

INDEX

Name SANTANA SURESH Sub. _____

Std.: _____ Div. _____ Roll No. _____

Telephone No. _____ E-mail ID. _____

Blood Group. _____ Birth Day. _____

Sr.No.	Title	Page No.	Sign./Remarks
01	LAB - 01 Learned about all seven algorithms	03/10/24	8
02	LAB - 02 Genetic algorithm for optimization problem	04/10/24	10
03	LAB - 03 Particle Swarm Optimization	07/11/24	10 SSQ 14/11/24
04	LAB - 04 Ant Colony Optimization	14/11/24	
05	LAB - 05 Cuckoo Search	21/11/24	SSB 21/11/24
06	LAB - 06 Grey wolf optimizer	28/11/24	
07	LAB - 07 Parallel Cellular Algorithms		
08	LAB - 08 Optimization via Gene Algorithm Expression		

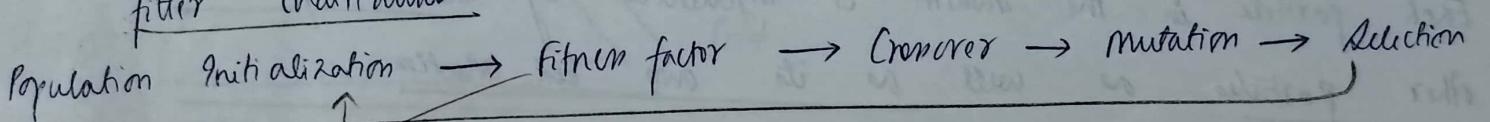
03/10

ALGORITHM 1

GENETIC ALGORITHM FOR OPTIMIZATION PROBLEMS

* INTRODUCTION

- Genetic algorithm (GA) is a search based optimization technique based on the principles of Genetics and Natural selection.
- used to solve and find optimal / near optimal solution.
- GA simulate the process of natural selection - "survival of the fittest" among individuals of consecutive generations to solve a problem.
- In GA, we have a pool / population of possible solutions to a given problem. These solutions undergo phenotypic recombination and mutation, producing new children and this process is repeated over a few generations.
- Each individual is assigned a fitness value and fitter individuals are given a higher chance to mate and yield more fitter individuals.



* APPLICATION

- ① Optimization : GA are used where we have to maximize / minimize a given objective function value under a given set of constraint
- ② Neural network : GA are used to train recurrent neural networks
- ③ DNA analysis : GAs are used to determine structure of DNA
- ④ Travelling Salesman Problem.
- ⑤ Image processing

* ALGORITHM 2 : PARTICLE SWARM OPTIMIZATION (PSO)

- Particle swarm optimization is inspired by nature and is based on the social behaviour of birds in a flock or behaviour of fish.
- Population based algorithm for search and optimization.
- Simulation to discover the pattern in which birds fly and their formations and grouping during flying activity. as they search for food or suitable place to settle.
- Biologists believe a school of fish / flock of birds that move in a group can "profit from the experience of all other members".
- While simulating movement of a flock of birds, we can also imagine each bird is to help us find the optimal solution and the best solution found by flock is the best solution in solution space.
- In PSO, a group of particles is used to represent potential solutions to a problem. Each particle has a position in search space, velocity.
- Social behaviors of the swarm guides the search for optimal solution. Each particle in the swarm is influenced by current position of other particles as well as its own best position.

* APPLICATIONS

- ① Energy storage optimization
- ② Flood control and routing
- ③ Medical image and segmentation
- ④

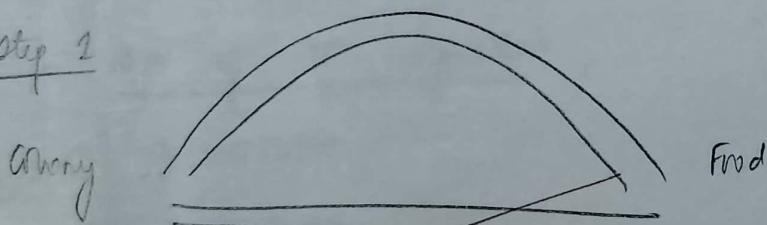
* ALGORITHM 3 : ANT COLONY OPTIMIZATION FOR TRAVELING SALESMAN PROBLEM (ACO)

: ACO is an example of swarm intelligence algorithms. Goal is to design intelligent multi-agent system by observing collective social behaviour of ants.

