}")
    print("-----")
```

Output:

```
→ Sanath S Shetty
1BM23CS297
Enter the initial positions of the 4 queens (row for each column, 0-indexed):
Column 0: 3
Column 1: 2
Column 2: 1
Column 3: 0
Initial State:
. . . Q
. . Q .
. Q . .
Q . . .

Cost: 6

Iteration 0: Swap columns (0, 2)
. . . Q
Q . . .
. Q . .
. . Q .

Cost: 4, Temperature: 1000.0000

Iteration 1: Swap columns (1, 3)
. Q . .
Q . . .
. . . Q
. . Q .

Cost: 4, Temperature: 950.0000

Iteration 2: Swap columns (0, 3)
^
```

```
Terminated.  
Final path:  
Step 0:  
. . . Q  
. . Q .  
. Q . .  
Q . . .  
  
Cost: 6  
-----  
Step 1:  
. . . Q  
Q . . .  
. Q . .  
. . Q .  
  
Cost: 4  
Swap columns: (0, 2)  
-----  
Step 2:  
. Q . .  
Q . . .  
. . . Q  
. . Q .  
  
Cost: 4  
Swap columns: (1, 3)  
-----  
Step 3:  
. Q . .  
. . . Q  
Q . . .  
. . Q .  
  
Cost: 0  
Swap columns: (0, 3)  
-----
```

Program 6

Create a knowledge base using propositional logic and show that the given query entails the knowledge base or not.

Observation:

Week 6

Truth tables for connectives

P	Q	$\neg P$	$P \wedge Q$	$P \vee Q$	$P \rightarrow Q$
false	false	true	false	false	true
false	true	true	false	true	false
true	false	false	false	true	false
true	true	false	true	true	true

Propositional Inference : Enumeration method

Ex: $\alpha = A \vee Q$ $KB = (A \vee C) \wedge (B \vee \neg C)$

Checking that $\models KB \models \alpha$

A	B	C	$A \vee C$	$B \vee \neg C$	KB	α
false	false	false	false	true	false	false
false	false	true	true	false	false	false
false	true	false	false	true	false	false
false	true	true	true	true	(true)	true
true	false	false	true	true	true	true
true	false	true	true	false	false	true
true	true	false	true	true	true	true
true	true	true	true	true	true	true

Algorithm

1. List all symbols in the knowledge base and query
2. Go through all possible truth assignments
3. for each assignment
 - if KB is true, check if $a \in$ query
 - if KB is false, ignore
4. If $a \in$ query every time KB is true \rightarrow KB entails a
5. If not \rightarrow it does not entail a

Output

~~Screen~~

Enter Knowledge Base : $(A \vee B) \wedge (B \vee \neg C)$

Enter query : $A \vee B$

Truth table :

A	B	C	KB	Query
0	0	0	0	0 0
0	0	1	0	0
0	1	0	1	1
0	1	1	1	1
1	0	0	1	1
1	0	1	0	1
1	1	0	1	1
1	1	1	1	1

KB entails query

~~a~~: $\neg(S \vee T)$ b: $(S \wedge T)$ c: $T \vee \neg T$

i) a entails b

ii) a entails c

S	T	$\neg(S \vee T)$	$S \vee T$	$\neg(S \wedge T)$	$T \vee \neg T$
0	0	1	0	1	0
0	1	0	1	0	0
1	0	0	1	1	1
1	1	0	1	0	1

$$a \models b \alpha$$

∴ not entailed

S	T	$\neg(S \vee T)$	$T \vee \neg T$
0	0	1	1
0	1	0	1
1	0	0	1
1	1	0	1

$$a \models c$$

a entails c

entail

Code:

```
import itertools

print("Sanath S Shetty")
print("1BM23CS297")

def eval_expr(expr, model):
    try:
        return eval(expr, {}, model)
    except:
        return False

def tt_entails(KB, query):
    symbols = sorted(set([ch for ch in KB + query if ch.isalpha()]))
    print("\nTruth Table:")
    print(" | ".join(symbols) + " | KB | Query")
    print("-" * (6 * len(symbols) + 20))

    entails = True
    for values in itertools.product([False, True], repeat=len(symbols)):
        model = dict(zip(symbols, values))
        kb_val = eval_expr(KB, model)
        query_val = eval_expr(query, model)

        row = " | ".join(["T" if model[s] else "F" for s in symbols])
        if kb_val != query_val:
            entails = False
            break

    return entails
```

```

print(f"{{row} | {kb_val} | {query_val}}")

if kb_val and not query_val:
    entails = False

return entails

KB = input("Enter Knowledge Base (use &, |, ~ for AND, OR, NOT): ")
query = input("Enter Query: ")

result = tt_entails(KB, query)

print("\nResult:")
if result:
    print("KB entails Query (True in all cases).")
else:
    print("KB does NOT entail Query.")

```

Output:

```
✉ Sanath S Shetty  
1BM23CS297  
Enter Knowledge Base (use &, |, ~ for AND, OR, NOT): (A | B) & (B | ~C)  
Enter Query: A|B  
  
