ARDEN UNIVERSITY

MASTERS IN DATA SCIENCE

PROGRAMMING FOR DATA SCIENCE

Exploratory Data Analysis (EDA) for Fluffy Toys Ltd. Stock Market Dataset

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November 20, 2024

Word Count: 3020 Headers: 31

Task 1.1 Data Analytics in Python

The current EDA report tries to conform to the assigned task of a junior finance analyst and is dedicated to the analysis of the stock market data for the company of Fluffy Toys Ltd. over twelve years. The main emphasis will be laid on the opening and closing stock prices, insights into high-low price correlation included. The analysis forms the foundation toward understanding basic trends in stock prices and it will support possible forecasting models on their future movements.

The initial step is to import the required libraries for EDA(Exploratory data analysis), such as NumPy, Pandas, and Matplotlib. The data is loaded correctly in Jupyter Lab, ensuring variables are accurately named and data types are correct. The dataset is loaded as a DataFrame, df, and inspected using df.info() and df.describe() methods to check for missing values and data types.

- The dataset contains 3,019 rows and 7 columns, with columns representing Date, Open, High, Low, Close prices, Volume, and Name.
- Missing values were identified in the "Open", "High", "Low", and "Close" columns, those values have been removed from the dataset, because they were not making any significant difference on the integrity of overall data distribution.
- The "Date" column was initially of type object, and we converted it to datetime for accurate time series analysis.

Importing Libraries for Initial Inspection and Loading the Data

```
importing libraries
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
import seaborn as sns

#loading dataset
df = pd.read_csv(r"C:\Users\sande\Desktop\Fluffy_Toys_LTD_Data_Set_4048.csv")

#displaying first few rows and last rows to see the data
df.head()
df.tail()
```

Sample Data from Dataset

Here are the first few rows of the dataset:

```
Date
           Open
                  High
                         Low
                                Close
                                        Volume
                                                  Name
01/03/2006
           39.69 41.22
                         38.79
                                40.91
                                        24232729
                                                  Fluffy
01/04/2006 41.22 41.90
                         40.77
                                40.97
                                        20553479
                                                  Fluffy
01/05/2006 40.93 41.73
                         40.85
                                41.53
                                        12829610
                                                  Fluffy
01/06/2006 42.88 43.57
                         42.80
                                43.21
                                        29422828
                                                  Fluffy
01/09/2006 43.10 43.66 42.82 43.42
                                       16268338
                                                  Fluffy
```

And here are the last few rows of the dataset:

Date	Open	High	Low	Close	Volume	Name
12/22/2017	71.42	71.87	71.22	71.58	10979165	Fluffy
12/26/2017	70.94	71.39	69.63	69.86	8542802	Fluffy
12/27/2017	69.77	70.49	69.69	70.06	6345124	Fluffy
12/28/2017	70.12	70.32	69.51	69.82	7556877	Fluffy
12/29/2017	69.79	70.13	69.43	69.85	6613070	Fluffy

Checking Missing Values and Dataset Shape

To understand the structure and quality of the data, we check for missing values and dataset dimensions.

```
# Check for missing values and data types
df.isnull().sum()
          0
Date
          6
Open
High
          3
Low
Close
          5
Volume
Name
dtype: int64
# Checking the shape of dataset
df.shape
(3019, 7)
# Total missing value count in the table
df.isnull().sum().sum()
```

Dropping NaN Values and Dataset Description

After removing rows with missing values, and to ensure the dates are correctly formatted, we convert the "Date" column to the datetime format $(\mbox{\sc m}/\mbox{\sc d}/\mbox{\sc Y})$ for better analysis.

```
# Dropping NaN values from the dataset
df = df.dropna()
# Converting 'Date' column to datetime format
df['Date'] = pd.to_datetime(df['Date'], format='%m/%d/%Y')
# Describing the dataset
df.describe()
```

