

Workshop 2 Rheology

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Santosh Dasari

Objective

1. Develop MATLAB code to import experimental data, then plot the data and fit a model that most accurately reflects the trend shown by the data to classify the fluid as having: Newtonian, shear thinning, shear thickening, and/or Bingham plastic behavior.
2. Construct a viscosity curve from the shear stress and shear rate data.

Matlab Code

```
% Clear workspace and command window
clear; clc;

% Define the filenames for the datasets
filenames = {'data1.txt', 'data2.txt', 'data3.txt', 'data4.txt'};

% Initialize figure for viscosity curves
figure;

% Loop through each dataset
for i = 1:length(filenames)
    % Import data using readtable
    data = readtable(filenames{i});
    shear_rate = data.Var1;
    shear_stress = data.Var2;

    % Calculate shear stress at 1.5 s-1
    stress_at_1_5 = interp1(shear_rate, shear_stress, 1.5);
    fprintf('Shear stress at 1.5 s-1 for %s: %.4f Pa\n', filenames{i},
stress_at_1_5);

    % Create viscosity curve
    viscosity = shear_stress ./ shear_rate;

    % Create subplot for each dataset
    subplot(2, 2, i);
```

```

semilogx(shear_rate, viscosity, 'o-');
xlabel('Shear Rate (s^{-1})');
ylabel('Viscosity (Pa·s)');
title(sprintf('Viscosity Curve for %s', filenames{i}));

% Open Curve Fitting Tool for each dataset
cftool(shear_rate, shear_stress);
end

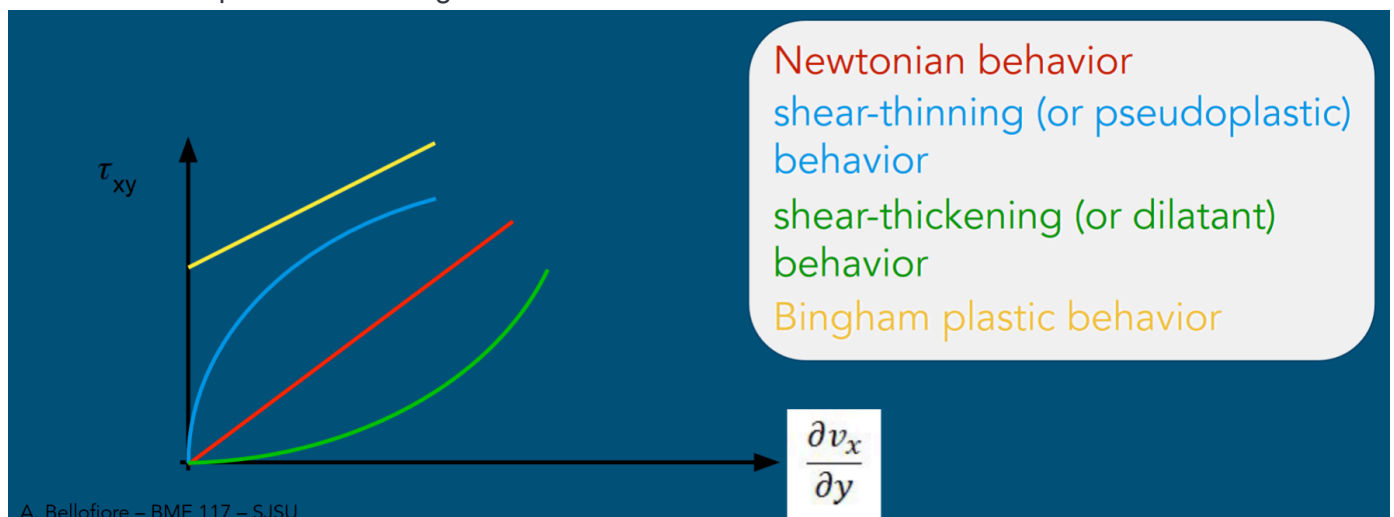
```

