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SUBJECT	Design and Analysis of Algorithm
EXPERIMENT NO:	03
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AIM:	To implement strassen matrix multiplication and also to compute its time complexity.
THEORY:	Strassen's Matrix multiplication can be performed only on square matrices where n is a power of 2. Order of both of the matrices are n × n. The algorithms for strassen's Matrix multiplication is as follows: • Divide a matrix of the order of 2*2 recursively until we get the matrix of order 2*2. • To carry out the multiplication of the 2*2 matrix, use the previous set of formulas. • Subtraction is also performed within these eight multiplications and four additions. • To find the final product or final matrix combine the result of two matrixes.

```
#include<stdio.h>
Code:
                          #include<stdlib.h>
                          #include<time.h>
                          int main ()
                           int a[2][2], b[2][2], c[2][2], i, j;
                           int s1, s2, s3, s4, s5, s6, s7, s8, s9, s10;
                           int p1, p2, p3, p4, p5, p6, p7;
                           int am, an, bm, bn;
                           clock_t start,end;
                           printf ("Enter the size of matrix 1 :\n");
                           scanf ("%d%d", &am, &an);
                           printf ("Enter the elements of matrix 1 :\n");
                           for (i = 0; i < am; i++)
                               for (j = 0; j < an; j++)
                                 scanf ("%d", &a[i][j]);
                          printf("Enter the size of matrix 2 :\n");
                          scanf("%d%d",&bm,&bn);
                          printf ("Enter the elements of matrix 2 :\n");
                           for (i = 0; i < bm; i++)
                              for (j = 0; j < bn; j++)
                           scanf ("%d", &b[i][j]);
                           printf ("The 1st matrix is :\n");
                           for (i = 0; i < 2; i++)
                              printf ("\n");
                              for (j = 0; j < 2; j++)
                           printf ("%d\t", a[i][j]);
                           printf ("\nThe 2nd matrix is :\n");
                           for (i = 0; i < 2; i++)
                              printf ("\n");
                              for (j = 0; j < 2; j++)
                           printf ("%d\t", b[i][j]);
                            start=clock();
                           s1 = b[0][1] - b[1][1];
                           s2 = a[0][0] + a[0][1];
                           s3 = a[1][0] + a[1][1];
                           s4 = b[1][0] - b[0][0];
```

```
s5 = a[0][0] + a[1][1];
s6 = b[0][0] + b[1][1];
s7 = a[0][1] - a[1][1];
s8 = b[1][0] + b[1][1];
s9 = a[0][0] - a[1][0];
s10 = b[0][0] + b[0][1];
printf ("\ns1=%d\t", s1);
printf ("s2=%d\t", s2);
printf ("s3=%d\t", s3);
printf ("s4=%d\t", s4);
printf ("s5=%d\t", s5);
printf ("s6=%d\t", s6);
printf ("s7=%d\t", s7);
printf ("s8=%d\t", s8);
printf ("s9=%d\t", s9);
printf ("s10=\%d\t\n", s10);
p1 = a[0][0] * s1;
p2 = s2 * b[1][1];
p3 = s3 * b[0][0];
p4 = s4 * a[1][1];
p5 = s5 * s6;
p6 = s7 * s8;
p7 = s9 * s10;
printf ("\np1=%d\t", p1);
printf ("p2=%d\t", p2);
printf ("p3=%d\t", p3);
printf ("p4=%d\t", p4);
printf ("p5=%d\t", p5);
printf ("p6=%d\t", p6);
printf ("p7=%d\t\n", p7);
c[0][0] = p5 + p4 - p2 + p6;
c[0][1] = p1 + p2;
c[1][0] = p3 + p4;
c[1][1] = p5 + p1 - p3 - p7;
printf ("\nThe Strassen's matrix is: \n");
for (i = 0; i < am; i++)
   printf (''\n'');
   for (j = 0; j < bn; j++)
printf ("%d\t", c[i][j]);
```

```
end=clock();
    printf("\nThe Time Complexity of Strassen's Matrix
    Multiplication is: ");

printf("%lf",(double)(endstart)/CLOCKS_PER_SEC);
}
```

Output:

By performing the above experiment I have successfully understood about the concept of strassen matrix
multiplication as well as its implementation.