

# ITCS 6150-Intelligent Systems Project 2 N queens problem using Hill Climbing

# **Submitted By**

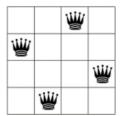
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# **Instructor**

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#### **Problem Statement:**

The N-Queens Problem consists of placing N queens on an NxN chessboard so that no two queens can capture each other. That is, no two queens are allowed to be placed on the same row, the same column or the same diagonal. The following figure illustrates a solution to the 4-Queens Problem.



The problem of finding all solutions to the 8-queens problem can be quite computationally expensive, as there are 64C864C8 = 4,426,165,368 = 4,426,165,368 possible arrangements of eight queens on an  $8\times88\times8$  board, but only 9292 solutions.

Using a programming language of your choice, implement the followings:

- 1. Hill climbing search
- 2. Hill-climbing search with sideways move
- 3. Random-restart hill-climbing with sideways move.
- 4. Random-restart hill-climbing without sideways move.

## Hill climbing search:

Hill Climbing is a heuristic search algorithm. Mathematical optimization problems use this in the field of Artificial Intelligence. Given a large set of inputs and a good heuristic function, it tries to find a sufficiently good solution to the problem.

### Hill climbing search with sideways move:

It is a variant of Hill Climbing Search. if no uphill moves, allow moving to a state with the same value as the current one (escape shoulders)

#### **Random Restart Hill Climbing:**

"If at first you don't succeed, try, try again" is adopted by Random-restart hill climbing.

Series of hill-climbing searches are performed from randomly generated initial states,1 until a goal is found. It is trivially complete with probability approaching 1, because it will eventually generate a goal state as the initial state. If each hill-climbing search has a probability p of success, then the expected number of restarts required is 1/p.

#### **Classes and methods:**

Class: Hill\_Climbing\_Search

#### Methods:

➤ \_\_init\_\_ : It acts like constructor. A new object is created of class Hill\_Climbing\_Search whenever the \_\_int\_\_ method is used.

It initializes the following variables:

- first\_state: It is the initial state.
- m\_sideways: It is maximum number of sideways steps can be performed.
- r\_sides: It contains the number of remaining sideways moves.
- total\_number\_steps : Total number of steps used by the algorithm.
- nqueens: number of queens present in the matrix.
- retrive\_right\_diagonal: Returns the cells that are present diagonally from the right of current cell.
- retrieve\_right\_horizontal Outputs the horizontal cells that are to the right of the current cell
- > combine Combines right horizontal cells and right diagonal cells to get all cells that are to the right of current cell.
- > queen\_cell retrieve the position of the cell of the queen of the specified tree.
- ➤ heuristic\_n\_queens Evaluate the heuristic value for specified state.

- print\_state Print the problem as matrix.
- ➤ cal\_heuristic Calculate heuristic values for all the right to take the next step. Returns ['matrix of heuristics value','least value of Heuristics','two arrays containing row and col of right cells containing lower value of Heuristics']
- > steepest\_ascent\_algo -Calculates the least value of heuristic and executes.we get 1 if there is Flat, shoulder or flat local maxima. 2-if local maxima occurred. 3- if success occurs.
- random\_state new random state is generated whenever this method is called.
- random\_restart\_hc Using Steepest Ascent as the base ,Random restart hill climbing search is implemented.

#### Class Hill\_Climbing\_check:

#### Methods:

➤ \_\_init\_\_: It acts like constructor.A new object is created of class Hill\_Climbing\_Search whenever the \_\_int\_\_ method is used.

n\_value: number of queens

max\_iter: (Maximum number of iterations)

m\_sideways:

steepest\_ascent\_config: (Store the statistics of Steepest ascent hill climbing without sideways move.

steepest\_ascent\_side\_config: Store the statistics of Steepest ascent hill climbing with sideways move.

random\_restart\_config: Store the statistics of random restart hill climbing without sideways move.

random\_restart\_side\_config: Store the statistics of random restart hill climbing with sideways move.

