

**VISVESVARAYA TECHNOLOGICAL
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“JnanaSangama”, Belgaum -590014, Karnataka.



**LAB REPORT
on**

Machine Learning (23CS6PCMAL)

Submitted by

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in partial fulfillment for the award of the degree of

**BACHELOR OF ENGINEERING
in
COMPUTER SCIENCE AND ENGINEERING**



**B.M.S. COLLEGE OF ENGINEERING
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Department of Computer Science and Engineering



CERTIFICATE

This is to certify that the Lab work entitled “Machine Learning (23CS6PCMAL)” carried out by **Santosh B (1BM22CS243)**, who is a bonafide student of **B.M.S. College of Engineering**. It is in partial fulfillment for the award of **Bachelor of Engineering in Computer Science and Engineering** of the Visvesvaraya Technological University, Belgaum. The Lab report has been approved as it satisfies the academic requirements in respect of an Machine Learning (23CS6PCMAL) work prescribed for the said degree.

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Github Link:

<https://github.com/Santoshb2004/ML>

Program 1

Write a python program to import and export data using Pandas library functions

Screenshot

→ Method 1

```
import pandas as pd
data = {
    'Name': ['Alice', 'Bob', 'Charlie', 'David'],
    'USN': [1, 2, 3, 4],
    'Marks': [94, 98, 99, 82]
}
df = pd.DataFrame(data)
```

print(df.head())

→ Method 2

```
from sklearn.datasets import load_diabetes
diabetes = load_diabetes()
df = pd.DataFrame(diabetes.data, columns=diabetes.feature_names)
df['target'] = diabetes.target
print(df.head())
```

→ Method 3

```
df = pd.read_csv('/content/sample-data.csv')
df.head()
```

→ Method 4

```
df = pd.read_csv('/content/dataset_of_diabetes.csv')
df.head()
```

```

import yfinance as yf
import pandas as pd
import matplotlib.pyplot as plt
tickers = ['HDFCBANK.NS', 'ICICIBANK.NS',
           'KOTAKBANK.NS']
data = yf.download(tickers, start="2024-01-01",
                   end='2024-12-30', group_by='ticker')
print(data.head())
print("\n shape of the dataset:")
print(data.shape)
print("\n column names:")
print(data.columns)
hdfc_data = data['HDFCBANK.NS']
print('summary')
print(hdfc_data.describe())
hdfc_data['Daily Return'] = hdfc_data['close'].pct_change()

```

```

plt.figure(figsize=(12,6))
plt.subplot(2,1,1)
hdfc_data['close'].plot(title="HDFC - closing price")
plt.subplot(2,1,2)
hdfc_data['Daily Return'].plot(title="HDFC - Daily return", color='orange')
plt.tight_layout()
plt.show()

```

Code:

```

from sklearn.datasets import load_iris
import pandas as pd

iris = load_iris()
df = pd.DataFrame(iris.data, columns=iris.feature_names)
df['target'] = iris.target

```

```

print("sample data: ")
df.head()

# method 1
data = {
    'USN': ['A001', 'A002', 'A003', 'A004'],
    'Name': ['Amar', 'Akbar', 'Anthony', 'Venky'],
    'Marks': [34, 30, 31, 32]
}

df2 = pd.DataFrame(data)
df2

# method 2
from sklearn.datasets import load_diabetes
import pandas as pd

diabetes = load_diabetes()
df = pd.DataFrame(diabetes.data, columns=diabetes.feature_names)
df['target'] = diabetes.target
print("sample data: ")
df.head()
# method 3

# Load data from a CSV file (replace 'data.csv' with your file path)
file_path = '/content/industry.csv' # Ensure the file exists in the same
directory
df2 = pd.read_csv(file_path)
print("Sample data:")
df2.head()

# method 4

file_path = '/content/Dataset of Diabetes .csv'
data3 = pd.read_csv(file_path)
df3 = pd.DataFrame(data3)

df3

#Using the code given in the above slides, do the exercise of the "Stock
Market Data Analysis", considering the following

```

```

# 1. HDFC Bank Ltd. , ICICI Bank Ltd , Kotak Mahindra Bank Ltd.
# tickers = ["HDFCBANK.NS", "ICICIBANK.NS", "KOTAKBANK.NS"]
# 2. Start date: 2024-01-01, End date: 2024-12-30

import yfinance as yf
import pandas as pd
import matplotlib.pyplot as plt
tickers = ["HDFCBANK.NS", "ICICIBANK.NS", "KOTAKBANK.NS"]
data = yf.download(tickers, start="2024-01-01", end="2024-12-30",
group_by='ticker')
print("First 5 rows of the dataset:")
data.head()

print("\nShape of the dataset:")
print(data.shape)
print("\nColumn names:")
print(data.columns)
hdfc_data = data['HDFCBANK.NS']
print("\nSummary statistics for Reliance Industries:")
print(hdfc_data.describe())
hdfc_data['Daily Return'] = hdfc_data['Close'].pct_change()

# icici bank
icici_data = data['ICICIBANK.NS']
print(hdfc_data.describe())
icici_data['Daily Return'] = icici_data['Close'].pct_change()

# Kotak bank
kotak_data = data['KOTAKBANK.NS']
print(hdfc_data.describe())
kotak_data['Daily Return'] = kotak_data['Close'].pct_change()

plt.figure(figsize=(12, 6))
plt.subplot(2, 1, 1)
hdfc_data['Close'].plot(title="HDFC bank - Closing Price")
plt.subplot(2, 1, 2)
hdfc_data['Daily Return'].plot(title="HDFC bank - Daily Returns",
color='orange')
plt.tight_layout()
plt.show()

```

```
plt.figure(figsize=(12, 6))
plt.subplot(2, 1, 1)
icici_data['Close'].plot(title="ICICI bank - Closing Price")
plt.subplot(2, 1, 2)
icici_data['Daily Return'].plot(title="ICICI bank - Daily Returns",
color='orange')
plt.tight_layout()
plt.show()

plt.figure(figsize=(12, 6))
plt.subplot(2, 1, 1)
kotak_data['Close'].plot(title="KOTAK bank - Closing Price")
plt.subplot(2, 1, 2)
kotak_data['Daily Return'].plot(title="KOTAK bank - Daily Returns",
color='orange')
plt.tight_layout()
plt.show()

# Save the Reliance data to a CSV file

hdfc_data.to_csv('hdfc_stock_data.csv')
icici_data.to_csv('icici_stock_data.csv')
kotak_data.to_csv('kotak_stock_data.csv')
```

Program 2

Demonstrate various data pre-processing techniques for a given dataset

Screenshot

The image shows handwritten notes on a lined notebook page. At the top, it says "hab-1". Below that, there is a list of Python code snippets:

- i) import pandas as pd
- ii) df = pd.read_csv("housing.csv")
- iii) df.info()
- iv) df['Ocean Proximity'].value_counts()
- v) mis_val = df.isnull().sum()
val = mis_val[mis_val > 0]
print(val)

Below this, there is a section for the "Diabetes" dataset:

```
import pandas as pd  
import numpy as np  
from sklearn.preprocessing import MinMaxScaler,  
StandardScaler  
from sklearn.impute import SimpleImputer  
from sklearn.preprocessing import LabelEncoder  
df = pd.read_csv('~/content/Dataset of PimaIndians.csv')
```

Further down, more code is shown:

```
print(df.head(5))  
print(df.isnull().sum())  
nc = df.select_dtypes(include=[np.float64, np.int64])  
inputters = SimpleImputer(strategy='mean')  
df[nc] = inputters.fit_transform(df[nc])  
cat_c = df.select_dtypes(include=[np.object]).columns
```

inputer_cat = SimpleImputer(strategy='most-frequent')
df['cat-c'] = inputer_cat.fit_transform(df['cat-c'])

handling categorical data

label_encoder = LabelEncoder()

df['gender'] = label_encoder.fit_transform(df['gender'])
df['clan'] = label_encoder.fit_transform(df['clan'])

Q1 = df['num-columns'].quantile(0.25)

Q3 = df['num-columns'].quantile(0.75)

IQR = Q3 - Q1

df_clean = df[(df['nc'] < (Q1 + 1.5 * IQR)) |
(df['nc'] > (Q3 + 1.5 * IQR))]

scaler_choice = 'minmax'

scaler = MinMaxScaler()

df_scaled = pd.DataFrame(scaler.fit_transform(df_clean[['nc']]), columns=['nc'])

df_final = pd.concat([df_clean['cat-c'], df_scaled], axis=1)

1. No columns

2. Gender and class

3. min-max scaling

if fixed range for feature bounded range
no outliers

Standard scalar

Outliers exist

normal distributed way

code:

```
# -*- coding: utf-8 -*-
```

```
"""LAB-1.ipynb
```

Automatically generated by Colab.

