

Interview

→ Direct

→ Scenario - Based
— Dataset

→ Coding | Simulation

Industry survey

2 or 3 Senior
AI / ML / DS

Each module

interview

fill
any
gaps

Multiple ways of attacking

Q1

① $P[I_2=0] = 0.5$

50% of the people who give the first round are called for the 2nd round

$$P[G_1=1 \mid I_2=1] = 0.95$$

②

95% of the people who get invited for the 2nd round feel "good" about their 1st round

$$P[G_1=1 \mid I_2=0]$$

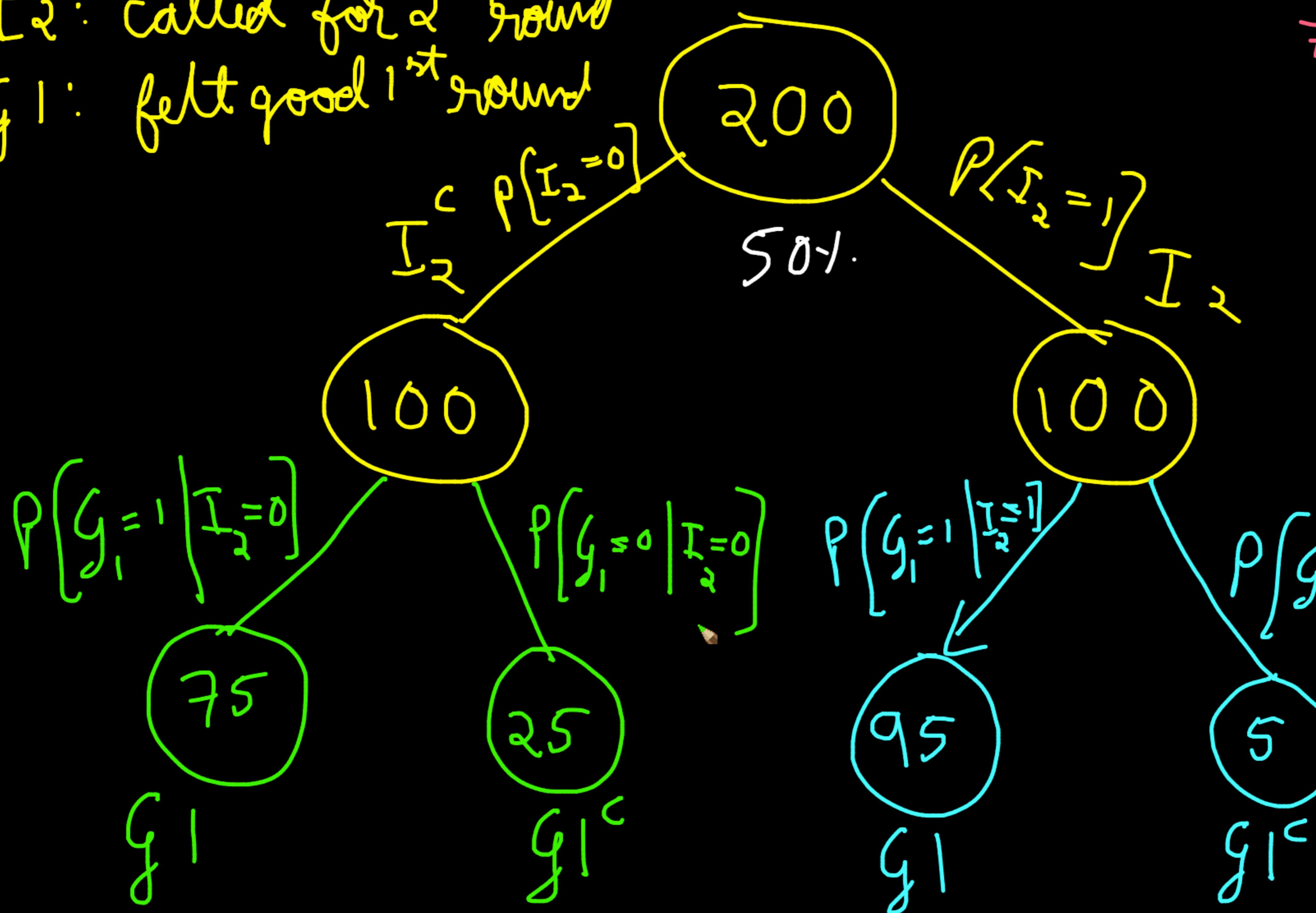
③

75% of the people who did NOT get invited for 2nd round also felt "good" about their first round

