

→ Sliding window maximum :-
(finding maximum element in subarray
of size k) :-

We have an array of size 'n' and we
have to find maximum element in
each subarray of size 'k'.

Method 1:- For this we can use
most simple route, we take each
subarray and traverse that subarray
to find maximum in that subarray.

but this method has complexity of
 n^2 .

Code:-

int main()

{

int arr[] = {3, 7, 8, 12, 2, 1, 0, 9};

int K = 3;

int n = sizeof(arr)/sizeof(arr[0]);

```

for(int i=0, j=n-1; i < n; i++)
{
    int maxe = INT_MIN;
    for(int m=i; m <= j; m++)
    {
        maxe = max(maxe, arr[m]);
    }
    cout << maxe << " ";
}

```

return 0;

3.

method 2:- ~~Quick~~

It is more effective method. It has time complexity of $O(n)$. It doesn't see so, as every element of array is inserted and deleted once.

It is a bit tricky algorithm.

We first create a deque of size 'K'. Dequeue as it helps in insert/delete from both end and provide random access.

On dequeuing in place of elements we
store their index.

It can store k elements of current window but it will store only useful ones. b/w those $'k'$ elements.

An element is useful if it is in current window/array of size ' k ' and is greater than all other element on the left side & it is in the current window.

We process all elements of array one by one. and main deque in such a way that greatest element of current window is at front of $\langle dq \rangle$ and smallest element of current window at back of $\langle dq \rangle$.

algorithm:-

- make a deque of size ' k '.
- run loop for k elements $i=0$ to $i=k-1$
 - remove i th element from ~~back~~ back of $\langle dq \rangle$ if current element is greater than $dq[0]$ and ~~$\langle dq \rangle$~~ is not empty. do this until $\langle dq \rangle$ is empty or current element is smaller than back element.

- After that insert ~~curr~~ index of current element at back.
- run another loop for rest of $n-k$ elements from $i=k$ to $i=n-1$
 - point element at front of $\langle dq \rangle$ as it is greatest element in previous window.
- now remove the element from dq , which are of previous window. for this, check if index stored at front of $\langle dq \rangle$ is less than equal to $i-k$. If yes remove it.
- After removing elements, which are not part of current window,
~~Add new elements~~ ~~current elements are remove elements~~ those elements less than or equal to current elements.
- add current element at back.

- At last step print maximum element of last window by printing front element of ~~d1~~ ~~d2~~.

Code:-

```

int main()
{
    int arr[] = {7, 10, 2, 5, 20, 13, 5, 23};
    int n = sizeof(arr) / sizeof(arr[0]);
    int k = 3;

    deque<int> dq(k);
    int i;
    for( ; i < n; i += k)
    {
        while(!dq.empty() && arr[i] >=
              arr[dq.back()])
        {
            dq.pop_back();
        }
        dq.push_back(i);
    }

    for( ; i < n; i++)
    {
        cout << arr[dq.front()] << " ";
    }
}

```

while((!d1.empty()) && (dq.front() <= i - k))

{

dq.pop_front();

}

while((!d2.empty()) && (arr[i] >= arr[dq.back()])

{

d2.pop_back();

}

d2.push_back(i);

}

cout << arr[d2.front()] << " ";

return 0;

}

Method 3 - (we can use set also)

→ Generate numbers using given digits.

We have to print 'n' numbers in increasing order such that numbers contains only '5' and '6'.

Ex-

$$n = 10$$

Output = 5 6 55 56 65 66 555
556 565 566

An amateur approach is run infinite loop and print 'n' numbers with digits only in 5 and 6 only digit.

But it will have very high T.C. but we will you another better approach with O(n³) T.C.

For this better approach we will use queue.

We store numbers as string in que.

We first store numbers / push them which are being used to generate new

numbers . in this case 5 and 6.

then we print front element of queue and before popping it we add new elements as