	Date	C)pen	High	Low	Close	Volu	ıme
count	3001	3001.0	000000 3001	.000000	3001.000000	3001.000000	3.001000e+0	03
mean	2012-01-03	11:45:50.683	28.415928	28.75	55571 28.	055775 28.4	402009 2.1	157963e+07
min	2006-01-03	00:00:00	9.100000	9.480	0000 8.9	40000 8.9	50000 1.9	939061e+06
25%	2009-01-05	00:00:00	16.170000	16.38	80000 15.	970000 16.3	130000 1.2	247918e+07
50%	2012-01-05	00:00:00	27.190000	27.50	00000 26.	840000 27.	120000 1.7	731192e+07
75%	2015-01-02	00:00:00	36.660000	37.05	50000 36.	310000 36.6	640000 2.5	509909e+07
max	2017-12-29	00:00:00	73.020000	73.25	50000 72.	460000 72.9	930000 4.3	382317e+08
std	NaN	13.228585	13.328533	13.12	28591 13.	229601 1.93	29556e+07	

Plotting the Correlation Heatmap

The code represents the visual relationship between numeric dataset using the heatmap. To perform the visualisation only integer and float values have been selected, because the calculation can only be represented by the numeric values.

```
# Selecting only numeric columns for correlation
numeric_df = df.select_dtypes(include=['float64', 'int64'])

# Ploting the correlation heatmap
plt.figure(figsize=(10, 8))
sns.heatmap(numeric_df.corr(), annot=True, cmap='coolwarm', linewidths=0.5)
plt.title("Feature Correlation Heatmap")
plt.show()
```

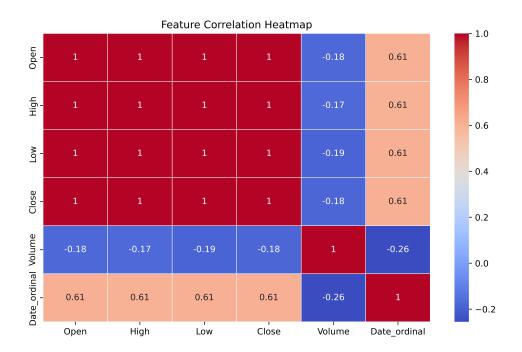


Figure 1: Correlation heatmap

The deep red color represents a positive relation, showing the stronger positive relationship. On the contrary, the blue color shows the stronger negative relationship. Besides, +1 is the perfect positive correlation, whereas -1 is the perfect negative one; 0 means no correlation. The diagonal of the heat map shows the value 1 because all the features perfectly correlate with each other.

The Open, High, Low, and Close prices are perfectly correlated, which reflects their very similar movement patterns. Volume shows a weak negative correlation with price, implying it has little impact on price changes. Meanwhile, the moderate positive correlation of the Date with price may hint at a gradual upward trend over time.

Monthly close price

The following code creates a new column, YearMonth, which extracts the year and month from the 'Date' column for a monthly-level analysis. Then, it calculates the average closing price of each month by grouping the data by YearMonth and computing the mean of the 'Close' column. The output, monthly_close_price, is then plotted to show trends in the monthly average close prices over time.

```
# Extracting month and year for monthly close price analysis
df['YearMonth'] = df['Date'].dt.to_period('M')
monthly_close_price = df.groupby('YearMonth')['Close'].mean()

# Plotting Monthly Close Price
plt.figure(figsize=(14, 7))
monthly_close_price.plot()
plt.title("Monthly Average Close Price Trends")
plt.xlabel("Year-Month")
plt.ylabel("Average Close Price")
plt.grid(True)
plt.show()
```

