



COMPILER DESIGN COMPLETE NOTES

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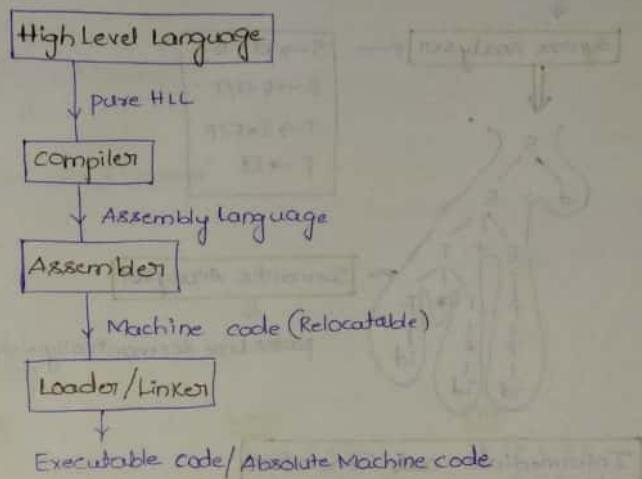
COMPILER DESIGN

①

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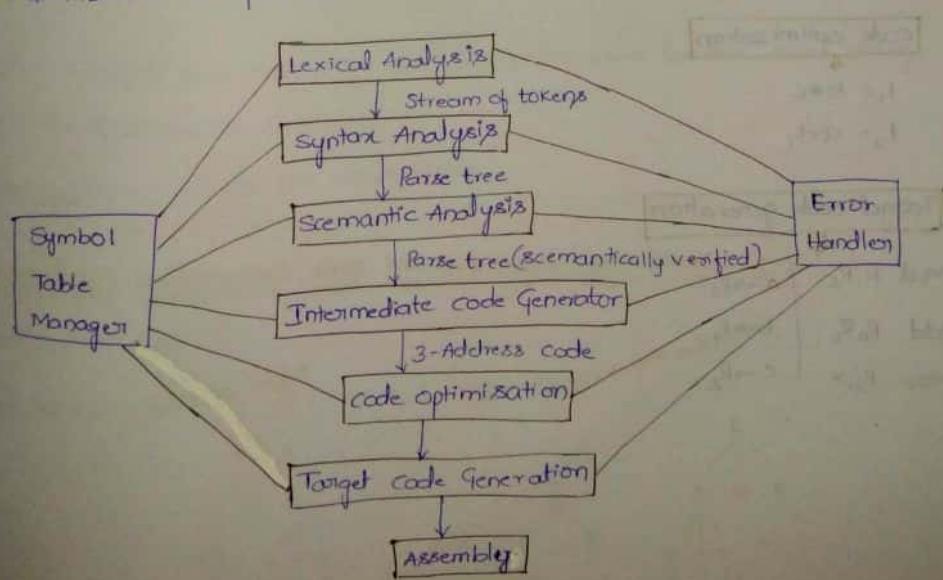
INTRODUCTION AND VARIOUS PHASES OF COMPILER (L-1)

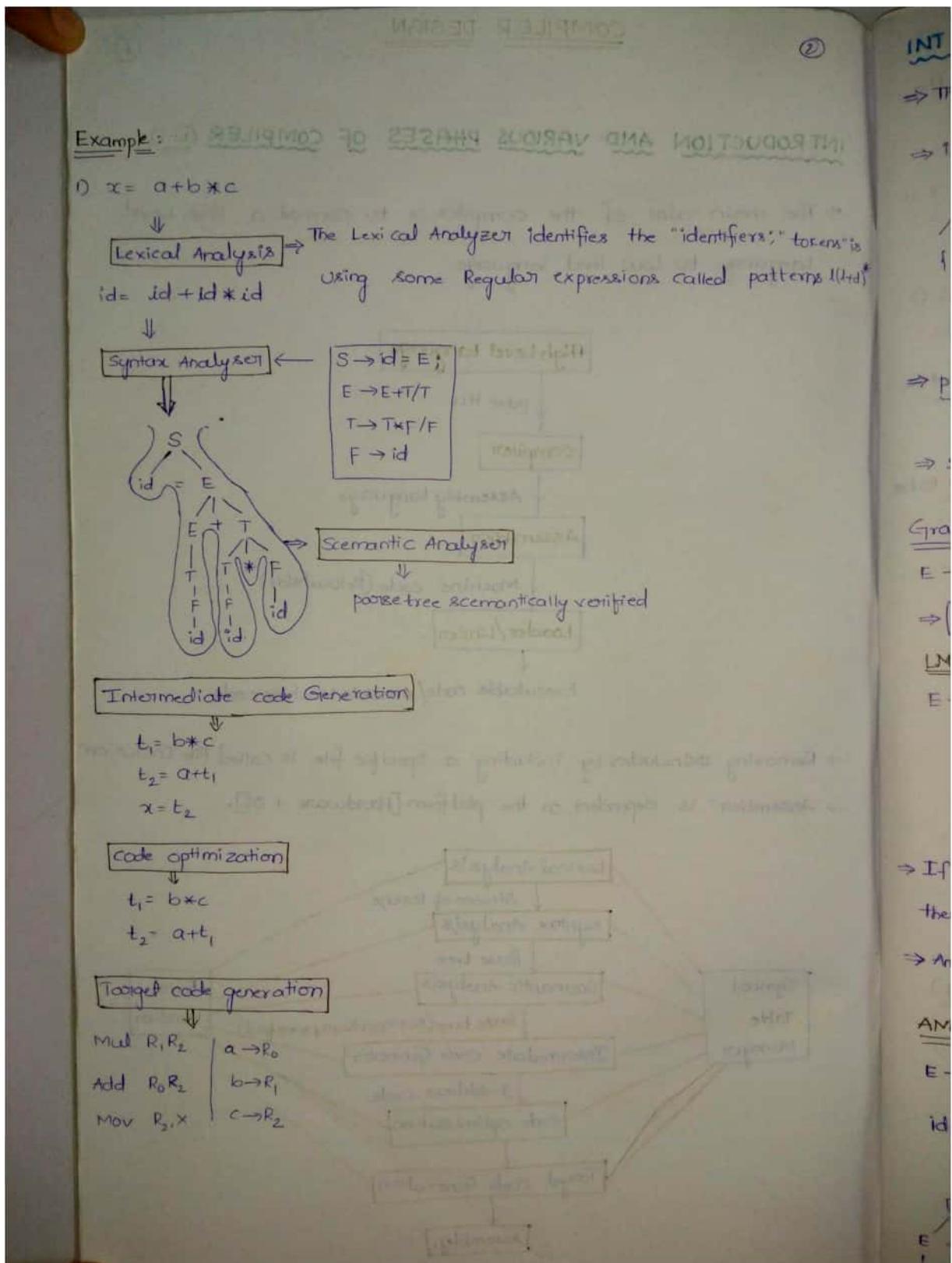
⇒ The main aim of the compiler is to convert a High Level Language to Low level language.



⇒ Removing `#includes` by including a specific file is called "File Inclusion".

⇒ "Assembler" is dependent on the platform [Hardware + OS].





INTRODUCTION TO LEXICAL ANALYSER (L-2)

⇒ This is the only phase that Reads the Input character by character

QUESTION

⇒ int max(x,y)

int x,y;

/* find max of x and y */

{

return (x>y ? x : y);

}

⇒ printf ("%d\n", x);

 ^ ^ ^ ^
 1 2 3 4 5 6 7 8
 TOKENS

int = 1 token

max = 1 token

return = 1 token

5 Tokens are present

⇒ Syntax Analyser is also called parser

Grammar:

$E \rightarrow E+E / E * E / id$

⇒ $[id + id * id] = \text{Given string}$

LNP

$E \rightarrow E+E$

$\rightarrow id + E+E$

$\rightarrow id + id * E$

$\rightarrow id + id * id$

RMD

$E \rightarrow E+E$

$\rightarrow E + E+E$

$\rightarrow E + E * id$

$\rightarrow E + id * id$

LMD

$E \rightarrow E * E$

$\rightarrow E+E * E$

$\rightarrow id+E * E$

$\rightarrow id+id * E$

RMD

$E \rightarrow E * E$

$\rightarrow E * id$

$\rightarrow E+E * id$

$\rightarrow E+id * id$

⇒ If a Grammar has more than one derivation trees for the same string

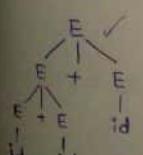
then the Grammar is Ambiguous

⇒ Ambiguity problems are undecidable

AMBIGUOUS GRAMMARS AND MAKING THEM UNAMBIGUOUS (L-3)

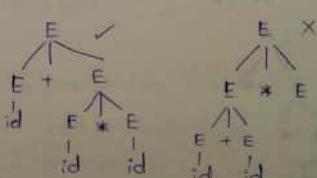
$E \rightarrow E+E / E * E / id$

$id + id + id \Rightarrow \text{Associativity}^X$



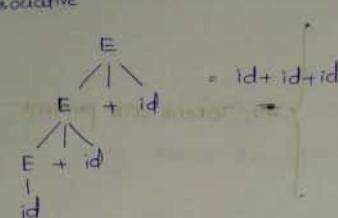
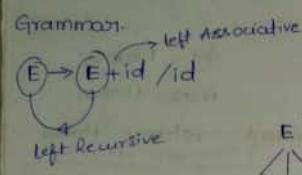
Leftmost plus should be evaluated first.

$id + id * id \Rightarrow \text{precedence}(*)$



Highest precedence one should be evaluated first (* should be evaluated first)

To avoid the above Ambiguity we have to restrict the growth of the Grammar.



⇒ The Grammar is said to be left recursive if the leftmost symbol in the RHS = LHS

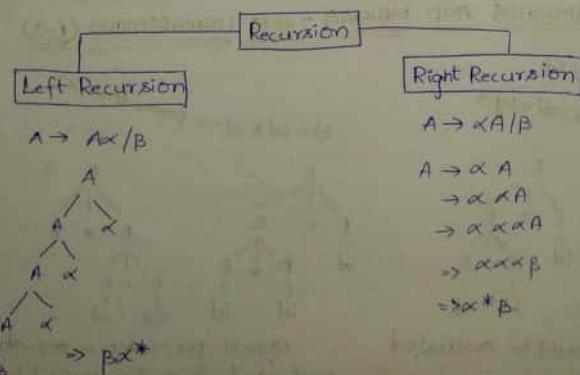
⇒ Inorder to overcome the Ambiguity we need to define the Grammar to be left Recursive

$$\begin{aligned} & E \rightarrow E + T / T \\ & T \rightarrow T * F / F \\ & F \rightarrow id \end{aligned} \quad \left. \begin{aligned} & \text{Associativity} = \text{Recursion} \\ & \text{Precedence} = \text{Levels} \end{aligned} \right\}$$

$\Rightarrow 2 \uparrow 3 \uparrow 2 = 2^{3^2} = (2^3)^2 = 2^9$

$$\begin{aligned} & A \rightarrow \$ B / B \quad \$, #, @ = \text{Left associative} \\ & B \rightarrow B \# C / C \\ & C \rightarrow C @ D / D \\ & D \rightarrow d \quad \$ < # < @ \end{aligned}$$

LEFT RECURSION ELIMINATION AND LEFT FACTORING OF GRAMMARS (L-4)



$\Rightarrow p\alpha^*(A \rightarrow p\alpha^*)$

$$\begin{array}{l} A \rightarrow pA' \\ A' \rightarrow \alpha A'/\epsilon \end{array} \Leftrightarrow \begin{array}{l} A \xrightarrow{\alpha A'/\beta} \\ A \xrightarrow{\alpha A'/\beta} \end{array}$$

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If the grammar is of the form
 $A \rightarrow Ax/B$, then eliminate left recursion.
 by $\begin{array}{l} A \rightarrow BA' \\ A' \rightarrow \alpha A'/\epsilon \end{array}$

$$E \rightarrow E + T / T$$

$$\begin{array}{l} E \rightarrow TE' \\ E' \rightarrow \epsilon | +TE' \end{array}$$

= Left Recursion Eliminated

$$\begin{array}{l} A \rightarrow B_1 A' / B_2 A' / B_3 A' \\ A' \rightarrow \alpha_1 A' / \alpha_2 A' / \alpha_3 A' \end{array}$$

} is the eliminated LR of the Grammar $A \rightarrow Ax_1 | Ax_2 | Ax_3 | \dots | B_1 | B_2 | B_3 | \dots$

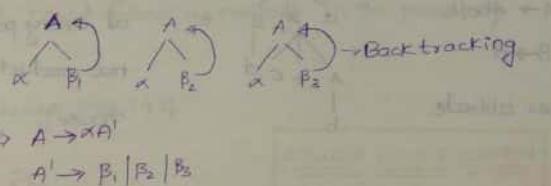
in the

3) Grammars can be classified into various categories

G

or to be

Ambiguous	unambiguous
Left Recursive	Right Recursive
Deterministic	Non-Deterministic ($A \rightarrow \alpha B_1 \alpha B_2 \alpha B_3$)



$$\begin{array}{l} ① S \rightarrow iETs / iEtSeS / a \\ E \rightarrow b \end{array}$$

$$\begin{array}{l} S \rightarrow iEtsS' / a \\ S' \rightarrow es / e \\ E \rightarrow b \end{array}$$

\Rightarrow The elimination of Non-determinism does not guarantee the elimination of Ambiguity.

