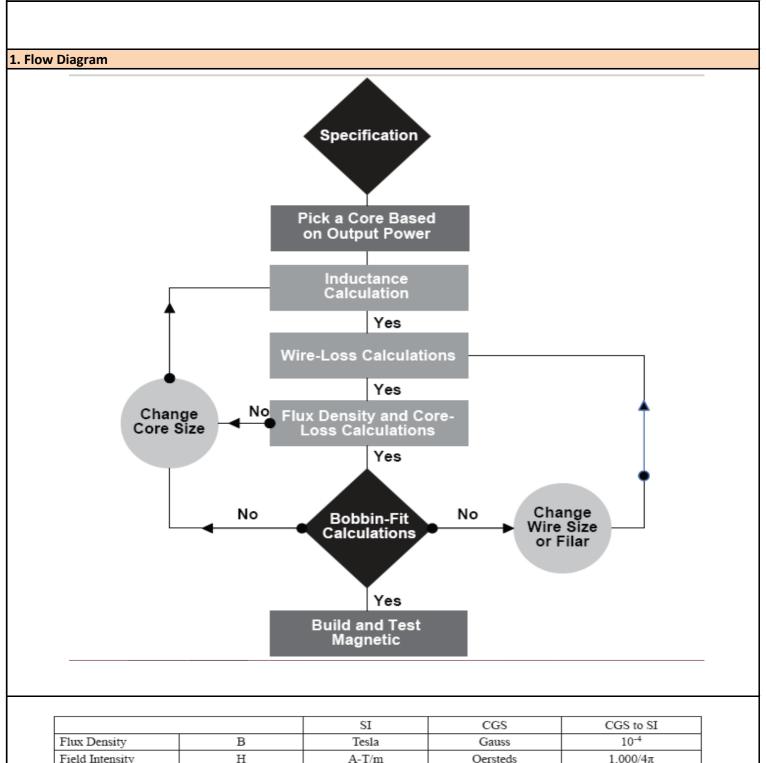
Step by step design of Flyback transformer for QR mode				
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Author - Shiv Mishra

Hardware Developer (Secure Meters Ltd.)
B.E.(Electronics & Communication)
Udaipur (Rajasthan)
Mob - +91-8871232248



		SI	CGS	CGS to SI
Flux Density	В	Tesla	Gauss	10 ⁻⁴
Field Intensity	H	A-T/m	Oersteds	1,000/4π
Permeability	μ	4π x 10 ⁻⁷	1	4π x 10 ⁻⁷
Area	Ae	m ²	cm^2	10 ⁻⁴
Length	le, lg	m	cm	10-2

Table 1-Magnetic parameters and conversion factors.

2. Basic definition and terminology

Inductance

$$Linductance = \frac{.4 \times \pi \times N^2 \times (Ae) \times 10^{-9}}{lg + \frac{le}{\mu}}$$

 $Lind = Al \times N^2$

Where:

Linductance = Henry's

 μ = core permeability

N = number of turns

Ae = core cross-section (mm^2)

le = core magnetic path length (mm)

lg = gap (mm)

Since manufacture specified all data data in mm

Core Geometry

$$le = \frac{\pi(OD - ID)}{\ln\left(\frac{OD}{ID}\right)}$$
(3)

Where:

OD = outside diameter of core (mm)

ID = inside diameter of core (mm)

N = number of turns

Ae = core cross-section (effective area) mm²

le = Mean magnetic path length (mm)

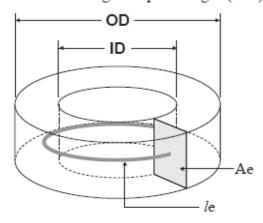


Figure 2 - 1e is a simple calculation with a toroid.

Since manufacture specified in mm, Convert mm to m for SI unit

Ampere's Law

Ampere's law states that the total magnetic force along a closed path is proportional to the ampere-turns in a winding that the path passes through. SI unit.

$$H \approx \frac{N \times I}{le}$$
 amper-turns/meter (A-T/m)

Where:

H = magnetizing force (ampere-turns/meter)

N = number of turns

le = core magnetic path length (m)

I = peak magnetizing current (amperes)

Faraday's Law

The total magnetic flux, Φ, passing through a surface of area, Ae, is related to the flux density, β. The flux rate of change is proportional to the volts per turn applied to a winding. If a secondary winding is coupled to all of the flux in a primary winding, then all of the volts per turn in the primary will be induced in the secondary winding. Lines of flux follow a closed path and have no beginning or end. In the SI system, flux density is expressed in tesla