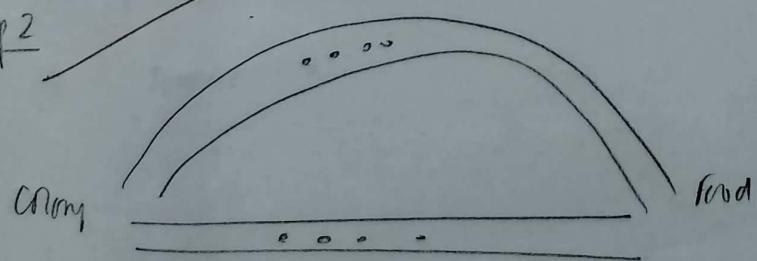
PRINCIPLE OF ACO

- Ants are social insects that live in colonies instead of living individually.
- For communication, they use pheromones - chemicals secreted by ants on the soil and ants from the same colony can smell them and follow.
- To get food, ants use shortest path possible from food source to colony. Ants going in search of food secret pheromones and other ants follow this pheromone to form shortest route. Since more ants use the shortest route so concentration of pheromones increase, rate of evaporation to other paths will decrease - 2 major factors to determine shortest path.

Step 1

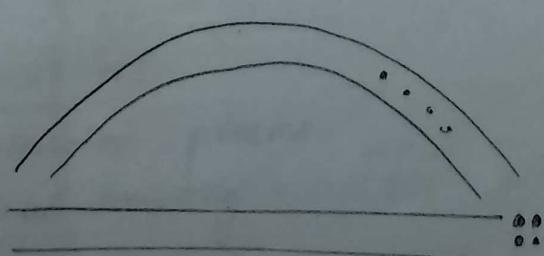


Step 2



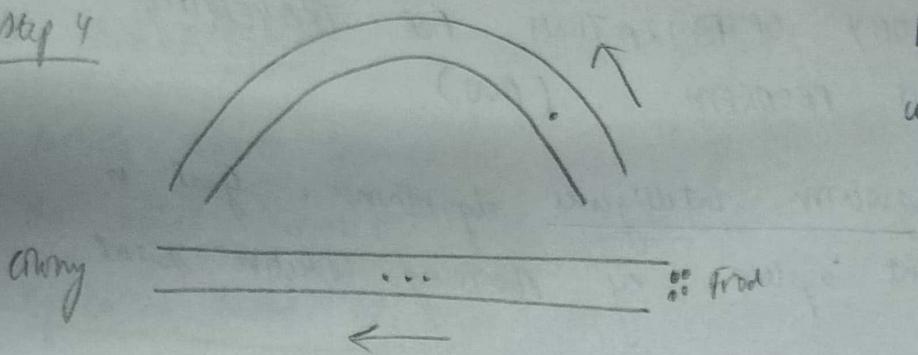
Ants split into 2 groups to find food.

Step 3



Ants which follows shortest route reach food first and pheromone concentration is high.

Step 4



more ants will return to using short cut path due to increased pheromones.

* APPLICATIONS

- ① Scheduling problem
- ② Image Processing
- ③ Data mining

* ALGORITHM 4 — CUCKOO SEARCH (CS)

INTRODUCTION

- CS is an evolutionary optimization algorithm and was inspired by the species of bird - cuckoo. and their aggressive reproduction strategy.
- Cuckoo birds lay their eggs in the nests of other host birds. If the host bird recognizes the eggs as not being their own then it will either throw the egg away or simply empty the nest and build a new one.
- CS is based on three idealized important rules —
 - ① Each cuckoo lays one egg at a time and dumps its egg in a randomly chosen nest.
 - ② The best nest with high quality eggs will carry over to the next generation.
 - ③ The number of available hosts' nests is fixed, and egg laid by a cuckoo is discovered by host bird with a probability $p_d \in [0, 1]$.

Steps of CS algorithm

- ① Initialization
- ② Levy Flight
- ③ Fitness Calculation
- ④ Termination

APPLICATIONS

- ① Optimization problems
- ② Cloud computing
- ③ IoT
- ④ Pattern recognition.

