

**DAY
30**

3 October, 2021

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DSA

2-D ARRAY

Agenda for Today:-

1. → 2d Array Introduction → CW
2. → Matrix multiplication → HW
3. → Wave Display → C/W
4. → Spiral Display → HW
5. → Exit point of Matrix → HW
6. → Rotate by 90. → HW

2-D array के बारे में 2 तरीकों से जान करेगे

1. Usage of 2-D array.
2. Memory used by 2-D array.

1. Usage of 2-D array.

Matrix की information अगर हमें चाहिए तो हमें 2-D array बनाए पड़ता है।

int [] [] arr ;

Declare हुआ है 2-D array

int [] [] arr = new int [3] [4] ;

Define भी होगा है अब

the no. of columns

पहले no. of
rows लिखी जाती है।

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int[][] arr = new int [3][4];

	0	1	2	3
0	[0,0]	[0,1]	[0,2]	[0,3]
1	[1,0]	[1,1]	[1,2]	[1,3]
2	[2,0]	[2,1]	[2,2]	[2,3]

इस line 2nd row से array का 2nd column का spot $arr[2][0]$ में से 2nd row का 0th column.

अब इस 2-D array में values डर्कों हैं the loop का किसी point करें।

11	12	13	14
21	22	23	24
31	32	33	34

arr[1][0] = 21
arr[1][1] = 22
arr[1][2] = 23
arr[1][3] = 24

arr[2][0] = 31
arr[2][1] = 32
arr[2][2] = 33
arr[2][3] = 34

0	0	0	0	arr[0][0]
0	1	2	3	arr[0][1]
1	0	1	2	arr[1][0]
1	1	2	3	arr[1][1]
2	0	1	2	arr[2][0]
2	1	2	3	arr[2][1]
2	2	3	0	arr[2][2]
2	3	0	1	arr[2][3]

अब इस array की print करेंगे ?

No. of rows मिलती है → arr.length ↗
 No. of column मिलती है → arr[0].length ↗

for no. of rows → for (int i=0; i< arr.length; i++)
 for (int j=0; j< arr[i].length; j++)
 {
 for no. of columns → System.out.println(arr[i][j] + " ");
 }
 ↑ row no.
 ↓ column no.

→ public class Main

→ { public static void main (String args[]) }

→ { int [][] arr = new int [3][4];

arr[0][0] = 11;

arr[0][1] = 12;

arr[0][2] = 13;

arr[0][3] = 14;

arr[1][0] = 21;

arr[1][1] = 22;

arr[1][2] = 23;

arr[1][3] = 24;

arr[2][0] = 31;

arr[2][1] = 32;

arr[2][2] = 33;

arr[2][3] = 34;

for (int i=0; i< arr.length; i++)

{ for (int j=0; j< arr[i].length; j++)

{ System.out.print (arr[i][j] + " ");

System.out.println();

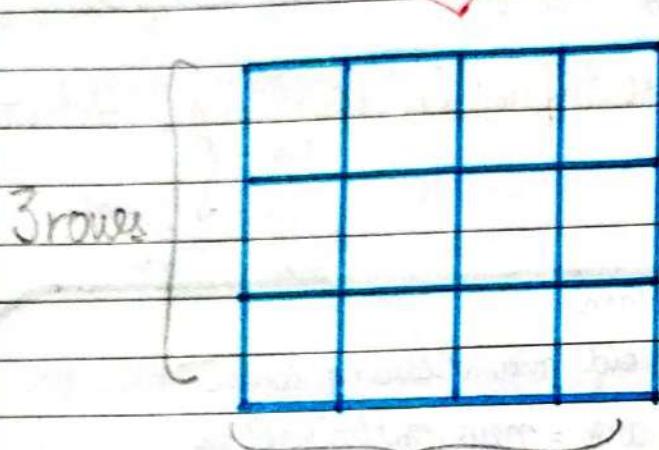
प्रिंट
tab का टेब
प्रिंट
करने के
लिए

तो उसी तरह हमें देरवा Usage of 2-D array. अब समझते हैं

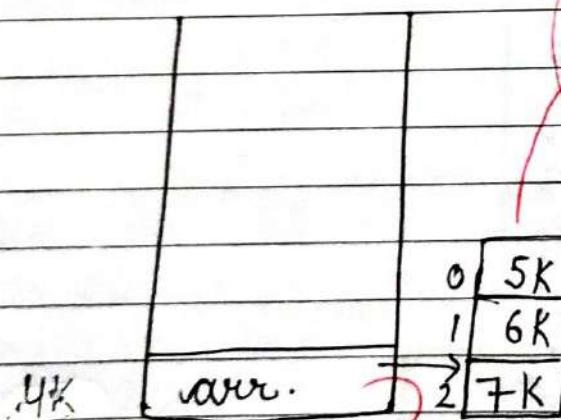
Memory Map

2. Memory Map

`int arr = new int[3][4];`



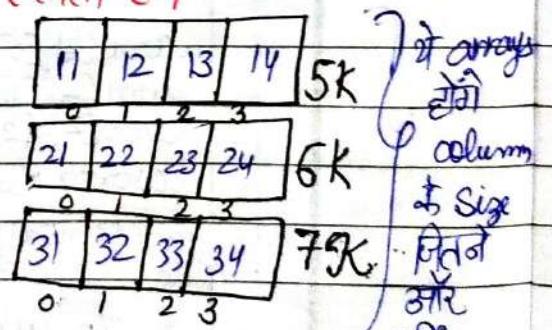
Reality में कैसे store होता?



हम सोचते हैं कि
memory में क्यों
Saved हैं.
लेकिन यह illusion
है।

प्रति इसे column
जिकालो हो तो वह `array[0].length`
या `array[1].length` या `array[2].length`
जिकालो, जो equal होते और columns
बनते हैं।

प्रति वाली array असाधित में
सिफ Pointer रखता है
actual arrays का address
रखता है।



वहाँ जिसका Size है 3
पर उनकी rows हैं, उनकी एकी Size
एवं 2-d array का तो जब

इस arr.length की ओर है तो इसी no of rows
मिलती है।

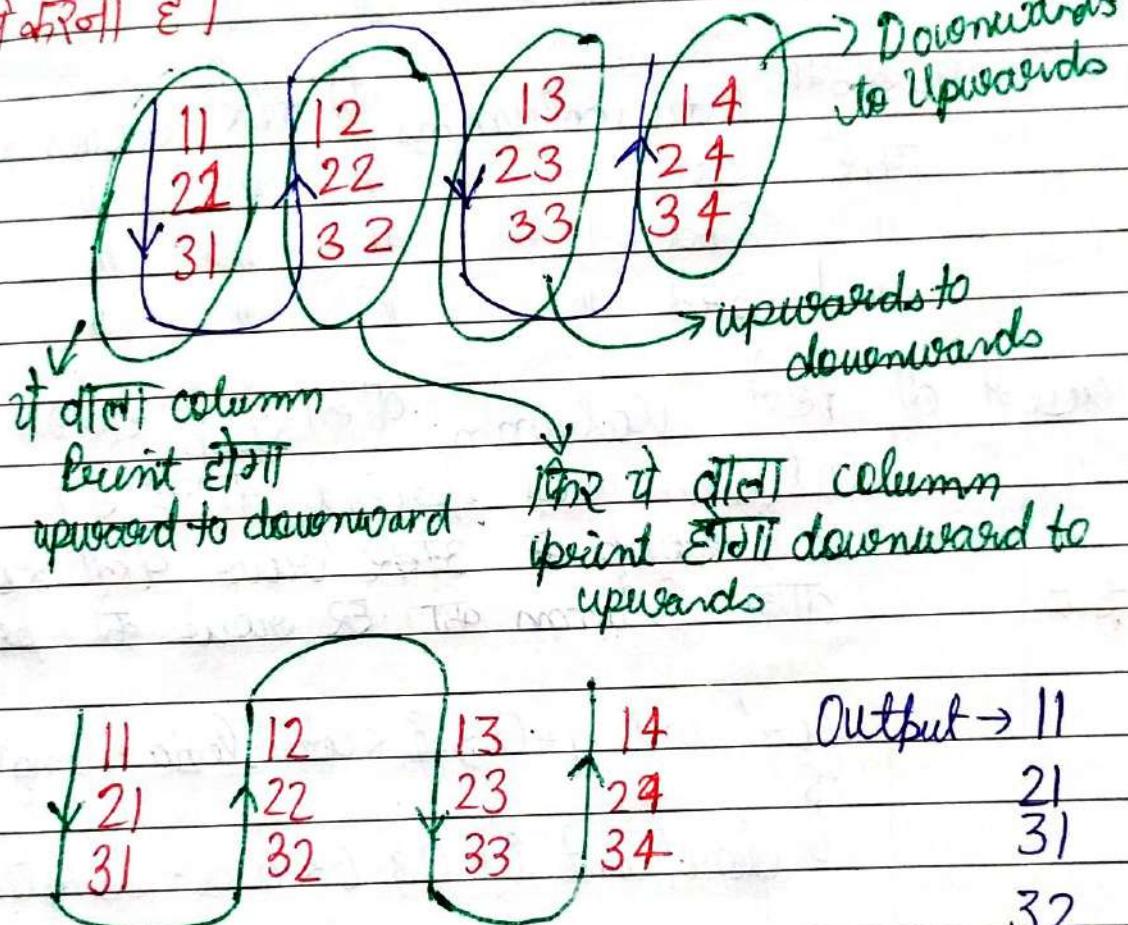
प्रति
actual
values

store होती है।

Ques. 1) Wanted Display → The State of Wakanda - 1

i) Take an Input 2^{d} Array

- i) Take an input array.
- ii) Print the array downwards.



Output → 11

21
31

32

22

12

13

23

33

34

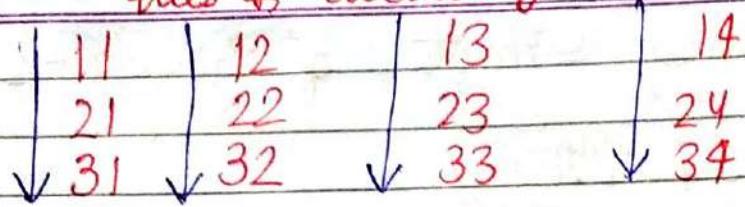
24

4

1

पहले सारी rows को upwards to downward
print करते हैं। ऐसे दरक्त
ques के according

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तो एम पहले 1st col print करना है
1st 2nd " " "

पहले हम 0th columns की सारी rows print करेंगे

1st	1st "	" "	" "	" "	" "
"	2nd "	" "	" "	" "	" "
"	3rd "	" "	" "	" "	" "

इस case में तो पहले column का loop चलेगा वर्ती ही
column वise print होते हैं। 3rd column
तक loop के अंदर view करते loop होते हैं।
ताकि column की हर view को print करा पाय

Output

```

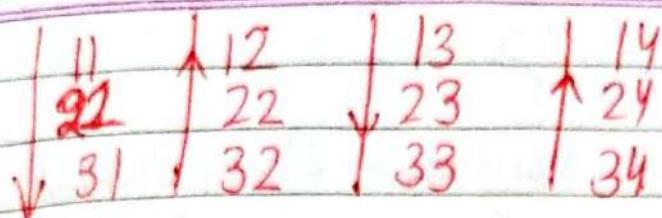
11
21
31
12
22
32
13
23
33
14
24
34
    for (int j=0; j < arr[0].length; j++)
    {
        for (int i=0; i < arr.length; i++)
        {
            System.out.println(arr[i][j]);
        }
    }

