

VISVESVARAYA TECHNOLOGICAL UNIVERSITY

“JnanaSangama”, Belgaum -590014, Karnataka.



LAB REPORT on

Artificial Intelligence (23CS5PCAIN)

Submitted by

ANNAMSETTI SARAN TEJ (1BM24CS040)

in partial fulfillment for the award of the degree of

BACHELOR OF ENGINEERING

in

COMPUTER SCIENCE AND ENGINEERING



B.M.S. COLLEGE OF ENGINEERING

(Autonomous Institution under VTU)

BENGALURU-560019

Aug-2025 to Dec-2025

B.M.S. College of Engineering,

Bull Temple Road, Bangalore 560019

(Affiliated To Visvesvaraya Technological University, Belgaum)

Department of Computer Science and Engineering



CERTIFICATE

This is to certify that the Lab work entitled “Artificial Intelligence (23CS5PCAIN)” carried out by **ANNAMSETTI SARAN TEJ (1BM24CS040)**, who is a bonafide student of **B.M.S. College of Engineering**. It is in partial fulfillment for the award of **Bachelor of Engineering in Computer Science and Engineering** of the Visvesvaraya Technological University, Belgaum. The Lab report has been approved as it satisfies the academic requirements in respect of an Artificial Intelligence (23CS5PCAIN) work prescribed for the said degree.

K.R.Mamatha
Associate Professor
Department of ISE
BMSCE

Dr.Kavitha Sooda
Professor & HOD
Department of CSE
BMSCE

Index

Sl. No.	Date	Experiment Title	Page No.
1	20-8-2025	Implement Tic –Tac –Toe Game Implement vacuum cleaner agent	4-8
2	28-8-2025	Implement 8 puzzle problems using Depth First Search (DFS) Implement Iterative deepening search algorithm	9-13
3	3-9-2025	Implement A* search algorithm	14-18
4	10-9-2025	Implement Hill Climbing search algorithm to solve N-Queens problem	19-21
5	17-9-2025	Simulated Annealing to Solve 8-Queens problem	22-24
6	24-9-2025	Create a knowledge base using propositional logic and show that the given query entails the knowledge base or not.	25-27
7	8-10-2025	Implement unification in first order logic	28-32
8	15-10-2025	Create a knowledge base consisting of first order logic statements and prove the given query using forward reasoning.	33-37
9	29-10-2025	Create a knowledge base consisting of first order logic statements and prove the given query using	38-43

		Resolution	
10	12-11-2025	Implement Alpha-Beta Pruning.	44-46



CERTIFICATE OF ACHIEVEMENT

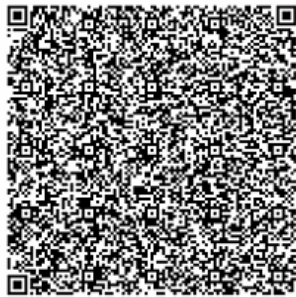
The certificate is awarded to

Annamsetti Saran Tej

for successfully completing

Artificial Intelligence Foundation Certification

on November 24, 2025



Congratulations! You make us proud!

Issued on: Monday, November 24, 2025
To verify, scan the QR code at <https://verify.onwingspan.com>

Satheesha B.N.
Satheesha B. Nanjappa
Senior Vice President and Head
Education, Training and Assessment
Infosys Limited

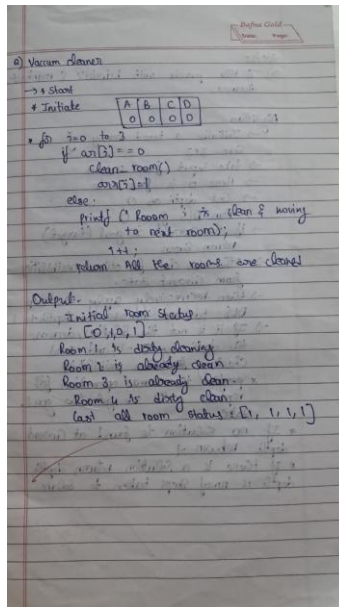
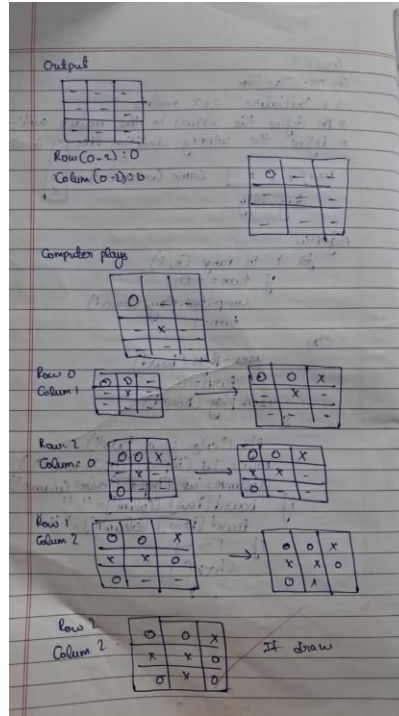
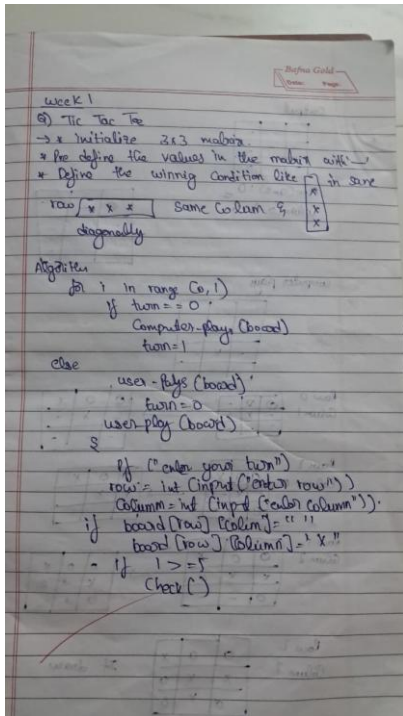
Github Link: <https://github.com/Sarantej555/AI-lab>

PROGRAM 1:

Implement Tic – Tac – Toe Game

Implement vacuum cleaner agent

ALGORITHM:



CODE:

#TicTacToe

```
import math
```

```
def check_win(board
```

```
wins = [(0,1,2),(3,4,5),(6,7,8),
```

```
        (0,3,6),(1,4,7),(2,5,8),
```

```
        (0,4,8),(2,4,6)]
```

```
for a,b,c in wins:
```

```
    if board[a] == board[b] == board[c] != 0:
```

```
        return board[a]
```

```
return 0 if 0 not in board else None
```

```
def selection(board, player):
```

```
    result = check_win(board)
```

```
    if result is not None: return result
```

```
    scores = []
```

```
    for i in range(9): if
```

```
        board[i] == 0:
```

```
            board[i] = player
```

```
            scores.append(selection(board, -player))
```

```
            board[i] = 0
```

```
    return max(scores) if player == 1 else min(scores)
```

```
def best_move(board):
```

```
    return max((selection(board[:i]+[1]+board[i+1:], -1), i)
```

```
               for i in range(9) if board[i]==0)[1]
```

```
def print_board(board):
```

```
    s = {1:'X', -1:'O', 0:' '}
```

```
    for i in range(0,9,3):
```

```
        print(f'{s[board[i]]}|{s[board[i+1]]}|{s[board[i+2]]}'
```

```
              ) if i<6: print(" ")
```

```
board=[0]*9; player=1
```

```
while True:
```

```
    print_board(board)
```

```
    res = check_win(board)
```

```
    if res is not None:
```

```
        print("X wins!" if res==1 else "O wins!" if res==-1 else "Tie!")
```

```
        break
```

```
    if player==1:
```

```
        print("AI thinking. ")
```

```
        board[best_move(board)] = 1
```

```
    else:
```

```
        move=int(input("Move (0-8): "))
```

```
        if 0<=move<=8 and board[move]==0: board[move]=-1
```

```
        else: print("Invalid"); continue
```

```
    player*=-1
```

```
#Vaccum Cleaner:
```

```
def isclean(list,place):  
    if(list[place]==1):  
        list[place] = 0  
    return False  
else:  
    return True
```

```
list = [1,1]  
place = 0  
count = 2
```

```
while(count!=0):  
    if(place==0):  
        if(isclean(list,place)):  
            print("Location A is already cleaned")  
        else:  
            print("Location A is not clean")  
            print("cleaning Location A")  
            print("Locatin A has been cleaned")
```

```
count = count-1  
place = 1
```

```
if(isclean(list,place)):  
    print("Location B is already cleaned")  
else:  
    print("Location B is not clean") print("cleaning Location B") print("Locatin B has been cleaned") count  
= count-1
```

OUTPUT:

```

0 | 1 | 2
---+---+---
3 | 4 | 5
---+---+---
6 | 7 | 8
AI thinking...
0 | 1 | 2
---+---+---
3 | 4 | 5
---+---+---
6 | 7 | X
Your move (0-8): 2
0 | 1 | 0
---+---+---
3 | 4 | 5
---+---+---
6 | 7 | X
AI thinking...
0 | 1 | 0
---+---+---
3 | 4 | 5
---+---+---
6 | X | X
Your move (0-8): 6
0 | 1 | 0
---+---+---
3 | 4 | 5
---+---+---
0 | X | X
AI thinking...
0 | 1 | 0
---+---+---
3 | X | 5
---+---+---
0 | X | X
Your move (0-8): 0
0 | 1 | 0
---+---+---
3 | X | 5

```

Your move (0-8): 0

```

0 | 1 | 0
---+---+---
3 | X | 5
---+---+---
0 | X | X
AI thinking...
0 | X | 0
---+---+---
3 | X | 5
---+---+---
0 | X | X
X wins!