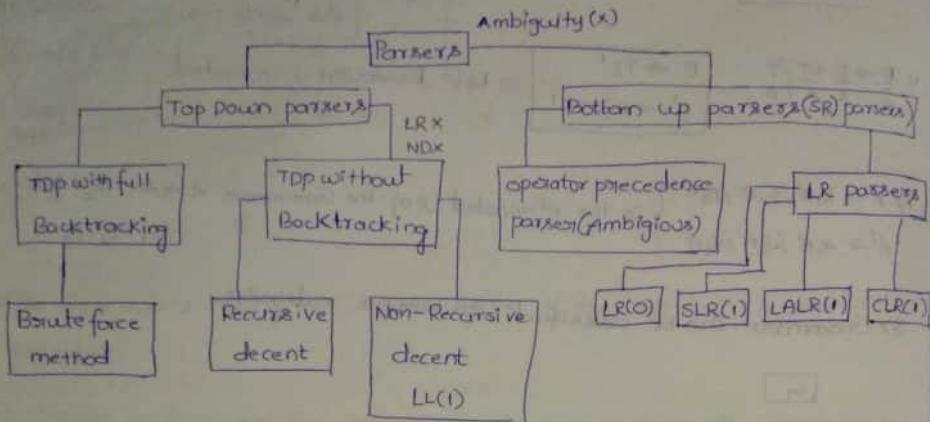
$$\begin{array}{l} ② S \rightarrow assbs / sasbs / abb / b \Rightarrow S \rightarrow asS' / b \\ S' \rightarrow ssbs / sasbs / bb \\ S' \rightarrow ss'' \\ S'' \rightarrow sbs / asb \end{array}$$

$$\begin{array}{l} ③ S \rightarrow bssaaS / bssasb / bsb / a \Rightarrow S \rightarrow bSS' / a \\ S' \rightarrow saas / sasb / b \\ S' \rightarrow Ss' / b \\ S'' \rightarrow as / sb / \end{array}$$

PARSERS

⑥

⇒ parsers are nothing but Syntax Analyzers. (L-5)



Now, Before
functions

FIRST():

$$\begin{aligned} S &\rightarrow a \ A \ B \ C \\ A &\rightarrow b \\ B &\rightarrow c \\ C &\rightarrow d \\ D &\rightarrow e \end{aligned}$$

$$\begin{aligned} S &\rightarrow A \ B \ C \\ A &\rightarrow b \\ B &\rightarrow c \\ C &\rightarrow d \\ D &\rightarrow e \end{aligned}$$

FOLLOW():

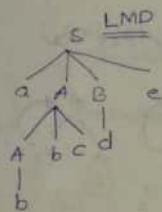
- ⇒ what is
- derivation
- ⇒ follow o

⇒
 $S \rightarrow aABe$

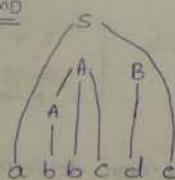
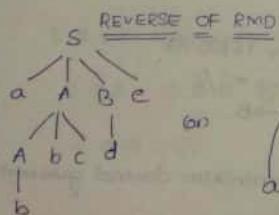
$A \rightarrow Abc/b$

$B \rightarrow d$

$w = abbade$



The main thing that we must assure is at every point when we have more than two productions to be chosen, "which one to choose"



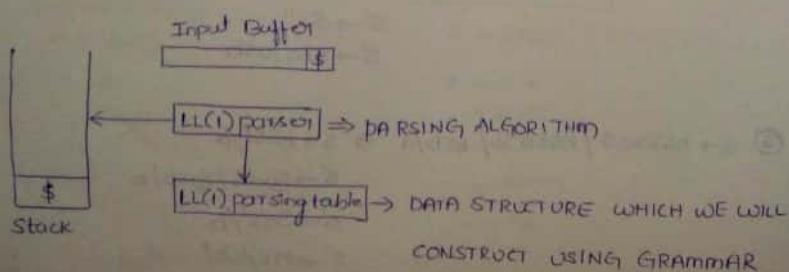
⇒ The main decision that should be made is if I see a terminal when to Reduce

⇒ Now, If n

Variable

LL(1) PARSER / NON RECURSIVE DECENT PARSER

Left to Right, Left most Derivation, (1) = No. of look aheads



Now, Before constructing the LL(1) parsing table we should know two functions they are FIRST AND FOLLOW

FIRST():

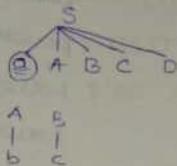
$$S \rightarrow aABCD$$

$$A \rightarrow b$$

$$B \rightarrow c$$

$$C \rightarrow d$$

$$D \rightarrow e$$



$$\text{FIRST}(S) = a$$

$$\text{FIRST}(c) = d$$

$$\text{FIRST}(A) = b$$

$$\text{FIRST}(D) = e$$

$$\text{FIRST}(B) = c$$

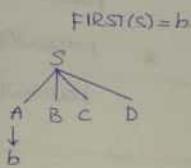
$$S \rightarrow ABCD$$

$$A \rightarrow b$$

$$B \rightarrow c$$

$$C \rightarrow d$$

$$D \rightarrow e$$



$$\text{FIRST}(S) = b$$

$$S \rightarrow ABCD$$

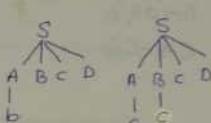
$$A \rightarrow b/e$$

$$B \rightarrow c \text{ (small } c\text{)}$$

$$C \rightarrow d$$

$$D \rightarrow e$$

$$\text{FIRST}(S) = \{b, c\}$$



score is

than

one to

FOLLOW():

⇒ what is the terminal which could follow a variable in the process of derivation.

⇒ follow of start symbol always contains \$

$$S \rightarrow ABCD$$

$$\text{FOLLOW}(S) = \{\$\}$$

$$A \rightarrow b/e$$

$$\text{FOLLOW}(A) = \text{FIRST}(B, C, D) = \{c, d, e\}$$

$$B \rightarrow c/e$$

$$\text{FOLLOW}(B) = \text{FIRST}(C, D) = \{d\}$$

$$C \rightarrow d$$

$$\text{FOLLOW}(C) = \text{FIRST}(D) = \{e\}$$

$$D \rightarrow e$$

FOLLOW NEVER CONTAIN
"EPSILON"

* Now, If nothing is following a variable i.e. If nothing is at the RHS of a variable then the follow of that variable is the follow of LHS

FOLLOW(D) = FOLLOW(S) = {\\$}

SAMPLES ON HOW TO FIND FIRST AND FOLLOW IN LL(1) PARSER (L-E)

1) $S \rightarrow ABCDE$

$A \rightarrow a/\epsilon$

$B \rightarrow b/\epsilon$

$C \rightarrow c$

$D \rightarrow d/\epsilon$

$E \rightarrow e/\epsilon$

FIRST(S) = {a, b, c, d}

FIRST(A) = {a, ϵ }

FIRST(B) = {b, ϵ }

FIRST(C) = {c}

FIRST(D) = {d, ϵ }

FIRST(E) = {e, ϵ }

(8)
FOLLOW(S) = { $\$$ }

FOLLOW(A) = {b, c, d}

FOLLOW(B) = {c}

FOLLOW(C) = {d, e, $\$, \epsilon$ }

FOLLOW(D) = {e, ϵ }

FOLLOW(E) = { $\$$ }

2) $S \rightarrow Bb/cd$

$B \rightarrow aB/\epsilon$

$C \rightarrow cC/\epsilon$

FIRST(S) = {a, b, c, d}

FIRST(B) = {a, ϵ }

FIRST(C) = {c, ϵ }

FOLLOW(S) = { $\$$ }

FOLLOW(B) = {b}

FOLLOW(C) = {d}

3) $E \rightarrow TE'$

$E' \rightarrow +TE'/\epsilon$

$T \rightarrow FT'$

$T' \rightarrow *FT'/\epsilon$

$F \rightarrow id/(CE)$

FIRST(E) = {id, C}

FIRST(E') = {+, ϵ }

FIRST(T) = {id, C}

FIRST(T') = {*}, ϵ

FIRST(F) = {id, C}

FOLLOW(E) = { $\$, \epsilon$ }

FOLLOW(E') = { $\$, \epsilon$ }

FOLLOW(T) = {+, $\$, \epsilon$ }

FOLLOW(T') = {+, $\$, \epsilon$ }

FOLLOW(F) = {*}, $\$, \epsilon$

4) $S \rightarrow AcB/cBb/Ba$

$A \rightarrow da/BC$

$B \rightarrow g/\epsilon$

$C \rightarrow h/\epsilon$

FIRST(S) = {e, d, g, h, b, a}

FIRST(A) = {d, g, h, ϵ }

FIRST(B) = {g, ϵ }

FIRST(C) = {h, ϵ }

FOLLOW(S) = { $\$, \epsilon$ }

FOLLOW(A) = {h, g, $\$, \epsilon$ }

FOLLOW(B) = { $\$, a, h, g$ }

FOLLOW(C) = {g, h, b, h}

5) $S \rightarrow aABB$

$A \rightarrow C/\epsilon$

$B \rightarrow d/\epsilon$

FIRST(S) = {a}

FIRST(A) = {c, ϵ }

FIRST(B) = {d, ϵ }

FOLLOW(S) = { $\$$ }

FOLLOW(A) = {d, b}

FOLLOW(B) = {b}

6) $S \rightarrow aBDh$

$B \rightarrow cC$

$C \rightarrow bC/\epsilon$

$D \rightarrow EF$

$E \rightarrow g/\epsilon$

$F \rightarrow f/\epsilon$

FIRST(S) = {a}

FIRST(B) = {c}

FIRST(C) = {b, ϵ }

FIRST(D) = {g, f, ϵ }

FIRST(E) = {g, ϵ }

FIRST(F) = {f, ϵ }

FOLLOW(S) = { $\$$ }

FOLLOW(B) = {g, f, h}

FOLLOW(C) = {g, f, h}

FOLLOW(D) = {h}

FOLLOW(E) = {f, h}

FOLLOW(F) = {h}

CONSTRUCTION

7) $E \rightarrow TE'$
 $E' \rightarrow +TE'/\epsilon$
 $T \rightarrow FT'$
 $T' \rightarrow *FT'/\epsilon$
 $F \rightarrow id/(CE)$