Original file is located at

```

https://colab.research.google.com/drive/1LFiPSjr6wkzvYXycyOlrEerHW0HtTTl2
"""

import pandas as pd
import numpy as np
import matplotlib.pyplot as plt
from sklearn.model_selection import train_test_split
from sklearn.impute import SimpleImputer
from sklearn.preprocessing import OrdinalEncoder, OneHotEncoder
from sklearn.preprocessing import StandardScaler, MinMaxScaler
from scipy import stats

def createdata():
    data = {
        'Age': np.random.randint(18, 70, size=20),
        'Salary': np.random.randint(30000, 120000, size=20),
        'Purchased': np.random.choice([0, 1], size=20),
        'Gender': np.random.choice(['Male', 'Female'], size=20),
        'City': np.random.choice(['New York', 'San Francisco', 'Los Angeles'],
size=20)
    }

    df = pd.DataFrame(data)
    return df

df = createdata()
df.head(10)

df.shape

# Introduce some missing values for demonstration
df.loc[5, 'Age'] = np.nan
df.loc[10, 'Salary'] = np.nan
df.head(10)

# Basic information about the dataset
print(df.info())

# Summary statistics
print(df.describe())

```

```

#Code to Find Missing Values
# Check for missing values in each column
missing_values = df.isnull().sum()

# Display columns with missing values
print(missing_values[missing_values > 0])

#Set the values to some value (zero, the mean, the median, etc.).
# Step 1: Create an instance of SimpleImputer with the median strategy for
Age and mean stratergy for Salary
imputer1 = SimpleImputer(strategy="median")
imputer2 = SimpleImputer(strategy="mean")

df_copy=df

# Step 2: Fit the imputer on the "Age" and "Salary"column
# Note: SimpleImputer expects a 2D array, so we reshape the column
imputer1.fit(df_copy[["Age"]])
imputer2.fit(df_copy[["Salary"]])

# Step 3: Transform (fill) the missing values in the "Age" and "Salary"column
df_copy["Age"] = imputer1.transform(df[["Age"]])
df_copy["Salary"] = imputer2.transform(df[["Salary"]])

# Verify that there are no missing values left
print(df_copy["Age"].isnull().sum())
print(df_copy["Salary"].isnull().sum())

#Handling Categorical Attributes
#Using Ordinal Encoding for gender Column and One-Hot Encoding for City
Column# Initialize OrdinalEncoder
ordinal_encoder = OrdinalEncoder(categories=[["Male", "Female"]])
# Fit and transform the data
df_copy["Gender_Encoded"] =
ordinal_encoder.fit_transform(df_copy[["Gender"]])

# Initialize OneHotEncoder
onehot_encoder = OneHotEncoder()

# Fit and transform the "City" column

```

```

encoded_data = onehot_encoder.fit_transform(df[["City"]])

# Convert the sparse matrix to a dense array
encoded_array = encoded_data.toarray()

# Convert to DataFrame for better visualization
encoded_df = pd.DataFrame(encoded_array,
columns=onehot_encoder.get_feature_names_out(["City"]))
df_encoded = pd.concat([df_copy, encoded_df], axis=1)

df_encoded.drop("Gender", axis=1, inplace=True)
df_encoded.drop("City", axis=1, inplace=True)

df_encoded.head()

#Data Transformation
# Min-Max Scaler/Normalization (range 0-1)
#Pros: Keeps all data between 0 and 1; ideal for distance-based models.
#Cons: Can distort data distribution, especially with extreme outliers.
normalizer = MinMaxScaler()
df_encoded[['Salary']] = normalizer.fit_transform(df_encoded[['Salary']])
df_encoded.head()

# Standardization (mean=0, variance=1)
#Pros: Works well for normally distributed data; suitable for many models.
#Cons: Sensitive to outliers.
scaler = StandardScaler()
df_encoded[['Age']] = scaler.fit_transform(df_encoded[['Age']])
df_encoded.head()

#Removing Outliers
# Outlier Detection and Treatment using IQR.
#Pros: Simple and effective for mild outliers.
#Cons: May overly reduce variation if there are many extreme outliers.
df_encoded_copy1=df_encoded
df_encoded_copy2=df_encoded
df_encoded_copy3=df_encoded

Q1 = df_encoded_copy1['Salary'].quantile(0.25)
Q3 = df_encoded_copy1['Salary'].quantile(0.75)
IQR = Q3 - Q1

```

```

lower_bound = Q1 - 1.5 * IQR
upper_bound = Q3 + 1.5 * IQR
df_encoded_copy1['Salary'] = np.where(df_encoded_copy1['Salary'] >
upper_bound, upper_bound,
np.where(df_encoded_copy1['Salary'] < lower_bound,
lower_bound, df_encoded_copy1['Salary']))

df_encoded_copy1.head()

#Removing Outliers
# Z-score method
#Pros: Good for normally distributed data.
#Cons: Not suitable for non-normal data; may miss outliers in skewed
distributions.

df_encoded_copy2['Salary_zscore'] = stats.zscore(df_encoded_copy2['Salary'])
df_encoded_copy2['Salary'] = np.where(df_encoded_copy2['Salary_zscore'].abs() > 3, np.nan, df_encoded_copy2['Salary']) # Replace outliers with NaN
df_encoded_copy2.head()

#Removing Outliers
# Median replacement for outliers
#Pros: Keeps distribution shape intact, useful when capping isn't feasible.
#Cons: May distort data if outliers represent real phenomena.
df_encoded_copy3['Salary_zscore'] = stats.zscore(df_encoded_copy3['Salary'])
median_salary = df_encoded_copy3['Salary'].median()
df_encoded_copy3['Salary'] = np.where(df_encoded_copy3['Salary_zscore'].abs() > 3, median_salary, df_encoded_copy3['Salary'])
df_encoded_copy3.head()

'''

At the start of the Lab, in the Observation book, Write python code for the following considering filename as "housing.csv"
i. To load .csv file into the data frame
ii. To display information of all columns
iii. To display statistical information of all numerical
iv. To display the count of unique labels for "Ocean Proximity" column
v. To display which attributes (columns) in a dataset have missing values count greater than zero
Step-2: Show the observation book to lab batch faculty incharge.
Step-3: Do the "To Do" tasks given in the PPT

```

```

Step-4: At the end of the lab,
i. Write the answers for questions given in the PPT and show it to lab batch
faculty incharge
ii. Should upload the code in your respective GitHub account.
File name format:yourUSN_Lab-1-DataProcessing.ipynb
'''

filename = "/content/housing (1).csv"
df = pd.read_csv(filename)

print("Dataset Information:")
print(df.info())

print("\nStatistical Summary of Numerical Columns:")
print(df.describe())

if "ocean_proximity" in df.columns:
    print("\nUnique Value Counts for 'Ocean Proximity':")
    print(df["ocean_proximity"].value_counts())
else:
    print("\n'Ocean Proximity' column not found in the dataset.")

missing_values = df.isnull().sum()
missing_columns = missing_values[missing_values > 0]

if not missing_columns.empty:
    print("\nColumns with Missing Values:")
    print(missing_columns)
else:
    print("\nNo missing values found in the dataset.")

data2 = pd.read_csv("/content/Dataset_with_Nulls.csv")
data2.head()

data2.info()

import pandas as pd
import numpy as np
import matplotlib.pyplot as plt
from sklearn.model_selection import train_test_split
from sklearn.impute import SimpleImputer

```

```

from sklearn.preprocessing import OrdinalEncoder, OneHotEncoder,
StandardScaler, MinMaxScaler
from scipy import stats

# Load dataset
file_path = "/content/Dataset_with_Nulls.csv"
df = pd.read_csv(file_path)

### Step 1: Handling Missing Values ####
# Identify missing values
print("Missing values before handling:\n", df.isnull().sum())

# Handling missing numerical columns - Median for 'Age', Mean for other
numerical values
num_imputer_median = SimpleImputer(strategy="median")
num_imputer_mean = SimpleImputer(strategy="mean")

df["AGE"] = num_imputer_median.fit_transform(df[["AGE"]])
for col in ["Urea", "Cr", "HbA1c", "Chol", "TG", "HDL", "LDL", "VLDL",
"BMI"]:
    df[col] = num_imputer_mean.fit_transform(df[[col]])

# Convert categorical columns to string type
df["Gender"] = df["Gender"].astype(str)
df["CLASS"] = df["CLASS"].astype(str)

# Handling missing categorical columns - Fill with Mode
cat_imputer = SimpleImputer(strategy="most_frequent")

df["Gender"] = cat_imputer.fit_transform(df[["Gender"]]).ravel()
df["CLASS"] = cat_imputer.fit_transform(df[["CLASS"]]).ravel()

print("Missing values after handling:\n", df.isnull().sum())

### Step 2: Handling Categorical Attributes ####
# Encode 'Gender' using Ordinal Encoding (Male = 0, Female = 1)
ordinal_encoder = OrdinalEncoder(categories=[["Male", "Female"]])
df['Gender'] = df['Gender'].replace({'F': 'Female', 'f': 'Female', 'M':
'Male'}) # Handle variations
# Replace NaN with Mode (most frequent) for Gender
df['Gender'] = df['Gender'].fillna(df['Gender'].mode()[0]) # Fill na with