```

DRY RUN करके पढ़ते ही खुदसे
जब भी code करेंगे।

अब हम अपने code को देखते हैं।

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Even columns इनकी जारी हैं नीचे की तरफ
Odd columns इनकी जारी हैं ऊपर की तरफ,
last row & first row,
↓ ↓
array.length - 1 0th row
3 -1 2nd row & 0th row
loop का decrement होता है।

```
for (int j=0; j<arr[0].length; j++)
```

```
{ if (j%2==0)
```

```
{ for (int i=0; i<arr.length; i++)
```

```
{ System.out.println (arr[i][j]);
```

```
}
```

```
else {
```

```
for (int i=arr.length-1; i>0; i--)
```

```
{ System.out.println (arr[i][j]);
```

```
}
```

→ import java.util.*;
 → public class Main {
 public static void main (String [] args) {
 Scanner scn = new Scanner (System.in);
 int a = scn.nextInt();
 int b = scn.nextInt();
 int arr [] [] = new int [a] [b];
 for (int i = 0; i < arr.length; i++) {
 for (int j = 0; j < arr[i].length; j++) {
 arr [i] [j] = scn.nextInt();
 }
 }
 for (int j = 0; j < arr [0].length; j++) {
 if (j % 2 == 0) {
 for (int i = 0; i < arr.length; i++) {
 System.out.println (arr [i] [j]);
 }
 } else {
 for (int i = arr.length - 1; i >= 0; i--) {
 System.out.println (arr [i] [j]);
 }
 }
 }
 }
 }

Input ↗

11	12	13	14
21	22	23	24
31	32	33	34

Output ↗

11
21
31
32
22
12
13
23
33
34
24
14

* Java में by default dynamic array ही होता है।

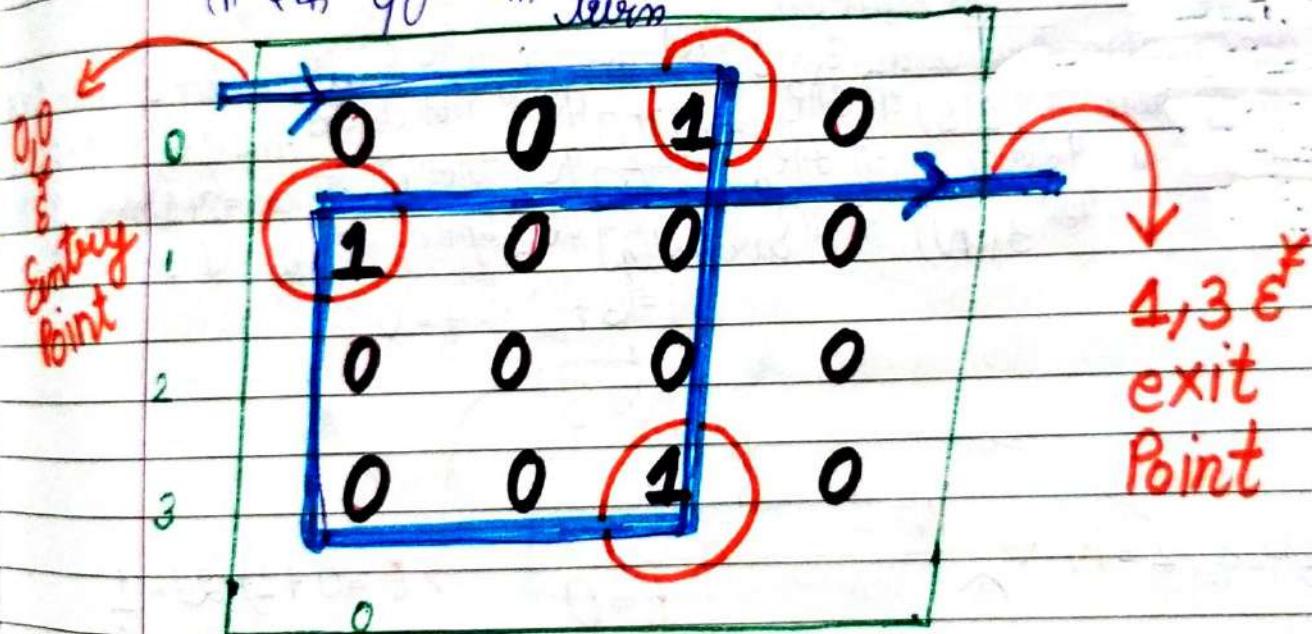
Rule 2: Exit Point of a Matrix

Rule 2: Input लेना है कि 2-D array बिसमें बस 0 और 1 value

होगा

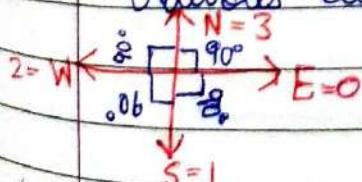
0	0	1	0
1	0	0	0
0	0	0	0
1	0	1	0

एक बंदा इस array को traverse करता है।
चीया-सीया चलते रहता है, जैसे ही 1 आएगा
तो एक 90° का turn लेता है।



direction भास का स्कॉर्स variable बनाते हैं जिसमें east direction में मतलब 0 value

0 denotes east dir, तो हम शुरू करेंगे east direction से।



$$\text{dir} = (\text{dir} + \text{arr}[i][j]) \% 4$$

E = 0

S = 1

W = 2

N = 3

$$\begin{aligned}
 0 &\rightarrow E \rightarrow \text{East} \rightarrow (0+1) \% 4 = 1 \\
 1 &\rightarrow S \rightarrow \text{South} \rightarrow (1+1) \% 4 = 2 \\
 2 &\rightarrow W \rightarrow \text{West} \rightarrow (2+1) \% 4 = 3 \\
 3 &\rightarrow N \rightarrow \text{North} \rightarrow (3+1) \% 4 = 0
 \end{aligned}$$

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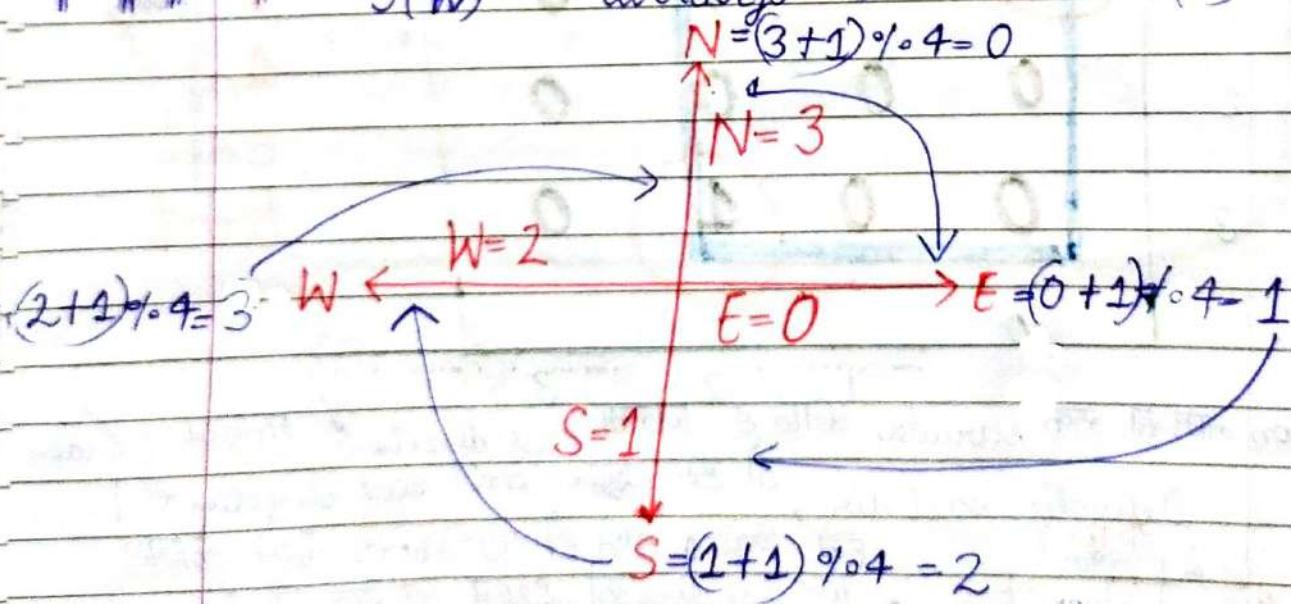
0 = East & continues

$$\text{idir} = (\text{idir} + \text{arr}[i][j]) \% 4$$

दूसे जब जब $\text{arr}[i][j]$ पर value 0 मिली तब तब तो सीधा करेगा।
 और dir में कुछ add ही नहीं होगा तो
 आगे पहले dir की value 0 थी तो अब भी 0
 ही रहेगी।

जैसी ही $\text{arr}[i][j]$ पर दूसे value 1 मिली तो वो idir
 में add होता रहता।

उपर dir की value पहले 0 थी और 1 मिला $\text{arr}[i][j]$ पर तो उसका $\text{dir} = (0+1) \% 4 = 1 = S$
 " " की value पहले 1(S) थी और $\text{arr}[i][j]$ पर 1 मिला तो उसका $\text{dir} = (1+1) \% 4 = 2 = W$
 " " " " पहले 2(W) थी और $\text{arr}[i][j]$ पर 2 मिला तो उसका $\text{dir} = (2+1) \% 4 = 3 = N$
 " " " " पहले 3(N) थी और $\text{arr}[i][j]$ पर 3 मिला तो उसका $\text{dir} = (3+1) \% 4 = 0 = E$



j	0	1	2	3
i	0 0 0 1 0	1 1 0 0 0	2 0 0 0 0	3 1 0 1 0

East direction में जारहे थे अब 90° turn लेके South में जाना है तो यह बढ़ेगा।

South $\rightarrow i++$

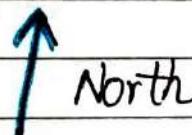
 south

South में जारहे थे अब 90° turn लेके West में जाना है तो यह घटेगा। मतलब j की value कम हो रही है।

 W.

West $\rightarrow j--$

West में जारहे थे अब 90° turn लेके North में जाना है तो j-- हो रहा है मतलब j की value कम हो रही है।

 North

North $\rightarrow i--$

North में जारहे थे 90° turn लेके East में जाना है तो j++ हो रहा है मतलब j की value increase हो रही है।

 East

East $\rightarrow j++$

while (true)

{

 dir = (dir + arr[i][j]) % 4;

 if (dir == 0)

{

// (East)

 j++;

{

 i++;

}

// (South)

 else if (dir == 1)

{

 i++;

}

 else if (dir == 2)

{

 j--;

}

 else

{

 i--;

}

}

// North

0 0 1 0

$i++$

$>$

1 0 0

j की value हो गई 4 >

0 0 0 0

$arr[0].length$

तो पे होगा exit

point और वह

output देना है।

पाठ

1 0 1 0

$arr[i][j]$ की value

last row और column में

1 subtract करते ही था तो i की value < 0 हो जाए या i की value $> arr.length$.