```

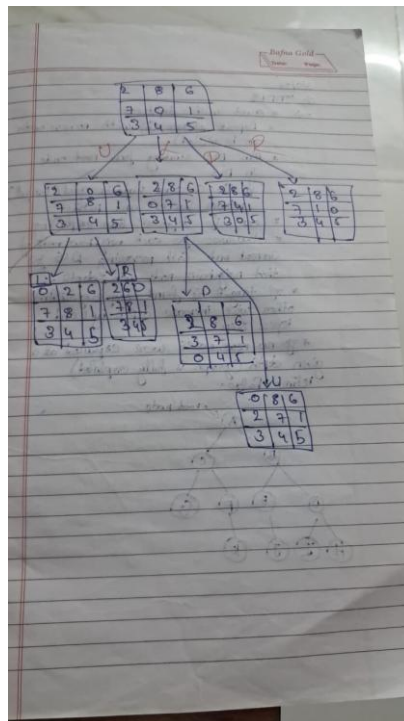
Location A is not clean
 cleaning Location A
 Location A has been cleaned
 Location B is not clean
 cleaning Location B
 Location B has been cleaned

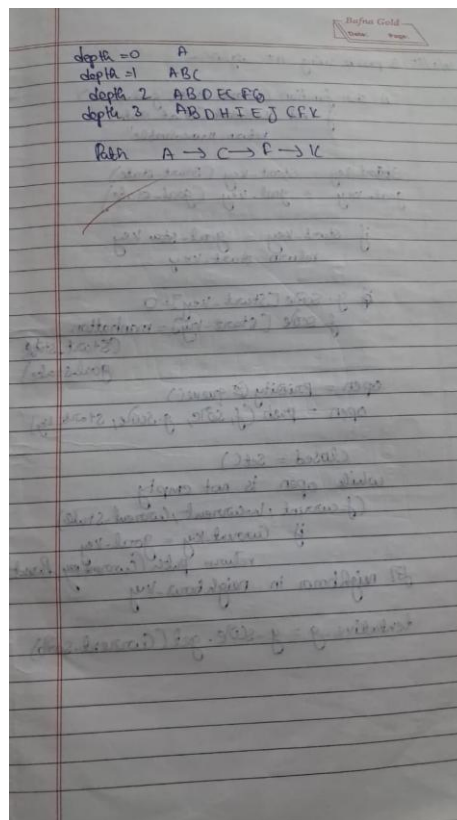
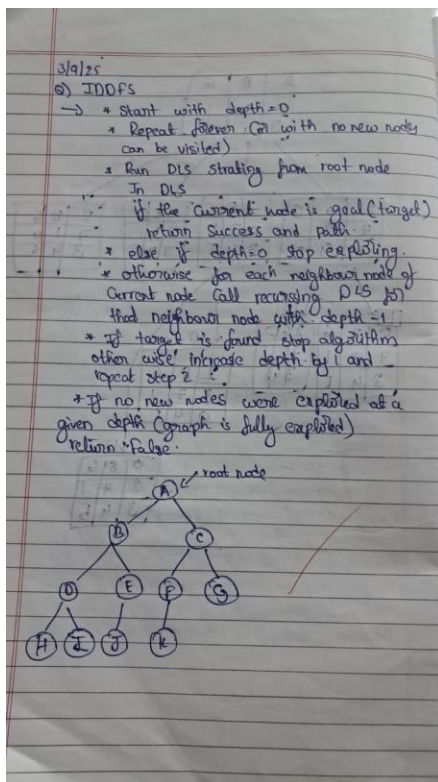
PROGRAM 2:

Implement 8 puzzle problems using Depth First Search (DFS)
 Implement Iterative deepening search algorithm

ALGORITHM:

3/9/25
 Q) 8 tile puzzle with heuristic & manhattan distance
 Algorithm:
 → Initialise a twoD array of size 3x3
 → take input from 0 to 8
 → Here 0 is free state
 → Set depth as 0
 → Run DFS from 0
 → if the current is goal (target) return success
 → otherwise check for other possibilities from current state
 → then recursively apply the step DFS to and increase the depth to 1
 → If it is not the solution, decrease the depth by 1 and start checking for other possibilities
 * perform the same operation for repeats until we get the goal state
 * If no solution is found at current depth return -1
 * If there is a solution return depth, depth is no. of steps taken to solve





CODE:

```
goal = [[1,2,3],
        [8,0,4],
        [7,6,5]]
```

```
moves = [(-1,0),(1,0),(0,-1),(0,1)]
```

```
def find_zero(s):
    for i in range(3):
        for j in range(3):
            if s[i][j] == 0:
                return i, j
```

```
def get_neighbors(s):
    x, y = find_zero(s)
    out = []
    for dx, dy in moves:
        nx, ny = x+dx, y+dy
        if 0 <= nx < 3 and 0 <= ny < 3:
            t = [r[:] for r in s]
            t[x][y], t[nx][ny] = t[nx][ny], t[x][y]
            out.append(t)
    return out
```

```
def dfs(s, visited):
    if s == goal:
        return [s]
    visited.add(str(s))
    for nxt in get_neighbors(s):
```

```

    if str(nxt) not in visited:
        p = dfs(nxt, visited)
        if p:
            return [s] + p
    return None

```

```

def dls(s, goal, depth, path, visited):
    if s == goal:
        return path
    if depth == 0:
        return None
    visited.add(str(s))
    for nxt in get_neighbors(s):
        if str(nxt) not in visited:
            res = dls(nxt, goal, depth-1, path+[nxt], visited)
            if res:
                return res
    return None

```

```

def ids(start, goal, limit=20):
    for d in range(limit+1):
        visited = set()
        r = dls(start, goal, d, [start], visited)
        if r:
            return r
    return None

```

```

if name == "main":

```

```

    start = [[1,2,3], [8,6,4], [0,7,5]]

```

```

    print("DFS:")

```

```

    sol1 = dfs(start, set())

```

```

    if sol1:

```

```

        print("Moves:", len(sol1)-1)

```

```

        for st in sol1:

```

```

            for r in st:

```

```

                print(r)

```

```

            print("-"*40)

```

```

    else:

```

```

print("No solution.")

print("\nIDS:")

sol2 = ids(start, goal, 20)
if sol2:

    print("Moves:", len(sol2)-1)

    for st in sol2:

        for r in st:

            print(r)

            print("-"*40)

else:

    print("No solution.")