```

```

mode if any

# Now apply ordinal encoding
ordinal_encoder = OrdinalEncoder(categories=[["Male", "Female"]])
# One-Hot Encoding for 'CLASS'
onehot_encoder = OneHotEncoder(sparse_output=False)
class_encoded = onehot_encoder.fit_transform(df[["CLASS"]])

# Convert to DataFrame
class_encoded_df = pd.DataFrame(class_encoded,
columns=onehot_encoder.get_feature_names_out(["CLASS"]))

# Merge One-Hot Encoded Data and drop original categorical columns
df = pd.concat([df, class_encoded_df], axis=1)
df.drop(["Gender", "CLASS"], axis=1, inplace=True)

### Step 3: Data Transformation ###
# Min-Max Scaling for Salary
minmax_scaler = MinMaxScaler()
df[["Urea", "Cr", "HbA1c", "Chol", "TG", "HDL", "LDL", "VLDL", "BMI"]] =
minmax_scaler.fit_transform(
    df[["Urea", "Cr", "HbA1c", "Chol", "TG", "HDL", "LDL", "VLDL", "BMI"]]
)

# Standardization for Age
standard_scaler = StandardScaler()
df[["AGE"]] = standard_scaler.fit_transform(df[["AGE"]])

### Step 4: Removing Outliers ###
# IQR Method for 'Salary' (Replacing Outliers with Boundaries)
for col in ["Urea", "Cr", "HbA1c", "Chol", "TG", "HDL", "LDL", "VLDL",
"BMI"]:
    Q1 = df[col].quantile(0.25)
    Q3 = df[col].quantile(0.75)
    IQR = Q3 - Q1
    lower_bound = Q1 - 1.5 * IQR
    upper_bound = Q3 + 1.5 * IQR
    df[col] = np.where(df[col] > upper_bound, upper_bound, np.where(df[col] <
lower_bound, lower_bound, df[col]))

# Z-score method for 'AGE' (Replacing Outliers with NaN)

```

```
df["AGE_zscore"] = stats.zscore(df["AGE"])
df["AGE"] = np.where(df["AGE_zscore"].abs() > 3, np.nan, df["AGE"])

# Median Replacement for Outliers in 'AGE'
median_age = df["AGE"].median()
df["AGE"] = np.where(df["AGE"].isnull(), median_age, df["AGE"])

# Drop auxiliary columns
df.drop(columns=["AGE_zscore"], inplace=True)

df

print("Preprocessing Complete. Cleaned dataset saved!")
```

Program 3

Implement Linear and Multi-Linear Regression algorithm using appropriate dataset

Screenshot

19/3/25 Lab-3 Date _____
Page _____

```
# Linear regression.
import numpy as np
import matplotlib.pyplot as plt

X = np.array([1, 2, 2, 4, 5])
Y = np.array([1.2, 1.8, 2.6, 3.2, 3.8])

X_b = np.c_[np.ones((X.shape[0], 1)), X]
# bias term (intercept), b0

# coeffs (intercept & slope)
theta = np.linalg.inv(X_b.T.dot(X_b)).dot(X_b.T.dot(Y))

intercept, slope = theta
print(f"Intercept({theta[0]}): {intercept}")
print(f"Slope({theta[1]}): {slope}")

x_input = float(input("Enter a value of x to predict y: "))
x_input_b = np.array([1, x_input])
# Add 1 to bias term

y_pred = x_input_b.dot(theta)

print(f"Predicted y for x={x_input}: {y_pred}")

plt.scatter(X, Y, color='blue', label='Data Points')
plt.plot(X, X_b.dot(theta), color='red', label='Regression Line')
plt.xlabel('x')
plt.ylabel('y')
```

```

plt.title('Linear Regression - Model Fit')
plt.legend()
plt.show()

```

O/P:

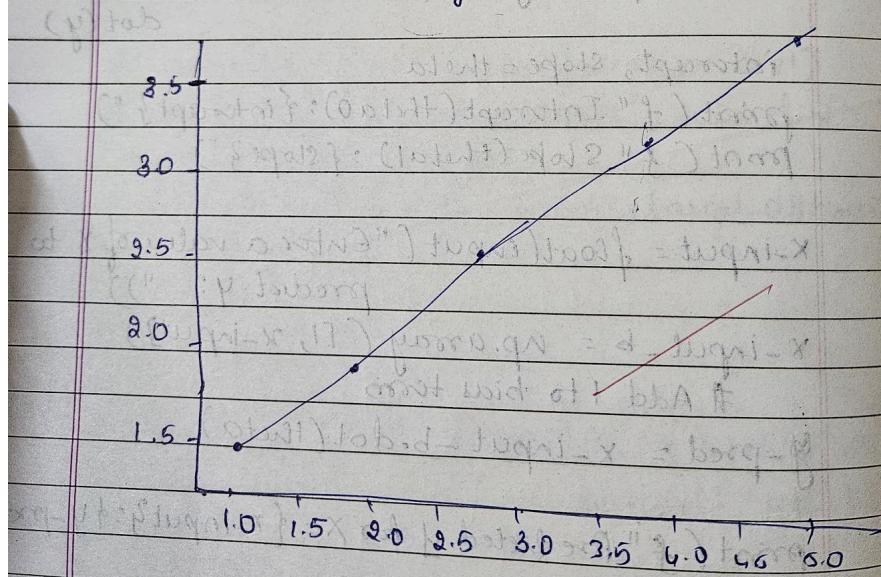
$$\text{Intercept } (\hat{\theta}_0) = 0.5400$$

$$\text{Slope } (\hat{\theta}_1) = 0.6600$$

Enter a value for x to predict y = ?

$$\text{Predicted } y \text{ for } x=7.0 = 5.1600$$

Linear Regression - Model Fit



code:

```

import numpy as np
import matplotlib.pyplot as plt

def estimate_coef(x, y):
    # number of observations/points
    n = np.size(x)

```

```

# mean of x and y vector
m_x = np.mean(x)
m_y = np.mean(y)

# calculating cross-deviation and deviation about x
SS_xy = np.sum((x - m_x) * (y - m_y))
SS_xx = np.sum((x - m_x) ** 2)

# calculating regression coefficients
b_1 = SS_xy / SS_xx
b_0 = m_y - b_1 * m_x

return (b_0, b_1)

def plot_regression_line(x, y, b):
    # plotting the actual points as scatter plot
    plt.scatter(x, y, color="m", marker="o", s=30)

    # predicted response vector
    y_pred = b[0] + b[1] * x

    # plotting the regression line
    plt.plot(x, y_pred, color="g")

    # putting labels
    plt.xlabel('x')
    plt.ylabel('y')
    plt.title("Linear Regression")
    plt.show()

x = np.array([0, 1, 2, 3, 4, 5, 6, 7, 8, 9])
y = np.array([1, 3, 2, 5, 7, 8, 8, 9, 10, 12])

# estimating coefficients
b = estimate_coef(x, y)
print(f"Estimated coefficients:\nb_0 = {b[0]} \nb_1 = {b[1]}")

# plot regression line
plot_regression_line(x, y, b)

```

```

import numpy as np
import pandas as pd
import matplotlib.pyplot as plt

def estimate_coef(x, y):
    n = np.size(x)
    m_x = np.mean(x)
    m_y = np.mean(y)
    SS_xy = np.sum((x - m_x) * (y - m_y))
    SS_xx = np.sum((x - m_x) ** 2)
    b_1 = SS_xy / SS_xx
    b_0 = m_y - b_1 * m_x
    return (b_0, b_1)

def plot_regression_line(x, y, b):
    plt.scatter(x, y, color="m", marker="o", s=30)
    y_pred = b[0] + b[1] * x
    plt.plot(x, y_pred, color="g")
    plt.xlabel('x')
    plt.ylabel('y')
    plt.title("Linear Regression")
    plt.show()

# Load dataset
file_path = input("Enter the path to the CSV file: ")
df = pd.read_csv(file_path)

# Assuming the dataset has two numerical columns: 'x' and 'y'
x = df.iloc[:, 0].values # First column as x
y = df.iloc[:, 1].values # Second column as y

b = estimate_coef(x, y)
print(f"Estimated coefficients:\nb_0 = {b[0]} \nb_1 = {b[1]}")
plot_regression_line(x, y, b)

