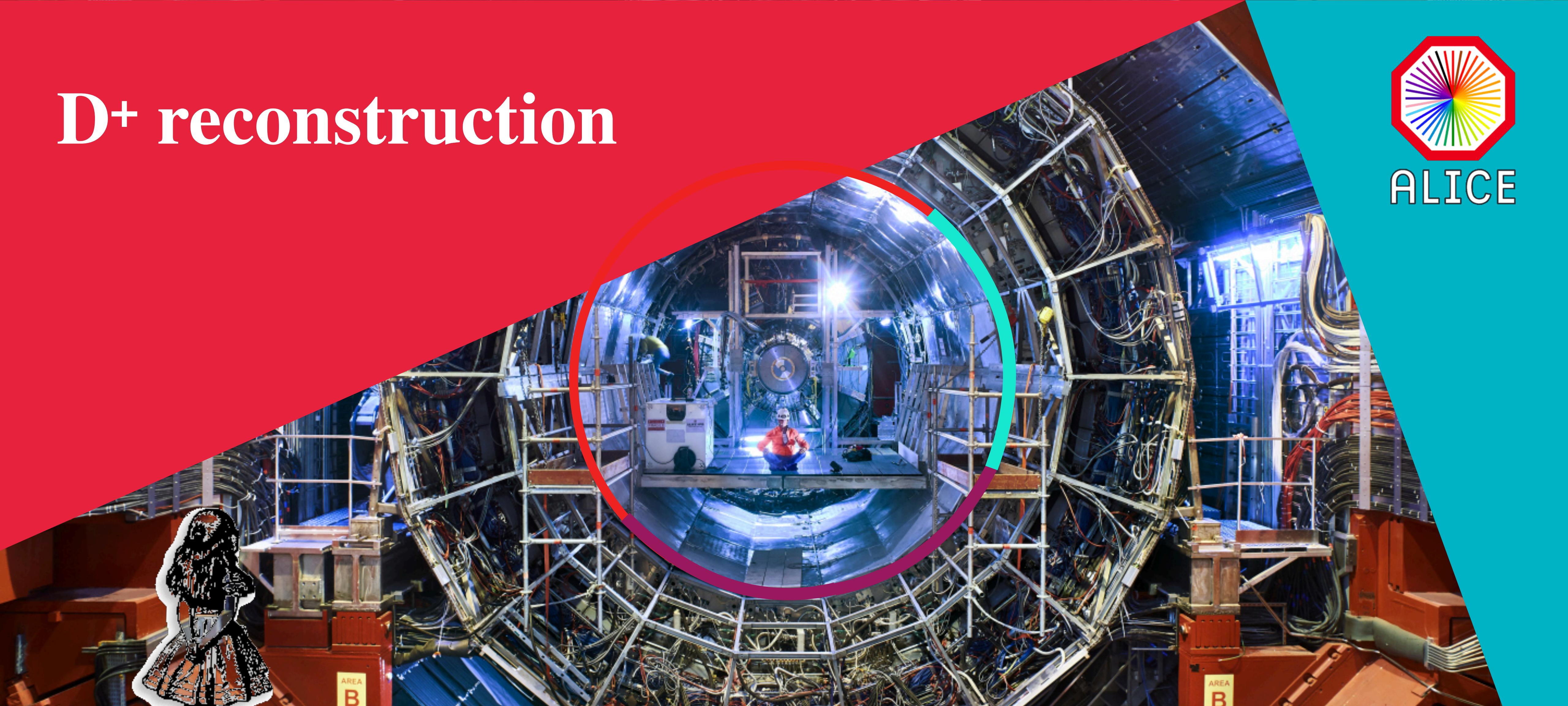
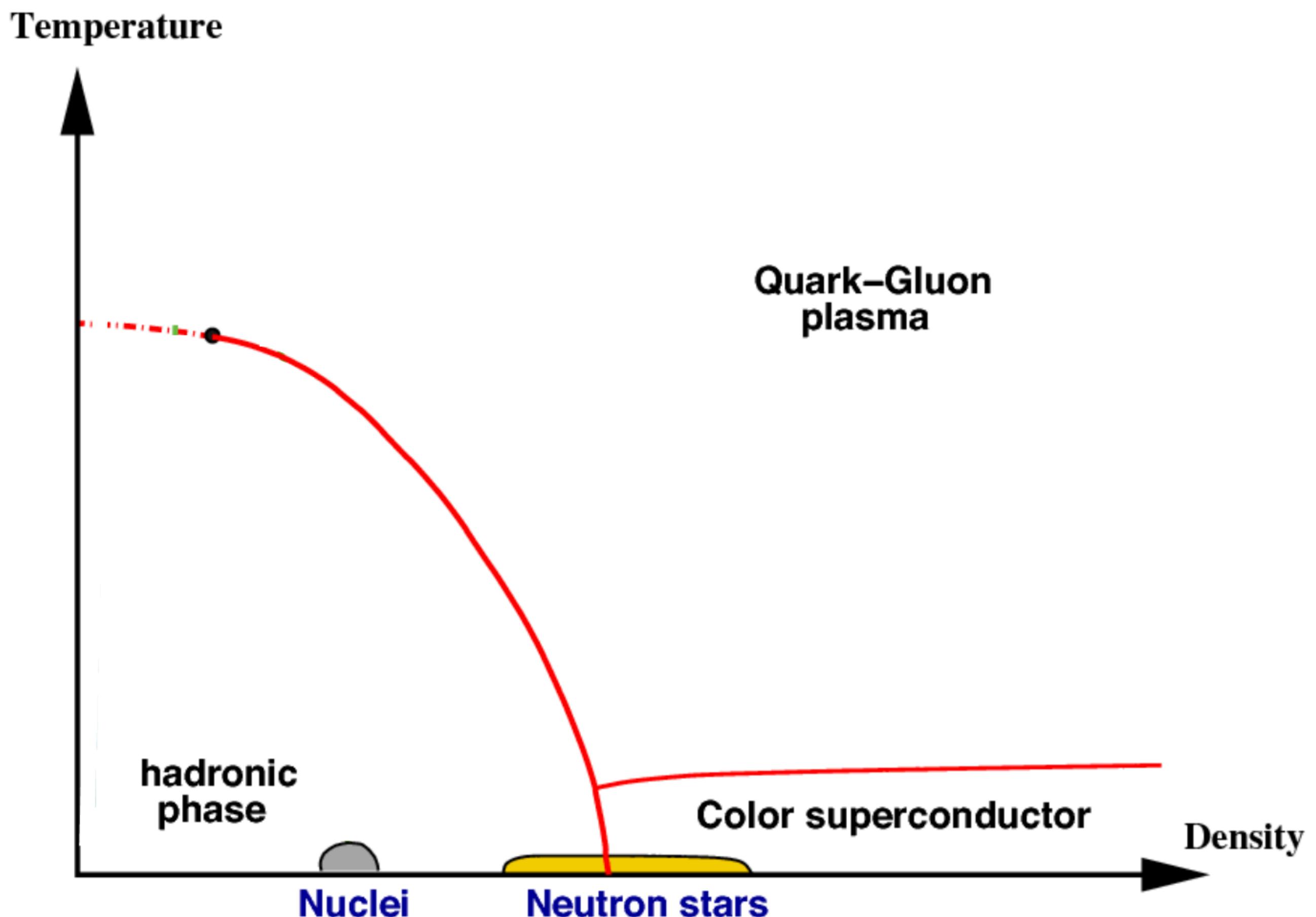


D⁺ reconstruction

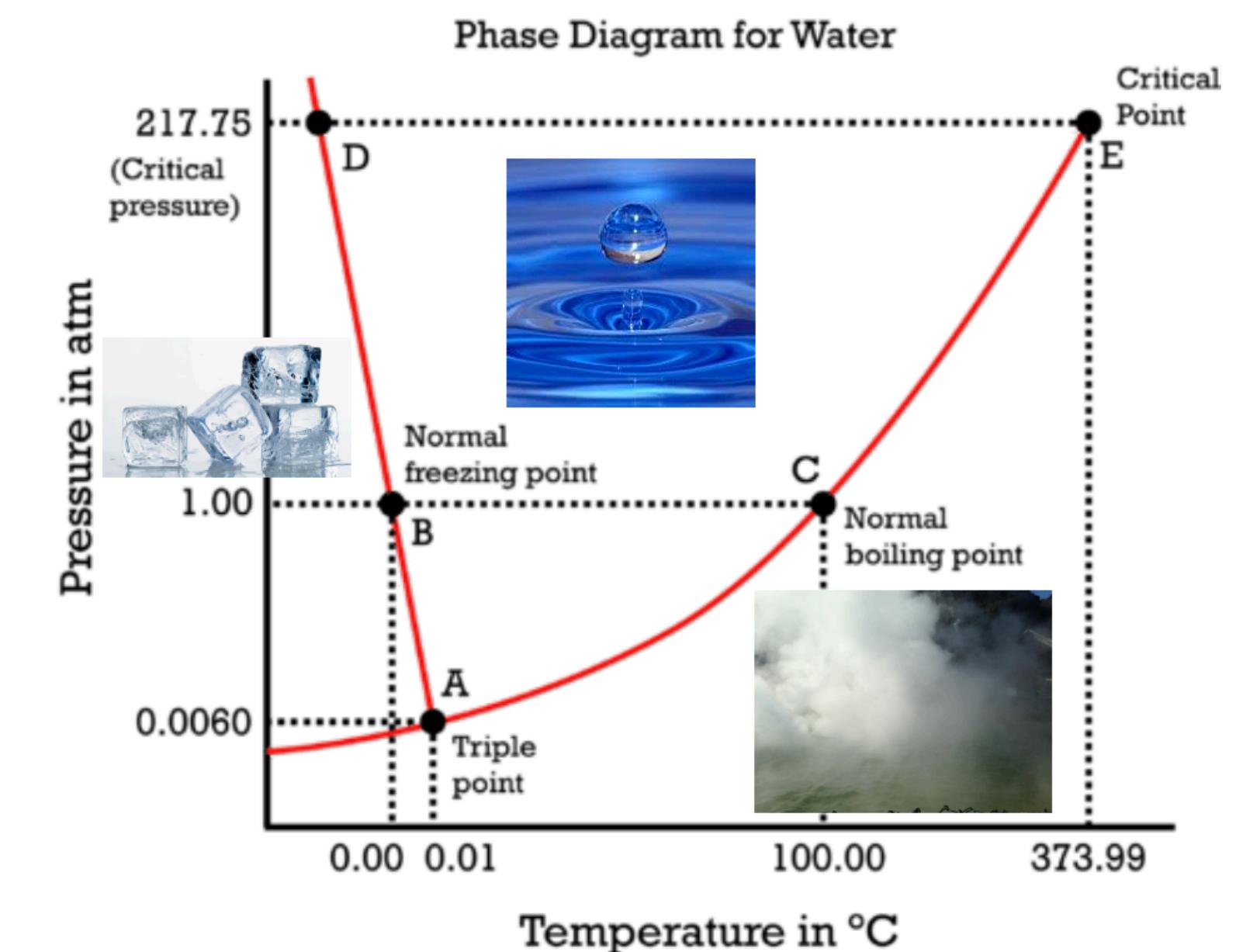
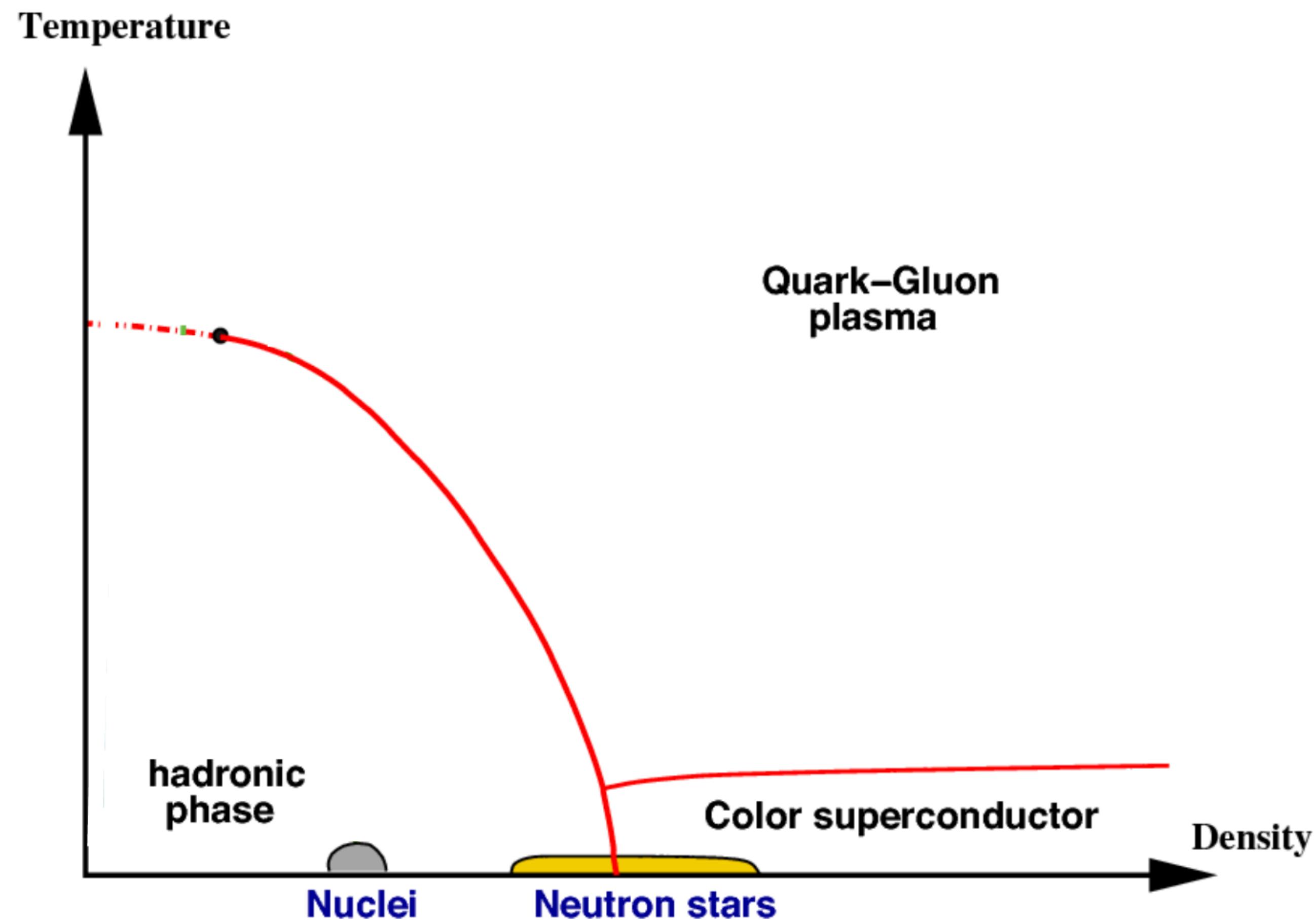