```

Output:

```

IDS:
Moves: 20
[1, 2, 3]
[0, 6, 4]
[0, 7, 5]
-----
[1, 2, 3]
[0, 6, 4]
[0, 7, 5]
-----
[0, 2, 3]
[1, 6, 4]
[0, 7, 5]
-----
[2, 0, 3]
[1, 6, 4]
[0, 7, 5]
-----
[2, 6, 3]
[1, 0, 4]
[0, 7, 5]
-----
[2, 6, 3]
[1, 7, 4]
[0, 0, 5]
-----
[2, 6, 3]
[1, 7, 4]
[0, 0, 5]
-----
[2, 6, 3]
[1, 7, 4]
[0, 8, 5]
-----
[2, 6, 3]
[0, 7, 4]
[1, 0, 5]
-----
[0, 6, 3]
[2, 7, 4]
[1, 0, 5]
-----
[6, 0, 3]
[2, 7, 4]
[1, 0, 5]
-----
[6, 7, 3]
[2, 0, 4]
[1, 0, 5]
-----
[6, 7, 3]
[2, 0, 4]
[1, 0, 5]
-----
[6, 7, 3]
[2, 0, 4]
[0, 1, 5]
-----
[6, 7, 3]
[0, 0, 4]
[2, 1, 5]
-----
[0, 7, 3]
[6, 0, 4]
[2, 1, 5]
-----

```

PROGRAM 3:

Implement A* search algorithm

ALGORITHM:

8 puzzle using A* algorithm

A star function (Start-state, goal-state)

if not issolvable (Start-state):
return "unsolvable"

Start-key = start-key (Start-state)
goal-key = goal-key (goal-state)

if Start-key = goal-key
return Start-key

if g-score [Start-key] = 0
f-score [Start-key] = manhattan (Start-state, goal-state)

open = priority queue()
open = push (f-score, g-score, start-key)

closed = Set()

while open is not empty
(f-current, h-current, current-state)

if current-key = goal-key
return path (current-key, parent)

if neighbor in neighbor-key

tentative-g = g-score.get (Current-score)

Bafna Gold
Date: Page:

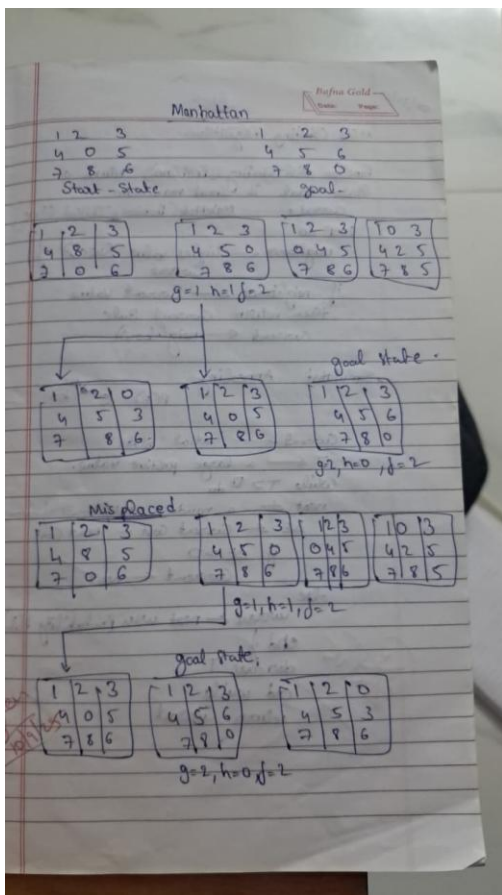
closed.add (neighbor-state)

if tentative-g \geq g-score.get (neighbor)
Continue

if tentative-g < g-score.get (neighbor)
g-score (current-key) = tentative-g
f-score (current-key) = tentative-g + manhattan (neighbor-key, goal-key)

open.push (f-score, manhattan, current-key, goal-key, current-key)

return "failable"



2

CODE:

```
import heapq
class PuzzleState:
    def __init__(self, board, parent=None, move="", depth=0, cost=0):
        self.board = board
        self.parent = parent
        self.move = move
        self.depth = depth
        self.cost = cost

    def __lt__(self, other):
        return self.cost < other.cost

    def blank_pos(self):
        return self.board.index(0)

    def expand(self):
        b = self.blank_pos()
        row, col = divmod(b, 3)
        dirs = {
            "Up": (row - 1, col),
            "Down": (row + 1, col),
            "Left": (row, col - 1),
            "Right": (row, col + 1)
        }
        nxt = []
        for mv, (r, c) in dirs.items():
            if 0 <= r < 3 and 0 <= c < 3:
                idx = r * 3 + c
```

```

        nb = self.board[:]
        nb[b], nb[idx] = nb[idx], nb[b]
        nxt.append(PuzzleState(nb, self, mv, self.depth + 1))
    return nxt

def build_path(self):
    p, node = [], self
    while node:
        p.append((node.move, node.board, node.depth))
        node = node.parent
    return list(reversed(p))

def misplaced_tiles(state, goal):
    return sum(1 for i in range(9) if state.board[i] not in (0, goal[i]))

def manhattan_distance(state, goal):
    d = 0
    for i, v in enumerate(state.board):
        if v != 0:
            r1, c1 = divmod(i, 3)
            r2, c2 = divmod(goal.index(v), 3)
            d += abs(r1 - r2) + abs(c1 - c2)
    return d

def a_star(start, goal, h):
    opened = []
    closed = set()
    nodes = 0
    s = PuzzleState(start)
    s.cost = h(s, goal)
    heapq.heappush(opened, s)

    while opened:
        cur = heapq.heappop(opened)
        nodes += 1

        if cur.board == goal:
            return cur.build_path(), nodes

        closed.add(tuple(cur.board))

        for nxt in cur.expand():
            if tuple(nxt.board) in closed:
                continue
            nxt.cost = nxt.depth + h(nxt, goal)
            heapq.heappush(opened, nxt)

    return None, nodes

def print_solution(path, total_nodes):
    print("Steps:\n")
    for mv, st, d in path:

```

```

label = "Start" if mv == "" else f"Move {mv}"
print(f"{label} | Depth {d}")
for i in range(0, 9, 3):
    print(" ".join(str(x) if x != 0 else " " for x in st[i:i+3]))
print()
print(f"Total Moves: {len(path)-1}")
print(f"Nodes Expanded: {total_nodes}")

if __name__ == "__main__":
    start = [1, 2, 3,
             4, 0, 6,
             7, 5, 8]

    goal = [1, 2, 3,
            4, 5, 6,
            7, 8, 0]

    print("A* (Misplaced Tiles)\n")
    sol1, n1 = a_star(start, goal, misplaced_tiles)
    if sol1:
        print_solution(sol1, n1)
    else:
        print("No solution.")

    print("\nA* (Manhattan Distance)\n")
    sol2, n2 = a_star(start, goal, manhattan_distance)
    if sol2:
        print_solution(sol2, n2)
    else:
        print("No solution.")

```

OutPut:

A* (Manhattan Distance)

Steps:

Start | Depth 0

1 2 3

4 6

7 5 8

Move Down | Depth 1

1 2 3

4 5 6

7 8

Move Right | Depth 2

1 2 3

4 5 6

7 8

Total Moves: 2

Nodes Expanded: 3

A* (Misplaced Tiles)

Steps:

Start | Depth 0

1 2 3

4 6

7 5 8

Move Down | Depth 1

1 2 3

4 5 6

7 8

Move Right | Depth 2

1 2 3

4 5 6

7 8

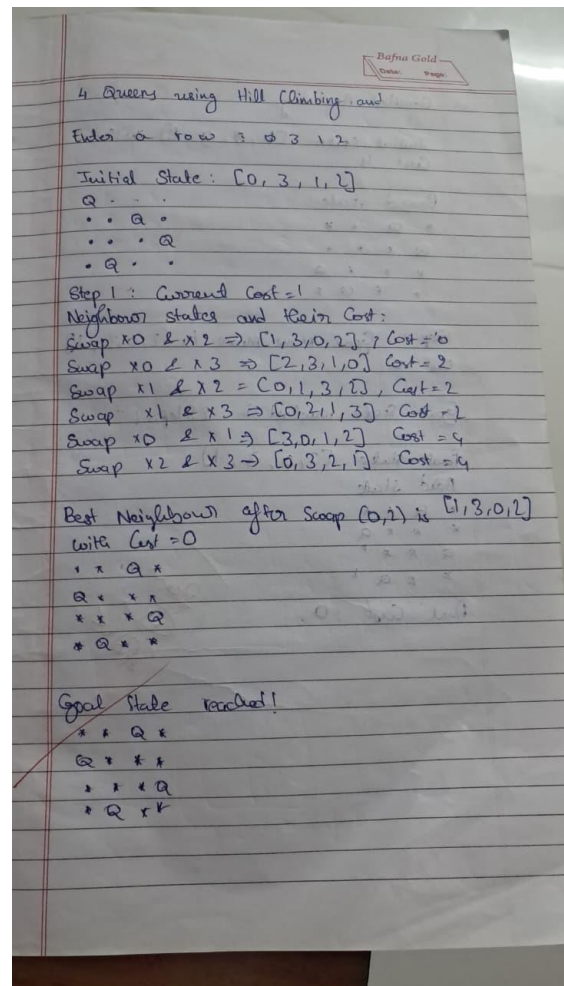
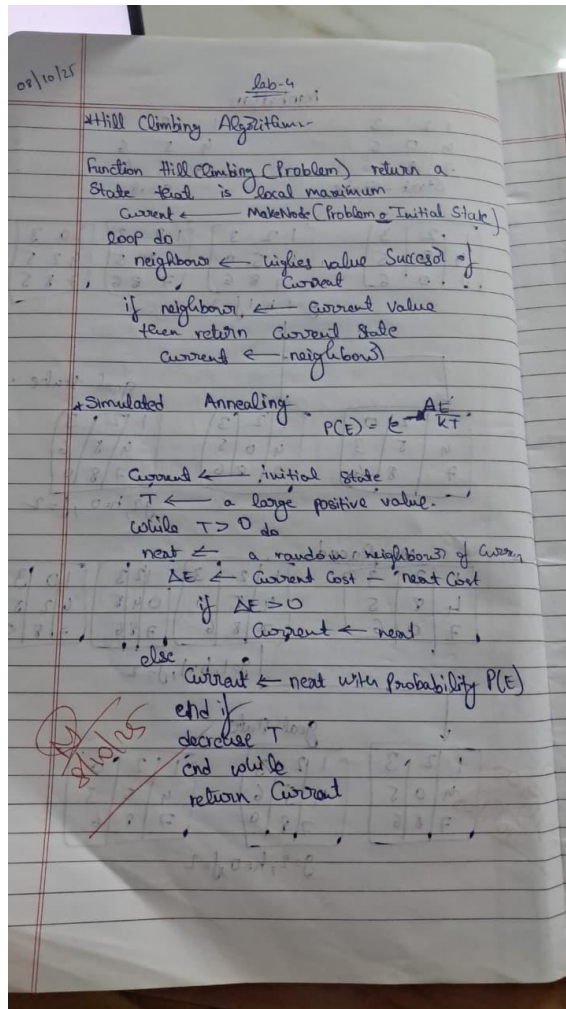
Total Moves: 2