Complete Algorithm
by清澈
Removing
nest
by
3/10

* ALGORITHM 5 : GREY WOLF OPTIMIZER (GWO)

- GWO algorithm is a nature inspired metaheuristic ^{method}, based on the behaviour of a pack of wolves to find an optimal solution.
- Grey wolves hunt large prey in pack and rely on cooperation among individual wolves. Two interacting aspects -
 - ① Social hierarchy
 - ② Hunting mechanism
- The complex social hierarchy includes delta, gamma, beta and alpha wolf representing the best solution candidates at each iteration.
- To find the best answer, the hunting behaviour of grey wolves are picked. The beta and gamma wolves follow the alpha wolf's lead when they circle their meal. The delta wolf is the one who attacks first.
- Workflow

Initialization → Fitness Evaluation → Encircling prey → Attack

↓
Output ← Stopping criterion ← Check fitness ← Update positions

* APPLICATIONS

- ① Data mining
- ② Image and signal processing
- ③ Energy management
- ④ Machine learning

ALGORITHM 6 - PARALLEL CELLULAR ALGORITHMS

- parallel cellular algorithms are computational models based on the idea of dividing a problem into smaller units or cells that operate simultaneously and often independently.
- Inspired by cellular automata, where the cells interact with their neighbours based on local rules.
- Parallelization in cellular algorithms is achieved by distributing these cells across multiple processing units, allowing for concurrent execution of many operations.
- Two main concepts -
 - ① Cellular Automata
 - ② Parallel processing

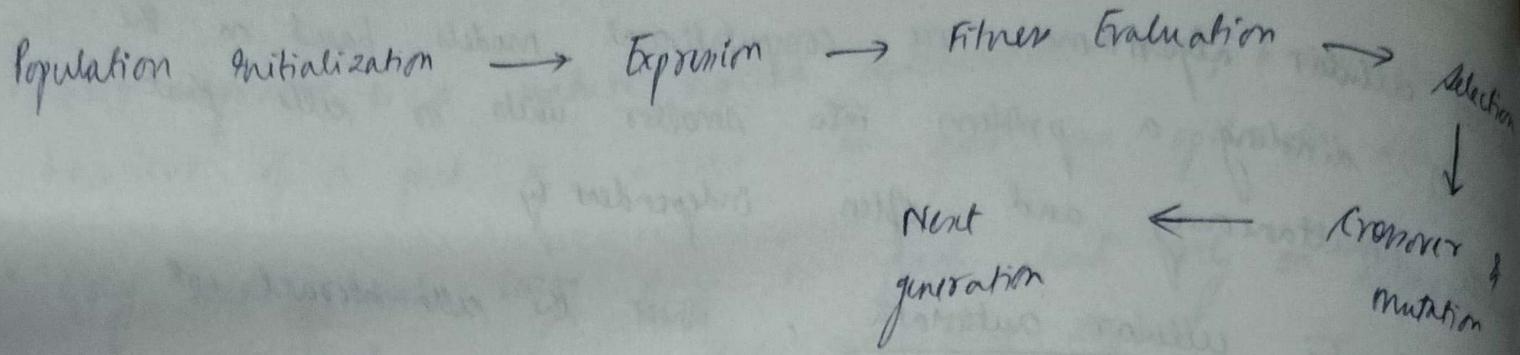
* APPLICATIONS

- ① Image processing
- ② Fluid dynamics
- ③ Biological system
- ④ Physics simulation

ALGORITHM 7 - OPTIMIZATION VIA GENE EXPRESSION ALGORITHMS

- GEA (Gene Expression Algorithm) is inspired by biological processes, particularly gene expression in living organisms and belong to family of evolutionary algorithms.
- GEA's optimize problems by mimicking the way genes in DNA express themselves to develop specific traits in organisms.

Optimization Process



* Applications

- ① Machine Learning
- ② Data Mining
- ③ Resource Allocation
- ④ Engineering Optimization

PROGRAM - 1

GENETIC ALGORITHMS FOR OPTIMIZATION PROBLEMS

① Define the problem

- Objective function selected is $f(x) = x^2$

② Initialize the parameters such as population size, mutation rate, crossover rate and number of generations.