NOW THE

	id
E	$E \rightarrow TE'$
E'	
T	$T \rightarrow FT'$
T'	
F	$F \rightarrow$

8) $S \rightarrow (S)$

S	s
---	---

Now, $w =$

CONSTRUCTION OF LL(1) PARSING TABLE (L-7)

$$E \rightarrow TE'$$

$$\text{FIRST}(E) = \{\text{id}, C\}$$

$$\text{FOLLOW}(E) = \{\$\}$$

$$E' \rightarrow +TE'/\epsilon$$

$$\text{FIRST}(E') = \{+\, \epsilon\}$$

$$\text{FOLLOW}(E') = \{\$\}$$

$$T \rightarrow FT'$$

$$\text{FIRST}(T) = \{\text{id}, C\}$$

$$\text{FOLLOW}(T) = \{+, \$,)\}$$

$$T \rightarrow *FT'/\epsilon$$

$$\text{FIRST}(T') = \{*, \epsilon\}$$

$$\text{FOLLOW}(T') = \{+, \$,)\}$$

$$F \rightarrow \text{id}/(E)$$

$$\text{FIRST}(F) = \{\text{id}, (\}\}$$

$$\text{FOLLOW}(F) = \{*, +, \$,)\}$$

NOW THE LL(1) PARSING TABLE LOOKS LIKE

	id	+	*	()	\$
E	$E \rightarrow TE'$			$E \rightarrow TE'$		
E'		$E' \rightarrow +TE'$			$E' \rightarrow \epsilon$	$E' \rightarrow \epsilon$
T	$T \rightarrow FT'$			$T \rightarrow FT'$		
T'		$T' \rightarrow \epsilon$	$T' \rightarrow *FT'$		$T' \rightarrow \epsilon$	$T' \rightarrow \epsilon$
F	$F \rightarrow \text{id}$			$F \rightarrow (E)$		

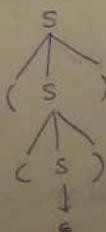
$$\Rightarrow S \rightarrow (S)/\epsilon$$

S	()	\$
$S \rightarrow (S)$	$S \rightarrow \epsilon$	$S \rightarrow \epsilon$	

All Grammars are not feasible
for LL(1) parsing.

$$\text{Now, } w = ((\$)$$

~~(((\\$))\\$~~



AND GRAMMAR WHICH
IS LEFT RECURSIVE/NR
CANNOT BE USED FOR
LL(1) PARSING

Non-deterministic

CHECK WHETHER THE GRAMMARS ARE LL(1) OR NOT

$$1) S \rightarrow aSbS / bSaS / \epsilon$$

$\{a\}$ $\{b\}$ $\{a, b, \$\} \Rightarrow$ Not LL(1)

↳ which means the production must be placed under 'S' row and 'a' column.

↳ Since the $S \rightarrow \epsilon$ production should be placed under the follow(s) which are $\{a, b\}$, we have already placed production in 'S' row and 'a' column which means a single CELL has more than one entry, so the grammar is not LL(1) X

$$2) S \rightarrow aABb \Rightarrow \{a\} \xrightarrow{A \rightarrow C/\epsilon} \{c\} \xrightarrow{A \rightarrow \epsilon} \{a\}$$

$A \rightarrow C/\epsilon \Rightarrow \{c\}$ and follow(A) = $\{d, b\}$

$B \rightarrow d/\epsilon \Rightarrow \{d\}$ and $\{b\} \Rightarrow$ Is LL(1) ✓

↳ conflict

$$3) S \rightarrow A/a \quad \{a\} \cap \{a\} = \text{Not LL(1)} \quad X$$

$A \rightarrow a \quad \{a\}$

$$4) S \rightarrow aB/\epsilon \quad \{a\} \cap \{\$ \} \Rightarrow \text{Not } X$$

$B \rightarrow bC/\epsilon \quad \{b\} \cap \{\$ \} \Rightarrow \text{Not } X$

$C \rightarrow cS/\epsilon \quad \{c\} \cap \{\$ \} \Rightarrow \text{Not } X$

$$5) S \rightarrow AB$$

$A \rightarrow a/\epsilon \Rightarrow \{a\} \cap \{b, \$\} \Rightarrow \text{Not } X$

$B \rightarrow b/\epsilon \Rightarrow \{b\} \cap \{\$ \} \Rightarrow \text{Not } X$

$$6) S \rightarrow ASA/\epsilon \Rightarrow \{a\} \cap \{c, \$\} \Rightarrow \text{Not } X$$

$A \rightarrow C/\epsilon \Rightarrow \{c\} \cap \{c\} \Rightarrow \text{Not } X$

$$7) S \rightarrow A$$

$A \rightarrow Bb/cd \cap \{a, b\} \cap \{cd\} \Rightarrow$

$B \rightarrow aB/\epsilon \Rightarrow \{a\} \cap \{b\} \Rightarrow$

$C \rightarrow CC/\epsilon \Rightarrow \{c\} \cap \{d\} \Rightarrow$

$$8) S \rightarrow aAa/\epsilon \quad \{a\} \cap \{\$, a\} \times \text{Not LL(1)}$$

$A \rightarrow abS/\epsilon \quad \{b\} \cap \{a\} \times \text{Not LL(1)}$

RECURSIVE

$$E \rightarrow tE'$$

$$E' \rightarrow +tE'/\epsilon$$

→ The parser

we are going

$$E()$$

↓

1 if ($t =$
2 {

m

} 3 E

} 4
1 getchar()

(...)

main()

{

0 E()

2 If ($t =$

3 printf(

)

OPERATOR

OPERATOR

A Gramma
operator G

⇒ No Two

⇒ No EPS

$$9) S \rightarrow tEtSS'/a \quad \{t\} \cap \{a\} \Rightarrow$$

$S' \rightarrow es/\epsilon \quad \{e\} \cap \{s\} \Rightarrow$

$E \rightarrow b \quad \{b\} \cap \{b\} \Rightarrow$

Not LL(1) X

⇒ This p

RECURSIVE DECENT PARSER (L-8)

$$E \rightarrow t E'$$

$$E' \rightarrow +t E'/e$$

and it's

now and

entry so

T

4

Not

LL(1) X

The parser is called Recursive Decent parser because for every variable we are going to write Recursive functions.

```
E()
{
    if (l == 'l')
        {
            match('i');
            E();
        }
    l = getchar();
}
```

```
E'()
{
    if (l == '+')
    {
        1) match('+');
        2) match('i');
        3) E();
    }
    else return;
}
```

```
match(char t)
{
    if (l == t)
        l = getchar();
    else printf("error");
}
```

{(j+i+1) is generated from above grammar}

main()

```
{
    1) E()
    2) if (l == '$')
    3) printf("parsing success");
}
```

→ This parser uses Recursion stack for parsing.
→ Here 1- look ahead

OPERATOR GRAMMAR AND OPERATOR PRECEDENCE PARSER (L-9)

OPERATOR GRAMMAR

A Grammar that is used to define the mathematical operations is called Operator Grammar (with some Restrictions)

⇒ NO Two variables must be Adjacent

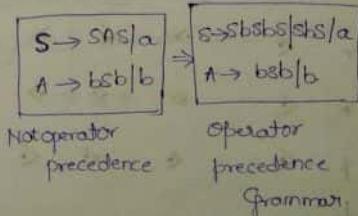
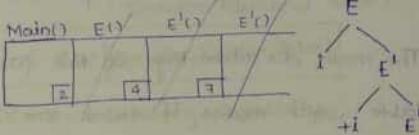
⇒ NO Epsilon productions

$$E \rightarrow E+E/E * E/id \quad (\checkmark)$$

$$\left. \begin{array}{l} E \rightarrow EAE/id \\ A \rightarrow +/* \end{array} \right\} \text{Not Operator Grammar}$$

⇒ This parser parses the ambiguous grammars by creating operator relation

Table

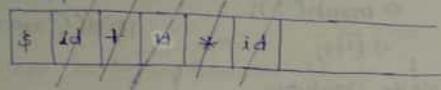


The operator Relational table looks like

			*	\$
id	-	>	>	>
+	<	>	<	<
*	<	>	>	>
\$	<	<	<	⊖

$$W = id + id * id \$$$

↑↑↑↑↑
top head

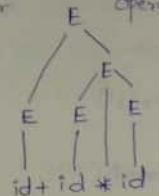


The given grammar is

$$E \rightarrow E+E / E * E / id$$

⇒ id will have higher precedence than any other operator

⇒ \$ will have least precedence than any other operator



⇒ Top of the stack will be \$.

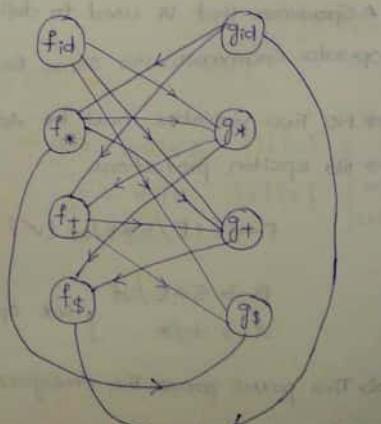
Now The Algorithm goes like this

- when the top of the stack is < than the lookahead then push it and whenever we get > we pop it (popping means actually we Reduced it)

The main disadvantage of this parser is the size of the operator relational table which means if there are 4 operators then size of the table is $16(4^2)$ and if there are 5 operators then there would be 25 entries(5^2). So Generally if there are 'n' operators, the size of the table is $O(n^2)$.

Now, To reduce the size of the table we use operator function table

		*	\$	→ function G'
id	-	>	>	>
+	<	>	<	>
*	<	>	>	>
\$	<	<	<	<
↓				
Function (F)				
				$\Rightarrow = F_id \rightarrow g_{id} (F \rightarrow g)$
				$\Leftarrow = g_{id} \rightarrow f_{id} (g \rightarrow F)$



Now, the L

Now, the L

Similarly f

Now if inc

∴ The Stack

⇒ In the nothing bu
is less th

ED

2) $P \rightarrow SR/S$

$R \rightarrow bSR$

$S \rightarrow wS$

$w \rightarrow L*$

$L \rightarrow id$

id

*

b

\$

Now, the longest path from f_d is $f_d \rightarrow g_+ \rightarrow f_+ \rightarrow g_+ \rightarrow f_\$$ (length 13)

now the longest path from g_d is $g_d \rightarrow f_+ \rightarrow g_+ \rightarrow f_+ \rightarrow g_+ \rightarrow f_\$$

Similarly find the longest paths from each node the function table looks like

	id	+	*	\$	
f	4 2	4	0		$f_d \xrightarrow{1} g_+ \xrightarrow{2} f_+ \xrightarrow{3} g_+ \xrightarrow{4} f_\$ = 4$
g	5	1	3	0	$f_+ \xrightarrow{1} g_+ \xrightarrow{2} f_\$ = 2$

Now if need to composite $(+, +) \Rightarrow f_+ \quad g_+$
 \downarrow
 $\Rightarrow 2 \quad 1 \Rightarrow 2 > 1 \Rightarrow (+ > +)$

will be \$.

The size of the table = $O(n^2)$ $n = \text{no. of operators}$.

In the functional table we don't have blank entries (Blank entries are nothing but errors) so, the error detecting capability of the functional table is less than that of operator Relation table (we have blank entries in Operator Relational table).

$\boxed{\text{EDC [Operator Functional Table]} < \text{EDC [Operator RelationTable]}}$

EDC = Error Detecting Capability.