हो जाए या किर

j की value < 0 हो जाए

या j की value $> arr[0].length$

हो जाए

को होगा exit point

int i = 0;

int j = 0;

int dir = 0;

while (true)

{ dir = (dir + arr[i][j]) % 4;

if (dir == 0)

{ j++;

if (j == arr[0].length)

{ j = 0;

break;

}

else if (dir == 1)

{ i++;

if (i == arr.length)

{ i = 0;

break;

else if (dir == 2)

{ j = 0;

if (j == -1)

{ j++;

break;

else {

{ i = 0;

if (i == -1) { i++;

break;

Exit Point Of A Matrix . java

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```
→ import java.io.*;
→ import java.util.*;

→ public class Main
{
    → public void main(String args)
    {
        Scanner scan = new Scanner(System.in);
        int r = scan.nextInt();
        int c = scan.nextInt();

        int arr[][] = new int[r][c];
        for (int i = 0; i < arr.length; i++)
        {
            for (int j = 0; j < arr[i].length; j++)
            {
                arr[i][j] = scan.nextInt();
            }
        }

        int i = 0;
        int j = 0;
        int dir = 0;
    }
}
```

// 0 is East
// 1 is South
// 2 is West
// 3 is North.

→ while (true)

{
 dir = (dir + arr[i][j]) % 4;
 if (dir == 0) // East

{
 j++;
 if (j == arr[0].length)

{
 j--;
 break;

) पास तक 1 लाई और break
 करके क्योंकि हमें तो
 exit point print करना है।

} else if (dir == 1) // South

{
 i++;

if (i == arr.length)

{
 i--;

break;

} else if (dir == 2). // West

{
 j--;
 if (j == -1)

{
 j++;

break;

} }

```

else
{
    i--;
    if (i == -1)
    {
        i++;
        break;
    }
}
System.out.println(i);
System.out.println(j);
}

```

2d array > is better than 2-d list

Head First Java.

Head First C.

Head First OOAD

Head First Design Pattern

} 274 Books
ER के बारे में
पड़ोत्तरीय

HW

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2D ARRAY

- 1. Article 2D Arrays Demo.
- 2. Code 2D Arrays Demo.
- 3. Article Matrix Multiplication
- 4. Code Matrix Multiplication
- 5. Article The state of Wakanda 1] Done in CW
- 6. Code The state of Wakanda 1] Done in CW
- 7. Article Special Display
- 8. Code Special Display
- 9. Article Exit point of Matrix] Done.
- 10. Code Exit point of Matrix.
- 11. Article Rotate by 90 Degrees.
- 12. Code Rotate by 90 Degrees.

1) 2-D Array Article

1-D Array \rightarrow 1-D array are the arrays that represent many elements and are one-dimensional.

Similarly, 2D arrays are 2 dimensional arrays which are used to represent matrices.

* We are going to meditate on 2 aspects of 2-D array :- Abstract View & Memory View

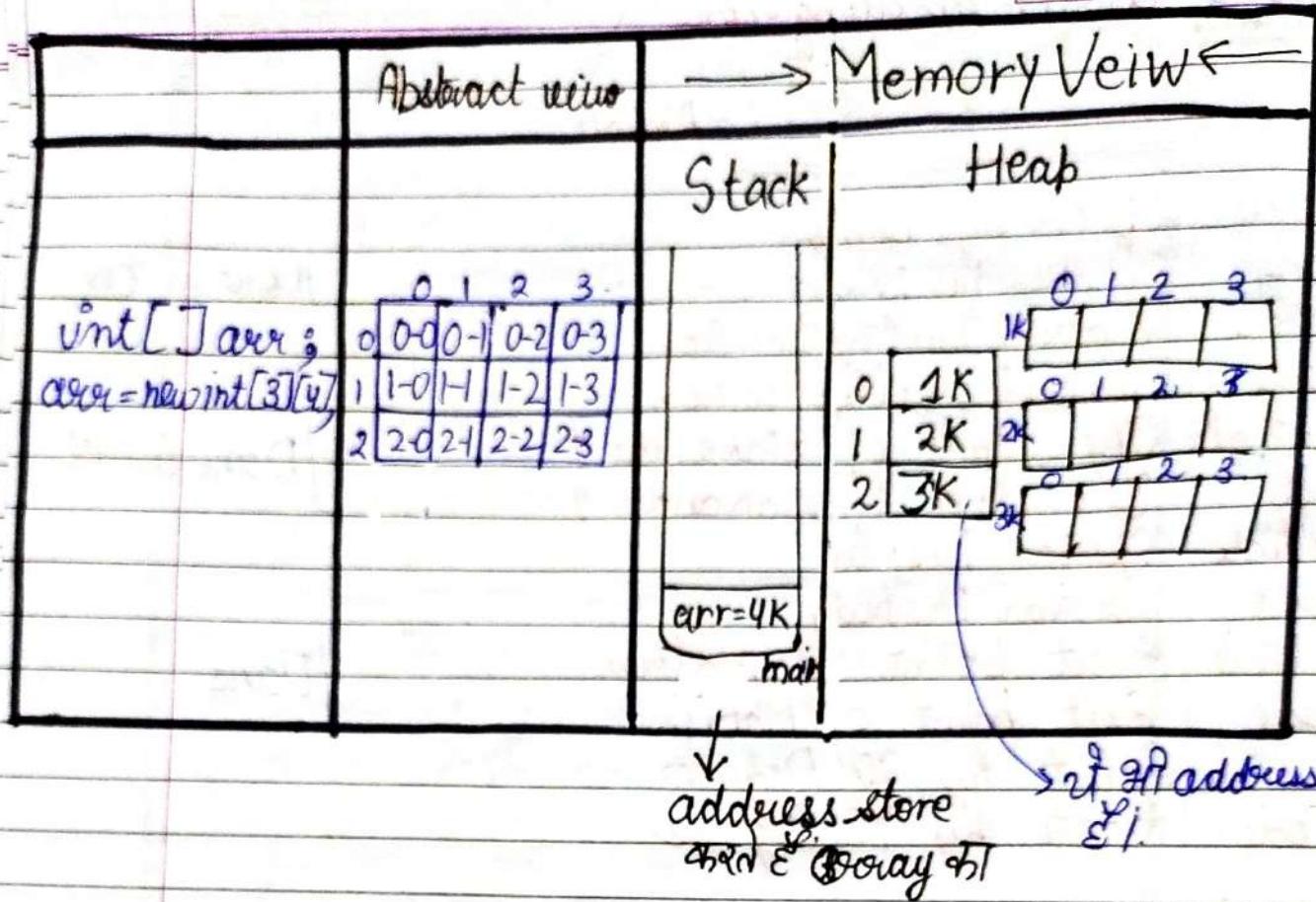


Usage



Memory used by 2d memory

for most of our discussion, the abstract view is sufficient
However, Memory view allows us to understand 2D array with deep understanding.



1.* If we declare `arr[][]`

`int arr[][];`

then a stack is created in the memory which has a variable arr which stores a null value (i.e it doesn't point to anything).

2.* When we define this array as `arr = new int[3][4]` then the first dimension = 3 denotes the rows & the second dimension = 4 denotes the columns.

Abstract View

0	0-0	0-1	0-2	0-3
1	1-0	1-1	1-2	1-3
2	2-0	2-1	2-2	2-3

Here we see a grid/matrix with rows and columns, each starting from index 0.

Inside each cell, the position of that cell is written in the format "row - column". For eg → 2-1 denotes the cell at 2nd row & 1st column.

Memory View

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If we actually consider `arr = new int[3][3]`, then we realize that, it denotes that we have 3 arrays (1-D) of size 4 each. As we can see in the Memory View, that the variable `arr` is stored at address 4K.

This 4K address is storing an array of size 3 which consists of 3 addresses and at each of these 3 addresses, an array of size 4 is present.

Do we even realize when we define the given array, actually 4 arrays are formed.

How?

→ 3 are the arrays with 4 sizes each which will contain integers and the 4th array is of size 3 which contains the addresses (1K, 2K, 3K) as shown in the Memory view.

Hence, arr is an array of arrays.

3. * The Programming Implementation in 2-D array is done using 2 loops to iterate over the arrays and by storing elements in the cell. Similar to the input process, the output process is also carried out using 2 loops.

4. * **Time Complexity :- $O(n^2)$**

This time complexity is quadratic due to the use of nested for loop.

* **Space Complexity :-**

As a 2D array is used to store input values, therefore space complexity is quadratic.

MATRIX MULTIPLICATION

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Ques-3) This question takes 2 matrices as the Input & returns the product of those matrices on the multiplication:

Solution

* Here let n_1 = no. of rows of Matrix 1.
let m_1 = no. of columns of Matrix 1.

let. n_2 = no. of rows of Matrix 2.

let. m_2 = no. of columns of Matrix 2.

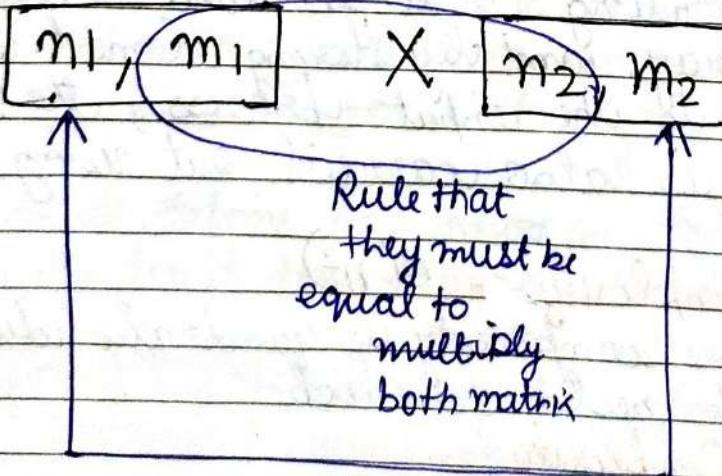
We must understand that, not all the matrices can be multiplied with each other.

They can be multiplied iff

no. of column of Matrix 1 = no. of rows of Matrix 2

$$\text{i.e } m_1 = n_2$$

Only if $(m_1 == n_2)$ then a product matrix can be formed of size $(n_1 * m_2)$.



$$n_1 * m_2 = \text{Size of the Product Matrix}$$

Eg → Let's assume, we are given a matrix A [2,3] and another matrix B [3,4]

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Can Matrix A be multiplied to Matrix B?

Yes, Both of these Matrix can be multiplied to each other & this is because no. of column of Matrix A is equal to no. of rows of Matrix B.

A new matrix will be formed of size $(n_1 * m_2)$ i.e P [2][4].

P is the name of product matrix

$$\begin{array}{c}
 \begin{array}{ccccc}
 & 0 & 1 & 2 & \\
 \begin{array}{|c|c|c|} \hline
 0 & a_{00} & a_{01} & a_{02} & \\ \hline
 1 & a_{10} & a_{11} & a_{12} & \\ \hline
 \end{array} & \times & \begin{array}{|c|c|c|c|} \hline
 0 & b_{00} & b_{01} & b_{02} & b_{03} \\ \hline
 1 & b_{10} & b_{11} & b_{12} & b_{13} \\ \hline
 2 & b_{20} & b_{21} & b_{22} & b_{23} \\ \hline
 \end{array} & \cdot & \begin{array}{|c|c|c|c|} \hline
 0 & p_{00} & p_{01} & p_{02} & p_{03} \\ \hline
 1 & p_{10} & p_{11} & p_{12} & p_{13} \\ \hline
 \end{array} \\
 \text{A} & & & \text{B} & \\
 \end{array}$$

$$\begin{array}{ccccc}