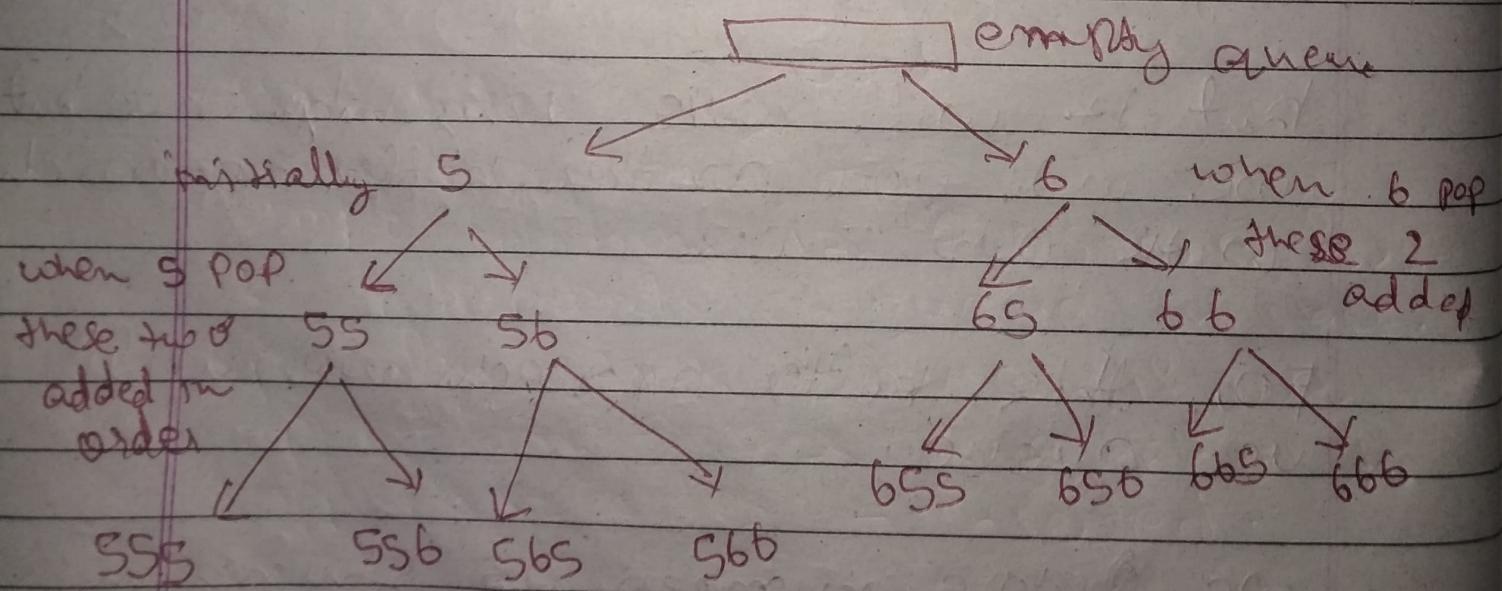
$cw1 + 'digit 1'$

$cw1 + 'digit 2'$

$cw1 + 'digit as many here'$

here. $digit_1 < digit_2 < \dots < digit_n$

by doing so what we are doing is we are making a tree type structure



Code:-

```
#include <iostream>
#include <queue>
using namespace std;
```

```
int main(){
```

```
queue<string> q;
```

```
q.push("5");
```

```
q.push("6");
```

```
int n = 10;
```

```
for (int i = 0; i < n; i++)
```

```
{
```

```
    string curr = q.front();
```

```
    cout << curr << " ";
```

```
    q.pop();
```

```
    q.push(curr + "5");
```

```
    q.push(curr + "6");
```

```
}
```

```
return 0;
```

```
3
```

→ Reverse first 'k' items of a queue.

We have a queue of size 'n' and a integer 'k' and we have to reverse first 'k' elements of queue.

e.g -

Queue <int> q = {7, 2, 1, 9, 1, 37};
int k = 3;

Output -

12 2 7 9 1 37
 \u2193 \u2193
These 3 are
reversed.

Simple Solution is ~~store~~ store first 'k' elements of queue in stack.
Specially stack because, if we pop() from stack, we get it in opposite order it inserted.

now, after storing it in stack, we push ~~it~~ them one by one in queue back.

After that we get first $n-k$ elements of queue one by one. ~~one by one~~ popped out and again push them back, then we get our result.

ex -

queue $\langle \text{int} \rangle q = \{10, 5, 20, 30, 45\}$

$$k = 3$$

Output = 20 5 10 30 45



~~Stack~~

store them in stack of size $k=3$

20
5
10

now $q = \{30, 45\}$

after pushing element back in queue from stack

$q = \{30, 45, 20, 5, 10\}$

now, first 2 element ($n-k = 5-3=2$) we have to remove and push them in back of queue.

So,

in first iteration

$$q = \{45, 20, 5, 10, 30\}$$

in second time

$$q = \{20, 5, 10, 30, 45\}$$

which is required result.