- explore Executes steepest Ascent algo and random restart hill climbing for max number of iterations times
- ➤ final\_outcomes -End analysis of all 4 algorithms are printed.
- ➤ display\_random\_restart\_config(self) Prints the Random Restart hill climbing search inspection.

➤ display\_steepest\_ascent\_config -The report for steepest ascent hill climb with sideways and without sideways move is displayed.

# Final Output for 8 queens' problem for iterations 100,200,400,600,800,1000: 100 iterations:

HILL CLIMBING SEARCH

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VALUE OF N: 8 (i.e 8 x 8)

TOTAL NUMBER OF RUNS: 100

**SUCCESS RUNS: 16** 

SUCCESS RATES: 16.0 %

SUCCESS AVERAGE STEPS: 5.25

NUMBER\_OF\_FAILURE RUNS: 84

FAILURE RATE: 84.0 %

FAILURE AVERAGE STEPS: 4.14

FLAT LOCAL MINIMA: 82

HILL CLIMBING WITH SIDEWAYS

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VALUE OF N: 8 (i.e. 8 x 8)

TOTAL NUMBER OF RUNS: 100

SUCCESS RUNS: 20

SUCCESS RATES: 20.0 %

SUCCESS AVERAGE STEPS: 5.95

NUMBER\_OF\_FAILURE RUNS: 80

FAILURE RATE: 80.0 %

FAILURE AVERAGE STEPS: 5.28

FLAT LOCAL MINIMA: 78

RANDOM RESTART HILLCLIMBING

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n is 8 (i.e 8 x 8)

TOTAL NUMBER OF RUNS: 100

AVERAGE NUMBER OF RESTARTS: 7.62

AVERAGE NUMBER OF STEPS OF LAST RESTART 5.2

AVERAGE NUMBER OF STEPS OF ALL RESTARTS 31.91

RANDOM RESTART WITH SIDEWAYS

-----

n is 8 (i.e 8 x 8)

TOTAL NUMBER OF RUNS: 100

AVERAGE NUMBER OF RESTARTS: 7.29

AVERAGE NUMBER OF STEPS OF LAST RESTART 5.17

AVERAGE NUMBER OF STEPS OF ALL RESTARTS 30.92

#### **FOR 200 iterations:**

#### HILL CLIMBING SEARCH

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VALUE OF N: 8 (i.e 8 x 8)

TOTAL NUMBER OF RUNS: 200

SUCCESS RUNS: 24

SUCCESS RATES: 12.0 %

SUCCESS AVERAGE STEPS: 5.04

NUMBER\_OF\_FAILURE RUNS: 176

FAILURE RATE: 88.0 %

FAILURE AVERAGE STEPS: 3.96

FLAT LOCAL MINIMA: 172

HILL CLIMBING WITH SIDEWAYS

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VALUE OF N: 8 (i.e 8 x 8)

TOTAL NUMBER OF RUNS: 200

SUCCESS RUNS: 41

SUCCESS RATES: 20.5 %

SUCCESS AVERAGE STEPS: 5.66

NUMBER\_OF\_FAILURE RUNS: 159

FAILURE RATE: 79.5 %

FAILURE AVERAGE STEPS: 5.22

FLAT LOCAL MINIMA: 156

RANDOM RESTART HILLCLIMBING

-----

n is 8 (i.e  $8 \times 8$ )

TOTAL NUMBER OF RUNS: 200

AVERAGE NUMBER OF RESTARTS: 7.495

AVERAGE NUMBER OF STEPS OF LAST RESTART 4.98

AVERAGE NUMBER OF STEPS OF ALL RESTARTS 31.2

RANDOM RESTART WITH SIDEWAYS

-----

n is 8 (i.e 8 x 8)

TOTAL NUMBER OF RUNS: 200

AVERAGE NUMBER OF RESTARTS: 6.14

AVERAGE NUMBER OF STEPS OF LAST RESTART 5.235

AVERAGE NUMBER OF STEPS OF ALL RESTARTS 27.085

FOR 400 ierations:

HILL CLIMBING SEARCH

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VALUE OF N: 8 (i.e 8 x 8)

TOTAL NUMBER OF RUNS: 400

SUCCESS RUNS: 63

SUCCESS RATES: 15.75 %

SUCCESS AVERAGE STEPS: 5.25

NUMBER\_OF\_FAILURE RUNS: 337

FAILURE RATE: 84.25 %

FAILURE AVERAGE STEPS: 4.01

FLAT LOCAL MINIMA: 334

HILL CLIMBING WITH SIDEWAYS

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VALUE OF N: 8 (i.e 8 x 8)

TOTAL NUMBER OF RUNS: 400

**SUCCESS RUNS: 113** 

SUCCESS RATES: 28.25 %

SUCCESS AVERAGE STEPS: 5.61

NUMBER\_OF\_FAILURE RUNS: 287

FAILURE RATE: 71.75 %

FAILURE AVERAGE STEPS: 5.27

FLAT LOCAL MINIMA: 280

RANDOM RESTART HILLCLIMBING

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n is 8 (i.e 8 x 8)

TOTAL NUMBER OF RUNS: 400

AVERAGE NUMBER OF RESTARTS: 6.79

AVERAGE NUMBER OF STEPS OF LAST RESTART 5.03

AVERAGE NUMBER OF STEPS OF ALL RESTARTS 28.475

RANDOM RESTART WITH SIDEWAYS

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n is 8 (i.e  $8 \times 8$ )

TOTAL NUMBER OF RUNS: 400

**AVERAGE NUMBER OF RESTARTS: 6.575** 

AVERAGE NUMBER OF STEPS OF LAST RESTART 5.225

AVERAGE NUMBER OF STEPS OF ALL RESTARTS 28.79

#### For 600 iterations:

HILL CLIMBING SEARCH

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VALUE OF N: 8 (i.e 8 x 8)

TOTAL NUMBER OF RUNS: 600

**SUCCESS RUNS: 88** 

SUCCESS RATES: 14.67 %

SUCCESS AVERAGE STEPS: 5.05

NUMBER\_OF\_FAILURE RUNS: 512

FAILURE RATE: 85.33 %

FAILURE AVERAGE STEPS: 4.01

FLAT LOCAL MINIMA: 507

HILL CLIMBING WITH SIDEWAYS

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VALUE OF N: 8 (i.e 8 x 8)

TOTAL NUMBER OF RUNS: 600

SUCCESS RUNS: 151

SUCCESS RATES: 25.17 %

SUCCESS AVERAGE STEPS: 5.57

NUMBER\_OF\_FAILURE RUNS: 449

FAILURE RATE: 74.83 %

FAILURE AVERAGE STEPS: 5.24

FLAT LOCAL MINIMA: 437

RANDOM RESTART HILLCLIMBING

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n is 8 (i.e 8 x 8)

TOTAL NUMBER OF RUNS: 600

AVERAGE NUMBER OF RESTARTS: 7.475

AVERAGE NUMBER OF STEPS OF LAST RESTART 5.11

AVERAGE NUMBER OF STEPS OF ALL RESTARTS 31.276666666666667

#### RANDOM RESTART WITH SIDEWAYS

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n is 8 (i.e 8 x 8)

TOTAL NUMBER OF RUNS: 600

AVERAGE NUMBER OF RESTARTS: 6.136666666666667

AVERAGE NUMBER OF STEPS OF LAST RESTART 5.236666666666666

AVERAGE NUMBER OF STEPS OF ALL RESTARTS 26.99833333333333

#### For 800 iterations:

HILL CLIMBING SEARCH

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VALUE OF N: 8 (i.e 8 x 8)

