$$-A_{01} - :=$$

$$-A_{02} - := H - H$$

$$-A_{10} - := H - H$$

$$-A_{20} - := H - H$$

Lem 1 By definition and
$$C_2$$
, we have 1. (1) $-H -A_{01} = -A_{10}$

(2)
$$-H -A_{02} - = -A_{20} -$$

$$(3) \quad -H -A_{10} - = -A_{02} -$$

$$(6) \quad -H -A_{20} - = -A_{01} -$$

1. (2). LHS :=
$$H - H - H = : -A_{20} = 1.$$
 (2). RHS

1. (3). LHS :=
$$-H - H = : -A_{02} = 1.$$
 (3). RHS

1. (6). LHS :=
$$-H - H - H - G_2 - G_{01} = 1.$$
 (6). RHS.

$$-A_{11} := S H$$

$$-A_{21} := H H S S H$$

$$-A_{22} := H H S H$$

$$RI : -H S - H = -S - S - H - S^2 - X^2 - \cdot (-\omega^2)$$

$$R': HSSH = HHSHXS \cdot (-w)$$

Lem 2 By definition,
$$C_2$$
 & R_1 , we have 1. (4) $-H$ $-A_{11}$ = $-A_{12}$ $-S^2$ $-X^2$. (-w²)

(5)
$$-H -A_{12} = -A_{22} \times S - \cdot (-w)$$

(7)
$$-H - A_{21} - = -A_{11} - X - S - \cdot (-\omega)$$

(8)
$$-H - A_{22} - = -A_{21} - S^2 - X^2 - \cdot (-w^2)$$

Proof: 1. (4). LHS :=
$$H$$
 S H S^2 X^2 $(-\omega^2)$

$$=: -A_{12} - S^2 - X^2 - \cdot (-\omega^2) = 1.$$
 (4) RHS

=:
$$-A_{22}$$
 X S - · (- w) = 1.(5). RHS

$$=: -A_{11}-X-S-\cdot(-w)=1.$$
 (7). RHS

=:
$$-A_{21}$$
 S^2 χ^2 · $(-\omega^2) = 1. (8) RHS$