SI:
$$\Delta \Phi = \frac{1}{N} \int E \times dt$$

 $E = N \times \frac{d\Phi}{dt} \approx N \times Ae \times \frac{d\beta}{dt} \Longrightarrow \beta = \frac{\int E \times dt}{N \times Ae}$

Where:

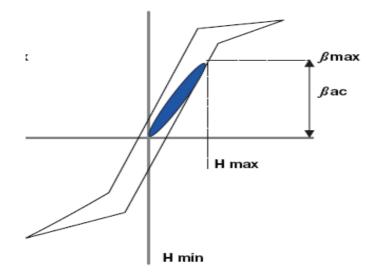
 β = flux density (tesla)

N = number of turns

Ae = effective core area (m^2)

E = voltage across coil (volts)

BH Curves



H is proportional to I (current); therefore, as the peak-to-peak current in a magnetic increases, the excursion of the flux also increases. At the top part of the BH curve, B flattens out; at this point the magnetic is in saturation. Once the current in a magnetic drives the flux to saturation, the core no longer exhibits magnetic properties and the magnetic becomes a wire. Thus it is important to calculate the flux density for a given design to make sure that you don't saturate the core. Bac is peak-to-peak flux density; Bmax is the peak flux density. Bmax assumes square wave excitation.

$$\beta ac = \frac{Vin \times Ton}{Ae \times Np} \qquad \qquad \beta max = \frac{Lp \times Ip}{Ae \times Np}$$

 β = flux density in tesla

Np = number of primary turns

Ton = on time (sec)

Ae = effective core area (m2)

Vin = voltage (volts)

Lp = primary inductance (Henry's)

Ip = peak primary current (A)

Core Loss

The power loss in a core is related to half the AC flux density of the core and the frequency applied to the core. To determine core loss, manufacturers normally provide a graph of power loss as a function of peak flux density and core material. $\beta acpeak = \frac{\beta ac}{2}$

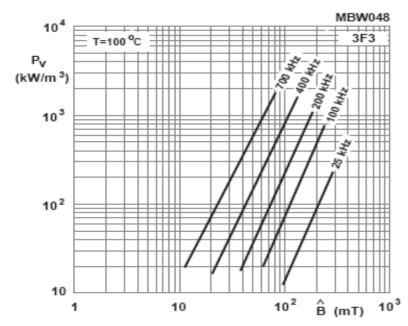


Figure 4 – Power loss as a function of one-half of peak-to-peak flux density (courtesy of Ferroxcube).



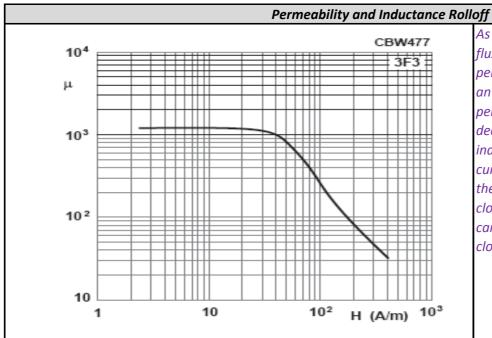


Figure 5 – Permeability as a function of magnetizing force (H) (courtesy of Ferroxcube).

As current is increased in a magnetic and the flux density gets closer to core saturation, the permeability starts to roll off. Permeability is an important parameter, because as permeability rolls off, the inductance decreases (as shown in Equation 1). If the inductance decreases, the peak to-peak current goes up in the magnetic; this causes the flux density to increase and push the core closer to saturation. Therefore, permeability can cause a snowball effect as the core gets closer to saturation.