TOTAL NUMBER OF RUNS: 800

SUCCESS RUNS: 104

SUCCESS RATES: 13.0 %

SUCCESS AVERAGE STEPS: 5.05

NUMBER\_OF\_FAILURE RUNS: 696

FAILURE RATE: 87.0 %

FAILURE AVERAGE STEPS: 4.05

FLAT LOCAL MINIMA: 685

#### HILL CLIMBING WITH SIDEWAYS

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VALUE OF N: 8 (i.e 8 x 8)

TOTAL NUMBER OF RUNS: 800

SUCCESS RUNS: 172

SUCCESS RATES: 21.5 %

SUCCESS AVERAGE STEPS: 5.48

NUMBER\_OF\_FAILURE RUNS: 628

FAILURE RATE: 78.5 %

FAILURE AVERAGE STEPS: 5.29

FLAT LOCAL MINIMA: 611

RANDOM RESTART HILLCLIMBING

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n is 8 (i.e 8 x 8)

TOTAL NUMBER OF RUNS: 800

AVERAGE NUMBER OF RESTARTS: 7.18875

AVERAGE NUMBER OF STEPS OF LAST RESTART 5.06625

AVERAGE NUMBER OF STEPS OF ALL RESTARTS 30.2575

#### RANDOM RESTART WITH SIDEWAYS

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n is 8 (i.e 8 x 8)

TOTAL NUMBER OF RUNS: 800

AVERAGE NUMBER OF RESTARTS: 6.61875

AVERAGE NUMBER OF STEPS OF LAST RESTART 5.19

AVERAGE NUMBER OF STEPS OF ALL RESTARTS 28.80875

For 1000 iterations:

HILL CLIMBING SEARCH

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VALUE OF N: 8 (i.e 8 x 8)

TOTAL NUMBER OF RUNS: 1000

SUCCESS RUNS: 127

SUCCESS RATES: 12.7 %

SUCCESS AVERAGE STEPS: 5.08

NUMBER\_OF\_FAILURE RUNS: 873

FAILURE RATE: 87.3 %

FAILURE AVERAGE STEPS: 4.09

FLAT LOCAL MINIMA: 863

#### HILL CLIMBING WITH SIDEWAYS

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VALUE OF N: 8 (i.e 8 x 8)

TOTAL NUMBER OF RUNS: 1000

SUCCESS RUNS: 238

SUCCESS RATES: 23.8 %

**SUCCESS AVERAGE STEPS: 5.78** 

NUMBER\_OF\_FAILURE RUNS: 762

FAILURE RATE: 76.2 %

FAILURE AVERAGE STEPS: 5.27

FLAT LOCAL MINIMA: 743

RANDOM RESTART HILLCLIMBING

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n is 8 (i.e 8 x 8)

TOTAL NUMBER OF RUNS: 1000

AVERAGE NUMBER OF RESTARTS: 7.396

AVERAGE NUMBER OF STEPS OF LAST RESTART 5.063

AVERAGE NUMBER OF STEPS OF ALL RESTARTS 30.951

#### RANDOM RESTART WITH SIDEWAYS

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n is 8 (i.e 8 x 8)

TOTAL NUMBER OF RUNS: 1000

AVERAGE NUMBER OF RESTARTS: 6.237

AVERAGE NUMBER OF STEPS OF LAST RESTART 5.2

AVERAGE NUMBER OF STEPS OF ALL RESTARTS 27.55

# **OUTPUT ANALYSIS:**

	Hill Climbing	Hill Climbing with sideways move	Random restart hill climbing	Random restart hill climbing with sideways move
Success rate	16%	20%	100%	100%
Average number of steps (Success case)	5.25	5.95	Last Restart – 5.2 All Restart – 31.91	Last Restart – 5.17 All Restart – 30.92
Number of restarts	N/A	N/A	7.62	7.29
Flat local maxima/shoulder	82	78	N/A	N/A
Failure rate	84%	80%	0	0
Average number of steps (Failure case	4.14	5.28	N/A	N/A
Total Runs	100	100	100	100