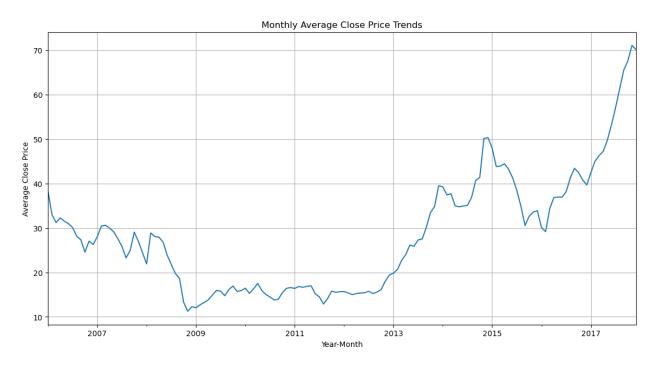


Figure 2: Monthly Close Price

The x-axis is for months and years since each month and year variation in the price of the stock is reflected month over month. The y-axis gives the average for the closing price each month. The trend line would be used to graphically illustrate the behavior of average monthly closing price over time: the upward trajectory shows an increase in the price of the stock, while the downward trajectory shows a decrease. The line graph makes it easier to view overall trends, seasonality, or high periods of volatility; hence, it is useful to understand whether the stock has been showing stable growth over time or has been fluctuating in the long run.

Correlation and Scatter Plot for Volume and Close Price

This code shows the relationship between trading volume and closing price of a stock. It calculates their correlation and visualise this using a scatter plot. If there is a positive correlation value, it reflects an increase in trading volume goes with an increase in the closing price. A negative correlation would show that higher trading volumes are linked with lower closing prices. A correlation that is close to zero suggests a small or weak linear relationship between volume and price.

```
# Calculate correlation between Volume and Close Price
volume_price_corr = df['Volume'].corr(df['Close'])
print("Correlation between Volume and Close Price:", volume_price_corr)

# Scatter Plot for Volume and Close Price
plt.figure(figsize=(10, 6))
plt.scatter(df['Volume'], df['Close'], alpha=0.5, color='orange')
plt.title("Scatter Plot: Volume vs. Close Price")
plt.xlabel("Volume")
plt.ylabel("Close Price")
plt.show()
```

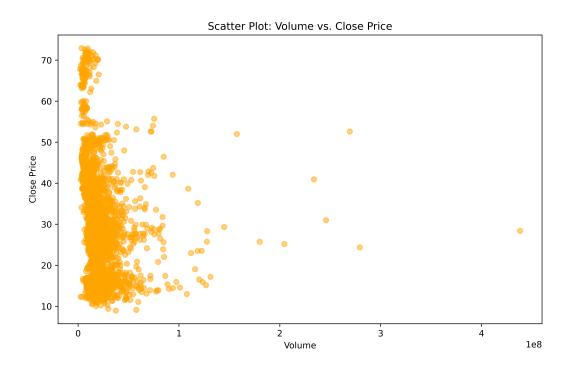


Figure 3: Correlation between Volume and Close Price

In the scatter plot, the x-axis represents the trading volume, and the y-axis shows the stock's closing price for each day. The way the points are distributed indicates their relationship: if the points form a clear upward or downward line, it does indicate a strong correlation, whereas a more scattered pattern shows a weaker correlation. This plot helps us see if higher trading volumes generally align with higher or lower closing prices.

Correlation Matrix

This correlation matrix serves as a initial step to understand relationships in the data. This will indicate how the price movement of one stock correlates to another, if trading activity influences price trends.

```
# Calculating the correlation matrix
correlation_matrix = df[['Open', 'High', 'Low', 'Close', 'Volume']].corr()
correlation_matrix
```

	Open	High	Low	Close	Volume
Open	1.000000	0.999705	0.999576	0.999318	-0.175761
High	0.999705	1.000000	0.999516	0.999663	-0.169830
Low	0.999576	0.999516	1.000000	0.999715	-0.186253
Close	0.999318	0.999663	0.999715	1.000000	-0.179064
Volume	-0.175761	-0.169830	-0.186253	-0.179064	1.000000

Diagonal Values: All values on the diagonal are 1 because each variable is perfectly correlated with itself.