Population - size $\leftarrow 100$

Mutation rate $\leftarrow 0.1$

Number - of - generation $\leftarrow 50$

Bound $\leftarrow [-10.0, 10.0]$

③ Create initial population of candidate solutions within specified bound

if initialize - population (bounds, number - of - generation) :

for i from 1 to number - of - generation :

individual = random - uniform (bounds [0], bounds [1])

④ Evaluate the fitness of each individual in the population using objective function evaluate - fitness (population)

for individual IN population :

score = objective (individual)

⑤ Select individual based on their fitness to reproduce. Selection is based on the fitness scores using roulette wheel selection method.

function roulette - wheel (population, score)

total - fitness = sum (score)

probability = $1 - (\text{score} / \text{total - fitness})$

selection = Random (population, probabilities)

⑥ Perform crossover between selected individuals to produce offspring.
Characteristics of two parents are combined to generate new solutions.
function crossover (parents, parents₁, alpha = 0.5) : // combination
offspring = alpha * parent₁ + (1 - alpha) * parent₂.

⑦ Apply mutation to the offspring to maintain genetic diversity

function mutation (individual, bounds, mutation-rate)

if random() < mutation_rate // to check for mutation
~~then~~ mutation occurs.

⑧ Entire population is replaced with the newly generated population for the next generation. - iteration

function genetic-algorithm (bounds, no.-of-generation, population, mutation)

pop = initialize-population (bounds, population-size)

for gen in range (no.-of-generation)

score = evaluate-fitness (pop)

for i in range (population-size)

parent_i = roulette-wheel-selection (pop, score).

offspring = crossover (parent₁, parent₂).

⑨ Continue iterations till population number is reached (~50)

Sachin
-24/10/24

PROGRAM - 2

PARTICLE SWARM OPTIMIZATION (PSO)

① Define the problem

- create a mathematical function to optimize
- The fitness function selected is

$$f_1 = x_1 + 2x_2 - x_2^2 + 3$$

$$f_2 = 2x_1 x_2 + x_2^2 - 8$$

objective function = $f_1^2 + f_2^2$

② Initialize parameters

The number of particles - NumParticles, set the inertia weight as w ,
 cognitive coefficient c_1
 social coefficient c_2
 number of iterations maxIter

③ Initialize particles and PSO parameters

call pso (func, dim, bounds, num_particles = 20, max_iter = 100, w = 0.5,
 $c_1 = 1.5, c_2 = 1.5$):

$$\text{particles} = [\text{Particle}(\text{dim}, \text{bounds}) \text{ for- in range(num-particles)}]$$

- For each particle in Particles, find the particle best position and particle best value, its position and velocity.

④ Iterate and update particles

For a set number of iteration max_iter, evaluate the fitness of each particle using fitness function. Update the global best position and value if any particle has found a better solution.

For particle in particles :

particle.evaluate(func)

if particle.best_value < global_best_value :

global_best_position = particle.best_value

⑤ Update the best solution

After completing the iteration, return the best position and value found by the swarm.

for particle in particles :

particle.update - velocity (global-best-position, w, c_r, c_d)

particle.update - position (bounds)

best-position, best-value = PSO(fitness-function, dim, bounds)

⑥ Output the best solution

~~888
7/11/20..~~

14/11/24

PROGRAM - 3

ANT COLONY OPTIMIZATION

Algorithm

① Define the problem

Create a city class to store coordinates and calculate distance

class City :

def distance_to (self, other) :

return math.sqrt ((self.x - other.x)**2 + (self.y - other.y)**2)

② Initialize the parameters

Take input from the user -

num_ants - The number of ants

alpha - value for pheromone importance

beta - value for heuristic importance

rho - pheromone evaporation rate

phi - pheromone deposit constant

max_iter - maximum number of iterations

③ Construct the solutions

Each ant constructs a solution by probabilistically choosing the next city based on pheromone trails and heuristic information.

function construct_solution (cities, alpha, beta, pheromone, heuristic)

visited = [False] * self.cities

current_city = random.randint (0, self.num_cities - 1).

solution.append (current_city)

visited [current_city] = True

Start from a random city and for each step, select a new-city to visit using select-next-city function. Return the sequence.