	Hill Climbing	Hill Climbing with sideways move	Random restart hill climbing	Random restart hill climbing with sideways move
Success rate	12%	20.05%	100%	100%
Average number of steps (Success case)	5.04	5.66	Last Restart – 4.98 All Restart – 31.2	Last Restart – 5.23 All Restart – 27.08
Number of restarts	N/A	N/A	7.495	6.14
Flat local maxima/shoulder	172	156	N/A	N/A
Failure rate	88%	79.5%	0	0
Average number of steps (Failure case	3.96	5.22	N/A	N/A
Total Runs	200	200	200	200

	Hill Climbing	Hill Climbing with sideways move	Random restart hill climbing	Random restart hill climbing with sideways move
Success rate	15.75%	28.25%	100%	100%
Average number of steps (Success case)	5.25	5.61	Last Restart – 5.03 All Restart – 28.47	Last Restart – 5.22 All Restart – 28.79
Number of restarts	N/A	N/A	6.79	6.575
Flat local maxima/shoulder	334	280	N/A	N/A
Failure rate	84.25%	71.25%	0	0
Average number of steps (Failure case	4.01	5.27	N/A	N/A
Total Runs	400	400	400	400

	Hill Climbing	Hill Climbing with sideways move	Random restart hill climbing	Random restart hill climbing with sideways move
Success rate	14.67%	25.17%	100%	100%
Average number of steps (Success case)	5.05	5.57	Last Restart – 5.11 All Restart – 31.27	Last Restart – 5.23 All Restart – 26.99
Number of restarts	N/A	N/A	7.475	6.136
Flat local maxima/shoulder	507	437	N/A	N/A
Failure rate	85.33%	74.83%	0	0
Average number of steps (Failure case	4.01	5.24	N/A	N/A
Total Runs	600	600	600	600

	Hill Climbing	Hill Climbing with sideways move	Random restart hill climbing	Random restart hill climbing with sideways move
Success rate	13%	21.5%	100%	100%
Average number of steps (Success case)	5.05	5.48	Last Restart – 5.06 All Restart – 30.25	Last Restart – 5.19 All Restart – 28.80
Number of restarts	N/A	N/A	7.18	6.61
Flat local maxima/shoulder	685	611	N/A	N/A
Failure rate	87%	78.5%	0	0
Average number of steps (Failure case	4.05	5.29	N/A	N/A
Total Runs	800	800	800	800

	Hill Climbing	Hill Climbing with sideways move	Random restart hill climbing	Random restart hill climbing with sideways move
Success rate	12.7%	23.8%	100%	100%
Average number of steps (Success case)	5.08	5.78	Last Restart – 5.06 All Restart – 30.95	5.2
Number of restarts	N/A	N/A	7.39	6.23
Flat local maxima/shoulder	863	743	N/A	N/A
Failure rate	87.3%	76.2%	0	0
Average number of steps (Failure case	4.09	5.27	N/A	N/A
Total Runs	1000	1000	1000	1000