3. Design Specification

General				
Topology	Quasi-Resonant Flyback			
Main Output Power	10	W		
Maximum Switching Frequency at Full Load	140	kHz	140000	Hz
	Input		_	•
Minimum Input Voltage	85	VAC	76	VDC
Maximum Input Voltage	265	VAC	375	VDC
Primary Peak Current	1.155	А	-	-
Primary RMS Current	0.425	А		
Outputs				
Secondary Output Voltage	5	V		
Secondary Peak Current	13.861	А		
Secondary RMS Current	5.382	А		
Bias Voltage	16	V		
Bias Current	50	mA	0.05	Α
	•		•	•
Inductance and Turns Ratio				
Primary Inductance	190.918	μН	0.000190918	Н
Leakage Inductance	3.818	μН	0.000003818	Н
Primary to Secondary Turns Ratio	12			

4. Core Selection	
Core selection is based on size, material an	d gap. These factors work together to determine the core loss and inductance per
turn of the core.	
Output Power Level	Recommended Core Types
	EFD15
	SEE16
	EF16
0.1004	EPC17
0-10W	EE19
	EF(D)20
	EPC25
	EF(D)25
	EE19
	EPC19
10-20W	EF(D)20
	EE or EI22
	EF(D)25 EPC25
	EI25
	EF(D)25
20-30W	EPC25
	EPC30
	EF(D)30
	EI28
	EER28(L)
30-50W	ETD29
	EF(D)30
	EER35
	EER28L
	ETD34
50-70W	EER35
	ETD39
	ETD34
	EER35
70-100W	ETD39
	EER40
	E21
For 10 W application I have choosen below	
Part No	EFD20/10/7-3F3-A-100
Manufacturer Cova Name	Ferroxcube
Core Name	EFD20
Material	3F3
Al	0.000000082 82*10^-9
Note: the AI required is not standard the c	core gap had to be custom-cut to obtain the necessary Al

	Based on			•		
Np		48		Τι	urns	
Ns		4		Τι	urns	
$Np = \left(\frac{Lp}{Al}\right)^{1/2}$						$Ns = \frac{Np}{Turns \ ratio}$
6. Calculate Copper Loss	h that are				11	14/12
Current density, J, is a rule of thum	ib that says		i not nanaie			
J		400	\			Assume
Primary Wire Area		0.001062	:5		n^2	
Skin depth at 100°C		0.0203		cr	n	
Primary wire area = Iprima	ary_rms J				5	Skin depth at 100° C = $\frac{7.6}{\sqrt{f}}$:
Determine annular inner ring area	a at 100°C					
Since we have not yet determined	the correc	t wire gauge	so calculat	e from 26A	WG to 32	2AWG
Area ring 26AWG 100°C = area 26A	AWG	0.001287	7	cr	n^2	
Area ring 28AWG 100°C = area 28A	AWG	0.00081	0.00081		n^2	
Area ring 30AWG 100°C = area 30A	AWG	0.000509	0.000509 cm^2		n^2	
Area ring 30AWG 100°C = area 30A	AWG	0.00032		cr	n^2	
Note: when the skin depth is gre	ater than t	he radius of	the wire, w	e must set	the ring o	area equal to the area of the wire
			-	-	T	
	AWG	Copper	Copper	Copper	Ω/cm a	1
		Diameter	Radius	Area in cm ²	100°C	
	2.5	ın cm	ın cm		0.00470	
	26	0.04	0.02	0.001287	0.00178	
	28	0.032	0.016	0.00081	0.00284	
	30	0.025	0.0125	0.000509	0.00452	
	32	0.02	0.01	0.00032	0.00719	2
	Rskin 26A	WG 100°C	$r = \frac{A}{\text{Area ri}}$	Area 26AV	WG cm ²	C cm ²
		1				
Rskin 26AWG 100°C		1 1				
Rskin 26AWG 100°C Rskin 28AWG 100°C						
Rskin 26AWG 100°C Rskin 28AWG 100°C Rskin 30AWG 100°C		1				
Rskin 26AWG 100°C Rskin 28AWG 100°C Rskin 30AWG 100°C Rskin 32AWG 100°C	skin effect.	1 1 1				
Rskin 26AWG 100°C Rskin 28AWG 100°C Rskin 30AWG 100°C Rskin 32AWG 100°C Determine wire resistance due to	skin effect.	1 1 1			nms/cm	
Rskin 26AWG 100°C Rskin 28AWG 100°C Rskin 30AWG 100°C Rskin 32AWG 100°C Determine wire resistance due to Rcopper 26AWG 100°C	skin effect.	1 1 1 5		ol		
Rskin 26AWG 100°C Rskin 28AWG 100°C Rskin 30AWG 100°C Rskin 32AWG 100°C Determine wire resistance due to Rcopper 26AWG 100°C Rcopper 28AWG 100°C Rcopper 30AWG 100°C	skin effect.	1 1 1 s	,	ol	nms/cm	

