

Q. Print repeating element

It is opposite of previous question (Print distinct element). In this question, we have to print those element of array whose are previously already present in array.

Ex. -

$$\text{arr} = \{2, 5, 2, 7, 5, 2\}$$

$$\text{OP} - 2, 5, 2$$

Approach 1 - $O(n^2)$ naive approach -

for each element we search in left of it and if it is present previously we print it.

Void point_repeating (int arr[], int n) {

 for (int i=1; i<n; i++) {

 bool p=false;

 for (int j=i-1; j>=0; j--) {

 if (arr[i] == arr[j]) {

 p=true;

 break;

}

}

 if (p==true)

 cout << arr[i] << " ";

}

3

Approach 2 - O(n)

Approach 2 - $O(n)$ using unordered set.

We check if given element is present in unordered set, if present previously we print it. And if not present insert it.

```
Void print_repeating(int arr[], int n){  
    unordered_set<int> s;  
  
    for (int i = 0; i < n; i++) {  
        auto it = s.find(arr[i]);  
        if (it == s.end())  
            s.insert(arr[i]);  
        else  
            cout << *it << " "  
    }  
}
```

3

Q. Check pair with given sum.

We have given an array and a sum, and we have to check if there are two elements in array whose sum is equal to ~~is equal~~ sum given.

$\text{arr} = \{2, 5, 7, 9, 10\}$

$$\text{sum} = 14$$

O/P - true

Approach 1 :- $O(n^2)$

for every element search in right side of it and try to find that number.

```
for(int i=0; i<n; i++) {  
    for(int j=i+1; j<n; j++) {  
        if(arr[i] == arr[j])  
            return true;  
    }  
}
```

return false;

Approach 2 :- $O(n \log n)$

We can sort the array or use set.

In both condition our element are in sorted condition.

now, make two variable

$i=0$ or $i=s.begin()$

and $j = n - 1$ or $j = s.end(); j--;$

now, run loop

while ($i <= j$) {

 if ($arr[i] + arr[j] > sum$)

$j--$

 else if ($arr[i] + arr[j] < sum$)

$i++$;

 else

 return true;

}

return false;

approach 3:- $O(n^2)$

we will use unordered_set.

we run a loop for whole array. for every element we check if $sum - arr[i]$ is present in unordered_set or not.

if not present insert $arr[i]$ in unordered_set and if present return true.

bool pairSum(int arr[], int n, int sum)

unordered_set<int> s;

for (int i = 0; i < n; i++) {

auto it = s.find(sum - arr[i]);

if (it != s.end()) // not present.

s.insert(arr[i]);

else

return true;

}

return false;

}

Q. Intersection of two unsorted array.

We have given two arrays with distinct elements and we have to print intersection of two arrays in order, in which they appear in array one.

Approach 1- O(n²)

We run a loop for first array and inside it we run another loop for second array and check if arr1[i] is present in arr2[] or not if present print it.

```

for(int i=0; i<n1; i++) {
    bool flag = false;
    for(int j=0; j<n2; j++) {
        if(arr1[i] == arr2[j]) {
            flag = true;
            break;
        }
    }
    if(flag == true)
        cout << arr1[i];
}

```

Approach 2 - O(n)

We will use unordered_set to store arr2. So that finding an element becomes $O(1)$.

If arr1[i] present in ~~map~~ set, print it and if not leave it.

```

void intersection(int arr1[], int arr2[], int n,
                  int m) {

```

```

    unordered_set<int> s;
    for(int i=0; i<n; i++)
        s.insert(arr1[i]);
    for(int i=0; i<m; i++)
        if(s.find(arr2[i]) != s.end())
            cout << arr2[i];
}

```

```
for (int i=0; i<m; i++)
    s.insert(arr[i]);
```

```
for (int i=0; i<n; i++)
    auto it = s.find(arr[i]);
    if (it != s.end())
        cout << arr[i] << " ";
    s.erase(arr[i]);
```

Q. Union of two unsorted array-

We have given two unsorted array having distinct element. We have to find union of both array.