④ Update pheromone

After all ants have constructed their solutions, update the pheromone function update-pheromone (pheromone, solutions, costs, rho, q)

$$\text{pheromone_evaporate} = (1 - \rho) * \text{pheromone}$$

for i in range (num_ants) :

$$\text{pheromone}[i][j] += \rho / \text{cost}$$

$$\text{pheromone}[j][i] += \rho / \text{cost}$$

⑤ Iterate

for i in range num_ants :

solution = construct-solution()

cost = calculate-cost()

all-solutions.append (solution)

all-costs.append (cost)

if cost < best-cost :

best-solution = solution

best-cost = cost

⑥ Output the best solution

print ("Best solution : ", best-solution)

print ("Best cost : ", best-cost)

// α - controls the influence of pheromone trail on the probability of selecting the next city.

higher α \Rightarrow more ants likely to follow

β - controls the influence of heuristic information (inversing distance b/w cities)

SCH
line

PROGRAM - 4

CUCKOO SEARCH

① Define the problem

```
def objective-function(x)
    return x ** 2
```

② Initialize parameters

```
function cuckooSearch (num_iterations, num_nests, pa) :
```

```
    nests = random (num_nests)
```

```
    fitness = evaluate-fitness (nests)
```

```
    pa = 0.25
```

```
    best-nest = nests (fitness.index(min))
```

```
    best-fitness = evaluate-fitness [min-index]
```

③ Evaluate fitness

```
for i = 1 to max_iterations :
```

```
    for each nest in nests :
```

```
        new-nest = nest + levy-fight()
```

```
        new-fitness = evaluate-fitness (new-nest).
```

```
        if new-fitness < fitness (nest)
```

```
            nest = new-nest
```

```
            fitness [nest] = new-fitness.
```

④ Abandon worst nests

worst-nests = select-worst-nests (fitness, pa)

for nest in worst-nests :

nest = random-initialization ()

fitness (nest) = evaluate-fitness (nest)

⑤ Update best solution

current_best_index = index - q - min(fitness)

current_best_fitness = fitness[current-best-index]

if current-best-fitness < best-fitness :

best_fitness = current-best-fitness

best_nest = nests[current-best-index].

⑥ Return the best solution

return best_nest, best_fitness.

OUTPUT

Best solution found : [0.00027413]

Best value : 7.51461103308e-08.

APPLICATIONS

① Feature selection in ML

② Aerospace engineering - optimizing design of aircraft, wings

③ Training deep neural network

④ Drug design - optimize molecular structure

~~Q&A
2/1/24~~

28/11/24

PROGRAM - 5

GREY WOLF OPTIMIZER

① Define the problem

Create a mathematical function to optimize.

```
def fitness_function(x):  
    return np.sum(x**x2)
```

② Initialize parameters

Set the number of wolves and the number of iteration. and randomly generate the positions of the wolves within the defined search space.

```
def initialize(search_space, num_wolves, num_iterations):  
    dimensions = len(search_space)  
    search_space = np.array([-5, 5])  
    num_wolves = 10  
    max_iteration = 100
```

③ Initialize population

Generate an initial population of wolves with random position.

```
wolves = np.zeros((num_wolves, dimensions))
```

```
for i in range(num_wolves):
```

```
    wolves[i] = np.random.uniform(search_space[0], search_space[1])
```

```
return wolves
```

④ Evaluate fitness and update positions

def gwo-algorithms (search-space, num-wolves, max-iterations)

alpha-wolf = np.zeros (dimensions)

beta-wolf = np.zeros (dimensions)

gamma-wolf = np.zeros (dimensions)

for iteration in range (max-iteration) :

$$\alpha = 2 - (\text{iteration} / \text{max-iterations}) * 2$$

for i in range (num-wolves) :

fitness = fitness-function(wolves[i])

if fitness < alpha-fitness :

gamma-wolf = beta-wolf.copy()

gamma-fitness = beta-fitness

beta-wolf = alpha-wolf.copy()

beta-fitness = alpha-fitness()

alpha-wolf = wolves[i].copy()

alpha-fitness = fitness

elif fitness < beta-fitness :

gamma-wolf = beta-wolf.copy()

elif fitness < gamma-fitness :

gamma-fitness = fitness

⑤ Update positions of wolves

for i in range (num-wolves) :

for j in range (dimension) :

r1 = np.random.random()

r2 = np.random.random()

$$A1 = 2 * \alpha * r1 - \alpha$$

$$A2 = \dots$$

$$D_alpha = \text{np. abs} (A1 * alpha_wof [j] - waves [i, j])$$

$$x1 = alpha_wof [j] - A1 * D_alpha$$

$$x2 = beta_wof [j] - A2 * D_beta$$

$$x3 = gamma_wof [j] - A3 * D_gamma$$

$$waves [i, j] = (x1 + x2 + x3) / 3$$

⑥ Print best solution

optimal_solution = gwo-algorithm (search-space, num-waves, max)

point ("Optimal solution: ", optimal_solution)