$\Rightarrow P \rightarrow SR/S$

$R \rightarrow bSR/bS$

$S \rightarrow wbs/w$

$w \rightarrow L * w / L$

$L \rightarrow id$

$P \rightarrow SbP / sbS / S$

$S \rightarrow wbs/w$

$w \rightarrow L * w / L$

$L \rightarrow id$

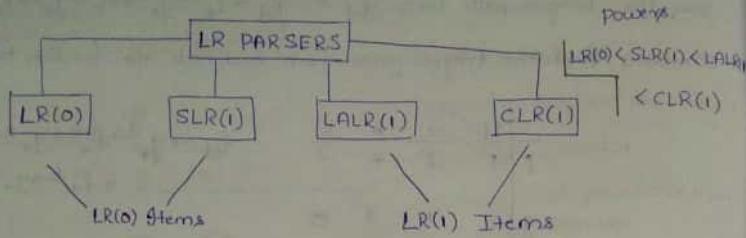
id	*	b	\$
id	-	>	>
*	<	<	>
b	<	<	<
\$	<	<	-

→ Here * is defined as Right associative ($w \rightarrow L * w$) so the Right side star has highest precedence

∴ * < *

LR PARSING, LR(0) ITEMS AND LR(0) PARSING TABLE (L-10)

14



1) $S \rightarrow AA$

$A \rightarrow aA/b$

} In LR parsers we have CLOSURE and GOTO Operations

The Augmented Grammar is $S' \rightarrow S$

$S \rightarrow AA$

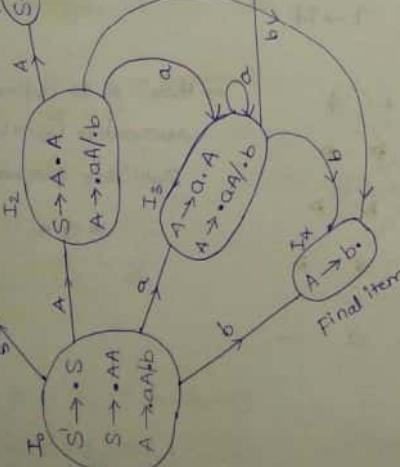
$A \rightarrow aA/b$

Any production with a dot in the RHS is called an item

The LR(0) parsing tree is,

$S' \rightarrow S$
 $S \rightarrow AA\odot$
 $A \rightarrow aA/b$ ①

Final item
 $S \rightarrow A\cdot A$ ⑤



The parsing table is

ACTION	GOTO		
	S	A	b
-	S ₃		
a	S ₄	S ₂	
b	S ₃	S ₄	S ₆
Accept			S ₅

- While waiting the Reduce moves while inspecting final items go to the productions and check

$S \rightarrow S$
 $S \rightarrow AA\odot$
 $A \rightarrow aA/b$ ①

Now I_4 is $A \rightarrow b \cdot$ (3rd produce)
 $\Rightarrow I_4 - R_2$

LR(0) PARSING

$S' \rightarrow S$

$S \rightarrow AA\odot$

$A \rightarrow aA/b$ ② ③

Input

⇒ Always the

⇒ Initially 'I'
 at and an
 and increment

⇒ Now top of
 which stat
 previous

⇒ Now In the
 RHS of the
 RHS In thi

which me
 'x' then
 onto the
 it turns
 = 6, so

SLR0

R₁: $S \rightarrow AA$
 Place R₁ in follow
 follow(S) - { $\$$ }

LR(0) PARSING EXAMPLE AND SLR(1) TABLE (L-II)

14

15

$S \rightarrow S$
 $S \rightarrow AA\top$
 $A \rightarrow aA/b$
 LR(0) < LR(1)
 CLR(1)

Let the given string be aabb\$

$aabb\$$

Input pointer ↑↑↑↑↑

0	a	b	A	G	A	G	A	b	A	5	S	1	Accept
---	---	---	---	---	---	---	---	---	---	---	---	---	--------

→ Always the top of the stack contains state (and first state will be zero)

→ Initially 'I₀' on 'a' is S₃ which means shift the input you are looking at and as well as the state no on to the stack ⇒ [Input = a, State = S₃] = a/z and increment the Input pointer [continue]

→ Now top of the stack is '4' and Input pointer is b which means R₃ which states that Reduce the production no 3. which means reduce the previous 'b' (previous symbol). ↴(A → b)

→ Now In the stack how could we make Reduce move is look the RHS of the production that must be Reduced, and find the length of RHS In this example 'A → b' is the production ⇒ length of RHS = 1 which means pop 2 symbols (x₂) from stack. (If the length of RHS is x then pop x elements from stack) and push the LHS symbol onto the stack, and see the stack for the last used state number it turns out that it is 3 and look what '3' on 'A' is generating = 6, so push 6 onto the stack. when we see reduce moves we don't increment Input pointer.

SLR(1)

	ACTION			GOTO	
	a	b	\$	A	S
0	S ₃	S ₄		2	1
1			Accept		
2	S ₃	S ₄		5	
3	S ₃	S ₄	.	6	
4	R ₃	R ₃	R ₃		
5				R ₁	
6	R ₂	R ₂	R ₂		

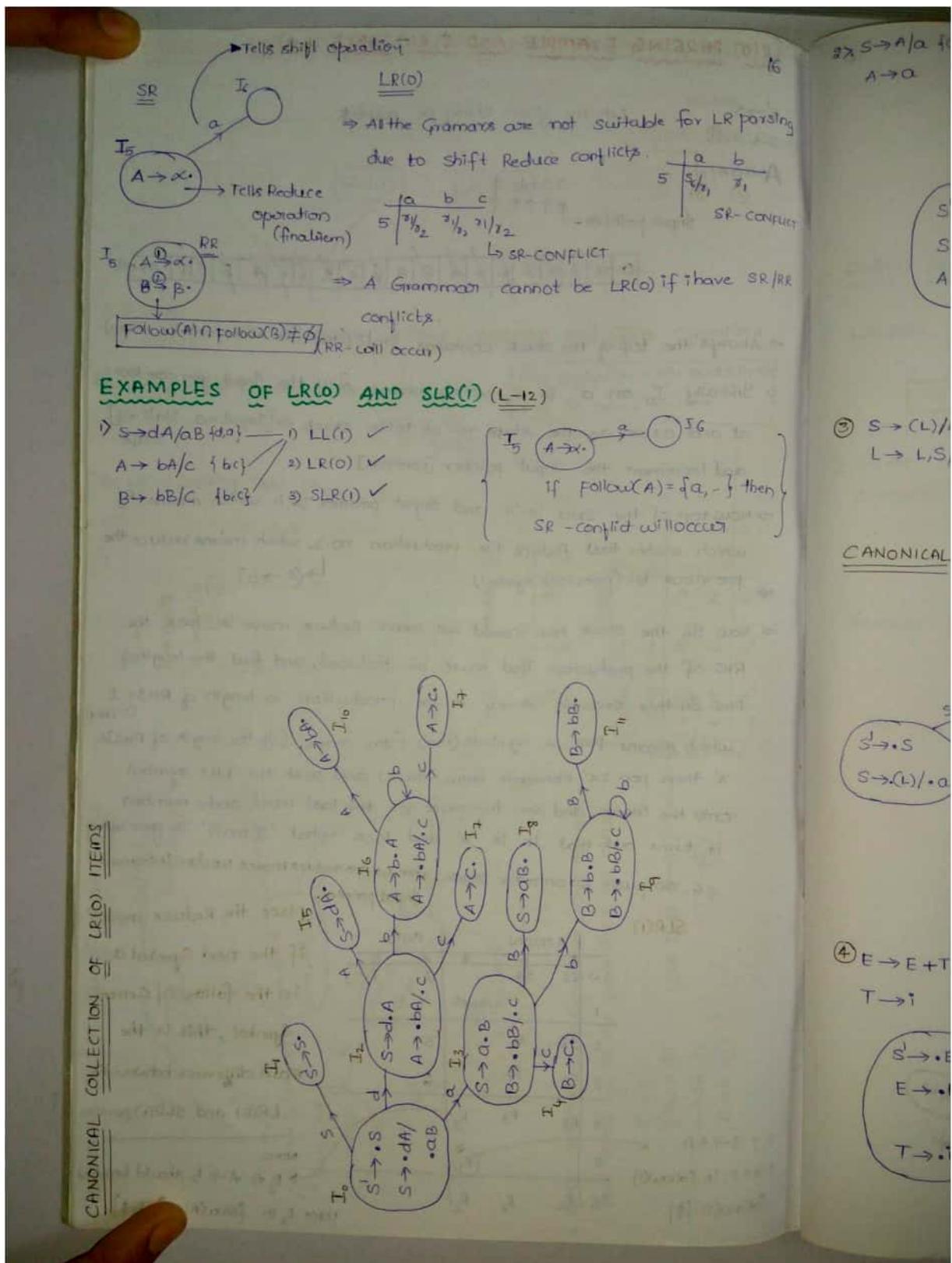
P₁: S → AA

Place R₁ in follow(S)
follow(S) = {#}

place the Reduce moves

if the next symbol is in the follow of current symbol, this is the main difference between the LR(0) and SLR(1) parsers

Now,
→ R₃ ⇒ A → b should be added
place R₃ in follow(A) = {ab#}



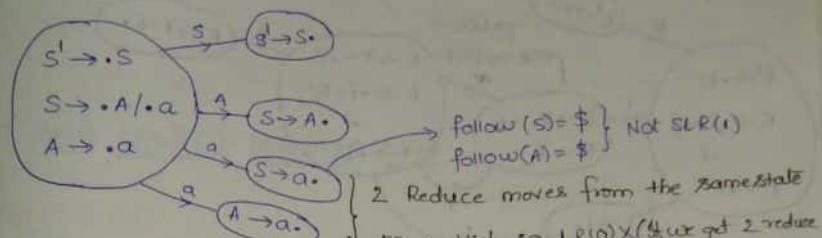
16

17

parisInq

2

S.P. / R.R.



$$\textcircled{3} \quad S \rightarrow (L)/a$$

$$L \rightarrow L, S/S$$

LL(1) × (Left Recursive)

LR(0) ✓

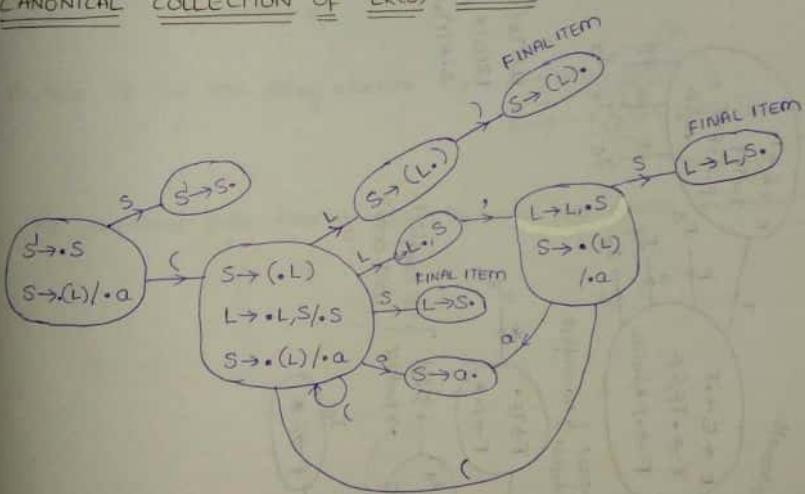
→ follow(s_1) = $\{ \}$ NOT $follow(s_1)$
 $follow(A) = \{ \}$

Reduce moves from the same state
- conflict so $L(10)X$ (forget 2 reduce moves from the same state then)

-the grammar is not LR(0).

