Submission 2.1

1. Translate into smooth English: $\forall x \forall y ((Px \land Ty \land Dxy \land Oxy) \rightarrow \neg \exists z (Pz \land Kzxy))$. Let "Px" mean "x is a person", "Tx" mean "x is a time", "Dxy" mean "x is down at time y", "Oxy" mean "x is out at time y", and "Kxyz" mean "x knows y at time z".

Every pair of individuals x and y is such that if x is a person, y is a time, x is down at time y, and x is out at time y, then there is no z such that if z is a person, z knows x at time y. More English-y: If someone is down and out, they cannot be known by someone else at that time. Even more English-y: Nobody knows you when you're down and out.

For problems 2-15: Write a sentence in quantificational logic that captures as much of the given information as possible. Remember to delineate the extensions you assign to names and predicates.

2. All's well that ends well. (Shakespeare) (B 148)

Ax: x is well

Bx: x ends well

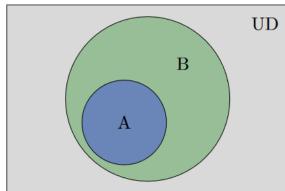
 $\forall x (Bx \to Ax)$

3. The things which are seen are temporal; but the things which are not seen are eternal. (II Corinthians 4:18) (B 169)

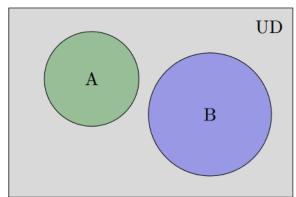
Ax: x is seen

Bx: x is eternal

 $\forall x((Ax \to \neg Bx) \land (\neg Ax \to Bx))$, which is equivalent to $\forall x(Ax \leftrightarrow \neg Bx)$.



4. \bigsqcup Ax: x is in A
Bx: x is in B $\forall x(Ax \to Bx)$



5. Ax: x is in A
Bx: x is in B

 $\forall x (Ax \leftrightarrow \neg Bx)$

6. If you don't love yourself, you can't love anybody else.

Lxy: x loves y

y: you

 $\neg Lyy \rightarrow \neg \exists x(Lyx)$

7. NSYNC is the best band ever.

n: NSYNC

A: is the best band

An

8. Somebody loves everybody.

Axy: x loves y $\exists x \forall y (Axy)$

9. There is someone for everybody.

Axy: There is x for y $\exists x \forall y (Axy)$

10. Scrooge doesn't love anybody.

Axy: x loves y s: Scrooge $\neg \exists x(Lsx)$

11. Only the shallow know themselves. (Oscar Wilde) (B 169)

Ax: x is shallow Bx: x knows itself $\forall x(Bx \rightarrow Ax)$

12. Everybody has a mother.

Ax: x has a mother

 $\forall x(Ax)$