 & 0 & 1 & 2 & 3 \\
 \begin{array}{|c|c|c|c|} \hline
 0 & p_{00} & p_{01} & p_{02} & p_{03} \\ \hline
 1 & p_{10} & p_{11} & p_{12} & p_{13} \\ \hline
 \end{array} & \cdot & \begin{array}{|c|c|c|c|} \hline
 0 & p_{00} & p_{01} & p_{02} & p_{03} \\ \hline
 1 & p_{10} & p_{11} & p_{12} & p_{13} \\ \hline
 \end{array} \\
 \text{P.} & & & & \\
 \end{array}$$

Now, we need to understand how to calculate the elements in the product matrix P.

$$\begin{aligned}
 P_{ij} &= a_{i0} b_{0j} + a_{i1} b_{1j} + \dots + a_{i(n-1)} b_{(n-1)j} \\
 &= \sum_{k=0}^{n-1} a_{ik} b_{kj}
 \end{aligned}$$

The value at P_{01} is the sum of the product of elements of the 0th row of the 1st matrix with the elements at the 1st column of the 2nd matrix.

	0	1	2
0	a_{00}	a_{01}	a_{02}
1	a_{10}	a_{11}	a_{12}
A			

	0	1	2	3
0	b_{00}	b_{01}	b_{02}	b_{03}
1	b_{10}	b_{11}	b_{12}	b_{13}
2	b_{20}	b_{21}	b_{22}	b_{23}

	0	1	2	3
0	P_{00}	P_{01}	P_{02}	P_{03}
1	P_{10}	P_{11}	P_{12}	P_{13}

$\xrightarrow{\text{ex. 3 columns K times in arr}}$

$$P_{01} = a_{00} * b_{01} + a_{01} * b_{11} + a_{02} * b_{21}$$

$\xrightarrow{\text{row K times arr2.}}$

* Time Complexity $\Rightarrow O(n^3)$

The time complexity will be cubic i.e. n^3 because 3 nested for loops are used.

* Space Complexity $\Rightarrow O(n^2)$

As 2D arrays are used to store numbers, therefore space complexity is quadratic.

Now, let's code it:-

→ import java.util.*;
 → public class Main{
 → public static void main(String args){

{ Scanner scan = new Scanner(System.in);

int row1 = scan.nextInt();

int column1 = scan.nextInt();

int arr1[][] = new int[row1][column1];

for (int i=0; i<row1; i++)

{ for (int j=0; j<column1; j++)

{ arr1[i][j] = scan.nextInt();

}

int row2 = scan.nextInt();

int column2 = scan.nextInt();

int arr2[][] = new int[row2][column2];

for (int i=0; i<row2; i++)

{ for (int j=0; j<column2; j++)

{ arr2[i][j] = scan.nextInt();

}

if (column1 == row2)

] chunk of Arr1 & Arr2 can

{ int product[][] = new int[row1][column2]; } be multiplied

for (int i=0; i<row1; i++)

{ for (int j=0; j<column2; j++)

{ int sum = 0;

for (int k=0; k<column1; k++) } K is inc with each loop

{ sum = sum + (arr1[i][k] * arr2[k][j]); }

product[i][j] = sum;

] column no of

row no. of

arr2 is

increasing

inc with each loop

so K is written each

loop.

so K

is

here

for (int i=0; i<row1; i++)

{ for (int j=0; j<column2; j++)

{ System.out.print(" " + product[i][j] + " "); } here

System.out.println();

} else { System.out.println(" Invalid Input"); }

Multiplication

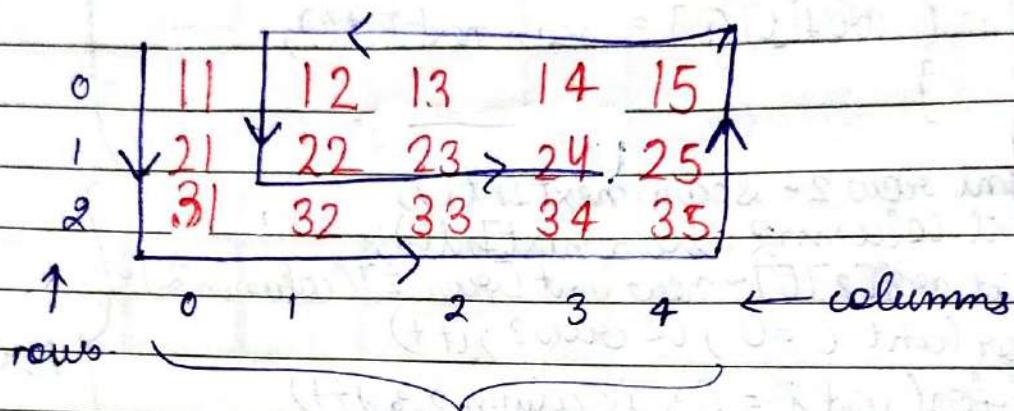
Point
Output

(Ques 4)

SPIRAL DISPLAY

- * Remember that algorithm for success in coding
 - its
 - while () success
 - try again ();

eg-1)



Output

11

21

31

32

33

34

35

25

15

14

13

12

22

23

24

eg 2) 4x4 dimension 2-d array

0	11	12	13	14
1	21	22	23	24
2	31	32	33	34
3	41	42	43	44

Output

11 21 31 41 42 43 44 34 24 14 13
12 22 32 33 23

Spiral Way traversal करने से अच्छा होता है।
pattern के box by box wise traversal करें।

To identify
box, we need
minrow, & min
col.

Minrow, Mincolumn

11 12 13 14 15

& max row,
max col.

21 22 23 24 25

31 32 33 34 35

41 42 43 44 45

51 52 53 54 55

1) Box के 31 तक Box Paint करें।

Max Row Max Column

2) एक Box Paint करने के 4 wall Paint करनी होती है।

3) 4 wall Paint करने के लिए 4 loops (लाइन पड़ने वाली दो बाहरी walls के)

4) लाइन पड़ने वाले left wall paint करें। The bottom part of the Right
and the Top wall.

MinRow, MinColumn

11	12	13	14	15	16	17
21	22	23	24	25	26	27
31	32	33	34	35	36	37
41	42	43	44	45	46	47
51	52	53	54	55	56	57

1.*

Left Wall

1) Column fixed

रहता है।

2) Row vary करती है। Min से Max तक

Max Row,

Max

Column

Bottom Wall

1) Row fixed रहती है।

2) Column vary करते हैं min से max की तरफ

Right Wall

1) Column fixed रहता है।

2) Row vary करती है max से min की तरफ

Top Wall

1) Row fixed रहती है।

2) Column vary करते हैं Max से Min की तरफ

पहले 1 डॉलर paint करने का way बताते हैं।

और अभी दूसरे corners को 2 डॉलर print होने देते।

$$\text{int } \text{minr} = 0;$$

$$\text{int } \text{minc} = 0;$$

$$\text{int } \text{maxr} = \text{arr.length} - 1;$$

$$\text{int } \text{mc} = \text{arr[0].length} - 1;$$

while(true)

// left wall for (int i = minr, j = minc; i <= maxr; i++)
 { System.out.println(arr[i][j]);
 }

// bottom wall

for (int i = maxr, j = minc; j <= maxc; j++)
 { System.out.println(arr[i][j]);
 }

// right wall

for (int i = maxr, j = maxc; i >= minr; i--)
 { System.out.println(arr[i][j]);
 }

// top wall

for (int i = minc, j = maxc; j >= minc; j--)
 { System.out.println(arr[i][j]);
 }

// Box के Print के बारे में other corners
 repeat होते हैं।

अब हम) vegetated corners के लिए कुछ अलग पड़ेंगा।

left wall → min column
को indicate करता है

bottom wall → max view
को indicate करता है

right wall → max column
को indicate करता है

top wall → min view
को indicate करता है

Min Column

Min row	11	12	13	14	15	16	17	Right wall
1	21	22	23	24	25	26	27	
2	31	32	33	34	35	36	37	
3	41	42	43	44	45	46	47	
4	51	52	53	54	55	56	57	
Left wall				Bottom wall				Max row
								Max Column

जैसे ही हमने left wall point करवी, तभी

हमें min column को हटा देना है।

1. जैसे ही left wall point की min column no ++ करें।

Left Wall के बाद Bottom wall point होता है।

3rd Bottom wall की columns change होते हैं।

min column pt max column तक।

अब अगर हम Bottom wall point करें,

तो min column start होगा 2nd column से

और 2 तक 51 Point हो जाएगा।

while (true)

{ // left wall

for (int i = minr, j = minc; i < maxr; i++)

{ System.out.println (arr[i][j]);

j++;

minc++;

2. यह दृष्टि Bottom wall point हो जाए, तभी
max row को -- (decrease) कर सकते हैं।

अब जब max row decrease हो गया है तो वह
Row को जहाँ 3 को point करेगा तो उसका अधिक

Bottom wall के बाद की Right wall point
को इसके right wall के indicate करते हैं

max column और max column (Right
wall point को max row की min row की

for (int i = maxr, j = minc; j <= maxc, j++)

{ System.out.println (arr[i][j]);

j++;

3. जैसे ही Right wall point की max column -- करवा दें तो
max column represent करते हैं right wall की।

अब Top wall की col. change करने के max
column की min column तक। तो अगर वह

Top wall point करेगी तो max column का

लिये 17 तक 2 OTR Paint जड़ी होगा।

// right wall