OUTPUT

Optimal fitness : 2.581673e-30

Optimal solution : [-1.0f909e-15, -1.18122e-15]

APPLICATIONS

① Image processing and computer vision

② Medical image analysis

③ Network design and optimization

(5)

Algorithm :

Algorithm cellular optimization

// Input : Grid size (G), dimensionality (D), search space bounds (S),
max iterations (N), fitness functions (F)

Output : Best position and its fitness value.

(①) Define the problem

```
def fitness-function (position):
    return sum (x ** 2)
```

(②) Initialize parameters

grid-size = (10, 10)

dim = 2

minx, maxx = -10.0, 10.0 // search space bounds

max-iteration = 50

(③) Initialize population

```
def initialize-population (grid-size, dim, minx, maxx):
```

population = np.zeros ((grid-size[0], grid-size[1], dim))

for i in range (grid-size[0]):

for j in range (grid-size[1]):

fitness-grid [i, j] = fitness-function (population [i, j])

(④) Update states

```
def update-all (population, fitness-grid, i, j, minx, maxx):
```

neighbours = get-neighbours (i, j)

best-new-position = population [best-neighbour [0], best-neighbour [1] + 1]

new-position = np.clip (new-position,

⑤ Iterate

```
population = initialize_population(grid_size, dim, min, max)
for iteration in range(max_iterations):
    fitness_grid = evaluate_fitness(population)
    for i in range(grid_size[0]):
        for j in range(grid_size[1]):
            new_population[i, j] = update_all(population, fitness_grid, i, j, min, max)
```

⑥ Output the best solution

```
best_position = population[[best_index[0], best_index[1]]]
best_fitness = np.min(fitness_grid)
print("Best position found ", best_position)
print("Best fitness found ", best_fitness)
```

OUTPUT

```
Best position found : [0.03129, 0.085316]
Best fitness found : [6.2945e-0.5]
```

(5)

PROGRAM - 7

OPTIMIZATION VIA GENETIC EXPRESSION ALGORITHMS

Algorithm

Algorithm GeneticExpressionAlgorithm

Input : Population of size (P), Number of genes (G), Mutation rate (M), Crossover rate (C), Number of generation (N), Search space, fitness function (F)

Output : Best solution and its fitness value

① Define the problem

```
def fitness_function(x):  
    return sum((x - i)**2)
```

② Initialize parameters

population_size = 50

num_genes = 5

mutation_rate = 0.1

crossover_rate = 0.7

num_generations = 100

search_space = (-10, 10)

③ Initialize population

```
def initialize_population(pop_size, num_gene, search_space):  
    return np.random.uniform(search_space[0], search_space[1])
```

④ Evaluate fitness

```
def evaluate_fitness(population)
```

return np.array([fitness_function(individual) for individual in population]).

```
def tournament_selection(population, fitness):
```

for i in range(len(population)):

selected.append(population[i] if fitness[i] > fitness[i] else population[i])

```

def crossover (parent1, parent2, rate) :
    if random.random() < rate :
        child1 = np.concatenate ((parent1[:point], parent2[point:]))
        child2 = np.concatenate ((parent2[:point], parent1[point:]))
    return child1, child2

def mutate (individual, rate, search-space) :
    for i in range (len(individual)) :
        if random.random () < rate :
            individual [i] += np.random.normal (0, 1)
    return individual

```

⑤ Iterate

```

for generation in range (num-generation) :
    fitness = evaluate-fitness (population)
    selected-population = tournament-selection (population, fitness)
    crossover next-generation [] = cross-over
    next-generation = (mutate (ind, mutate-rate, search-space))

```

⑥ Output

```

print ("f" Best solution found : {best solution}")
print ("f" Best fitness : {best-fitness})

```