Truth Table:  
A | B | C | KB | Query  
-----  
F | F | F | 0 | False  
F | F | T | 0 | False  
F | T | F | 1 | True  
F | T | T | 1 | True  
T | F | F | 1 | True  
T | F | T | 0 | True  
T | T | F | 1 | True  
T | T | T | 1 | True  
  
Result:  
KB entails Query (True in all cases).
```

Program 7

Implement unification in first order logic

Observation

Date _____
Page _____

Program - 7

Unification algorithm

It is a process to find substitution that make different FOL (first order logic)

① Unify ($\text{know}(\text{John}, x)$, $\text{know}(\text{John}, \text{Jan})$)

$$\Theta = x/\text{Jan}$$

Unify ($\text{know}(\text{John}, \text{Jan})$, $\text{know}(\text{John}, \text{Jan})$)

② Unify ($\text{know}(\text{John}, x)$, $\text{know}(y, \text{Bill})$)

$$\Theta = y/\text{John}$$

$\text{know}(\text{John}, x)$, $\text{know}(\text{John}, \text{Bill})$

③ Find min Θ

$$\{p(b, z, p(g(z)))\}$$

$$\{p(z, p(y), f(w))\}$$

$$\{p(z, x, f(g(x)))\}$$

$$\Theta = b/z$$

$$\{p(z, f(y), f(y))\}$$

$$\{p(z, z, f(g(z)))\}$$

$$\{p(z, x, z)\}$$

$$\Theta = f(y)/z,$$

$$\{p(z, x, f(y))\}$$

$$\{p(z, z, z)\}$$

$$\{p(z, x, z)\}$$

$$\{p(z, z, z)\}$$

$$\underline{\underline{g(z) / y}}$$

First Order logic

Algorithm:

Unity (ψ_1, ψ_2)

Step 1: If ψ_1 , or ψ_2 is a variable or constant, then
a) if ψ_1 or ψ_2 are identical, then return NIL
b) else if ψ_1 is a variable,
 a) then if ψ_1 occurs in ψ_2 , then return failure
 b) else return $\{(\psi_2 / \psi_1)\}$
c) else if ψ_2 is a variable,
 a) if ψ_2 occurs in ψ_1 , then return FAILURE
 b) else return $\{(\psi_1 / \psi_2)\}$
d) else return FAILURE

Step 2: If the internal predicate symbol is ψ , and ψ_1 and ψ_2 are not same, then return failure.

Step 3: If ψ_1 and ψ_2 have different no of arguments, then return failure.

Step 4: Set substitution set (SUBST) to NIL

Step 5: For i=1 to no of elements in ψ_1 .
a) Call unity func with the ith element of ψ_2 , and put the res in S.
b) if S=failure then return failure
c) if S=NIL then do,
 a: apply S to the remainder of both ψ_1 & ψ_2
 b: SUBST = Append (S, SUBST)

Step 6: Return SUBST

Output :

Most general unifier: $\{x_1: b^1, x_2: (P, Y^1), x_3: (Y^1, (y^1, z^1))\}$

② $\{P(f(x)), g(Y^1), P(x, x)\}$
failure

③ Unify $\{\text{prime}(x_1) \text{ and } \text{prime}(y^1)\}$
 $\theta = Y^1/x^1$
and $\text{prime}(x_1) \text{ and } \text{prime}(x_2)\}$

④ Unify $\{\text{know}(\text{John}, x) \text{ and } \text{know}(Y, \text{mother}(Y))\}$

$\theta = Y/\text{John}$

Unify $\{\text{know}(\text{John}, x) \text{ and } \text{know}(\text{John}, \text{mother}(x))\}$

$\theta = x^1, \text{mother}(\text{John})$

Unify $\{\text{know}(\text{John}, \text{mother}(\text{John})), \text{know}(\text{John}, \text{mother}(\text{John}))\}$

Code

```
print("Sanath S Shetty")
print("1BM23CS297")
class UnificationError(Exception):
    pass

def occurs_check(var, term):
    """Check if a variable occurs in a term (to prevent infinite recursion)."""
    if var == term:
        return True
    if isinstance(term, tuple): # Term is a compound (function term)
        return any(occurs_check(var, subterm) for subterm in term)
    return False

def unify(term1, term2, substitutions=None):
    """Try to unify two terms, return the MGU (Most General Unifier)."""
    if substitutions is None:
        substitutions = {}
    # If both terms are equal, no further substitution is needed
    if term1 == term2:
        return substitutions
```

```

# If term1 is a variable, we substitute it with term2
elif isinstance(term1, str) and term1.isupper():
    # If term1 is already substituted, recurse
    if term1 in substitutions:
        return unify(substitutions[term1], term2, substitutions)
    elif occurs_check(term1, term2):
        raise UnificationError(f'Occurs check fails: {term1} in {term2}')
    else:
        substitutions[term1] = term2
        return substitutions