QCD Phase Diagram



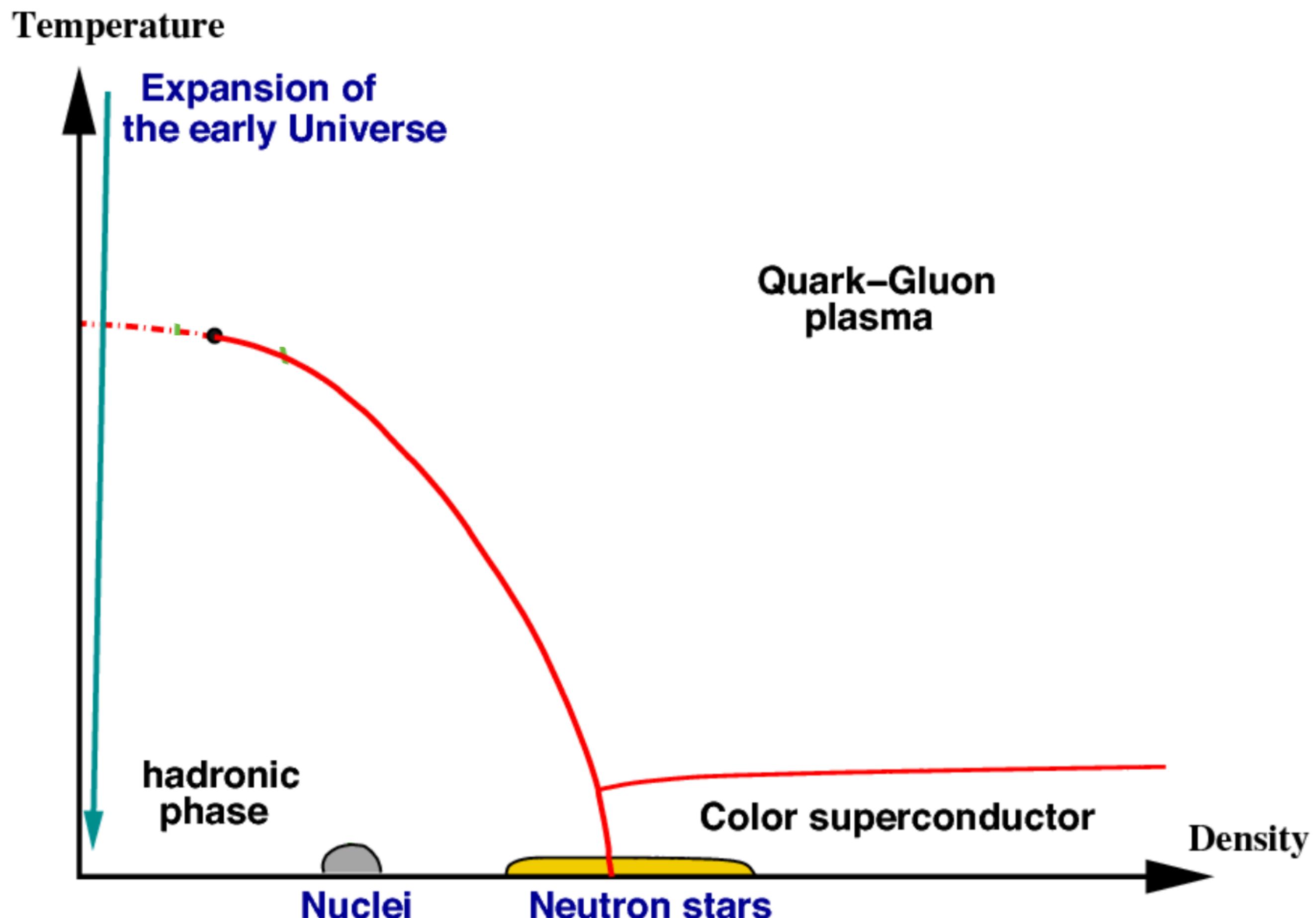
arXiv:1205.0579 [hep-ph]

QCD Phase Diagram



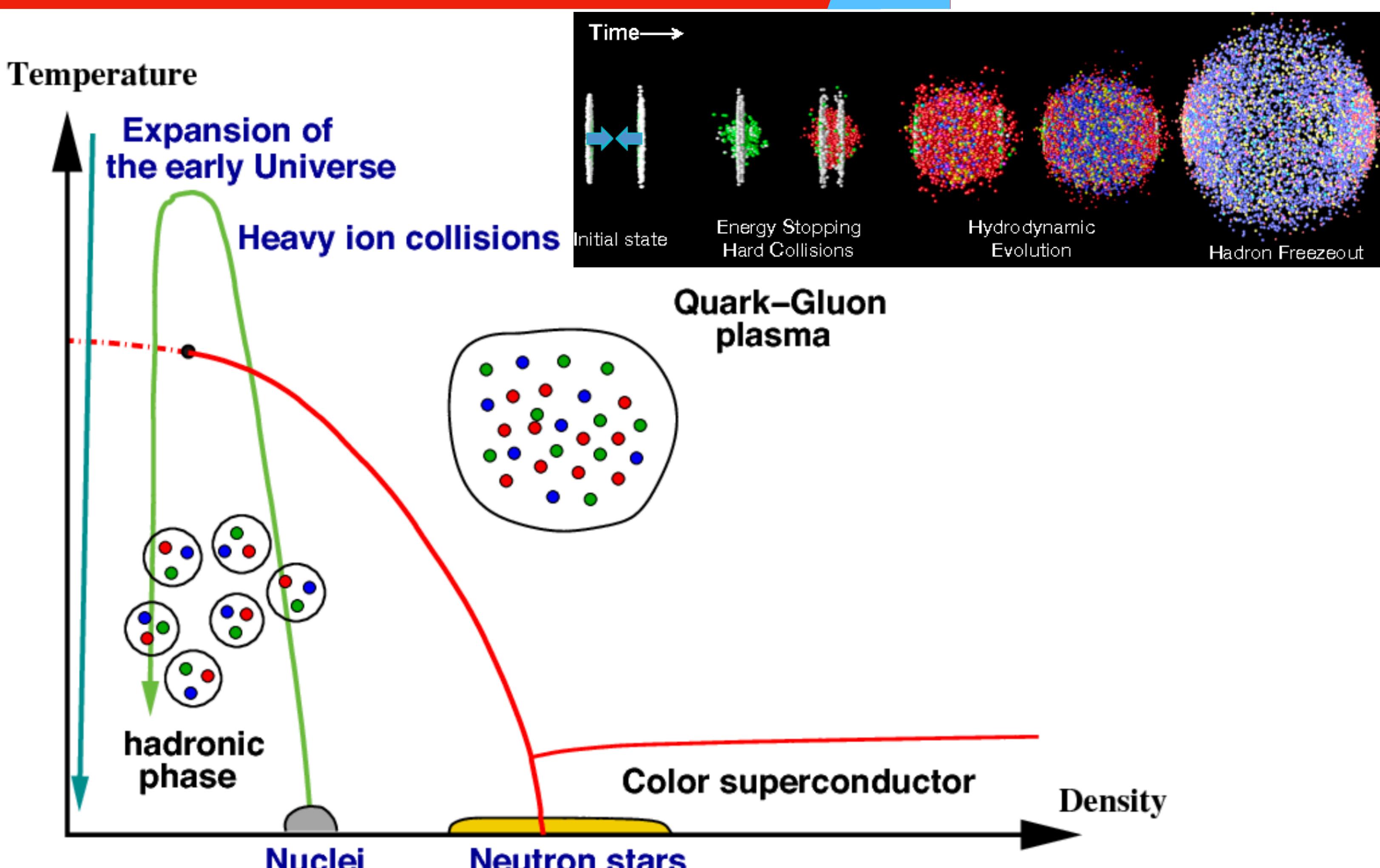
arXiv:1205.0579 [hep-ph]

QCD Phase Diagram



arXiv:1205.0579 [hep-ph]

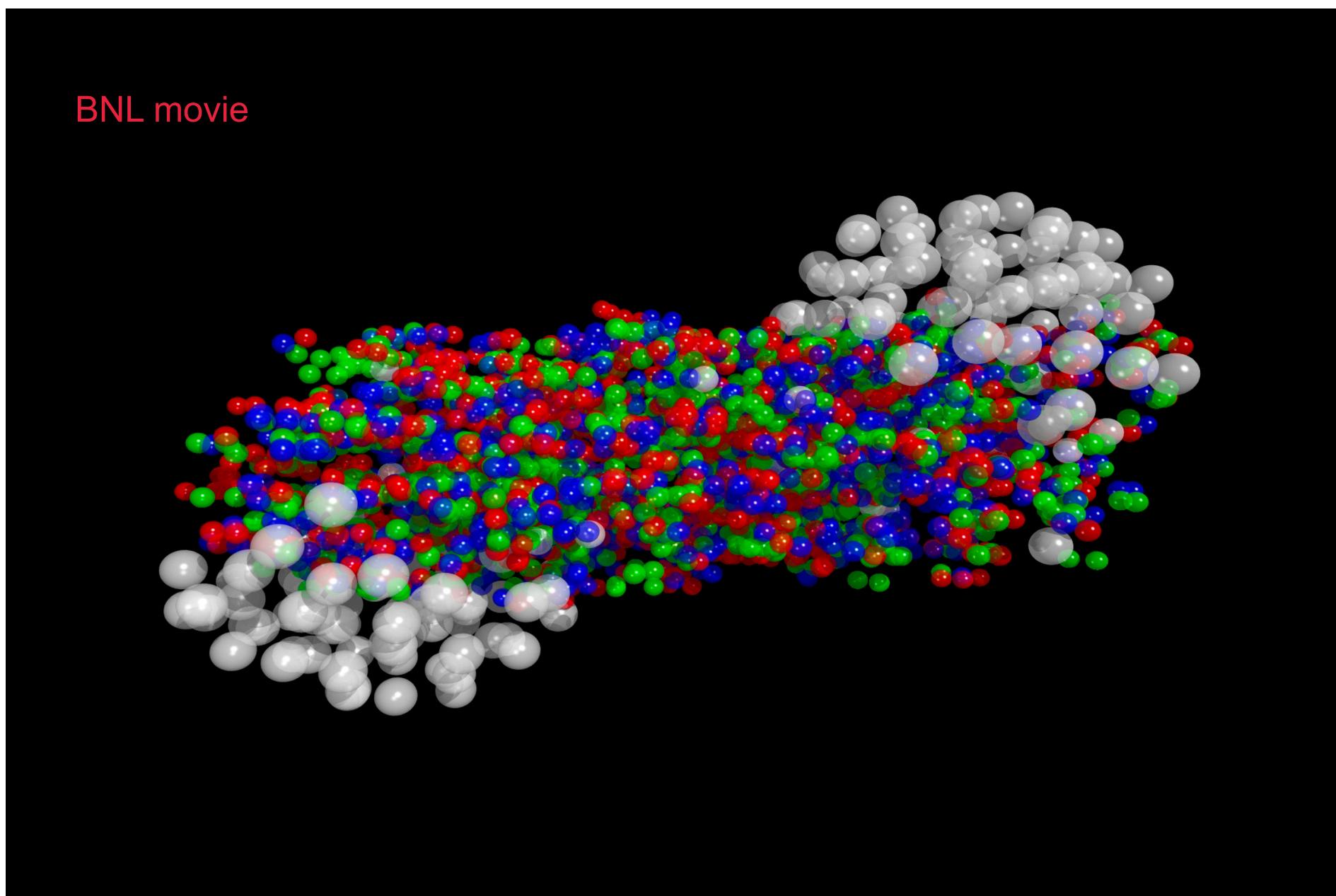
QCD Phase Diagram



arXiv:1205.0579 [hep-ph]