Determine the number of primary wires in	n parallel required:	
Numbers of wires primary 26AWG	0.826	
Numbers of wires primary 28AWG	1.312	
Numbers of wires primary 30WG	2.087	
Numbers of wires primary 32AWG	3.320	
Numbers of wire	es primary 26AWG = ——	Area 26AWG cm skin 26AWG 100°C
Determine primary copper loss		
Number of primary wires	1	
length per turn	0.0341	m
Rcopper primary resistance 26AWG	0.0021176268642	ohm
Pcopper primary loss 26AWG	0.0003824963524	W
Pcopper primary loss 26AWG =	Iprimary rms ² ×Rcopper p	rimary 26AWG
Pcopper primary loss 26AWG = Determine secondary wire AWG and losse		rimary 26AWG
Determine secondary wire AWG and losse		m^2
Determine secondary wire AWG and losse Secondary wire area	25	
Determine secondary wire AWG and losse Secondary wire area Number of wires secondary 28AWG	0.0135	m^2
	0.0135 17	m^2 5.000
Determine secondary wire AWG and losse Secondary wire area Number of wires secondary 28AWG Rcopper secondary 28AWG Pcopper secondary loss 28AWG	0.0135 17 0.01910 0.103 dary_rms J SAWG = Secondary wire Area 28 AW	m^2 5.000 ohms W area cm ² G cm
Determine secondary wire AWG and losse Secondary wire area Number of wires secondary 28AWG Rcopper secondary loss 28AWG Pcopper secondary loss 28AWG Secondary wire area = Isecon Number of wires secondary 28 Rcopper secondary 28AWG = Rcopper secondary 28	0.0135 17 0.01910 0.103 $\frac{\text{dary_rms}}{\text{J}}$ $8AWG = \frac{\text{Secondary wire}}{\text{Area 28 AW}}$ $\frac{\text{Rskin 28AWG}}{\text{Rskin 28AWG}}$	m^2 5.000 ohms W area cm² G cm G 100°C Length per turn cm Number of wires secondary
Determine secondary wire AWG and losse Secondary wire area Number of wires secondary 28AWG Rcopper secondary 28AWG Pcopper secondary loss 28AWG Secondary wire area = Isecon Number of wires secondary 28	0.0135 17 0.01910 0.103 $\frac{\text{dary_rms}}{\text{J}}$ $8AWG = \frac{\text{Secondary wire}}{\text{Area 28 AW}}$ $\frac{\text{Rskin 28AWG}}{\text{Rskin 28AWG}}$	m^2 5.000 ohms W area cm² G cm G 100°C Length per turn cm Number of wires secondary
Determine secondary wire AWG and losse Secondary wire area Number of wires secondary 28AWG Rcopper secondary 28AWG Pcopper secondary loss 28AWG Secondary wire area = Isecon Number of wires secondary 28 Rcopper secondary 28AWG = Rcop Pcopper secondary loss 28AWG = Rcop	0.0135 17 0.01910 0.103 $\frac{\text{dary_rms}}{\text{J}}$ $8AWG = \frac{\text{Secondary wire}}{\text{Area 28 AW}}$ $\frac{\text{Rskin 28AWG}}{\text{Rskin 28AWG}}$	m^2 5.000 ohms W area cm² G cm G 100°C Length per turn cm Number of wires secondary
Determine secondary wire AWG and losses Secondary wire area Number of wires secondary 28AWG Rcopper secondary loss 28AWG Pcopper secondary wire area = Secondary wire area = Number of wires secondary 28 Rcopper secondary 28AWG = Rcop Pcopper secondary loss 28AWG = I Determine bias wire AWG and losses:	0.0135 17 0.01910 0.103 $\frac{\text{dary_rms}}{\text{J}}$ $8AWG = \frac{\text{Secondary wire}}{\text{Area 28 AW}}$ $\frac{\text{Rskin 28AWG}}{\text{Rskin 28AWG}}$	m^2 5.000 ohms W area cm² G cm G 100°C Length per turn cm Number of wires secondary
Determine secondary wire AWG and losse Secondary wire area Number of wires secondary 28AWG Rcopper secondary 28AWG Pcopper secondary loss 28AWG Secondary wire area = Isecon Number of wires secondary 28 Rcopper secondary 28AWG = Rcopper secondary 28	$ \begin{array}{c} $	m^2 5.000 ohms W area cm² G cm G 100°C Length per turn cm Number of wires secondary

