04_scikit-learn-Dataset_PCA

December 14, 2019

1 Informazioni Utili

- Pagina dove poter scaricale il materiale: https://visiont3lab.github.io/machine_learning/
- Repositorio Git dove trovare anche la cartella projects https://github.com/visiont3lab/machine_learning dove vi sono esempi di classi e funzioni.
- Esempio_Pratico_PCA_Regressione.py
- Esempio_Pratico_LogisticRegression.py
- windows-vscode-python-instructions.md Instruzioni su come scaricare VSCODE per windows e configurarlo usando python

2 Cosa andremo a fare oggi?

- Creazione di un dataset usando la libreria pandas. Come passare da numpy array to pandas dataframe
- Scikit-Learn datasets Spiegazione, nozioni su come scaricarli applicazione della regressione lineare a un dataset di scikit-learn (diabetes dataset)
- Cosa significa correlazione? Quando e perchè si utilizza
- Principal Component Analysis (PCA) dimensionality reduction
 - Riduzione del numero di input a un numero fisso (es. 2)
 - Come facciamo a riddure il numero degli input senza ridurre il contenuto di informazioni del nostro dataset iniziale?
- Esempio pratico: Regressione lineare applicata a un dataset con e senza PCA.

3 Creazione di un dataset usando la libreria pandas

In questo paragrafo andiamo a vedere come creare una classe dataset usando sia numpy che pandas in modo che possiamo facilmente applicare le regressioni studiate a questo. Inoltre vedremo come utilizare i dataset di scikit-learn.

```
[0]:

Y = Salario al mese in euro

X1 = Età del lavoratore

X2 = Numero di ore mensili di lavoro

X3 = Indice di esperienza da 1 a 10

Equazione = Y = w0 + w1*X1 + w2*X2 + w3*X3
```

```
1) Marco: Y=1100 X1=19 X2=150
                                          X3=6
                                                   Y = w0*1 + w1*X1 + w2*X2 + w3*X3_{\square}
 \rightarrow --> 1100 = w0*1 + w1*19 + w2*150 + w3*6
2) Daniele: Y=1150 X1=21
                                X2=1.35
                                          X3=8
                                                   Y = w0*1 + w1*X1 + w2*X2 + w3*X3_{11}
 \rightarrow --> 1100 = w0*1 + w1*21 + w2*135 + w3*8
3) Davide: Y=1155
                       X1=22
                                                   Y = w0*1 + w1*X1 + w2*X2 + w3*X3_{11}
                               X2=160
                                          X3=5
 \rightarrow --> 1100 = w0*1 + w1*22 + w2*160 + w3*5
4) Marta:
              Y=1170 X1=23 X2=158
                                          X3=7
                                                   Y = w0*1 + w1*X1 + w2*X2 + w3*X3_{11}
 \rightarrow --> 1100 = w0*1 + w1*23 + w2*158 + w3*7
6) Alessia: Y=1200 X1=26 X2=155
                                                  Y = w0*1 + w1*X1 + w2*X2 + w3*X3_{11}
                                          X3=7
 \leftrightarrow --> 1100 = w0*1 + w1*26 + w2*155 + w3*7
9) Stella: Y=1750 X1=33 X2=120
                                          X3=10
                                                  Y = w0*1 + w1*X1 + w2*X2 + w3*X3_{11}
 \rightarrow --> 1100 = w0*1 + w1*33 + w2*120 + w3*10
10) Chiara Y=1640 X1=29 X2=130
                                          x3=9
                                                  Y = w0*1 + w1*X1 + w2*X2 + w3*X3_{11}
 \rightarrow --> 1100 = w0*1 + w1*29 + w2*130 + w3*9
 111
import pandas as pd
class Dataset():
    def init (self):
       self.X = np.array([[19,150,6],[21,135,8], [22,160,5], [23,158,7],__
 \rightarrow [26,155,7], [33,120,10],[29,130,9]])
       self.Y = np.array([[1100],[1150],[1155],[1170],[1200],[1750],[1640]])
    def createPandasDataset(self):
         df_X = pd.DataFrame(data=self.X, columns =["età", "ore mensili", ___
 →"esperienza"])
         df_Y = pd.DataFrame(data=self.Y, columns =["salario"])
         return df_X, df_Y
myDataset = Dataset()
df_X, df_Y = myDataset.createPandasDataset()
display(df_X)
display(df_Y)
   età
       ore mensili esperienza
0
    19
                 150
```

```
21
                  135
                                  8
1
    22
                                  5
2
                  160
                                  7
3
    23
                  158
4
    26
                  155
                                 7
                                10
5
    33
                  120
6
    29
                  130
                                  9
```

```
solario
0 1100
```

```
1 1150
2 1155
3 1170
4 1200
5 1750
6 1640
```

4 Scikit-Learn datasets spiegazione e nozioni su come scaricarli.

Andremo a vedere quali dataset sono disponibili in scikit-learn, come scaricarli e capirne il contenuto.