```

for (int i = maxc, j = maxc; i > minr; i--)
{
    System.out.println (arr[i][j]);
}
    
```

maxc--;

\rightarrow ये ही Top wall print होता है, min row +
करदे तो ये अपनी Box की 1st
(आगामी) row के रुप है।

minr++;

\rightarrow 3rd min row

11	12	13	14	15	16	17
21	22	23	24	25	26	27
31	32	33	34	35	36	37
41	42	43	44	45	46	47
51	52	53	54	55	56	57

mincol

max row

max col.

कहा तो Loop पढ़ता रहेगा? जब तक no. of digit count
in array, no. of digit printed नहीं हो

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last box में पर्याप्ती नहीं है कि चारे
पास तो एक count variable की walls हो सकते हैं
रखेंगे (no. of digit count)

```
→ import java.util.*;
```

```
→ import java.io.*;
```

```
→ public class Main {
```

```
→ public static void main(String[] args)
```

```
{ Scanner scon = new Scanner(System.in);
```

```
int n = scon.nextInt();
```

```
int m = scon.nextInt();
```

```
int arr[][] = new int[n][m];
```

```
for (int i = 0; i < arr.length; i++)
```

```
{ for (int j = 0; j < arr[i].length; j++)
```

```
{ arr[i][j] = scon.nextInt();
```

```
}
```

```
int minrow = 0;
```

```
int mincol = 0;
```

```
int maxrow = arr.length - 1;
```

```
int maxcol = arr[0].length - 1;
```

```
int tne = n * m // total number of elements
```

```
int count = 0;
```

```
while (count < tne)
```

```
{ // left wall
```

```
if (count < tne)
```

```
{ for (int i = minrow; i <= maxrow; i++)
```

```
{ System.out.println(arr[i][mincol]);
```

```
count++;
```

```
}
```

```
} mincol++;
```

// bottom wall

if (count < tne)

{ for (int i = mincol ; i <= maxcol ; i++)

{ System.out.println (arr[maxrow][i]);

} count++;

}

maxrow--;

// right wall.

if (count < tne)

{ for (int i = maxrow ; i >= minrow ; i--)

{ System.out.println (arr[i][maxcol]);

count++;

}

maxcol--;

// top wall;

if (count < tne)

{ for (int i = maxcol ; i >= mincol ; i--)

{ System.out.println (arr[minrow][i]);

count++;

}

minrow++;

}

Time Complexity :-

$O(n^2)$

As there is nested for loop & the outer for loop runs n times. There are 2 inner for loops. Either one will run in each iteration.

Making the time complexity : $O(n) * O(m)$
 $= O(n * m)$.

Space Complexity

$O(1)$.

Since we are not using any auxiliary space & hence the space complexity is $O(1)$.

Ques. 5).

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Rotate by 90° Degrees

→ We were given a square matrix and we have to rotate by 90° degrees.

0	1	2	3	
0	11	12	13	14
1	21	22	23	24
2	31	32	33	34
3	41	42	43	44

Clockwise 90° Rotation

0	41	31	21	11
1	42	32	22	12
2	43	33	23	13
3	44	34	24	14

↑ Rotate Matrix
 90° by 90°
degree
So

this is
a 90°
turn
After
 90°
turn
rotation
be
clockwise
also, & this

turn can be counter
clockwise also, it
only depend on what
question wants. Our
question want 90°
turn to be clockwise

Extra Space ~~if we do it all~~ Θn^2 complexity
If we rotate it

Here, the first row become the last column.
0th row will be 3rd column.

* For rotating a matrix to 90° degrees
clockwise. We need to transform each
row of a Matrix to a column in
rotated matrix.

* For rotating matrix to 90° , we need to transform the rows into columns & the columns into rows in a result matrix.

So, the number of rows in rotated matrix will be equal to no. of columns of original matrix and number of columns in rotated matrix will be equal to no. of rows.

$$\text{row} \xrightarrow{\text{original}} \text{column} \quad \begin{matrix} \text{no. of col} \\ (n) \times (m) \end{matrix} \quad \begin{matrix} \text{no. of row} \\ (m) \times (n) \end{matrix}$$

`int [JC]rotated Matrix = new int`

`[cols of Original Matrix] [rows of Original Matrix]`

→ Size of Rotated Matrix will be $n \times m$

So, to summarise:-

If size of original was $m \times n$.

- 1. First row of Original Matrix will be last column of the Rotated Matrix.
- 2. Second row of Original Matrix will be second last column of the Rotated Matrix.
- 3. Third row of Original Matrix will be the last third column of the Rotated matrix & so on.

Soon

* We have a way of converting the rows of a matrix in the column of a matrix and that way is called **Transpose of a Matrix**.

So, what is Transpose of a Matrix?

The transpose of a Matrix is nothing but a flipped version of the matrix when

we exchange the rows & columns of a matrix such that each element $A(i, j)$ gets swapped with $A(j, i)$, then the matrix obtained is called the transpose of Matrix.

Anticlockwise 90° rotation
TRANSPOSE



इसे Counter Clock wise rotation
बोलते हैं.

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11	12	13	14
21	22	23	24
31	32	33	34
41	42	43	44



11	21	31	41
12	22	32	42
13	23	33	43
14	24	34	44

Transpose में Anti-clockwise / counter clockwise
90° rotation होती है।

Transpose



90° Anti Clockwise Rotation

→ 1) पहली row 4वाला column बन जाता है।

→ 2) दूसरी row 4वाला column कमज़ोर है।

→ 3) Third row, Third column बन जाता है।

while Doing Transpose

element at arr[i][j] बन जाता है।

element at arr[j][i]

90° Clockwise Rotation

1) पहली row last column बनती है।

2) दूसरी row last 2nd column बन जाती है।

3) Third row, last 3rd col को अपडेट करें।

clockwise 90°
Rotation

11	12	13	14
21	22	23	24
31	32	33	34
41	42	43	44



41	31	21	11
42	32	22	12
43	33	23	13
44	34	24	14

a	b	c	d
e	f	g	h
i	j	k	l
m	n	o	p

90°
CLOCK
WISE
ROTA-
TION

m	i	e	a
n	j	f	b
o	k	g	c
p	l	h	d

90°
ANTI
CLOCK
- WISE ROTATION

- 1) first row first column बनाओ
- 2) 2nd row \rightarrow 2nd column
& soon
- 3) arr[1][j] को बनाओ
arr[j][1]

a	e	i	m
b	f	l	n
c	g	k	o
d	h	l	p

EXCHANGE

REVERSE
COLUMNS

- 1) Transpose के द्वारा obtained array के columns reverse करें।
असका मतलब 1st column की last बनाओ, last column की first
- 2) Second column की last \leftrightarrow second column बनाओ,
- 3) Third Column की last, Third column बनाओ & so on

→ TO TRANSPOSE or → To rotate 90° Clockwise

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* तो पहले हमारा काम होगा Transpose करना
* फिर Transposed Matrix के Columns की reverse
करना है।

a	b	c	d
e	f	g	h
i	j	k	l
m	n	o	p

arr[i][j] को arr[j][i] से exchange करना है
या swap करना है यही बात है और वहसु स्क
ही बार करना है यही बात main है।

इसे transpose करते time पे गलती नहीं करनी है।

```

for (int i = 0; i < arr.length; i++)
    for (int j = 0; j < arr[0].length; j++)
        {
            int temp = arr[i][j];
            arr[i][j] = arr[j][i];
            arr[j][i] = temp;
        }
    
```

Don't Do this Mistake

Don't Do this Mistake

Since we know that transpose is a matrix
in which arr[i][j] gets swapped or
interchanged with arr[j][i] and this is exactly what we
are going to do. If we traverse the entire matrix and
swap arr[i][j] with arr[j][i], it is not going to
work, and we will get the input matrix only as
the result.

ऐसा इसलिए होता है क्योंकि हम पुरी matrix की
Traverse करते हैं तो सभी row की सभी columns को Traverse
किया जा रहा है तो जो values हम पहली Swap के लिए
देते हैं, तब हम वापस से Swap कर देते हैं।

देखा करने पर हमें अपना Input Matrix ही मिलेगा as Output
और Transpose नहीं होगा / (ii) अब हमें Transpose
करना है Matrix को, तो या तो हम Upper Triangle को
ही Swap करेंगे या the Right Lower Triangle को।

11	12	13	14
21	22	23	24
31	32	33	34
41	42	43	44

These
3 lines
are
making
an
Upper
Triangle.

After Traversing
Only the Upper
Part or only the
Lower Part of

the 2-d array
& then doing
the transpose
, we get this 2-d array

We will
traverse only
this part for a transpose.

11	21	31	41
12	22	32	42
13	23	33	43
14	24	34	44

अब हमें Transpose of Lower
Triangle करना है।
Transpose of
Lower Triangle को look

TRANSPOSED MATRIX

```
{ for (int i = 0; i < array.length; i++)
    { for (int j = 0; j <= i; j++)
        { int temp = arr[i][j];
          arr[i][j] = arr[j][i];
          arr[j][i] = temp;
        }
    }
}
```

अपर्याप्त हमें Transpose
of Upper Triangle करना है।

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तो Transpose of Upper Triangle के loop

for (int i=0; i<arr.length; i++)

{ for (int j=0; j<arr[i].length; j++)

{ int temp = arr[i][j];

arr[i][j] = arr[j][i];

arr[j][i] = temp;

}

→ To reverse the Columns of
Transposed Matrix

11	21	31	41
12	22	32	42
13	23	33	43
14	24	34	44.

Reversing
each

row

41	31	21	11
42	32	22	12
43	33	23	13
44	34	24	14

Exchange

11	21	31	41
41	31	21	11

Similarly
reversing
every row

41	31	21	11
----	----	----	----

Row by Row तो line वर्तमान से reverse हो

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Reverse Column row by row

for (int i = 0; i < arr.length; i++)

{ int li = 0;

→ min col

int ri = arr[i].length - 1;

→ max col

while (li < ri).

→ right index

{ int temp = arr[i][li];

→ left index of col from col

arr[i][li] = arr[i][ri];

arr[i][ri] = temp;

li++;

ri--;

}

}

}

→ यह तक left index of column वर्गत में वर्तमान से reverse हो

अब इसी तरीके से
इसे print करें।

→ public class Main
→ public static void main (String[] args)
→ Scanner scan = new Scanner (System.in)
→ int n = scn.nextInt();
→ int[][] arr = new int[n][n];
→ for (int i = 0; i < arr.length; i++)
→ {
→ for (int j = 0; j < arr[0].length; j++)
→ {
→ arr[i][j] = scn.nextInt();
→ }
→ }
→ }

→ // transpose
→ for (int i = 0; i < arr.length; i++)
→ {
→ for (int j = 0; j < i; j++)
→ {
→ int temp = arr[i][j];
→ arr[i][j] = arr[j][i];
→ arr[j][i] = temp;
→ }
→ }
→ }

→ // reverse columns
→ for (int i = 0; i < arr.length; i++)
→ {
→ int left = 0;
→ int right = arr[i].length - 1;
→ while (left < right)
→ {
→ int temp = arr[i][left];
→ arr[i][left] = arr[i][right];
→ arr[i][right] = temp;
→ left++;
→ right--;
→ }

```
for (int i=0; i<arr.length; i++)  
{    for (int j=0; j<arr[0].length; j++)  
    {        System.out.print(arr[i][j] + " ");  
    }  
}
```