Given that you felt you had good 1st interview, what is the prob. of being invited for the 2nd

I_2 : called for 2nd round

G_1 : felt good 1st round



people who felt good ? $75 + 95 = 170$

Among these 170, how many cleared 1st round

$$\frac{95}{75 + 95}$$

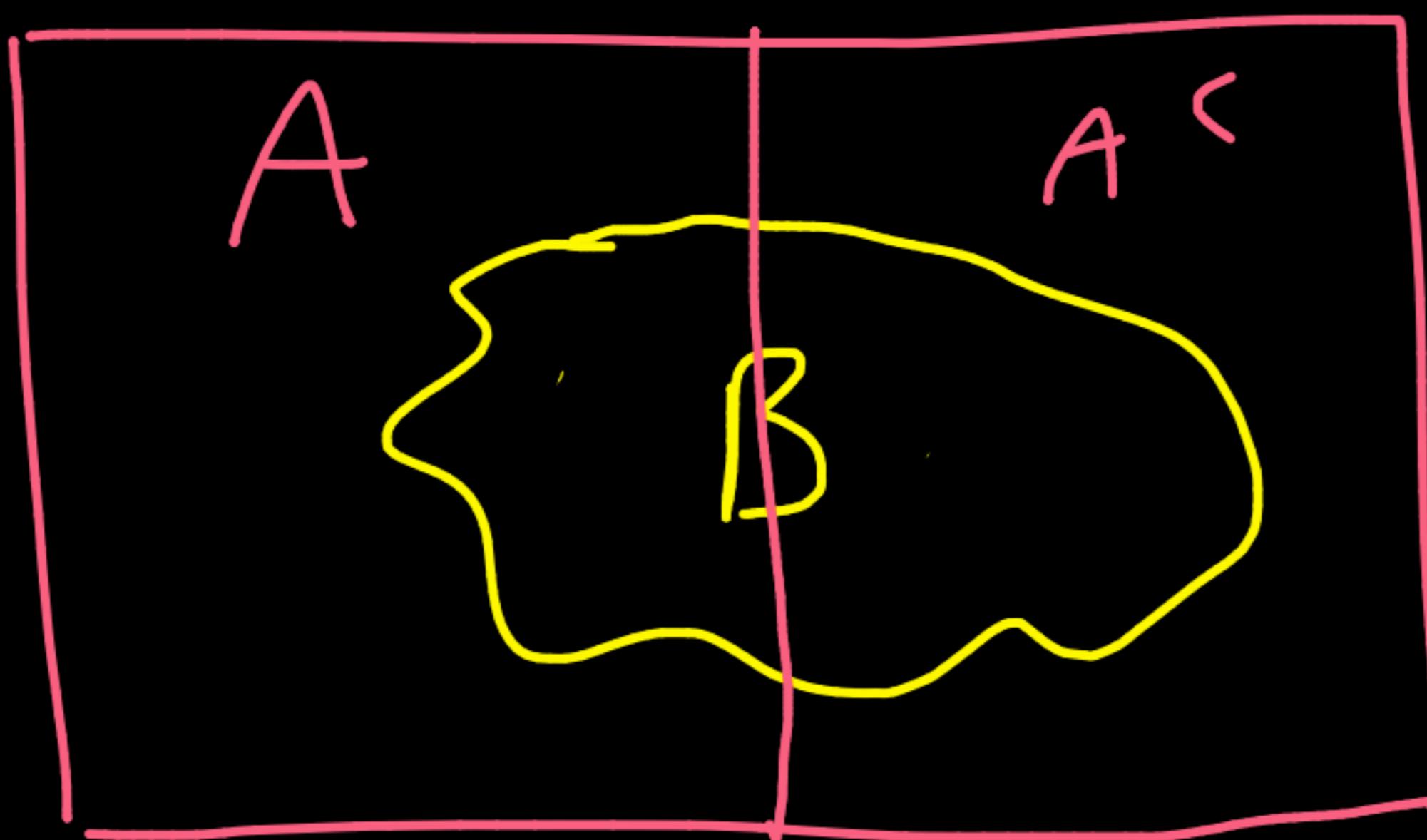
$$P\left[\frac{I_2=1}{A} \mid G_1=1\right] = \frac{P\left[G_1=1 \mid I_2=1\right] P\left[I_2=1\right]}{P\left[G_1=1\right]}$$

