

LAB NO: 4**CONTROL STRUCTURES - LOOPING****Objectives:**

In this lab, student will be able to:

1. Write and execute C++ programs using 'while' statement
2. Write and execute C++ programs using 'do-while' statement
3. Write and execute C++ programs using 'for' statement

Introduction:

- Iterative (repetitive) control structures are used to repeat certain statements for a specified number of times.
- The statements are executed as long as the condition is true
- These types of control structures are also called as loop control structures
- Three kinds of loop control structures are:
 - while
 - do-while
 - for

C++ looping control structures:**While loop:**

```

while(test condition)
{
    body of the loop
}

```

Do-while loop:

```

do
{
    body of the loop
}
while (test condition);

```

For loop:

```

for (initialization; test condition; increment/decrement)
{
    body of the loop
}

```

Solved exercise

[Understand the working of looping with this illustrative example for finding sum of natural numbers up to 100 using **while** and **do-while** statements]

Using **do-while**

```
#include <iostream.h>
void main()
{
    int n;
    int sum;
    sum=0; //initialize sum
    n=1;
    do
    {
        sum = sum + counter;
        counter = counter + 1;
    } while (counter < 100);
    cout<<sum;
}
```

Using **while**

```
#include <iostream.h>
void main( )
{
    int n;
    int sum;
    sum=0; //initialize sum
    n=1;
    while (n<100)
    {
        sum = sum + n;
        n = n + 1;
    }
    cout<<sum;
}
```

Lab exercises

With the help of iterative (looping) control structures such as **while**, **do-while** and **for** statements,

Write C++ programs to do the following:

1. Reverse a given number and check if it is a palindrome or not.
[Ex: 1234, reverse= $4 \times 10^3 + 3 \times 10^2 + 2 \times 10^1 + 1 \times 10^0 = 4321$]
2. Generate prime numbers between 2 given limits.
3. Check if the sum of the cubes of all digits of an inputted number equals the number itself (Armstrong Number).
4. Generate the multiplication table for '**n**' numbers up to '**k**' terms (using nested for loops).

[Hint: 1 2 3 4 5 k
 2 4 6 8 102*k

 n..... n*k]

Additional exercises

1. Check whether a given number is perfect or not.
 [Hint: Sum of all positive divisors of a given number excluding the given number is equal to the number] Ex: $28 = 1 + 2 + 4 + 7 + 14 = 28$ is a perfect number
- 2.// Evaluate the sine series, $\sin(x) = x - \frac{x^3}{3!} + \frac{x^5}{5!} - \frac{x^7}{7!} + \dots$ to n terms.
- 3.// Check whether the given number is strong or not.
 [Hint: Positive number whose sum of the factorial of its digits is equal to the number itself]
 Ex: $145 = 1! + 4! + 5! = 1 + 24 + 120 = 145$ is a strong number.
4. Find out the generic root of any number.
 [Hint: Generic root is the sum of digits of a number until a single digit is obtained.]
 Ex: Generic root of 456 is $4 + 5 + 6 = 15 = 1 + 5 = 6$
- 5.// Generate Floyd's triangle using natural numbers for a given limit N.
 [Hint: Floyd's triangle is a right angled-triangle using the natural numbers]
 Ex: Input: N = 4
 Output:
 1
 2 3
 4 5 6
 7 8 9 10