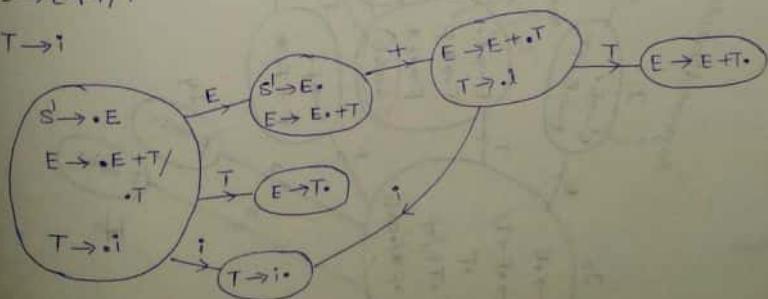
SLR(1) ✓

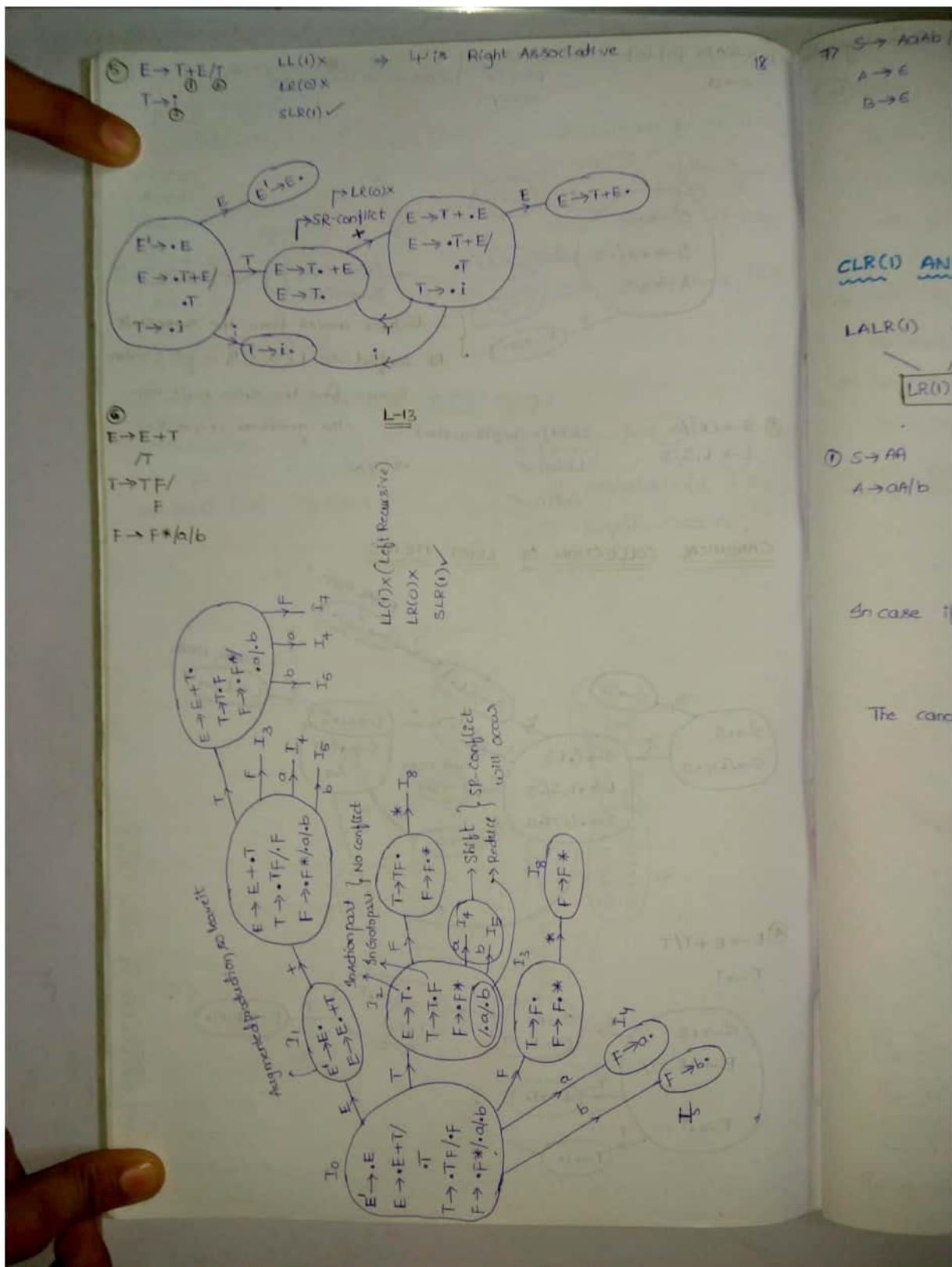
CANONICAL COLLECTION OF LR(0) ITEMS



$$④ E \rightarrow E + T/T$$

T → i

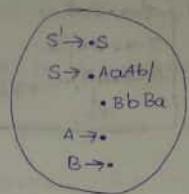




18

7. $S \rightarrow AaAb / BbBa \{a, b\}$ LL(1) ✓
 $A \rightarrow E$
 $B \rightarrow E$

LR(0) X
SLR(1) X



19
 $\begin{array}{c|cc} & a & b \\ \hline 0 & \frac{a}{\frac{a}{a/b}} & \frac{b}{\frac{b}{a/b}} \end{array}$
RR-conflict

CLR(1) AND LALR(1) PARSERS L-14

LALR(1) CLR(1)

LR(1) Items = LR(0) Items + Lookhead

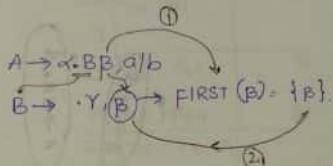
① $S \rightarrow AA$

$A \rightarrow aA/b$

$S' \rightarrow *S$ is the augmented Grammar

$S \rightarrow *AA$
 $A \rightarrow *aA/*b$

In case if we are doing closure for



The canonical collection of LR(1) items for the above Grammar is



Augmented Grammar

$$\begin{array}{l} S \rightarrow S, \$ \\ S \rightarrow A A, \$ \\ A \rightarrow \bullet A A, b \rightarrow a/b \\ a/b \end{array}$$

→ look ahead is always $\$$ for Augmented production.

(2)

→ The Goto table, +

In the

the foll

one ge

→ from th

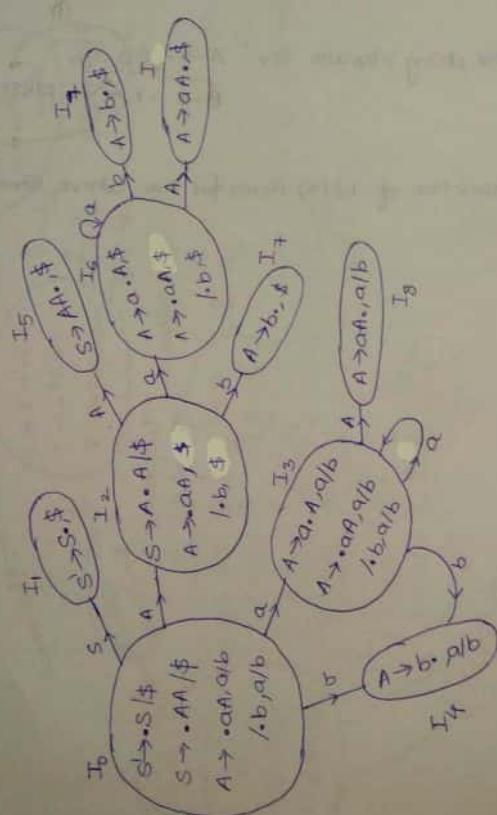
look ahead

⇒ Similar

Look at

CLRS) P

CANONICAL COLLECTION OF LR(0) ITEMS



$I_3, I_6 =$
 $I_4, I_7 =$
 $I_8, I_9 =$

No of States

for Augmented

(20)

⇒ The goto point and shift point will be the same as LR(0), SLR(1) parsing tables, the main difference arises in the placement of the final items. In the LR(0) and SLR(1) we are going to place in the entire row and the follow of LHS (in SLR(1)) respectively. But in CLR and LALR(1) we are going to place the reduce moves only in look ahead symbols.

⇒ From the above diagram $[I_3, I_6]$ have same LR(0) items but differ in look heads.

⇒ Similarly $[I_4, I_7], [I_8, I_9]$ also have same LR(0) items but differ in look aheads.

CLR(1) PARSING TABLE and LALR(1) TABLE

	a	b	\$	S	A
0	s_3	s_4			2
1					
2	s_6	s_7			5
3	s_3	s_4			8
4	τ_3	τ_3			
5			τ_1		
6	s_6	s_7			9
7			τ_3		
8	τ_2	τ_2			
9			τ_2		

	a	b	\$	S	A
0	s_{36}	s_{47}			2
1					
2	s_{36}	s_{47}			5
36	s_{36}	s_{47}			89
47	τ_3	τ_3	τ_3		
5			τ_1		
89	τ_2	τ_2	τ_2		

$$[I_3, I_6] \Rightarrow I_{36}$$

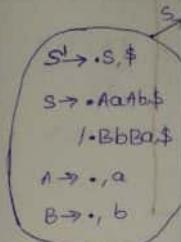
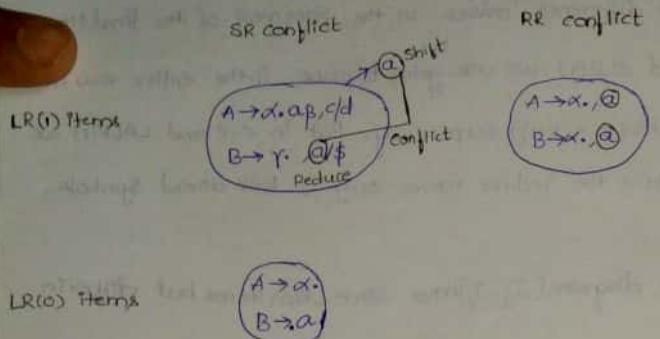
$$[I_4, I_7] \Rightarrow I_{47}$$

$$[I_8, I_9] \Rightarrow I_{89}$$

$$[\text{No. of states in CLR(1)}] \geq [\text{No. of states in SLR(1)}] = [\text{No. of states in LALR(1)}] = [\text{No. of States in LR(0)}]$$

CONFLICTS AND EXAMPLES OF CLR(1) AND LALR(1) (L-15)

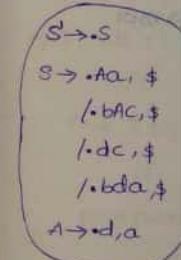
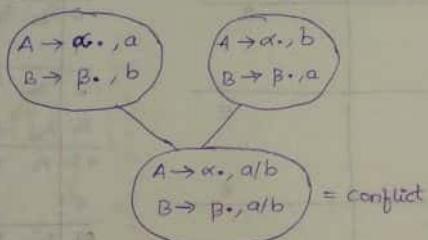
20



⇒ If the grammar is not CLR(1) then the Grammar is not LALR(1) because we deduce the size of the table but not the conflicts in LALR(1) parser

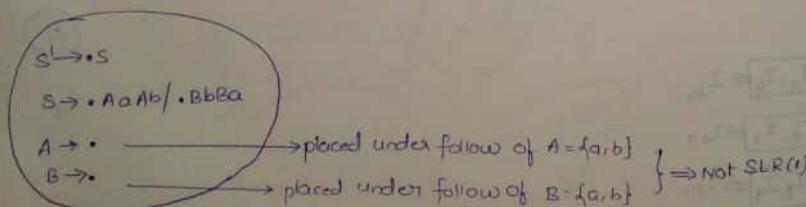
⇒ If the Grammar is CLR(1) then it may or maynot be LALR(1)

