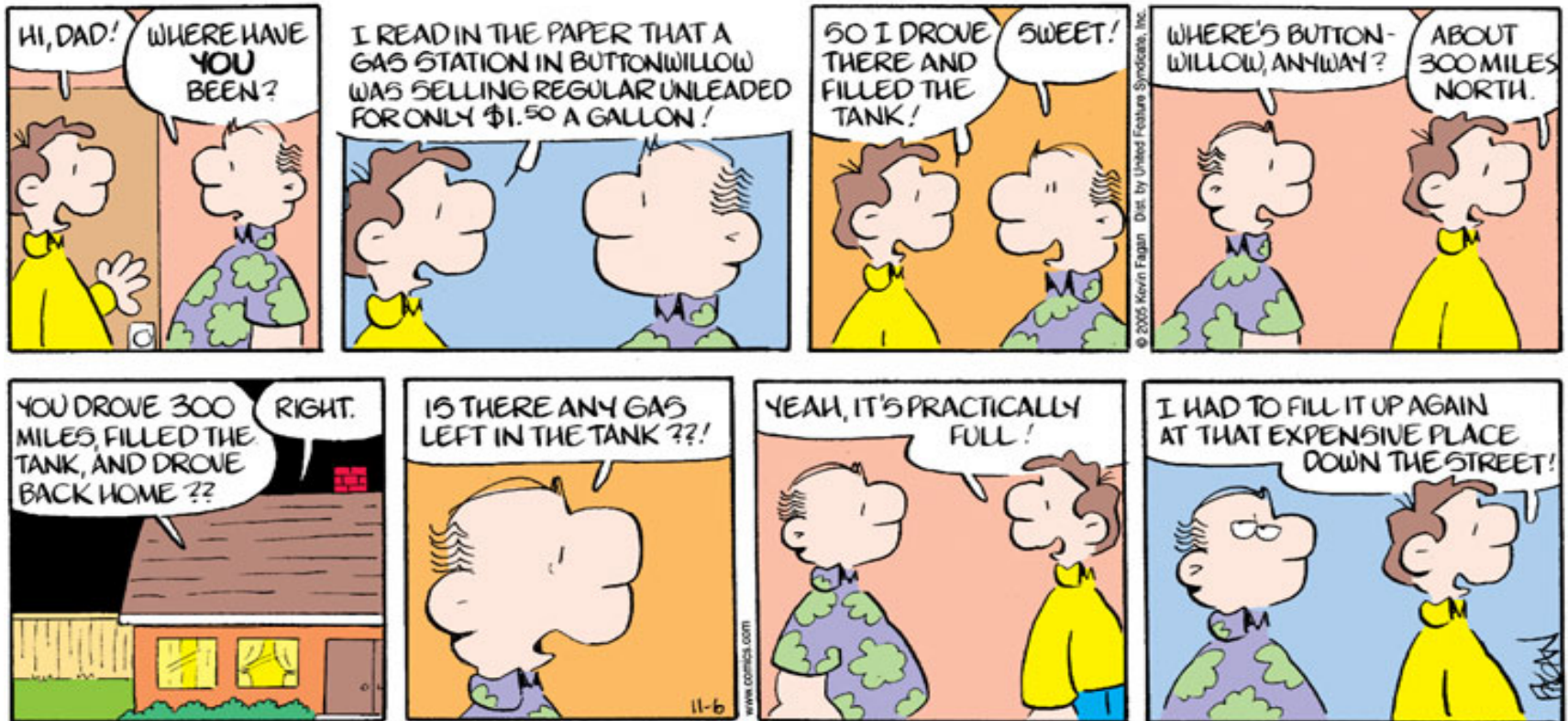


Ch 4 - Elasticity



Elasticity of Demand

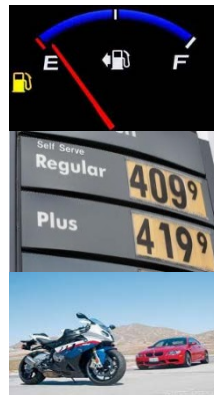
- Elasticity of Demand (def.) - refers to the flexibility of consumer's desires for a product.
- What is your response (decrease in quantity demanded) if the price of Pepsi doubles?
- What is your response if the price of Student parking doubles?
- What is your response if the price of your life-saving medication triples?
- What is your response if the price of french fries is cut in half?

Determinants of Price Elasticity of Demand

- **Existence of substitutes**
 - The closer the substitutes and the more substitutes there are, the more elastic is demand.
- **Share of the budget**
 - The greater the share of the consumer's total budget spent on a good, the more elastic is demand.
- **The length of time allowed for adjustment**
 - The longer any price change persists, the more elastic is demand. Price elasticity is greater in the long-run than in the short-run, and in the short-run than right now.