```

Program 4

Build Logistic Regression Model for a given dataset

Screenshot

Lab - 4

Logistic Regression

(1) Binary classification: $a_0 = -5$ (intercept) and $a_1 = 0.8$ (coeff for study hours)

$$\hat{y} = 0.8 + (-5)x \quad x \in \mathbb{R} \rightarrow \frac{1}{1+e^{-\hat{y}}}$$

$$\hat{y} = -5 + (0.8)(x) \quad 1 + e^{-\hat{y}}$$

(b) $\hat{y} = 4$, $\hat{y} = -5 + (0.8)(4)$
 $\hat{y} = -5 + 5.6 = 0.6$

$$P(Y) = \frac{1}{1+e^{0.6}} = 0.64 \quad (\text{Probability})$$

threshold = 0.5 $\therefore 0.64 > 0.5$

(2) Multiclass classification:

$$\hat{y} = [2, 1, 0]$$

$$P_2 = \frac{e^2}{e^2 + e^1 + e^0} = 0.66$$

$$P_1 = \frac{e^1}{e^2 + e^1 + e^0} = 0.244$$

$$P_0 = \frac{e^0}{e^2 + e^1 + e^0} = 0.090$$

code:

```
import numpy as np
import matplotlib.pyplot as plt
```

```

def sigmoid(z):
    return 1 / (1 + np.exp(-z))

def compute_cost(X, y, theta):
    m = len(y)
    h = sigmoid(X @ theta)
    cost = (-1/m) * np.sum(y * np.log(h) + (1 - y) * np.log(1 - h))
    return cost

def gradient_descent(X, y, theta, alpha, iterations):
    m = len(y)
    cost_history = []

    for _ in range(iterations):
        gradient = (1/m) * X.T @ (sigmoid(X @ theta) - y)
        theta -= alpha * gradient
        cost_history.append(compute_cost(X, y, theta))

    return theta, cost_history

def predict(X, theta):
    return (sigmoid(X @ theta) >= 0.5).astype(int)

# Generate synthetic binary classification data
np.random.seed(42)
X = np.random.rand(100, 1) * 10 # Feature values between 0 and 10
y = (X > 5).astype(int).ravel() # Label: 1 if X > 5, else 0

# Add intercept term
X_b = np.c_[np.ones((X.shape[0], 1)), X]

# Initialize parameters
theta = np.zeros(X_b.shape[1])
alpha = 0.1
iterations = 1000

# Train logistic regression using gradient descent
theta, cost_history = gradient_descent(X_b, y, theta, alpha, iterations)

# Make predictions
y_pred = predict(X_b, theta)

```

```
# Compute accuracy
accuracy = np.mean(y_pred == y)
print(f"Accuracy: {accuracy:.2f}")

# Plot the decision boundary
plt.scatter(X, y, color='blue', label='Actual Data')
plt.scatter(X, y_pred, color='red', marker='x', label='Predicted Labels')
plt.xlabel("Feature X")
plt.ylabel("Class (0 or 1)")
plt.legend()
plt.title("Logistic Regression Model (Without Scikit-learn)")
plt.show()
```

Program 5

Use an appropriate data set for building the decision tree (ID3) and apply this knowledge to classify a new sample

Screenshot

The image shows handwritten code for the ID3 algorithm in a notebook. The code is organized into sections:

- Imports:
 - import numpy as np
 - import matplotlib.pyplot as plt
 - import pandas as pd
 - import math
 - import copy
- Dataset loading:

```
dataset = pd.read_csv('/content/tennis.csv')
x = dataset.iloc[:, :].values
```
- Print statement:

```
print(x)
```
- Dataset variable:

```
dataset
```
- Attribute selection:

```
attribute = ['outlook', 'Temp', 'Humidity', 'wind']
```
- Class definition:

```
class Node(object):
```

 - Initialization:

```
def __init__(self):
```

 - self.value = selfNone
 - self.decision = None
 - self.child = None
- Method definition:~~```
def findEntropy(data, rows):
```~~
- Variables:

```
yes = 0
no = 0
ans = -1
```
- Index:

```
ind = len(data[0]) - 1
```
- Entropy calculation:

```
entropy = 0
for i in rows:
```
- Decision logic:

```
if data[i][ind] == 'yes':
 yes += 1
else:
```

```

for key in mydict:
 yes = 0
 no = 0
92-(4))
 for k in rows:
 if data[k][j] == key:
 if data[k-1] == 'yes':
 yes += 1
 else:
 no += 1
 x = yes / (yes + no)
 y = no / (yes + no)
 if x != 0 and y != 0:
 gain += (mydict[key] * (x * math.log2(x) +
 y * math.log2(y))) / 14
 if gain > maxGain:
 maxGain = gain
 idx = j
return maxGain, idx, ans.

def buildTree(data, rows, columns):
 maxGain, idx, ans = findMaxGain(data, rows, columns)
 root = Node()
 root.children = []
 if maxGain == 0:
 if ans == 1:
 root.value = 'yes'
 else:
 root.value = 'no'
 return root

```

```

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x = yes / (yes + no)
y = no / (yes + no)
if x != 0 and y != 0:
 entropy = -1 * (x * math.log2(x) + y * math.log2(y))
 if x == y:
 ans = 1
 if y == 1:
 ans = 0
 return entropy, ans

def findMaxGain(data, rows, columns):
 maxGain = 0
 idx = -1
 entropy, ans = findEntropy(data, rows)
 if entropy == 0:
 return maxGain, idx, ans
 for j in columns:
 mydict = {}
 idx = j
 for i in rows:
 key = data[i][idx]
 if key not in mydict:
 mydict[key] = 1
 else:
 mydict[key] += 1
 gain = entropy

```

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```

def calculate():
 rows = [i for i in range(0, 14)]
 columns = [i for i in range(0, 4)]
 root = buildtree(x, rows, columns)
 root.decision = 'Start'
 traverse(root)

calculate()

output:
...
 |--- Decision : Start , value: outlook
 | |--- Decision: Sunny , value : Humidity.
 | | |--- Decision : High , value : no
 | | |--- Decision: Normal , value : yes
 | |--- Decision: Overcast , value : yes
 | |--- Decision: Rain ; value : Wind
 | | |--- Decision : weak : value : yes
 | | |--- Decision: strong , value : no

```

*✓ Lab 17/3/25*

code:

```

import numpy as np
import matplotlib.pyplot as plt
import pandas as pd
import math
import copy

dataset = pd.read_csv('/content/Tennis.csv')
X = dataset.iloc[:, :].values
print(X)

dataset

attribute = ['Outlook', 'Temp', 'Humidity', 'Wind']

```

```

class Node(object):
 def __init__(self):
 self.value = None
 self.decision = None
 self.child = None

def findEntropy(data, rows):
 yes=0
 no=0
 ans=-1
 idx=len(data[0])-1
 entropy=0

 for i in rows:
 if data[i][idx]=='Yes':
 yes=yes+1
 else:
 no=no+1

 x=yes/ (yes+no)
 y=no/ (yes+no)
 if x!=0 and y!=0:
 entropy= -1*(x*math.log2(x)+y*math.log2(y))
 if x==1:
 ans = 1
 if y==1:
 ans = 0
 return entropy, ans

def findMaxGain(data, rows, columns):
 maxGain = 0
 retidx = -1
 entropy, ans = findEntropy(data, rows)
 if entropy == 0:
 """if ans == 1:
 print("Yes")
 else:
 print("No")"""
 return maxGain, retidx, ans
 for j in columns:

```

```

mydict = { }
idx = j
for i in rows:
 key = data[i][idx]
 if key not in mydict:
 mydict[key] = 1
 else:
 mydict[key] = mydict[key] + 1
gain = entropy

print(mydict)
for key in mydict:
 yes = 0
 no = 0
 for k in rows:
 if data[k][j] == key:
 if data[k][-1] == 'Yes':
 yes = yes + 1
 else:
 no = no + 1
 # print(yes, no)
 x = yes/(yes+no)
 y = no/(yes+no)
 # print(x, y)
 if x != 0 and y != 0:
 gain += (mydict[key] * (x*math.log2(x) + y*math.log2(y)))/14
print(gain)
if gain > maxGain:
 # print("hello")
 maxGain = gain
 retidx = j

return maxGain, retidx, ans

def buildTree(data, rows, columns):

 maxGain, idx, ans = findMaxGain(X, rows, columns)
 root = Node()
 root.childs = []
 # print(maxGain)

```

```

if maxGain == 0:
 if ans == 1:
 root.value = 'Yes'
 else:
 root.value = 'No'
 return root

root.value = attribute[idx]
mydict = {}
for i in rows:
 key = data[i][idx]
 if key not in mydict:
 mydict[key] = 1
 else:
 mydict[key] += 1

newcolumns = copy.deepcopy(columns)
newcolumns.remove(idx)
for key in mydict:
 newrows = []
 for i in rows:
 if data[i][idx] == key:
 newrows.append(i)
 # print(newrows)
 temp = buildTree(data, newrows, newcolumns)
 temp.decision = key
 root.childs.append(temp)
return root

def traverse(root, level=0):
 indent = " " * level
 print(f"{indent}—— Decision: {root.decision}, Value: {root.value}")

 for i, child in enumerate(root.childs):
 # if i == len(root.childs) - 1:
 # traverse(child, level + 1)
 # else:
 traverse(child, level + 1)

def calculate():
 rows = [i for i in range(0, 14)]

```

```

columns = [i for i in range(0, 4)]
root = buildTree(X, rows, columns)
root.decision = 'Start'
traverse(root)

calculate()

from graphviz import Source

dot_code = """
digraph G {
 edge [dir=forward]
 node [shape=box, style=bold]

 A [label="OUTLOOK"]
 B [label="HUMIDITY"]
 C [label="WIND"]

 D [label="NO", shape=plaintext]
 E [label="YES", shape=plaintext]
 F [label="YES", shape=plaintext]
 G [label="NO", shape=plaintext]

 A -> B [label="SUNNY"]
 A -> E [label="OVERCAST"]
 A -> C [label="RAIN"]

 B -> D [label="HIGH"]
 B -> F [label="NORMAL"]

 C -> F [label="WEAK"]
 C -> G [label="STRONG"]
}

"""

s = Source(dot_code, filename="decision_tree", format="png")
s.view()
"""