• Sklearn dataset page

I dataset disponibili sono i seguenti: * Regressione: * Boston houses price dataset * Diabetes dataset * Linnerrud Dataset * Classificazione: * Iris plant dataset * Optical recognition of handwritten digits dataset

* Wine Recognition dataset * Breast cancer wisconsin (diagnostic) dataset

Implementazione di una classe capace di scaricare i dati da scikit-learn, visualizzarli e analizzarli.

```
[10]: # Importane i datasets
     from sklearn import datasets
     import pandas as pd
     class ScikitLearnDatasets:
       def __init__(self, dataset_name):
         # Load all scikit-learn dataset
         if ("iris"==dataset_name):
           self.dataset_scelto = datasets.load_iris() # Classificazione iris dataset
         elif ("digits"==dataset_name):
           self.dataset_scelto = datasets.load_digits() # Classificazione Load_
      \rightarrow digits dataset
         elif ("wine"==dataset_name):
           self.dataset_scelto = datasets.load_wine() # Classificazione Load wine_u
      \hookrightarrow dataset
         elif ("breast_cancer"==dataset_name):
           self.dataset_scelto = datasets.load_breast_cancer() # Classificazione_u
      \rightarrowLoad breast_cancer dataset
         elif ("boston"==dataset_name):
           self.dataset_scelto = datasets.load_boston() # Regressione Load boston_
      \rightarrow dataset
           self.dataset_scelto.update([ ('target_names', ['Boston-House-Price'])] )
         elif ("diabetes"==dataset_name):
           self.dataset_scelto = datasets.load_diabetes() # Regressione Load_
      \rightarrow diabetes dataset
           self.dataset_scelto.update([ ('target_names', ['Desease-Progression'])] )
```

```
elif ("linnerud"==dataset_name):
    self.dataset_scelto = datasets.load_linnerud() # Regressione Load_
\rightarrow linnerud dataset
  else:
    self.dataset_scelto = diabetes # Regressione default choice
  # Print dataset information
  self.printDatasetInformation()
def printDatasetInformation(self):
  #print(dataset_scelto)
  parametri = self.dataset_scelto.keys()
  valore = self.dataset_scelto.values()
  print(parametri)
  # Print useful information
  for name in parametri:
    print("----")
    print(name , self.dataset_scelto[name])
    print("----")
def getXY(self):
  # Get Input (X) Data
  X = self.dataset_scelto['data'] # or data = iris.get('data')
  X_names = self.dataset_scelto['feature_names']
  # Get Output (Y) Target
  parametri = self.dataset_scelto.keys()
  Y = self.dataset_scelto['target']
  Y_names = self.dataset_scelto['target_names']
  print("Dataset Parameters: ", parametri)
  print("Feature Names: ", X_names)
  print("Output Names: ", Y_names)
  print("Input X Shape: " , X.shape)
  print("Output Y Shape: " , Y.shape)
  return X,Y,X_names,Y_names
def createPandasDataFrame(self,X,Y,X_names,Y_names,dataset_name):
  df_X = pd.DataFrame(data=X, columns =X_names)
  df_Y = pd.DataFrame(data=Y, columns =Y_names)
  return df_X, df_Y
def writeDataFrameToCsv(self,df_X,df_Y):
  # Create csv file
  df_X.to_csv(dataset_name + '_X.csv', sep = ',', index = False)
  df_Y.to_csv(dataset_name + '_Y.csv', sep = ',', index = False)
```

```
# Choose the dataset
# Regressione: "boston", "diabetes",
# Classificazione: "iris", "digits", "wine", "breast_cancer "
# Regressione: "diabetes", "boston", "linnerud"
dataset_name = "diabetes"
myScikitLearnDatasets=ScikitLearnDatasets(dataset_name)
X,Y,X_names,Y_names = myScikitLearnDatasets.getXY()
df X,df Y = myScikitLearnDatasets.

¬createPandasDataFrame(X,Y,X_names,Y_names,dataset_name)

myScikitLearnDatasets.writeDataFrameToCsv(df_X,df_Y)
display(df_X)
display(df_Y)
dict_keys(['data', 'target', 'DESCR', 'feature_names', 'data_filename',
'target_filename', 'target_names'])
_____
data [[ 0.03807591  0.05068012  0.06169621  ... -0.00259226  0.01990842
  -0.01764613]
 [-0.00188202 -0.04464164 -0.05147406 \dots -0.03949338 -0.06832974]
 -0.09220405]
 [ 0.08529891 \ 0.05068012 \ 0.04445121 \dots -0.00259226 \ 0.00286377 ]
 -0.02593034]
 [0.04170844 \quad 0.05068012 \quad -0.01590626 \quad \dots \quad -0.01107952 \quad -0.04687948
  0.01549073]
 [-0.04547248 -0.04464164 \ 0.03906215 \dots \ 0.02655962 \ 0.04452837
 -0.02593034
 [-0.04547248 \ -0.04464164 \ -0.0730303 \ \dots \ -0.03949338 \ -0.00421986]
  0.00306441]]
_____
target [151. 75. 141. 206. 135. 97. 138. 63. 110. 310. 101. 69. 179. 185.
 118. 171. 166. 144. 97. 168. 68. 49. 68. 245. 184. 202. 137. 85.
 131. 283. 129. 59. 341. 87. 65. 102. 265. 276. 252. 90. 100.
  61. 92. 259. 53. 190. 142. 75. 142. 155. 225. 59. 104. 182. 128.
 52. 37. 170. 170. 61. 144. 52. 128. 71. 163. 150. 97. 160. 178.
 48. 270. 202. 111. 85. 42. 170. 200. 252. 113. 143. 51. 52. 210.
  65. 141. 55. 134. 42. 111. 98. 164. 48. 96. 90. 162. 150. 279.
 92. 83. 128. 102. 302. 198. 95. 53. 134. 144. 232. 81. 104. 59.
 246. 297. 258. 229. 275. 281. 179. 200. 200. 173. 180. 84. 121. 161.
 99. 109. 115. 268. 274. 158. 107. 83. 103. 272. 85. 280. 336. 281.
 118. 317. 235. 60. 174. 259. 178. 128. 96. 126. 288. 88. 292. 71.
 197. 186. 25. 84. 96. 195. 53. 217. 172. 131. 214. 59. 70. 220.
 268. 152. 47. 74. 295. 101. 151. 127. 237. 225. 81. 151. 107.
 138. 185. 265. 101. 137. 143. 141. 79. 292. 178. 91. 116. 86. 122.
```

```
72. 129. 142. 90. 158. 39. 196. 222. 277. 99. 196. 202. 155. 77.
              49. 65. 263. 248. 296. 214. 185. 78. 93. 252. 150.
191. 70. 73.
         77. 108. 160. 53. 220. 154. 259. 90. 246. 124.
                                                          67.
257. 262. 275. 177. 71.
                        47. 187. 125.
                                       78.
                                           51. 258. 215. 303. 243.
 91. 150. 310. 153. 346.
                        63. 89. 50.
                                      39. 103. 308. 116. 145.
              87. 202. 127. 182. 241.
                                           94. 283.
                                                     64. 102. 200.
45. 115. 264.
                                       66.
265. 94. 230. 181. 156. 233. 60. 219.
                                       80. 68. 332. 248.
55. 85. 89. 31. 129. 83. 275. 65. 198. 236. 253. 124. 44. 172.
114. 142. 109. 180. 144. 163. 147. 97. 220. 190. 109. 191. 122. 230.
242. 248. 249. 192. 131. 237. 78. 135. 244. 199. 270. 164.
                                                          72.
306. 91. 214. 95. 216. 263. 178. 113. 200. 139. 139. 88. 148.
243. 71. 77. 109. 272. 60. 54. 221. 90. 311. 281. 182. 321.
262. 206. 233. 242. 123. 167. 63. 197.
                                      71. 168. 140. 217. 121. 235.
245. 40. 52. 104. 132. 88. 69. 219.
                                      72. 201. 110. 51. 277.
118. 69. 273. 258. 43. 198. 242. 232. 175. 93. 168. 275. 293. 281.
72. 140. 189. 181. 209. 136. 261. 113. 131. 174. 257. 55.
146. 212. 233. 91. 111. 152. 120. 67. 310. 94. 183. 66. 173.
 49. 64. 48. 178. 104. 132. 220. 57.]
```