3.5E-07

Pcopper bias loss 32AWG

Number of turns bias winding (Nsb) = Ns $\times \frac{\text{Vbias}}{\text{Vout}}$

Rcopper bias 32AWG=Rcopper 32AWG 100°C×Nsb× Length per turn cm Number of bias wires

Pcopper bias loss 32AWG = Ibias rms² × Rcopper bias 32AWG

7. Calculate Flux Density and Core Loss

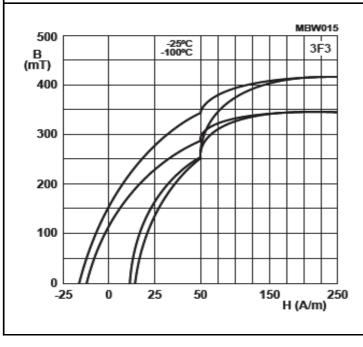
Effective core parameters from manufacture datasheet					
core factor(Σ(I/A))	1.52	mm^-1			
Effective volume (Ve)	1460	mm^3	0.00000146	m^3	
Effective length	47	mm			
Effective Area(Ae)	31	mm^2	0.000031	m^2	
Minimum Area(Amin)	29	mm^2			
Mass of core half (m)	3.5	g			

βас	0.147	Tesla
βmax	0.147	Tesla

For a flyback converter running in discontinuous current mode, the AC flux density, βac, is equal to the maximum flux density, βmax.

$$\beta ac = \frac{Vin min \times Tonmax}{Ae \times Np}$$

$$\beta \, max = \frac{Lp \times Ipri_p}{Ae \times Np}$$



the saturation point for the given core is about 250 mT. So this design is about 60 percent of maximum flux.

B-H Curve						
Determine core loss:						
Bunipolar	0.000	Tesla	Вас			
Pcore	60	kW/m3	Bunipolar = $\frac{pac}{2}$			
Pcore loss	0.0000876	W				
Total magnetic power dissipation	1.0E-01	W				

Pcore loss = $Pcore \times Ve per m^3$

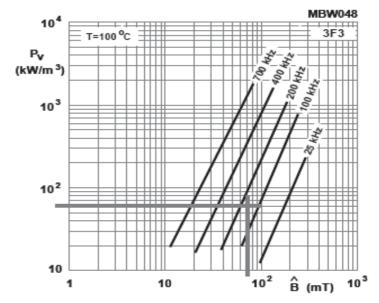


Figure 15 – Specific power loss as a function of peak flux density with frequency as a parameter (courtesy of Ferroxcube).

8. Bobbin Fit Factor

Winding data and area product for EFD20/10/7 coil former (SMD) with 10-solder pads

Number of Sections	Winding Area	, , ,	Average Length of Turn	Area Product Ae x Aw	Type Number
	(mm²)	(mm)	(mm)	(mm²)	
1	27.7	13.5	34.1	859	CPHS-EFD20-1S-10P

Figure 16 - Winding data (courtesy of Ferroxcube).

AWG	Copper Diameter	Copper Area
	in cm with	in cm ² with
	Insulation	Insulation
26	0.046	0.001671
28	0.037	0.001083
30	0.03	0.000704
32	0.024	0.000459

Turns per layer
$$26AWG = \frac{Bobbin width cm}{Diameter 26AWG with isolation} - 2$$

Buildup in cm =
$$\frac{\text{Winding area cm}^2}{\text{Bobbin width cm}}$$

$$Layers = \frac{Buildup \text{ in cm}}{Diameter 26AWG \text{ with isolation}}$$

Bobbin width	1.35	cm	
Turns per layer 26AWG	27.34782609		
Turns per layer 28AWG	34.48648649		
Turns per layer 30 AWG	43		
Winding area	0.277	cm^2	
Buildup	0.205	cm	
Layers	4.460547504	•	
Total bobbin turns 26AWG	121.9862774		
Total turns needed	81.22442307		
Winding factor	0.665848855		

Total bobbin tums 26AWG = turns per layer × layers

Total turns needed

- = Np×number of primary wires + Ns×number of secondary wires
- + Nsb \times number of bias wires = 81

Winding factor =
$$\frac{\text{Total turns needed}}{\text{Total bobbin turns 26AWG}}$$

Reference: "Power Transformer Design" by Lloyd H. Dixon. Ferroxcube. Soft Ferrites and Accessories.