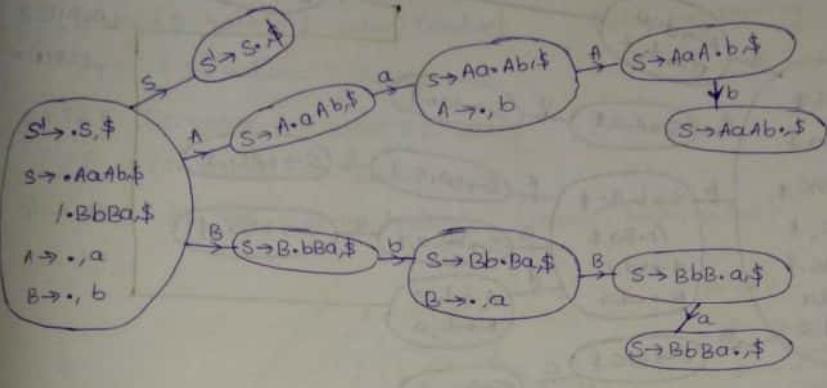
②
 $S \rightarrow Aa/bAc/c$
 $A \rightarrow d$



i) $S \rightarrow AaAb / BbBa$

$A \rightarrow \cdot$	LL(1) X
$B \rightarrow \cdot$	LR(0) X
	SLR(1) X
	CLR(1) ✓
	LALR(1) ✓





because

३०८६

③ $S \rightarrow Aa/bAc/dc/bda$

A → D

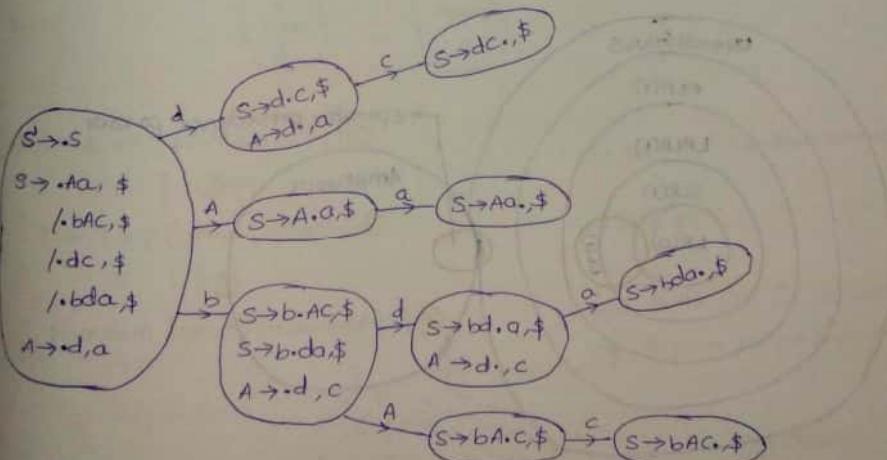
LLC10X

LR(O) X

SLR(1) x

CLR(1) ✓

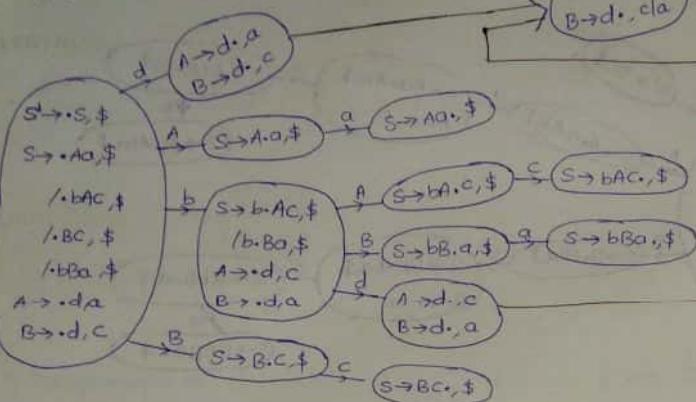
LALR (1)



③ $S \rightarrow Aa/bAc/Bc/bBa$

$A \rightarrow d$

$B \rightarrow d$



(4) conflict arises if we merge the states so not

LALR(1) X
CLR(1) ✓

SYNTAX DIRECTIVE

⇒ Grammar +

i) $E \rightarrow E + T \{ E \}$

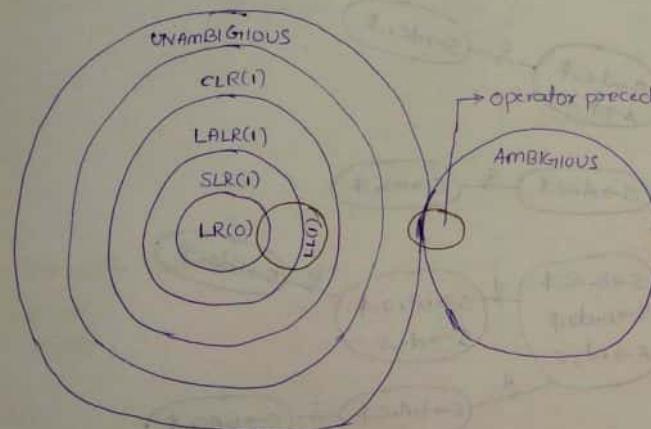
/ T { E }

T → T * F { T, v }

/ F { T, v }

F → num { F }

COMPARISON OF THE PARSERS (L-16)



⇒ Every Grammar which is LL(1) is definitely LALR(1)

ii) $E \rightarrow E + T \{ p \}$

/ T { p }

T → T * F { p }

/ F { p }

F → num { p }

SYNTAX DIRECTED TRANSLATION (L-17)

(4)
conflict arises if
we merge the
states so not
LALR(1) X
CLR(1) ✓

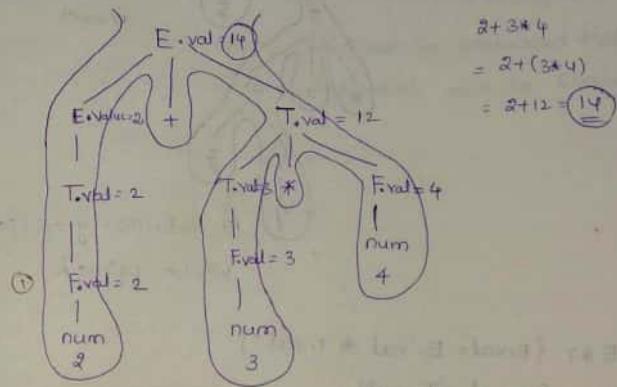
\Rightarrow Grammar + Semantic Rules = SDT

$E \rightarrow E + T \quad \{ E \cdot \text{value} = E \cdot \text{value} + T \cdot \text{value} \}$ Bottom-up parsing.
 $/ T \quad \{ E \cdot \text{value} = T \cdot \text{value} \}$

$T \rightarrow T * F \quad \{ T \cdot \text{value} = T \cdot \text{value} * F \cdot \text{value} \}$

$/ F \quad \{ T \cdot \text{value} = F \cdot \text{value} \}$

$F \rightarrow \text{num} \quad \{ F \cdot \text{val} = \text{num}. \text{value} \} \quad \{ \text{value} = \text{lexem value} \}$



$\Rightarrow E \rightarrow E + T \quad \{ \text{printf}("+"); \} \textcircled{1}$
 $/ T \quad \{ \textcircled{2} \}$

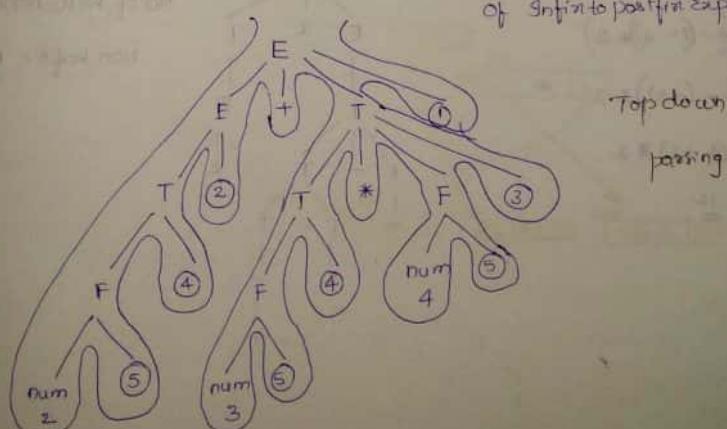
$T \rightarrow T * F \quad \{ \text{printf}("*"); \} \textcircled{3}$
 $/ F \quad \{ \textcircled{4} \}$

$F \rightarrow \text{num} \quad \{ \text{printf}(\text{num}. \text{val}); \} \textcircled{5}$

2+3*4 (Top-down parser)

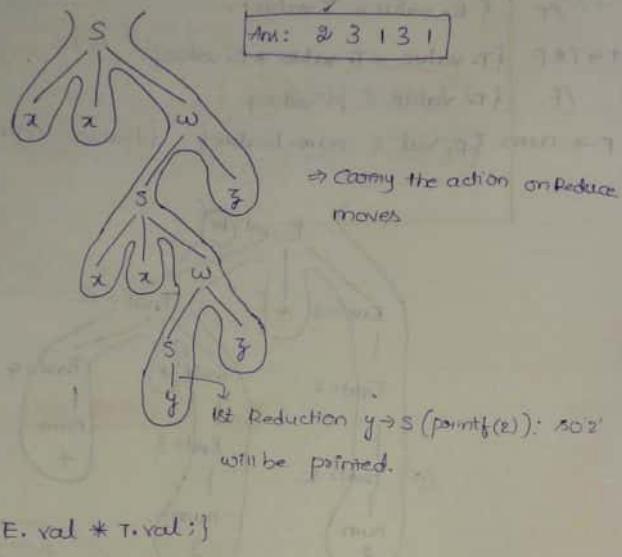
2 3 4 * +

\Rightarrow This is the SDT for conversion
of infix to postfix expression



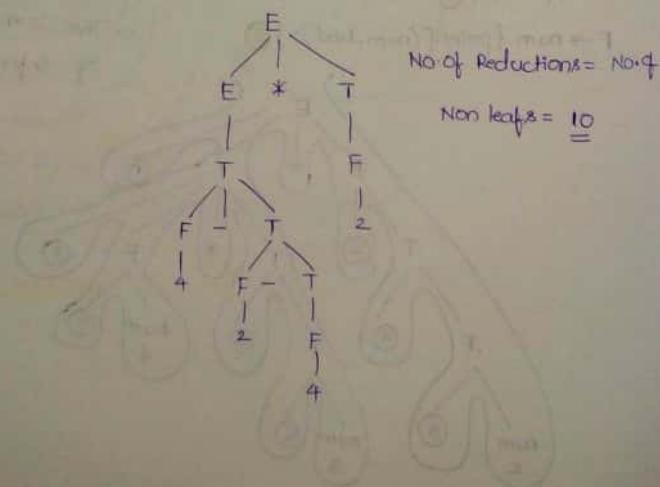
③ $S \rightarrow x x w \{ \text{printf}(1); \}$
 $w \rightarrow S y \{ \text{printf}(2); \}$
 $w \rightarrow S z \{ \text{printf}(3); \}$

String $xxxxyzzz$



④ $E \rightarrow E * T \{ E.\text{val} = E.\text{val} * T.\text{val}; \}$
 $/T \{ E.\text{val} = T.\text{val}; \}$
 $T \rightarrow F - T \{ T.\text{val} = F.\text{val} - T.\text{val}; \}$
 $/F \{ T.\text{val} = F.\text{val}; \}$
 $F \rightarrow 2 \{ F.\text{val} = 2; \}$
 $/4 \{ F.\text{val} = 4; \}$

$$\begin{aligned} W &= 4 + 3 - (4 * 2) \\ W &= ((4 - (-4)) * 2) \\ &= (4 - (-2)) * 2 \\ &= (4 + 2) * 2 \\ &= 12 \end{aligned}$$



⑤ $E \rightarrow E \# T$
 $/T$
 $T \rightarrow T \& F$
 $/F$
 $F \rightarrow \text{num}$

$$\begin{aligned} W &= 2 \# 3 \& 5 \\ &= 2 * 3 + 5 \\ &= ((2 * 3) + 5) \\ &= (6 + 30) \\ &= 40 \end{aligned}$$

L-18

SDT TO BUIL

⑥ $E \rightarrow E + T \{ \}$
 $/T \{ \}$
 $T \rightarrow T * F \{ \}$
 $/F \{ \}$
 $F \rightarrow \text{id} \{ \}$
 $W = 2 + 3 * 4$

$E_{\text{empty}} = 100$
 $T_{\text{empty}} = 100$
 $F_{\text{empty}} = 100$
 Conc

⑥ $E \rightarrow E \# T \{ E.val = E.val * T.val \}$
 $/T \{ E.val = T.val \}$

$T \rightarrow T \& F \{ T.val = T.val + F.val \}$
 $/F \{ T.val = F.val \}$
 $F \rightarrow \text{num} \{ F.val = \text{num}.lvalue \}$

Q = $2 \# 3 \# 5 \# 6 \# 4$ what is the output

$$\begin{aligned} &= 2 * 3 + 5 * 6 + 4 \\ &= ((2 * 3) + (5 * 6)) + 4 \\ &= (6 + 30 + 4) \\ &= 40 \end{aligned}$$

wrong because '+' is defined at highest level
(Bottom level) and must be evaluated first
and then multiplication must be evaluated.

$$\begin{aligned} &\Rightarrow 2 * (3 + 5) * (6 + 4) \\ &= 2 * (8) * (10) \\ &= 160 \checkmark \end{aligned}$$