# If term2 is a variable, we substitute it with term1
elif isinstance(term2, str) and term2.isupper():
    # If term2 is already substituted, recurse
    if term2 in substitutions:
        return unify(term1, substitutions[term2], substitutions)
    elif occurs_check(term2, term1):
        raise UnificationError(f'Occurs check fails: {term2} in {term1}')
    else:
        substitutions[term2] = term1
        return substitutions

# If both terms are compound (i.e., functions), unify their parts recursively
elif isinstance(term1, tuple) and isinstance(term2, tuple):

```

```
for subterm1, subterm2 in zip(term1, term2):
    substitutions = unify(subterm1, subterm2, substitutions)

return substitutions

else:
    raise UnificationError(f"Cannot unify: {term1} with {term2}")

# Define the terms as tuples
term1 = ('p', 'b', 'X', ('f', ('g', 'Z')))
term2 = ('p', 'Z', ('f', 'Y'), ('f', 'Y'))

try:
    # Find the MGU
    result = unify(term1, term2)
    print("Most General Unifier (MGU):")
    print(result)
except UnificationError as e:
    print(f"Unification failed: {e}")
```

Output:

```
Sanath S Shetty
1BM23CS297
Most General Unifier (MGU):
{'Z': 'b', 'X': ('f', 'Y'), 'Y': ('g', 'Z')}
```

Program 8

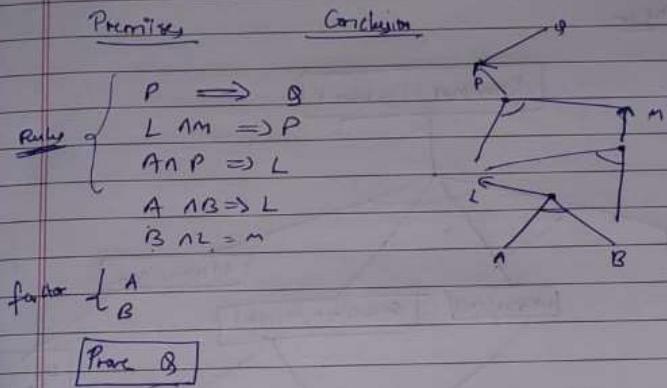
Create a knowledge base consisting of first order logic statements and prove the given query using forward reasoning.

Observation:

Week 3

First Order Logic

Create a knowledge base consisting of first order logic's statements and prove the given query using forward reasoning.



- Q) The law says that it is a crime for an American to sell weapons to hostile nation. The country Nono, an enemy of America, has some missiles, and all of its missiles were sold to it by Colonel West, who is American. An enemy of America counts as hostile.

Prove: West is criminal

Rules

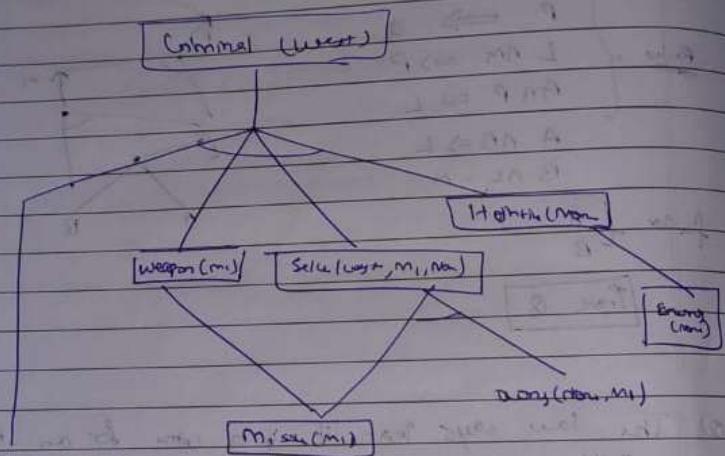
$$1) \forall x, y, z \text{ American}(x) \wedge \text{Weapon}(y) \wedge \text{Sells}(x, y, z) \wedge \text{Hostile}(z) \\ \rightarrow \text{Criminal}(x)$$

$$2) \forall x \text{ missile}(x) \wedge \text{owns}(Nono, x) \Rightarrow \text{Sells}(West, x, Nono)$$

$$3) \forall x \text{ Enemy}(x, American) \Rightarrow \text{Hostile}(x)$$

- 4) $\forall x \text{ Missile}(x) \rightarrow \text{Weapons}(x)$
 5) American (West)
 6) Enemy (None, America)
 7) Owns (None, MI) and
 8) Missile (MI)

Query



Algorithm

Function FOL-FC-ASK(KB, α) return a substitution or fail

Input: KB, set of fact or rule.

α , the query, an atomic sentence

local variables: new, new sentence inferred in each iteration
repeat until new is empty.

new $\leftarrow \{\}$

for each rule $l \rightarrow o$ in KB do

$(p_1 \wedge \dots \wedge p_n \Rightarrow q) \in \text{StandardForm}(rule)$

for each node sum that
~~is~~ $\text{subst}(\Delta, P_i, A, \Delta P_i)$

$$(P, A \vdash A P_i \ni q) = \text{subst}(\Delta, P'_i, A - \Delta P'_i)$$

for some P'_i , $P'_i \in K\Delta$

$$q' = \text{subst}(\Delta, q)$$

if q' does not unify with some sentence, already
in KB or new then,

Add q' to new

$$\phi \leftarrow \text{unify}(q', x)$$

if ϕ is not then return ϕ

add new to KB

return fail

Output -

Robert Robert is a criminal.

Code:

```
print("Sanath S Shetty")
print("1BM23CS297")
def FOL_FC_ASK(KB, alpha):
    # Initialize the new sentences to be inferred in this iteration
    new = set()

    while new: # Repeat until new is empty
        new = set() # Clear new sentences on each iteration

        # For each rule in KB
        for rule in KB:
            # Standardize the rule variables to avoid conflicts
            standardized_rule = standardize_variables(rule)
            p1_to_pn, q = standardized_rule # Premises (p1, ..., pn) and conclusion (q)

            # For each substitution θ such that Subst(θ, p1, ..., pn) matches the premises
            for theta in get_matching_substitutions(p1_to_pn, KB):
                q_prime = apply_substitution(theta, q)

                # If q_prime does not unify with some sentence already in KB or new
                if not any(unify(q_prime, sentence) != 'FAILURE' for sentence in KB.union(new)):
                    new.add(q_prime) # Add q_prime to new

                # Unify q_prime with the query (alpha)
                phi = unify(q_prime, alpha)
                if phi != 'FAILURE':
                    return phi # Return the substitution if it unifies

            # Add newly inferred sentences to the knowledge base
            KB.update(new)

        return False # Return false if no substitution is found

def standardize_variables(rule):
```

```

"""
Standardize variables in the rule to avoid variable conflicts.
Rule is assumed to be a tuple (premises, conclusion).
"""

premises, conclusion = rule
# Apply standardization logic here (for simplicity, assume no conflict in this case)
return (premises, conclusion)

```

```

def get_matching_substitutions(premises, KB):
"""
Get matching substitutions for the premises in the KB.
This is a placeholder to represent how substitutions would be found.
"""

# Implement substitution matching here
return [] # This should return a list of valid substitutions

```

```

def apply_substitution(theta, expression):
"""
Apply a substitution θ to an expression.
This function will replace variables in expression with their corresponding terms
from θ.
"""

if isinstance(expression, str) and expression.startswith('?'):
    return theta.get(expression, expression) # Apply substitution to variable
elif isinstance(expression, tuple):
    return tuple(apply_substitution(theta, arg) for arg in expression)
return expression

```

```

def unify(psi1, psi2, subst=None):
"""Unification algorithm (simplified)"""
if subst is None:
    subst = {}

def apply_subst(s_map, expr):

```

```

if isinstance(expr, str) and expr.startswith('?'):
    return s_map.get(expr, expr)
elif isinstance(expr, tuple):
    return tuple(apply_subst(s_map, arg) for arg in expr)
return expr

def is_variable(expr):
    return isinstance(expr, str) and expr.startswith('?')

_psi1 = apply_subst(subst, psi1)
_psi2 = apply_subst(subst, psi2)

if is_variable(_psi1) or is_variable(_psi2) or not isinstance(_psi1, tuple) or not
isinstance(_psi2, tuple):
    if _psi1 == _psi2:
        return subst
    elif is_variable(_psi1):
        if _psi1 in str(_psi2):
            return 'FAILURE'
        return {**subst, _psi1: _psi2}
    elif is_variable(_psi2):
        if _psi2 in str(_psi1):
            return 'FAILURE'
        return {**subst, _psi2: _psi1}
    else:
        return 'FAILURE'

if _psi1[0] != _psi2[0] or len(_psi1) != len(_psi2):
    return 'FAILURE'

for arg1, arg2 in zip(_psi1[1:], _psi2[1:]):
    s = unify(arg1, arg2, subst)
    if s == 'FAILURE':
        return 'FAILURE'
    subst = s

return subst

```

```

# Knowledge Base (KB)
KB = set()

# Adding facts to KB:
KB.add('american', 'Robert') # Robert is an American
KB.add('hostile_nation', 'Country_A') # Country A is a hostile nation
KB.add('sell_weapons', 'Robert', 'Country_A') # Robert sold weapons to Country
A

# Adding the rule (the law):
KB.add([('american(x)', 'hostile_nation(y)', 'sell_weapons(x, y)'),  

'criminal(x)')])

