

**Combined Higher Secondary (10+2) Level Examination, 2021
(Tier-I): Uploading of Final Answer Keys - reg.**

Staff Selection Commission has declared the result of Combined HigherSecondary (10+2) Level Examination (Tier-1), 2021 on 04.08.2022.

2. In order to ensure greater transparency in the examination system, and in the interest of the candidates, the Commission has uploaded the Final Answer Keys alongwith Question Paper(s) w.r.t. Tier-1 of Combined Higher Secondary (10+2) Level Examination, 2021 on the website of the Commission on 16.08.2022.

3. The candidates may take a print out of their respective Final Answer Keys alongwith respective Question Paper(s) by using the link given below. This facility will be available for the candidates for a period of one month only i.e. from 16.08.2022 (18:00 Hrs) to 15.09.2022 (18:00 Hrs).

4. **The Candidates may take a print out of their respective Final Answer Keys alongwith respective Question Paper, as the same will not be available after the above-specified time limit.**

Under Secretary (C-1/1)
16.08.2022

[Click here for Final Answer Keys alongwith Question Paper](#)

बहुपद समीकरण $x^4 - x^2 + 2x - 1 = 0$ के वास्तविक मूलों की संख्या है:

- A. 0 B. 2 C. 3 D. 4

Question Number : 3 Question Id : 6584303923 Display Question Number : Yes Single Line Question Option : No Option Orientation : Vertical

Suppose the sum of the first m terms of an arithmetic progression is n and the sum of its first n terms is m , where $m \neq n$. Then the sum of the first $(m + n)$ terms of the arithmetic progression is

- A. $1 - mn$ B. $mn - 5$ C. $-(m + n)$ D. $m + n$

Question Number : 3 Question Id : 6584303923 Display Question Number : Yes Single Line Question Option : No Option Orientation : Vertical

मान लें कि एक समांतर श्रेणी (arithmetic progression) के पहले m पदों का योग n है एवं इसके पहले n पदों का योग m है। यहाँ $m \neq n$ है। तब इस श्रेणी के पहले $(m + n)$ पदों का योग होगा:

- A. $1 - mn$ B. $mn - 5$ C. $-(m + n)$ D. $m + n$

Question Number : 4 Question Id : 6584303924 Display Question Number : Yes Single Line Question Option : No Option Orientation : Vertical

Consider the following two statements:

- I. Any pair of consistent linear equations in two variables must have a unique solution.
- II. There do *not* exist two consecutive integers, the sum of whose squares is 365.

Then

- A. both I and II are true
- B. both I and II are false
- C. I is true and II is false
- D. I is false and II is true

Question Number : 4 Question Id : 6584303924 Display Question Number : Yes Single Line Question Option : No Option Orientation : Vertical