Final

$Greg\ Ceccarelli$

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Part 1. Multiple Choice (32 points)

- 1. d
- 2. b
- 3. e
- 4. b
- 5. d
- 6. a
- 7. e
- 8. a

Part 2. Test Selection (24 points)

- 9. a
- 10. d
- 11. b
- 12. b
- 13. a
- 14. b

Part 3: Data Analysis (44 points)

15. OLS Regression

```
#set up working envrionment
##running on macbook air, set relevant directory
setwd('/Users/ceccarelli/MIDS/DATASCI_W203/Assignments/Labs/Final Exam/')
rm( list = ls() )

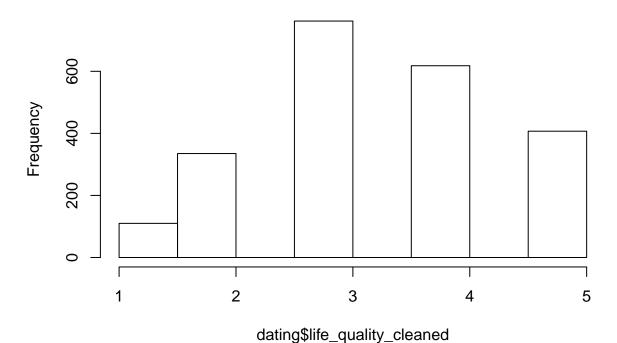
#Load relevant packages
#library(ggplot2)
library(car)
library(psych)
```

```
##
## Attaching package: 'psych'
##
## The following object is masked from 'package:car':
##
## logit
```

```
library(gmodels)
library(MASS)
library(plyr)
#load supplied R data file
dating <- read.csv("Dating.csv",header = TRUE)</pre>
#inspect life_quality variable
summary(dating$life_quality)
##
                                                          5 Don't know
##
          407
                                 762
                                            335
                      618
                                                        110
##
      Refused
##
           12
levels(dating$life_quality)
## [1] "1"
                                  "3"
                                                "4"
                                                             "5"
                    "2"
## [6] "Don't know" "Refused"
#wrapper function to easily recode factors
changelevels <- function(f, ...) {</pre>
    f <- as.factor(f)</pre>
    levels(f) <- list(...)</pre>
}
dating$life_quality_cleaned <- changelevels(dating$life_quality, "5"=c("1"), "4"=c("2"), "3"=c("3"),"2"
levels(dating$life_quality_cleaned)
## [1] "5" "4" "3" "2" "1" "NA"
##appears NA is a string in dating$life_quality_cleaned, recode to true NA
is.na(dating) <- dating=="NA"</pre>
# Can fix the remaining "NA" after fix by recreating the factor
dating$life_quality_cleaned <- factor(dating$life_quality_cleaned)</pre>
#check summary output
summary(dating$life_quality_cleaned)
          4
                     2
                          1 NA's
     5
                3
## 407 618 762 335 110
                               20
#convert to numeric to use in regression using ali's method
dating$life_quality_cleaned <- as.numeric(as.character(dating$life_quality_cleaned))</pre>
#compute the mean for life quality to answer 15. a
mean(dating$life_quality_cleaned, na.rm =TRUE)
```

summary(dating\$life_quality_cleaned) ## Min. 1st Qu. Median Mean 3rd Qu. Max. NA's ## 1.000 3.000 3.000 3.393 4.000 5.000 20 hist(dating\$life_quality_cleaned)

Histogram of dating\$life_quality_cleaned



##review values for dating\$years_in_relationship & age
counts_yrs = as.data.frame(table(dating\$years_in_relationship))
#counts_yrs[with(counts_yrs,order(-Freq)),]

counts_age = as.data.frame(table(dating\$age))
#counts_age[with(counts_age,order(-Freq)),]

dating\$years_in_relationship_cleaned <- dating\$years_in_relationship

#in this instance, use plyr instead to mapualues
dating\$years_in_relationship_cleaned <- mapualues(dating\$years_in_relationship_cleaned, from = c(" ","R

##appears NA is a string in dating\$years_in_relationship_cleaned, recode to true NA
is.na(dating) <- dating=="NA"

Can fix the remaining "NA" after fix by recreating the factor
dating\$years_in_relationship_cleaned <- factor(dating\$years_in_relationship_cleaned)</pre>