Nodes Expanded: 3

PROGRAM 4:

Implement Hill Climbing search algorithm to solve N-Queens problem

ALGORITHM:



CODE:

```
import random
import time

def print_board(b):
    n = len(b)
    for i in range(n):
        row = ["Q" if b[i] == j else "." for j in range(n)]
        print(" ".join(row))
    print()

def cost(b):
    n = len(b)
    c = 0
    for i in range(n):
        for j in range(i + 1, n):
            if b[i] == b[j] or abs(b[i] - b[j]) == abs(i - j):
                c += 1
    return c

def best_neighbor(b):
    n = len(b)
    best_b = list(b)
```

```

best_c = cost(b)
for r in range(n):
    for c in range(n):
        if b[r] != c:
            temp = list(b)
            temp[r] = c
            k = cost(temp)
            if k < best_c:
                best_c = k
                best_b = temp
return best_b, best_c

def hill(n):
    state = [random.randint(0, n - 1) for _ in range(n)]
    c = cost(state)

    print("Initial Board:")
    print_board(state)
    print("Initial Cost:", c, "\n")

    step = 1
    while True:
        print("Step", step)
        print("Current Board:")
        print_board(state)
        print("Current Cost:", c)
        time.sleep(0.2)

        nxt, nxt_c = best_neighbor(state)
        print("Best Neighbor Cost:", nxt_c, "\n")
        time.sleep(0.25)

        if nxt_c >= c:
            break

        state = nxt
        c = nxt_c
        step += 1

    print("Final Board:")
    print_board(state)
    print("Final Cost:", c)

    if c == 0:
        print("Solution Found")
    else:
        print("Local Minimum Reached")

```

hill(6)

OutPut:

```

Initial Board:
. . . . . Q
Q . . . . .
Q . . . . .
. . . Q . .
. . . Q . .
. . Q . . .

Initial Cost: 4

Step 1
Current Board:
. . . . . Q
Q . . . . .
Q . . . . .
. . . Q . .
. . . Q . .
. . Q . . .

Current Cost: 4
Best Neighbor Cost: 2

Step 2
Current Board:
. . . . . Q
Q . . . . .
Q . . . . .
. . . Q . .
. . . Q . .
. . Q . . .

Current Cost: 2
Best Neighbor Cost: 2

```

```

Current Cost: 2
Best Neighbor Cost: 2

Final Board:
. . . . . Q
Q . . . . .
Q . . . . .
. . . Q . .
. . . . Q .
. . Q . . .

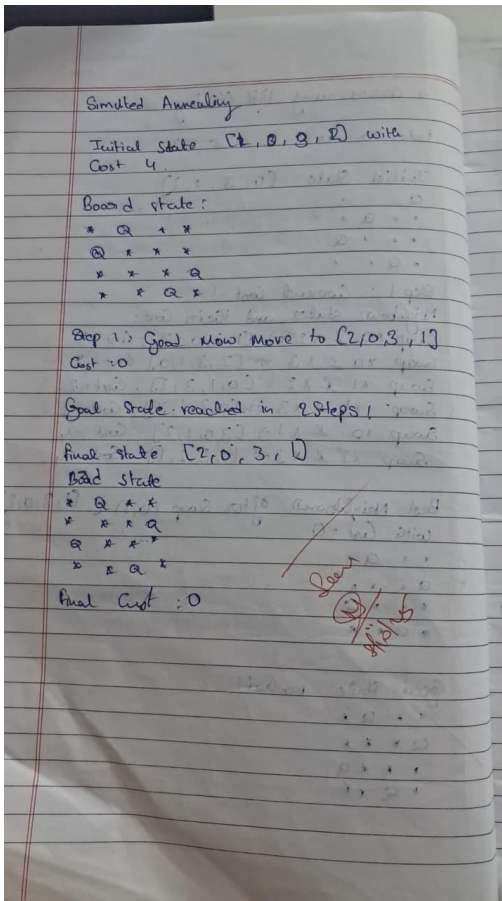
Final Cost: 2
Local Minimum Reached

```

PROGRAM 5:

Simulated Annealing to Solve 8-Queens problem

ALGORITHM:



CODE:

```

import random
import math

def print_board(board):
    n = len(board)
    for i in range(n):
        row = ["Q" if board[i] == j else "." for j in range(n)]
        print(" ".join(row))
    print()

def calculate_cost(board):
    n = len(board)
    cost = 0
    for i in range(n):
        for j in range(i + 1, n):
            if board[i] == board[j] or abs(board[i] - board[j]) == abs(i - j):
                cost += 1
    return cost

def random_neighbor(board):
    n = len(board)
    neighbor = list(board)
    row = random.randint(0, n - 1)
    col = random.randint(0, n - 1)
    neighbor[row] = col
    return neighbor

```

```

def simulated_annealing(n, initial_temp=100.0, cooling_rate=0.95, stopping_temp=1.0,
max_steps=20):
    current_board = [random.randint(0, n - 1) for _ in range(n)]
    current_cost = calculate_cost(current_board)
    temperature = initial_temp
    step = 1

    print("Initial Board:")
    print_board(current_board)
    print(f"Initial Cost: {current_cost}\n")

    while temperature > stopping_temp and current_cost > 0 and step <= max_steps:
        neighbor = random_neighbor(current_board)
        neighbor_cost = calculate_cost(neighbor)
        delta = neighbor_cost - current_cost

        if delta < 0 or random.random() < math.exp(-delta / temperature):
            current_board = neighbor
            current_cost = neighbor_cost

        print(f"Step {step}: Temp={temperature:.3f}, Cost={current_cost}")
        step += 1
        temperature *= cooling_rate

    print("\nFinal Board:")
    print_board(current_board)
    print(f"Final Cost: {current_cost}")

    if current_cost == 0:
        print("Goal State Reached!")
    else:
        print("Terminated before reaching goal.")

if __name__ == "__main__":
    simulated_annealing(8, initial_temp=100.0, cooling_rate=0.95, stopping_temp=1.0,
max_steps=20)

```

OutPut:

```
Initial Board:
. . Q . . . .
. . Q . . . .
Q . . . . .
. . . Q . . .
. Q . . . . .
. . . . Q . .
. . . . . Q
. . . . . Q .

Initial Cost: 5

Step 1: Temp=100.000, Cost=5
Step 2: Temp=95.000, Cost=5
Step 3: Temp=90.250, Cost=5
Step 4: Temp=85.737, Cost=4
Step 5: Temp=81.451, Cost=4
Step 6: Temp=77.378, Cost=5
Step 7: Temp=73.509, Cost=5
Step 8: Temp=69.834, Cost=8
Step 9: Temp=66.342, Cost=9
Step 10: Temp=63.025, Cost=10
Step 11: Temp=59.874, Cost=10
Step 12: Temp=56.880, Cost=10
Step 13: Temp=54.036, Cost=10
Step 14: Temp=51.334, Cost=10
Step 15: Temp=48.767, Cost=10
Step 16: Temp=46.329, Cost=12
Step 17: Temp=44.013, Cost=8
Step 18: Temp=41.812, Cost=8
Step 19: Temp=39.721, Cost=9
Step 20: Temp=37.735, Cost=9

Final Board:
. . . . Q . .
. . Q . . . .
. . Q . . . .
. . Q . . . .
Q . . . . .
. . . . . Q .
. Q . . . . .
. . . . . Q

Final Cost: 9
Terminated before reaching goal.
```

PROGRAM 6:

Create a knowledge base using propositional logic and show that the given query entails the knowledge base or not.