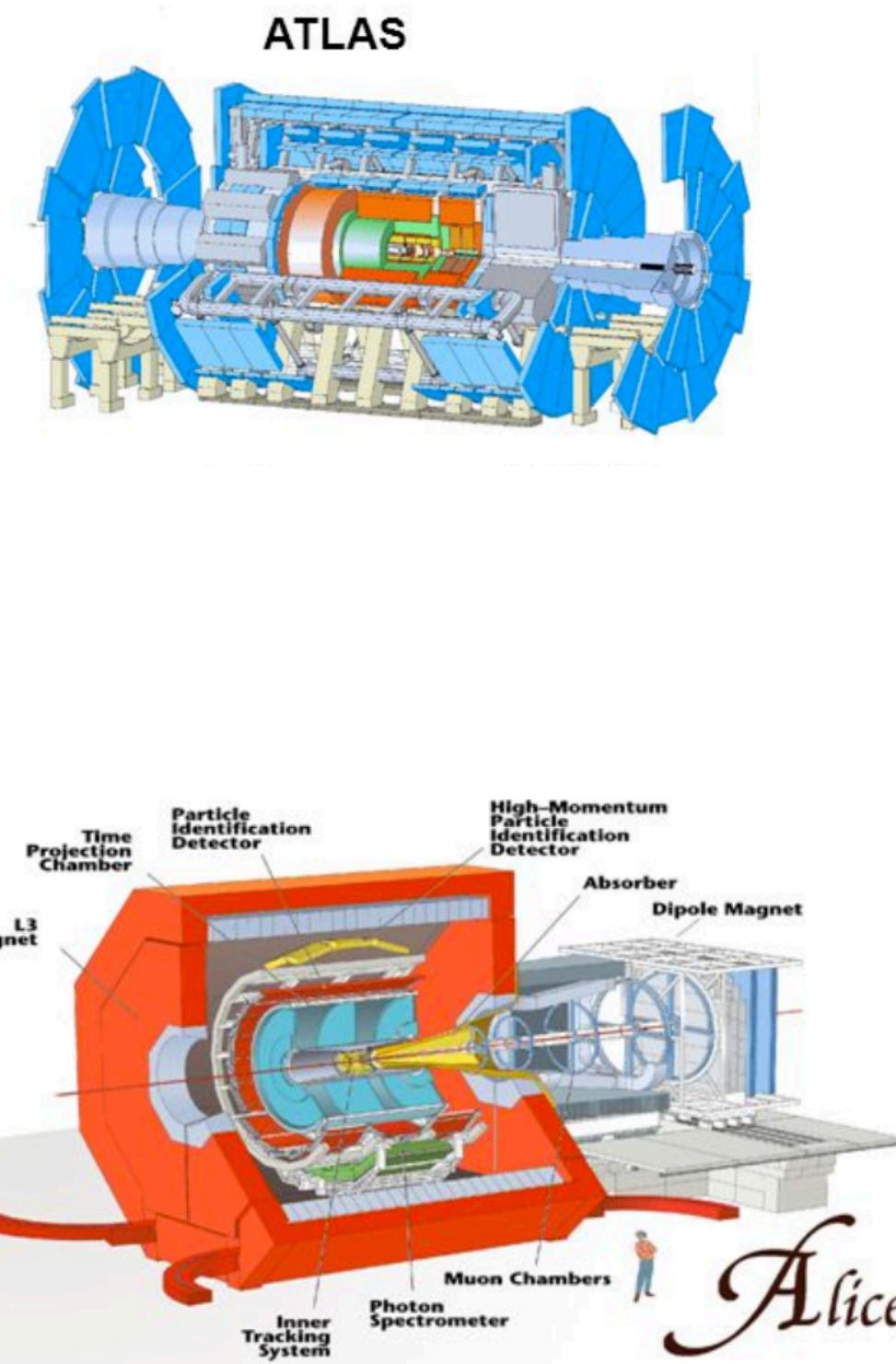
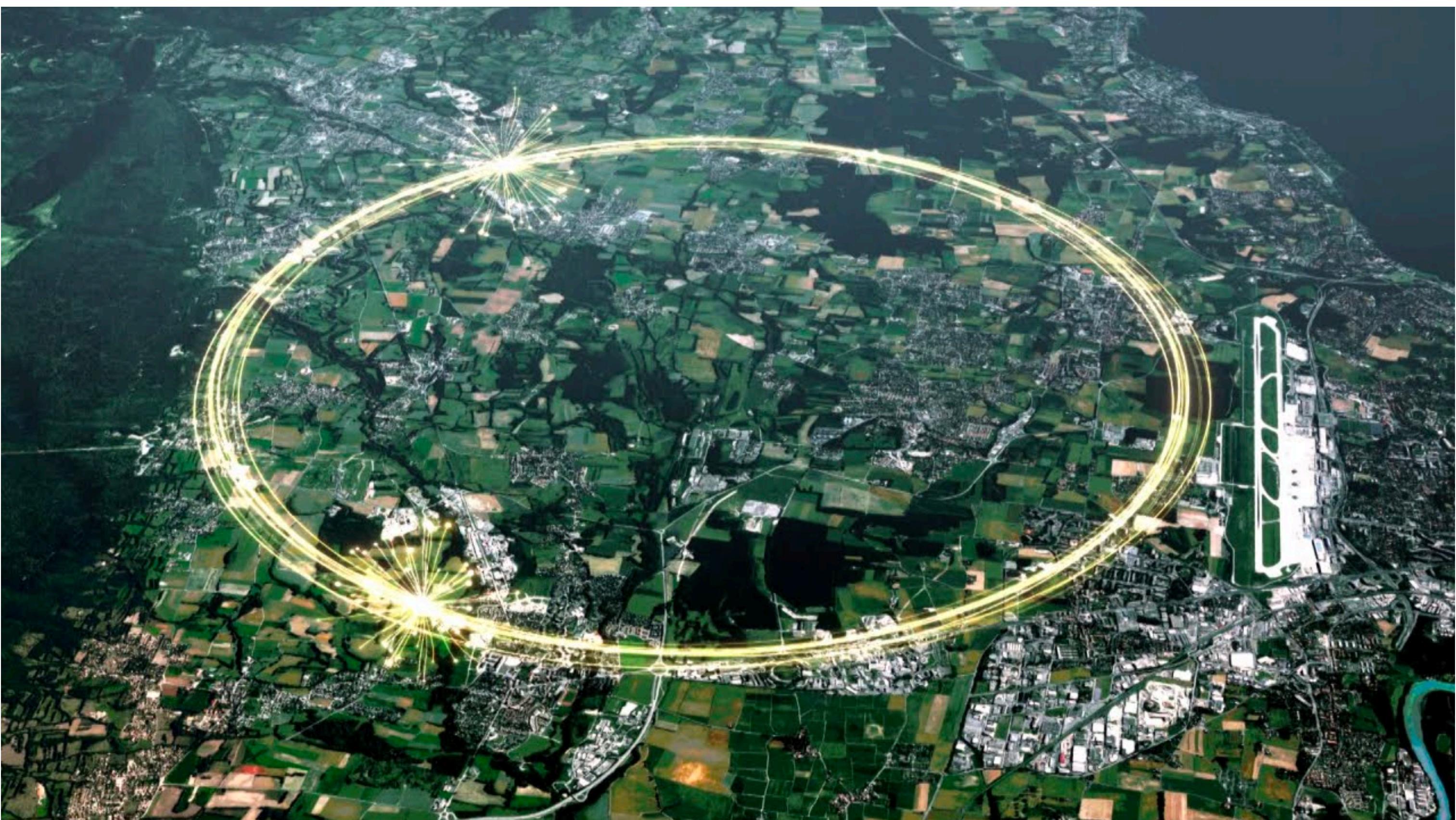
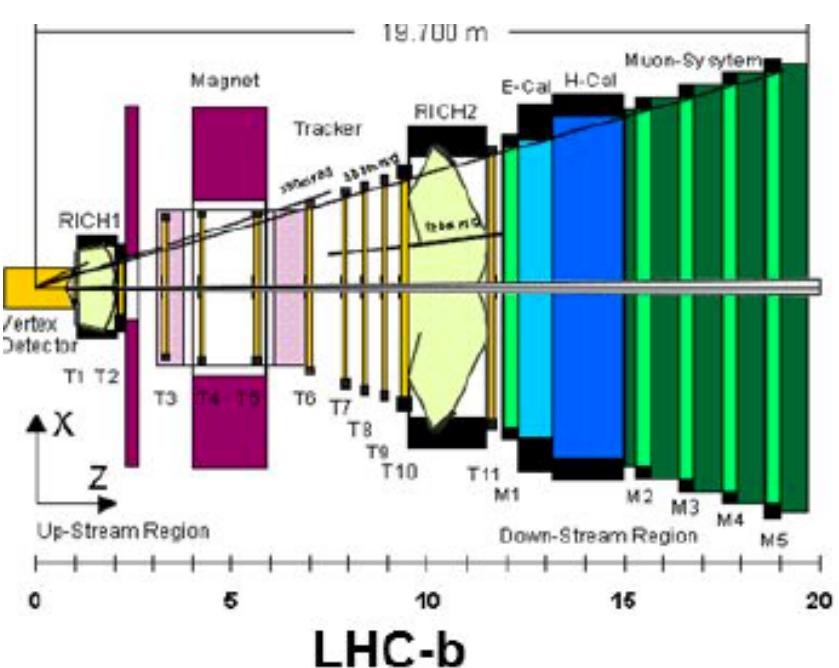
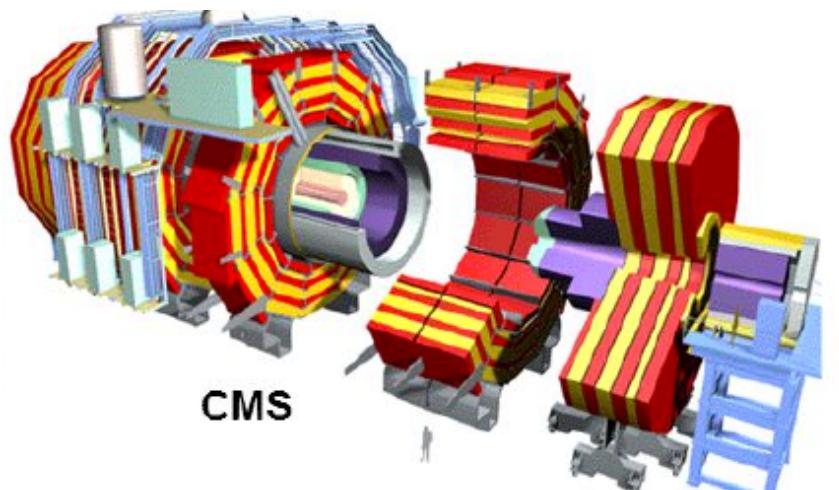
Heavy-ion collisions

- The QGP formed is expected to be $\sim 10^{-15}$ m in size and to live about 10^{-15} s



Our experimental setup

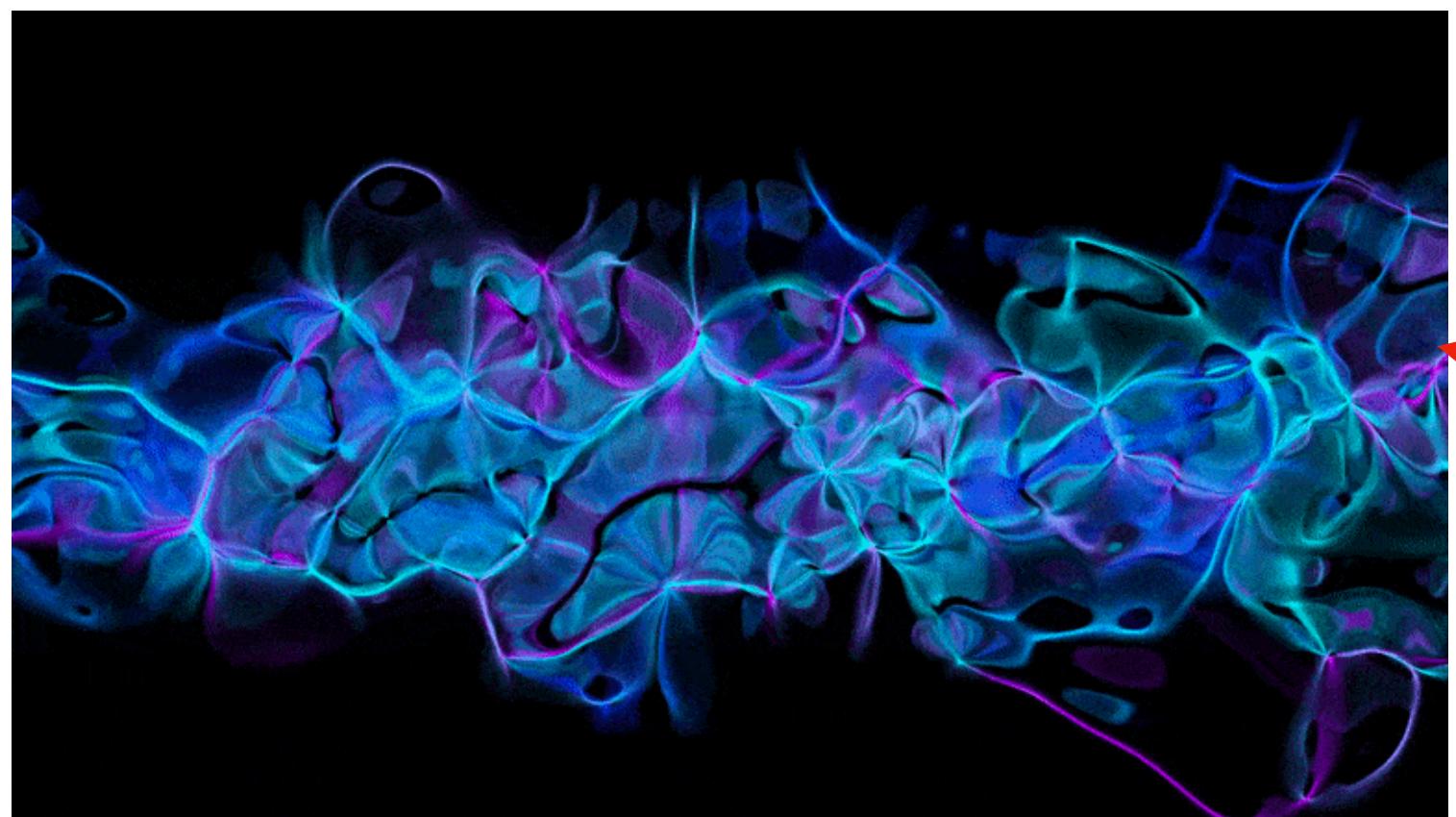
The Large Hadron Collider



The largest machine ever built by mankind (27km circumference)

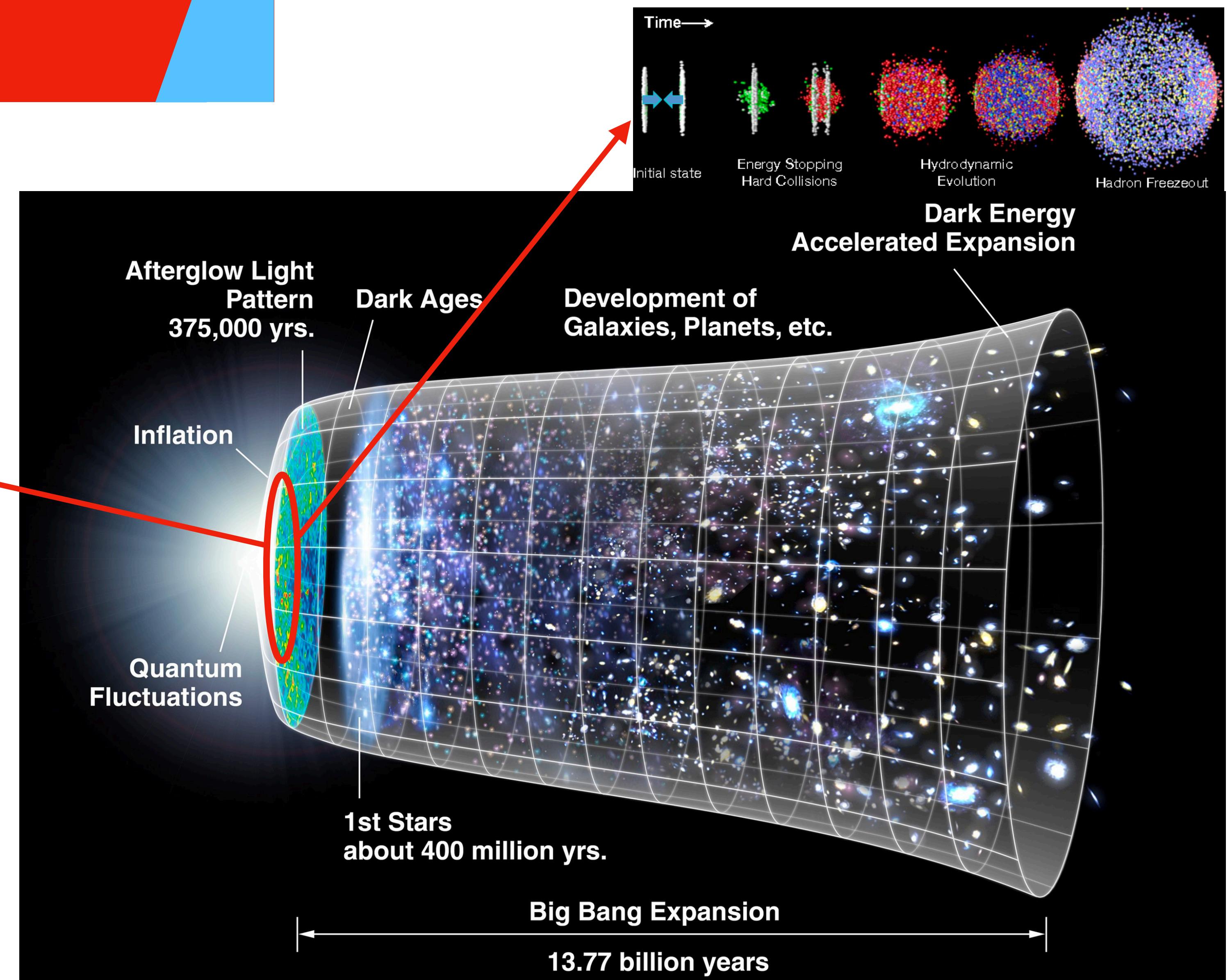
What about the Universe

About 10^{-6} s after the Big Bang all the matter of our Universe was in a Quark-Gluon Plasma state (QGP)