```
System.out.println();
```

```
}
```

```
}
```

```
}
```

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DSA

2-DARRAY TO BE CONT....

- 1. Matrix Multiplication CW1}
- 2. Rotate by 90° CW2 } Done as Day 30
- 3. Spiral Display CW3 } HW.

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DSA

2-D ARRAY-To BE CONTINUED...

(QW1) Special Display ↗ Done in Day 30 HW.

(QW2) Diagonal display (The State of Wakanda - 2)

Ques 2)

The state of Wakanda - 2

In this question, all we have to do is print the upper diagonal of the matrix, but the main point is, we need to print the elements wise

Input ↴

a_{00}	a_{01}	a_{02}	a_{03}
11	12	13	14
	a_{11}	a_{12}	a_{13}
21	22	23	24
		a_{22}	a_{23}
31	32	33	34
			a_{33}
41	42	43	44

Output ↴

11 22 33 44
12 23 34 13
24 14

Diagonal 3
gap b/w row no & col no is 3

Diagonal 2
gap b/w row no & col no. is 2

Diagonal 1
gap between row no & col no is 1

Diagonal 0
gap between row no & col no is 0

Diagonal 0 + Diagonal 3 = 4 Diagonals

in Total 20

→ row column ⌈ ⌉

Size of 2-D Array

4 × 4 = 16 Diagonals ⌈ ⌉ in total

→ import java.util.*

→ public class Main

→ public static void main(String args[]){
Scanner scan = new Scanner(System.in)}

{ int n = scan.nextInt();

int[][] arr = new int[n][n];

परिपूर्ण Square Matrix
जो n row column की
equal हो तो एक ही
input लेने का बाबे
बहुत सीधा

for (int i=0; i<arr.length; i++)

{ for (int j=0; j<arr[0].length; j++)

{ arr[i][j] = scan.nextInt();

अब जब हम print करेगे तो diagonals को gap wise print
करेंगे पहले diagonal 0 point होता ही first diagonal
with gap 0 , for diagonal with gap 1,
for diagonal with gap 2,

& so on...

Normally
use
access
columns
like this
↑

Normally ET row wise print करते हैं मतलब पहले ही
एक view के सारे column print होते ही the next के सारे
column print होते हैं

लेकिन हम इस तरीके Traversing करेंगे तो पहले सारे

1st Diagonal (Diagonal with 0 gap) के सारे columns print होते ही
the Diagonal 1 के सारे column print Diagonal 2 & so on

gap
method,
use access col
like this
0 1 2
row

for (int g=0; g<arr.length; g++) {

{ for (int i=0; j=g; j<arr.length; i++, j++)

System.out.println(arr[i][j]);

0 1 2
row

Size लिया
दी सकता
है

→ कोई भी
diagonal
start
et लिया
दी दूसरा दिया

gap
है
कोई
है?
जिसने
cells तो नहीं
है
बहुत ही

दूसरा
है
कोई
है
बहुत ही

इस जगह **GAP Method** बहुत हो रहा है।
DP के almost 15-20 ques में ~~जो~~ Gap method बहुत हो रहा है। So this very very imp Method

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Approach →

1. Run an outer loop from 0 to $n-1$.
2. Run an inner loop for i and j and orienting value element.

Pseudocode.

- 1) gap from 0 to $n-1$. 3 for loop
 - 2) $i=0$ and $j=gap$ till $j < n$,
- initialization condition
- 3) print element i, j
 - 4) increment i
 - 5) increment j

$j < n$

a ₀₀	a ₀₁	a ₀₂	a ₀₃
11	12	13	14
21	22	23	24
31	32	33	34
41	42	43	44

1) * So, we can first write an outer loop that will iterate through the n diagonals i.e. from 0 to $n-1$ gap. Its inner loop will print the elements in the diagonal such that $j-i=gap$.

2) But, this printing should go how long?

→ Until ($j < n$) ; the last elements of the diagonals have j as its column index i.e. $j=3$.

Rukne का Mark J तक करता है।

DP में रोजाना दी almost ~~दी~~ GAP Method से अधिक होना पड़ता है।

$j < n$
प्राप्त करना दी
प्रिंट करने दी
Print करने दी।

* Time Complexity of Diagonal Display

When gap = 0, the inner loop runs n times.

When gap = 1, the inner loop runs $(n-1)$ times.

When gap = 2, the inner loop runs $(n-2)$ times.

So considering all the gaps the inner loop will be running

$$\rightarrow n + (n+1) + (n-2) + (n-3) \dots \frac{n(n+1)}{2}$$

which is of order $O(n^2)$

* Space Complexity

\rightarrow We are not using any auxiliary space & hence the space complexity is $O(1)$.

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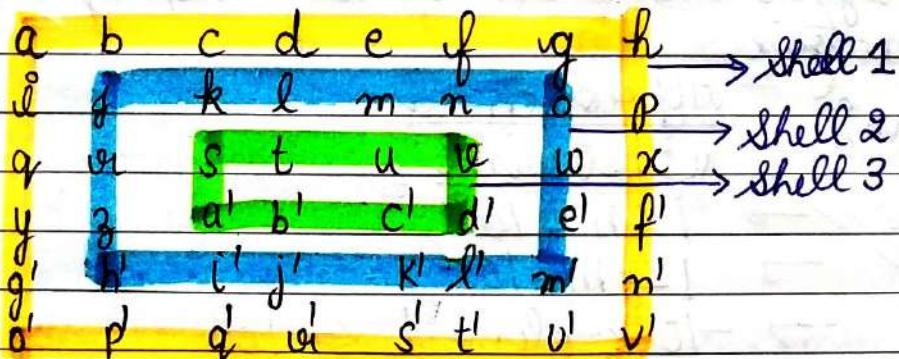
2-D ARRAY TO BE CONTINUED...

Done ✓ CW 1 → Diagonal Display → State of Wakanda 2
In CW of Day 34.

CW 2 → Ring Rotate

Ques. 1.

Ring Rotate



अगर हमें ये बोलविया जाएँ कि ring 2 के हर element को 3 से rotate करदो तो हर element ring 2 का, अपनी position से 3 position anticlockwise rotate होजाएँगा। और 3 position नीचे या पीछे की तरफ shift होजाएँगा।

$$S = 2$$

$$rc = 3$$

↓ Output ↓

Here, in shell 2, elements are rotated by 3

a	b	c	d	e	f	g	h
i	j	k	l	m	n	o	w
q	r	s	t	u	v	y	x
y	z	a	b'	c'	d'	K'	J'
g'	h'	f	r	z	w	L'	I'
o'	p'	q'	r'	s'	t'	U'	V'

~~1. *~~ Let's know better what the question says

We are given a $n \times m$ matrix where n is the no. of rows & m is the no. of columns.

हमें यह s नाम की variable से input लेना पड़ता है
और यह r नाम की Variable है।

→ s will denote the shell no.

→ r will denote the rotations in an anticlockwise manner of the specified ring/shell.

~~2. *~~

We are required to rotate the s th ring/shell by r rotation and display the rotated matrix.

~~3. *~~

Important Point

Approach &

Constraints

$$1 \leq h \leq 10^2$$

$$1 \leq m \leq 10^2$$

$$-10^9 \leq \text{elements} \leq 10^9$$

$$0 \leq s \leq \min(n, m)$$

$$-10^9 < r < 10^9$$

This means r can be negative too.

→ If r is positive, we will rotate it in anticlockwise / counterclockwise direction

→ If r is negative, we will rotate it in clockwise direction.

of size of no. of
element in
5th ring

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Approach

1. Make a one-d array & fill it with the ring
{ Use Spiral display to fill 1D array
with element of 5th ring.}

Size of 1-D array निकलने के लिए सूत्र formula
पहले विडीट.

2. rotate the 1-D array with r rotations.

3. Now, again fill back with the correct rotated elements from the updated & rotated 1-D array to the 5th ring.

~~4)* Pseudocode for Ring Rotation~~

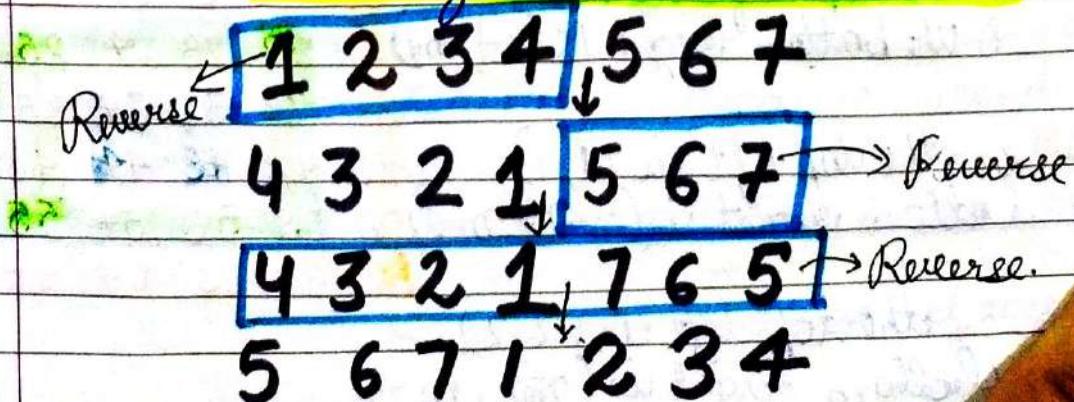
a) one d = fillOneDFromShell (arr, s)

b) rotate (one d, r)

c) fillShellFromOneD (arr, s, one d).

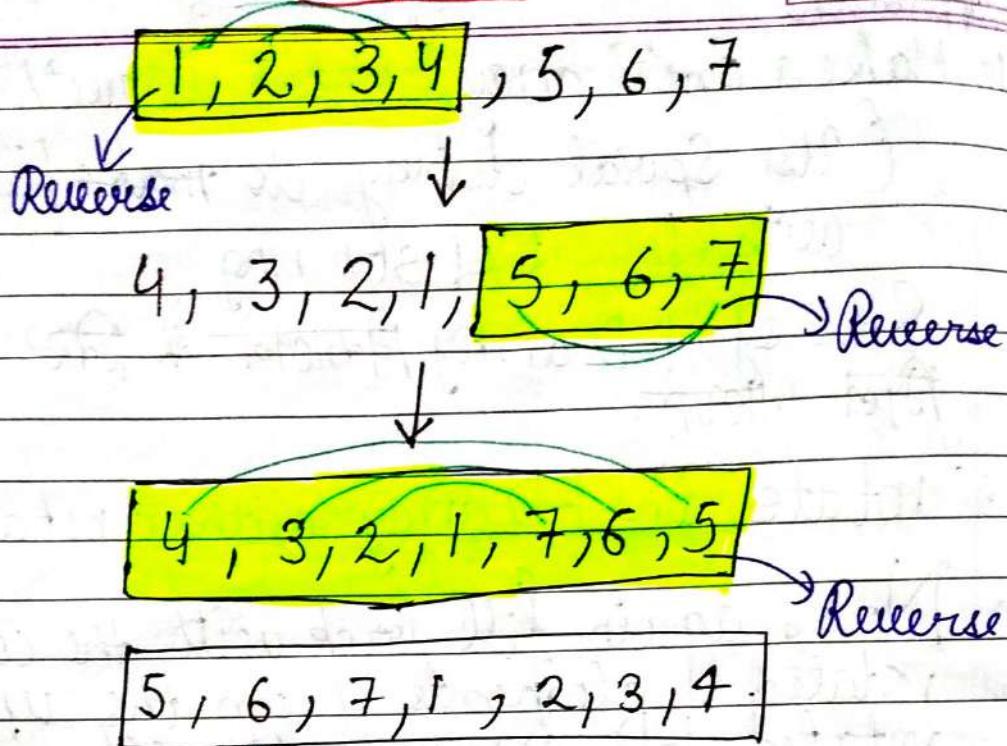
~~5)* How to Rotate a One-d array with K rotations,~~

We will just call the reverse() function thrice to shift a one dimensional array with k rotations



Shift = 3

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* Pseudocode for Rotate

- 1) Reverse (oned, 0, oned.length - $x - 1$);
 starting point
 ending point
- 2) Reverse (oned, x , oned.length - x , oned.length - 1)
- 3) Reverse (oned, 0, oned.length - 1);

X 6) * Have to get an array from shell & vice-versa

Let's know that,

for shell 1, the top left is (0,0)

& the bottom right is ($n-1, m-1$)

11 12 13 14 15 16

21 22 23 24 25 26

31 32 33 34 35 36

41 42 43 44 45 46

51 52 53 54 55 56

61 62 63 64 65 66

for shell 2, the top left is (1,1)

& the bottom right is ($n-2, m-2$)

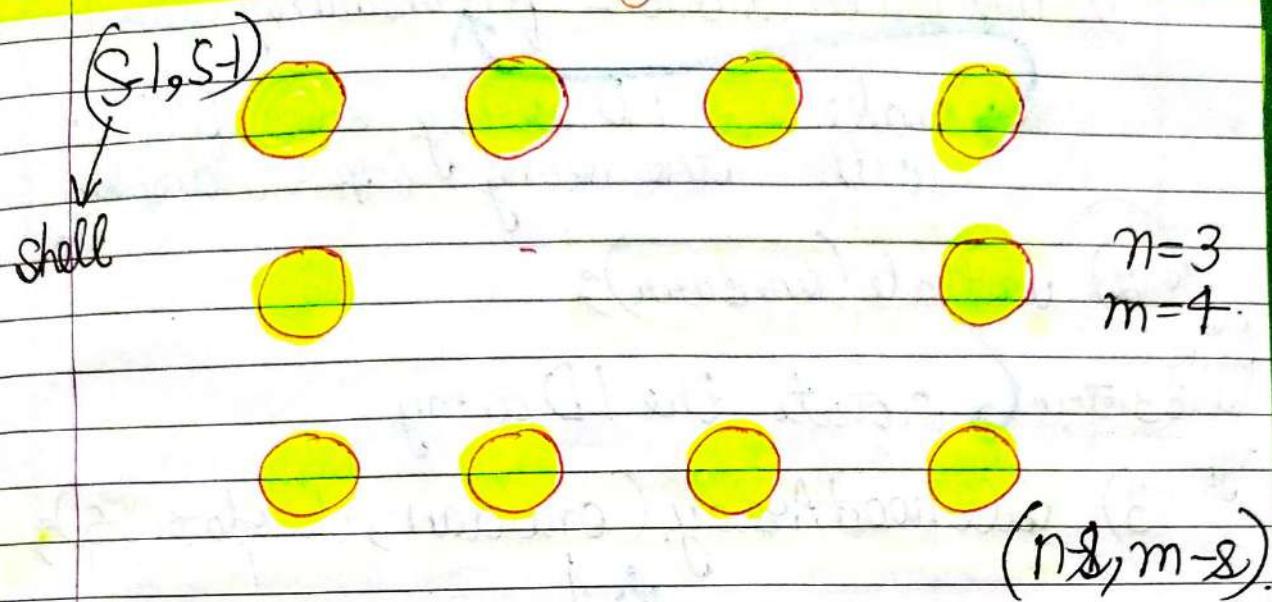
for shell 3, the top left is (2,2)

& the bottom right is ($n-3, m-3$)

→ For shell s , the top left is
 $(s-1, s-1)$

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& the bottom right is $(n-s, m-s)$



~~7*~~ What is number of elements in a particular shell?

अमर दृष्टि (2 × no. of elements in row)

(2 × no. of element in col)

Eg → Do for the above green shell

$$\rightarrow (2 \times 4 + 2 \times 3) = 14$$

So total element in above shell would be
 $= 14 - 4 = 10$

14 is 4 more than the actual no. of elements. It is because we are counting the vertex 2 times (In no. of cols & in no. of rows also)

So, the No. of element in Shell =

$$= (2 \times \text{no. of row in shell}) + (2 \times \text{no. of cols in shell})$$

तो इस ques में हमें 3 function करना है।

1) `int [] Onedarr - fillOnedarray (TwoDarr,`

make a 1D array and fill it
with the ring (special display)

2) `rotate (Onedarr);`

func is
void return
type

rotate the 1D array

3) `fillTwoDArray (Onedarr, TwoDarr, S);`

Void
return
Type

rotated

Input Shell

fill the ring OneDarray
back from rotated 1-d array

Time Complexity taken by Ring Rotate
 $\rightarrow O(n^2m)$

Space Complexity taken by Ring Rotate

$\rightarrow O(n+m)$.

पहले rotate करने वाली function

होती है।

2nd function →

Rotate.

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public static void rotate (int[] onedarr,

, int r).

return type void
है मतलब कि इस return
नहीं करता ये func.

number of rotations onedarr
लगानी है। देखा है जिसको
rotate करना है।

rotate करना है।

vr = vr % onedarr.length; अब onedarr की
length 4 है और rotations

7 गिरें हैं तो overall 3 हो

3 बार rotation करनी हैं bcz

$$7 \% 4 = 3.$$

if (vr < 0) अगर हमें rotation -2 गिरें हैं तो overall
-2 + 4 = 2 rotation ही लगानी bcz after all

vr += onedarr.length); दोनों की output तो same
ही होगा।

3. हमें अब 3 reverse लगाने पड़ेगे | या 3 बार
reverse function को call करना पड़ेगा,
प्रोत्ति) पहले हम first (onedarr.length)

elements को reverse करना है।

2) तो हम last (r) elements को

reverse करना है।

3) तो हम पुरे ही 1-d array को reverse
करना है।

→ reverse (onederarr, onedarr.length - r - 1);

→ reverse (onedarr, onedarr.length - r, onedarr.length - 1);

→ reverse (onedarr, 0, onedarr.length - 1);

3

Reverse an Array - func

→ public static void (int[] onedarr,
int left, int right)

{ while (left < right) .

int temp = onedarr[left];

onedarr[left] = onedarr[right];

onedarr[right] = temp;

left index पर तो element

यहाँ से अपने temp में store
करलो।

अब अपने right index पर
temp का value

value store करकी।

left index

index पर

right index

temp value

इसलिए।

left ++;

right --;

}

}

अब जो left index है

उसको 1 से बढ़ाते करो

और वस तब तक ही

बढ़ाना है तब तक वो

right index से कम

होता है।

right index की

value 1 से decrease

करते रहें।

FILL 2-D ARRAY FROM 1-D ARRAY

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public static void fillTwoDArray,

(int[] onedarr, int[][] twodarr, int s)



11	12	13	14	15	16	17	18
21	22	23	24	25	26	27	28
31	32	33	34	35	36	37	38
41	42	43	44	45	46	47	48
51	52	53	54	55	56	57	58
61	62	63	64	65	66	67	68

rmin cmin rmax cmax

S1	0	0	5	7
S2	1	1	4	6
S3	2	2	3	5

row=6, maxrow, maxcol. col= 8.

row min तक column min
shell - 1 तक equal होता है।

eg. for S1

S-1 [rowmin=0

col min = 0

row-S [row max
col-S [col max

rowmax तक row - shellno .
col max तक col - shellno .

int rows = twodarr.length;] Row,

int cols = twodarr[0].length;] col

int rmin = S-1;

int cmin = S-1;

int rmax = rows-S;

int cmax = cols-S;

int idx = 0;

→ Index index

idx याकि

3. 1-Darr of traversal

अब हम 2-d array के shell के सभी elements

1-d array के element के according
change करेंगे।

it +2 के हम Anticlockwise rotation

करनी है तो हम पहली left wall करेंगे।

the bottom wall करेंगे,

the right wall करेंगे,

Top wall करेंगे।

अब

Just like Spiral Display

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II Left wall (col at cmin, row varies from rmin to rmax).

Left
wall