- Open vs. High (0.999705): The strong positive correlation suggests that when the opening price increases, the high price for the day tends to increase as well and vice versa.
- Open vs. Low (0.999576): Similarly, this strong positive correlation indicates that the opening and lowest prices of the day will be moving in the same direction.
- Open vs. Close (0.999318): The high correlation suggests that stocks often end the day near where they started.
- Volume vs. Prices (all values are negative): There is a weak negative correlation between trading volume and the price. This shows that when the trading volume is higher, the stock prices are lower but the relationship among them is stronger.

Trends in Opening and Closing Stock Prices (2006-2017)

The code below will show the opening and closing prices over a time period of 12 years. The graph below illustrates how the stock's opening and closing prices fluctuated over the period from 2006 to 2017.

```
import matplotlib.pyplot as plt
import seaborn as sns

# Set the style for the seaborn plots
sns.set(style="whitegrid")

# Plotting trends in opening and closing stock prices over time using seaborn
plt.figure(figsize=(14, 7))
sns.lineplot(x='Date', y='Open', data=df, label='Open Price', alpha=0.7)
sns.lineplot(x='Date', y='Close', data=df, label='Close Price', alpha=0.7)
plt.title('Trends in Opening and Closing Stock Prices (2006-2017)')
plt.xlabel('Date')
plt.ylabel('Stock Price')
plt.legend()
plt.show()
```

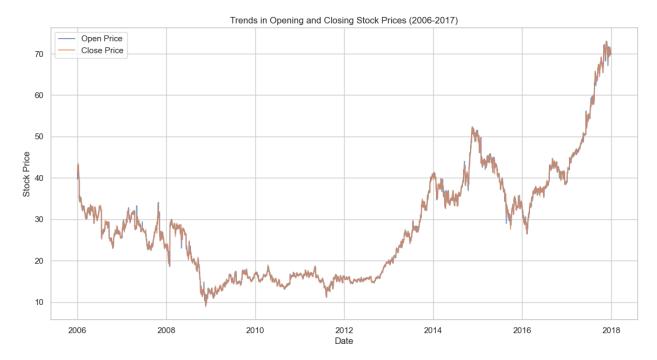


Figure 4: Trends in Opening and Closing Stock Prices (2006-2017)

The horizontal axis represents the timeline, while the vertical axis represents the stock price in dollars. There are two lines on the graph, "Open Price" and "Close Price," which show how stock prices change daily. If the "Close Price" line is consistently above the "Open Price" line, that might be a sign that the stock usually closes higher than it opens and shows a possible upward trend. The frequent crossing of lines with no recognisable proper pattern may represent a volatile stock with frequent price fluctuation. THis graphical representation gives a complete overview of price trends and helps in identifying intervals of growth, stability, or high volatility.

Calculating the correlation between 'High' and 'Low' prices

```
high_low_correlation = df['High'].corr(df['Low'])

# Scatter plot to show the relationship between high and low prices using seaborn
plt.figure(figsize=(10, 6))
sns.scatterplot(x='High', y='Low', data=df, alpha=0.5)
plt.title(f'Relationship Between High and Low Stock Prices (Correlation: {high_low_correlation:.2f})')
plt.xlabel('High Price')
plt.ylabel('Low Price')
plt.show()
```

high_low_correlation

Evaluating the relationship between a stock's high and low prices helps us understand its daily price range and how consistently it behaves over time. By calculating the correlation between these "High" and "Low" prices and visualizing the relationship with a scatter plot, we can observe whether these values tend to move together. If the correlation is strong, it indicates that the stock's highs and lows are closely aligned, suggesting a predictable daily trading range. This pattern provides insights into the stock's stability and level of volatility, making it easier to anticipate its behavior in the market.