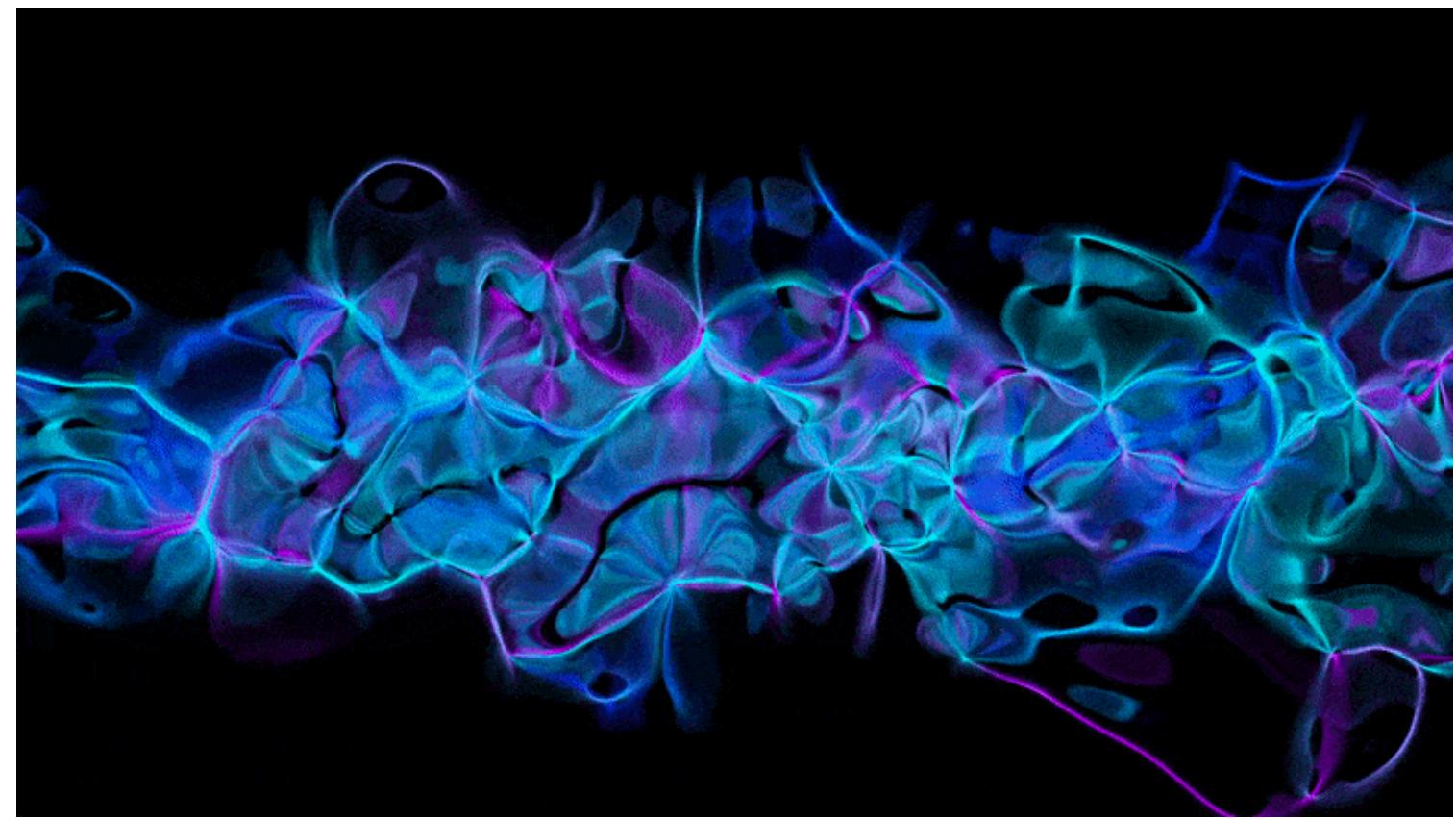
Do you know that the ratio viscosity/density of QGP is almost the same as water?

► **Fun fact:** if you take a bottle of water and let the water come out from the tap, well the QGP would flow out in the exactly same way!