ALGORITHM:

Before Gold

Create a knowledge base using propositional logic and show that the given entails the knowledge base or not

function TT-Entails? (KB, d) return True or False
 inputs: KB, the knowledge base, a sentence in propositional logic
 d, the query a sentence in propositional logic

Symbols ← a list of the proposition symbols in KB and d return TT-CHECK-ALL (KB, d, Symbols, s3)

function TT-CHECK-ALL (KB, d, Symbols, model)
 return true or false
 if Empty? (Symbols) 0:
 if PL-True? (KB, model) then return PL-TRUE (d, model)
 else return true if KB is false, always returns true
 else do
 P ← First (Symbols)
 rest ← Rest (Symbols)
 return (TT-CHECK-ALL (KB, d, rest, model) if P = true 3)
 and
 (TT-CHECK-ALL (KB, d, rest, model) if P = false)

9) $Q \rightarrow P$
 $P \rightarrow R$
 $Q \vee R$

D) Construct Truth Table

i) Does KB entail R?
 ii) Does KB entail $R \rightarrow P$?
 iv) Does KB entail $Q \rightarrow R$?

P	Q	R	$Q \rightarrow P$	$P \rightarrow R$	$Q \vee R$
T	T	T	T	T	T
T	T	F	T	F	T
T	F	T	T	T	T
T	F	F	T	T	F
F	T	T	F	T	T
F	T	F	F	T	T
F	F	T	T	T	T
F	F	F	T	T	F

ii) R
 Consider rows 3 and 7. In KB, $Q \rightarrow P$, $P \rightarrow R$ and $Q \vee R$ is true and R is true for both rows. Therefore, KB entails R.

iii) In Row 7, the models of the KB are true. But $R \rightarrow P$ is false. Therefore $R \rightarrow P$ is not entailed.

iv) In rows 3 and 7, all models are false and $Q \rightarrow R$ is true. Therefore, the KB entails $Q \rightarrow R$.

CODE:

```
import itertools
import re
```

```
def interpret(expr, model):
```

```
    expr = expr.replace("<->", " == ")
```

```
    expr = expr.replace("<->", " <= ")
```

```
    expr = re.sub(r'~(\w+)', r'(not \1)', expr)
```

```
    expr = re.sub(r'~(\([^\)]+\))', r'(not (\1))', expr)
```

```
    expr = expr.replace("^", " and ")
```

```
    expr = expr.replace("v", " or ")
```

```
    for s, v in model.items():
```

```
        expr = re.sub(r'\b' + re.escape(s) + r'\b', str(v), expr)
```

```
    return eval(expr)
```

```
def truth_table(kb, query, symbols):
```

```
    all_models = list(itertools.product([True, False], repeat=len(symbols)))
```

```
    ent = True
```

```
    print("Truth Table:\n")
```

```
    head = " | ".join(symbols) + " | KB | Q | KB=>Q"
```

```
    print(head)
```

```
    print("-" * (len(head) + 10))
```

```
    for vals in all_models:
```

```
        model = dict(zip(symbols, vals))
```

```
        kb_v = interpret(kb, model)
```

```
        q_v = interpret(query, model)
```

```
        impl = (not kb_v) or q_v
```

```

if kb_v and not q_v:
    ent = False

row = " | ".join(["T" if v else "F" for v in vals])
row += f" | {'T' if kb_v else 'F'} | {'T' if q_v else 'F'} | {'T' if impl else 'F'}"
print(row)

print("\nOutcome:")
if ent:
    print("KB entails Query")
else:
    print("KB does not entail Query")

def run_evaluation(kb, queries, symbols):
    print("\nKnowledge Base:", kb)
    print("Symbols:", " | ".join(symbols))
    print("\n" + "="*60 + "\n")
    for q in queries:
        print("Evaluating Query:", q)
        print()
        truth_table(kb, q, symbols)
        print("\n" + "="*60 + "\n")

kb = "(Q -> P) ^ (P -> ~Q) ^ (Q v R)"
symbols = ["P", "Q", "R"]
queries = ["R", "R -> P", "Q -> R", "~P v (Q -> ~R)"]

run_evaluation(kb, queries, symbols)

```

Output:

<p>Knowledge Base: $(Q \rightarrow P) \wedge (P \rightarrow \neg Q) \wedge (Q \wedge R)$ Symbols: P, Q, R</p> <hr/> <p>Evaluating Query: R</p> <p>Truth Table:</p> <table> <tr> <th>P</th><th>Q</th><th>R</th><th>$Q \rightarrow P$</th><th>$P \rightarrow \neg Q$</th><th>$Q \wedge R$</th></tr> <tr><td>T</td><td>T</td><td>T</td><td>F</td><td>F</td><td>T</td></tr> <tr><td>T</td><td>T</td><td>F</td><td>F</td><td>F</td><td>F</td></tr> <tr><td>T</td><td>F</td><td>T</td><td>T</td><td>T</td><td>F</td></tr> <tr><td>T</td><td>F</td><td>F</td><td>T</td><td>T</td><td>F</td></tr> <tr><td>F</td><td>T</td><td>T</td><td>T</td><td>F</td><td>T</td></tr> <tr><td>F</td><td>T</td><td>F</td><td>T</td><td>T</td><td>F</td></tr> <tr><td>F</td><td>F</td><td>T</td><td>T</td><td>T</td><td>F</td></tr> <tr><td>F</td><td>F</td><td>F</td><td>T</td><td>T</td><td>F</td></tr> </table> <p>Outcome: KB entails Query</p> <hr/> <p>Evaluating Query: $R \rightarrow P$</p> <p>Truth Table:</p> <table> <tr> <th>P</th><th>Q</th><th>R</th><th>$Q \rightarrow P$</th><th>$R \rightarrow P$</th></tr> <tr><td>T</td><td>T</td><td>T</td><td>F</td><td>F</td></tr> <tr><td>T</td><td>T</td><td>F</td><td>F</td><td>T</td></tr> <tr><td>T</td><td>F</td><td>T</td><td>T</td><td>T</td></tr> <tr><td>T</td><td>F</td><td>F</td><td>T</td><td>T</td></tr> <tr><td>F</td><td>T</td><td>T</td><td>T</td><td>T</td></tr> <tr><td>F</td><td>T</td><td>F</td><td>T</td><td>T</td></tr> <tr><td>F</td><td>F</td><td>T</td><td>T</td><td>T</td></tr> <tr><td>F</td><td>F</td><td>F</td><td>T</td><td>T</td></tr> </table>	P	Q	R	$Q \rightarrow P$	$P \rightarrow \neg Q$	$Q \wedge R$	T	T	T	F	F	T	T	T	F	F	F	F	T	F	T	T	T	F	T	F	F	T	T	F	F	T	T	T	F	T	F	T	F	T	T	F	F	F	T	T	T	F	F	F	F	T	T	F	P	Q	R	$Q \rightarrow P$	$R \rightarrow P$	T	T	T	F	F	T	T	F	F	T	T	F	T	T	T	T	F	F	T	T	F	T	T	T	T	F	T	F	T	T	F	F	T	T	T	F	F	F	T	T	<p>Outcome: KB does not entail Query</p> <hr/> <p>Evaluating Query: $Q \rightarrow R$</p> <p>Truth Table:</p> <table> <tr> <th>P</th><th>Q</th><th>R</th><th>$Q \rightarrow R$</th><th>$Q \wedge R$</th></tr> <tr><td>T</td><td>T</td><td>T</td><td>T</td><td>T</td></tr> <tr><td>T</td><td>T</td><td>F</td><td>F</td><td>F</td></tr> <tr><td>T</td><td>F</td><td>T</td><td>T</td><td>F</td></tr> <tr><td>T</td><td>F</td><td>F</td><td>T</td><td>F</td></tr> <tr><td>F</td><td>T</td><td>T</td><td>T</td><td>T</td></tr> <tr><td>F</td><td>T</td><td>F</td><td>F</td><td>F</td></tr> <tr><td>F</td><td>F</td><td>T</td><td>T</td><td>F</td></tr> <tr><td>F</td><td>F</td><td>F</td><td>T</td><td>F</td></tr> </table> <p>Outcome: KB entails Query</p> <hr/> <p>Evaluating Query: $\neg P \vee (Q \rightarrow \neg Q)$</p> <p>Truth Table:</p> <table> <tr> <th>P</th><th>Q</th><th>R</th><th>$Q \rightarrow P$</th><th>$\neg P \vee (Q \rightarrow \neg Q)$</th></tr> <tr><td>T</td><td>T</td><td>T</td><td>F</td><td>T</td></tr> <tr><td>T</td><td>T</td><td>F</td><td>F</td><td>T</td></tr> <tr><td>T</td><td>F</td><td>T</td><td>T</td><td>T</td></tr> <tr><td>T</td><td>F</td><td>F</td><td>T</td><td>T</td></tr> <tr><td>F</td><td>T</td><td>T</td><td>T</td><td>T</td></tr> <tr><td>F</td><td>T</td><td>F</td><td>F</td><td>T</td></tr> <tr><td>F</td><td>F</td><td>T</td><td>T</td><td>T</td></tr> <tr><td>F</td><td>F</td><td>F</td><td>T</td><td>T</td></tr> </table>	P	Q	R	$Q \rightarrow R$	$Q \wedge R$	T	T	T	T	T	T	T	F	F	F	T	F	T	T	F	T	F	F	T	F	F	T	T	T	T	F	T	F	F	F	F	F	T	T	F	F	F	F	T	F	P	Q	R	$Q \rightarrow P$	$\neg P \vee (Q \rightarrow \neg Q)$	T	T	T	F	T	T	T	F	F	T	T	F	T	T	T	T	F	F	T	T	F	T	T	T	T	F	T	F	F	T	F	F	T	T	T	F	F	F	T	T
P	Q	R	$Q \rightarrow P$	$P \rightarrow \neg Q$	$Q \wedge R$																																																																																																																																																																																									
T	T	T	F	F	T																																																																																																																																																																																									
T	T	F	F	F	F																																																																																																																																																																																									
T	F	T	T	T	F																																																																																																																																																																																									
T	F	F	T	T	F																																																																																																																																																																																									
F	T	T	T	F	T																																																																																																																																																																																									
F	T	F	T	T	F																																																																																																																																																																																									
F	F	T	T	T	F																																																																																																																																																																																									
F	F	F	T	T	F																																																																																																																																																																																									
P	Q	R	$Q \rightarrow P$	$R \rightarrow P$																																																																																																																																																																																										
T	T	T	F	F																																																																																																																																																																																										
T	T	F	F	T																																																																																																																																																																																										
T	F	T	T	T																																																																																																																																																																																										
T	F	F	T	T																																																																																																																																																																																										
F	T	T	T	T																																																																																																																																																																																										
F	T	F	T	T																																																																																																																																																																																										
F	F	T	T	T																																																																																																																																																																																										
F	F	F	T	T																																																																																																																																																																																										
P	Q	R	$Q \rightarrow R$	$Q \wedge R$																																																																																																																																																																																										
T	T	T	T	T																																																																																																																																																																																										
T	T	F	F	F																																																																																																																																																																																										
T	F	T	T	F																																																																																																																																																																																										
T	F	F	T	F																																																																																																																																																																																										
F	T	T	T	T																																																																																																																																																																																										
F	T	F	F	F																																																																																																																																																																																										
F	F	T	T	F																																																																																																																																																																																										
F	F	F	T	F																																																																																																																																																																																										
P	Q	R	$Q \rightarrow P$	$\neg P \vee (Q \rightarrow \neg Q)$																																																																																																																																																																																										
T	T	T	F	T																																																																																																																																																																																										
T	T	F	F	T																																																																																																																																																																																										
T	F	T	T	T																																																																																																																																																																																										
T	F	F	T	T																																																																																																																																																																																										
F	T	T	T	T																																																																																																																																																																																										
F	T	F	F	T																																																																																																																																																																																										
F	F	T	T	T																																																																																																																																																																																										
F	F	F	T	T																																																																																																																																																																																										

Outcome:
KB entails Query

PROGRAM 7:

Implement unification in first order logic

ALGORITHM:

29/10/21

Lab

1) For Unification Algorithm

\rightarrow If V_1, V_2 is variable \Rightarrow (constant the)

a) If V_1, V_2 are identical then return TRUE

b) Else if V_1 and V_2 are variable

a. Then if V_1 occurs in V_2 , then return FAILURE

b. Else return $S(V_1/V_2)$

c) Else if V_2 is a const

a. If V_2 occurs in V_1 then return FAILURE

b. Else return $S(V_1/V_2)$

else return FAILURE

If no initial symbol V_1 & V_2 are not same. then return FAILURE

If V_1 & V_2 have different no of arguments then return FAILURE

sub substitute set (SUBST) to NIL

for $i=1$ to Number of element in V_1

\rightarrow Call unify function with the element of V_1 , with the element of V_2 and put the result into S

\Rightarrow If $S = \text{FAILURE}$ return FAILURE

Prove:

1) $P(f(x), g(y), y)$
 $P(f(g(z)), g(f(a), f(a)))$
 find $\theta(MGU)$

2) $P(f(x), g(y), y)$
 $P(f(g(z)), g(f(a), f(a)))$
 $f(x) = f(g(z))$
 $x = g(z)$
 $g(y) = g(f(a))$
 $y = f(a)$
 $g = f(a)$

The last 2 expression holds. So, unifiable.

3) $Q(x, f(x))$
 $Q(f(y), y)$
 $Q(x, f(x))$ no of arguments are same.
 $Q(f(y), y)$
 $x = f(y)$
 So, $f(x) = y$
 So, they are not unifiable.

CODE:

```

import time
class Term:
    def __init__(self, value):
        self.value = value
    def __eq__(self, other):
        return isinstance(other, Term) and self.value == other.value
    def __hash__(self):
        return hash(self.value)
    def __repr__(self):
        return str(self.value)

class Constant(Term):
    pass

class Variable(Term):
    pass

class Function(Term):
    def __init__(self, symbol, args):
        self.value = symbol
        self.arguments = list(args)
    def __eq__(self, other):
        return isinstance(other, Function) and self.value == other.value and self.arguments ==
other.arguments
    def __hash__(self):
        return hash((self.value, tuple(self.arguments)))
    def __repr__(self):
        return f'{self.value}({','.join(map(str, self.arguments))})'

```

```
FAILURE = "FAILURE"
```

```

def occurs_in(v, t):
    if v == t:
        return True
    if isinstance(t, Function):
        return any(occurs_in(v, a) for a in t.arguments)
    return False

def substitute(subst, t):
    if not subst:
        return t
    if isinstance(t, Variable):
        return subst.get(t, t)
    if isinstance(t, Function):
        return Function(t.value, [substitute(subst, a) for a in t.arguments])
    return t

```

```

def compose(s1, s2):
    if not s1:
        return s2 or {}
    if not s2:
        return dict(s1)
    r = {v: substitute(s1, t) for v, t in s2.items()}
    for v, t in s1.items():

```

```

        if v not in r:
            r[v] = t
        return r

def unify_core(a, b):
    if a == b:
        return {}
    if isinstance(a, Variable):
        if occurs_in(a, b):
            return FAILURE
        return {a: b}
    if isinstance(b, Variable):
        if occurs_in(b, a):
            return FAILURE
        return {b: a}
    if isinstance(a, Function) and isinstance(b, Function) and a.value == b.value and len(a.arguments) == len(b.arguments):
        s = {}
        for x, y in zip(a.arguments, b.arguments):
            x2 = substitute(s, x)
            y2 = substitute(s, y)
            r = unify_core(x2, y2)
            if r == FAILURE:
                return FAILURE
            if r:
                s = compose(r, s)
        return s
    return FAILURE

def unify(a, b):
    return unify_core(a, b)

def pretty(s):
    if not s:
        return "{}"
    return "{" + ", ".join([f"{k}->{v}" for k, v in s.items()]) + "}"

def trace_unify(a, b):
    print("Unify:")
    print("A =", a)
    print("B =", b)
    print()
    steps = [(a, b)]
    subst = {}
    step = 1
    while steps:
        x, y = steps.pop(0)
        x = substitute(subst, x)
        y = substitute(subst, y)
        print("Step", step)
        print("Compare:", x, "and", y)
        if x == y:
            print("Equal\n")
            step += 1
            time.sleep(0.1)