$$P[A \mid B] = \frac{P[A \cap B]}{P[B]} = \frac{P[B \mid A] P[A]}{P[B]} = \frac{(0.95)(0.5)}{(0.75)(0.5) + (0.95)(0.5)}$$

$P(B)$

$$P\left[G_1=1\right] = P\left[G_1=1 \mid I_2=0\right] P\left[I_2=0\right] + P\left[G_1=1 \mid I_2=1\right] P\left[I_2=1\right]$$

$$= (0.75)(0.5) + (0.95)(0.5)$$



$$\beta = \{G_1 = 1\}$$
$$A = \{I_2 = 1\}$$

$$\beta = (\beta \cap A) \cup (\beta \cap A^c)$$

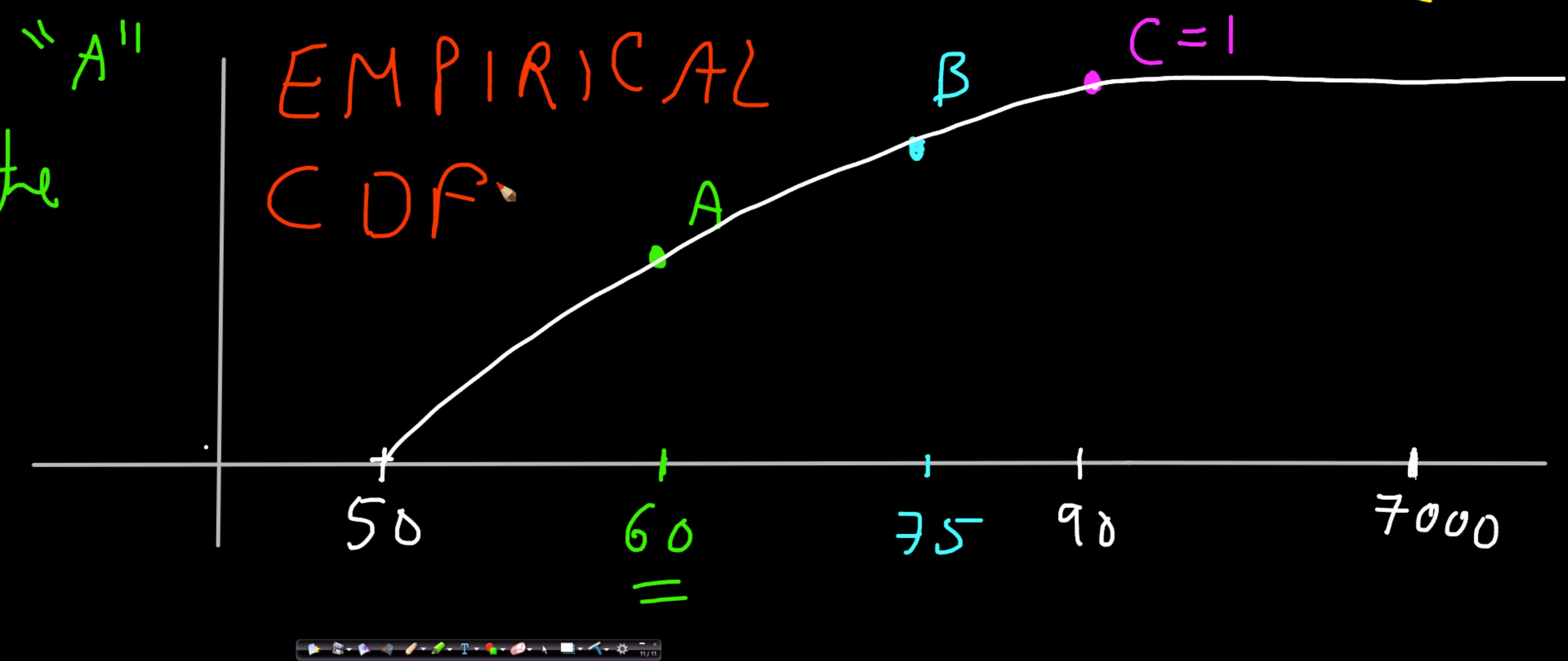
$$\begin{aligned} P[\beta] &= P[\beta \cap A] + P[\beta \cap A^c] \\ &= P[\beta | A]P[A] + P[\beta | A^c]P[A^c] \end{aligned}$$

