# Introduction and structure of *ipmr*

#### ipmr

Vital rate modelling left outside the package

Designed to reflect mathematical notation

init\_ipm()
 define\_kernel()
 define\_impl()
 define\_domains()
 define\_pop\_state()
 make\_ipm()

Reduces required time and coding knowledge for building IPMs

```
init_ipm()
  define_kernel()
  define_impl()
  define_domains()
  define_pop_state()
    make_ipm()
```

```
define kernel()
     ipmr structure
                                                     define_impl()
my_ipm <- define_kernel(proto_ipm = my_ipm,</pre>
                                                   define domains()
                   name
                   family = "cc".
                                                   define pop state()
                                                      make ipm()
                   formula
                              (plogis)s_int + s_slope *(dbh_1)
                   S
                               dnorm(dbh_2) g_mu, g_sd),
                             = g_int + g_slope * dbh_1,
                   g_mu
                  data_list = named_data_list,
                                 = list(c('dbh')),
                   states
                   evict_cor
                                 = TRUE,
                                 = truncated_distributions("norm", "g")
                   evict_fun
```

init ipm()

| Math formula  | R formula                           | ipmr                                  |
|---|-------------------------------------|---------------------------------------|
| $\mu_G = \alpha_G + \beta_G * Z$  | size_2 ~ size_1, family =gaussian() | mu_G = G_int + G_slope * z            |
| $G(z',z) = f_G(z', \mu_G, \sigma_G)$  | $G = dnorm(z_2, mu_G, sd_G)$        | $G = dnorm(z_2, mu_G, sd_G)$          |
| $logit(s(z)) = \alpha_s + \beta_s * z$  | surv ~size_1, family = binomial()   | s = plogis(s_int + s_slope * z)       |
| $\log\left(\int_{n}(z)\right) = \alpha_{r_{n}} + \beta_{r_{n}} * z$                         | fec ~size_1, family = poisson()     | r_n = exp(r_n_int + r_n_slope * z)    |
| $\operatorname{logit}\left(r_{p}\left(z\right)\right) = \alpha_{r_{p}} + \beta_{r_{p}} * z$ | repr ~ size_1, family = binomial()  | r_p = plogis(r_p_int + r_p_slope * z) |
| $r_d(z') = f_{r_d}(z', \mu_{r_d}, \sigma_{r_d})$  | dnorm(z_2, mu_f_d, sigma_f_d)       | $r_d = dnorm(z_2, f_d_mu, f_d_sigma)$ |

Levin et al., 2021 – (part of) Table 1

```
my_ipm <- define_impl(</pre>
  proto_ipm = my_ipm,
  kernel_impl_list = list(
    P = list(int_rule = "midpoint",
             state_start = "dbh",
             state_end = "dbh"),
    F = list(int_rule = "midpoint",
             state_start = "dbh",
             state_end = "dbh")
```

```
init_ipm()
  define_kernel()
  define_impl()
  define_domains()
  define_pop_state()
    make_ipm()
```

```
my_ipm <- define_domains(my_ipm,</pre>
              # c(L, U, n_meshpoints)
 dbh = c(1, 30, (200))
my_ipm <- define_pop_state(my_ipm,</pre>
 n_dbh = rep(1/200, (200))
my_ipm <- make_ipm(my_ipm,</pre>
 iterations = 100
```

```
init_ipm()
  define_kernel()
  define_impl()
  define_domains()
  define_pop_state()
    make_ipm()
```