



# **University of Westminster**

**Module:5ELEN018W - Robotic Principles** 

**Level 5 (Computer Science)** 

**Assignment: Individual Report** 

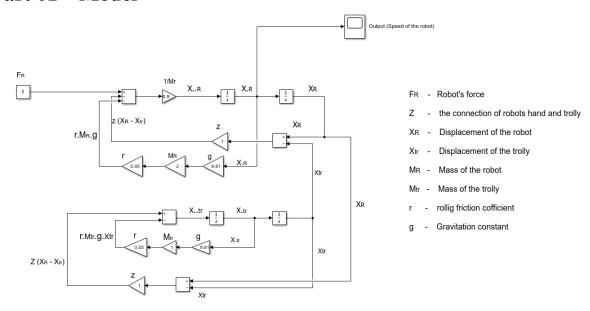
Name – K.G.N.S.Dhatmapriya

**IIT ID** – 20221623

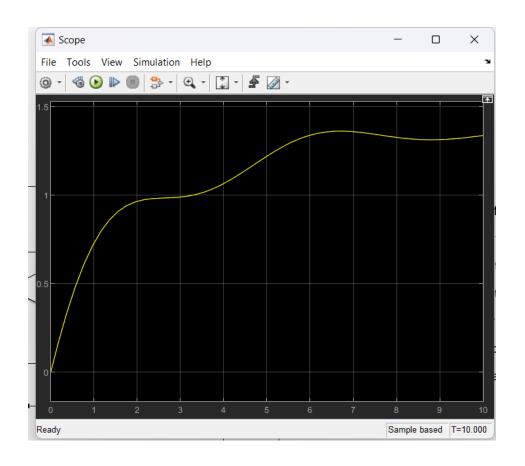
**UoW ID** – w2001507

## **Table of Contents**

# Part 01 – Model



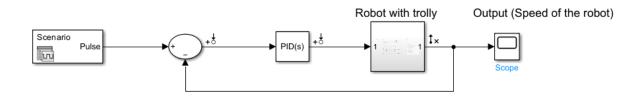
## Scope (Speed of robot)



Using the given equations and values, I assembled the system. Upon implementing the parameters, a graph was produced. From the parameters, we derived X..R, indicating the robot's speed.

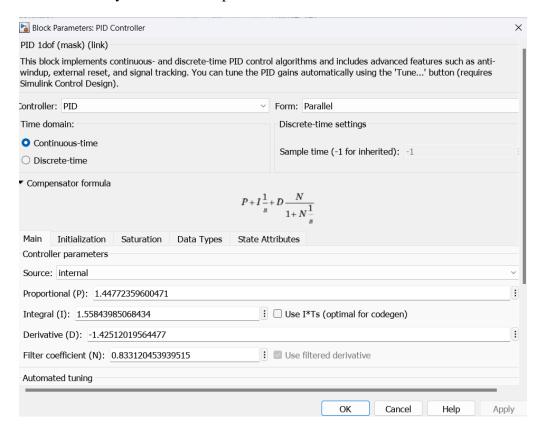
# Part 02 – Controller part

#### **Closed loop system with PID**



#### **PID**

In this scenario, we will input the intended output, which signifies the robot's speed, and compare it with the present output of the subsystem. When the difference between the desired and current outputs is zero, the system operates flawlessly, showcasing the optimal performance of the robot model controller. To attain this, precise values must be assigned to the PID parameters and the filter coefficient. When the parameters are set, and the scope is executed, it is beneficial for the current output to match the desired output. The specific values manually chosen for the parameters are listed as follows:



#### **Proportional (P)**

The proportional component magnifies the existing error to compute the control output. A greater P value implies a more assertive response of the system to the error. A value of 1.44772359600471 indicates a substantial focus on the present error, signaling a preference for a robust and prompt reaction to deviations from the desired output.

#### Integral (I)

The integral component integrates the error across time, aiming to diminish any remaining steady-state error by consistently adapting the control signal. A value of 1.55843985068434 reflects a well-balanced strategy, permitting the system to slowly rectify persistent differences between the desired and actual outputs without excessively forceful corrections.

#### **Derivative (D)**

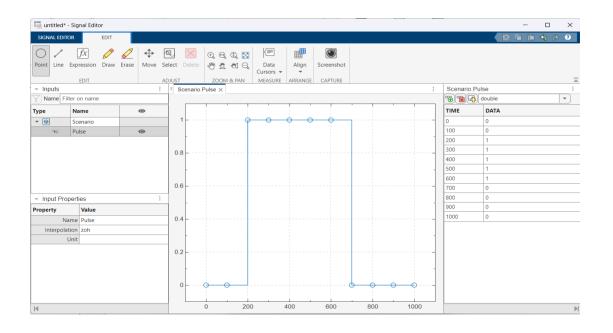
The derivative element takes into account the error's rate of change, enabling it to predict system behavior and dampen oscillations. A value of -1.42512019564477 indicates a deliberate choice to exclude the consideration of the current rate of change, possibly signifying confidence in the system's stability or a preference for a more straightforward control strategy.