Q2 Given a dataset (heights of people)
Write a function to plot the CDF

CDF at 60 is "A"

Fraction of the
people whose
heights ≤ 60

B: Frac people
 $H \leq 75$



Q3

Simulate "dice" from uniform(0,1)

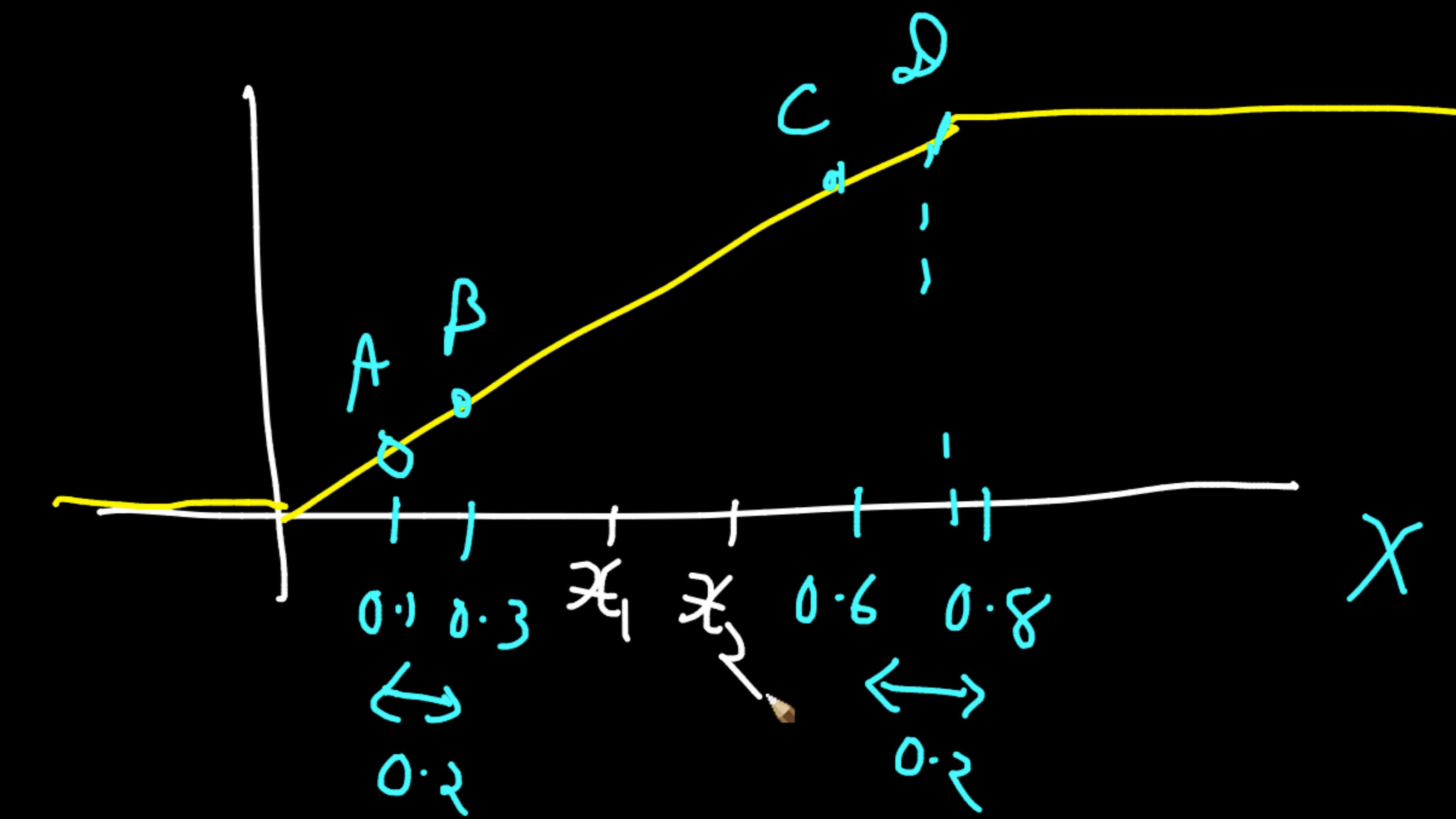
Simulate {3, 1, 4, 5, 1, 4, 2, 6, 5, ...} no using rand int choice X