Time and the Adjustment Process

- The response of consumers and producers to a change in market conditions will become more pronounced as time passes. This occurs because, with time, consumers and producers are able to find substitutes.
- Consider your demand for [gasoline](#).
 - Immediate-run (def.) - there is no time to adjust.
 - Short-run (def.) - time to adjust, but only partially.
 - Long-run (def.) - time to adjust fully.



Calculating Elasticity

$$E_p = \frac{\% \text{ change in } Q}{\% \text{ change in } P}$$

or using the midpoint formula

$$E_p = \frac{\text{change in } Q}{(Q_1 + Q_2)/2} \bigg/ \frac{\text{change in } P}{(P_1 + P_2)/2}$$

Elasticity Example

| Price | Quantity Demanded |
|-------|-------------------|
| \$12 | 20 |
| \$6 | 30 |

We can calculate price elasticity of demand.

Example:

The Price Elasticity of Demand

$$E_p = \frac{\Delta Q}{(Q_1 + Q_2)/2} \bigg/ \frac{\Delta P}{(P_1 + P_2)/2}$$

$$E_p = \frac{\frac{20-30}{(30 + 20)/2}}{\frac{\$12-\$6}{(\$6 + \$ 12)/2}}$$

Example:

The Price Elasticity of Demand

$$E_p = \frac{-10}{25} \div \frac{\$6}{\$9} = -0.6$$

- **Interpretation:**

- Since -0.6 is between 0 and -1, this tells us that buyers are relatively inelastic meaning buyers are not very responsive to the change in price



Suppose a manager raises the price of bottled water from \$3.00 to \$5.00 and they find that consumption drops from 1000 to 400 bottles per week. Is the price elasticity of demand for Hotel H₂O elastic or inelastic?

Example:

The Price Elasticity of Demand for Hotel Bottled Water

$$E_p = \frac{\Delta Q}{(Q_1 + Q_2)/2} \bigg/ \frac{\Delta P}{(P_1 + P_2)/2}$$

$$E_p = \frac{\frac{400-1000}{(1000 + 400)/2}}{\frac{\$5-\$3}{(\$3 + \$5)/2}}$$

Example:

The Price Elasticity of Demand for Hotel Bottled Water

$$E_p = \frac{-600}{700} \div \frac{\$2}{\$4} = -1.71$$

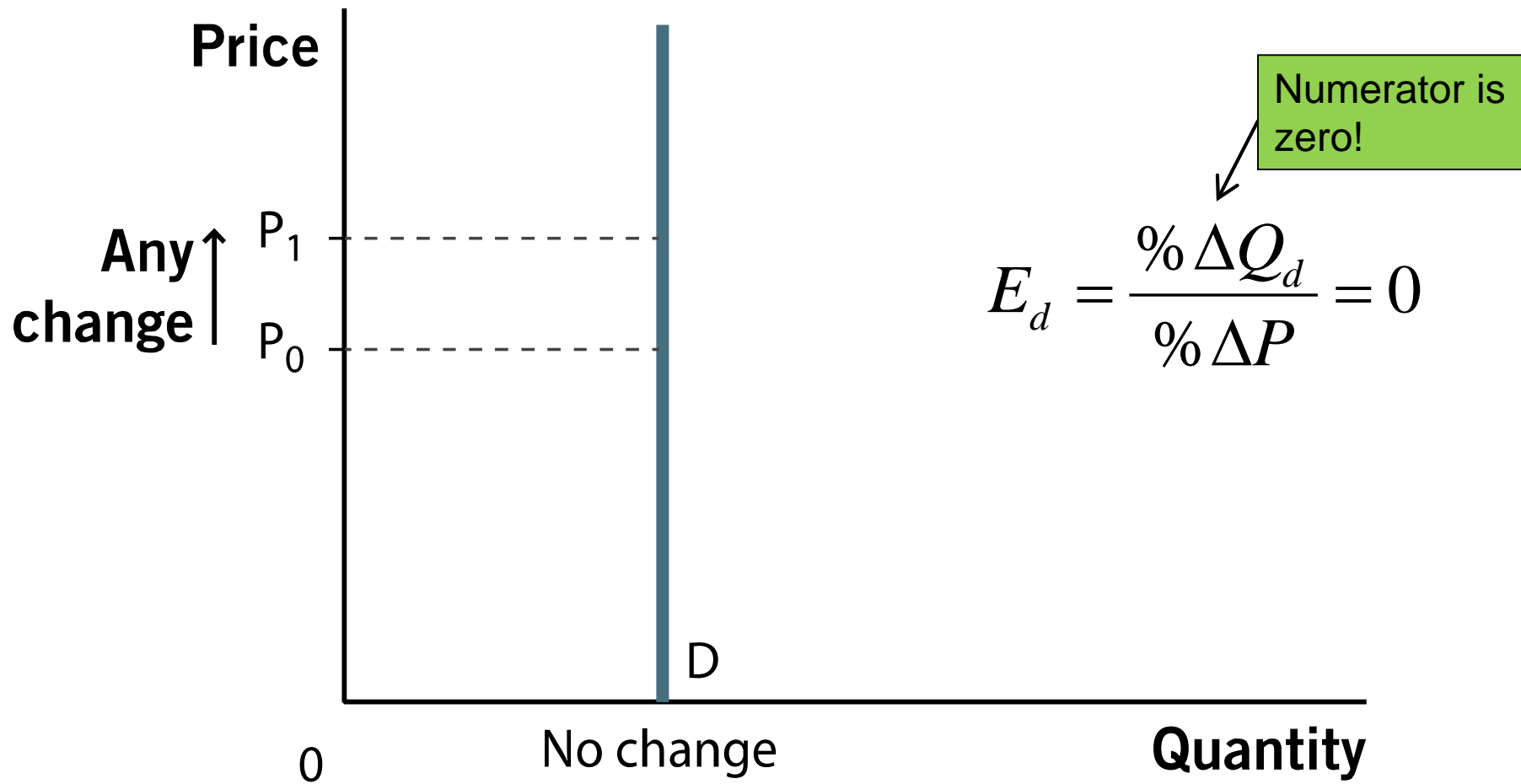
- **Interpretation:**

- Since -1.71 is less than -1, this tells us that buyers are relatively elastic meaning buyers are relatively responsive to the change in price