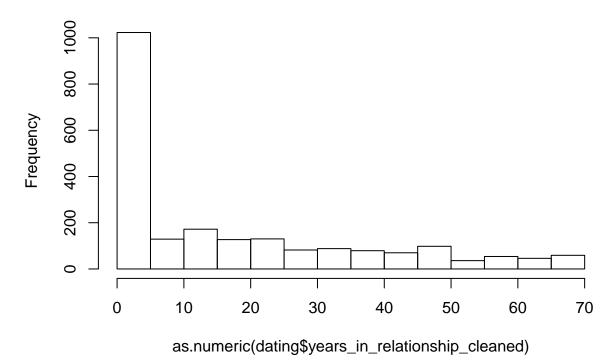
```
#recheck counts to make sure nothing amiss
counts = as.data.frame(table(dating$years_in_relationship_cleaned))
#counts[with(counts, order(-Freq)),]

#check total counts, 59 NA's not included
sum(as.numeric(counts$Freq))
## [1] 2193
```

hist(as.numeric(dating\$years_in_relationship_cleaned))

##

Histogram of as.numeric(dating\$years_in_relationship_cleaned)

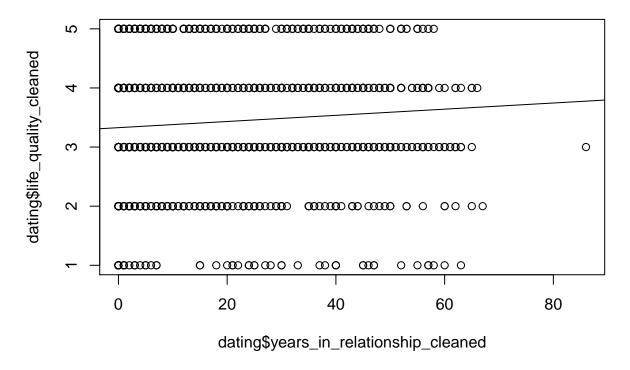


#update to be numeric following Alis Guidance
dating\$years_in_relationship_cleaned <- as.numeric(as.character(dating\$years_in_relationship_cleaned))
##finally, check for spurious values when years_in_relationship exceeds age
dating\$years_in_relationship_cleaned.spurious <- as.numeric(as.character(dating\$years_in_relationship_c
table(dating\$years_in_relationship_cleaned.spurious)</pre>

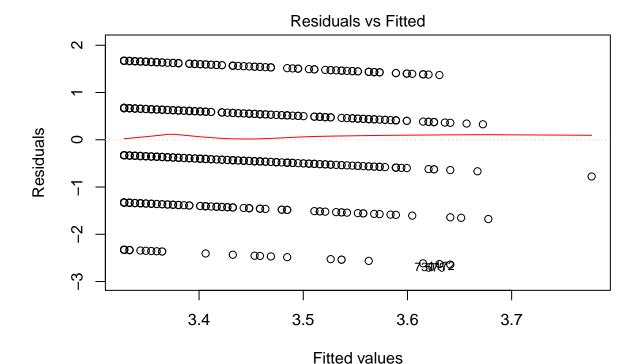
```
## FALSE TRUE
## 2192 1

##One value where this occurs, recode to NA
#View(data.frame(dating[dating[,"years_in_relationship_cleaned.spurious"],]))
is.na(dating$years_in_relationship_cleaned) <- dating$years_in_relationship_cleaned.spurious==TRUE</pre>
```