What fraction of the tosses are "4" $\approx \frac{1}{6}$ 1000000

Starting point:

[HW: Simulate dice from "coin"]

Uniform $[0, 1]$ $\rightarrow \text{CDF}$



A: frac of points ≤ 0.1

B: frac of points ≤ 0.3

$$P[A \leq X \leq B] = B - A$$

same if $f[B - A] = d - c$

$$P[C \leq X \leq D] = D - C$$

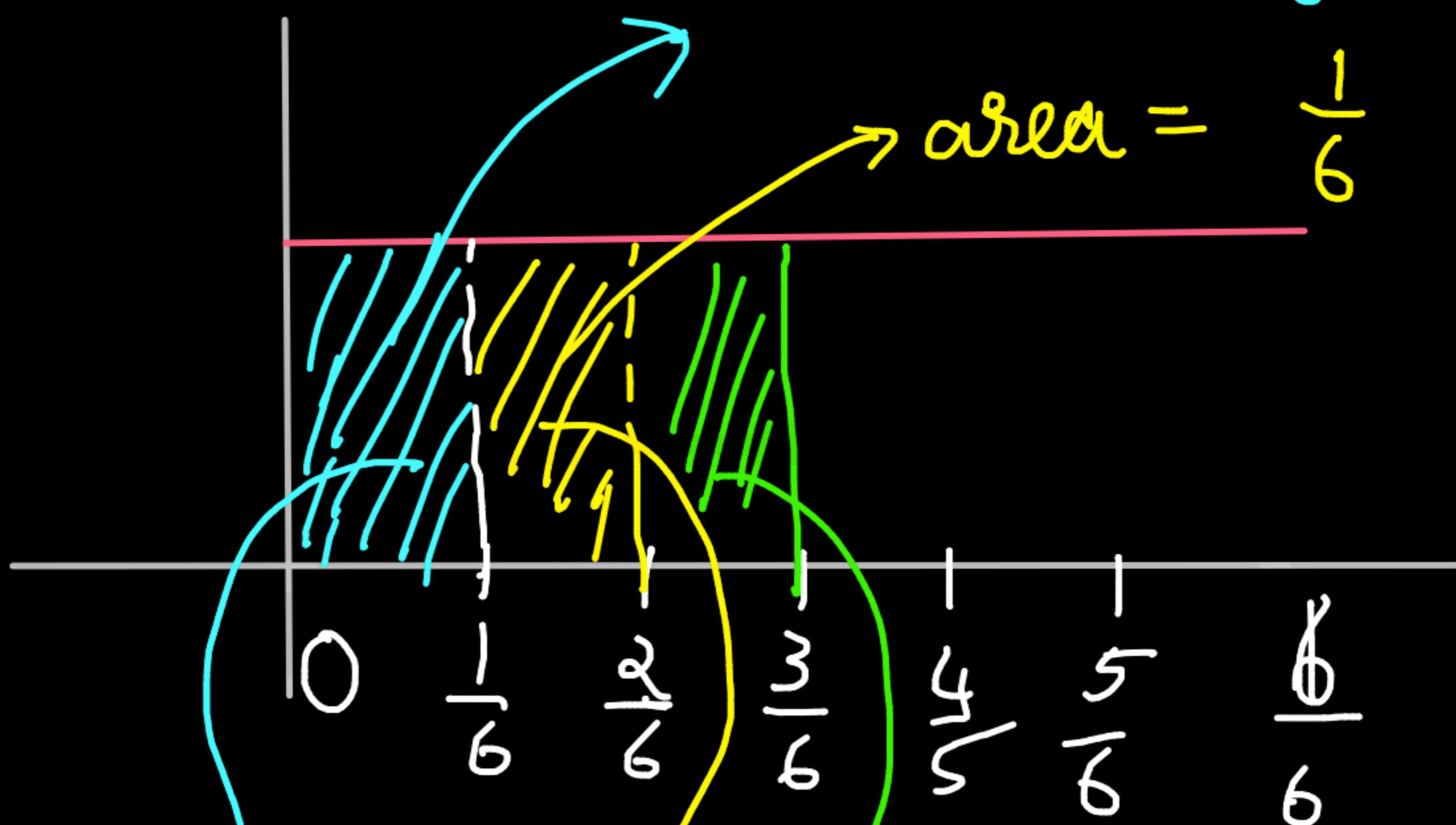
interval length

Prof (x_1, x_2)