```

## Program 6

Build KNN Classification model for a given dataset

Screenshot

| Table 1<br>KNN (K-Nearest Neighbors) |     |        |        |                |      |  |
|--------------------------------------|-----|--------|--------|----------------|------|--|
| Person                               | Age | Salary | Target | Distance       | Rank |  |
| A                                    | 18  | 50     | N      | $\sqrt{39.28}$ | 5    |  |
| B                                    | 23  | 55     | N      | $\sqrt{46.07}$ | 4    |  |
| C                                    | 24  | 90     | N      | $\sqrt{21.9}$  | 2    |  |
| D                                    | 41  | 60     | Y      | $\sqrt{40.44}$ | 3    |  |
| E                                    | 43  | 70     | Y      | 31.04          | 1    |  |
| F                                    | 38  | 40     | Y      | 60.07          | 6    |  |
| X                                    | 35  | 100    | ?      |                |      |  |

not

$$\rightarrow \sqrt{(38-35)^2 + (40-100)^2} = \sqrt{8^2 + 60^2} = \sqrt{9+3600} = 60.07$$
$$\sqrt{(43-35)^2 + (70-100)^2} = \sqrt{8^2 + 30^2} = \sqrt{64+900} = 31.04$$
$$\sqrt{(41-35)^2 + (60-100)^2} = \sqrt{6^2 + 40^2} = \sqrt{36+1600} = 40.44$$

refine

$k=3 \rightarrow N \ Y \ \cancel{Y}$

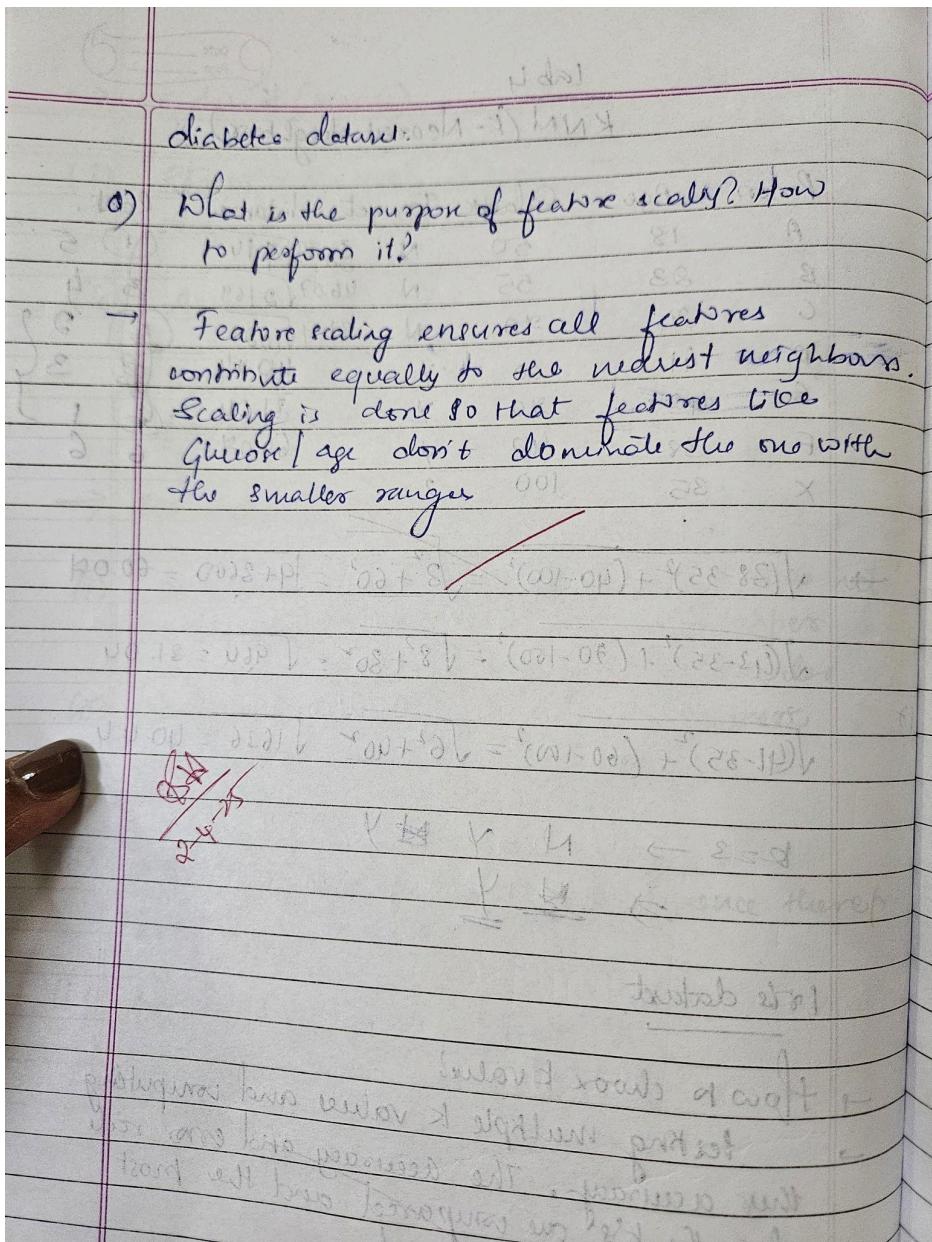
$\rightarrow \cancel{Y}$

1st dataset

$\rightarrow$  flow to choose k values

$\rightarrow$  testing multiple k values and computing their accuracy. The accuracy and error rate for the k's are compared and the most optimal k is selected

here  $k=3$ .



code:

```

import math
import matplotlib.pyplot as plt

Step 1: Distance calculation (Euclidean)
def distance(p1, p2):
 return math.sqrt((p1[0] - p2[0])**2 + (p1[1] - p2[1])**2)

Step 2: KNN Function
def knn(training_data, test_point, k):

```

```

distances = []
for point, label in training_data:
 d = distance(point, test_point)
 distances.append((d, label))
distances.sort()
k_nearest = distances[:k]
labels = [label for _, label in k_nearest]
prediction = max(set(labels), key=labels.count)
return prediction

Step 3: Visualization Function
def visualize_knn(data, test_point, predicted_label, new_point=None,
new_label=None):
 colors = {'A': 'blue', 'B': 'red'}
 markers = {'A': 'o', 'B': 's'}

 # Plot training data
 for point, label in data:
 plt.scatter(point[0], point[1], color=colors[label],
marker=markers[label], label=label if f"train_{label}" not in
plt.gca().get_legend_handles_labels()[1] else "")

 # Plot test point
 plt.scatter(test_point[0], test_point[1], color='green', marker='*',
s=200, label=f'Test → {predicted_label}')

 # Plot new point if provided
 if new_point is not None and new_label is not None:
 plt.scatter(new_point[0], new_point[1], color='orange', marker='x',
s=150, label=f'New → {new_label}')

 plt.legend()
 plt.grid(True)
 plt.title("KNN Classification")
 plt.xlabel("Feature 1")
 plt.ylabel("Feature 2")
 plt.show()

Step 4: Run everything
if __name__ == "__main__":
 # Training data

```

```
data = [
 ([1, 2], 'A'),
 ([2, 3], 'A'),
 ([3, 1], 'A'),
 ([6, 5], 'B'),
 ([7, 7], 'B'),
 ([8, 6], 'B')
]

Test point
test = [2, 2]
result = knn(data, test, k=3)
print("Predicted class for test:", result)

New point to classify
new_point = [7, 5]
new_result = knn(data, new_point, k=3)
print("Predicted class for new point:", new_result)

Visualize
visualize_knn(data, test, result, new_point=new_point,
new_label=new_result)
```

## Program 7

Build Support vector machine model for a given dataset

Screenshot

The image shows handwritten code for a Support Vector Machine (SVM) implementation. The code is written in Python and is organized into several sections:

- Imports:** At the top, there are imports for numpy and matplotlib.pyplot.
- Class Definition:** A class named `SUM` is defined.
- Initialization:** The `__init__` method initializes learning rate (`lerning_rate`), lambda parameter (`lambda_param`), and iteration count (`n_iters`). It also initializes `w` and `b` to None.
- Fitting Data:** The `fit` method takes input features `x` and labels `y`. It creates a copy of `y` where negative values are replaced by -1. It then initializes `w` as a zero vector of size equal to the number of features (`n_features`) and sets `b` to 0.
- Iteration Loop:** A loop iterates from 0 to `n_iters`. Inside this loop, another loop iterates over each sample `i` in `x`.
- Condition Check:** For each sample `i`, a condition is checked:  $y[i] * (\mathbf{w} \cdot \mathbf{x}[i] + b) \geq 1$ .
- Update Rule:** If the condition is not met, the weight vector `w` is updated using the formula:  $\mathbf{w} = \mathbf{w} + 2 * \mathbf{x}[i] * \mathbf{y}[i]$ .
- Final Update:** After the inner loop completes, the weight vector `w` is updated again using the formula:  $\mathbf{w} = \mathbf{w} + 2 * \lambda * \mathbf{w}$ .

```

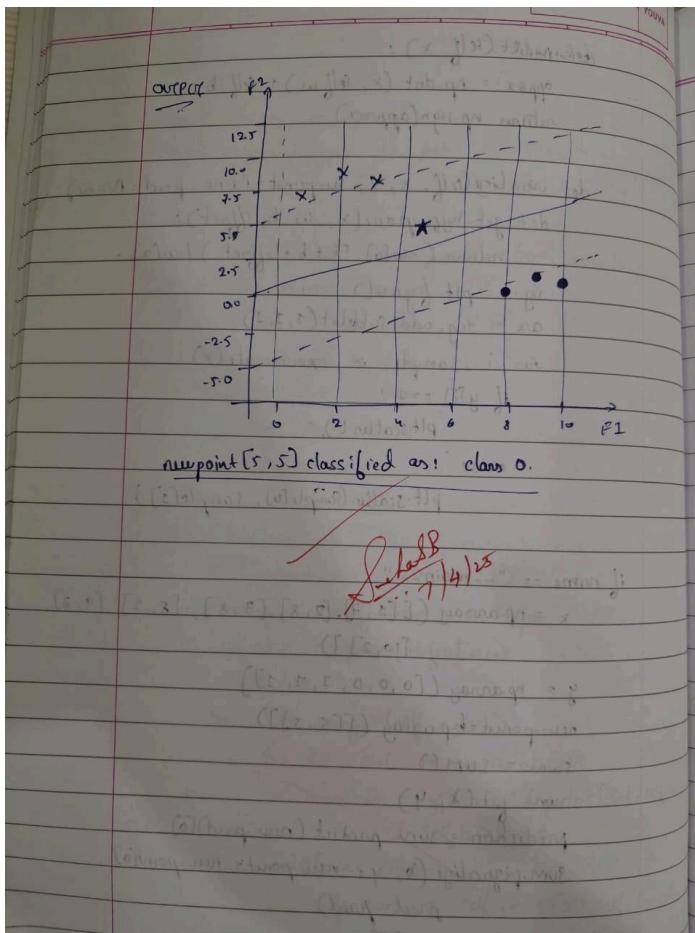
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def predict(self, x):
 approx = np.dot(x, self.w) + self.b
 return np.sign(approx)

def visualize(self, x, y, newpoint=None, pred=None):
 def get_hypoplane(x, w, b, offset):
 return (w[0] * x[0] + b + offset) / w[1]
 fig = plt.figure()
 ax = fig.add_subplot(1, 1, 1)
 for i, sample in enumerate(x):
 if y[i] == 1:
 plt.scatter(*sample)
 else:
 plt.scatter(*sample)
 plt.title('SVM Decision Boundary')
 if newpoint is not None:
 if pred is not None:
 print(f'New point {newpoint} classified as: class {pred}')
 else:
 print(f'New point {newpoint} classified as: class 0')
 else:
 print('No new point provided')

if name == "__main__":
 x = np.array([[1, 2], [2, 3], [3, 2], [2, 1], [4, 5], [5, 4], [6, 3], [7, 2], [8, 1], [9, 0], [10, 1]])
 y = np.array([1, 1, 1, 1, -1, -1, -1, -1, -1, 1, 1])
 newpoint = np.array([5, 5])
 sum_predict = sum(y * (x - newpoint).T)
 pred = sum_predict / np.linalg.norm(x - newpoint)
 print(f'New point {newpoint} classified as: class {pred}')

```



code:

```
import numpy as np
import matplotlib.pyplot as plt

class SVM:
 def __init__(self, learning_rate=0.001, lambda_param=0.01, n_iters=1000):
 self.lr = learning_rate
 self.lambda_param = lambda_param
 self.n_iters = n_iters
 self.w = None
 self.b = None

 def fit(self, X, y):
 y = np.where(y <= 0, -1, 1) # Convert labels to -1 and 1
 n_samples, n_features = X.shape
 self.w = np.zeros(n_features)
 self.b = 0

 for _ in range(self.n_iters):
 for idx, x_i in enumerate(X):
 condition = y[idx] * (np.dot(x_i, self.w) + self.b) >= 1
 if condition:
 self.w -= self.lr * (2 * self.lambda_param * self.w)
 else:
 self.w -= self.lr * (2 * self.lambda_param * self.w -
np.dot(x_i, y[idx]))
 self.b += self.lr * y[idx]

 def predict(self, X):
 approx = np.dot(X, self.w) + self.b
 return np.sign(approx)

 def visualize(self, X, y, new_point=None, prediction=None):
 def get_hyperplane(x, w, b, offset):
 return (-w[0] * x + b + offset) / w[1]

 fig = plt.figure()
 ax = fig.add_subplot(1, 1, 1)

 # Plot existing data points
 for i, sample in enumerate(X):
```

```

 if y[i] == 1:
 plt.scatter(sample[0], sample[1], marker='o', color='blue',
label='Class +1' if i == 0 else "")
 else:
 plt.scatter(sample[0], sample[1], marker='x', color='red',
label='Class -1' if i == 0 else "")

 # Plot decision boundary
 x0 = np.linspace(np.min(X[:, 0])-1, np.max(X[:, 0])+1, 100)
 x1 = get_hyperplane(x0, self.w, self.b, 0)
 x1_m = get_hyperplane(x0, self.w, self.b, -1)
 x1_p = get_hyperplane(x0, self.w, self.b, 1)

 ax.plot(x0, x1, 'k-', label='Decision Boundary')
 ax.plot(x0, x1_m, 'k--', label='Margins')
 ax.plot(x0, x1_p, 'k--')

 # Plot the new point
 if new_point is not None:
 color = 'green' if prediction == 1 else 'orange'
 label = f'New Point: Class {"1" if prediction == 1 else "0"}'
 plt.scatter(new_point[0], new_point[1], c=color, s=100,
edgecolors='black', label=label, marker='*')

 ax.legend()
 plt.xlabel("Feature 1")
 plt.ylabel("Feature 2")
 plt.title("SVM with New Point Prediction")
 plt.grid(True)
 plt.show()

🚀 Example usage
if __name__ == "__main__":
 # Training data
 X = np.array([
 [1, 7],
 [2, 8],
 [3, 8],
 [8, 1],
 [9, 2],

```

```
[10, 2]
])
y = np.array([0, 0, 0, 1, 1, 1]) # 0 -> -1, 1 -> +1

New point to classify
new_point = np.array([[5, 5]])

Train and predict
svm = SVM()
svm.fit(X, y)
prediction = svm.predict(new_point)[0]

Visualize
svm.visualize(X, y, new_point=new_point[0], prediction=prediction)

Print prediction
print(f"New point {new_point[0]} classified as: {'Class 1' if prediction == 1 else 'Class 0'}")
```

## Program 8

Implement Random forest ensemble method on a given dataset

Screenshot

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1. import pandas as pd → Random forest -  
from sklearn.model\_selection import train\_test\_split  
from sklearn.ensemble import RandomForestClassifier  
from google.colab import files

uploaded = files.upload()

2. filename in uploaded.keys() :  
df = pd.read\_csv(filename)  
display(df.head(5))

3. x = df.iloc[:, :-1]  
y = df.iloc[:, -1]

x-train, x-test, y-train, y-test = train\_test\_split(x, y,  
test\_size=0.2, random\_state=42)

rf\_model = RandomForestClassifier(n\_estimators=100, n\_jobs=-1)  
rf\_model.fit(x-train, y-train).  
y-pred = rf\_model.predict(x-test)  
accuracy = accuracy\_score(y-test, y-pred)  
print(accuracy)

print(classification\_report(y-test, y-pred))

Output: Accuracy: 72.08 %

Classification report:

|           | Precision | Recall | F1-score | Support |
|-----------|-----------|--------|----------|---------|
| 0         | 0.79      | 0.78   | 0.78     | 99      |
| 1         | 0.61      | 0.62   | 0.61     | 55      |
| macro avg | 0.70      | 0.70   | 0.70     | 154     |

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- 19/5/2023~~

code:

```
#RANDOM FOREST

STEP 1: Import required libraries
import pandas as pd
from sklearn.model_selection import train_test_split
from sklearn.ensemble import RandomForestClassifier
from sklearn.metrics import accuracy_score, classification_report
from google.colab import files

STEP 2: Upload your dataset
uploaded = files.upload()

STEP 3: Load the dataset (assuming it's a CSV)
for filename in uploaded.keys():
 df = pd.read_csv(filename)
 print(f"Data loaded from: {filename}")
 display(df.head()) # Display first 5 rows of data

STEP 4: Preprocessing
Assume the last column is the target variable (label)
X = df.iloc[:, :-1] # Features (all rows, all columns except last)
y = df.iloc[:, -1] # Target (last column)

STEP 5: Split the data into training and testing sets
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2,
random_state=42)

STEP 6: Initialize and train the Random Forest model
rf_model = RandomForestClassifier(n_estimators=100, random_state=42) # 100
trees in the forest
rf_model.fit(X_train, y_train)

STEP 7: Make predictions on the test set
y_pred = rf_model.predict(X_test)

STEP 8: Evaluate the model
accuracy = accuracy_score(y_test, y_pred)
print(f"Accuracy of Random Forest Model: {accuracy * 100:.2f}%")
STEP 9: Print classification report
print("Classification Report:")
print(classification_report(y_test, y_pred))
```