#### **Source Code:**

```
import random
import numpy as np
import copy
class hillclimb:
  def __init__(self, state = None, m_sideways = 0, nqueens = 0):
     self.first_state = state
    if(state == None and nqueens):
       self.nqueens = nqueens
     else:
       1_s=len(state)
       self.nqueens =l_s
     self.total\_number\_steps = 0
     self.m_sideways = m_sideways
     self.r\_sides = m\_sideways
  # retrive_right_diagonal - Outputs the diagonal cells that are to the right of the
current cell.
  def retrive_right_diagonal(self, r, c):
    i = c+1
    right_di_cells = []
     while i < self.nqueens:
       c1=r-(i-c)
       if c1 >= 0:
          right_di_cells.append((c1,i))
       c2 = r + (i-c)
```

```
if c2 <= self.nqueens-1:
          right_di_cells.append((c2, i))
       i=i+1
     return right_di_cells
  # retrieve_right_horizontal - Outputs the horizontal cells that are to the right of
the current cell
  def retrieve_right_horizontal(self, r, c):
     i = c+1
     right_h_cells = []
     while i < self.nqueens:
       right_h_cells.append((r, i))
       i+=1
     return right_h_cells
  #combine - Combines right horizontal cells and right diagonal cells to get all cells
that are to the right of current cell.
  def combine(self, r, c):
     rrh=self.retrieve_right_horizontal(r,c)
     rrd=self.retrive_right_diagonal(r,c)
     return_ele=rrh+rrd
     return return_ele
  # queen_cell - retrieve the position of the cell of the queen of the specified tree.
  def queen_cell(self, state):
     q_cellls = []
     for columns, r in enumerate(state):
       q_cellls.append((r,columns))
     return q_cellls
```

```
# heuristic_n_queens - Evaluate the heuristic value for specified state.
def heuristic_n_queens(self, cell_of_state):
  hv = 0
  for row,column in cell_of_state:
     x_coord = set(cell_of_state)
     y_coord = set(self.combine(row,column))
     coord_intersection = x_coord.intersection(y_coord)
     l_i=len(coord_intersection)
     hv = hv + 1_i
  return hv
# print_state - Print the problem as matrix.
def print_state(self, cell_of_state):
  print(cell_of_state)
  for i in range(self.nqueens):
     mat = '|'
     for j in range(self.nqueens):
       if((i,j) in cell_of_state):
          mat = mat + 'Q|'
       else:
          mat =mat+ '-|'
     print(mat)
```

\*\*\*

cal\_heuristic - Calculate heuristic values for all the right to take the next step.Returns ['matrix of heuristics value','least value of Heuristics','two arrays containing row and col of right cells containing lower value of Heuristics']

```
def cal_heuristic(self, cell_of_state):
  mzero= np.zeros((self.nqueens,self.nqueens), int)
  matix_of_heuristic =mzero + -1
  least_of_heiristic = sum(range(self.nqueens)) + 1
  for (x_coord,y_coord) in cell_of_state:
    for i in range(self.nqueens):
       if(x\_coord == i):
         pass
       else:
          next_state = copy.deepcopy(cell_of_state)
         tup1=(i,y_coord)
         next_state[y_coord] =tup1
         mh=self.heuristic_n_queens(next_state)
         matix_of_heuristic[i,y_coord] = mh
         min_val= min(least_of_heiristic, matix_of_heuristic[i,y_coord])
         least_of_heiristic =min_val
         ind=np.where(matix_of_heuristic == least_of_heiristic)
  return matix_of_heuristic, least_of_heiristic,ind
```

```
steepest_ascent_algo -Calculates the least value of heuristic and executes.we get
1 if there is Flat, shoulder
  or flat local maxima. 2-if local maxima occurred. 3- if success occurs.
  def steepest\_ascent\_algo(self, state = None, hv = None, steps = 0):
    cell_of_state = None
    if(steps == 0):
       state = self.first_state
       cell_of_state = self.queen_cell(state)
       hv = self.heuristic_n_queens(cell_of_state)
    else:
       cell_of_state = self.queen_cell(state)
    steps=steps+1
    self.total_number_steps+=1
    if(hv == 0):
       print("***Success achieved***")
       self.print_state(cell_of_state)
       return 3, steps
    if(steps == 1):
       print("***Initial representation***")
       self.print_state(cell_of_state)
    else:
       print('Step number-->', steps)
```

self.print\_state(cell\_of\_state)