DESCR .. _diabetes_dataset:

Diabetes dataset

Ten baseline variables, age, sex, body mass index, average blood pressure, and six blood serum measurements were obtained for each of n=442 diabetes patients, as well as the response of interest, a quantitative measure of disease progression one year after baseline.

Data Set Characteristics:

:Number of Instances: 442

:Number of Attributes: First 10 columns are numeric predictive values

:Target: Column 11 is a quantitative measure of disease progression one year after baseline

:Attribute Information:

- Age
- Sex
- Body mass index
- Average blood pressure
- S1
- S2
- S3
- S4

```
- S5
```

- S6

Note: Each of these 10 feature variables have been mean centered and scaled by the standard deviation times `n_samples` (i.e. the sum of squares of each column totals 1).

```
Source URL:
https://www4.stat.ncsu.edu/~boos/var.select/diabetes.html
For more information see:
Bradley Efron, Trevor Hastie, Iain Johnstone and Robert Tibshirani (2004) "Least
Angle Regression," Annals of Statistics (with discussion), 407-499.
(https://web.stanford.edu/~hastie/Papers/LARS/LeastAngle 2002.pdf)
_____
feature_names ['age', 'sex', 'bmi', 'bp', 's1', 's2', 's3', 's4', 's5', 's6']
_____
data_filename /usr/local/lib/python3.6/dist-
packages/sklearn/datasets/data/diabetes data.csv.gz
_____
_____
target_filename /usr/local/lib/python3.6/dist-
packages/sklearn/datasets/data/diabetes_target.csv.gz
_____
target_names ['Desease-Progression']
_____
Dataset Parameters: dict_keys(['data', 'target', 'DESCR', 'feature_names',
'data_filename', 'target_filename', 'target_names'])
Feature Names: ['age', 'sex', 'bmi', 'bp', 's1', 's2', 's3', 's4', 's5', 's6']
Output Names: ['Desease-Progression']
Input X Shape: (442, 10)
Output Y Shape: (442,)
                           bmi ...
                                          s4
                                                   s5
                  sex
         age
0
    0.038076 \quad 0.050680 \quad 0.061696 \quad \dots \quad -0.002592 \quad 0.019908 \quad -0.017646
1
   -0.001882 -0.044642 -0.051474 \dots -0.039493 -0.068330 -0.092204
2
    0.085299 \quad 0.050680 \quad 0.044451 \quad \dots \quad -0.002592 \quad 0.002864 \quad -0.025930
3
   -0.089063 -0.044642 -0.011595 \dots 0.034309 0.022692 -0.009362
4
    0.005383 - 0.044642 - 0.036385 \dots -0.002592 - 0.031991 - 0.046641
         . . .
                  . . .
                                         . . .
                                                  . . .
```

[442 rows x 10 columns]

	Desease-Progression
0	151.0
1	75.0
2	141.0
3	206.0
4	135.0
437	178.0
438	104.0
439	132.0
440	220.0
441	57.0

[442 rows x 1 columns]

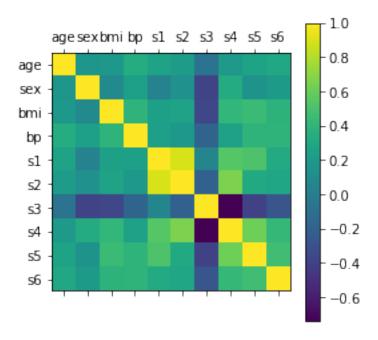
5 Cosa significa correlazione?