Correlation is a valuable tool in financial analysis, as it reveals the relationship between two variables. Specifically, when the correlation coefficient between high and low prices approaches 1, it indicates a strong

co-movement between these variables: as one increases, the other follows. This consistent pattern of closely aligned peaks and troughs reflects a predictable price range, where the influence of buyers and sellers appears balanced. Such behavior may signal a stable stock, characterized by limited daily fluctuations. For investors who prefer less volatile assets, this stability could make the stock an appealing choice.

The scatter plot visually represents this correlation by plotting each day as a point, with the day's high price on the x-axis and the low price on the y-axis. This plot provides a clear snapshot of daily price dynamics:

- A tight cluster around a line close to the 45-degree diagonal (where x = y) suggests that the highs and lows are quite close to each other. This kind of close clustering shows low volatility, meaning the stock doesn't swing dramatically within each day.
- Points scattered further from this line would indicate more variability between high and low prices, showing more volatility or unpredictability.

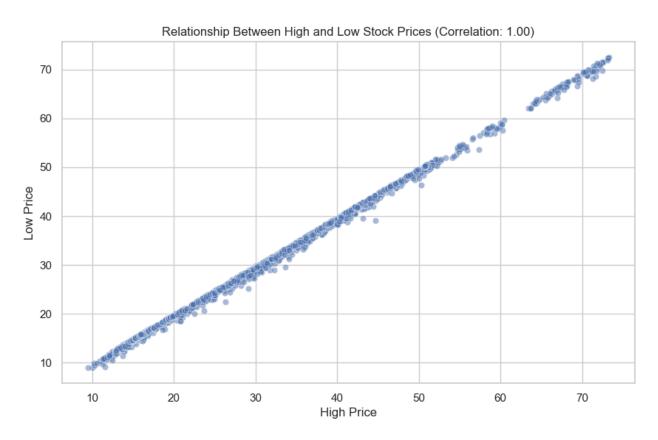


Figure 5: Correlation between 'High' and 'Low' prices

This scatter plot visualizes the degree of consistency between daily high and low stock prices over time. A strong linear trend (or clustering close to a line) confirms that high and low prices have a proportional, almost linear relationship, supporting the high positive correlation. This observation can signal a stock with a steady trading range, likely of interest to investors prioritizing lower volatility assets.

The calculated high-low correlation is high_low_correlation = 0.9995163180146382.

Linear Regression

First, we have to import useful libraries for the linear regression. The following code is to prepare data for a linear regression model to predict stock prices based on historical trends. The data is first split into training and testing sets using train_test_split, ensuring 80% of the data is used for training and 20% for testing. This split allows the model to be evaluated on unseen data, giving an indication of its performance.

The LinearRegression model is employed to identify a potential linear relationship between dates and closing prices. Evaluation metrics such as mean squared error (MSE) and R-squared are subsequently used to assess the model's performance.

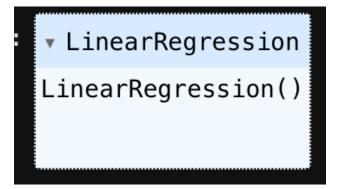
```
from sklearn.model_selection import train_test_split # For splitting the data
from sklearn.linear_model import LinearRegression # For building the regression model
from sklearn.metrics import mean_squared_error, r2_score # For model evaluation

# Converting Date to ordinal format for regression
df['Date_ordinal'] = df['Date'].map(lambda date: date.toordinal())

# Defining features and target variable
X = df[['Date_ordinal']]
y = df['Close']

# Splitting data into training and testing sets
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2, random_state=42)

# Executing and Training the linear regression model
model = LinearRegression()
model.fit(X_train, y_train)
```



To use the dates for regression, they are converted to ordinal numbers, where each day is assigned a unique integer, maintaining the time order. The dates in ordinal form are used as features (X), and the stock closing prices are set as the target (y).

The model is trained on the training data, learning the relationship between the date and closing prices. To do this setup, the model can capture time-based price trends, making it a valuable tool for forecasting and investment planning. This approach transforms raw dates into a meaningful input, enabling the model to generalize insights from past trends to predict future prices.