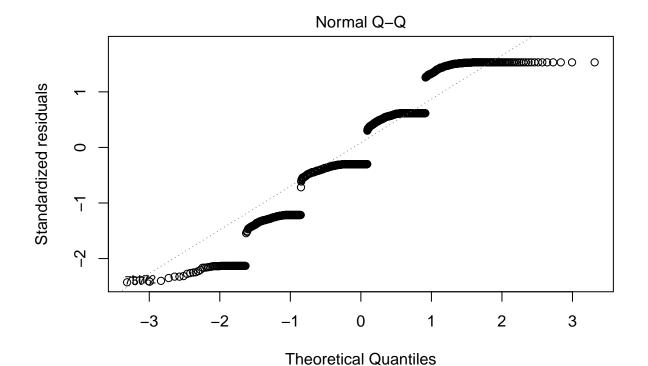
```
dating$years_in_relationship_cleaned <- factor(dating$years_in_relationship_cleaned)</pre>
dating$years_in_relationship_cleaned <- as.numeric(as.character(dating$years_in_relationship_cleaned))</pre>
#compute the mean for life quality to answer 15. b
mean(dating$years_in_relationship_cleaned, na.rm =TRUE)
## [1] 13.43887
##check use_internet
summary(dating$use_internet)
                                        Refused
##
              Don't know
                                  No
                                                       Yes
##
         1122
                                 190
                                                       936
#remap values
dating$use_internet_cleaned <- mapvalues(dating$use_internet, from = c(" ", "Don't know", "Refused"), to=
## NA is a string in dating$use_internet_cleaned, recode to true NA
is.na(dating) <- dating=="NA"</pre>
# Can fix the remaining "NA" after fix by recreating the factor
dating$use_internet_cleaned<- factor(dating$use_internet_cleaned)</pre>
##check use_internet again
summary(dating$use_internet_cleaned)
##
    No Yes NA's
## 190 936 1126
#compute lim_rows logical vector for the 3 variables in question
lim_rows = complete.cases(dating$life_quality_cleaned, dating$use_internet_cleaned, dating$years_in_rel
## just the complete cases, count the rows with nrow to answer 15. c
dating_lim = dating[lim_rows,]
nrow(dating_lim)
## [1] 1089
lmod1 <- lm(life_quality_cleaned ~ years_in_relationship_cleaned, dating_lim)</pre>
plot(dating$life_quality_cleaned ~ dating$years_in_relationship_cleaned)
abline(lmod1)
```



##plot model to review
plot(lmod1)



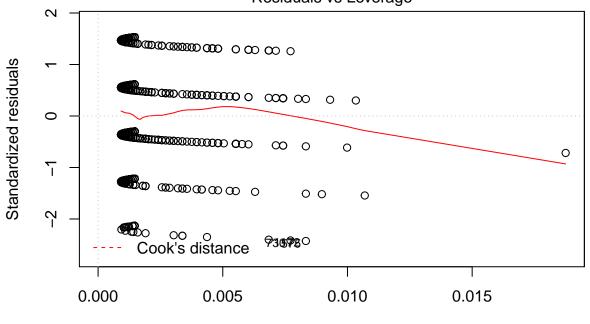
Im(life_quality_cleaned ~ years_in_relationship_cleaned)



Im(life_quality_cleaned ~ years_in_relationship_cleaned) Scale-Location 7650765702 1.5 0 00 0 0000 യയ √|Standardized residuals 1.0 O 0.5 0.0 3.4 3.5 3.6 3.7

Fitted values Im(life_quality_cleaned ~ years_in_relationship_cleaned)

Residuals vs Leverage



Leverage Im(life_quality_cleaned ~ years_in_relationship_cleaned)

summary(lmod1)

##

##

```
##
## Call:
## lm(formula = life_quality_cleaned ~ years_in_relationship_cleaned,
       data = dating_lim)
##
##
  Residuals:
##
##
      Min
                1Q Median
                               3Q
                                      Max
## -2.6411 -0.4846 -0.3280 0.6720 1.6720
##
## Coefficients:
##
                                Estimate Std. Error t value Pr(>|t|)
                                           0.041812 79.595 < 2e-16 ***
## (Intercept)
                                3.328043
## years_in_relationship_cleaned 0.005218
                                           0.001994
                                                      2.617 0.00899 **
##
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 1.093 on 1087 degrees of freedom
## Multiple R-squared: 0.006262,
                                   Adjusted R-squared: 0.005348
## F-statistic: 6.85 on 1 and 1087 DF, p-value: 0.008987
#first models coefficient
coef(lmod1)
```