Andiamo a vedere come si interpreta la matrice di correlazione. Rispondiamo alla domanda:

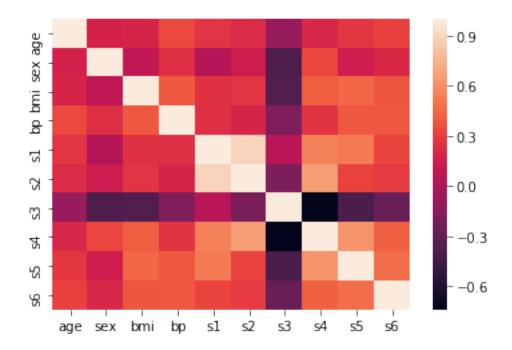
Come deve essere la matrice di correlazione?

La correlazione esprime quanto due feature (esempio età e sesso) sono simili tra loro. Al fine di avere un dataset utile alla nostra regressione lineare è necessario che non vi sia troppa correlazione tra i dati. Se ciò accadesse significherebbe che stiamo usando diverse volte informazioni molto simili per risolvere un problema.

```
[0]: import matplotlib.pyplot as plt
# Correlation Matrix
plt.matshow(df_X.corr())
plt.xticks(range(len(df_X.columns)), df_X.columns)
plt.yticks(range(len(df_X.columns)), df_X.columns)
plt.colorbar()
plt.show()
```



- [5]: df_X.corr().style.background_gradient(cmap='coolwarm').set_precision(2)
- [5]: <pandas.io.formats.style.Styler at 0x7f3437020dd8>
- [6]: <matplotlib.axes._subplots.AxesSubplot at 0x7f3407ea9320>



6 Dimensionality Reduction (Principal Component Analysis PCA)

Nel caso vi sia una situazione in cui la correlazione tra le features è molto alta possiamo sia manualmente rimuovere le feature che consideriamo superflue oppure utilizzare la PCA. Quest'ultima si occupa di creare nuove features (se prima ne avevamo 10 adesso ne avremo un numero minore) che non hanno un significato fisico ma che sono sufficienti a rappresentare il nostro dataset. In poche parole semplichiamo gli input (features) al minimo numero necessario. Questò fara si che tra gli input vi sia pochissima correlazione in quanto ogni input features avrà un valore diverso dalle altre.

IMPORTANTE: Il calcolo della principal componet analysis (PCA) è fortemente influenzato dalla scala. Quindi è necesseria avere per tutti gli input (features) una scala comune.

Standardizzare i dati significarli ricondurli a una scala il cui mean=0 e la variance=1.

```
[7]: from sklearn.preprocessing import StandardScaler
  features = X_names
  # Separating out the features
  x = df_X
  # Separating out the target
  y = df_Y
  # Standardizing the features
  x = StandardScaler().fit_transform(x)
  df_X_Standard = pd.DataFrame(data = x , columns = X_names)
  display(df_X)
  display(df_X_Standard)
  df_X.keys()
```

```
bmi
                                                 s4
                                                           s5
             age
                       sex
   0
        0.038076 \quad 0.050680 \quad 0.061696 \quad \dots \quad -0.002592 \quad 0.019908 \quad -0.017646
   1
       -0.001882 -0.044642 -0.051474
                                      ... -0.039493 -0.068330 -0.092204
   2
        0.085299 0.050680 0.044451
                                      ... -0.002592 0.002864 -0.025930
   3
       -0.089063 -0.044642 -0.011595
                                           0.034309 0.022692 -0.009362
        0.005383 -0.044642 -0.036385
   4
                                      ... -0.002592 -0.031991 -0.046641
                                                . . .
        0.041708 0.050680 0.019662
                                      ... -0.002592 0.031193 0.007207
   438 -0.005515 0.050680 -0.015906
                                      ... 0.034309 -0.018118 0.044485
        0.041708 0.050680 -0.015906
                                      ... -0.011080 -0.046879
                                                               0.015491
   440 -0.045472 -0.044642 0.039062 ... 0.026560 0.044528 -0.025930
   441 -0.045472 -0.044642 -0.073030 ... -0.039493 -0.004220 0.003064
   [442 rows x 10 columns]
             age
                       sex
                                 bmi
                                                 s4
                                                           s5
   0
        0.800500 1.065488
                           1.297088
                                      ... -0.054499 0.418551 -0.370989
       -0.039567 -0.938537 -1.082180
   1
                                      ... -0.830301 -1.436551 -1.938479
        1.793307 1.065488 0.934533
                                      ... -0.054499 0.060207 -0.545154
   3
       -1.872441 -0.938537 -0.243771
                                      ... 0.721302 0.477072 -0.196823
   4
        0.113172 -0.938537 -0.764944 ... -0.054499 -0.672582 -0.980568
   437
        0.876870 1.065488
                           0.413360
                                      ... -0.054499 0.655795 0.151508
   438 -0.115937 1.065488 -0.334410 ... 0.721302 -0.380915 0.935254
        0.876870 1.065488 -0.334410
                                      ... -0.232934 -0.985585
                                                               0.325674
   440 -0.956004 -0.938537 0.821235 ... 0.558384 0.936155 -0.545154
   441 -0.956004 -0.938537 -1.535374 ... -0.830301 -0.088717 0.064426
   [442 rows x 10 columns]
[7]: Index(['age', 'sex', 'bmi', 'bp', 's1', 's2', 's3', 's4', 's5', 's6'],
   dtype='object')
```