Model Prediction and Evaluation

The following code evaluates a previously trained regression model's performance by applying it to unseen data. Here, it first uses the model to make predictions on the test set, denoted as X_test, which generates

the predicted values, y_pred. Afterward, it calculates two fundamental metrics: the Mean Squared Error (MSE) and the R-squared score (R²).

The Mean Squared Error (MSE) quantifies the mean of the squared discrepancies between the observed values (y_test) and the predicted outputs, with smaller values indicating better accuracy. The R² score measures the extent to which the model explains the variability in the target dataset, with values approaching 1 signifying a better fit.

The results of these metrics provide a high-level overview of the model's performance in terms of generalization to unseen data. This evaluation step is a crucial part of any machine learning process, as it allows for model validation, comparison of different methodologies, and identification of areas for improvement before deploying the model in real-world applications.

```
# Predict on the Test Set
y_pred = model.predict(X_test)

# Evaluate the Model
mse = mean_squared_error(y_test, y_pred)
r2 = r2_score(y_test, y_pred)

print("\nModel Evaluation:")
print("Mean Squared Error (MSE):", mse)
print("R-squared (R²) Score:", r2)

Model Evaluation:
Mean Squared Error (MSE): 109.55641927884281
R-squared (R²) Score: 0.33192651454172273
```

Predicting Future Closing Price

The code below predicts the stock's closing price for a date one year into the future using a trained regression model. It starts by identifying the most recent date in the dataset and then calculates a date exactly one year ahead using the pd.DateOffset(years=1) function. This prepares the input needed for the model to generate a prediction for a specific future date.

The next step converts the future date into its ordinal format, which represents the date as an integer based on the number of days since a reference point. This transformation is essential because regression models require numerical inputs, and the ordinal format maintains the correct temporal sequence. The processed date is then organized into a DataFrame with the column name Date_ordinal, ensuring it matches the input format used during model training.

Using the model.predict() function, the code then generates a prediction for the closing price corresponding to the future date. The model applies the relationships it learned during training to estimate the value. The predicted price is formatted to include a dollar sign and rounded to two decimal places for clarity.

```
# Predict future close price for the next year based on the model's trend
future_date = df['Date'].max() + pd.DateOffset(years=1)
# Use DataFrame with column name
future_date_ordinal = pd.DataFrame([[future_date.toordinal()]], columns=['Date_ordinal'])
future_price = model.predict(future_date_ordinal)
print(f"Predicted closing price for next year: ${future_price[0]:.2f}")
```

Predicted closing price for next year: \$45.00

This process plays an important role in forecasting future stock prices, a common practice in financial analysis and decision-making. Predicting future values allows investors and analysts to make informed decisions, plan investments, assess potential risks, and develop strategies based on data-driven insights.

In real-world applications, such predictions are valuable for building investment portfolios, spotting market trends, and preparing for potential economic changes. Comparing these predictions with actual future data also helps validate the model's accuracy, ensuring it remains reliable for similar tasks in the future. This code highlights the practical use of regression models in turning historical trends into meaningful forecasts that can guide decision-making.

1.2 Report to Finance Manager: Fluffy Toys Ltd. Stock Price Analysis)

Introduction

This report provides an in-depth analysis of Fluffy Toys Ltd.'s stock data over a time period twelve-year, it is focused on revealing historical price trends and patterns. The primary objective was to examine the opening and closing prices, investigate the relationship between high and low prices, and leverage linear regression to predict potential future trends. These findings aim to provide actionable insights to support investment strategies and financial planning.

1: Exploratory Data Analysis (EDA)

Exploratory Data Analysis (EDA) served as the foundation for understanding the dataset, uncovering key patterns, and ensuring data quality. The process involved several steps, each contributing to a comprehensive view of the stock's historical performance.

Data Import and Preprocessing

The dataset was first imported, and its columns were inspected to make sure they were of the correct data types. Missing values have been handled to maintain the integrity of the analysis. The Date column was converted to a datetime format to enable time series analysis, a crucial step for examining trends and patterns over time.

