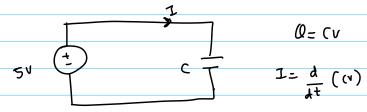
$$Q = \int_{6}^{\infty} (t) dt = \int_{6}^{\infty} \frac{1}{2} e^{-5t} = \int_{6}^{\infty} -\frac{1}{5} \times \int_{6}^{\infty} \left[e^{-5t} = \right] = \int_{6}^{\infty} \frac{1}{2} e^{-5t} = \int_{6}^{\infty} \frac{$$

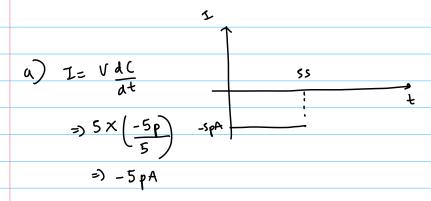
a)
$$I = -(\frac{dV_c}{dt})$$
 (Since capacitoris discharging).
 $\frac{-I}{c} = \frac{dV_c}{dt}$

$$\frac{d^{1}c}{dt} = -\frac{2}{2.5} = -\frac{4}{5} \frac{v}{s} \quad \left(\text{villy (sec)} \right)$$

c)
$$Q = (V = 2.5 \times 4 =) 100 \left(V_c(t) = V_r(t) \right)$$

Ans.3

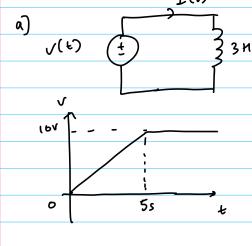




- b) Ed => 1 (v2 => 1 × 10 p × 52 => 125 pJ
- C) Ec/find => 1 (v2= 1x5px52=> 62.5pJ
- a) Energy removed from capacitor = (125-62.5) pJ = 62.5 pJ
- e) Energy is delivered to the voltage source.

Energy delivered to the voltage Source => 25 x5p= 125p3

f) Yes, energy is Still conserved. The difference in energy (an be accounted by work done in changing the capacitance from 10pf to 5pf.



$$T(t) = \begin{cases} \frac{t^2}{3} & 0 < t \leq 5 \\ \frac{10t}{3} & t = 5 \end{cases}$$

$$\frac{10t}{3} + (-t)5$$

$$\frac{5^2}{3} = \frac{10 \times 5 + t}{3}$$

$$(-t) = \begin{cases} \frac{t^2}{3} & 0 < t \leq 5 \\ \frac{10t}{3} - \frac{75}{3} & t > 5 \end{cases}$$

$$\frac{10t}{3} - \frac{75}{3} + \frac{75}{3}$$

$$E_{1}(t) = \begin{cases} \frac{1}{2}t^{4} & \text{oct } \leq 5\\ \frac{1}{2}(10t^{-25})^{2} & \text{the } 5 \end{cases}$$