```

```

        continue
    if isinstance(x, Variable):
        if occurs_in(x, y):
            print("Failure\n")
            return FAILURE
        s = {x: y}
        subst = compose(s, subst)
        print("Bind:", pretty(s))
        print("Now:", pretty(subst), "\n")
        step += 1
        time.sleep(0.1)
        continue
    if isinstance(y, Variable):
        if occurs_in(y, x):
            print("Failure\n")
            return FAILURE
        s = {y: x}
        subst = compose(s, subst)
        print("Bind:", pretty(s))
        print("Now:", pretty(subst), "\n")
        step += 1
        time.sleep(0.1)
        continue
    if isinstance(x, Function) and isinstance(y, Function) and x.value == y.value:
        for a1, a2 in zip(x.arguments, y.arguments):
            steps.insert(0, (a1, a2))
        print("Expand arguments\n")
        step += 1
        time.sleep(0.1)
        continue
    print("Failure\n")
    return FAILURE
print("Final substitution:", pretty(subst), "\n")
return subst

```

```

X = Variable("X")
Y = Variable("Y")
A = Constant("a")
B = Constant("b")

```

```

t1 = Function("P", [X, A])
t2 = Function("P", [B, Y])

```

```

t3 = Function("R", [X, Function("f", [X])])
t4 = Function("R", [A, Function("f", [B])])

```

```

print("\n=== Example 1 ===\n")
trace_unify(t1, t2)

```

```

print("\n=== Example 2 ===\n")
trace_unify(t3, t4)

```

OutPut:



PROGRAM 8:

Create a knowledge base consisting of first order logic statements and prove the given query using forward reasoning.

ALGORITHM:

Forward Reasoning Algorithm

function FOL-FC-ASK(KB, q) returns a Substitution θ if successful
inputs: KB, the knowledge base; a Set of first order definite clauses, q , the query, an atomic sentence
local variables: new, the new sentences inferred on each iteration

repeat until new is empty
 new $\leftarrow \emptyset$
 for each rule in KB do
 $(P_1, \dots, P_n \rightarrow q) \leftarrow$ Standardize Variables(rule)
 for each θ such that SUBST(θ, P_1, \dots, P_n) = SUBST($\theta, P_1', \dots, P_n'$)
 for some P_1', \dots, P_n' in KB
 $q' \leftarrow$ SUBST(θ, q)
 if q' does not unify with some sentence in KB or new then
 add q' to new
 $\phi \leftarrow$ Unify(q', d)
 if ϕ is not fail then return ϕ
 add new to KB
return false

Output:
Enter number of FOL expressions in KB
4
Enter the expressions
Living thing (deer)
Living thing (tiger)

CODE:

```

class Predicate:
    def __init__(self, name, args):
        self.name = name
        self.args = args

    def __repr__(self):
        return f'{self.name}({','.join(map(str, self.args))})'

    def __eq__(self, other):
        return isinstance(other, Predicate) and self.name == other.name and self.args == other.args

    def __hash__(self):
        return hash((self.name, tuple(self.args)))

class Var:
    def __init__(self, name):
        self.name = name

    def __repr__(self): return
        self.name

    def __eq__(self, other):
        return isinstance(other, Var) and self.name == other.name

    def __hash__(self): return
        hash(self.name)

class Const:
    def __init__(self, name):
        self.name = name

    def __repr__(self): return
        self.name

    def __eq__(self, other):
        return isinstance(other, Const) and self.name == other.name

    def __hash__(self): return
        hash(self.name)

def is_variable(x):
    return isinstance(x, Var)

def unify(x, y, subst={}):
    if subst is None:
        return None
    elif x == y:
        return subst
    elif is_variable(x):
        return unify_var(x, y, subst)
    elif is_variable(y):
        return unify_var(y, x, subst)
    elif isinstance(x, Predicate) and isinstance(y, Predicate):

```

```

    if x.name != y.name or len(x.args) != len(y.args):
        return None
    for a, b in zip(x.args, y.args):
        subst = unify(a, b, subst)
        if subst is None:
            return None
    return subst
else:
    return None

def unify_var(var, x, subst):
    if var in subst:
        return unify(subst[var], x, subst)
    elif is_variable(x) and x in subst:
        return unify(var, subst[x], subst)
    elif occurs_check(var, x, subst):
        return None
    else:
        subst_copy = subst.copy()
        subst_copy[var] = x
        return subst_copy

def occurs_check(var, x, subst):
    if var == x:
        return True
    elif is_variable(x) and x in subst:
        return occurs_check(var, subst[x], subst)
    elif isinstance(x, Predicate):
        return any(occurs_check(var, arg, subst) for arg in x.args)
    else:
        return False

def substitute(predicate, subst):
    new_args = []
    for arg in predicate.args:
        val = arg
        while is_variable(val) and val in subst:
            val = subst[val]
        new_args.append(val)
    return Predicate(predicate.name, new_args)

class Rule:
    def __init__(self, premises, conclusion):
        self.premises = premises
        self.conclusion = conclusion

    def __repr__(self):
        return f"{' ^ '.join(map(str, self.premises))} => {self.conclusion}"

def forward_chain(kb_facts, kb_rules, query):
    inferred = set(kb_facts)
    print("Initial Facts:")
    for f in inferred:

```

```

    print(f' {f}')
print("\nStarting inference steps:\n")

new_inferred = True

while new_inferred:
    new_inferred = False
    for rule in kb_rules:
        possible_substs = [{}]

        for premise in rule.premises:
            temp_substs = []
            for fact in inferred:
                for subst in possible_substs:
                    subst_try = unify(premise, fact, subst)
                    if subst_try is not None:
                        temp_substs.append(subst_try)
            possible_substs = temp_substs

        for subst in possible_substs:
            concluded_fact = substitute(rule.conclusion, subst)
            if concluded_fact not in inferred:
                print(f'Inferred: {concluded_fact} from rule {rule} using substitution {subst}')
                inferred.add(concluded_fact)
                new_inferred = True
                if unify(concluded_fact, query) is not None:
                    print(f'\nQuery {query} proved!")
                    return True

print(f'\nQuery {query} not proved.")
return False

if __name__ == "__main__":
    a = Const('a')
    b = Const('b')
    c = Const('c')
    x = Var('x')
    y = Var('y')
    z = Var('z')

    kb_facts = {
        Predicate('Parent', [a, b]),
        Predicate('Parent', [b, c]),
    }

    kb_rules = [
        Rule([Predicate('Parent', [x, y])], Predicate('Ancestor', [x, y])),
        Rule([Predicate('Parent', [x, y]), Predicate('Ancestor', [y, z])], Predicate('Ancestor', [x, z])),
    ]

    query = Predicate('Ancestor', [a, c])

    print("Running forward chaining...\n")
    forward_chain(kb_facts, kb_rules, query)

```


Output:

```
Running forward chaining...

Initial Facts:
  Parent(a, b)
  Parent(b, c)

Starting inference steps:

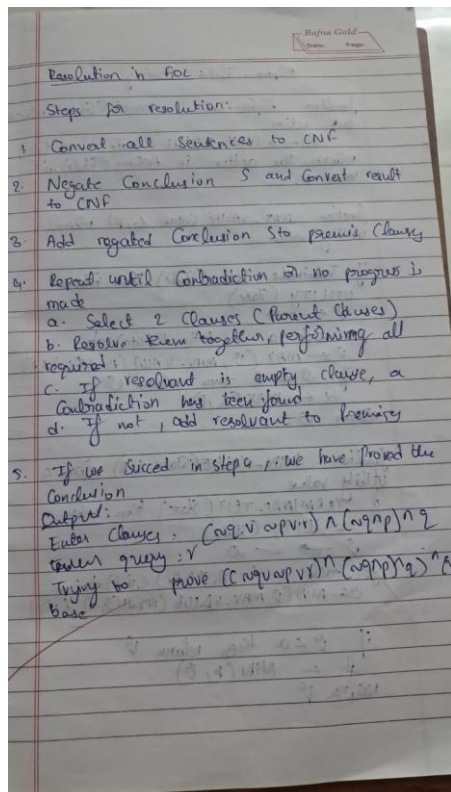
Inferred: Ancestor(a, b) from rule Parent(x, y) => Ancestor(x, y) using substitution {x: a,
y: b}
Inferred: Ancestor(b, c) from rule Parent(x, y) => Ancestor(x, y) using substitution {x: b,
y: c}
Inferred: Ancestor(a, c) from rule Parent(x, y) ^ Ancestor(y, z) => Ancestor(x, z) using su
bstitution {x: a, y: b, z: c}

Query Ancestor(a, c) proved!
```