Code:-

```
#include <iostream>
#include <queue>
#include <stack>
using namespace std;
```

```
int main()
```

```
{
```

```
queue<int> q = {10, 7, 2, 18, 30, 26};  
int k = 4;
```

```
@ stack<int> s;
```

```
for (int i = 0; i < k; i++)
```

```
{ int x = remove q.front();  
s.push(x); }
```

q.pop();

3

for (int i = 0; i < k; i++)

{

 int x = s.top();

 q.push(x);

 s.pop();

}

for (int i = 0; i < q.size() - k; i++)

{

 q.push(q.front());

 q.pop();

}

return 0;

3

NOTE! - we have not handled cases like

If queue is empty or $k > q.size()$

Or k is zero or less. For this just

add one if condition at top.

→ Balance parenthesis problem

In this problem we have given a string of parenthesis '(', ')', '{', '}', '[', ']' and '}'.

ex. -

String s = "[()]" ;

now, we have to check if string is balanced or not.

String is balanced if

- String contain equal no of open and close bracket -

Ex. -

"[ccc)]]" → balanced

"[[c{c)c)3)]" → unbalanced

- Bracket that open first will must closed later.

Ex. -

"[c]" → unbalanced, as '[' is open before 'c' so it must closed after inner bracket ']'.

"[] { () } " -> balanced

Approach:-

We will solve this problem using stack,
as in this problem LIFO rule is
required.

① we first make an stack of char.

input the char if it is ~~a~~ one of
opening brackets '{', '}', or '<>

else, it is not, then check
if the closing brackets is
equal to top() bracket
of stack. (as it will ~~forget~~
keep control of the fact that ~~the~~
last inner bracket opened will be
closed first also). also pop() top
bracket after that.

If ~~a~~ closing bracket is not
same. as top() bracket of
stack, return false.

after loop is over then check, if
~~empty~~ stack is empty or not, if it is
empty return true, else. false.

it will keep control on the fact
that no of opening and closing
bracket should be same.

Code:-

```
#include <iostream>
#include <stack>
#include <string>
```

```
bool equal(char a, char b)
{
```

```
    return ((a == '(' && b == ')') || (a == '[' && b == ']')) || (a == '{' && b == '}');
```

}

```
bool check(string c)
{
```

```
    stack <char> s;
```

```
    for (int i = 0; i < c.length(); i++)
```

{

```
        if (c[i] == '(' || c[i] == '[' || c[i] == '{')
```

```
            s.push(c[i]);
```

else

```
        if (equal(c[i], s.top()) == true)
```

{

```
            s.pop();
```

}

}

Continued

else

return false;

}

}

return (s.empty() == true);

}

int main()

{

String c = "[{])]" ;

if (check(c) == true)

& cout << "String is balanced";

else

cout << "String is not balanced";

return 0;

}

Here to check if (c[i] and s.top() is same or not we have used equal function not '==' equal to operator as these operator not work in this case.

→ Stock span problem:-

In this problem we have given value of a stock as integer element in array.

Every element represent values of stock at that day. we have to find span of that stock.

Span of a stock means number of continuous days before it, whose value of stock is less than or equal to today's value, also count today's value. So, minimum span of stock will be 1.

Ex:-

Stock [] = {70, 80, 60, 30, 45, 90, 60, 100};

Output:- 1, 2, 1, 1, 2, 6, 1, 8

now, as you can see to calculate span of given stock say $\text{stock}[i]$, what we are doing is we are searching left of that element and find max of a element having more value than given element

If find it then we calculate difference b/w current element index and max element index, that will be ~~answ~~ span of that element.

and if no greater element in left is found in left of given element that means span is equal to $(i+1)$, where i is index of given element.

now, naive approach can be will be to traverse the array and for each element we again traverse whole element in its left.

it will cost $O(n^2)$ T.C.

another, effective approach is to store index of array element in another container and maintain it in such way that it's top element gives index of first max element in left than current element.

For this we will use stack container, as it keep track recent element.

Approach:-

We store '0' as first element in stack corresponding to first element in array.

Now, we check, if we traverse the array from $i=1$ to $i=n-1$ and insert it in stack only if less than top element

when we at index i of array, we
• first ~~all~~ remove all smaller elements
~~then~~ push it, from stack, then

calculate Span according to fact
that stack ~~is~~ is empty (no greater
element have given element) or
we get max element and print
Span:

Then push 'i' to stack.

Code:-

Void Spam(Int stack[])

{

Stack <int> S;

S.push(0);

cout << "1" << endl;

For(Int i=0; i<n; i++)

{

while((!S.empty()) && arr[i] == arr[S.top()])

{

S.pop();

}

int spam = (S.empty()) ? (i+1) : (i-S.top());

cout << spam << endl;

S.push(i);

}

}