What the code does:

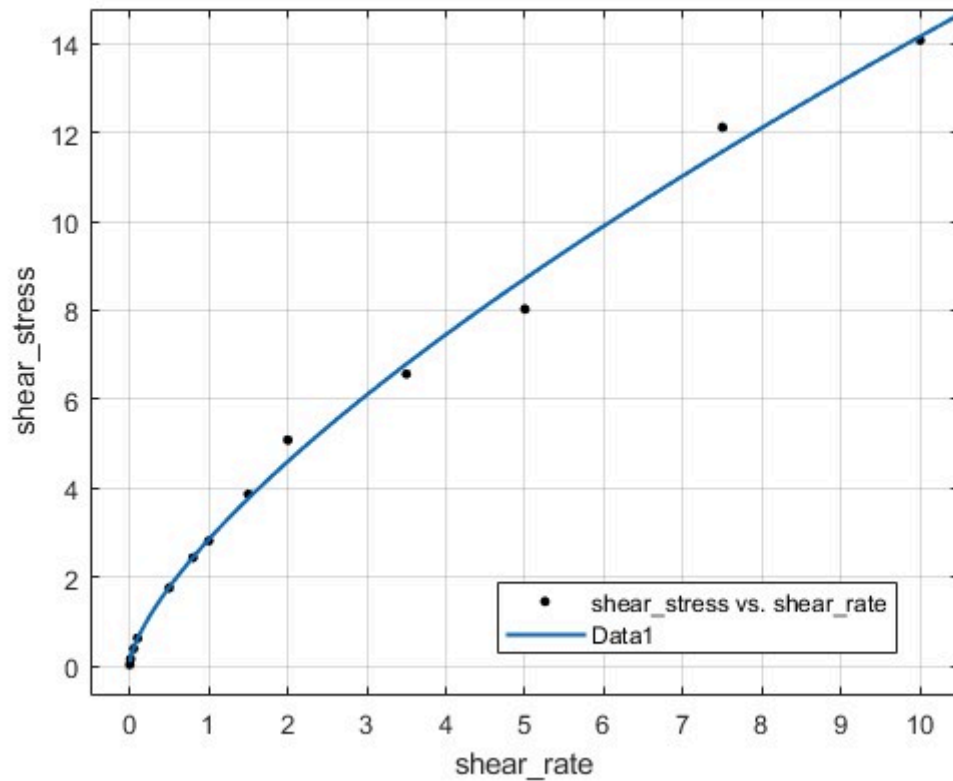
- Defines filenames for the datasets.
- Initializes a figure for plotting viscosity curves.
- Loops through each dataset:
 - Imports data from each file using `readtable`.
 - Extracts shear rate and shear stress columns.
 - Interpolates shear stress at 1.5 s^{-1} and prints the result.
 - Calculates viscosity by dividing shear stress by shear rate.
 - Creates a viscosity curve plot in a subplot.
 - Opens each dataset's MATLAB Curve Fitting Tool (`cftool`).
 - Once the `cftool` is open, I manually selected the best possible fit type to go with the plot made by MATLAB. I also adjusted the order of polynomial and power term value order to get the best possible visual fit.

Results:

Data result compared to the image below from lecture.



Dataset 1



Power Curve Fit (power2)