Descriptive Statistics

Key descriptive statistics were calculated, including the mean, median, standard deviation, minimum, and maximum values for the Open, Close, High, and Low prices. These metrics provided insights into the central tendencies and spread of the data, highlighting the general price range and volatility. For example, the standard deviation helped quantify how much prices fluctuated, while the mean and median provided an understanding of typical price levels.

Correlation Analysis

A correlation analysis was performed to assess the relationship between the stock's High and Low prices. The results revealed a strong positive correlation, indicating that the daily price range remained relatively consistent over time. This finding suggests a level of stability in the stock, which is often associated with lower volatility and reduced investment risk. Such insights are crucial for evaluating the stock's risk profile and determining its suitability for various investment strategies.

Time Series Plots

Time series plots were created for the Open and Close prices to provide a visual representation of price movements over the twelve-year period. These plots revealed any sustained upward or downward trends, highlighting periods of growth, stability, or decline. Observing these trends is critical for identifying potential opportunities or risks in the stock's performance.

2: Predictive Modeling with Linear Regression

Following the EDA, a linear regression model was applied to forecast future price trends based on the historical data. Here's a breakdown of the process:

Model Setup

The Date column was transformed into an ordinal format (representing each date as a unique integer) to serve as a suitable predictor variable for the regression model. The Close price was selected as the target variable, given its importance in representing the end-of-day market sentiment.

Model Training and Evaluation

- **Data Splitting**: The dataset was split into training and testing sets to train the model and evaluate its performance.
- **Performance Metrics**: The model's accuracy was assessed using metrics like Mean Squared Error (MSE) and the R-squared (R²) score. These metrics allowed us to verify that the model could reasonably capture the trend in closing prices.

Future Price Prediction

Based on the linear regression model, we predicted the closing price one year into the future. This prediction point was plotted alongside the historical data, showing an expected increase in the closing price over the coming year if current trends continues.

3: Analysis Techniques and Reasoning

The selected analysis methods are well-aligned with the objective of understanding historical stock trends and establishing a robust foundation for forecasting future prices. Each technique was chosen based on its specific strengths and its ability to contribute valuable insights to the analysis.

Descriptive Statistics and Correlation

Descriptive statistics and correlation analysis are foundational techniques essential in finance to understand stock price distribution and variability. These methods are important for analysing investment stability and risk. Descriptive statistics provide insights into measures of central tendency, dispersion, and data spread, whereas correlation helps in determining the strength and direction of relationships between variables, such as high and low stock prices.

Graphical Analysis (Time Series and Moving Average)

Graphical analysis, including time series plots and moving averages, allows for intuitive data trend interpretation. Visualizing data over time helps stakeholders quickly grasp complex patterns, such as seasonality or long-term trends, which may not be immediately apparent through numerical analysis alone. Moving averages, in particular, smooth out short-term fluctuations, making it easier to identify long-term trends in stock prices.

Linear Regression

Linear regression is a common and effective tool for forecasting in finance. This technique provides a straightforward model capable of capturing trends over time, making it ideal for projecting future prices based on historical trends. Linear regression models the relationship between the independent variable (date) and the dependent variable (closing price), enabling predictions of future stock prices with a reasonable degree of accuracy.

Stage 4: Suggestions

Based on the upward trend in closing prices over twelve-year period, Fluffy Toys Ltd. demonstrates strong growth potential. The consistent trend, supported by the future price prediction derived from the linear regression model, suggests that the stock may continue appreciating. As a result, adopting a long-term investment strategy focused on this stock could be a favorable approach for investors seeking growth opportunities.

However, it is important to approach the investment with caution. Regular trend monitoring is important, as seasonal factors or sudden market changes could impact stock performance. While the stable correlation between high and low prices indicates relative stability, market fluctuations are always a possibility.

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