6.1 Riduciamo il numero delle features (input) a 2 usando la PCA

```
principal component 1 principal component 2
0
                   0.587208
                                          -1.946828
1
                  -2.831612
                                           1.372085
2
                   0.272148
                                          -1.634898
3
                   0.049310
                                           0.382253
                  -0.756451
4
                                           0.811968
437
                   1.239531
                                          -1.035955
                  1.264676
                                           0.761301
438
439
                 -0.205246
                                          -1.205446
                                           0.210117
440
                  0.692866
441
                 -1.903934
                                           3.975771
[442 rows x 2 columns]
```

[8]: array([0.40242142, 0.14923182])

Dobbiamo capire il levello di informazione di ogni singola componente trovata. Quando riduciamo la dimensionalità perdiamo delle informazioni in quanto il numero di input è stato ridotto. Vogliamo chiederci adesso le componenti 1 e 2 quanta informazione contengono? La compomente 1 contiene il 40% della varianza mentre la componete 2 il 14 %. Insieme essi contengono il 54% della varianza. Cioè significa che rispetto alle informazioni iniziali abbiamo perso il 46%.

6.2 Come facciamo a riddure il numero degli input senza ridurre il contenuto di informazioni del nostro dataset iniziale?

Mantenere esattamente il 100 % delle informazioni è impossibile. Pertanto ridurremo di poco il contenuto delle informazioni (es. 90%). Questo ci permetterà di ridurre il numero di input ed avere allo stesso tempo un predizione ottima.

```
[9]: from sklearn.decomposition import PCA
# If 0 < n_components < 1 and sud_solver == 'full', select the number of
# components such that the amount of variance that needs to be explained
# is greater than the percentage specified by n_components.
pca = PCA(n_components=0.90)
x = df_X.values
x = StandardScaler().fit_transform(x)
principalComponents = pca.fit_transform(x)

row_number = principalComponents.shape[1]
X_names_new = []
for i in range(0,row_number):
    name = "component_" + str(i)
    X_names_new.append(name)

principalDf = pd.DataFrame(data = principalComponents ,columns=X_names_new)
display(principalDf)</pre>
```

```
# Varianza associata ad ogni componente
variance_arr = pca.explained_variance_ratio_
tot_variance = 0
for variance in variance_arr:
   temp_variance = variance*100
   tot_variance += temp_variance
print(tot_variance)
```

```
component_0 component_1 ...
                                component_5 component_6
0
       0.587208
                  -1.946828
                                              -0.179807
                                  -1.011214
1
                  1.372085 ...
      -2.831612
                                  -1.013015
                                               0.224414
2
       0.272148
                  -1.634898 ...
                                  -1.112806
                                              -0.462406
3
       0.049310
                 0.382253 ...
                                  0.445315
                                               0.482147
4
      -0.756451
                  0.811968 ...
                                  -0.814591
                                               0.436451
                       1.239531
               -1.035955 ...
                                 -0.479371
                                             0.394431
437
438
      1.264676
                  0.761301 ...
                                  0.973430
                                              -1.173570
439
      -0.205246
                  -1.205446 ...
                                 -0.045289
                                              -0.635451
440
                   0.210117 ...
                                  -0.556900
       0.692866
                                               0.545703
441
      -1.903934
                   3.975771 ...
                                  1.647108
                                               0.245265
```

[442 rows x 7 columns]