L-18

SDT TO BUILD SYNTAX TREE

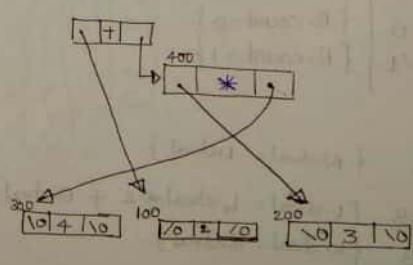
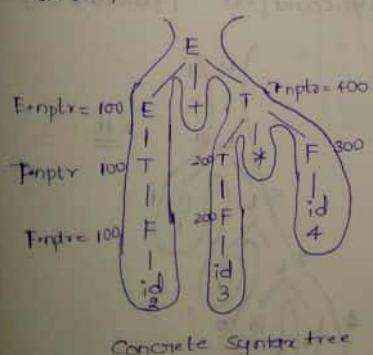
⑦ $E \rightarrow E_1 + T \{ E.nptr = \text{mknode}(E_1.nptr, '+', T.nptr) \}$
 $/T \{ E.nptr = T.nptr \}$
 $T \rightarrow T_1 * F \{ T.nptr = \text{mknode}(T_1.nptr, '*', F.nptr) \}$
 $/F \{ T.nptr = F.nptr \}$
 $F \rightarrow \text{id} \{ F.nptr = \text{mknode}(\text{null}, \text{id.name}, \text{null}) \}$

Returns Address

$\text{mknode} = \text{makenode}$

$nptr = \text{node pointer}$

W = $2 + 3 * 4$



Abstract Syntax tree

⑦ SDT FOR TYPE CHECKING

$E \rightarrow E_1 + E_2 \{ \text{if } (E_1.\text{type} == E_2.\text{type}) \& \& (E_1.\text{type} = \text{int}) \text{ then } E.\text{type} = \text{int} \text{ else error} \}$

$/E_1 == E_2 \{ \text{if } (E_1.\text{type} == E_2.\text{type}) \& \& (E_1.\text{type} = \text{int} / \text{boolean}) \text{ then } E.\text{type} = \text{boolean} \text{ else error} \}$

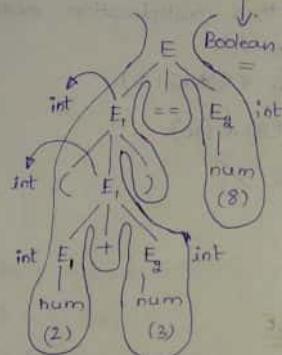
$(E_1) \{ E.\text{type} = E_1.\text{type} \}$

$/\text{num} \{ E.\text{type} = \text{int} \}$

$/\text{True} \{ E.\text{type} = \text{boolean} \}$

$/\text{False} \{ E.\text{type} = \text{boolean} \}$

$\omega = \{(2+3) == 5\} = \text{Boolean Expression}$



⑧

$N \rightarrow L \{ N.\text{count} = L.\text{count} \}$

$L \rightarrow LB \{ L.\text{count} = L_1.\text{count} + B.\text{count} \}$

$LB \{ L_1.\text{count} = B.\text{count} \}$

$B \rightarrow O \{ B.\text{count} = 0 \}$

$/1 \{ B.\text{count} = 1 \}$

$\text{count} \equiv \text{all } LB$

$\Rightarrow \{ B.\text{count} = 0 \}$

$\Rightarrow \{ B.\text{count} = 1 \}$

$\Rightarrow \{ B.\text{count} = 1 \}$

$\{ B.\text{count} = 0 \}$

$\{ B.\text{count} = 1 \}$

$N \rightarrow L \{ N.\text{dval} = L.\text{dval} \}$

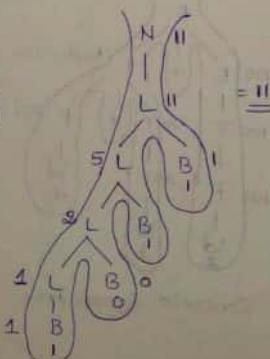
$L \rightarrow LB \{ L.\text{dval} = L_1.\text{dval} * 2 + B.\text{dval} \}$

$LB \{ L_1.\text{dval} = B.\text{dval} \}$

$B \rightarrow O \{ B.\text{dval} = 0 \}$

$/1 \{ B.\text{dval} = 1 \}$

$\omega = 1011$



⑨ S-ATT

$\bullet \text{O}_1 = \frac{1}{2^2} = \frac{1}{4}$
 $\bullet \text{O}_2 = \frac{1}{4^2} = \frac{1}{16}$

⑩ $N \rightarrow L_1 L_2$

$L \rightarrow LB$

$B \rightarrow O$

/1

⑪ SDT TO GENE

⑫ SDT TO GENE

$E \rightarrow E_1 T$

/T

$T \rightarrow T * F$

/F

$F \rightarrow id$

S- ATTRIBUTED AND L- ATTRIBUTED DEFINITIONS

$$\textcircled{I} = \frac{1}{2} = 0.25$$

decimal value

$$\textcircled{II} = \frac{3}{4} = 0.75$$

decimal value

$$N \rightarrow L_1 L_2$$

$$L \rightarrow LB/B$$

$$B \rightarrow O$$

$$/ /$$

$$\{L.\text{val} = L_1.\text{val} + (L_2.\text{val}/8^{\text{L1.count}})\}$$

$$\{L.\text{value} = L_1.\text{val} + B.\text{val}\} \{L.\text{count} = L_1.\text{count} + B.\text{count}\}$$

$$\{B.\text{count} = B_1.\text{count}\} \{B.\text{value} = B_1.\text{value}\}$$

$$\{B_1.\text{count} = 1, B_1.\text{value} = c\}$$

$$\{B_1.\text{count} = 1, B_1.\text{value} = 1\}$$

GOT TO GENERATE THREE ADDRESS CODE

$$S \rightarrow id = E \quad \{ \text{gen}(id.name = E.place); \}$$

$$E \rightarrow E_1 TT \quad \{ E.place = \text{newTemp}; \text{gen}(E.place = E_1.place + T.place); \}$$

$$/ T \quad \{ E.place = T.place; \}$$

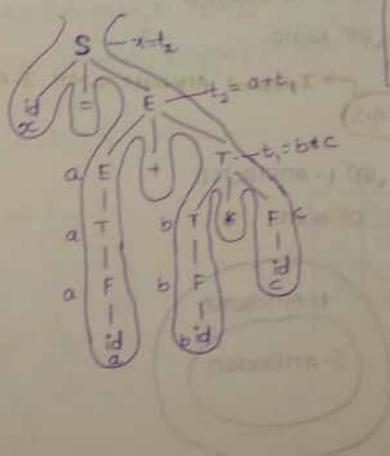
$$T \rightarrow T_1 * F \quad \{ T.place = \text{newTemp}; \text{gen}(T.place = T_1.place * F.place); \}$$

$$/ F \quad \{ T.place = F.place; \}$$

$$F \rightarrow id \quad \{ F.place = 2d.name; \}$$

$$w \Rightarrow z = a + b * c$$

$$\boxed{\begin{aligned} t_1 &= b * c \\ t_2 &= a + t_1 \\ z &= t_2 \end{aligned}}$$



Difference between S-Attributed and L-Attributed SDF

S- ATTRIBUTED SDF

- 1) Uses only synthesized attributes
- 2) Semantic actions are placed at Right end of production

$$A \rightarrow BCC\{ \}$$
- 3) Attributes are evaluated during Bottom up parsing

L- ATTRIBUTED SDF

- 1) Uses Both inherited and synthesized attributes. Each inherited attribute is restricted to inherit either from parent or left siblings only.

$$\text{Ex: } A \rightarrow XYZ \{ Y.S = \bar{A}.S, Y.S = \bar{X}.S, Y.S = \bar{Z}.S \}$$
- 2) Semantic Actions are placed anywhere on RHS.

$A \rightarrow \{ \} BC$

$/D\{ \} E$

$/FG\{ \}$

- 3) Attributes are evaluated by traversing parse tree depth first left to Right

Inherited Attribute

↑ Not S-ATTRIBUTED

$$\textcircled{1} \quad A \rightarrow LM \{ L.i = f(A,i); M.i = f(L,s); A.S = f(m,s); \}$$

$$A \rightarrow QR \{ R.i = f(A,i), Q.i = f(R,i), A.S = f(Q,s); \}$$

→ NOT L-ATTRIBUTED

(A) S- ATTRIBUTED

(B) L- ATTRIBUTED

(C) BOTH

(D) NONE

Inherited Attribute → NOT S-ATTRIBUTED

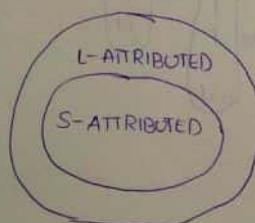
$$\textcircled{2} \quad A \rightarrow BC \{ B.S = A.S \}$$

a) S- ATTRIBUTED

b) L- ATTRIBUTED

c) BOTH

d) NONE



SDF TO A

① $D \rightarrow TL$

$T \rightarrow int$

/char

$L \rightarrow L, I$

/id

S- ATTRIB

② $D \rightarrow D,$

/T

$T \rightarrow in$

/cl

ED SDT

DT

nd Synthesized
d attribute is
either from parent
 $(S = x \cdot S, y \cdot S = z \cdot S)$

placed anywhere

ted by traversing
it to Right

GOT TO ADD TYPE INFORMATION INTO SYMBOL TABLE

① $D \rightarrow TL \{ L.in = T.type \} \Rightarrow$ Inherited Attribute

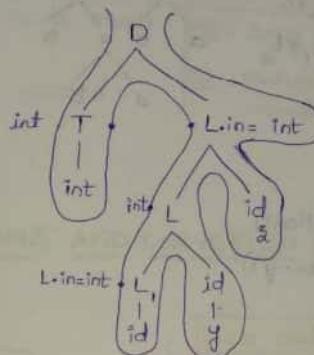
$T \rightarrow int \{ T.type = int; \} \Rightarrow$ Synthesized Attribute
 $/char \{ T.type = char; \}$

$L \rightarrow L, id \{ L.in = L.in, add type(id.name, L.in); \}$
 $/id \{ add type(id.name, L.in) \} \hookrightarrow$ Inherited

L ATTRIBUTED

int x,y,z;

x	int
y	int
z	int



⇒ Evaluate the synthesized attribute when you last visit it.

⇒ Evaluate the Inherited attribute when you first visit it.