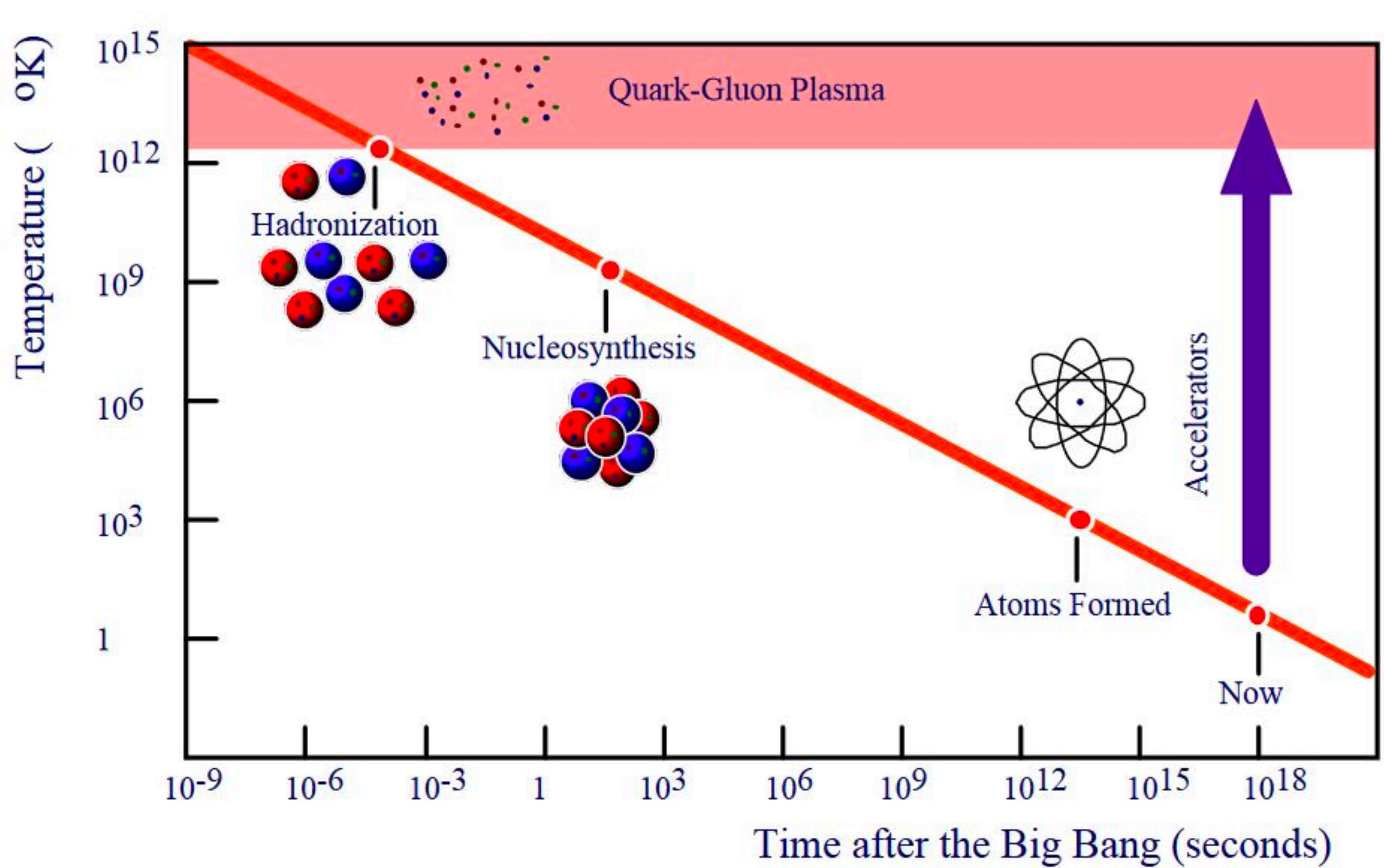
What about the Universe

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Heavy-ion collisions

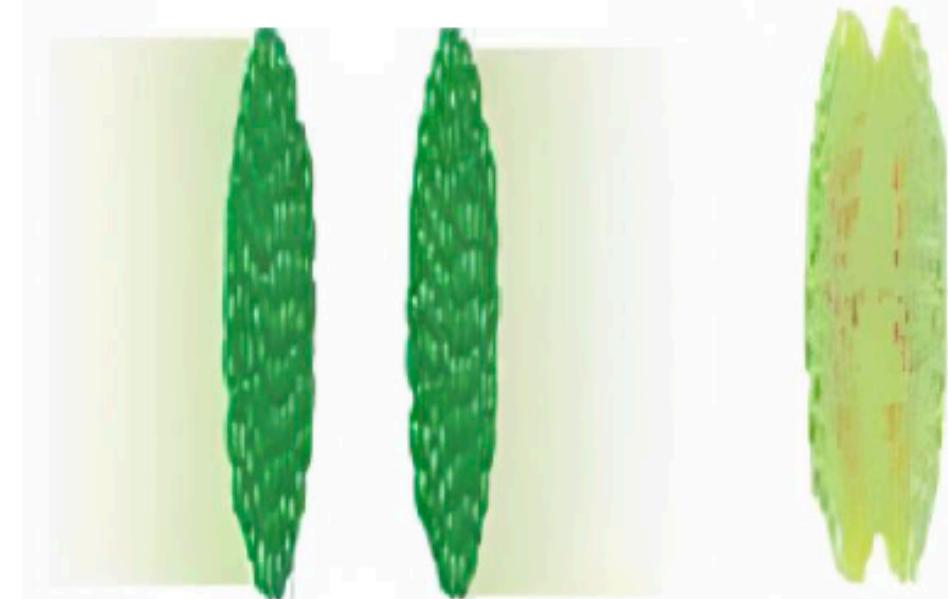
$\tau \sim 0 \text{ fm}/c$

$\tau \sim 1 \text{ fm}/c$

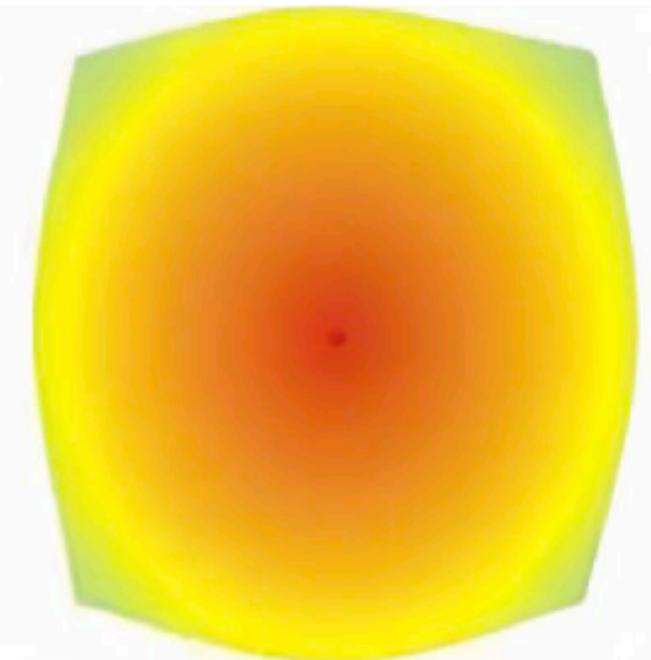
$\tau \sim 10 \text{ fm}/c$

$\tau \sim 10^{15} \text{ fm}/c$

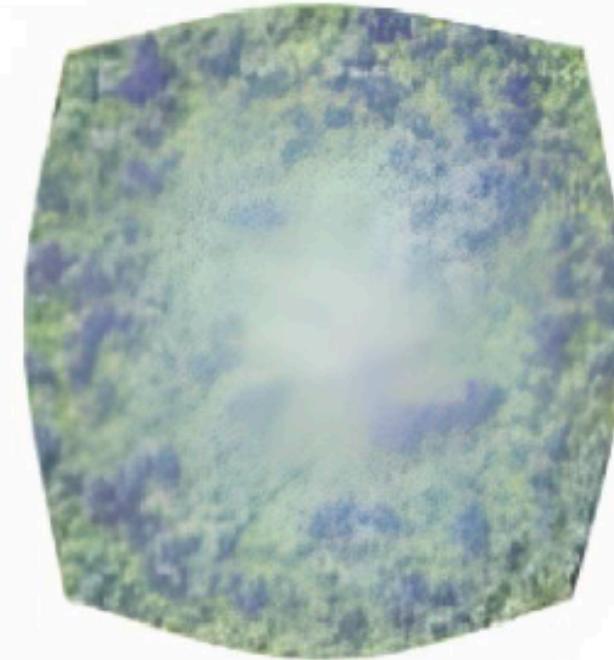
Initial and pre-equilibrium phase



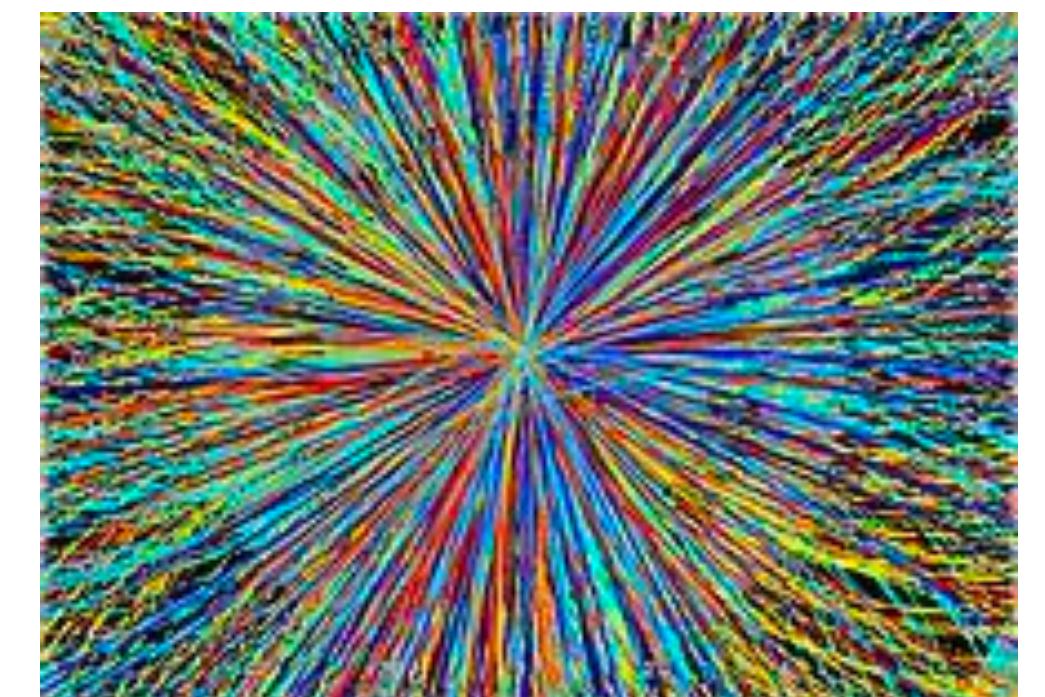
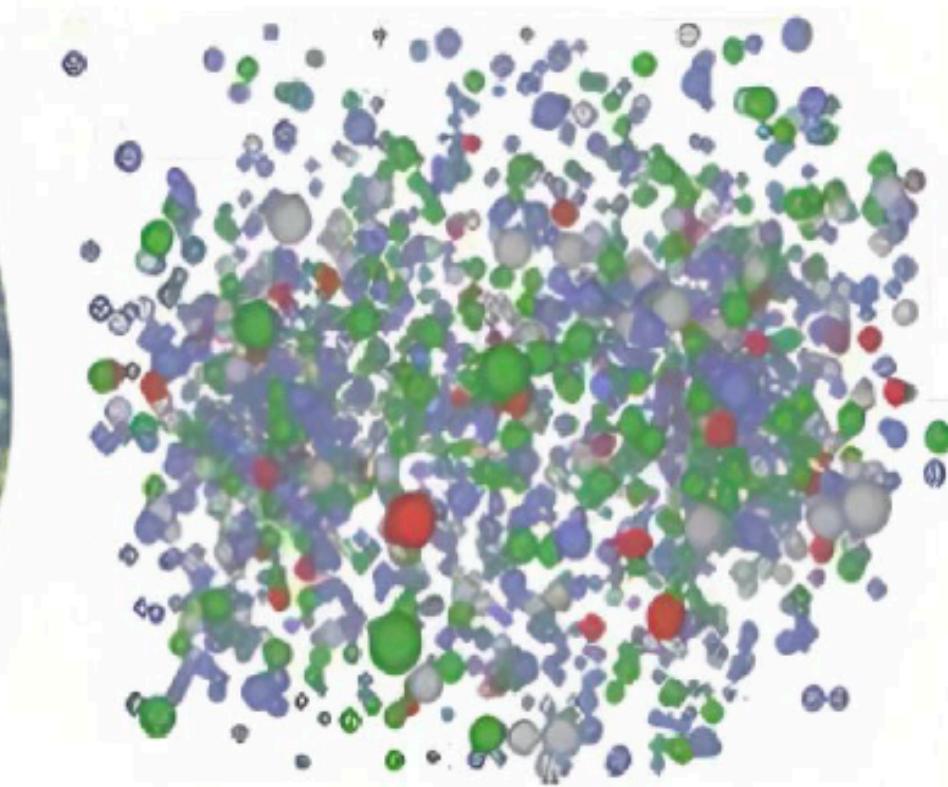
QGP phase



Hadronisation



Hadronic phase and rescattering



- Just to give an idea temperatures generated exceed the **$2 \times 10^{12} \text{ K}$** (~ 500.000 times larger than the core of the Sun)

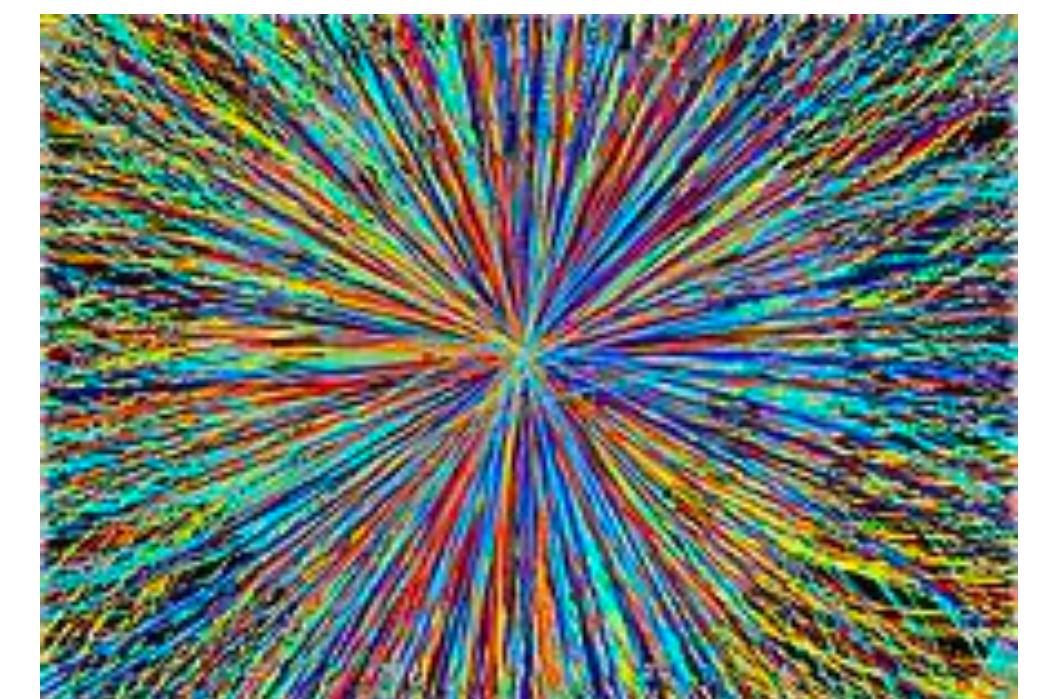
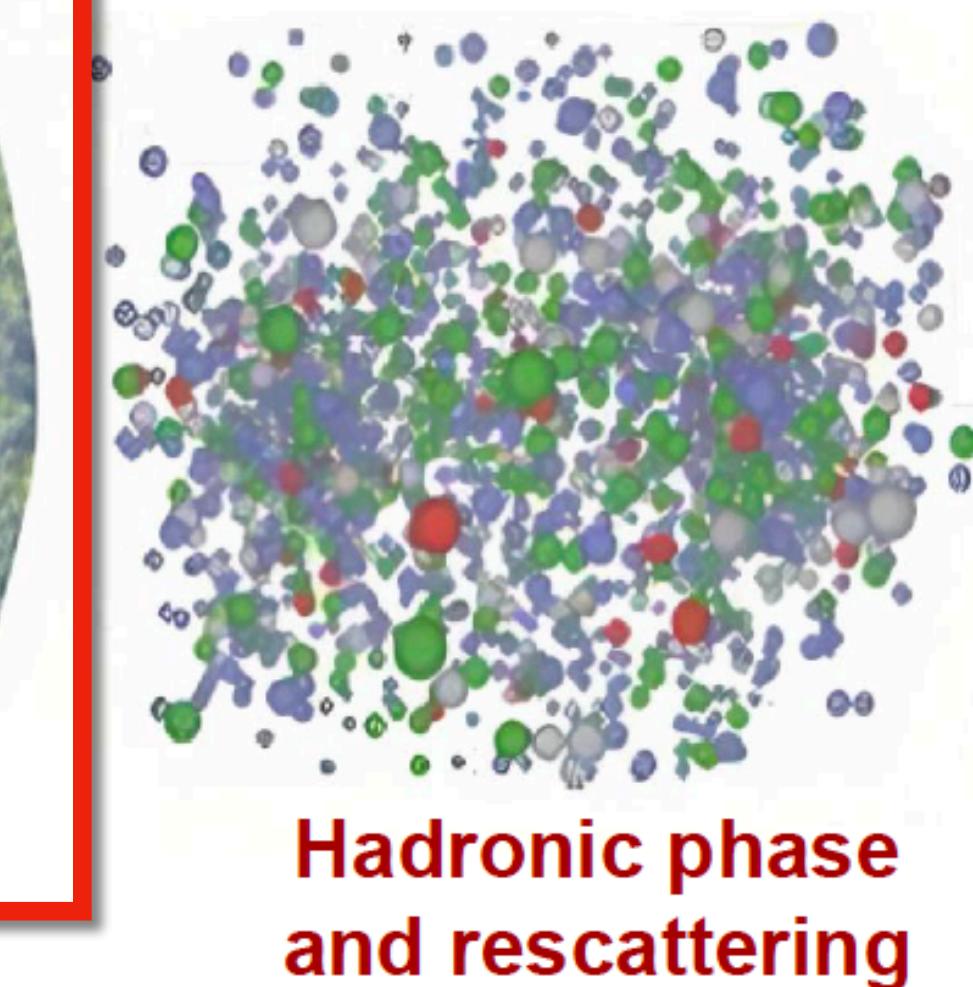
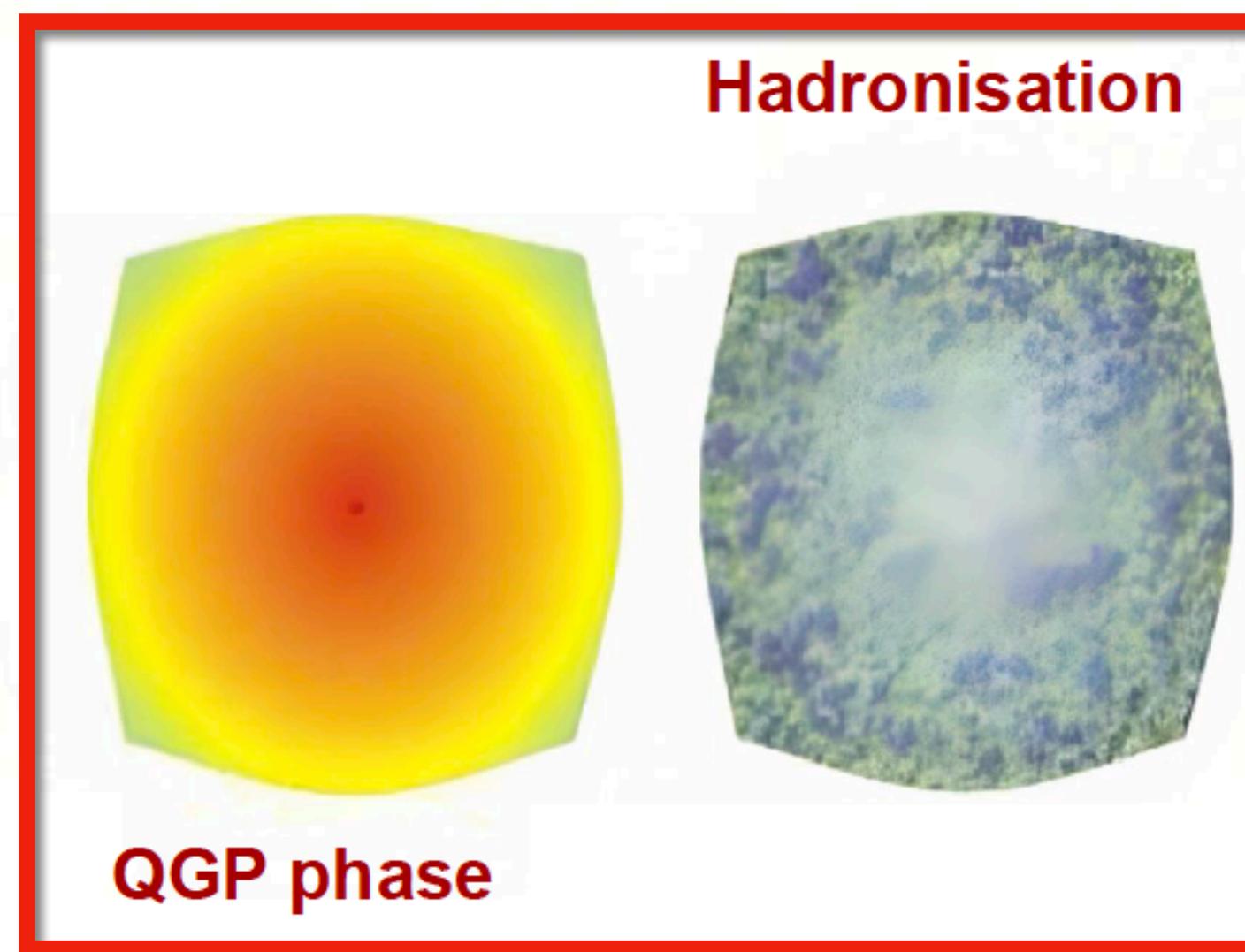
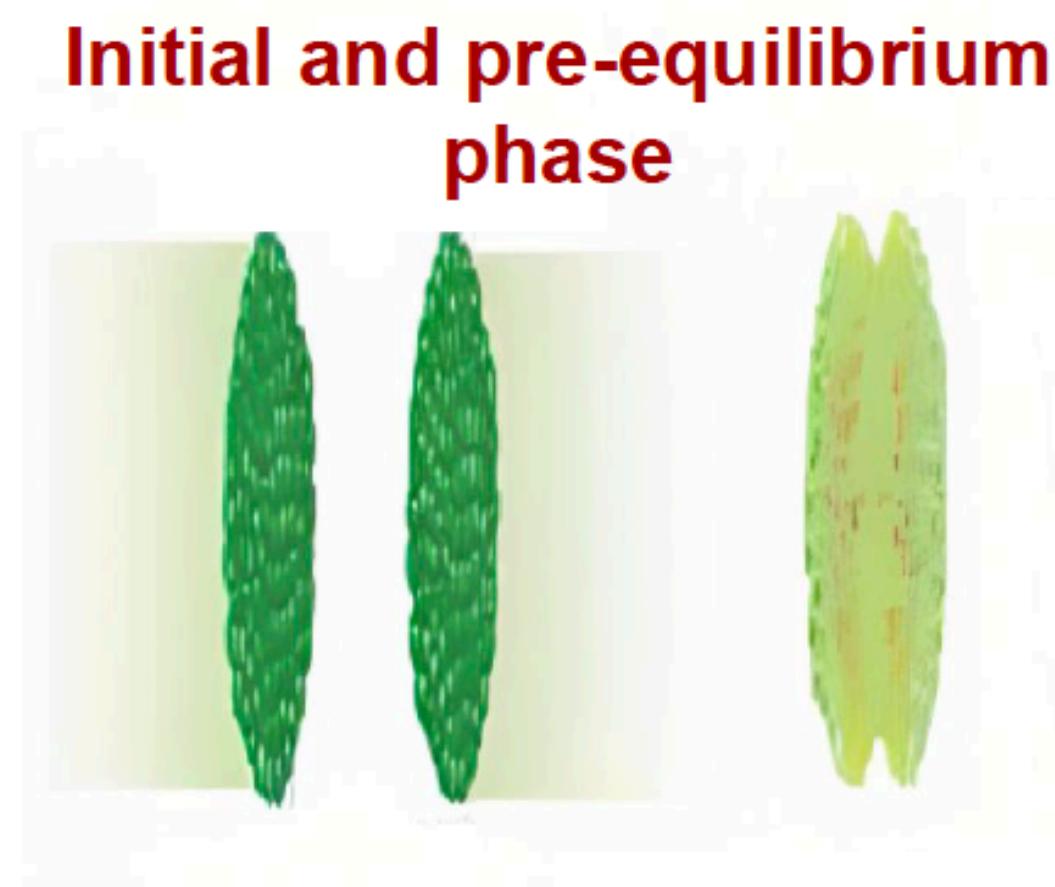
Heavy-ion collisions