We can print arr[1] and then traverse arr[2] and find element of arr[2] in arr[1] and print those element of arr[2] who are not in arr[1].

approach 1:- $O(n^2)$

We print arr[1] then run loop for arr[2] and inside this loop run another loop for arr[2] and find those elements of arr[2] whose are not in arr[1] and print them.

```

void union(int arr1[], int arr2[], int n, int m) {
    for (int i = 0; i < n; i++) {
        cout << arr1[i] << " ";
    }
    for (int i = 0; i < m; i++) {
        bool flag = false;
        for (int j = 0; j < n; j++) {
            if (arr1[j] == arr2[i]) {
                flag = true;
            }
        }
        if (flag == false)
            cout << arr2[i] << " ";
    }
}

```

Approach 2 - $O(n)$

We store arr1 in unordered_set and print it. Now search of arr2[] in set, if not present print it.

```

void union(int arr1[], int arr2[], int n, int m) {
    unordered_map<int> m(arr1, arr1 + n);
    for (auto x : m)
        cout << x << " ";
    for (int i = 0; i < m; i++) {
        auto it = m.find(arr2[i]);
        if (it == m.end())
            cout << arr2[i] << " ";
    }
}

```

no of
in subarray

Q. Print maximum distinct element in
subarray of size $\frac{n}{k}$ when divided in
 k equal sizes. (n is multiple of k)

ex. - arr[] = 2, 1, 1, 3, 2, 13, n=6

$$k=2$$

$$O/P = 3$$

Since, $k=2$, we can have 3 elements
 in both subarray we can arrange
 elements in those subarray in many
 ways but to get max distinct
 element in one subarray we will
 devide it as

$$\{1, 1, 2\}, \{1, 2, 3\}$$

so, no of distinct element in subarray
 is 2 in first one and 3 in
 2nd one so. Ans is 3.

• arr[] = {1, 2, 1, 1, 2, 3} n=6

$$k=3$$

$$O/P = 2$$

here, 3 subarray will be formed
 with 2 elements each, and since
 we have '3' distinct elements in
 array as you can see, in any

arrangement max. no of distinct element in any subarray will be 2.

algorithm -

We first calculate no of distinct element in array. We can use unordered set ($O(n)$) or set ($O(n \log n)$).

then we calculate no of element a subarray can hold by n/k .

now, if $d >= n/k$

It means there are more distinct elements in array then n/k so, we can put them inside one sub-array so, ans will be n/k .

else if $d < n/k$

It means no of distinct element is less then n/k , in this case we put those distinct element in one sub-array and fill rest space with other elements, so ans will be ' d '.

Code -

```
int distinct_max(int arr1[], int n, int k)
```

```
unordered_map<int> m(arr, arr+n);
```

```
int d = m.size();
```

```
if(d >= n/k)
```

```
return n/k;
```

```
else
```

```
return d;
```

3

Q. Union of two sorted arrays and O/P should also be sorted. there can be duplicate element in arrays. T.C - O(n+m)

arr1[] = {3, 2, 3, 4, 5}

arr2[] = {1, 1, 2, 3, 4}

O/P - 1 2 3 4 5

Approach -

- make a output vector v.
- make a unordered map s.
- run a loop for arr1[]

check if element is present in 's' or not.

- if present make $arr1[i] = \text{INT_MAX}$
 - else push it to set.
- run another loop for $arr2$
check if element is present in 's' or not.
- if present make $arr2[j] = \text{INT_MAX}$
 - else push it to set.

now, run a while loop ($i < n \& j < m$)

- ignore INT_MAX element and increase i and j accordingly.

If ($arr1[i] \leq arr2[j]$)

V. push back ($arr1[i++]$),

else

V. push back ($arr2[j++]$),

while ($i < n$)

ignore INT_MAX and push rest of element of $arr1[i:n]$ into V.

while ($j < m$)

ignore INT_MAX and push rest of element of $arr2[j:m]$ into V.

return V.

Code -

```

vector<int> findUnion(int arr1[], int arr2[], int n, int m)
{
    vector<int> v;
    unordered_set<int> s;
    for (int i = 0; i < n; i++) {
        auto it = s.find(arr1[i]);
        if (it != s.end())
            arr1[i] = INT_MAX;
        else
            s.insert(arr1[i]);
    }
    for (int i = 0; i < m; i++) {
        auto it = s.find(arr2[i]);
        if (it != s.end())
            arr2[i] = INT_MAX;
        else
            s.insert(arr2[i]);
    }
    int i = 0, j = 0;
    while (i < n && j < m) {
        if (arr1[i] == INT_MAX)
            i++;
        else if (arr2[j] == INT_MAX)
            j++;
        else if (arr1[i] <= arr2[j])
            v.push_back(arr1[i++]);
        else
            v.push_back(arr2[j++]);
    }
}

```

while ($i < n$) {

 if ($arr[i] == INT_MAX$) {
 $i++$;

 else

 v.push_back($arr[i + 1]$);

 }

while ($j < m$) {

 if ($arr2[j] == INT_MAX$) {
 $j++$;

 else

 v.push_back($arr2[j + 1]$);

 }

return v;

}

Q. Q) Longest Consecutive sequence.

We have given an array of integers, we have to find length of longest sequence such the elements in sequence are consecutive integers, the consecutive numbers can be in any order.