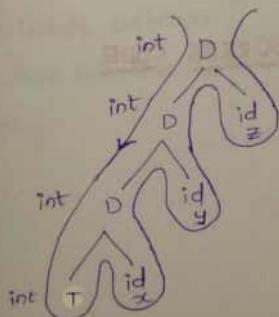
S-ATTRIBUTED SDT FOR THE SAME QUESTION

② $D \rightarrow D, id \{ add-type(id.name, D.type) \}$

$/T id \{ add-type(id.name, T.type), D.type = T.type \}$

$T \rightarrow int \{ T.type = int; \}$

$/char \{ T.type = char; \}$

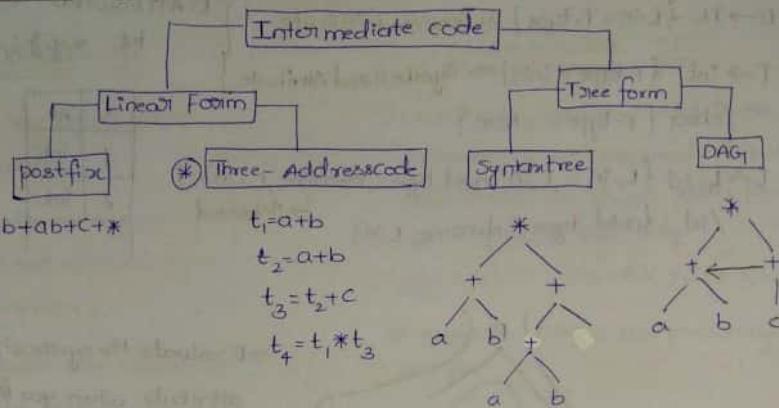


x	int
y	int
z	int

INTERMEDIATE CODE GENERATION

INTRODUCTION TO INTERMEDIATE CODE

Ex: $(a+b)*(a+b+c)$



TYPES OF 3-ADDRESS CODE

- 1) $x = y \text{ op } z$ ($x = a + b$ (Binary operation))
- 2) $x = \text{op } z$ (Unary operation ($x = -y$))
- 3) $x = y$ (Assignment)
- 4) if x (rel op) y goto L (if x (Relational operator) y goto L)
- 5) goto L \Rightarrow (unconditional)
- 6) $A[i] = x$ (Array indexing)
 $y = A[1]$
- 7) $x = *p \Rightarrow$ pointer
 $y = ?y \Rightarrow$ Address of variable assigned to another variable

VARIOUS REPRESENTATIONS OF 3-ADDRESS CODE

$$\Rightarrow (a+b)*(c+d)+(a+b+c)$$

$$1) t_1 = a+b$$

$$2) t_2 = -t_1$$

$$3) t_3 = c+d$$

$$4) t_4 = t_2 * t_3$$

$$5) t_5 = a+b$$

$$6) t_6 = t_5 + c$$

$$7) t_7 = t_4 + t_6$$

QUADRUPLE				TRIPLE			INDIRECT TRIPLE	
OPr	OP1	OP2	Result	OPr	OP1	OP2	I)	(1)
1) +	a	b	t ₁	2) +	a	b	II)	(2)
2) -	t ₂	NULL	t ₂	3) -	(1)		III)	(3)
3) +	c	d	t ₃	4) +	c	d	IV)	(4)
4) *	t ₂	t ₃	t ₄	5) *	(2)	(3)	V)	(5)
5) +	a	b	t ₅	6) +	a	b	VI)	(6)
6) +	t ₅	c	t ₆	7) +	(5)	c	VII)	(7)
7) +	t ₄	t ₆	t ₇	8) +	(4)	(6)		

Adv: Statements can be moved
Around
Dis: More Space wasted

Adv: Space is not wasted
Dis: Statements cannot be moved

Adv: Statements can be moved
Dis: Two Access of Memory.

BACK PATCHING AND CONVERSION TO 3-ADDRESS CODE

t ₁	t ₂	t ₃
a < b and c < d or e < f		
100) if (a < b) goto 103	110) goto 112	
101) t ₁ = 0		111) t ₃ = 1
102) goto 104		112) t ₄ = [t ₁ and t ₂]
103) t ₁ = 1		113) t ₅ = [t ₄ or t ₃]
104) if (c < d) goto 107		
105) t ₂ = 0		
106) goto 108		
107) t ₂ = 1		
108) if (e < f) goto 111		
109) t ₃ = 0		

Back Patching
 If (a < b) then t = 1
 else t = 0

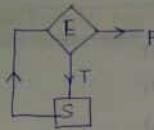
(i): if a < b goto (i+3)
 (i+1): t = 0
 (i+2): goto (i+4)
 (i+3): t = 1
 (i+4): Return.

Leaving the Labels as blanks and filling them later is called Back patching

```

graph TD
    A{Is t1=0?} -- Yes --> B[t1=1]
    B --> C[Patch]
    C --> D{Is t1=0?}
  
```

① While E do S



L: if ($E == 0$) goto L1 (or) if (E) goto L1

S
Goto L

L1:

goto last

L1: S
goto L

② while ($a < b$) do

$$x = y + z$$

L: if $a < b$ goto L1

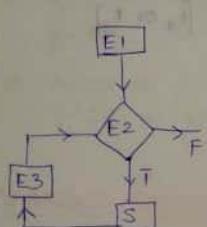
goto last

L1: $t = y + z$

$$\begin{array}{l} x = t \\ \text{goto L} \end{array}$$

last:

③ for ($E1; E2; E3$)



for ($i = 0; i < 10; i++$)

$$a = b + c;$$

$$i = 0$$

L: if ($i < 10$) goto L1

goto last

L1: $t_1 = b + c$

$$a = t_1$$

$$t = i + 1$$

$$i = t$$

goto L

last:

④ switch
f

TWO

$$x = A$$

$$t_1 = y$$

$$t_2 = t_1$$

$$t_3 = t$$

$$t_4 = B$$

$$x =$$

↳ P

Row M

column

(34) switch (i+j)

case (i) = a+b+c;
break;
case (ii) : p=q+r;
break;
default : x=y+z;
break;

t = i+j

goto test

test: If (t == 1) goto L1

If (t == 2) goto L2

goto L3

L1: t = b+c

t = t₁

goto last

last:

L2: t₂ = q+r

t = t₂

goto last

L3: t₃ = y+z

x = t₃

goto last

TWO DIMENSIONAL ARRAY TO 3-ADDRESS CODE

x = A[y z]

t₁ = y * 20

t₂ = t₁ + z

t₃ = t₂ * 4

t₄ = Base Address of A

x = t₄[t₃]

A: 10x20 -

A [4][4]

(y*20+z)*4

cross 2 rows

A [2][3]

columns

→ No. of elements

= 2 * 4 + 3

= 11

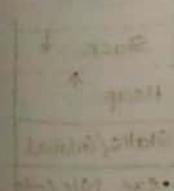
= 11

↳ Base offset Addressing

(Base Address + offset)

Row Major order: 00 01 02 03 10 11 12 13 20 21 22 23 30 31 32 33

column major order: 00 10 20 30 01 11 21 31 02 12 22 32 03 13 23 33



RUN ENVIRONMENT

⇒ Run time Environment means when you run the program what is the support that you need from the operating system.

STORAGE ALLOCATION STRATEGIES

i) Static

- 1) Allocation is done at compile time
- 2) Bindings do not change at runtime
- 3) One Activation Record per procedure

Disadvantages

- 1) Recursion is not supported.
- 2) size of data objects must be known at compile time
- 3) Data structures cannot be created dynamically

2) Stack

whenever a new activation begins, Activation record is pushed onto the stack and whenever Activation ends, Activation record is popped off
local variables are bound to fresh storage

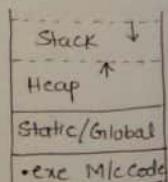
Disadvantages

- 1) Local variables cannot be retained once activation ends

3) Heaps

⇒ Allocation and deallocation can be in any order

⇒ Disadv : Heap management is overhead



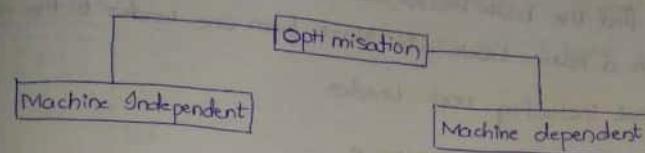
SUMMARY

Activations can have

- 1) permanent lifetime in case of static allocation
- 2) Nested lifetime in case of stack Allocation
- 3) Arbitrary lifetime in case of heap Allocation

CODE OPTIMISATION

INTRODUCTION TO CODE OPTIMISATION



1) Loop optimisations

(a) code motion (com)

Frequency reduction

(b) Loop unrolling

(c) Loop Jamming

⇒ folding

- constant propagation

3) Redundancy Elimination

4) Strength Reduction

1) Register Allocation

2) Use of Addressing modes

3) Peephole optimisation

(a) Redundant = load / store

(b) Strength Reduction

(c) flow of control options

(d) use of M/c idioms

LOOP OPTIMISATION AND BASIC BLOCKS

→ To apply optimisations, we must first detect loops

→ For detecting loops we can use control flow Analysis (CFA) using program Flow Graph (PFG)

→ To find PFG, we need to find Basic blocks

A basic block is a sequence of 3-Address statements where control enters at the beginning and leaves at the end without any jumps or halts

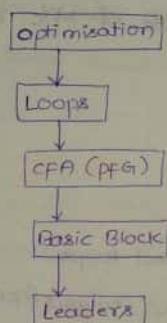
ALGORITHM TO FIND LEADERS

Finding the BASIC BLOCKS

→ In order to find the basic blocks, we need to find the leaders in the program then a basic block will start from one leader to the next leader but not including next leader.

Identifying Leaders in the Basic Block

- 1) Statement is a leader
- 2) Statement that is target of conditional or unconditional statement is a Leader → if() goto [200] (or) goto [300] → leader
- 3) Statement that follows immediately a conditional or unconditional statement is a Leader.



Example

```

fact(x)
{
    int f=1
    for(i=2;i<x;i++)
        f=f*i;
    return f;
}
  
```

Now, the

- *1) $f = 1$
- 2) $i = 2$
- *3) $i > x$
- *4) $t_1 = f$
- 5) $t_2 = i$
- 6) $i = t_2;$
- 7) goto (3)
- *8) Goto co

TYPES

Frequency

Moving

frequency

frequency

code m

Eg: whi

{

 A

}

t =

whi

A

Now, the 3-Address code for the above problem will be

```

    ⑧
    1) f = 1      B1
    2) i = 2
    3) If (i > 0) goto 9  B2
    4) t1 = f * i;
    5) t2 = i + 1;
    6) i = t2;
    7) goto (3)
    8) Goto calling program B4
  
```

⇒ Since you have 4 leaders we will get
4 Basic blocks ⇒ If you have m basic
leaders will get m basic blocks

```

graph TD
    B1((B1)) --> B2((B2))
    B2 --> B3((B3))
    B2 --> B2
    B3 --> B4((B4))
    B4 --> B3
  
```

TYPES OF Loop optimization

<u>Frequency Reduction</u> Moving the code from high frequency region to low frequency Region is called code motion. Ex: while ($i < 5000$) { A = $\sin(x)/\cos(x)$; * i; i++; } ↓ t = $\sin(x)/\cos(x)$ while ($i < 5000$) A = t * i;	<u>Loop unrolling</u> while ($i < 10$) { x[i] = 0; i++; } while ($i < 10$) { x[i] = 0; i++; }	<u>Loop Jamming</u> combines the bodies of two loops for($i=0; i < 10; i++$) for($j=0; j < 10; j++$) x[i,j] = 0; for($i=0; i < 10; i++$) { for($j=0; j < 10; j++$) x[i,j] = 0; } x[i,j] = 0;
---	---	---

MACHINE INDEPENDENT optimisation

Folding:

Replacing an expression that can be computed at compile time by its value.

$$\text{Ex: } 2+3+C+B = 5+C+B$$

Redundancy Elimination (DAG)

$$A = B+C$$

$$D = 2+B+3+C$$

$$D = 2+3+A$$

Strength Reduction

Replacing a costly operation by cheaper one

$$\text{Ex: } B = A * 2$$

$$B = A \ll 1 \text{ [Left shift by 1]}$$

Algebraic Simplification

$$\begin{aligned} A &= A+0 \\ x &= x+1 \end{aligned} \quad \begin{array}{l} \text{eliminate such} \\ \text{statements} \end{array}$$

MACHINE DEPENDENT optimisation

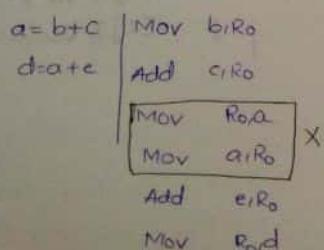
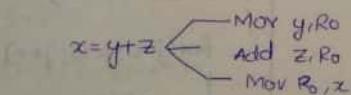
1) Register Allocation

Local Allocation
Global Allocation

2) Use of Addressing modes

3) Peephole optimisation

a) Redundant Load and store elimination



(b) Flow Control optimisation

values

Avoid jumps
on jumps

L1: Jump L2

L2: Jump L3

L3: Jump L4

Eliminate dead
code

#define x 0

if (x)

} dead code X

d) Use of M/c idioms

i = i + 1 |
 MOV R0, i
 ADD R0, 1
 MOV R0, i, R0 } increment 'i' [inc i]

⇒ Handle of the String is a substring that matches with RHS of production

⇒ RR conflicts occur in LALR(1) parser when merging of the states

⇒ SR conflicts does not occur in LALR(1) parser

⇒ If the attribute can be evaluated in Depth-first-order then the attribute is L-attributed.



Thank You
ADARSH CHETAN