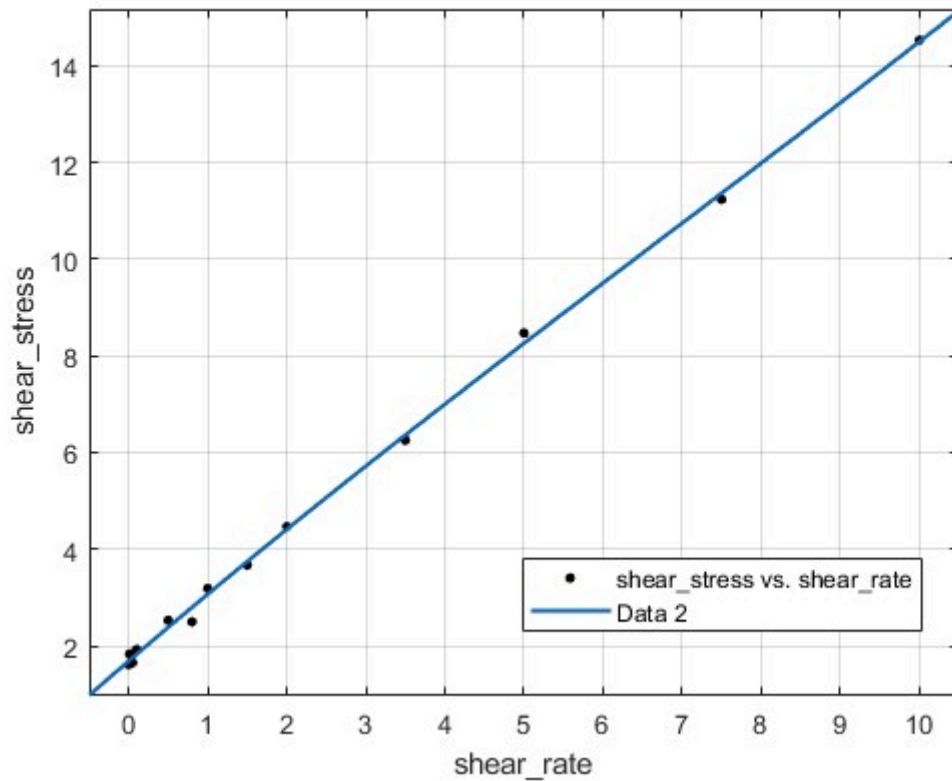
$$f(x) = a \cdot x^b + c$$

Goodness of Fit

	Value
SSE	1.0699
R-square	0.9958
DFE	10.0000
Adj R-sq	0.9949
RMSE	0.3271

Based on the power function fit of the data1, we can see that it follows a **shear-thinning** behavior with the R^2 value of 0.9988.

Dataset 2

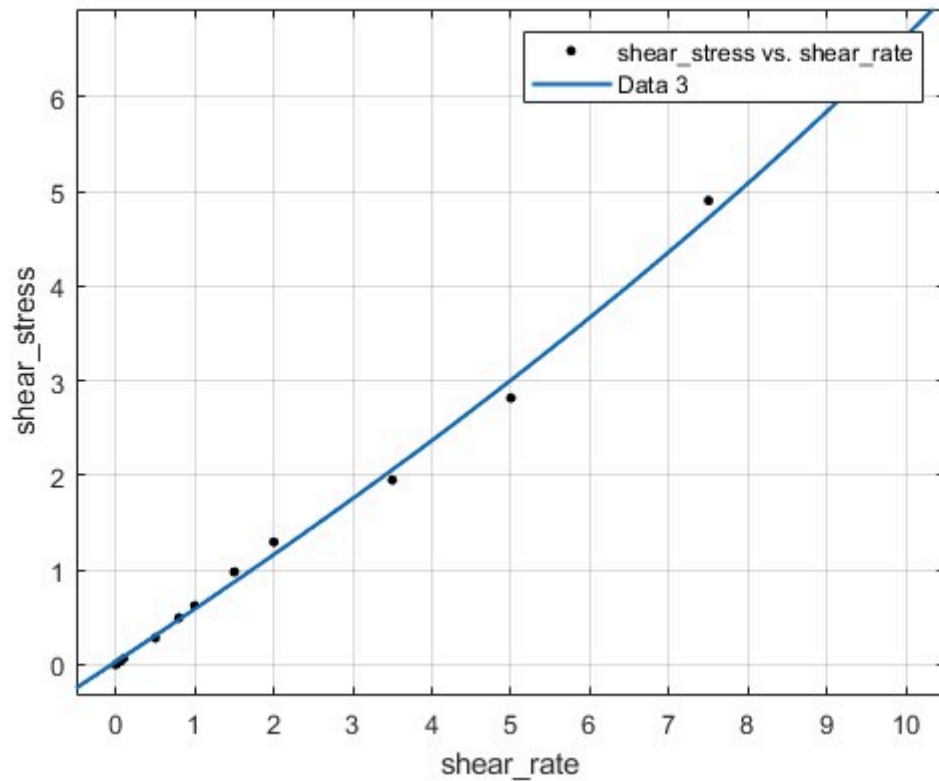


```
Polynomial Curve Fit (poly3)
f(x) = p1*x^3 + p2*x^2 + p3*x + p4
```

```
Goodness of Fit
Value
SSE      0.2489
R-square 0.9988
DFE      9.0000
Adj R-sq 0.9984
RMSE     0.1663
```