Graphing Price Elasticity

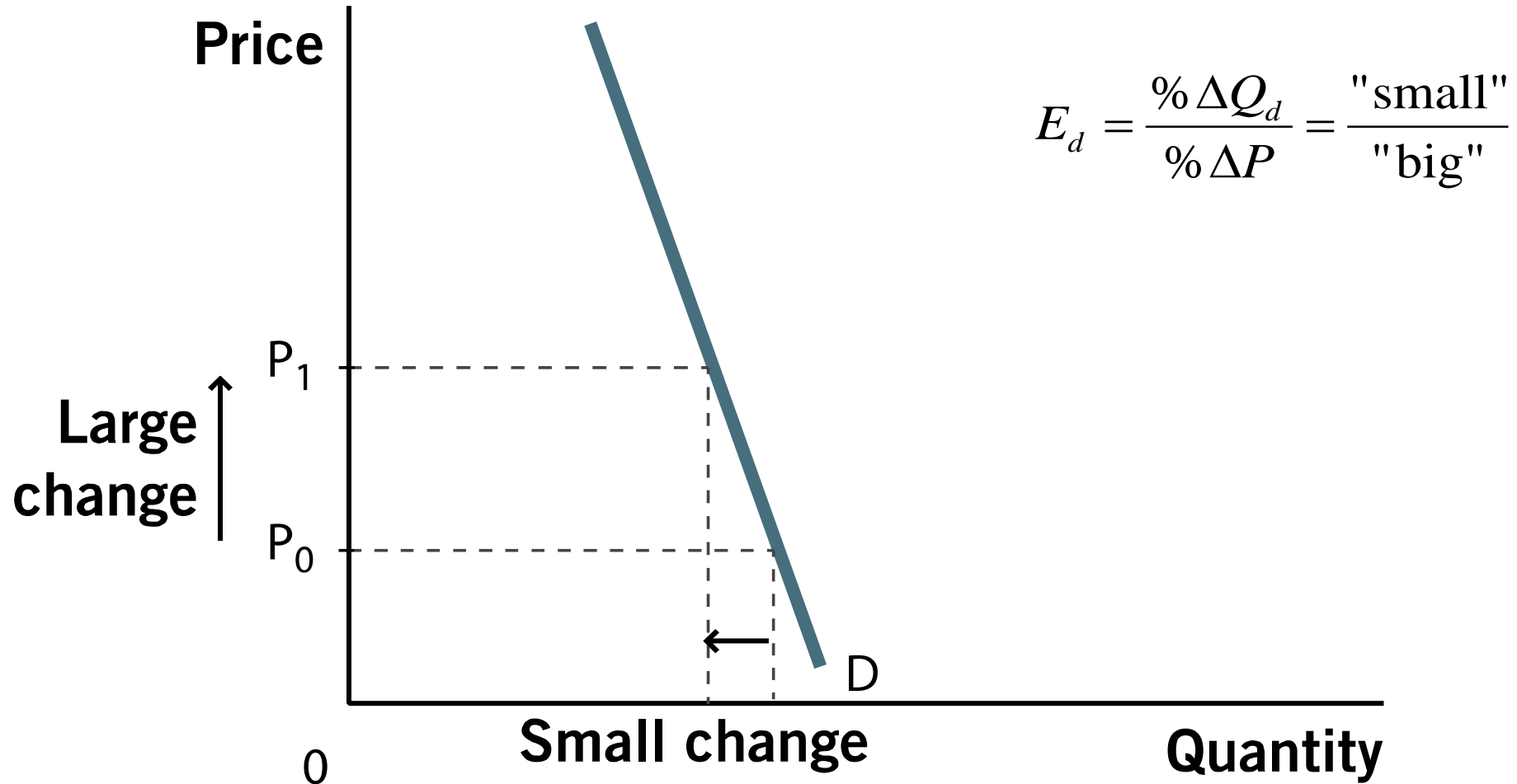
- If demand is relatively elastic
 - We are relatively sensitive to price changes
 - The demand curve is relatively flatter
- If demand is relatively inelastic
 - We are relatively insensitive to price changes
 - The demand curve is relatively steeper

