

1. list of  $n$  elements

each comparison takes two elements

and  $n(n-1)$  loops occur therefore  $\frac{n[n-1]}{2} = \text{No. Comparisons}$

number of swaps average will be half elements already in order. therefore its number of comparisons halved

$$\frac{n[n-1]}{2} \times \frac{1}{2} = \frac{n[n-1]}{4}$$

4/ graph shows a quadratic graph ( $n^2$ )

where the number of swaps are around half of number of comparisons