# Goal: Prove that Robert is a criminal
goal = 'criminal(Robert)'

# Calling FOL_FC_ASK to prove the goal
result = FOL_FC_ASK(KB, goal)

if result != 'FAILURE':
print("Robert is a criminal!")
else:
print("Robert is not a criminal.")

```

Output:

Sanath S Shetty
1BM23CS297
Robert is a criminal!

Program 9

**Create a knowledge base consisting of first order logic statements
and prove the given query using Resolution**

Observation:

Week - 9

Resolution in FOL

1) Eliminate biconditionals and implement implications.

Eliminate \leftrightarrow , replacing $\alpha \leftrightarrow \beta$ with $(\alpha \rightarrow \beta) \wedge (\beta \rightarrow \alpha)$

Eliminate \Rightarrow , replacing $\alpha \Rightarrow \beta$ with $\neg \alpha \vee \beta$

2) Move \neg inwardly

$$\neg(\vee x p) \equiv \exists x \neg p$$

$$\neg(\exists x p) \equiv \forall x \neg p$$

$$\neg(\neg x p) = \neg \neg x p$$

$$\neg(\alpha \wedge \beta) = \neg \alpha \vee \neg \beta$$

$$\neg \neg \alpha = \alpha$$

3) Standardize variables apart by renaming them, each quantifier should use different variable

4. Skolemization: each existential variable is replaced by its Skolem constant or Skolem function of the enclosing universal quantified variable

For instance, $\exists x R(x, y)$ becomes $R(y, f(x))$ where $f(x)$ is new Skolem constant

5. Drop universal quantifiers

$\forall x P(x) \rightarrow P(x)$

6. Distribute \wedge over \vee .

$$(\alpha \wedge \beta) \vee r \equiv (\alpha \vee r) \wedge (\beta \vee r)$$

Algorithm for resolution

Basic steps for proving a conclusion S given premises

P_1, P_2, \dots, P_n

(all expressed in FOL);

1. Convert all sentences to CNF
2. Negate conclusion $\neg S$ and convert result to CNF
3. Add negated conclusion $\neg S$ to the premise clauses
4. Repeat until contradiction or no progress \rightarrow is made
 - a. Select 2 clauses (call them parent clauses)
 - b. Resolve them together, performing all required unification
 - c. If resultant is the empty clause, a contradiction has been found \therefore
 - d. If not, add resultant to the $\neg S$ premises

If we succeed in step 4, we have proved the conclusion.

Proof Exp 4:

KB CL-A

KB = John likes all kind of food
Apple and vegetable are food

Anything anyone eats and not killed is food

Harry eats everything that Anil eats

Anyone who is killed imply alive.

Prem

John likes peanut.

Representation.

$$\forall x : \text{food} \xrightarrow{(x)} \text{likes}(\text{John}, x)$$

$$\text{food}(\text{apple}) \wedge \text{food}(\text{vegetable})$$

$$\forall x \forall y : \text{eats}(x, y) \wedge \text{killed}(x) \rightarrow \text{dead}(y)$$

$$\forall x : \text{eats}(\text{Anil}, x) \rightarrow \text{eats}(\text{Harry}, x)$$

$$\forall x : \text{killed}(x) \rightarrow \text{alive}(x)$$

$$\text{Likes}(\text{John}, \text{peanut})$$

Element duplication

(Q)

 $\phi \rightarrow P$ with $\neg A \vee P$

$$\begin{aligned} \forall z \neg \text{food}(z) \vee (\text{lib}(John, z) \\ \text{food(Apple)} \wedge \text{food(Vegetable)} \\ \text{eat(Anil, peanut)} \wedge \text{alive(Anil)} \\ \forall z \neg (\neg \text{killed}(z)) \vee \text{alive}(z) \\ \forall z \neg \text{alive}(z) \vee \neg \text{killed}(z) \\ \text{lib}(John, Peanut) \end{aligned}$$

More negation inverts and rewrites

$$\begin{aligned} \forall z \neg \text{food}(z) \vee \text{lib}(John, z) \\ \forall z \forall y \neg \text{eat}(z, y) \vee \text{killed}(z) \vee \text{food}(y) \\ \text{eat(Anil, peanut)} \wedge \text{alive(Anil)} \\ \forall z \neg \text{eat}(Anil) \vee \text{eat}(Hony, z) \\ \forall z \neg \text{killed}(z) \vee \text{alive}(z) \\ \forall z \neg \text{alive}(z) \vee \neg \text{killed}(z) \\ \text{lib}(John, Peanut) \end{aligned}$$

Renaming variables

$$\begin{aligned} \forall z \neg \text{food}(z) \vee \text{lib}(John, z) \\ \text{food(Apple)} \wedge \text{food(Veg)} \\ \forall z \forall y \neg \text{eat}(y, z) \vee \text{killed}(y) \vee \text{food}(z) \\ \forall w \neg \text{eat}(Anil, w) \vee \text{eat}(Hony, w) \\ \forall k \neg \text{alive}(k) \vee \neg \text{killed}(k) \\ \text{lib}(John, peanut) \end{aligned}$$

Drop universe

$\text{food}(x) \vee \text{like}(\text{John}, x)$

$\text{food}(\text{Apple})$

$\text{food}(\text{reg})$

$\neg \text{Killed}(y, z) \vee \text{Killed}(y) \vee \text{Food}(z)$

$\text{Cat}(\text{Anil}, \text{peanut})$

$\neg \text{alive}(\text{Anil})$

$\text{Killed}(g) \vee \text{alive}(g)$

$\neg \text{like}(\text{John}, \text{Peanut})$

Graph

$\neg \text{like}(\text{John}, \text{peanut})$

$\neg \text{food}(x) \vee \text{like}(\text{John}, x)$

{Peanut(x)}

$\neg \text{food}(\text{Peanut})$

$\neg \text{cat}(y, z) \vee \text{Killed}(y) \vee \text{Food}(z)$

{Peanut(z)}

$\neg \text{Cat}(y, \text{Peanut}) \vee \text{Killed}(y)$

$\text{Cat}(\text{Anil}, \text{peanut})$

{Anil, y}

$\text{Killed}(\text{Anil})$

$\neg \text{alive}(k) \vee \neg \text{Killed}(k)$

{Anil / k}

$\neg \text{alive}(\text{Anil})$

$\text{alive}(\text{Anil})$

(3 hour proved)

Code:

```
print("Sanath S Shetty")
print("1BM23CS297")

# a.  $\neg \text{food}(x) \vee \text{likes}(\text{John}, x)$ 
clause_a = {"NOT food(x)", "likes(John, x)"}

# d.  $\neg \text{eats}(y, z) \vee \text{killed}(y) \vee \text{food}(z)$ 
clause_d = {"NOT eats(y, z)", "killed(y)", "food(z)"}

# e.  $\text{eats}(\text{Anil}, \text{Peanuts})$ 
clause_e = {"eats(Anil, Peanuts)"}

# f.  $\text{alive}(\text{Anil})$ 
clause_f = {"alive(Anil)"}

# g.  $\neg \text{eats}(\text{Anil}, w) \vee \text{eats}(\text{Harry}, w)$ 
clause_g = {"NOT eats(Anil, w)", "eats(Harry, w)"}

# h.  $\text{killed}(g) \vee \text{alive}(g)$ 
clause_h = {"killed(g)", "alive(g)"}

# i.  $\neg \text{alive}(k) \vee \neg \text{killed}(k)$ 
clause_i = {"NOT alive(k)", "NOT killed(k)"}

negated_goal = {"NOT likes(John, Peanuts)"}

def resolve(clause1, literal1, clause2, literal2):
    new_clause = clause1.union(clause2)
```

```

# Remove the two complementary literals
new_clause.remove(literal1)
new_clause.remove(literal2)
return new_clause

print("Starting Resolution Proof...\n")
print(f"Goal: Prove 'likes(John, Peanuts)'")
print(f"Negated Goal: {negated_goal}\n")
# {NOT likes(John, Peanuts)} (Negated Goal)
# {NOT food(x), likes(John, x)} (Clause a)
# Unification: {x / Peanuts}
# Result: {NOT food(Peanuts)}
print("Step 1: Resolving Negated Goal with Clause a")
print(f" {negated_goal}")
print(f" {clause_a} [Unify x=Peanuts]")
resolvent_1 = resolve(negated_goal, "NOT likes(John, Peanuts)",
                      clause_a, "likes(John, x)")

# Manually apply unification
resolvent_1.remove("NOT food(x)")
resolvent_1.add("NOT food(Peanuts)")
print(f" Result 1: {resolvent_1}\n")

# {NOT food(Peanuts)} (Result 1)
# {NOT eats(y, z), killed(y), food(z)} (Clause d)

```

```

# Unification: {z / Peanuts}

# Result: {NOT eats(y, Peanuts), killed(y)}

print("Step 2: Resolving Result 1 with Clause d")

print(f" {resolvent_1}")

print(f" {clause_d} [Unify z=Peanuts]")

resolvent_2 = resolve(resolvent_1, "NOT food(Peanuts)",

                     clause_d, "food(z)")

# Manually apply unification

resolvent_2.remove("NOT eats(y, z)")

resolvent_2.remove("killed(y)")

resolvent_2.add("NOT eats(y, Peanuts)")

resolvent_2.add("killed(y)")

print(f" Result 2: {resolvent_2}\n")

# {NOT eats(y, Peanuts), killed(y)} (Result 2)

# {eats(Anil, Peanuts)} (Clause e)

# Unification: {y / Anil}

# Result: {killed(Anil)}

print("Step 3: Resolving Result 2 with Clause e")

print(f" {resolvent_2}")

print(f" {clause_e} [Unify y=Anil]")

resolvent_3 = resolve(resolvent_2, "NOT eats(y, Peanuts)",

                     clause_e, "eats(Anil, Peanuts)")

# Manually apply unification

resolvent_3.remove("killed(y)")

```

```

resolvent_3.add("killed(Anil)")

print(f" Result 3: {resolvent_3}\n")

