

Group Analysis I - Logic

$$x \cdot y = z \quad x = z' a' b' c = z \quad \boxed{1}$$

$$\boxed{\begin{matrix} \wedge \\ q \wedge x_L \end{matrix}} \quad \begin{matrix} \wedge & \wedge & \vdash \\ x_L & q & x \end{matrix} \quad (q \wedge x_L) - (e)$$

$$T = (9 \vee ((\exists v_1)(\exists v_2)) \vee 9) \quad (9)$$

$$\textcircled{a} \neg(\underbrace{\neg(\neg v)}_F) \leftrightarrow \underbrace{\neg(\neg v)}_F \quad \textcircled{b} \neg(\underbrace{\neg v}_T) = F \quad \textcircled{c} \neg(\underbrace{\neg v}_T) = F$$

$$n = ((q \wedge (e \vee x) \wedge z) \rightarrow ((q \wedge e) \vee (x \wedge z))) \text{ (6)} \quad \wedge = ((q \wedge e) \vee (x \wedge z)) \text{ (4)}$$

$$\rightarrow (L \vee \neg L) \text{ (4)}$$

② "X" on computer & many other, indicates many other

②  $P = 0$  on confounders : 9. Long story

b - (bnd)

⑨ que me meto a dormir a 4 confidante

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② give it confidence from my heart

$$pp' : (+ve) \vee (-ve)$$

$$(bnd) = e \quad (+nd) \vee (bnd) \quad (d =$$

$$(+vb) \leftarrow (d-).$$

$$(+nd) \vee (bnd) \cdot @ \overline{13}$$

7sp: (+ve) n (dve)  $(-v^+b) \leftarrow (d_-)$

$$((t \text{ end}) \vee t) \wedge ((t \text{ end}) \vee d)$$

$$((\text{div } t) \wedge (\text{div } t)) \wedge ((\text{div } d) \wedge (\text{div } d)) \quad \text{dist}$$

[illegible]