Graphing Price Elasticity

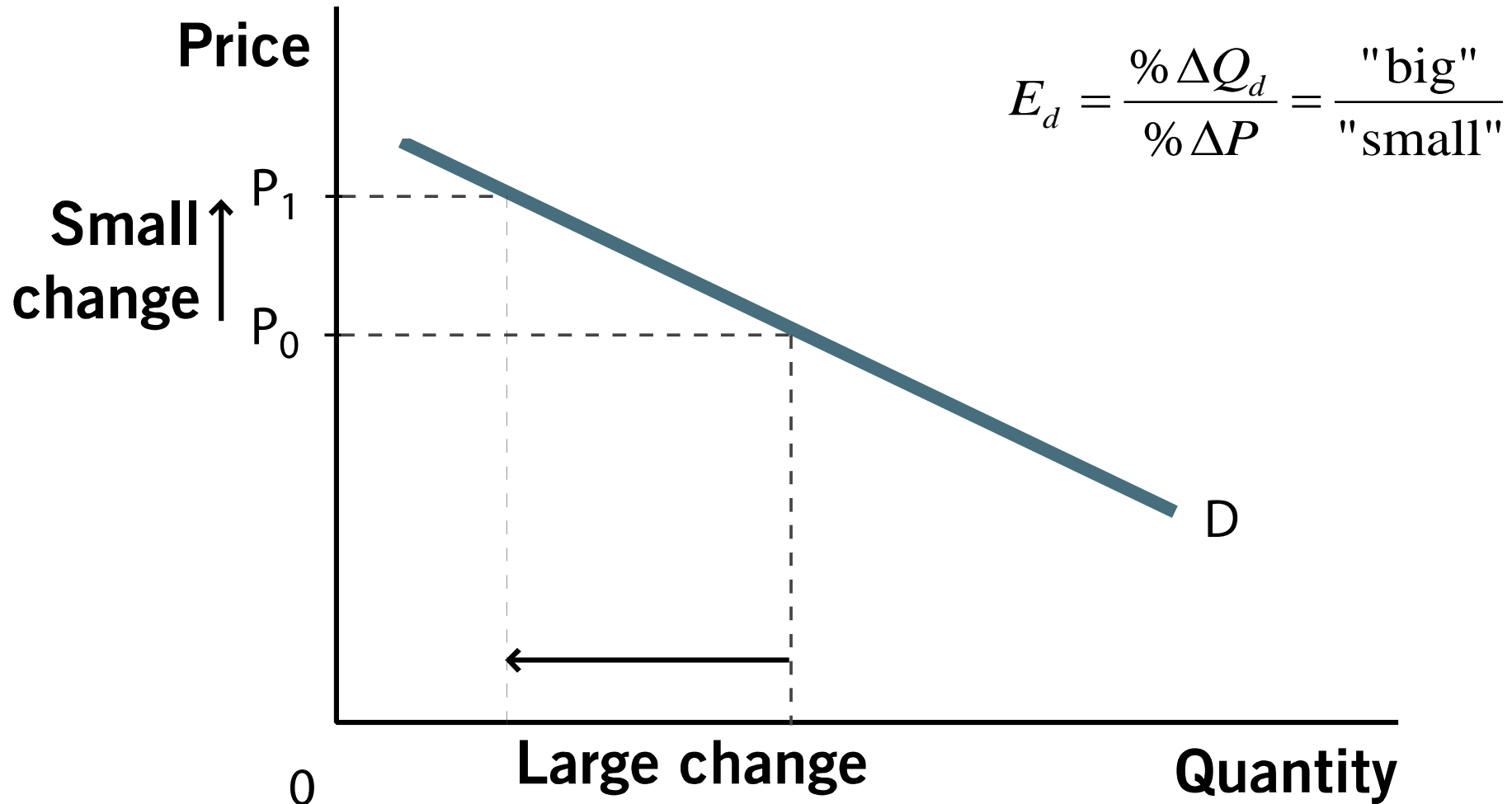


(a) Perfectly Inelastic

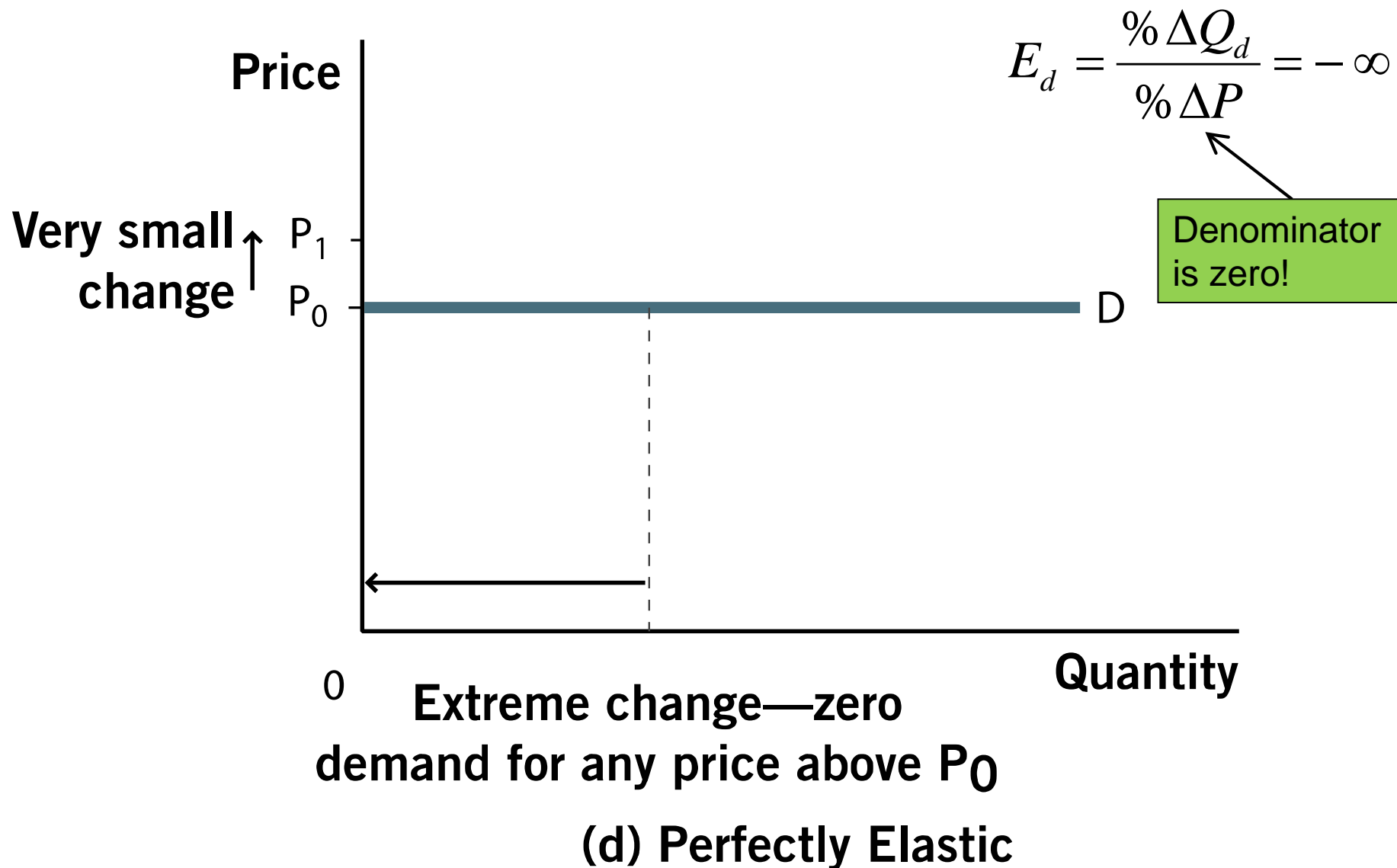
Graphing Price Elasticity



Graphing Price Elasticity



