

\* Prove the Identity of each the following Boolean equations, using algebraic manipulation.

1.  $\bar{X}\bar{Y} + \bar{X}Y + XY = \bar{X} + Y$

2.  $Y + \bar{X}Z + X\bar{Y} = X + Y + Z$

3.  $\bar{X}\bar{Y} + \bar{Y}Z + XZ + XY + Y\bar{Z} = \bar{X}\bar{Y} + XZ + Y\bar{Z}$

4.  $AB\bar{C} + B\bar{C}\bar{D} + BC + \bar{C}D = B + \bar{C}D$

\* Simplify the following Boolean expressions to expressions containing a minimum number of literals.

5.  $\bar{A}\bar{C} + \bar{A}BC + \bar{B}C$

6.  $AB\bar{C} + AC$

7.  $\bar{A}\bar{B}D + \bar{A}\bar{C}D + BD$

8.  $(\bar{A} + B) + (\bar{A} + \bar{C}) + \overline{(A\bar{B}C)}$

\* Reduce the following Boolean expressions to the indicated numbers of literals.

9.  $\bar{X}\bar{Y} + XYZ + \bar{X}Y$  to three literals

10.  $X + Y(Z + \overline{X + Z})$  to two literals

11.  $\bar{W}X(\bar{Z} + \bar{Y}Z) + X(W + \bar{W}YZ)$  to one literal

\* Find the complement of the following expressions

12.  $(\overline{X} + \overline{Y})Z$

13.  $W + (Y + \overline{Z} + YZ) + \overline{W}X + (\overline{Y} + Z)(Y + \overline{Z})$

14.  $(A + B + \overline{C})(\overline{A}B + C)(A + B\overline{C})$

1. 과제 제출 양식

- A4 용지에 수기로 문제와 답을 작성
- 표지는 없어도 되며 첫 장 상단에 학번과 이름을 작성할 것

2. 과제 제출 기한 : 3월 30일(화)까지

- 스캔하여 게시판에 올리기(핸드폰으로 찍어도 상관없음)