

$c\_ordin = \text{subseq}(c\_ordin, 1, \text{capadad}) + [e]$   
 $(\text{ef } c\_ordin / c\_ordin > c\_capadad) \rightarrow 0$   
 $c\_data = \text{subseq}(c\_data, 1, c\_ordin - c\_ordin + [e])$

TAD LRU  $\langle K, V \rangle$

$\text{obs } data = \text{dict} \langle K, V \rangle$   
 $\text{obs } cap = N$   
 $\text{obs } accesos < K, Z \rangle$

$\text{proc } \text{Nuevo}(\text{in } d: N): \text{LRU} \langle K, V \rangle$   
 $\{$   
 $\text{requiere } \{ \text{res } data = \{ \}$

$\text{proc } \text{esta}(\text{in } c: \text{LRU} \langle K, V \rangle, \text{in } e: K): \text{bool}$   
 $\{$   
 $\text{requiere } \{ c \in c\_data \}$

$\text{proc } \text{obtener}(\text{in } c: \text{LRU} \langle K, V \rangle, \text{in } e: K): V$

$\text{requiere } \{ e \in c\_data \}$

$\text{requiere } \{ \text{res} = c\_data[e] \}$

$\frac{18}{81}$   
 $\leq 1$ ,  $\text{completing}$

$\text{proc } \text{definir}(\text{in } c: \text{LRU} \langle K, V \rangle, \text{in } e: K, \text{in } v: V)$

$\frac{19}{16}$   
 $\text{requiere } \{ c = c_0 \}$   
 $\text{requiere } \{ \text{subseq}(c\_ordin, 1, c\_ordin - c\_ordin + [e]) \}$

$\text{requiere } \{$   
 $\text{suprimida o antes hay que borrarla}$

$((e \in c\_data) \vee (\text{ef } c\_ordin - cap > c\_ordin))$

$c\_data = \text{subseq}(c\_data, 1, c\_ordin)$

$c\_accesos = \text{subseq}(c\_accesos, 1, c\_ordin)$