# {killed(Anil)} (Result 3)
# {NOT alive(k), NOT killed(k)} (Clause i)
# Unification: {k / Anil}
# Result: {NOT alive(Anil)}

print("Step 4: Resolving Result 3 with Clause i")

print(f" {resolvent_3}")

print(f" {clause_i} [Unify k=Anil]")

resolvent_4 = resolve(resolvent_3, "killed(Anil)",
                      clause_i, "NOT killed(k)")

# Manually apply unification

resolvent_4.remove("NOT alive(k)")

resolvent_4.add("NOT alive(Anil)")

print(f" Result 4: {resolvent_4}\n")

# --- Proof Step 5 ---

# Resolving:

# {NOT alive(Anil)} (Result 4)
# {alive(Anil)} (Clause f)
# Unification: {}

# Result: {} (Empty Clause)

print("Step 5: Resolving Result 4 with Clause f")

```

```
print(f" {resolvent_4}"')
print(f" {clause_f}"')
resolvent_5 = resolve(resolvent_4, "NOT alive(Anil)",
                      clause_f, "alive(Anil)")

print(f" Result 5: {resolvent_5}\n")\n\n

print("-----")
print("Conclusion: An empty clause {} was derived.")
print("This is a contradiction, which means the negated goal is false.")
print("Therefore, the original goal 'likes(John, Peanuts)' is TRUE.")
print("Hence proved. ")

else:
    print("Proof failed. Could not derive the empty clause.")
```

Output:

```
→ Sanath S Shetty
1BM23CS297
Starting Resolution Proof...

Goal: Prove 'likes(John, Peanuts)'
Negated Goal: {'NOT likes(John, Peanuts)'}

Step 1: Resolving Negated Goal with Clause a
{'NOT likes(John, Peanuts)'}
{'likes(John, x)', 'NOT food(x)'} [Unify x=Peanuts]
Result 1: {'NOT food(Peanuts)'}

Step 2: Resolving Result 1 with Clause d
{'NOT food(Peanuts)'}
{'killed(y)', 'NOT eats(y, z)', 'food(z)'} [Unify z=Peanuts]
Result 2: {'killed(y)', 'NOT eats(y, Peanuts)'}

Step 3: Resolving Result 2 with Clause e
{'killed(y)', 'NOT eats(y, Peanuts)'}
{'eats(Anil, Peanuts)'} [Unify y=Anil]
Result 3: {'killed(Anil)'}

Step 4: Resolving Result 3 with Clause i
{'killed(Anil)'}
{'NOT alive(k)', 'NOT killed(k)'} [Unify k=Anil]
Result 4: {'NOT alive(Anil)'}

Step 5: Resolving Result 4 with Clause f
{'NOT alive(Anil)'}
{'alive(Anil)'}
Result 5: set()

-----
Conclusion: An empty clause {} was derived.
This is a contradiction, which means the negated goal is false.
Therefore, the original goal 'likes(John, Peanuts)' is TRUE.
Hence proved.
```

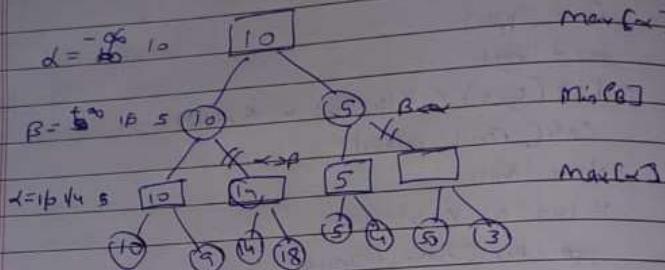
Program 10

Implement Alpha-Beta Pruning.

Observation:

Week 10

α - β -Pruning



Algorithm

function \rightarrow A-B-S (state) returns an action.

$v \leftarrow \text{max-value}(\text{state}, -\infty, +\infty)$

return the action in Action(state) with value v .

function max-value(state, $-\infty, \beta$) return a utility value

if terminal-test(state) then return Utility(state)

$v \leftarrow -\infty$

for each $a \in$ Action(state) do

$v \leftarrow \max(v, \text{min-value}(\text{Result}(s, a), \alpha, \beta))$

if $v \geq \beta$ then return v

$\alpha \leftarrow \text{MAX}(\alpha, v)$

return v

function min-value(state, α, ∞) return a utility value

if terminal-test(state) then return Utility(state)

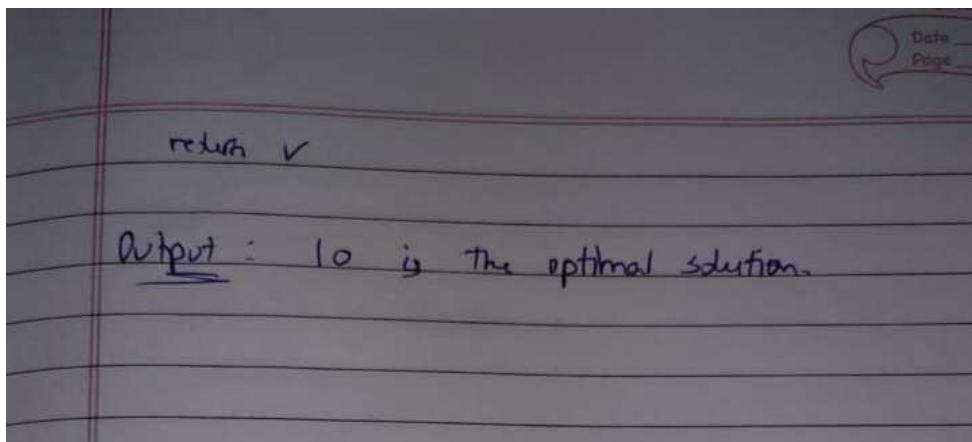
$v \leftarrow +\infty$

for each $a \in$ Action(state) do

$v \leftarrow \min(v, \text{max-value}(\text{Result}(s, a), \alpha, \beta))$

if $v \leq \beta$ then return v

$\beta \leftarrow \min(\beta, v)$



Code:

```
import math
```

```
print("Sanath S Shetty")
```

```
print("1BM23CS297")
```

```
tree = []
```

```
pruned_nodes_list = []
```

```
def get_node_by_path(path_indices):
```

```
    node = tree
```

```
    try:
```

```
        for index in path_indices:
```

```
            node = node[index]
```

```
        if isinstance(node, int):
```

```
            return f"Leaf node ({node})"
```

```

else:
    if all(isinstance(n, int) for n in node):
        return f"Branch node (children: {node})"
    else:
        return f"Branch node (children: {len(node)})"

except (IndexError, TypeError):
    return "Path Error"

def max_value(node, alpha, beta, path_indices=[]):
    if isinstance(node, int):
        return node, []
    v = -math.inf
    best_path = []
    for i, child in enumerate(node):
        child_v, child_path = min_value(child, alpha, beta, path_indices + [i])
        if child_v > v:
            v = child_v
            best_path = [i] + child_path
    if v >= beta:
        for j in range(i + 1, len(node)):
            pruned_path = path_indices + [j]
            pruned_nodes_list.append(f"Path {pruned_path} (Node: {get_node_by_path(pruned_path)})")
        print(f"PRUNING (MAX): At path {path_indices}, v={v} >= beta={beta}. Pruning remaining children.")

```

```

        return v, best_path

    alpha = max(alpha, v)

    return v, best_path


def min_value(node, alpha, beta, path_indices=[]):
    if isinstance(node, int):

        return node, []

    v = math.inf

    best_path = []

    for i, child in enumerate(node):

        child_v, child_path = max_value(child, alpha, beta, path_indices + [i])

        if child_v < v:

            v = child_v

            best_path = [i] + child_path

        if v <= alpha:

            for j in range(i + 1, len(node)):

                pruned_path = path_indices + [j]

                pruned_nodes_list.append(f"Path {pruned_path} (Node: {get_node_by_path(pruned_path)})")

                print(f"PRUNING (MIN): At path {path_indices}, v={v} <= alpha={alpha}. Pruning remaining children.")

            return v, best_path

    beta = min(beta, v)

    return v, best_path

```

```

if __name__ == "__main__":
    tree = [
        [
            [10, 9],
            [14, 18]
        ],
        [
            [5, 4],
            [50, 3]
        ]
    ]

    print("Starting Alpha-Beta Search...")
    root_value, optimal_path_indices = max_value(tree, -math.inf, math.inf,
                                                path_indices=[])
    print("\n--- Search Complete ---")
    print(f"\n## Value of the Root Node")
    print(f"The final optimal value for the root node is: {root_value}")
    print(f"\n## Optimal Path")
    print("The path to achieve this value is:")
    path_str = "Root"
    current_node = tree
    print(f" {path_str} (Value: {root_value})")
    for index in optimal_path_indices:

```

```
current_node = current_node[index]
if isinstance(current_node, int):
    path_str += f" -> [Leaf {current_node}]"
else:
    path_str += f" -> [Node at index {index}]"
print(f"  {path_str}")
print(f"\n## Pruned Paths")
if pruned_nodes_list:
    print("The following paths were pruned (not explored):")
    for p in pruned_nodes_list:
        print(f"- {p}")
else:
    print("No paths were pruned.")
```

Output:

```
→ Sanath S Shetty
1BM23CS297
Starting Alpha-Beta Search...
PRUNING (MAX): At path [0, 1], v=14 >= beta=10. Pruning remaining children.
PRUNING (MIN): At path [1], v=5 <= alpha=10. Pruning remaining children.

--- Search Complete ---

## Value of the Root Node
The final optimal value for the root node is: 10

## Optimal Path
The path to achieve this value is:
Root (Value: 10)
Root -> [Node at index 0]
Root -> [Node at index 0] -> [Node at index 0]
Root -> [Node at index 0] -> [Node at index 0] -> [Leaf 10]

## Pruned Paths
The following paths were pruned (not explored):
- Path [0, 1, 1] (Node: Leaf node (18))
- Path [1, 1] (Node: Branch node (children: [50, 3]))
```