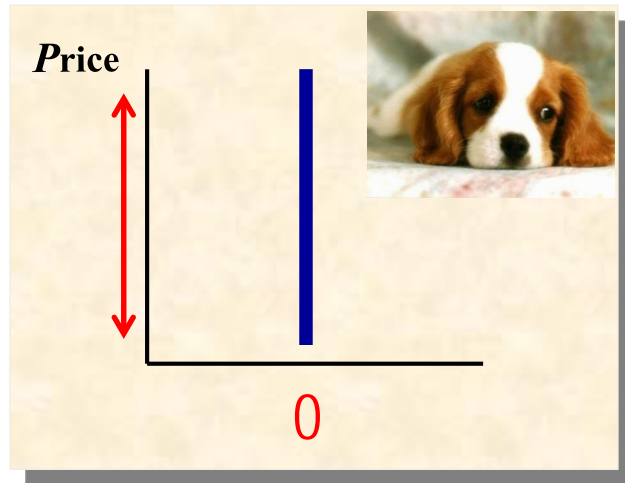
Graphing Price Elasticity



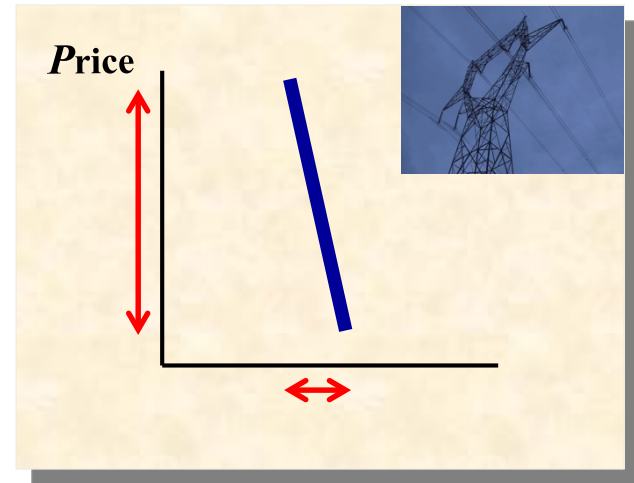
Fast Fact: 70% of pet owners would pay any amount of \$\$ to save their pal's life!