## Program 9

Implement Boosting ensemble method on a given dataset

Screenshot

| Lab 9. AdaBoost: |           |         |           |        |  |
|------------------|-----------|---------|-----------|--------|--|
| CAPG             | Predicted | Actual  | Job prof. | Weight |  |
| $\geq 9$         | Yes       | Good    | Good      | Yes    |  |
| $< 9$            | No        | Good    | Modest    | Yes    |  |
| $\geq 9$         | No        | Average | Modest    | No     |  |
| $< 9$            | No        | Average | Good      | No     |  |
| $\geq 9$         | Yes       | Good    | Modest    | Yes    |  |
| $\geq 9$         | Yes       | Good    | Modest    | Yes    |  |

Decision stump for CAPG  
if  $\geq 9 \rightarrow$  Yes  
 $< 9 \rightarrow$  No

Weight for all  $\frac{1}{6}$

| CAPG     | Predicted | Actual | Job prof. | Weight        |
|----------|-----------|--------|-----------|---------------|
| $\geq 9$ | Yes       | Yes    | Yes       | $\frac{1}{6}$ |
| $< 9$    | No        | Yes    | Yes       | $\frac{1}{6}$ |
| $\geq 9$ | Yes       | No     | Yes       | $\frac{1}{6}$ |
| $< 9$    | No        | No     | Yes       | $\frac{1}{6}$ |
| $\geq 9$ | Yes       | Yes    | Yes       | $\frac{1}{6}$ |
| $\geq 9$ | Yes       | Yes    | Yes       | $\frac{1}{6}$ |

$E_{CAPG} = 2 * \frac{1}{6} = 0.333$

$\alpha_{CAPG} = \frac{1}{2} \ln(1 - E_{CAPG}) = \frac{1}{2} \ln(1 - 0.333) = 0.342$

$\alpha_{CAPG} = w_{correct}^t + w_{incorrect}^t + w_{incorrect}^t e^{-\alpha_{CAPG}} + w_{correct}^t e^{\alpha_{CAPG}}$

$$= \frac{1}{6} (4)(e^{-0.342}) + \frac{1}{6} (2)(e^{0.342}) = 0.9428$$

updated weight of

$$\text{correct instance} = \frac{(\text{wt})_{\text{current}} + e^{-d_i P_A}}{2 \cdot \text{current}}$$

$$= \frac{1/6 + e^{-0.349}}{0.9428} = \underline{\underline{0.1249}}$$

$$\text{incorrect instance} = \frac{(\text{wt})_{\text{current}} + e^{+d_i P_A}}{2 \cdot \text{current}}$$

$$= \frac{1/6 + e^{0.349}}{0.9428} = \underline{\underline{0.9501}}$$

For the 'income.csv' dataset

The best accuracy score obtained is 83.3%

confusion matrix is

|      |   | Predicted |      |
|------|---|-----------|------|
|      |   | P         | S    |
| True | P | 4106      | 308  |
|      | S | 1303      | 1052 |

The number of trees used are 50.

code:

```
import numpy as np
import matplotlib.pyplot as plt
import seaborn as sns
from sklearn.tree import DecisionTreeClassifier
from sklearn.datasets import make_classification
from sklearn.metrics import accuracy_score
from sklearn.decomposition import PCA

Set up plot style
```

```

sns.set(style="whitegrid")

class AdaBoost:
 def __init__(self, n_estimators=50):
 self.n_estimators = n_estimators
 self.alphas = [] # Weights of each weak classifier
 self.models = [] # Weak classifiers (e.g., decision stumps)
 self.errors = [] # List to store error for each estimator

 def fit(self, X, y):
 # Initialize weights for each data point
 n_samples, n_features = X.shape
 w = np.ones(n_samples) / n_samples # Equal weights initially

 for estimator in range(self.n_estimators):
 # Train weak classifier (decision stump)
 model = DecisionTreeClassifier(max_depth=1) # Decision stump
 model.fit(X, y, sample_weight=w)
 y_pred = model.predict(X)

 # Calculate error rate
 err = np.sum(w * (y_pred != y)) / np.sum(w)
 self.errors.append(err)

 # Compute alpha (weight for the classifier)
 alpha = 0.5 * np.log((1 - err) / err) if err < 1 else 0
 self.alphas.append(alpha)
 self.models.append(model)

 # Update weights for misclassified samples
 w = w * np.exp(-alpha * y * y_pred) # Update weights based on
 classifier performance
 w = w / np.sum(w) # Normalize the weights

 def predict(self, X):
 # Initialize the final prediction
 final_pred = np.zeros(X.shape[0])

 for model, alpha in zip(self.models, self.alphas):
 final_pred += alpha * model.predict(X)

```

```

 # Return the sign of the final prediction
 return np.sign(final_pred)

 def score(self, X, y):
 # Return accuracy of the model
 return accuracy_score(y, self.predict(X))

Generate a synthetic binary classification dataset with 2 informative
features
X, y = make_classification(n_samples=500, n_features=2, n_informative=2,
n_redundant=0, n_classes=2, random_state=42)

Convert labels to -1 and 1 for AdaBoost
y = 2 * y - 1

Create and train AdaBoost model
adaboost = AdaBoost(n_estimators=50)
adaboost.fit(X, y)

Evaluate the model
accuracy = adaboost.score(X, y)
print(f"Model accuracy: {accuracy:.4f}")

Plot error over iterations
plt.figure(figsize=(10, 6))
plt.plot(range(1, adaboost.n_estimators + 1), adaboost.errors, marker='o',
linestyle='-', color='b')
plt.title('Error vs. Number of Estimators')
plt.xlabel('Number of Estimators')
plt.ylabel('Error')
plt.grid(True)
plt.show()

Plot decision boundary for final model
x_min, x_max = X[:, 0].min() - 1, X[:, 0].max() + 1
y_min, y_max = X[:, 1].min() - 1, X[:, 1].max() + 1

xx, yy = np.meshgrid(np.arange(x_min, x_max, 0.1),
 np.arange(y_min, y_max, 0.1))
Z = adaboost.predict(np.c_[xx.ravel(), yy.ravel()])
Z = Z.reshape(xx.shape)

```

```
plt.figure(figsize=(10, 6))
plt.contourf(xx, yy, Z, alpha=0.75, cmap='coolwarm')
plt.scatter(X[:, 0], X[:, 1], c=y, edgecolors='k', marker='o', s=50,
cmap='coolwarm')
plt.title('AdaBoost Decision Boundary')
plt.xlabel('Feature 1')
plt.ylabel('Feature 2')
plt.show()
```

## Program 10

Build k-Means algorithm to cluster a set of data stored in a .CSV file

Screenshot

| Lab 10: k-means                                                     |                |                |                |
|---------------------------------------------------------------------|----------------|----------------|----------------|
| Dist                                                                | (1,1)          | (5,7)          |                |
| 1,1                                                                 | 0.0            | $\sqrt{52}$    | C <sub>1</sub> |
| 1.5,2                                                               | $\sqrt{1.25}$  | $\sqrt{27.25}$ | C <sub>1</sub> |
| 3,4                                                                 | $\sqrt{13}$    | $\sqrt{13}$    | C <sub>2</sub> |
| 5,7                                                                 | $\sqrt{52}$    | 0              | C <sub>2</sub> |
| 3.5,5                                                               | $\sqrt{21.25}$ | $\sqrt{6.25}$  | C <sub>2</sub> |
| 4.5,5                                                               | $\sqrt{28.25}$ | $\sqrt{4.25}$  | C <sub>2</sub> |
| 3.5,6.5                                                             | $\sqrt{18.5}$  | $\sqrt{2.5}$   | C <sub>2</sub> |
| $C_1 = \left( \frac{1+1.5}{2}, \frac{1+2}{2} \right) = (1.25, 1.5)$ |                |                |                |
| $C_2 = (3.9, 5.1)$                                                  |                |                |                |
|                                                                     |                |                |                |
|                                                                     | (1.25, 1.5)    | (3.9, 5.1)     | cluster        |
| (1,1)                                                               | 0.56           | 5.25           | C <sub>1</sub> |
| (1.5,2)                                                             | 0.56           | 4.04           | C <sub>1</sub> |
| (3,4)                                                               | 0.50           | 1.62           | C <sub>2</sub> |
| (5,7)                                                               | 6.10           | 8.16           | C <sub>2</sub> |
| (3.5,5)                                                             | 0.85           | 0.41           | C <sub>2</sub> |
| (4.5,5)                                                             | 2.22           | 0.61           | C <sub>2</sub> |
| (3.5,6.5)                                                           | 0.63           | 0.85           | C <sub>2</sub> |
| clusters: (1,1) (1.5,2) (3,4) (5,7)<br>(3.5,5) (4.5,5) (3.5,6.5)    |                |                |                |

