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LAB 6.
1. Write a program to implement Simulated Annealing Algorithm
Code:
import mlrose hiive as mlrose
import numpy as np
def queens max(position):
  no attack on j = 0
  queen not attacking = 0
  for i in range(len(position) - 1):
     no attack on j = 0
     for j in range(i + 1, len(position)):
       if (position[i] != position[i]) and (position[i] != position[i] + (i - i)) and
(position[j] != position[i] - (j - i)):
          no attack on i += 1
     if (no attack on j == len(position) - 1 - i):
       queen not attacking += 1
  if (queen not attacking == 7):
     queen not attacking += 1
  return queen not attacking
objective = mlrose.CustomFitness(queens max)
problem = mlrose.DiscreteOpt(length=8, fitness fn=objective, maximize=True,
\max \text{ val}=8)
T = mlrose.ExpDecay()
initial position = np.array([4, 6, 1, 5, 2, 0, 3, 7])
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best position, best objective, fitness curve=
mlrose.simulated annealing(problem=problem, schedule=T,
max attempts=500,init state=initial position)
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print('The best position found is:', best position) print('The number of queens that are not attacking each other is:', best\_objective)

## Output:

 $\rightarrow$  The best position found is: [4 1 7 0 3 6 2 5] The number of queens that are not attacking each other is: 8.0

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2. Tower Of Hanoi
Code:
import mlrose hiive as mlrose
import numpy as np
def hanoi fitness(state):
  correct disks = 0
  destination peg = 2
  for i in range(len(state)):
    if state[i] == destination peg:
       correct disks += 1
     else:
       break
  return correct disks
fitness fn = mlrose.CustomFitness(hanoi fitness)
problem = mlrose.DiscreteOpt(length=3, fitness fn=fitness fn, maximize=True,
max val=3)
schedule = mlrose.ExpDecay()
initial state = np.array([0, 0, 0])
best state, best fitness, fitness curve = mlrose.simulated annealing(problem,
schedule=schedule, max_attempts=1000, init_state=initial_state)
print("Best state (final configuration):", best state)
print("Number of correct disks on destination peg:", best fitness)
def print hanoi solution(state):
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print("\nTower of Hanoi Configuration:")

pegs = {0: [], 1: [], 2: []}

for disk, peg in enumerate(state):
    pegs[peg].append(disk)

for peg in pegs:
    print(f"Peg {peg}: {pegs[peg]}")

print_hanoi_solution(best_state)
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## Output:

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Best state (final configuration): [2 2 2]
Number of correct disks on destination peg: 3.0

Tower of Hanoi Configuration:
Peg 0: []
Peg 1: []
Peg 2: [0, 1, 2]
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