Based on the polynomial fit of the data1, we can see that it follows a **Bingham Plastic** behavior with the R^2 value of 0.9988. This is plastic and not Newtonian because the shear stress is at about 2Pa when the strain rate is zero.

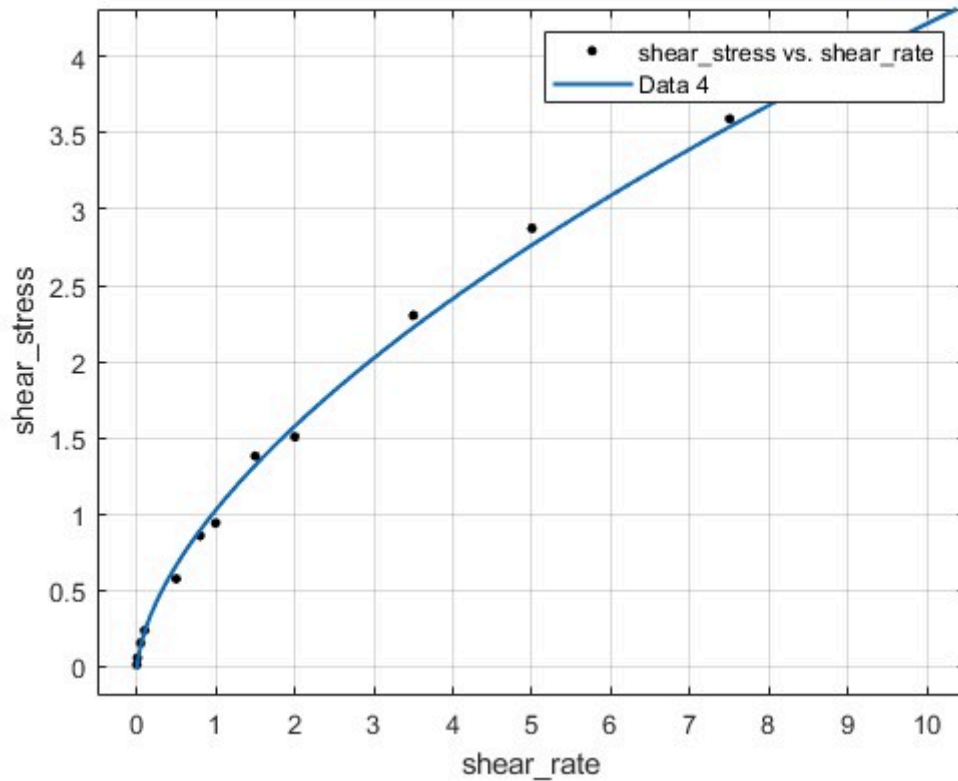
Dataset 3



```
Polynomial Curve Fit (poly3)
f(x) = p1*x^3 + p2*x^2 + p3*x + p4
Goodness of Fit
Value
SSE      0.1161
R-square 0.9978
DFE      9.0000
Adj R-sq 0.9970
RMSE     0.1136
```

Based on the polynomial function fit of the data1, we can see that it follows an inconclusive behavior as the graph is mostly linear(Newtonian) and has shear-thickening behavior at the end. We need more data points—the R^2 value of 0.9978.