$\tau \sim 0 \text{ fm}/c$

$\tau \sim 1 \text{ fm}/c$

$\tau \sim 10 \text{ fm}/c$

$\tau \sim 10^{15} \text{ fm}/c$

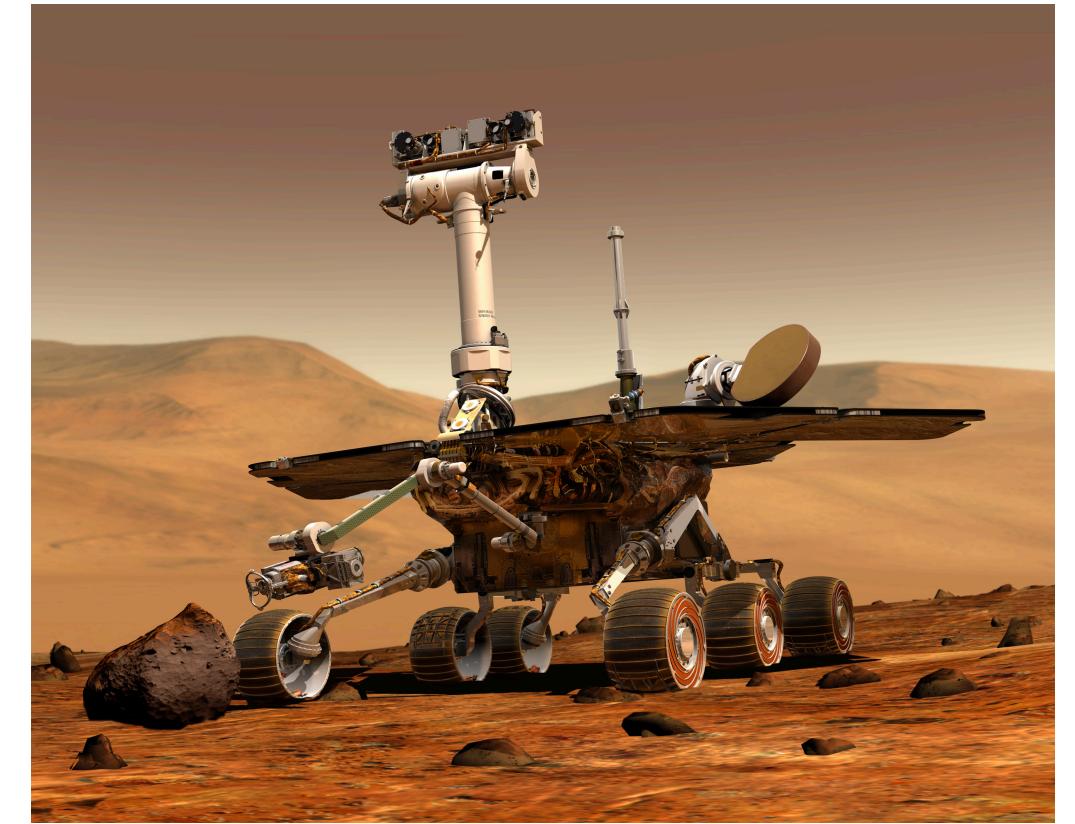


How to probe QGP

Hard probes (charm and beauty quarks):

- Produced at the early stage of the collision (*large mass requires high Q^2 , $\Delta t \sim 0.01\text{-}0.13\text{ fm}$*)
- pQCD can be used to calculate initial cross sections $T_{\text{charm}} \sim 1/2m_c \sim 0.1\text{ fm}/c$
- Traverse the hot and dense medium:
 - ✓ Thermal production in the medium from QGP expected to do not play a major role (depend from initial temperature)
 - ✓ Thermal production from hadronic matter (i.e $\pi N \rightarrow \Lambda_c D$) expected to play a minor effect

Phys. Rev. C56, 2707 (1997)

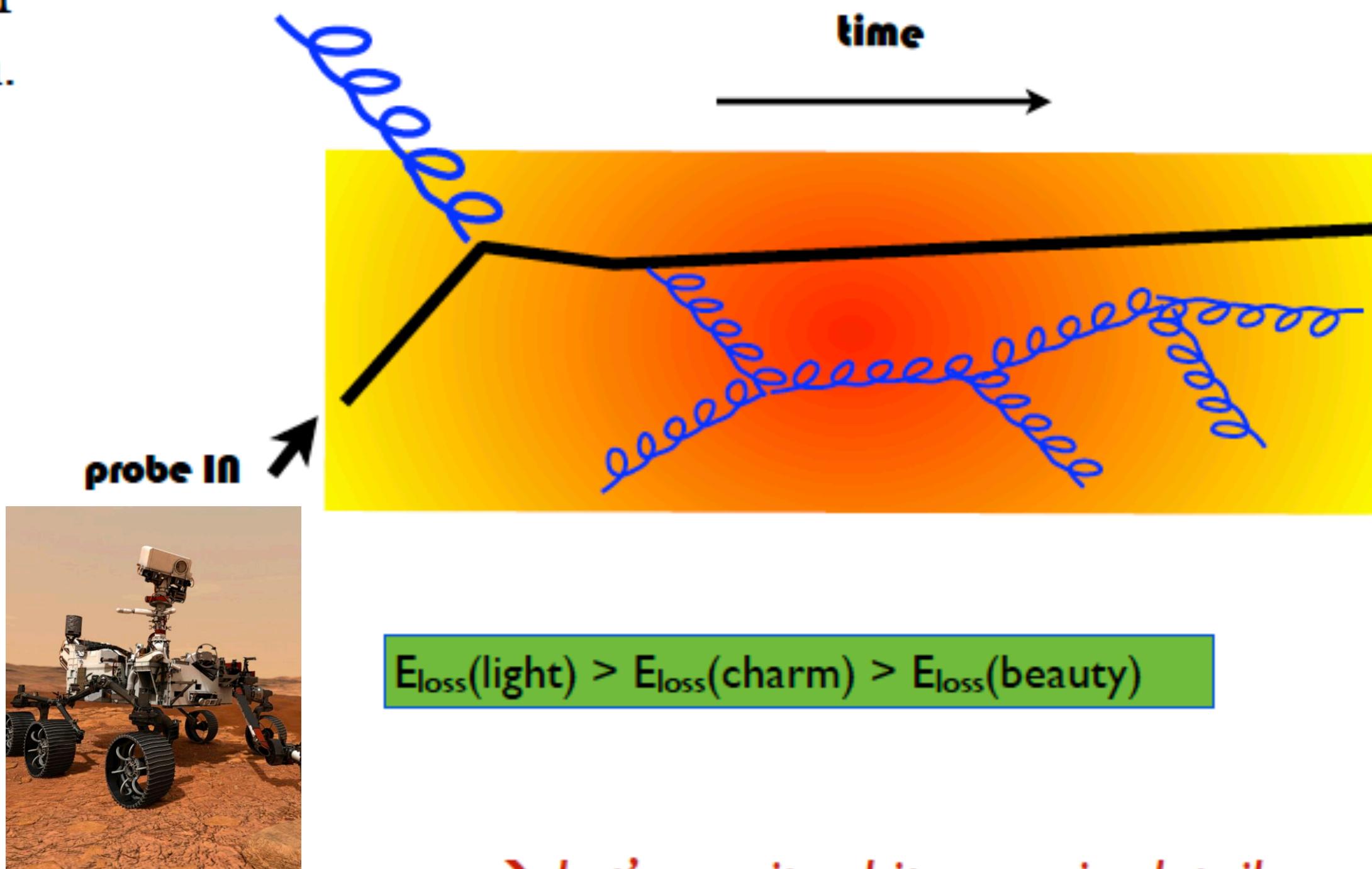


How to probe QGP

- Heavy quarks are expected to lose less energy than light quarks and gluons due to color-charge and dead cone effect → higher penetrating power into QCD medium.

Yu. Dokshitzer and D.E. Kharzeev, Phys.Lett. B 519 199-206 (2001).
Armesto, Carlos A. Salgado and Urs A. Wiedemann. PRD 69 (2004) 114003

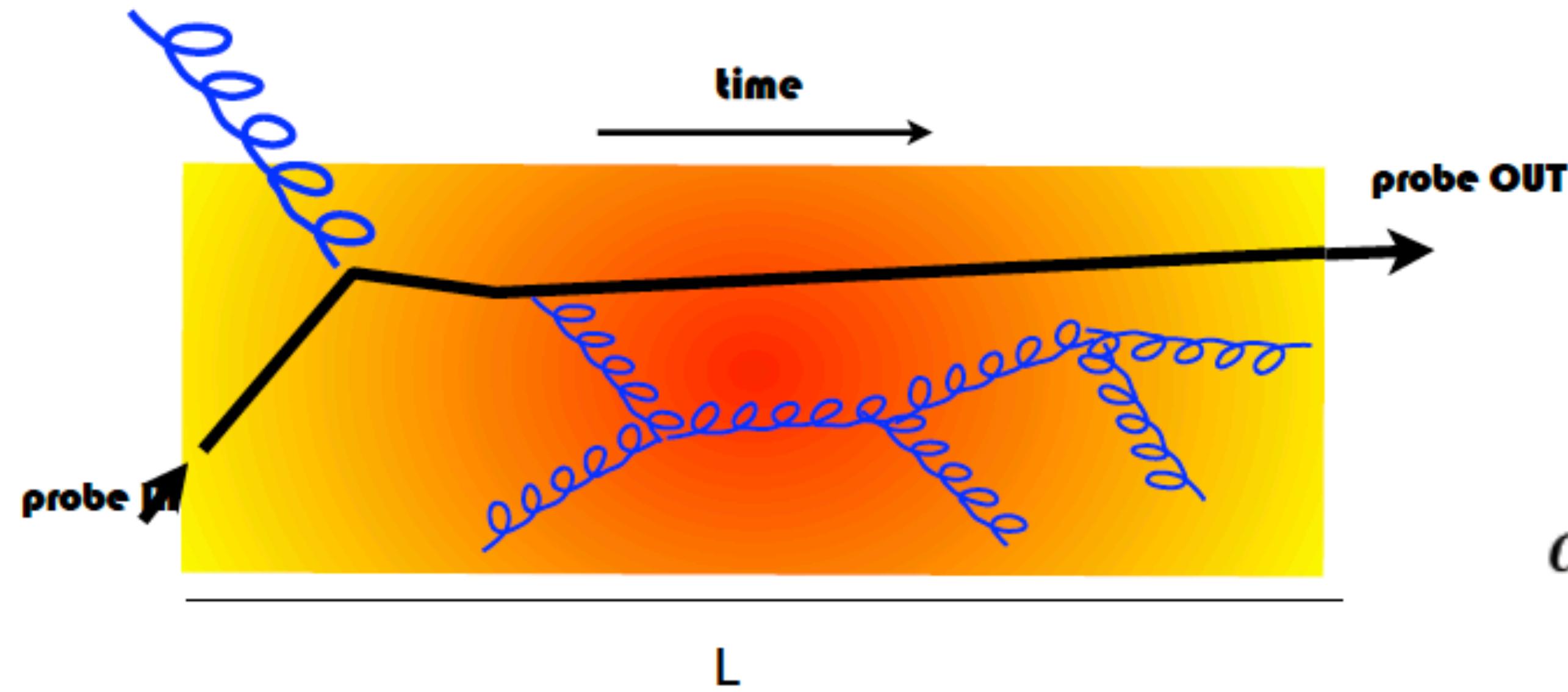
M. Djordjevic, M. Gyulassy, Nucl. Phys. A733 (2004) 265.



→ Let's see it a bit more in detail



How to probe QGP



Radiated gluon energy:

$$\hat{q} = \frac{\langle k_T^2 \rangle}{\lambda}$$

$$\omega \frac{dI}{d\omega} \propto \alpha_s C_R \sqrt{\frac{\hat{q} L^2}{\omega}}$$

transport coeff.

arxiv-hep-ph/0008241
Phys.Rev.D71:054027, 2005

Casimir coupling factor: 4/3 for quarks and 3 for gluons

➡ Color charge dependence of radiative E_{loss}

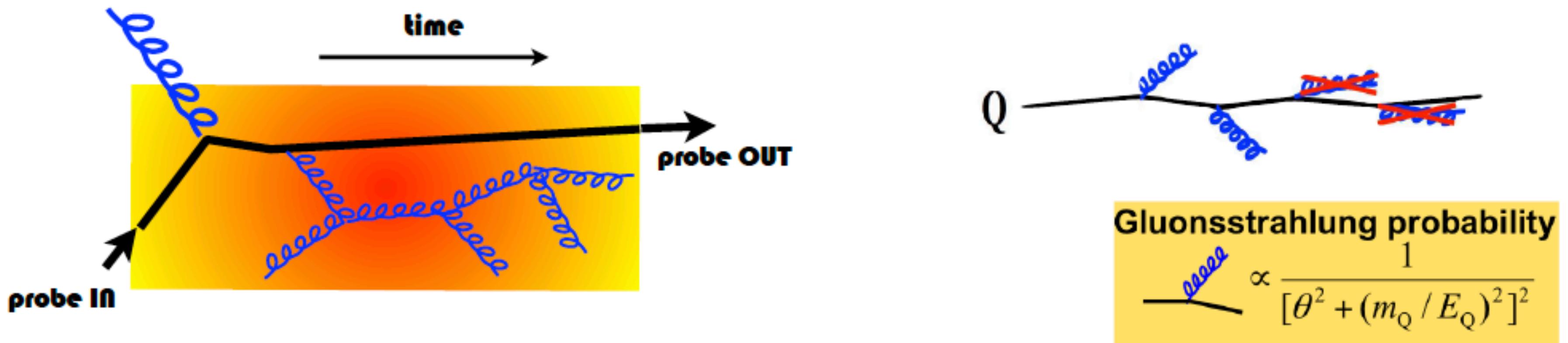
M. Djordjevic, M. Gyulassy, Nucl. Phys. A733 (2004) 265.

Yu. Dokshitzer and D.E. Kharzeev, Phys.Lett. B 519 199–206 (2001). N. Armesto, C. A. Salgado and U. A. Wiedemann, PRD 69 (2004) 114003

$$\Delta E_g > \Delta E_{c \approx q}$$

How to probe QGP

- In vacuum gluon radiation suppressed for $\theta < m_Q/E_Q$ (dead cone effect)



- With dead cone \rightarrow lower energy loss due to “angle-dependent” factor

Yu. Dokshitzer and D.E. Kharzeev, Phys.Lett. B 519 199–206 (2001).