Elasticity of Demand

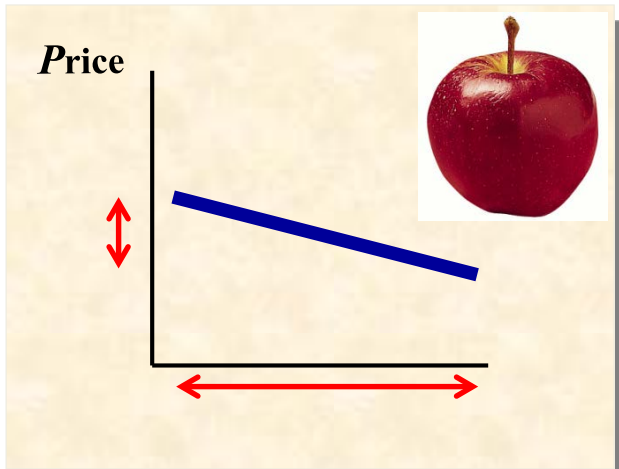
- *Perfectly inelastic*



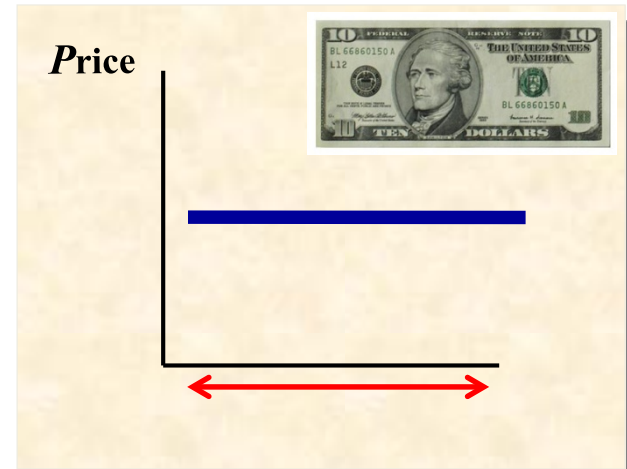
- *Relatively inelastic*



- *Relatively elastic*



- *Perfectly elastic*

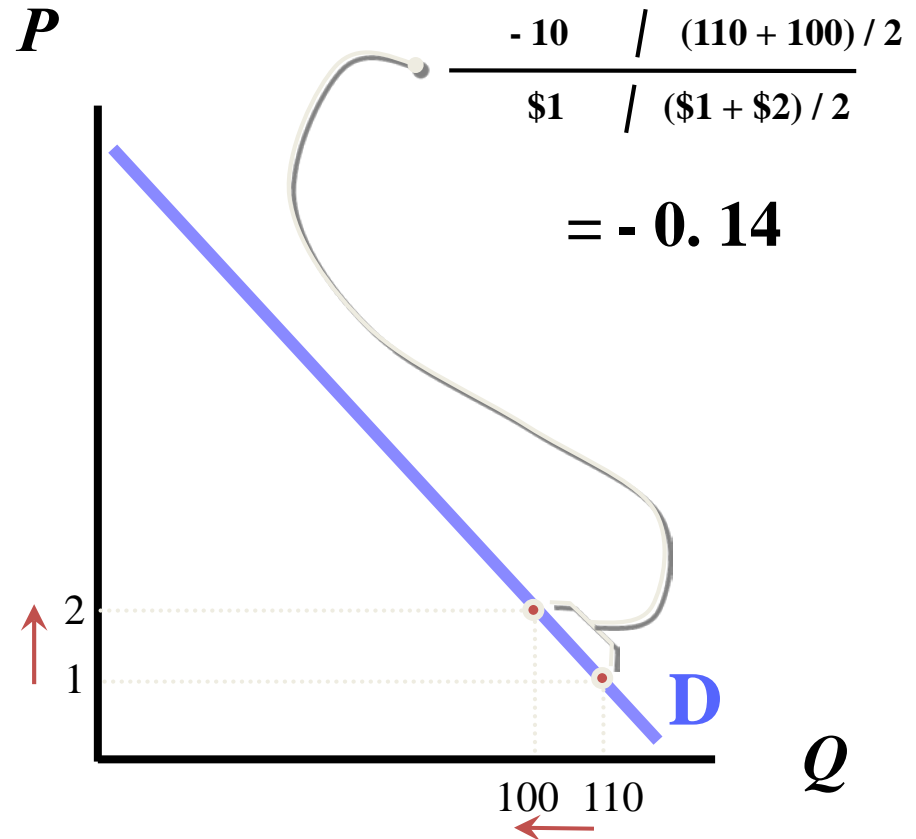


Remembering Elasticity

- Relatively shallow (flat) demand curves are relatively more elastic.
- Relatively steep demand curves are relatively more inelastic.
- Ways to remember:
 - Steep demand curve looks like the letter “I,” so it is “I”nelastic.
 - Steep demand curve has an almost “I”nfinite slope, and is “I”nelastic

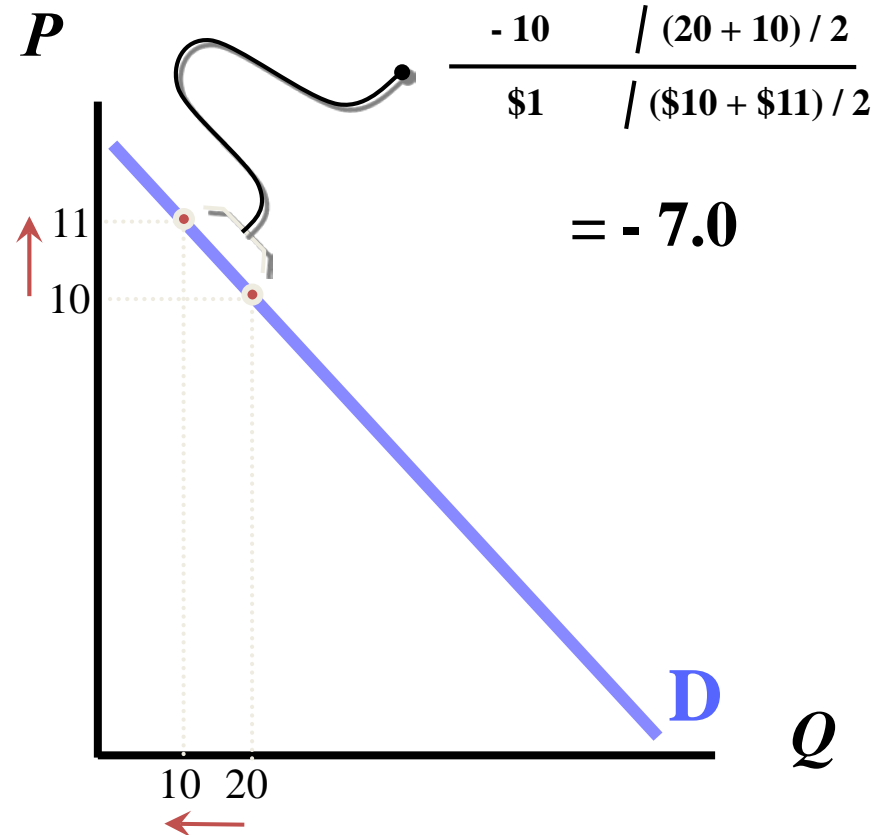
Slope is not = Elasticity

- With this straight-line (constant-slope) demand curve, demand varies across a range of prices.
- Using the equation for elasticity from before, the midpoint formula for elasticity shows that, when price rises from \$1 to \$2 . . . and quantity demanded falls from 110 to 100 . . . the elasticity for that region of the demand curve is (- .14) (**inelastic**)



Slope is not = Elasticity

- A price increase of the same magnitude (but a smaller %) from \$10 to \$11 ... leads to a decline in quantity demanded from 20 to 10. Even though the change in price here was smaller than before (as a %) the same change in quantity demanded occurred.
- Using the same equation to calculate elasticity as before, the elasticity amounts to - 7.0 (greater than - .14 from before).
- Thus the price-elasticity of a straight-line demand curve increases as price rises.



The elasticity coefficient becomes increasingly elastic as you move up along the demand curve!