94.79436357350414

7 Esempio Pratico

- 1. Scarichiamo il boston dataset
- 2. Dividiamo i dati in training e test
- 3. Applichiamo la PCA
- 4. Compariamo la predizione di un Regressore Lineare con e senza pca

```
[0]: from sklearn.preprocessing import StandardScaler
    from sklearn.decomposition import PCA
    import pandas as pd
    import matplotlib.pyplot as plt
    import numpy as np
    from sklearn import datasets
    import os
    from sklearn import linear_model
    from sklearn.metrics import mean_squared_error
    from sklearn.model_selection import train_test_split
    plt.rcParams['figure.figsize'] = [15, 10]
# FUNCTION: Standard data with 0 mean and unit variance (Gaussian)
```

```
def standardScaler(df):
    # Input pandas dataframe Output pandas dataframe scaled
    names = list(df.keys())
    data = df.values
    data_scaled = StandardScaler().fit_transform(data)
    df_scaled = pd.DataFrame(data = data_scaled , columns=names)
    #print(df)
    #print(df_scaled)
    return df scaled
# FUNCTION: Create pandas dataframe from numpy array
def createPandasDataFrame(X,Y,X_names,Y_names):
 df_X = pd.DataFrame(data=X, columns =X_names)
 df_Y = pd.DataFrame(data=Y, columns =Y_names)
 return df_X, df_Y
# FUNCTION: Write pandas dataframe to csv file
def writeDataFrameToCsv(df_X,df_Y,directory_path,dataset_name):
 if not os.path.exists(directory_path):
    os.makedirs(directory_path)
 # Create csv file
 path_write = os.path.join(directory_path, dataset_name)
 df_X.to_csv(path_write + '_X.csv', sep = ',', index = False)
 df_Y.to_csv(path_write + '_Y.csv', sep = ',', index = False)
# FUNCTION: Read from csv file a dataset
def readDataFrameFromCsv(directory_path, dataset_name):
 path_read = os.path.join(directory_path, dataset_name)
 if not os.path.exists(directory_path):
   print("Directory path does not exist")
 df_X = pd.read_csv(path_read + '_X.csv')
 df_Y = pd.read_csv(path_read + '_Y.csv')
 return df_X, df_Y
# CLASS: PCA class to do input dimensionality reduction
class dimensionalityReduction():
    def __init__(self,n_components):
        # define pca
        self.pca = PCA(n_components)
    def create_names(self,col_number):
       names = []
        for i in range(0,col_number):
            name = "component_" + str(i)
            names.append(name)
```

```
return names
     def fit(self,df):
         df_scaled = standardScaler(df)
         model = self.pca.fit(df_scaled.values)
         information_array = model.explained_variance_ratio_ *100.00
         total_information = np.sum(information_array)
         return model,information_array, total_information
     def transform(self, model,df):
         # Input dataframe
         principalComponents = model.transform(df.values)
         names = self.create names(col number=principalComponents.shape[1])
         df scaled = pd.DataFrame(data = principalComponents , columns = names)
         return df_scaled
 # CLASS: Easily import different datasets
class ScikitLearnDatasets():
  def __init__(self, dataset_name):
     # Load all scikit-learn dataset
     if ("iris"==dataset name):
       self.dataset_scelto = datasets.load_iris() # Classificazione iris_
\rightarrow dataset
     elif ("digits"==dataset_name):
       self.dataset_scelto = datasets.load_digits() # Classificazione Load_
\rightarrow digits dataset
     elif ("wine"==dataset name):
       self.dataset_scelto = datasets.load_wine() # Classificazione Load wine_u
\rightarrow dataset
     elif ("breast_cancer"==dataset_name):
       self.dataset_scelto = datasets.load_breast_cancer() # Classificazione_
\rightarrowLoad breast_cancer dataset
     elif ("boston"==dataset name):
       self.dataset scelto = datasets.load boston() # Regressione Load boston
\rightarrow dataset
       self.dataset_scelto.update([ ('target_names', ['Boston-House-Price'])] )
     elif ("diabetes"==dataset_name):
       self.dataset_scelto = datasets.load_diabetes() # Regressione Load_
\rightarrow diabetes dataset
       self.dataset_scelto.update([('target_names', ['Desease-Progression'])]
→)
     elif ("linnerud"==dataset_name):
       self.dataset_scelto = datasets.load_linnerud() # Regressione Load_
\rightarrow linnerud dataset
     else:
```