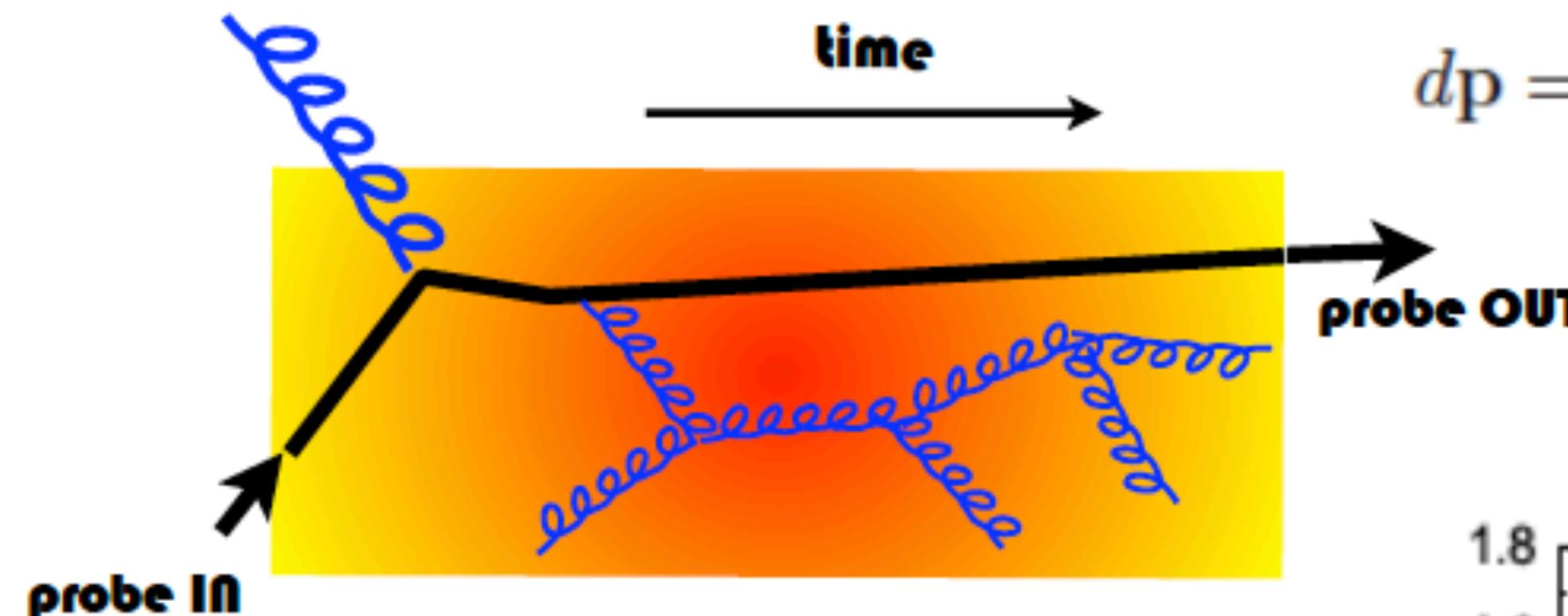
$$\omega \frac{dI}{d\omega}|_{Heavy} = \omega \frac{dI}{d\omega}|_{Light} \times \left(1 + \left(\frac{m_Q}{E_Q}\right)^2\right) \frac{1}{\theta^2}^{-2}$$

$$\Leftrightarrow E_{loss}(c) > E_{loss}(b)$$

M. Djordjevic, M. Gyulassy, Nucl. Phys. A733 (2004) 265. A. Salgado and U. A. Wiedemann, PRD 69 (2004) 114003

How to probe QGP

- If use Langevin formalism:

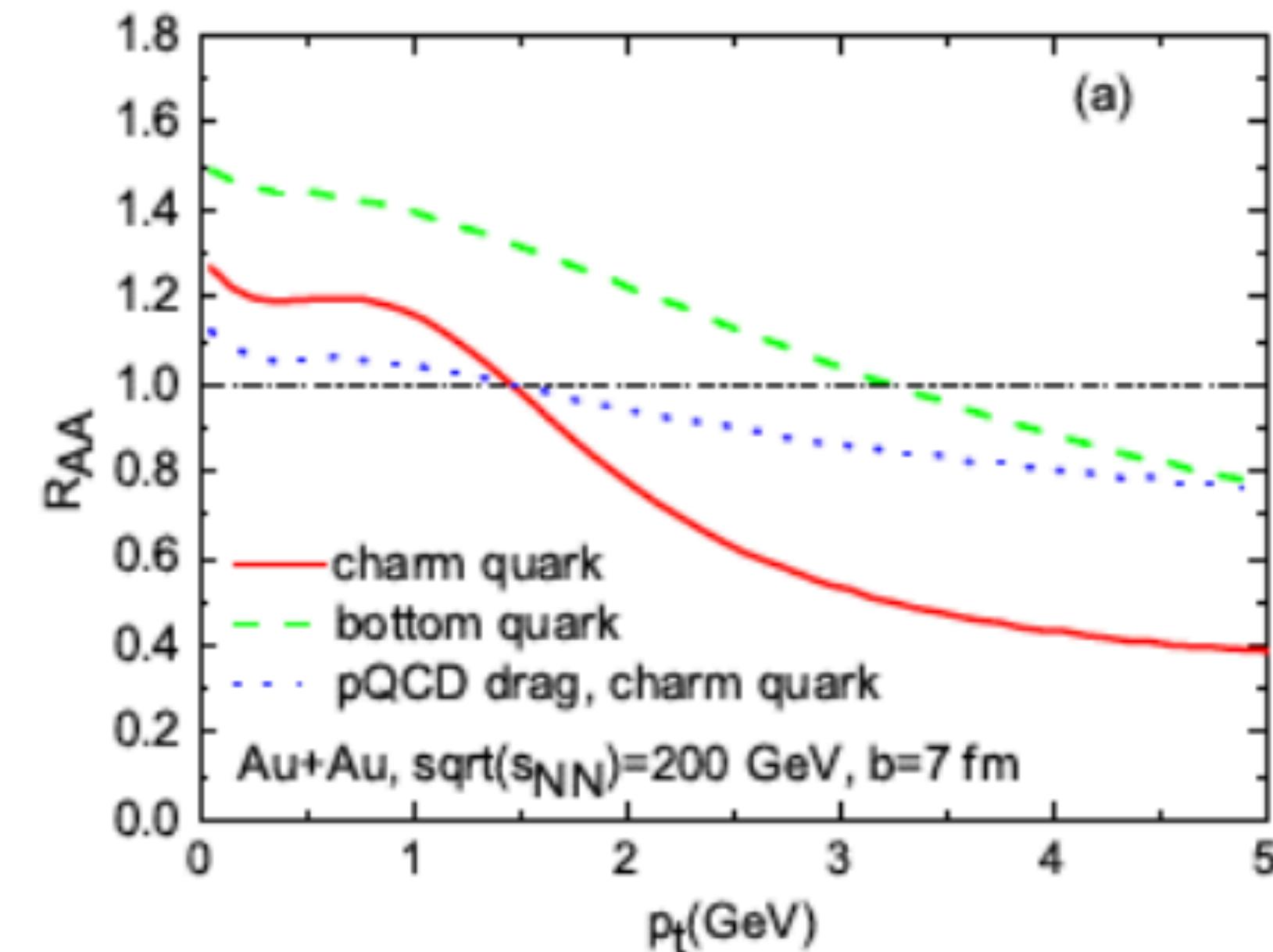


$$dx = \frac{p}{E} dt,$$
$$dp = -\Gamma(p)p dt + \sqrt{2D(p+dp)} dt \rho$$

Drag coefficient: E_{loss} term Diffusion term

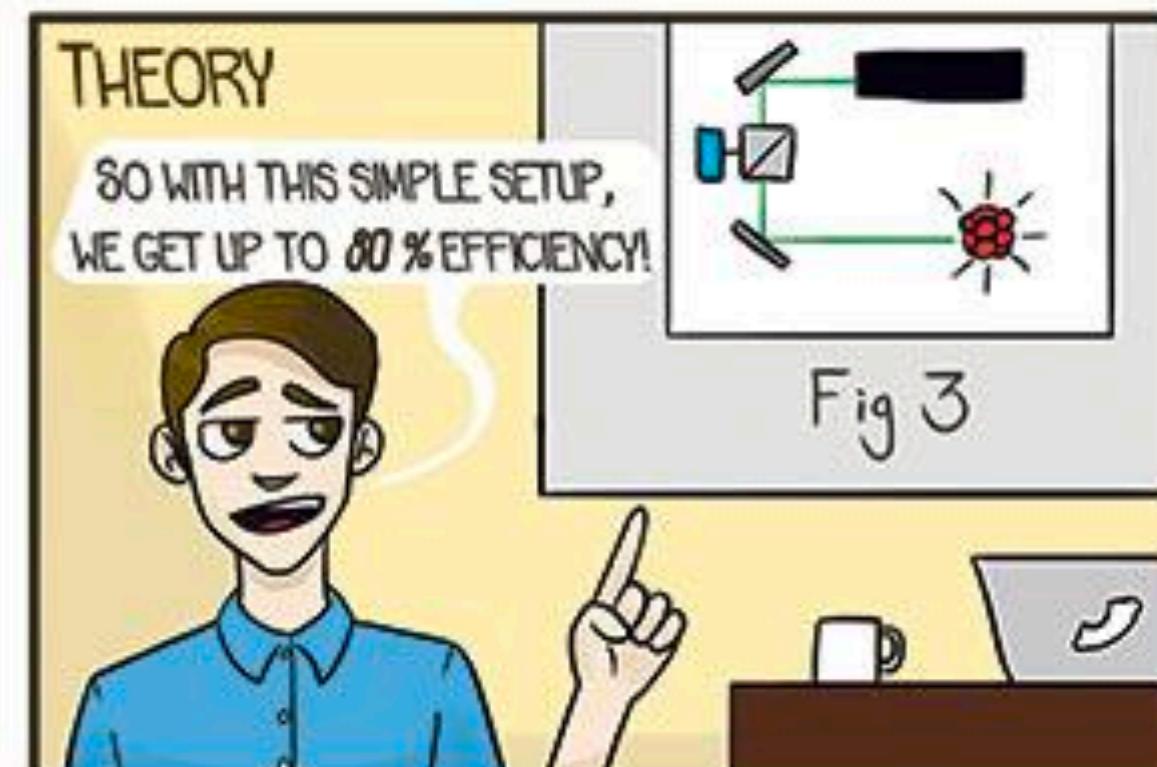
- Both the terms: $\Gamma(p)$ e D are proportional to $1/m_Q$
- Lower E_{loss} for b quark

He, Rapp, Frles, PRC86 (2012) 014903



But in practical terms?

THEORY VS EXPERIMENT



© DALE SCERRI

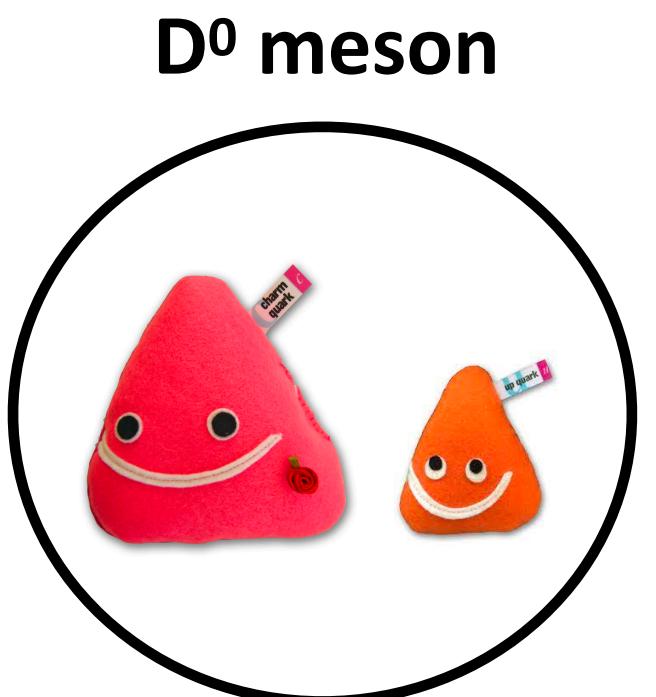
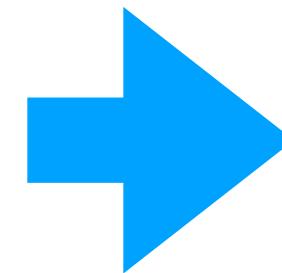


MATHONAUT.TUMBLR.COM

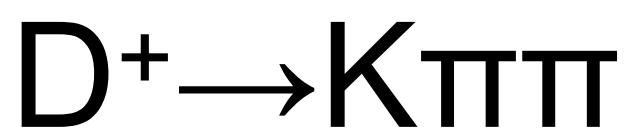
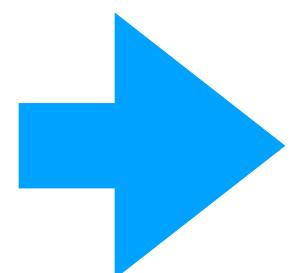
How do we “use” a quark?