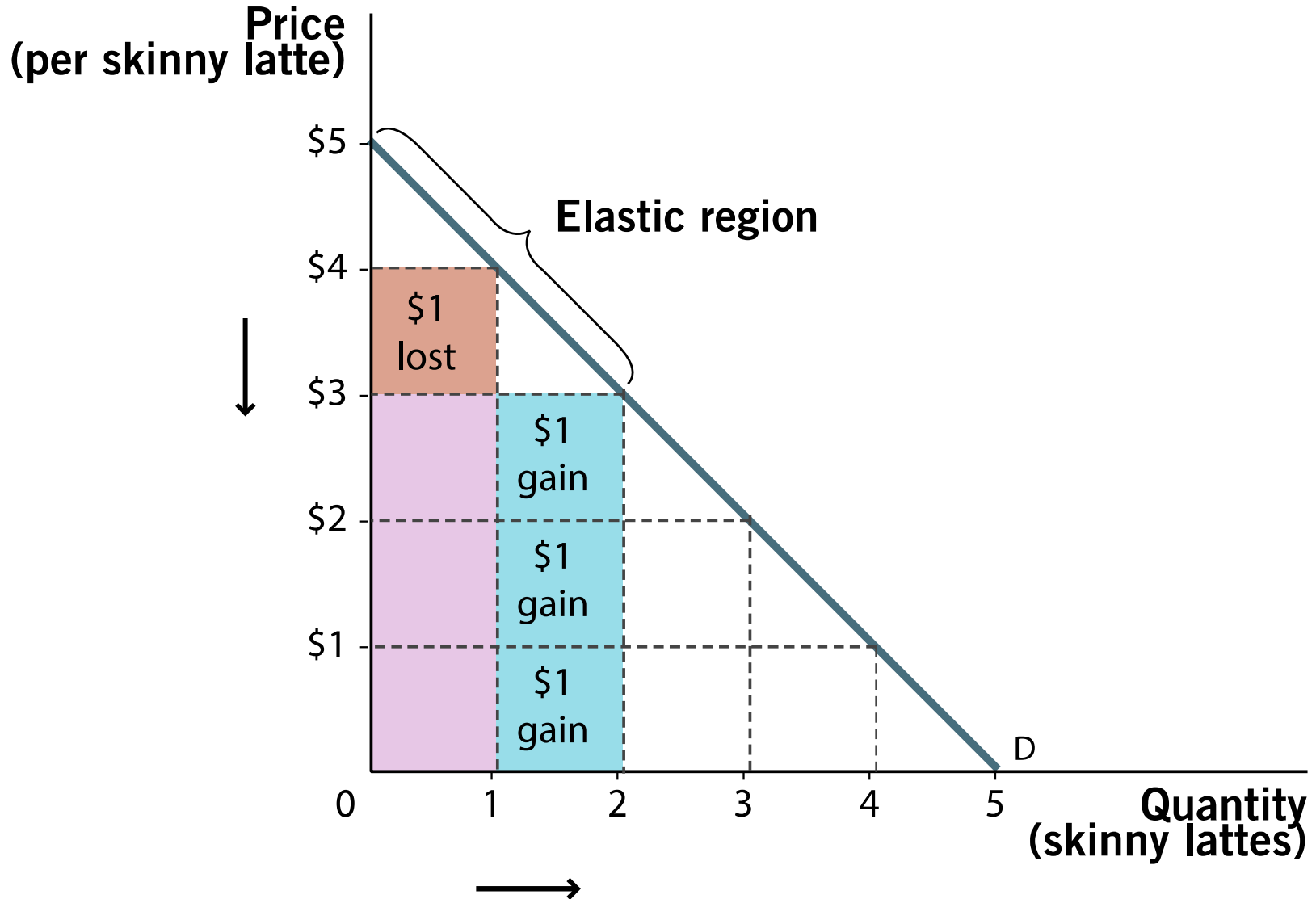
The Relationship Between Elasticity and Revenue

| Price (\$) | Q Lattes | % Change in Price | % Change in Q | Elasticity (Midpoint) | Interpretation |
|------------|----------|-------------------|---------------|-----------------------|----------------------|
| \$5 | 0 | | | | |
| \$4 | 1 | -22 | 200 | -9.1 | Relatively Elastic |
| \$3 | 2 | -29 | 67 | -2.3 | Relatively Elastic |
| \$2 | 3 | -40 | 40 | -1.0 | Unitary |
| \$1 | 4 | -67 | 29 | -0.4 | Relatively Inelastic |
| \$0 | 5 | -200 | 22 | -0.1 | Relatively Inelastic |

Elasticity and Revenue

- The previous table illustrated that:
 - Revenue is related to elasticity.
 - Revenue is maximized at the unit elastic point on the linear demand function.
- Graphically, we can also show trade-offs when a firm changes the price of its good.
 - Increase price
 - Higher price per unit, but sell less units
 - Lower price
 - Lower price per unit, but sell more units

Total Revenue Trade-offs



Total Revenue Trade-offs