0.005217756

(Intercept) years_in_relationship_cleaned

3.328042604

```
#fit multivariate ols linear model: life_quality outcome, use_internet
#and years_in relationship as predictors
lmod2 <- lm(life_quality_cleaned ~ years_in_relationship_cleaned + use_internet_cleaned, dating_lim)</pre>
summary(lmod2)
##
## Call:
## lm(formula = life_quality_cleaned ~ years_in_relationship_cleaned +
##
      use_internet_cleaned, data = dating_lim)
##
## Residuals:
                     Median
       Min
                 1Q
                                   3Q
## -2.62734 -0.53989 -0.00155 0.60413 2.00874
## Coefficients:
                                Estimate Std. Error t value Pr(>|t|)
##
## (Intercept)
                                2.991259
                                          0.084405 35.439 < 2e-16 ***
## years_in_relationship_cleaned 0.005144
                                           0.001976
                                                      2.604 0.00935 **
                                           0.088345
                                                      4.580 5.19e-06 ***
## use_internet_cleanedYes
                                0.404609
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
## Residual standard error: 1.083 on 1086 degrees of freedom
## Multiple R-squared: 0.02509,
                                   Adjusted R-squared: 0.0233
## F-statistic: 13.98 on 2 and 1086 DF, p-value: 1.017e-06
coef(lmod2)
##
                    (Intercept) years_in_relationship_cleaned
##
                    2.991258733
                                                  0.005143746
##
        use_internet_cleanedYes
##
                    0.404609136
# compare the model improvement with anova
anova(lmod1, lmod2)
## Analysis of Variance Table
##
## Model 1: life_quality_cleaned ~ years_in_relationship_cleaned
## Model 2: life_quality_cleaned ~ years_in_relationship_cleaned + use_internet_cleaned
              RSS Df Sum of Sq
   Res.Df
                                    F
                                         Pr(>F)
## 1 1087 1298.0
## 2
     1086 1273.4 1 24.595 20.975 5.191e-06 ***
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
# also check the AIC
AIC(lmod1)
```

[1] 3287.664

```
AIC(lmod2)
```

[1] 3268.832

RESPONSE:

- A. What is the mean quality of life in the sample? 3.392921
- B. What is the mean of "years in relationship" in the sample? 13.43887
- C. How many cases does this leave you with? 1089
- D. Fit an OLS Model. What is the slope coefficient you get? Is it statistically significant? What about practically significant? The slope coefficient is 0.005217756, meaning that every unit increase in "years in relationship" increases "life quality" by that amount. It is statistically significant but given the extremely small R squared, not practically significant given the very low percent of variance explained.
- E. Fit a second OLS model. What is the slope coefficient for use _interne? Is it statistically significant? What about practically significant? The slope coefficient for use internet is 0.404609136, meaning that internet users on average had a rating for "life quality" that much higher. In this case it is higher statistically significant with a p value of 5.19e-06.
- F. Compute the F-ratio and associated p-value between your two regressio models. Assess the improvement from your first model to your second.

Using ANOVA, The F-ratio is 20.975 and is highly statistically significant. Reduced AIC between model 1 and 2 indicate that we've improved predictive ability and that we have a higher quality model (with improved R squared)

16. Logistic Regression

```
summary(dating$flirted_online)
```

```
## Don't know No Refused Yes
## 357 2 1496 6 391
```

```
#remap values
dating$flirted_online_cleaned <- mapvalues(dating$flirted_online, from = c(" ","Don't know","Refused"),
## NA is a string in dating$flirted_online_cleaned, recode to true NA
is.na(dating) <- dating=="NA"

# Can fix the remaining "NA" after fix by recreating the factor
dating$flirted_online_cleaned<- factor(dating$flirted_online_cleaned)

summary(dating$flirted_online_cleaned)</pre>
```

```
## No Yes NA's
## 1496 391 365

#create dummy variables
contrasts(dating$flirted_online_cleaned) <-contr.treatment(2,base = 1)

levels(dating$flirted_online_cleaned)</pre>
```

```
## [1] "No" "Yes"
summary(dating$flirted_online_cleaned)
    No Yes NA's
## 1496 391 365
dating$flirted_online_cleaned_recode <- ifelse(dating$flirted_online_cleaned=="Yes", 1, 0)
#t=table(dating$flirted_online_cleaned)
\#D = data.frame(matrix(t,ncol=2))
\#D\$num.obs = D[,1]+D[,2]
\#D\$srate = D[,2]/D\$num.obs
##check updated values
summary(dating$flirted_online_cleaned_recode)
##
      Min. 1st Qu. Median
                              Mean 3rd Qu.
                                               Max.
                                                       NA's
## 0.0000 0.0000 0.0000 0.2072 0.0000 1.0000
                                                        365
##compute mean
mean(dating$flirted_online_cleaned_recode, na.rm=TRUE)
## [1] 0.2072072
#compute odds for question 16. a
mean(dating$flirted_online_cleaned_recode, na.rm=TRUE)/(1-mean(dating$flirted_online_cleaned_recode, na
## [1] 0.2613636
#review usr variable
summary(dating$usr)
               Rural Suburban
##
                                 Urban
                                   763
##
          2
                 450
                         1037
dating$usr_cleaned <- mapvalues(dating$usr, from = c(" "), to= c("NA"))</pre>
## NA is a string in dating$flirted_online_cleaned, recode to true NA
is.na(dating) <- dating=="NA"</pre>
# Can fix the remaining "NA" after fix by recreating the factor
dating$usr_cleaned<- factor(dating$usr_cleaned)</pre>
summary(dating$usr_cleaned)
##
      Rural Suburban
                        Urban
                                  NA's
        450
                1037
                          763
                                      2
```