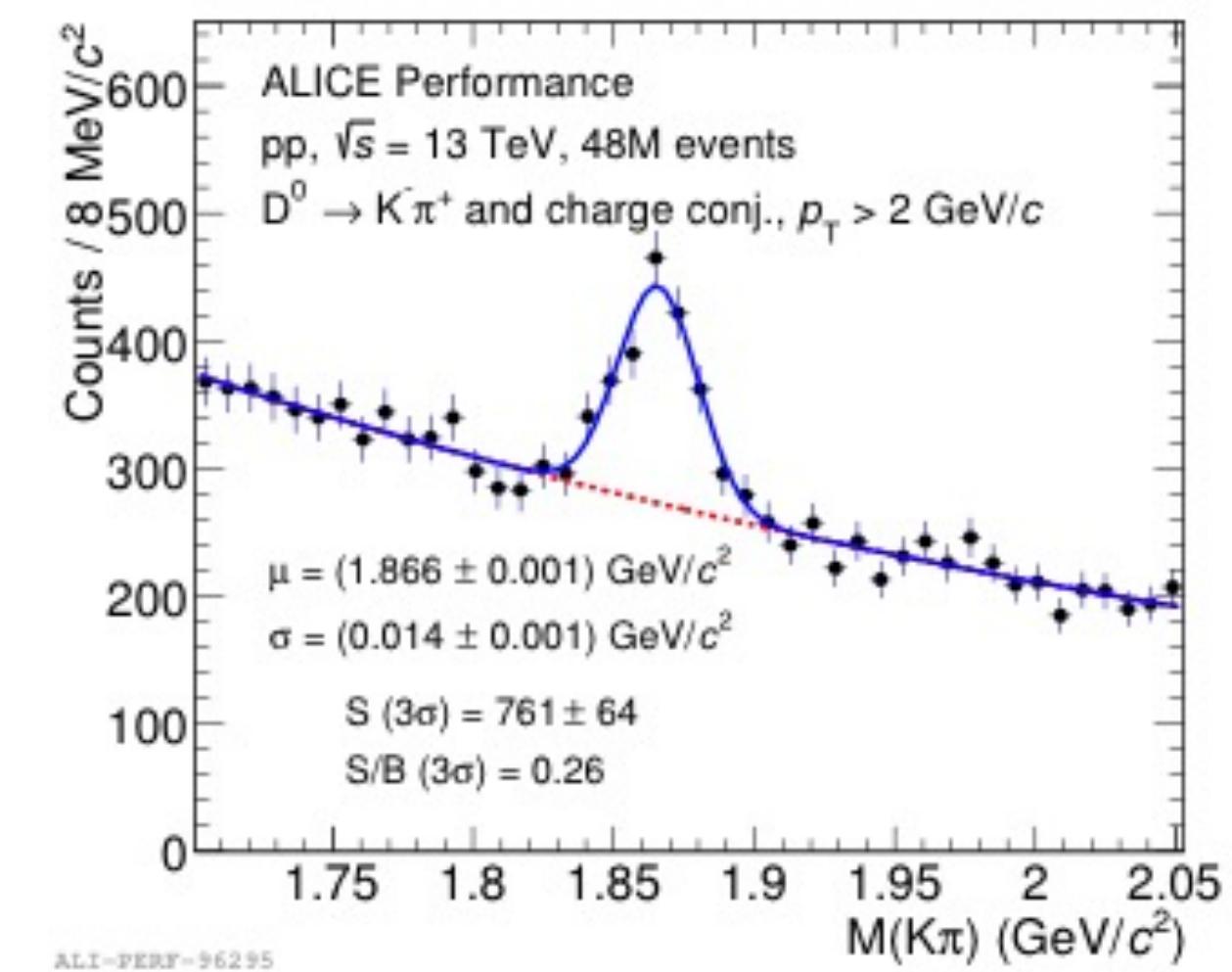
Charm quarks is confined into hadrons (particles), **we cannot directly access it**



We can use particles that “contain” the charm quark, like the D⁰ meson

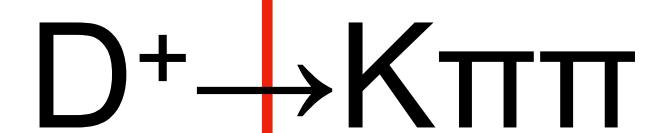
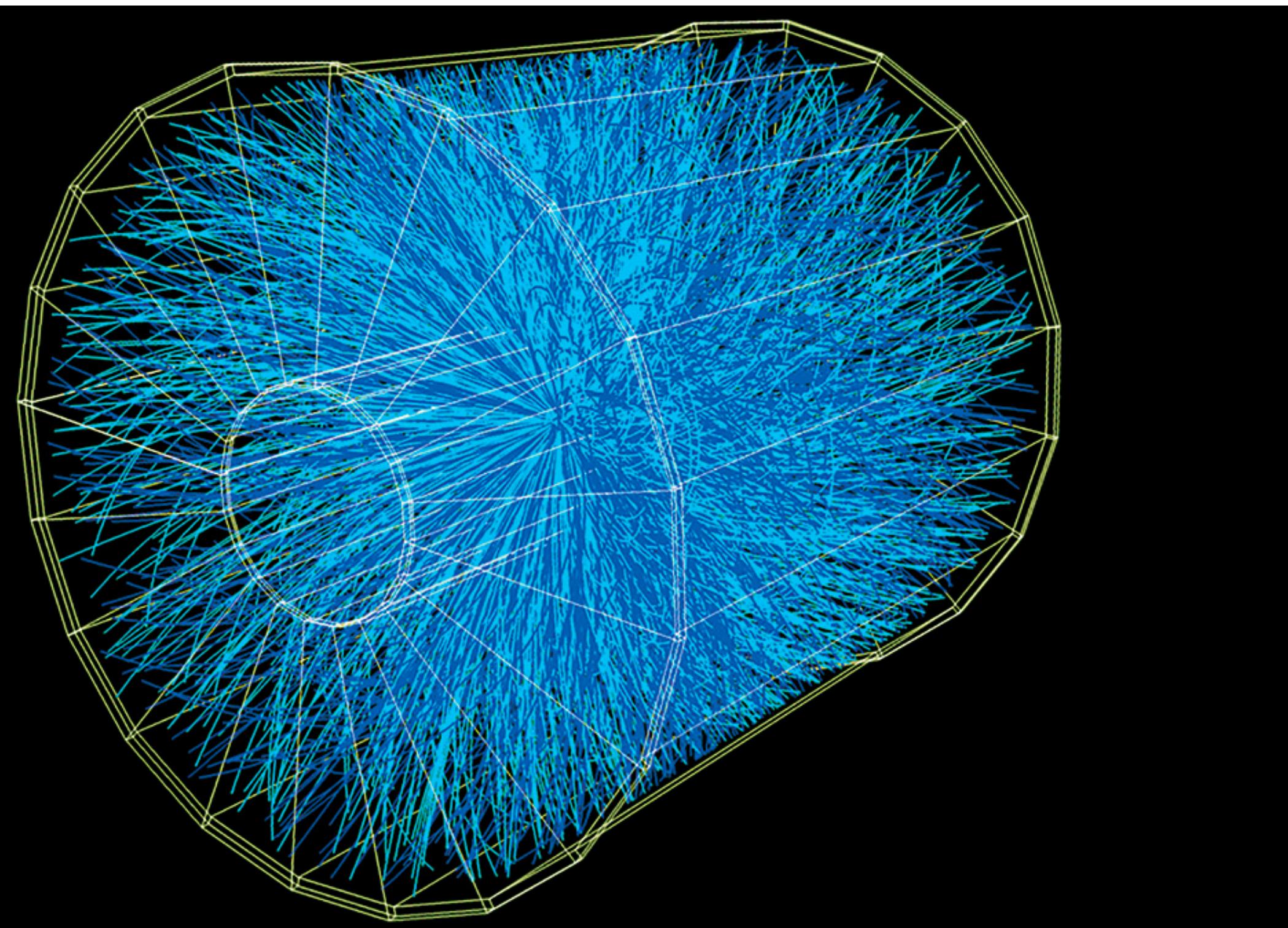


Of all the D⁰ we select only the one “easy” to see in our ALICE detector

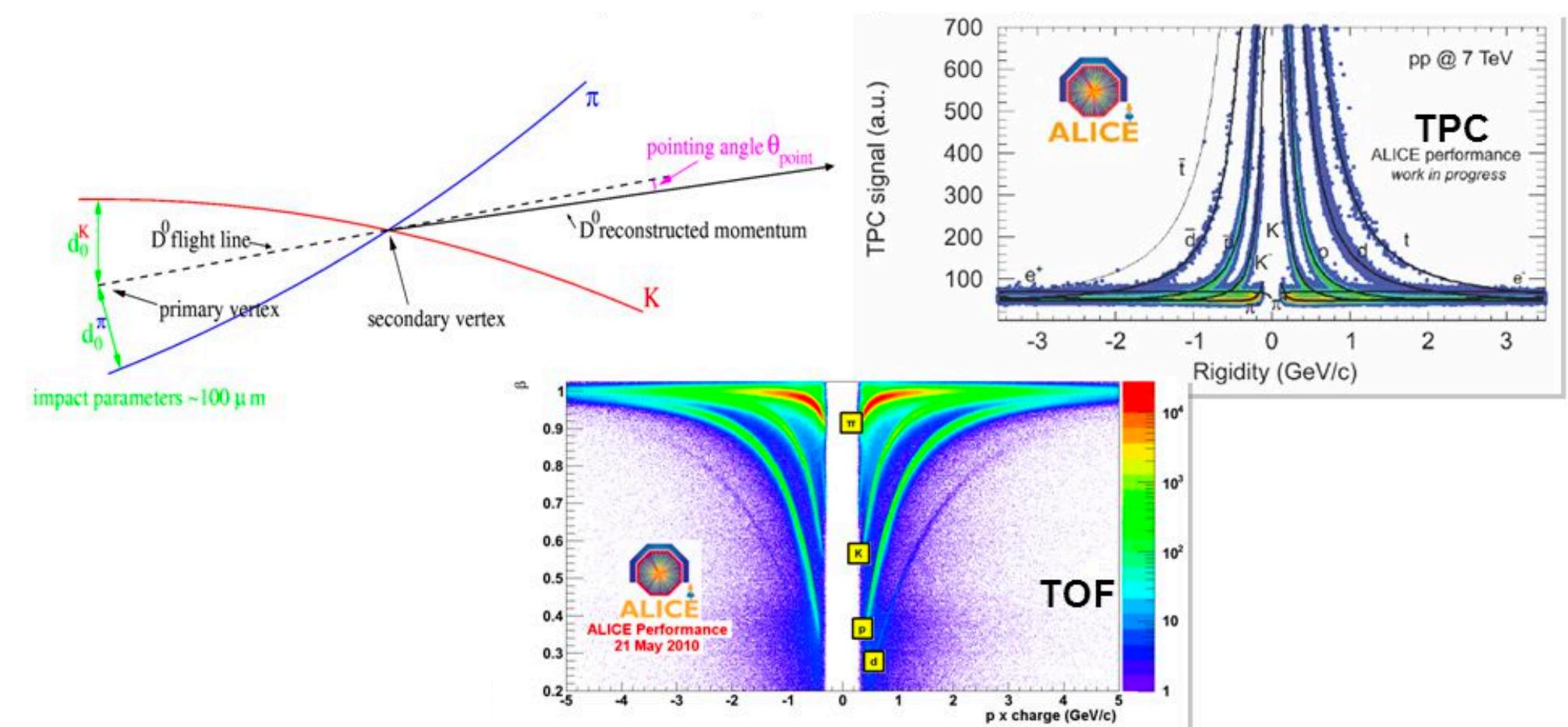


Easy to see? Well

- ▶ Out of thousand of particles we need to find the correct kaon and pions

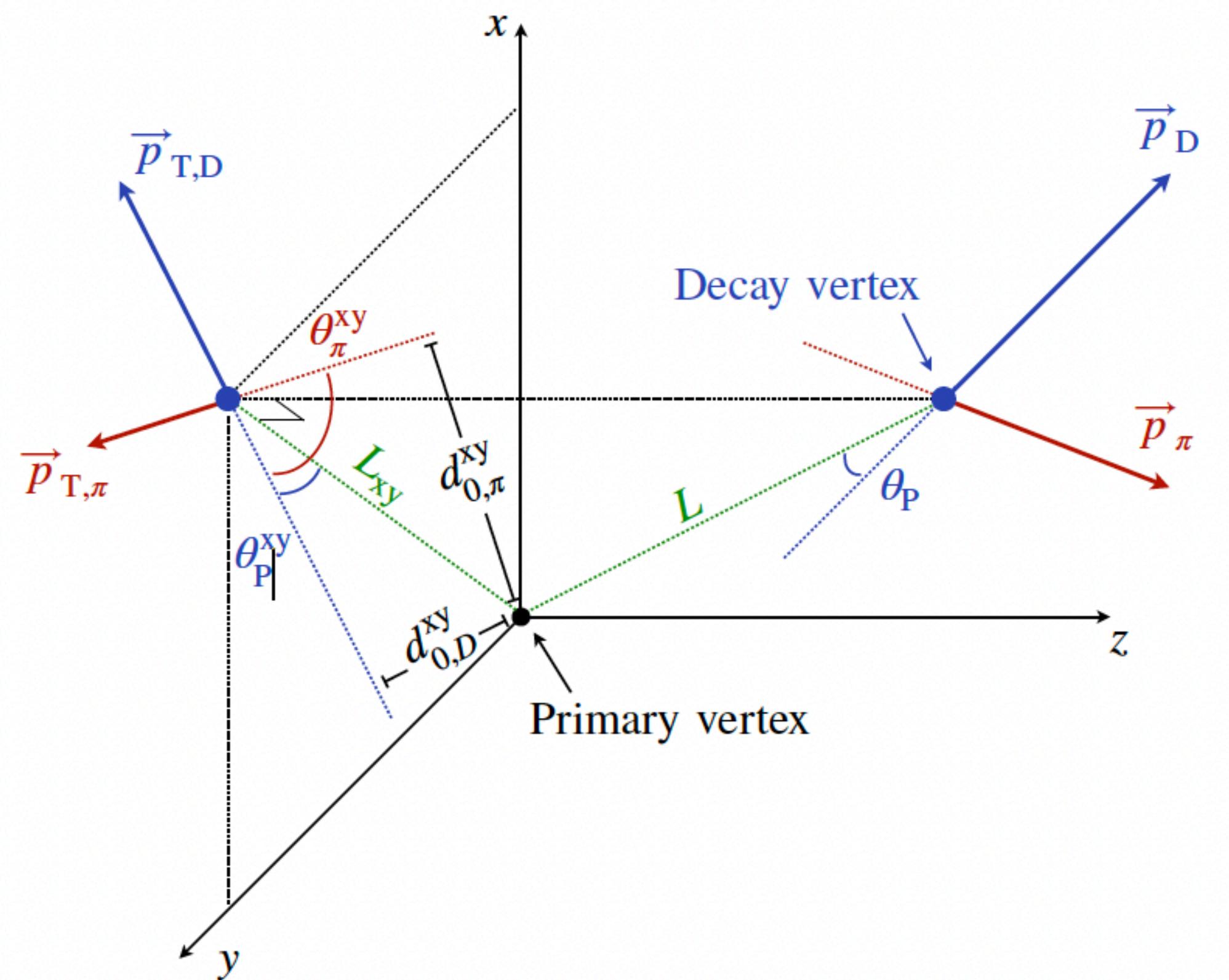


- ▶ The combinatorial is enormous, just taking combinations of 2 is not an option!
- ▶ We need to suppress combinatorial with particle identification and topology



Topological selections

$D^+ \rightarrow K\pi\pi$



L = decay length: distance from collision point to decay vertex

NL_{xy} = Normalised decay length: projection of L in xy plane divided by its uncertainty

DCA = Dispersion of the decay tracks around decay vertex (due to resolution effects we do not see the D^+ daughters coming from the same point)

d^{xy}_0 = Impact parameter of the track vs collision vertex

$\cos\theta_p$ = Cosinus of the angle between D flight line and its reconstructed momentum (sum of the daughters momenta)

<https://cds.cern.ch/record/2713513/files/CERN-THESIS-2020-017.pdf>

The project

- The data you have are synthetic data from the ALICE collaboration. Signal (D^+ decays) and combinatorial background topological variables have been included as well as the invariant mass calculation
- Can you build a learning strategy to separate efficiently signal and background? (i.e can you see the D^+ particle?)
- Can you compare different learning strategies and tell which one is the best suited for the job?

Questions?