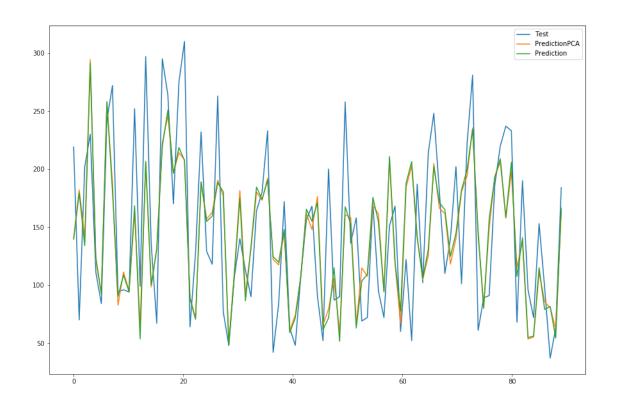
```
self.dataset_scelto = "diabetes" # Regressione default choice
    # Print dataset information
    #self.printDatasetInformation()
  def printDatasetInformation(self):
    #print(dataset_scelto)
    parameters = self.dataset_scelto.keys()
    data = self.dataset scelto.values()
    #print(parameters)
    # Print useful information
    for name in parameters:
      print("----")
      print(name , self.dataset_scelto[name])
      print("----")
  def getXY(self):
    # Get Input (X) Data
    X = self.dataset_scelto['data'] # or data = iris.get('data')
    X_names = self.dataset_scelto['feature_names']
    # Get Output (Y) Target
    parameters = self.dataset_scelto.keys()
    Y = self.dataset_scelto['target']
    Y_names = self.dataset_scelto['target_names']
    return X,Y,X_names,Y_names
 # CLASS: Linar Regression
class LinearRegression():
    def __init__(self):
      # Inizializzazione
      # https://scikit-learn.org/stable/modules/linear_model.
\hookrightarrow html\#ridge-regression-and-classification
      self.model = linear_model.LinearRegression(fit_intercept=True,_
→normalize=False)
    def train(self,X,Y):
      # Stimare w0, w1 .. wN
      trained_model = self.model.fit(X,Y)
      #print("w1,w2 .. wN : ",self.model.coef_)
      #print("w0 : ", self.model.intercept_)
      return trained_model
    def predict(self, X_test, trained_model):
      Y_pred = trained_model.predict(X_test)
```

```
return Y_pred
          def evaluate(self, X_test, Y_test, trained_model):
            Y_pred = trained_model.predict(X_test)
            R2_score = trained_model.score(X_test, Y_test)
            RMSE_score = (np.sqrt(mean_squared_error(Y_test, Y_pred)))
            return Y_pred,R2_score, RMSE_score
          def plot(self,Y_test,Y_pred):
              length = Y_pred.shape[0] # 20
              index_bar = np.linspace(0,length,length)
              plt.plot(index_bar, Y_test, label='Test')
              plt.plot(index_bar, Y_pred, label='Prediction')
              plt.legend()
              plt.show()
[21]: if __name__ == "__main__":
        # ----- SKLEARN DATASET LOADING ----- #
        # Load sklearn dataset
        # Classificazione: "iris", "digits", "wine", "breast_cancer "
        # Regressione: "diabetes", "boston", "linnerud"
        # 1. Select dataset
        dataset_name = "diabetes"
        # 2. Create class object ScikitLearnDatasets
        myScikitLearnDatasets=ScikitLearnDatasets(dataset name)
        # 3. Print dataset information
        #myScikitLearnDatasets.printDatasetInformation()
        # 4. Get dataset data as numpy array X=input, Y=output and_
     \rightarrow X_names=input_names, Y_names=output_names
        X,Y,X_names,Y_names = myScikitLearnDatasets.getXY()
        # 5. Convert numpy array data to Pandas Dataframe
        df_X,df_Y = createPandasDataFrame(X,Y,X_names,Y_names)
        print("#-----#")
        print("X Input or feature_names: ", X_names)
        print("Y Output or target_names: ", Y_names)
        print("Input X Shape: " , X.shape)
        print("Output Y Shape: " , Y.shape)
        print("Dataframe df_X Input Describe: \n", df_X.describe())
        print("Dataframe df_Y Output Describe: \n", df_Y.describe())
        print("#-----#")
        # 6. Write Pandas dataframe df_X, df_Y to csv file
        directory_path = os.path.join(os.getcwd(), "ScikitLearnDatasets")
        writeDataFrameToCsv(df_X,df_Y,directory_path, dataset_name)
```

```
# ----- READ DATASET FROM CSV ----- #
   # Read previously saved dataset
   # 1. Read csv dataset (example boston X.csv and boston Y.csv) and transform
\rightarrow to pandas daframe
   #dataset_name = "boston" # desired dataset name
  #directory path = os.path.join(os.getcwd(), "ScikitLearnDatasets") #_
\rightarrow dataset folder
  df_X,df_Y = readDataFrameFromCsv(directory_path, dataset_name)
  # ----- Split data into train and test ----- #
  # Split dataset into training and test set
  X_train, X_test, Y_train, Y_test = train_test_split(df_X.values, df_Y.
→values, test_size=0.20, random_state=42)
   # ------ PCA ------ #
  # Principal component analysis (PCA) or dimensionality reduction
  # Number of input is reduced while keeping overall dataset information
  # 1. Covert numpy array to pandas dataframe
  df_X_train = pd.DataFrame(data = X_train , columns=df_X.keys())
  df_X_test = pd.DataFrame(data = X_test , columns=df_X.keys())
  # 2. Initialize PCA (Principal Component Analysis)
  n\_components = 0.95 \# 90\% of the variance
  mydimensionalityReduction = dimensionalityReduction(n_components)
  # 3. Create PCA model (using input training data)
  pcaModel,information_array, total_information = mydimensionalityReduction.
→fit(df_X_train)
  print("#----#")
  print("Information for each new component: ", information_array, "%")
  print("Total Information of the reduced dataset: ", total_information, " %")
  # 4. Apply created PCA model to both training and test dataset
  df_X_train_scaled = mydimensionalityReduction.transform(pcaModel,df_X_train)
  df_X_test_scaled = mydimensionalityReduction.transform(pcaModel,df_X_test)
  X_train_scaled = df_X_train_scaled.values
  X_test_scaled = df_X_test_scaled.values
  #print("Dataset X_train: ", X_train)
  #print("Dataset X_train Reduced: ", X_train_scaled)
  print("Number of inputs with PCA: ",X_train_scaled.shape[1])
  print("Number of inputs without PCA: ",X_train.shape[1])
  print("#-----#")
   # ----- LINEAR REGRESSION WITH PCA DATA ----- #
  # we use reduce input data
  myModelPCA = LinearRegression()
  trained_modelPCA = myModelPCA.train(X_train_scaled, Y_train)
```

```
Y_predPCA,R2_scorePCA, RMSE_scorePCA = myModelPCA.
 →evaluate(X_test_scaled,Y_test,trained_modelPCA)
   print("#---- LINEAR REGRESSION PCA RESULTS -----#")
   print("w1,w2 .. wN : ",trained_modelPCA.coef_)
   print("w0 : ", trained_modelPCA.intercept_)
   print("Score Linear Regression PCA: ", "R2 Score: ", R2 scorePCA, " RMSE, "
 →Score: ", RMSE_scorePCA)
   print("#-----#")
    #myModelPCA.plot(Y_test,Y_pred)
    # ----- #
    # ----- LINEAR REGRESSOR ----- #
    # We use initial data
   myModel = LinearRegression()
   trained_model = myModel.train(X_train, Y_train)
   Y_pred,R2_score, RMSE_score = myModel.evaluate(X_test,Y_test,trained_model)
   print("#-----#")
   print("w1,w2 .. wN : ",trained_modelPCA.coef_)
   print("w0 : ", trained_modelPCA.intercept_)
   print("Score Linear regression without PCA: ", "R2 Score: ", R2_score, "__
 →RMSE Score: ", RMSE_score)
   print("#-----#")
    #myModel.plot(Y test, Y pred)
    length = Y_pred.shape[0] # 20
   index_bar = np.linspace(0,length,length)
   plt.plot(index_bar, Y_test, label='Test')
   plt.plot(index_bar, Y_predPCA, label='PredictionPCA')
   plt.plot(index_bar, Y_pred, label='Prediction')
   plt.legend()
   plt.show()
#----#
X Input or feature_names: ['age', 'sex', 'bmi', 'bp', 's1', 's2', 's3', 's4',
's5', 's6']
Y Output or target_names: ['Desease-Progression']
Input X Shape: (442, 10)
Output Y Shape: (442,)
Dataframe df_X Input Describe:
              age
                         sex ...
count 4.420000e+02 4.420000e+02 ... 4.420000e+02 4.420000e+02
mean -3.634285e-16 1.308343e-16 ... -3.830854e-16 -3.412882e-16
std 4.761905e-02 4.761905e-02 ... 4.761905e-02 4.761905e-02
min -1.072256e-01 -4.464164e-02 ... -1.260974e-01 -1.377672e-01
```

```
25%
   -3.729927e-02 -4.464164e-02 ... -3.324879e-02 -3.317903e-02
50% 5.383060e-03 -4.464164e-02 ... -1.947634e-03 -1.077698e-03
75%
     3.807591e-02 5.068012e-02 ... 3.243323e-02 2.791705e-02
max 1.107267e-01 5.068012e-02 ... 1.335990e-01 1.356118e-01
[8 rows x 10 columns]
Dataframe df Y Output Describe:
      Desease-Progression
           442.000000
count
mean
            152.133484
std
             77.093005
min
            25.000000
25%
            87.000000
50%
            140.500000
75%
            211.500000
            346.000000
max
#----#
#-----#
Information for each new component: [39.68814054 14.77973436 12.51654914
10.10869693 6.58293305 5.93511774
 5.2036642 4.336494421 %
Total Information of the reduced dataset: 99.15133037867369 %
Number of inputs with PCA: 8
Number of inputs without PCA: 10
#----#
#---- LINEAR REGRESSION PCA RESULTS -----#
w1,w2 .. wN : [[ 453.41998089 -244.95319406 372.8080337 524.14406459
-30.20353053
 -252.44550156 125.2975691 34.12174383]]
w0 : [151.30071414]
Score Linear Regression PCA: R2 Score: 0.4557153915064335 RMSE Score:
53.7001159233466
#----#
#-----#
w1,w2 .. wN : [[ 453.41998089 -244.95319406 372.8080337 524.14406459
-30.20353053
 -252.44550156 125.2975691 34.12174383]]
w0 : [151.30071414]
Score Linear regression without PCA: R2 Score: 0.45260660216173787 RMSE
Score: 53.8532569849144
```