##

```
# Only incorporate complete cases
#compute lim_rows logical vector for the 3 variables in question
lim rows glm = complete.cases(dating$flirted online cleaned recode, dating$usr cleaned)
## just the complete cases
dating_lim_glm = dating[lim_rows_glm,]
summary(dating_lim_glm$usr_cleaned)
##
     Rural Suburban
                        Urban
##
       350
                 888
                          647
#create dummy variables, make surburban base case
#contrasts(dating$usr_cleaned)<-contr.treatment(3,base = 1)</pre>
#dating$usr_cleaned
## Begin with a bivariate logistic regression given
model1 = glm(flirted_online_cleaned_recode ~ usr_cleaned, data=dating_lim_glm, family=binomial())
#qrab AIC criterion
summary(model1)
##
## Call:
## glm(formula = flirted_online_cleaned_recode ~ usr_cleaned, family = binomial(),
       data = dating_lim_glm)
##
## Deviance Residuals:
                     Median
                                   3Q
      Min
                1Q
                                           Max
## -0.7592 -0.7592 -0.6731 -0.5432
                                        1.9934
##
## Coefficients:
##
                       Estimate Std. Error z value Pr(>|z|)
## (Intercept)
                       -1.8392
                                    0.1554 -11.837 < 2e-16 ***
                                    0.1764
                                             2.663 0.00774 **
                        0.4697
## usr_cleanedSuburban
## usr cleanedUrban
                        0.7427
                                    0.1799 4.127 3.67e-05 ***
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
## (Dispersion parameter for binomial family taken to be 1)
##
##
       Null deviance: 1922.0 on 1884 degrees of freedom
## Residual deviance: 1903.4 on 1882 degrees of freedom
## AIC: 1909.4
## Number of Fisher Scoring iterations: 4
exp(coef(model1))
##
           (Intercept) usr_cleanedSuburban
                                              usr cleanedUrban
```

1.5995763

2.1015464

##

0.1589404

#output odds, manually create odds ratio in answer exp(coef(model1))

```
## (Intercept) usr_cleanedSuburban usr_cleanedUrban
## 0.1589404 1.5995763 2.1015464
```

```
##odds ratio
2.1015464/0.1589404
```

[1] 13.22223

RESPONSE:

A. What are the odds that a respondent in the sample has flirted online at some point (flirted online)?

The percentage of folks who flirted online is 0.2072072, thus, the odds that someone would have flirted online is 0.2072072/(1-0.2072072) = .26136. On the otherhand, the odds that someone did not flirt online is (1-0.2072072)/0.2072072 = 3.82

B. Conduct a logistic regression to predict flirted_online as a function of where a respondent lives (usr). What Akaike Information Criterion (AI) does your modelhave?

1909.4

C. how much bigger are the odds that an urban respondent thas flirted online than the odds that a rural respondent has flirted online? Is this effect practically significant?

Based on the output, the odds are: usr_cleanedUrban: 2.1015464 (Intercept)->Rural 0.1589404 Odds Ratio: 13.22223, that is, the odds of an urban respondant having flirted online are 13 times the odds of a rural respondant. While there is no "accepted test" to calculate practical significance in this scenaro, this result certainly would seem to be, especially given the fact that each of coefficie t values are statistically significant.