Ex. -

$arr[] = \{2, 6, 1, 9, 4, 5, 3\}$

O/p = 6 ($1, 2, 3, 4, 5$ and 6 are in array)

$\text{arr}[] = \{1, 9, 3, 10, 4, 20, 23\}$

O/p = 4 (as 1, 2, 3 and 4 is longest sequence)

Approach 1 - $O(n \log n)$;

We first sort the array.

make two variables cur and res;

cur = 1, res = 0;

run a loop from i = 1 to len.

if ($\text{arr}[i] == \text{arr}[i-1]$)

 cur++;

else

 res = max(res, cur);

 cur = 1;

return res;

Code:-

```
int long consecutive(int arr[], int n){
```

```
    int cur = 1, res = 0;
```

```
    sort(arr, arr + n);
```

```
    for (int i = 0; i < n; i++) {
```

```
        if (arr[i] == arr[i - 1]) cur++;
```

```
        else { res = max(res, cur); cur = 1; }
```

return res;

Approach 2 - O(n)

We will use unordered_set.

We first make two variables res=0, cur=1;

and an unordered_set<int> s($a[0], a[1] + n$);

run a loop from i=0 to i<n

check if unordered_set contains $a[i] - 1$ or not

if contain do nothing

if not contain

make ~~cur = 0~~ cur = 1

while(s.find($a[i] + \text{max}(cur)$) != s.end())
cur++;

res = max(res, cur);

return res.

Code-

```
int long consecutive(int arr[], int n) {
    int res=0, cur=1;
    unordered_set<int> s( $a[0], a[1] + n$ );
```

```

for (int i=0; i<n; i++) {
    if (s.find(arr[i]-1) == s.end())
        cur = 1;
    while (s.find(arr[i]+cur) == s.end())
        cur++;
    res = max(res, cur);
}
return res;
}

```

Q. Subarray with zero sum.

We have given an array of integers and we have to check if there is a subarray (may be of size one or more) whose sum is zero.

ex -

$arr[] = \{3, 2, 1, -3\}$
O/P - true (2+1+(-3))

$arr[] = \{2, 1, 0, 2, 3\}$
O/P - true (2+0)

Approach -

We will calculate prefix sum of given array and store that in an unordered set,

but before pushing/inserting prefix sum one by one we check if our prefix sum is already present in set or not if present means there is a subarray whose sum is 0 and if not there is not.

But there is a corner case, if first subarray whose initial index is 0 can't be in previous case, for this we have to explicitly explicitly check if at any point prefix sum is zero.

Ex -

$$A[] = \{2, 3, 1, -4, 2\}$$

$$\text{Pre-sum} = 2 \ 5 \ 6 \ 2, \ 1$$

O/P-time

Same

$$A[] = \{3, -2, 1, 4, 5\}$$

$$\text{Pre-sum} = 3, 1, 0, 4, 9$$

O/P-time (corner condition)

Code-

```
bool isSum(int arr[], int n){\n    unordered_set<int> s;\n    int pre_sum = 0;\n    for(int i=0; i<n; i++){\n        pre_sum += arr[i];\n        if(s.find(pre_sum) != s.end())\n            return true;\n        else if(pre_sum == 0)\n            return true;\n        s.insert(pre_sum);\n    }\n    return false;\n}
```

Q. Winner of election -

We have given an array of strings in which each name represents each vote ~~order~~. We have to find winner. If no of votes for two persons is same, then winner will be that person whose name is lexicographically small.

Code -

String tieBreak(string names[], int n){
 unordered_map<string, int> m;

```
for(int i=0; i<n; i++)  
    m[names[i]]++;
```

```
string winner;  
int max_vote = 0;
```

```
for(auto x: m){  
    if(x.second > max_vote){  
        winner = x.first;  
        max_vote = x.second;  
    }
```

```
    else if(x.second == max_vote){  
        winner = min(winner, x.first);  
    }
```

3

return winner;

3