PDF of uniform $[0, 1]$

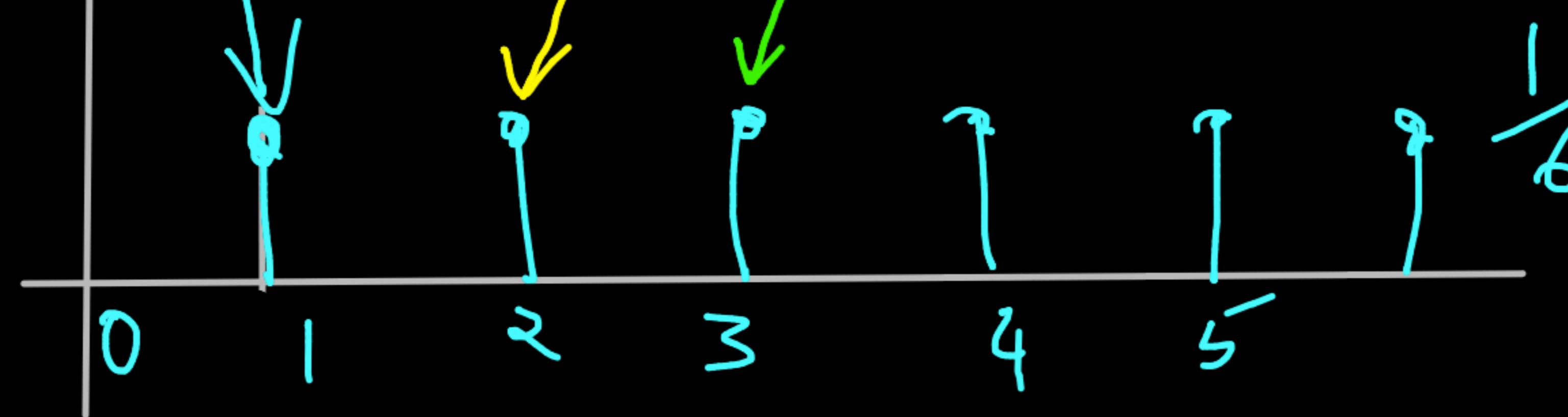
$$\text{area} = (1) \frac{1}{6}$$

width = $\frac{1}{6}$
height = 1



$$\frac{0.1738}{6}$$

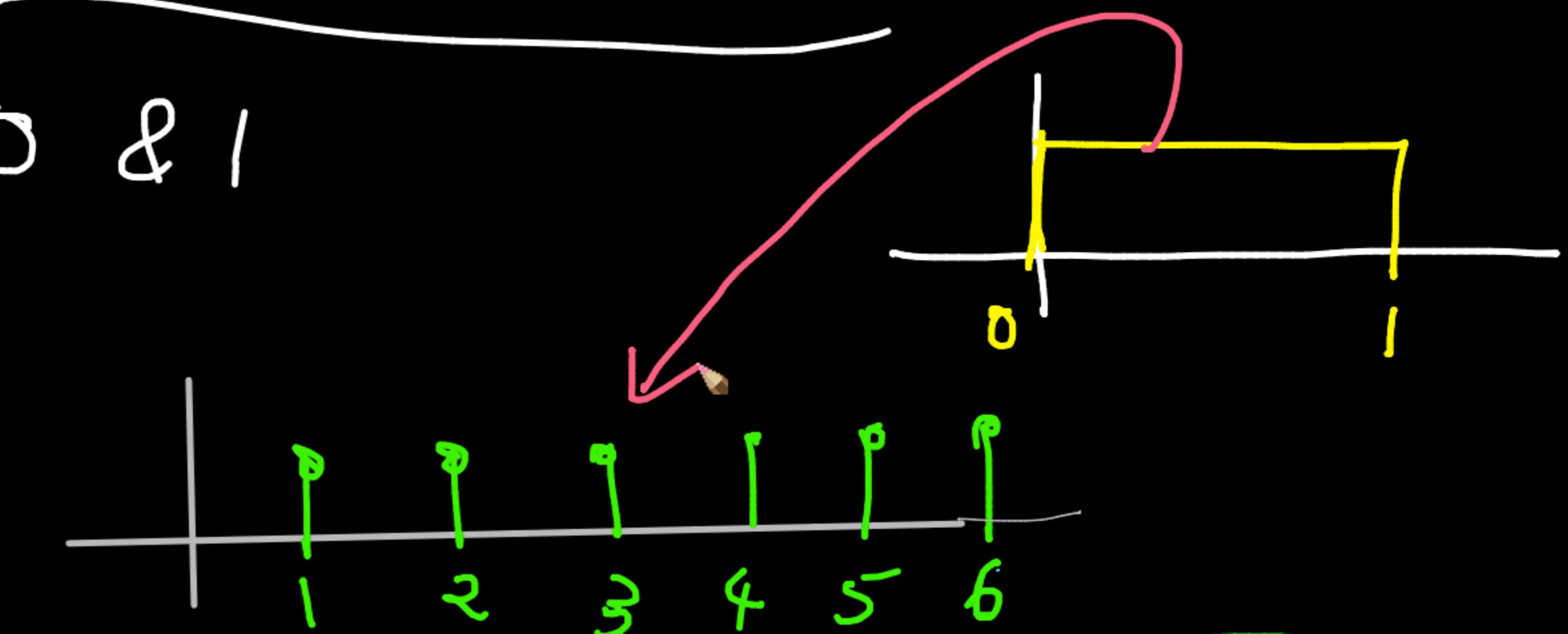
PMF of dice



Recap: Dice from uniform

data $\rightarrow [0.178, 0.812, 0.341, 0.92, \dots]$

between 0 & 1



Goal: data-dice

$$[2, 5, 3, 4, \dots]$$

What is Z-Score?

Doctor / Parent

Baby's height weight

very thin | normal | chubby.
under weight

tilde

$$\tilde{h}_i = \frac{h_i - \mu_H}{\sigma_H}$$

mean of
std wr all baby
height

w

$$\tilde{w}_i = \frac{w_i - \mu_w}{\sigma_w}$$

Weight
std

Standardized

=

1)

\hat{A}

- 0.5

2)

0

\hat{W}

- 0.7

\rightarrow underweight

3)

1

0

\rightarrow normal

4)

1.2

1.3

\rightarrow tall & normal

5)

0

1

\rightarrow chubby

Cricket

X-test av
Test

IPL

X-IPLav
s.o.

Sach

Seh

Draw

Gayle

Dhoni

55
51
52
35
40

20
21
18
22
25

Test

IPL

Dravid

|

- 0.2

Gayle

- 0.5

1.2