```
for (int i=rmin, j=cmin; i<=rmax; i++)  
    { twodarr[i][j] = onedarr[idx];  
        idx++; } ↓ idx को 1D traversal for  
1D array traversal
```

cmin left wall को represent करते हैं तो
उस left wall परी हो जाए दोहरा.
rmin घटावें।
cmin++;

II Bottom wall (row at rmax, col varies from cmin to cmax)

Bottom
line/wall

```
for (int i=rmax, j=cmin; j<=cmax; j++)
```

```
{ twodarr[i][j] = onedarr[idx];  
    idx++; } ↓
```

rmax--;

Bottom wall
Bottom line is represented
by rmax, उस bottom
line परी हो जाए दो
rmax को decrease करें

// Right wall [col at cmax, row varies from rmax to rmin]

for (int i = rmax, j = cmax; i >= rmin; i--) {

 twodarr[i][j] = onedarr[idx];
 idx++;

}

cmax--; Right wall is represented by cmax, i.e. Right wall get set after at cmax but decrease first |

// Top wall [row at min, col varies from cmax to cmin]

for (int i = rmin, j = cmax; i >= cmin; i--) {

 twodarr[i][j] = onedarr[idx];

 idx++;

}

rmin++; // Top wall is represented by rmin, i.e. top wall get set after at rmin but rmin++ first |

} → The function fillTwoDArray ends here

Right wall

Top wall

FILL 1-D ARRAY FROM 2-D ARRAY OR FROM INPUT ARRAY

→ public static void fillOneDArray,
(int[][] arr, int s)

{

↳ give the inputs as
2-d array

int rmin = s-1;

int rmax = s-1;

int rmax = arr.length - s; ↳ rows

int cmax = arr[0].length - s; ↳ cols

$$\text{unit size} = 2 * (r_{\text{max}} - r_{\text{min}}) + 2 * (c_{\text{max}} - c_{\text{min}})$$

$(0,0) \quad (0,1) \quad \dots \quad (0,5)$

↑ max col min col. इसे इस बॉक्स के element का पता करना है।

$(3-0+1) = 4$ $a \quad b \quad c \quad d \quad e \quad f(0,5)$

$(3-0+1) = 4$ $g \quad h \quad i \quad j \quad k$

$(3-0+1) = 4$ $m \quad n \quad o \quad p \quad q \quad r(3-0+1) = 4$

$(3-0+1) = 4$ $s \quad t \quad u \quad v \quad w \quad z(3,5)$

max row
min row

min row.
max col

$$= 2 * (\text{max row} - \text{min row} + 1) +$$

$$2 * (\text{max col} - \text{min col} + 1)$$

$$= 2 + 2(\text{max row} - \text{min row}) +$$

$$2 + 2(\text{max col} - \text{min col})$$

$$= 4 + 2(\text{max row} - \text{min row}) +$$

$$2(\text{max col} - \text{min col})$$

if r_{max} &
 r_{min} included

then if r_{max} & r_{min} not included

∴ formula will be

$$\text{Size} = 2(r_{\text{max}} - r_{\text{min}}) +$$

$$2(c_{\text{max}} - c_{\text{min}})$$

`int [] oneDArray = new int [size];`

`int index = 0;`

`for (int i = rmin; j = cmin; i <= rmax; j++)`

{

`OneDArray [index] = arr[i][j];`

`index++;`

`j = cmin + 1;`

`for (int i = rmax; j = cmin; i >= rmin; j++)`

{

`OneDArray [index] = arr[i][j];`

`index++;`

}.

`rmax--;`

`for (int i = rmax; j = -cmax; i >= rmin; j++)`

{

`OneDArray [index] = arr[i][j];`

`index++;`

}

`cmax--;`

`for (int i = rmin; j = -cmax - 1; i >= rmax; j++)`

{

`OneDArray [index] = arr[i][j];`

`index++;`

}

`return OneDArray;`

}.

Left
Wall
at
elements
1-D
array
set

Bottom
wall
at
elements
1-D
array
set

Right
Wall
elements

1-D
array
set

Top wall
at
elements

1-D
array
set

Ring Rotate <Code>

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```
→ import java.util.*;  
→ import java.io.*;  
→ public class Main  
{  
    → public static void main (String [] args)
```

```
    {  
        Scanner scn = new Scanner (System.in);  
        int n = scn.nextInt();  
        int m = scn.nextInt();
```

```
        int [][] arr = new int [n] [m];  
        for (int i = 0; i < n; i++)  
        {  
            for (int j = 0; j < m; j++)  
            {  
                arr[i][j] = scn.nextInt();  
            }  
        }
```

We are taking the input 2d array

```
        int s = scn.nextInt(); → shell no  
        int r = scn.nextInt(); → rotations  
        rotate (arr, s, r); → using rotate func  
        display (arr); → To print the output 2d array
```

```
    → public static void rotate (int [][] arr,  
        int s, int r)  
    {  
        int [] oneDArr = fillOneDArr (arr, s);  
        rotate (oneDArr, r);  
        fillTwoDArray (arr, s, oneDArr);  
    }
```

public static void estate (int [] OneDArr,
int r).

{ r = r % OneDArr.length ;
if (r < 0)

{ r = r + OneDArr.length ;

}

reverse { ^, OneDArr.length - r - 1 ;

reverse (OneDArr, OneDArr.length - r ,
OneDArr.length - 1)

reverse (OneDArr, OneDArr.length - 1)

}

public static void reverse (int [] Arr,
int left, int right)

{ while (left < right)

{ int temp = OneDArr[left] ;

OneDArr[left] = OneDArr[Right] ;

OneDArr[Right] = temp ;

left ++ ;

right -- ;

}

→ public static void fillTwoDArray
(int [] OneDArr, int [][] TwoDArr)

{

 int rows = TwoDArr.length ;
 int cols = TwoDArr[0].length ;
 int rmin = 0 ;
 int rmax = rows - 1 ;
 int cmin = 0 ;
 int cmax = cols - 1 ;

 int idx = 0 ;

 for(int i = rmin , j = cmin ; i <= rmax ;
 i++)

{

 TwoDArr[i][j] = OneDArr[idx] ;
 idx++ ;

}

 cmin++ ;

 for(int i = rmax , j = cmin ; j <= cmax ;
 j++)

{

 TwoDArr[i][j] = OneDArr[idx] ;
 idx++ ;

}

 rmax-- ;

for (int i = vmax, j = vmax; i >= rmin;
 ; i--)

{

TwoDArr[i][j] = OneDArr[idx];
 idx++;

}

vmax--;

for (int i = vmin, j = cmax; j >= cmin;
 ; j--)

{

TwoDArr[i][j] = OneDArr[idx];
 idx++;

}

rmin++;

}

}

→ public static void fillOneDArr

(uint [] [] arr, uint s,

{ uint rview = arr.length;

uint column = arr[0].length;

uint rmin = s - 1;

uint rmax = s - 1;

uint cmin = ... rview - s;

uint cmax = ... column - s;

uint size = 2 * (rmax - rmin) + 2 * (cmax - cmin);

uint [] oneDArray = new uint [size];

uint index = 0;

for (uint i = rmin, uint j = cmin; i <= rmax; i++).