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```
matix_of_heuristic = self.cal_heuristic(cell_of_state)
  least_of_heiristic = matix_of_heuristic[1]
  1_mh=len(matix_of_heuristic[2][0])
  random_int = random.randint(0, 1_mh-1)
  row = matix_of_heuristic[2][0][random_int]
  column = matix_of_heuristic[2][1][random_int]
  next_state = copy.deepcopy(state)
  next_state[column] = row
  if(least_of_heiristic < hv):
    return self.steepest_ascent_algo(next_state, least_of_heiristic, steps)
  elif (least_of_heiristic > hv):
    print("Search procedure Failed")
    return 2, steps
  elif (least_of_heiristic == hv):
    if(self.r_sides):
       self.r_sides=self.r_sides-1
       return self.steepest_ascent_algo(next_state, least_of_heiristic, steps)
    else:
       print("Search procedure Failed")
       return 1, steps
# random_state - new random state is generated whenever this method is called.
def random_state(self):
  rset = []
  for i in range(self.nqueens):
    r_int=random.randint(0,self.nqueens-1)
```

```
rset.append(r_int)
     return rset
  # random_restart_hc - Using Steepest Ascent as the base ,Random restart hill
climbing search is implemented.
  def random_restart_hc(self):
     r val = 0
     while True:
       r_val=r_val+1
       self.first_state = self.random_state()
       output = self.steepest_ascent_algo()
       if(output[0] == 3):
          t_steps=self.total_number_steps
          return r_val, output[1], t_steps
          break
class Hill_Climbing_check:
  def __init__(self, n_value, max_iter, m_sideways = 0):
     self.n_value = n_value
     self.max_iter = max_iter
     self.m\_sideways = m\_sideways
     self.steepest\_ascent\_config = [[0,[]],[0,[]],[0,[]],[0,[]]
     self.steepest\_ascent\_side\_config = [[0,[]],[0,[]],[0,[]],[0,[]]]
     self.random\_restart\_config = [0, [], [], []]
     self.random_restart_side_config = [0, [], [], []]
```

```
# explore - Executes steepest Ascent algo and random restart hill climbing for
max number of iterations times.
  def explore(self):
    if(self.n_value in range(4)):
       print('VALUE MUST BE GREATER THAN 3.')
       return
    if(self.max_iter < 1):
       print('VALUE MUST BE GREATER THAN 1.')
       return
    for n in range(self.max_iter):
       self.steepest_ascent_config[0][0]=self.steepest_ascent_config[0][0]+1
self.steepest_ascent_side_config[0][0]=self.steepest_ascent_side_config[0][0]+1
       self.random_restart_config[0]=self.random_restart_config[0]+1
       self.random_restart_side_config[0]= self.random_restart_side_config[0]+1
       s = \prod
       for i in range(self.n_value):
         rand_int1=random.randint(0,self.n_value-1)
         s.append(rand_int1)
       print("HILL CLIMBING SEARCH")
       hillClimbing = hillclimb(s)
                                             hillClimbing.steepest ascent algo()
       outcome
self.steepest_ascent_config[outcome[0]][0]=self.steepest_ascent_config[outcome[
0]][0]+1
       self.steepest_ascent_config[outcome[0]][1].append(outcome[1])
       print("HILL CLIMBING WITH SIDEWAYS")
       hillClimbing = hillclimb(s, self.m_sideways)
       outcome = hillClimbing.steepest_ascent_algo()
```

```
self.steepest_ascent_side_config[outcome[0]][0]=
self.steepest_ascent_side_config[outcome[0]][0]+1
      self.steepest_ascent_side_config[outcome[0]][1].append(outcome[1])
      print("RANDOM RESTART HILLCLIMBING")
      hillClimbing = hillclimb(None, 0, self.n_value)
      outcome = hillClimbing.random_restart_hc()
      self.random_restart_config[1].append(outcome[0])
      self.random_restart_config[2].append(outcome[1])
      self.random_restart_config[3].append(outcome[2])
      print("RANDOM RESTART WITH SIDEWAYS")
      hillClimbing = hillclimb(None, self.m_sideways, self.n_value)
      outcome = hillClimbing.random restart hc()
      self.random_restart_side_config[1].append(outcome[0])
      self.random_restart_side_config[2].append(outcome[1])
      self.random_restart_side_config[3].append(outcome[2])
    self.final_outcomes()
  # final_outcomes -End analysis of all 4 algorithms are printed.
  def final_outcomes(self):
    self.display_steepest_ascent_config(self.steepest_ascent_config,
                                                                      "HILL
CLIMBING SEARCH")
    self.display_steepest_ascent_config(self.steepest_ascent_side_config,
                                                                      "HILL
CLIMBING WITH SIDEWAYS")
    self.display_random_restart_config(self.random_restart_config,
                                                                 "RANDOM
RESTART HILLCLIMBING")
    self.display_random_restart_config(self.random_restart_side_config,
"RANDOM RESTART WITH SIDEWAYS")
```