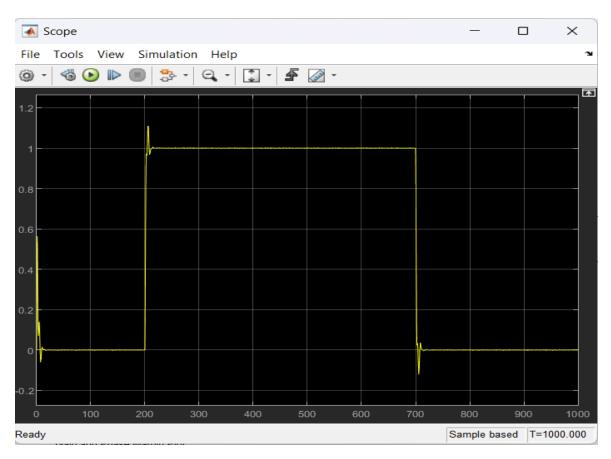
#### Filter Coefficient (N)

The filter coefficient dictates the impact of the filter on the control signal. Filters are capable of mitigating noise or sudden shifts in the system's behavior. A value of 0.833120453939515 indicates a moderate smoothing effect, serving to ensure that the control signal remains relatively stable and doesn't overly react to minor, transient fluctuations in the system.

# Comparison of the reference signal given (desired output) and the actual response of the system

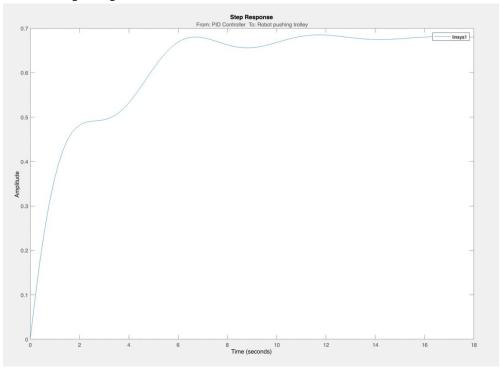
The reference signal serves as the target speed for the robot, guiding the controller in its efforts to steer the system toward this specified speed. After that the actual system response for the robot's speed





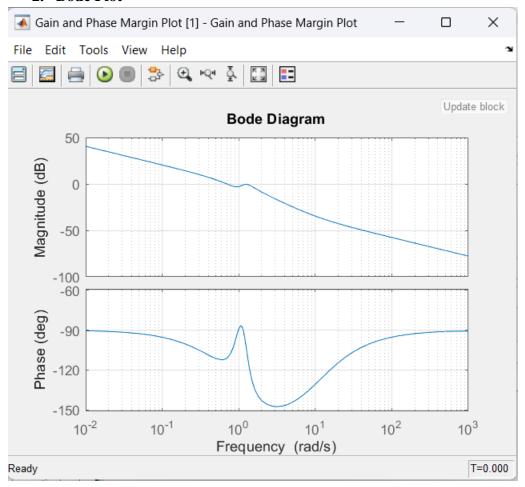
# **Response Diagrams**

## 1. Step Response



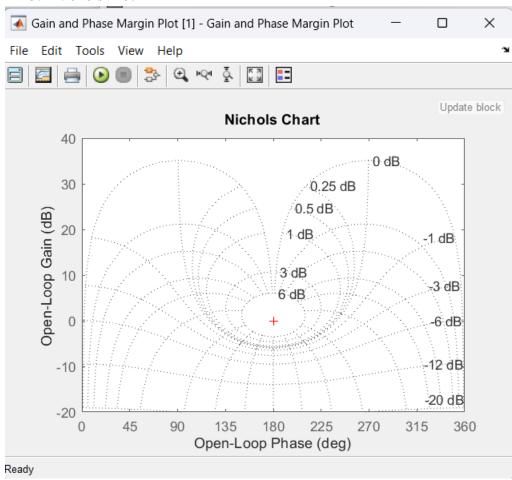
This diagram illustrates the system's reaction when exposed to a step input, aiding in comprehending the speed and precision with which the system attains its steady-state following an abrupt alteration in the reference input.

#### 2. Bode Plot



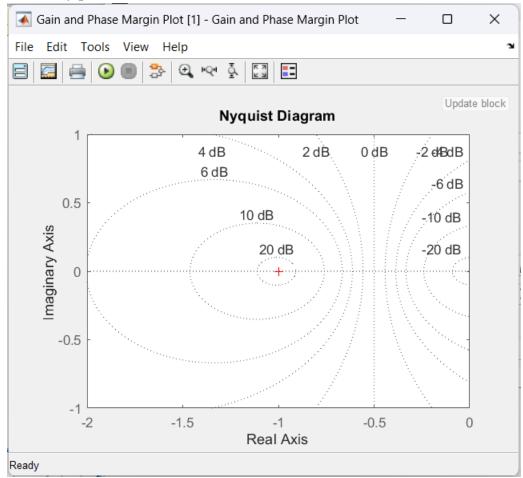
The Bode plot illustrates the frequency response of the system, presenting both magnitude and phase in relation to frequency. This visualization offers valuable insights into system stability, resonance frequencies, and phase margin, all of which play a pivotal role in guaranteeing the robustness of the system.

#### 3. Nichols Plot



A Nickols plot, attributed to engineer John E. Nickols, is a graphical tool primarily employed for the analysis and tuning of PID (Proportional-Integral-Derivative) controllers. This plot offers a visual representation of the ultimate gain and phase margins within a closed-loop control system, aiding in the assessment and optimization of controller performance.

#### 4. Nyquist Plot



The Nyquist diagram serves as an additional tool for analyzing the frequency response of a system. It graphs the imaginary part against the real part of the system's transfer function as the frequency changes. This visualization is particularly valuable for gaining insights into system stability and assessing gain/phase margins.

# The stability of closed loop