{ OneDArray [index] = arr [i] [j];
index++;
j;
cmin++;

for (uint i = rmax, uint j = cmin,
j <= cmax; j++)

{ OneDArray [index] = arr [i] [j];

index++;

j;

rmax--;

```
for( int i = rmin, int j = cmax;  
    i >= rmin ; i-- )
```

{

```
OneDArray [index] = arr[i][j];  
index++;
```

}

cmax ->

```
for( int i = rmin, int j = cmax;  
    j >= cmin ; j-- )
```

{

```
OneDArray [index] = arr[i][j];  
index++;
```

}

rmin++;

} return OneDArray;

→ public static void Display (int [][] arr)

```
for( int i = 0 ; i < arr.length ; i++ )
```

```
{ for( int j = 0 ; j < arr[0].length ; j++ )
```

```
{ System.out.print (arr[i][j] + " ");
```

}

```
System.out.println ();
```

}

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DSA

8 Oct, 2021

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2D-ARRAY TO BE CONT....

CW 1) Ring Rotate } Done in Class 34 CW

CW 2) Search in a 2D Sorted Array

CW 3) Saddle Point

Ques. 2) **Search in a 2D Sorted Array**

This question wants us to search a given element in a array with 2-dimensional and the array is sorted in rows as well as in columns.

→ इसे अगर element में तो उसकी row column print करता है।
किसी भी element को array में search करने के दौरान उसकी सीधे थे।

- 1) Linear Search
- 2) Binary Search

इस 2-D array में भी Linear Search apply कर सकते हैं but वो most of the cases ज्यादा Time consuming होगा।

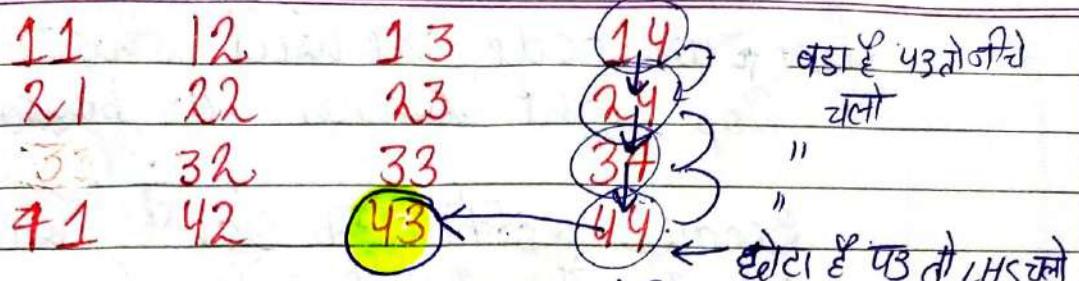
इसे यदि इस ques में Linear Search apply करता है तो यह यह यदि linearly search करना चाहते हैं

Trying
in 2D Array

do
to Binary Search.

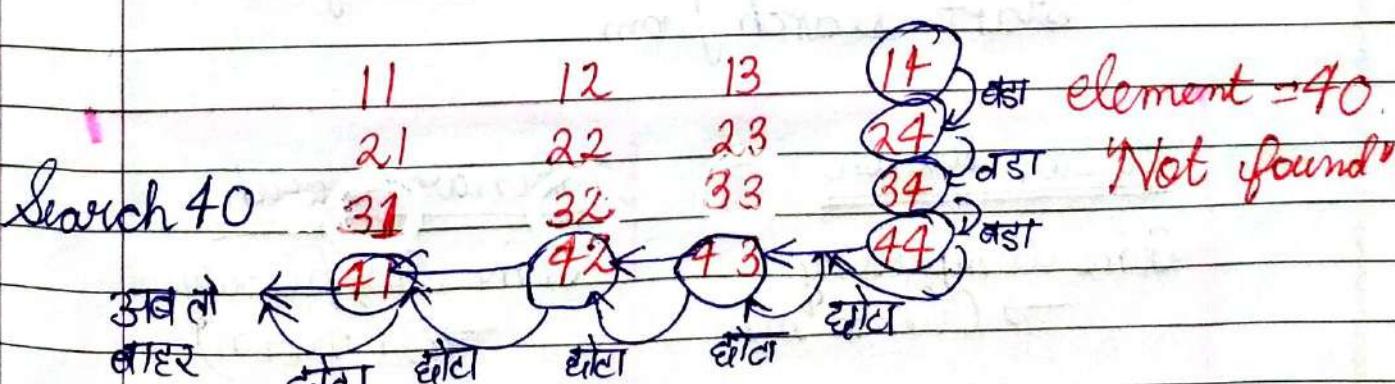
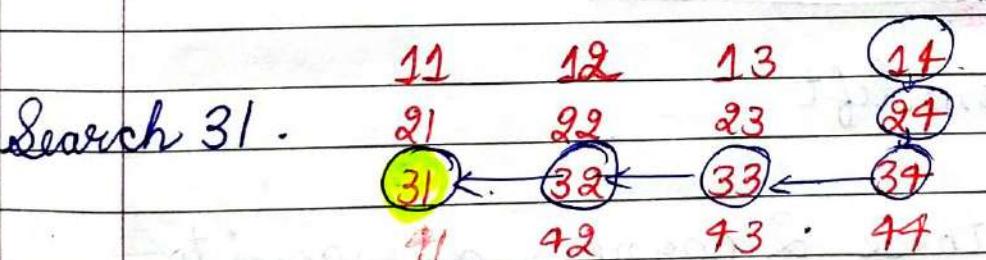
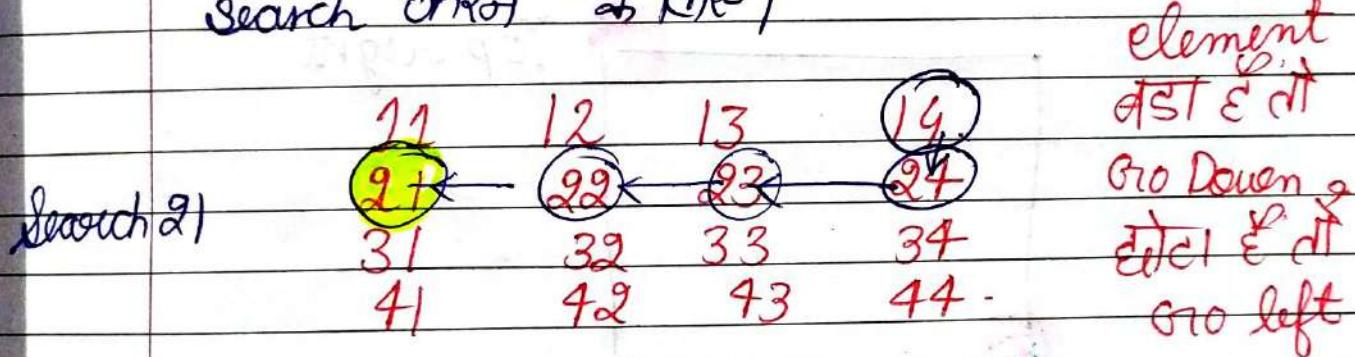
Applying Binary Searching Method in 2-D

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eg → हमे अगर 43 search करना है।

- हम किसी भी corner से searching start कर सकते हैं
- अगर 43 arr[i][j] से छोटा / बड़ा है तो accordingly direction change करनी है ताकि next element का search करने के लिए।

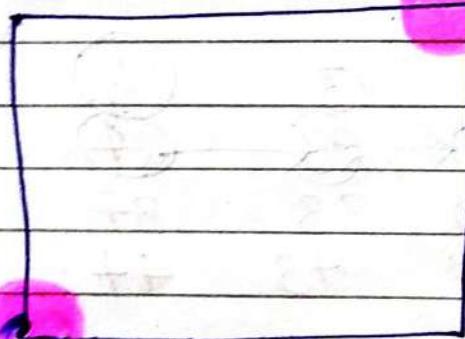


उपर्युक्त
matrix में 40
val < 0 ∴ Not found

for our code, we will start from top right corner or bottom left.

Because उसकी एक side के value कम हो रही है और दूसरी side value ज्यादा हो रही है।
जैसे Binary Search विलग सेना बनाता है कि 50 part में एक search करता होगा अब तो, जाकी 50% की तरफ तो फैरवाह ही नहीं हो।

Top right



Bottom left

So, these 2 corners are good to start search from.

Linear Search

Time Complexity

$$\rightarrow O(n * m)$$

Space Complexity
 $\rightarrow O(1)$

Binary Search

Time Complexity

$$\rightarrow O(\log n)$$

Space Complexity
 $\rightarrow O(1)$

Search in 2D Array using Binary Search

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```
→ import java.util.*;
→ import java.io.*;
public class Main
{
    public static void main (String [] args)
    {
        Scanner scn = new Scanner (System.in);
        int n = scn.nextInt();
        int arr [][] = new int [n] [n];
        for (int i = 0; i < arr.length; i++)
        {
            for (int j = 0; j < arr[0].length; j++)
            {
                arr[i][j] = scn.nextInt();
            }
        }
        int x = scn.nextInt(); } // element find करना
        int i = 0; } // Top Right
        int j = arr[0].length - 1; } // Corner
        while (i < arr.length && j >= 0)
        {
            if (x > arr[i][j]) } // यहतक की
            i++; } // value arr की
            else if (x < arr[i][j]) } // length से कम है
            { j--; } // और i >= 0 है
            } // तब तक तक होता है
            } // Searching होता है
        }
```

Next
row
j
arr[i][j]
elements
of

LHS तक अंतर element कोरा हो

else

{

System.out.println(l); } raw
parent

System.out.println(j); } ~~at RT~~
~~for~~

return;

}

}

System.out.println("Not found");

}

Saddle Price

The Saddle Price is defined as the least value in the row and the maximum value in the column.

अगर ये कोई Point of Mat, इसका मान
उस Matrix में Saddle Point / Price हो जाए।

2 Saddle Points are not possible, why?

a	b	c	d	
e	f	g	h	
i	j	k	l	
m	n	o	p	

↗ Because f & k can't be?
 f & k can't be the
 Saddle Points at the
 same time.

j < f < g }
 g < k < j }
 ↗ Possile

$$j < f < g < k < j$$

Not Possible.

2) Rows p & a can't be saddle points?

$$m < a < d$$

$$d < p < m$$

$$m < a < d < d < m$$

, Not Possible.

Approach

1. एक loop लगाया जावे 0 से $n-1$ तक। उसमें सबसे पहली वाली row में किसी को छोड़ना। element सबसे दॊरा है और उस element को हमें columnwise off chuck करना पड़ेगा। ने उस column को save करता
- 2) अब col 0 से $n-1$ तक दूरवाहो कि क्या वो अपने col को सबसे बड़ा है।

* Time Complexity

In the worst case scenario, we might need to traverse all the elements in, so the time complexity comes out to be n^2 ($n * n$).

* Space Complexity

Since, we are using only a handful of variables, space complexity is constant, $O(1)$.

```
→ import java.util.*;
→ import java.io.*;
→ public class Main {
    {
        public static void main(String[] args) {
            Scanner scn = new Scanner(System.in);
            int n = scn.nextInt();
            int[][] arr = new int[n][n];
            for (int i = 0; i < arr.length; i++) {
                {
                    for (int j = 0; j < arr[0].length; j++) {
                        arr[i][j] = scn.nextInt();
                    }
                }
            }
            for (int i = 0; i < arr.length; i++) {
                {
                    int min = arr[i][0];
                    int psj = 0;
                    → potential saddle
                    for (int j = 1; j < arr[0].length; j++) {
                        {
                            if (arr[i][j] < min) {
                                min = arr[i][j];
                                psj = j;
                            }
                        }
                    }
                    } same for all columns
                }
            }
        }
    }
```

boolean isSaddle = false;

break;

}

}

if (isSaddle == true)

{

System.out.println (min);

return;

}

~~2D ARRAY~~
2D ARRAY
DONE
:-)