code:

```
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
from sklearn import datasets
import seaborn as sns
from sklearn.cluster import KMeans
```

```

iris = datasets.load_iris()
print("Dataset loaded successfully")

Data = pd.DataFrame(iris.data, columns = iris.feature_names)

#Top values of Dataset
Data.head()
x=Data.iloc[:,0:3].values

css=[]

Finding inertia on various k values
for i in range(1,8):
kmeans=KMeans(n_clusters = i, init = 'k-means++',
max_iter = 100, n_init = 10, random_state = 0).fit(x)
css.append(kmeans.inertia_)

#Applying Kmeans classifier
kmeans = KMeans(n_clusters=3,init = 'k-means++', max_iter = 100, n_init = 10,
random_state = 0)
y_kmeans = kmeans.fit_predict(x)
kmeans.cluster_centers_
Visualising the clusters - On the first two columns
plt.scatter(x[y_kmeans == 0, 0], x[y_kmeans == 0, 1],
 s = 100, c = 'red', label = 'Iris-setosa')
plt.scatter(x[y_kmeans == 1, 0], x[y_kmeans == 1, 1],
 s = 100, c = 'blue', label = 'Iris-versicolour')
plt.scatter(x[y_kmeans == 2, 0], x[y_kmeans == 2, 1],
 s = 100, c = 'green', label = 'Iris-virginica')

Plotting the centroids of the clusters
plt.scatter(kmeans.cluster_centers_[:, 0], kmeans.cluster_centers_[:,1],
 s = 100, c = 'black', label = 'Centroids')
plt.legend()

```

## Program 11

Implement Dimensionality reduction using Principal Component Analysis (PCA) method

Screenshot

Lab 11: PCA

Page \_\_\_\_\_

reduce dimension from 2 to 1

| feature | eg 1 | eg 2 | eg 2 | eg 4 |
|---------|------|------|------|------|
| $x_1$   | 4    | 8    | 12   | 7    |
| $x_2$   | 11   | 4    | 5    | 14   |

Given values  $\lambda_1 = 30.3849$   $\lambda_2 = 6.6151$

Eigen vectors  $e_1 = \begin{bmatrix} 0.5574 \\ -0.8303 \end{bmatrix}$   $e_2 = \begin{bmatrix} 0.8303 \\ 0.5574 \end{bmatrix}$

→ ① data matrix  $\begin{bmatrix} 4 & 8 & 12 & 7 \\ 11 & 4 & 5 & 14 \end{bmatrix}$

② mean center the data

mean<sub>x</sub> =  $\frac{4+8+12+7}{4} = 8$

mean<sub>y</sub> =  $\frac{11+4+5+14}{4} = 6.5$

$X_{center} = \begin{bmatrix} 4-8 & 8-8 & 12-8 & 7-8 \\ 11-8 & 4-8 & 5-8 & 14-8 \end{bmatrix} = \begin{bmatrix} -4 & 0 & 4 & -1 \\ 3 & -4 & -3 & 6 \end{bmatrix}$

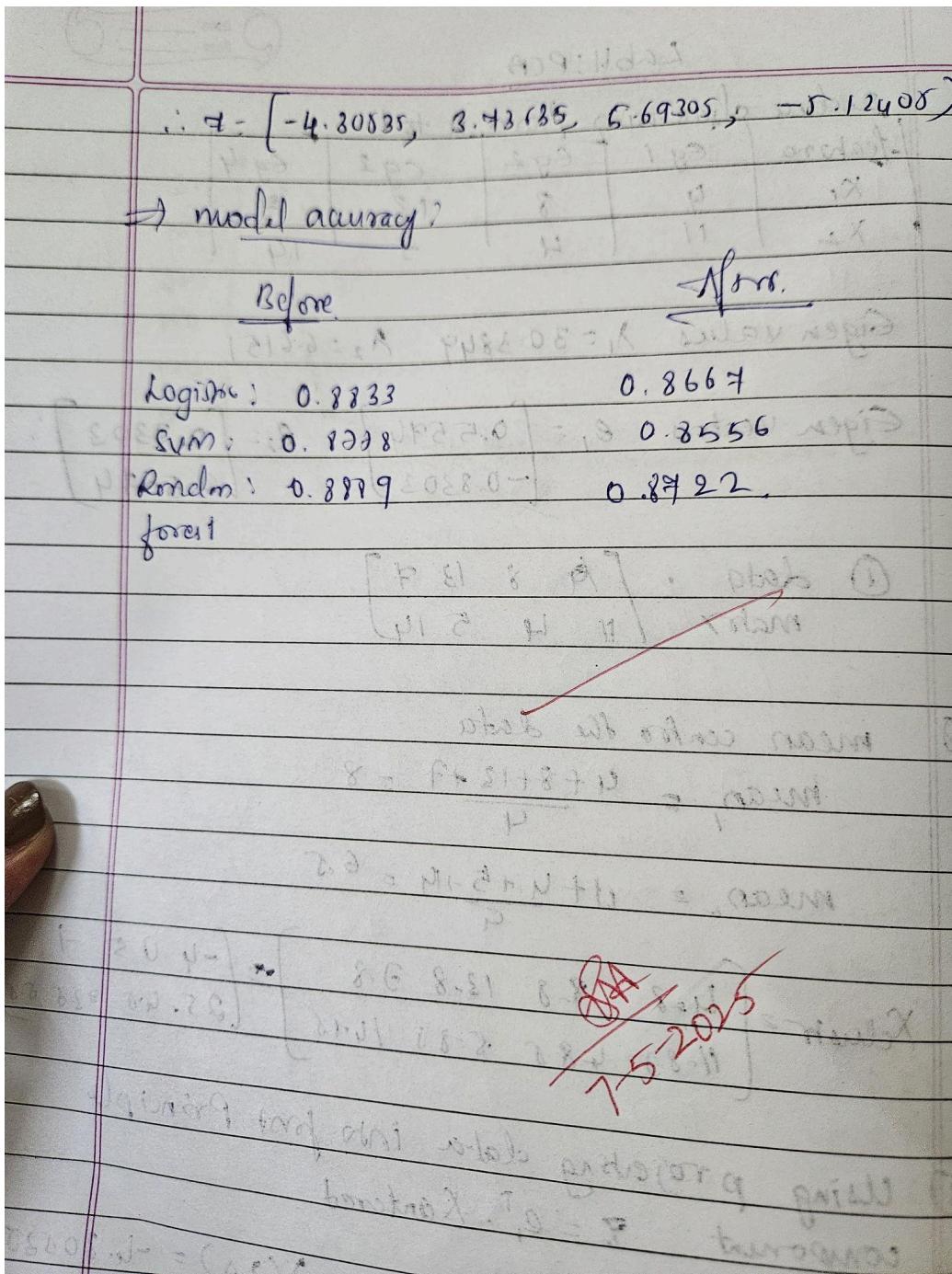
③ Using projecting data into first Principle component  $z = e_1^T \cdot X_{center}$

$z_1 = (0.5574)(-4) + (-0.8303)(2) = -6.30535$

$z_2 = (0.5574)(0) + (-0.8303)(-4.5) = 3.43635$

$z_3 = (0.5574)(5) + (-0.8303)(-3.5) = 5.69205$

$z_4 = (0.5574)(-1) + (-0.8303)(6.3) = -5.12405$



code:

```

STEP 1: Import packages
import pandas as pd
import numpy as np
from sklearn.decomposition import PCA
from sklearn.preprocessing import StandardScaler
import matplotlib.pyplot as plt
from google.colab import files

```

```

STEP 2: Upload the CSV file
uploaded = files.upload()

STEP 3: Load the dataset
for filename in uploaded.keys():
 df = pd.read_csv(filename)
 print(f"✓ Uploaded: {filename}")
 display(df.head())

STEP 4: Select numerical columns
numeric_df = df.select_dtypes(include=[np.number])
print("📊 Numerical features found:", list(numeric_df.columns))

OPTIONAL: Manually select columns if needed
selected_features = ['feature1', 'feature2', ...]
selected_features = numeric_df.columns # use all numeric features for now

STEP 5: Standardize data
X = numeric_df[selected_features].dropna()
X_scaled = StandardScaler().fit_transform(X)

STEP 6: Apply PCA
pca = PCA(n_components=2)
principal_components = pca.fit_transform(X_scaled)

STEP 7: Create DataFrame for components
pca_df = pd.DataFrame(data=principal_components, columns=['PC1', 'PC2'])

STEP 8: Visualize the first two principal components
plt.figure(figsize=(8, 6))
plt.scatter(pca_df['PC1'], pca_df['PC2'], alpha=0.7)
plt.xlabel('Principal Component 1')
plt.ylabel('Principal Component 2')
plt.title('2D PCA Visualization')
plt.grid(True)
plt.show()

STEP 9: Explained variance ratio
print("📈 Explained Variance Ratio:", pca.explained_variance_ratio_)

```

```
print(f"Model accuracy: {accuracy:.4f}")
```