```
In[1]:= Needs ["GRQUICK"]
```

The convention for this program follow Sean M. Carroll's (Spacetime and Geometry) and the indices run from 0 to D-1.

While working do not use the variables GARRAY, RARRAY, RSARRAY, CHARRAY, SPEEDOFLIGHT.

Type ?helpGRQUICK for a list of functions or ?Function for a function description.

More functions and improvements coming soon!!'

### Global Metric Equation 2.36

$$\label{eq:local_local} $$ \inf[Diagonal Matrix[\{-1,1^2 Cosh[t/1]^2, 1^2 Cosh[t/1]^2 Sin[x]^2 Sin[x]^2 Sin[y]^2]], $\{t,x,y,z\}]$$ Metric Success$$

In[3]:= MatrixForm[GMET]

Out[3]//MatrixForm=

$$\begin{pmatrix} -1 & 0 & 0 & 0 & 0 \\ 0 & 1^2 \cosh\left[\frac{t}{1}\right]^2 & 0 & 0 & 0 \\ 0 & 0 & 1^2 \cosh\left[\frac{t}{1}\right]^2 \sin[x]^2 & 0 & 0 \\ 0 & 0 & 0 & 1^2 \cosh\left[\frac{t}{1}\right]^2 \sin[x]^2 \sin[y]^2 \end{pmatrix}$$

$$ln[4]:=$$
 Einstein[0, 0] + 3/1^2 \* Metric[0, 0]

Out[4]= **0** 

$$ln[5]:=$$
 Einstein[1, 1] + 3/1^2 \* Metric[1, 1]

Out[5]= **0** 

$$ln[6]:=$$
 Einstein[2, 2] + 3/1^2 \* Metric[2, 2]

Out[6]= **0** 

$$ln[7] = Einstein[3, 3] + 3/1^2 * Metric[3, 3]$$

Out[7]= **0** 

Conformal Metric Equation 2.39

#### In[9]:= MatrixForm[GMET]

Out[9]//MatrixForm=

$$\begin{pmatrix} -1^2 \operatorname{Sec}[t]^2 & 0 & 0 & 0 \\ 0 & 1^2 \operatorname{Sec}[t]^2 & 0 & 0 \\ 0 & 0 & 1^2 \operatorname{Sec}[t]^2 \operatorname{Sin}[x]^2 & 0 \\ 0 & 0 & 0 & 1^2 \operatorname{Sec}[t]^2 \operatorname{Sin}[x]^2 \operatorname{Sin}[y]^2 \end{pmatrix}$$

$$ln[10] = Einstein[0, 0] + 3/1^2 * Metric[0, 0]$$

Out[10]= **0** 

$$ln[11]$$
:= Einstein[1, 1] + 3/1^2 \* Metric[1, 1]

Out[11]= **0** 

$$ln[12]:=$$
 Einstein[2, 2] + 3/1^2 \* Metric[2, 2]

Out[12]= **0** 

$$ln[13]$$
:= Einstein[3, 3] + 3/1^2 \* Metric[3, 3]

Out[13]= **0** 

## Static Metric Equation 2.40

$$\label{eq:diagonalMatrix} \text{DiagonalMatrix} \left[ \left\{ -\left(1-r^2/1^2\right), \, \left(1-r^2/1^2\right)^{-1}, \, r^2, \, r^2 \, \text{Sin}[x]^2 \right\} \right], \, \{\text{t, r, x, y}\} \, \right]$$

Metric Success

### In[15]:= MatrixForm[GMET]

Out[15]//MatrixForm=

$$\begin{pmatrix} -1 + \frac{r^2}{1^2} & 0 & 0 & 0 \\ 0 & \frac{1}{1 - \frac{r^2}{1^2}} & 0 & 0 \\ 0 & 0 & r^2 & 0 \\ 0 & 0 & 0 & r^2 \sin[x]^2 \end{pmatrix}$$

ln[16]:= Einstein[0, 0] + 3/1^2 \* Metric[0, 0]

Out[16]= 
$$\frac{3\left(1^2-r^2\right)}{1^4} + \frac{3\left(-1+\frac{r^2}{1^2}\right)}{1^2}$$

In[17]:= Simplify 
$$\left[\frac{3\left(1^2-r^2\right)}{1^4}+\frac{3\left(-1+\frac{r^2}{1^2}\right)}{1^2}\right]$$

Out[17]= **0** 

$$ln[18] = Einstein[1, 1] + 3/1^2 * Metric[1, 1]$$

Out[18]= 
$$-\frac{3}{1^2-r^2}+\frac{3}{1^2\left(1-\frac{r^2}{1^2}\right)}$$

In[19]:= Simplify 
$$\left[ -\frac{3}{1^2 - r^2} + \frac{3}{1^2 \left(1 - \frac{r^2}{1^2}\right)} \right]$$

Out[19]= **0** 

$$ln[20]$$
:= Einstein[2, 2] + 3/1^2 \* Metric[2, 2]

Out[20]= **0** 

$$ln[21]$$
:= Einstein[3, 3] + 3/1^2 \* Metric[3, 3]

Out[21]= **0** 

# Planar Metric Equation 2.44

$$ln[22] = Metin[DiagonalMatrix[1^2/t^2 \{-1, 1, 1, 1\}], \{t, x, y, z\}]$$

Metric Success

## In[23]:= MatrixForm[GMET]

Out[23]//MatrixForm=

$$\begin{pmatrix} -\frac{1^2}{t^2} & 0 & 0 & 0 \\ 0 & \frac{1^2}{t^2} & 0 & 0 \\ 0 & 0 & \frac{1^2}{t^2} & 0 \\ 0 & 0 & 0 & \frac{1^2}{t^2} \end{pmatrix}$$

$$ln[24] = Einstein[0, 0] + 3/1^2 * Metric[0, 0]$$

Out[24]= **0** 

$$ln[25]$$
:= Einstein[1, 1] + 3/1^2 \* Metric[1, 1]

Out[25]= **0** 

$$ln[26]:=$$
 Einstein[2, 2] + 3/1^2 \* Metric[2, 2]

$$ln[27] = Einstein[3, 3] + 3/1^2 * Metric[3, 3]$$

Out[27]= **0**