```
#display_random_restart_config(self) - Prints the Random Restart hill climbing
search inspection
  def display_random_restart_config(self, result, first):
    sum_runs = result[0]
    s1=sum(result[1])
    average_of_restart = s1 / sum_runs
    s2 = sum(result[2])
    avg_last_steps = s2/ sum_runs
    s3=sum(result[3])
    avg\_total = s3 / sum\_runs
    print("\n\n"+first)
    border = "
    lenf=len(first)
    for i in range(lenf):
       border+="-"
    print(border)
    print()
    print("n is ", self.n_value, " (i.e ",self.n_value,"x_coord",self.n_value,")")
    print("TOTAL NUMBER OF RUNS: ", sum_runs)
    print()
    print("AVERAGE NUMBER OF RESTARTS: ", average_of_restart)
    print("AVERAGE NUMBER OF STEPS OF LAST RESTART
avg_last_steps)
    print("AVERAGE NUMBER OF STEPS OF ALL RESTARTS", avg_total)
```

# display\_steepest\_ascent\_config -The report for steepest ascent hill climb with sideways and without sideways move is displayed

```
def display_steepest_ascent_config(self, result, first):
  sum_runs = result[0][0]
  succ = result[3][0]
  if succ:
     succ1=(succ/sum_runs)
    succ\_rate = round((succ1)*100,2)
     success\_steps = result[3][1]
    avearge_succ_steps = round(sum(success_steps)/succ, 2)
  else:
    succ_rate = success_steps = avearge_succ_steps = '-'
  fail = result[1][0] + result[2][0]
  if fail:
    fail1=(fail/sum_runs)
    fail_rate = round((fail1)*100,2)
     fail\_steps = result[1][1] + result[2][1]
    fail_average_steps = round(sum(fail_steps)/fail,2)
  else:
    fail_rate = fail_steps = fail_average_steps = '-'
  num_flat_runs = result[1][0]
  print("\n\n"+first)
  border = "
  1_f=len(first)
  for i in range(l_f): border+="="
  print(border)
```

```
VALUE
                           OF
                                  N: ",
                                              self.n_value,
    print("\n
                                                                   (i.e
",self.n_value,"x",self.n_value,")")
    print("TOTAL NUMBER OF RUNS: ", sum_runs)
    print("\nSUCCESS RUNS: ", succ)
    print("SUCCESS RATES: ", succ_rate, "%")
    print("SUCCESS AVERAGE STEPS: ", avearge succ steps)
    print("\nNUMBER_OF_FAILURE RUNS: ", fail)
    print("FAILURE RATE: ", fail_rate, "%")
    print("FAILURE AVERAGE STEPS: ", fail_average_steps)
    print("\n\nFLAT LOCAL MINIMA: ", num_flat_runs)
    return
n_input = (int)(input("ENTER THE N VALUE GREATER THAN 3: "))
                    (int)(input("ENTER
                                       NUMBER
input iterations
                =
                                                   OF
                                                         ITERATIONS
REQUIRED(MUST BE GREATER THAN OR EQUAL TO 1: "))
input_sideways = (int)(input("ENTER NUMBER OF MAXIMUM SIDEWAYS
ALLOWED(MUST BE >=1): "))
if name == " main ":
  hill_climbing_analysis = Hill_Climbing_check(n_input, input_iterations,
input_sideways)
 hill_climbing_analysis.explore()
```