Dataset 4



Power Curve Fit (power2)

$f(x) = a \cdot x^b + c$

Goodness of Fit

	Value
SSE	0.0598
R-square	0.9974
DFE	10.0000
Adj R-sq	0.9969
RMSE	0.0773

Based on the polynomial fit of the data1, we can see that it follows a **Shear-Thinning** behavior with the R^2 value of 0.9974.

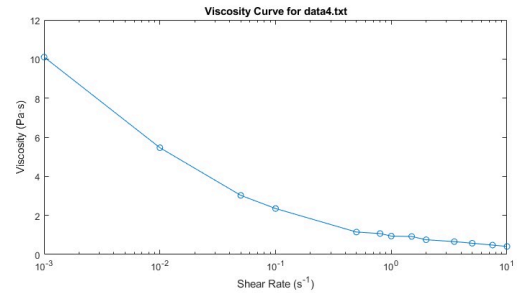
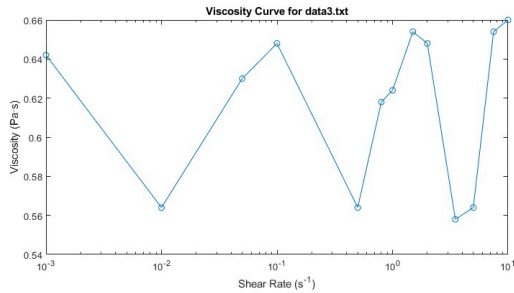
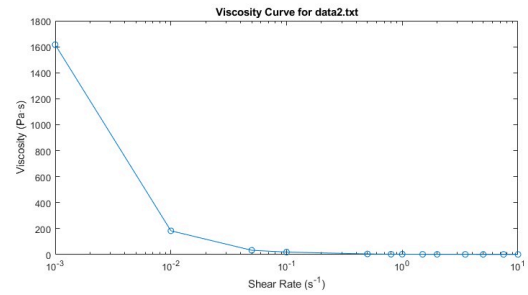
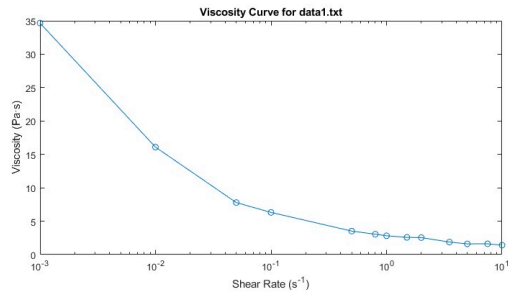
Highest Shear Stress Value

MATLAB Output

```
Shear stress at 1.5 s^-1 for data1.txt: 3.8656 Pa
Shear stress at 1.5 s^-1 for data2.txt: 3.6750 Pa
Shear stress at 1.5 s^-1 for data3.txt: 0.9810 Pa
Shear stress at 1.5 s^-1 for data4.txt: 1.3796 Pa
>>
```

Fluid from data 1 has the Highest Shear stress at 1.5 s^{-1} .

Viscosity VS Shear Rate



Dataset 1: Shear-thinning behavior. The viscosity curve supports this behavior, as shear-thinning fluids display a decrease in viscosity with increasing shear rate, which aligns with the power law model fit.

Dataset 2: Bingham plastic behavior. The viscosity curve for this dataset should reflect a constant viscosity at low shear rates (indicating yield stress) before decreasing, supporting the model.

Dataset 3: This dataset shows inconclusive results, with a mostly linear viscosity curve that aligns with the Newtonian behavior at lower shear rates and slight shear-thickening at higher rates.

Dataset 4: Shear-thinning behavior is again reflected in the viscosity curve as viscosity decreases with increasing shear rate.