8 Referenze utili

- PCA SPiegazione ed esempio
- Scikit-Learn Regressione
- L'importanza di Standardizzare i dati

9 Extra: Come funzionano i dizionari in python

```
wine = datasets.load_wine() # Load wine dataset
breast_cancer = datasets.load_breast_cancer() # Load breast_cancer dataset
dataset_scelto = iris
def approccio_1(dataset_scelto):
 # ----- Approccio 1
 # Get dictionar keys, value
 print(dataset scelto.keys())
 list_keys = []
 list values = []
 for key in dataset_scelto:
   list_keys.append(key)
   print(key)
   value = dataset_scelto[key]
   list_values.append(value)
 print("All keys inside array ", list_keys)
 #print("All values inside array ", list_values)
  # Convert list to numpy array
 print("----")
 array_keys = np.asarray(list_keys)
 array_values = np.array(list_values)
 print(type(array_keys), array_keys.shape, array_keys[0].shape)
 print(type(array_values), array_values.shape,array_values[0].shape)
  # Going deeper inside data shape
 print("----")
 for i in range(0,len(array_keys)):
   if isinstance(array_values[i],np.ndarray):
     print(array_keys[i], type(array_values[i]), array_values[i].shape )
     print(array_keys[i], type(array_values[i]))
  # Other Useful Solutions
  111
 for value in diabetes.values():
   print(value)
 for key, value in diabetes.items():
   print(key, value)
def approccio_2(dataset_scelto):
 #----- Approccio 2
 # Convert a dictionary to an array of string
 list_keys = list(dataset_scelto.keys())
```

```
list_values = list(dataset_scelto.values())
 #print(list_keys)
 print(type(list_keys))
 #print(list_values)
 print(type(list_values))
 # Convert list as numpy narray
 array_keys = np.asarray(list_keys)
 array_values = np.array(list_values)
 print(type(array keys))
 print(type(array_values))
 # Covert back numpy ndarray to list
 new_list_keys = array_keys.tolist()
 new_list_values = array_values.tolist()
 print(type(new_list_keys))
 print(type(new_list_values))
 # Check if the list are equal
 if list_keys == new_list_keys and list_values==new_list_values:
   print ("The lists are identical")
 else :
   print ("The lists are not identical")
print("----")
print("----")
print("----")
approccio_1(dataset_scelto)
print("----")
print("----")
print("----")
approccio_2(dataset_scelto)
```