PROGRAM 9:

Create a knowledge base consisting of first order logic statements and prove the given query using Resolution

ALGORITHM:



CODE:

```

def is_variable(x):
    return x[0].islower() and len(x) == 1

def unify(x, y, subs=None):
    if subs is None:
        subs = {}
    if x == y:
        return subs
    if is_variable(x):
        return unify_var(x, y, subs)
    if is_variable(y):
        return unify_var(y, x, subs)
    if isinstance(x, list) and isinstance(y, list) and len(x) == len(y):
        for a, b in zip(x, y):
            subs = unify(a, b, subs)
            if subs is None:
                return None
        return subs
    return None

def unify_var(var, x, subs):
    if var in subs:
        return unify(subs[var], x, subs)
    if x in subs:
        return unify(var, subs[x], subs)
    if occurs_check(var, x, subs):
        return None
    subs[var] = x
    return subs

def occurs_check(var, x, subs):
    if var == x:
        return True
    if isinstance(x, list):
        return any(occurs_check(var, xi, subs) for xi in x)
    if x in subs:
        return occurs_check(var, subs[x], subs)
    return False

def negate(literal):
    return literal[1:] if literal.startswith("¬") else "¬" + literal

def parse_predicate(pred):
    name, args = pred.split("(")
    args = args[:-1].split(",")
    args = [a.strip() for a in args]
    return name.strip(), args

def substitute(literal, subs):

```

```

name, args = parse_predicate(literal.replace("¬", ""))
new_args = [subs.get(a, a) for a in args]
new_lit = name + "(" + ", ".join(new_args) + ")"
return "¬" + new_lit if literal.startswith("¬") else new_lit

```

```

def unify_predicates(p1, p2):
    p1_clean = p1.replace("¬", "")
    p2_clean = p2.replace("¬", "")
    n1, a1 = parse_predicate(p1_clean)
    n2, a2 = parse_predicate(p2_clean)
    if n1 != n2 or len(a1) != len(a2):
        return None
    return unify(a1, a2)

```

```

def resolve(ci, cj):
    for li in ci:
        for lj in cj:
            if lj == negate(li):
                subs = unify_predicates(li, lj)
                if subs is not None:
                    new_clause = set()
                    for l in ci.union(cj):
                        if l != li and l != lj:
                            new_clause.add(substitute(l, subs))
                    return new_clause, (li, lj), subs
    return None, None, None

```

```

KB = [
    {"¬food(x)", "likes(John,x)"},
    {"food(Apple)"},
    {"food(vegetables)"},
    {"¬eats(y,z)", "killed(y)", "food(z)"},
    {"eats(Anil,Peanuts)"},
    {"alive(Anil)"},
    {"¬eats(Anil,w)", "eats(Harry,w)"},
    {"killed(g)", "alive(g)"},
    {"¬alive(k)", "¬killed(k)"},
    {"likes(John,Peanuts)"}
]

```

```

def resolution_tree(KB, query):

    print(" PROOF BY RESOLUTION (FOL) ")
    print(f'Goal: Prove that {query}\n')
    print("Converting to CNF and negating the query...\n")

    clauses = [c.copy() for c in KB]
    negated_query = negate(query)
    clauses.append({negated_query})
    print(f'Negated query added to KB: {negated_query}\n')
    new = []
    step = 1
    proof_steps = []

```

```
tree_nodes = []
```

```
while True:
```

```
    pairs = [(clauses[i], clauses[j]) for i in range(len(clauses))
              for j in range(i + 1, len(clauses))]
```

```
    for (ci, cj) in pairs:
```

```
        resolvent, used, subs = resolve(ci, cj)
```

```
        if resolvent is not None:
```

```
            proof_steps.append({
                "step": step,
                "parents": (ci, cj),
                "used": used,
                "subs": subs,
                "resolvent": resolvent
            })
```

```
            print(f'Step {step}: Resolving {ci} and {cj}')
```

```
            print(f'Used literals: {used}')
```

```
            if subs:
```

```
                print(f'Substitution: {subs}')
```

```
            print(f' $\Rightarrow$  New Clause:
```

```
                  {resolvent}\n')
```

```
            tree_nodes.append((ci, cj, resolvent))
```

```
        if not resolvent:
```

```
            print(" Empty clause derived — Query is PROVED!\n")
```

```
            print("\n===== PROOF TREE =====\n")
```

```
            print_tree(tree_nodes)
```

```
            return True
```

```
        if resolvent not in clauses:
```

```
            new.append(resolvent)
```

```
            step += 1
```

```
    if not new:
```

```
        print(" No new clauses can be derived — Query cannot be proven.\n")
```

```
        print("\n===== PROOF TREE (Partial) =====\n")
```

```
        print_tree(tree_nodes)
```

```
    return False
```

```
    clauses.extend(new)
```

```
    new = []
```

```
def print_tree(nodes):
```

```
    def print_branch(node, level=0):
```

```
        indent = " " * level
```

```
        c1, c2, result = node
```

```
        print(f'{indent} |— Derived {result} from:')
```

```
        print(f'{indent} | {c1}')
```

```
        print(f'{indent} | {c2}')
```

```

for n in nodes:
    print_branch(n)
    print("")

if name == "_main_": query
    = "likes(John,Peanuts)"
    result = resolution_tree(KB, query)
    print("Result:", " PROVED" if result else " NOT PROVED")

```

OutPut:

```

      PROOF BY RESOLUTION (FOL)
Goal: Prove that likes(John,Peanuts)

Converting to CNF and negating the query...

Negated query added to KB: ~likes(John,Peanuts)

Step 1: Resolving {'likes(John,Peanuts)'} and {'~likes(John,Peanuts)'}
      Used literals: ('likes(John,Peanuts)', '~likes(John,Peanuts)')
      ⇒ New Clause: set()

Empty clause derived – Query is PROVED!

===== PROOF TREE =====

├─ Derived set() from:
   │   {'likes(John,Peanuts)'}
   │   {'~likes(John,Peanuts)'}
Result:  PROVED

```

PROGRAM 10:

Implement Alpha-Beta Pruning.

ALGORITHM:

Alpha-Beta Pruning

```

function Alpha-Beta-Search (State) returns action
    v ← MAX-VALUE (State, -∞, +∞)
    return the action in Actions (State) with value v

function MAX-VALUE (State, α, β) returns utility value
    if Terminal-Test (State) then return UTILITY (State)
    v ← -∞
    for each a in Actions (State) do
        v ← MAX (v, MIN-VALUE (Result (S, a), α, β))
        if v ≥ β then return v
        α ← MAX (α, v)
    return v

function MIN-VALUE (State, α, β) returns utility value
    if Terminal-Test (State) then return UTILITY (State)
    v ← +∞
    for each a in Actions (State) do
        v ← MIN (v, MAX-VALUE (Result (S, a), α, β))
        if v ≤ α then return v
        β ← MIN (β, v)
    return v

```

CODE:

```
import math
```

```
tree = {
    'A': ['B', 'C'],
    'B': ['D', 'E'],
    'C': ['F', 'G'],
    'D': ['H', 'I'],
    'E': ['J', 'K'],
    'F': ['L', 'M'],
    'G': ['N', 'O'],
    'H': [], 'I': [], 'J': [], 'K': [],
    'L': [], 'M': [], 'N': [], 'O': []
}
```

```
values = {
    'H': 3, 'I':
    5,
    'J': 6, 'K': 9,
    'L': 1, 'M': 2,
    'N': 0, 'O': -1
}
```

```
def get_children(node):
```

```

return tree.get(node, [])

def evaluate(node):
    return values.get(node, 0)

def alphabeta(node, depth, alpha, beta, maximizingPlayer):
    if not get_children(node) or depth == 0:
        return evaluate(node)

    if maximizingPlayer:
        value = -math.inf
        print(f'MAX Node {node}:  $\alpha$ = $\{\alpha\}$ ,  $\beta$ = $\{\beta\}$ ')
        for child in get_children(node):
            value = max(value, alphabeta(child, depth - 1, alpha, beta, False))
            alpha = max(alpha, value)
            print(f' MAX updating  $\alpha$ = $\{\alpha\}$  after visiting {child}')
            if alpha >= beta:
                print(f' Pruned remaining children of {node} ( $\alpha$ = $\{\alpha\}$ ,  $\beta$ = $\{\beta\}$ )')
                break
        return value
    else:
        value = math.inf
        print(f'MIN Node {node}:  $\alpha$ = $\{\alpha\}$ ,  $\beta$ = $\{\beta\}$ ')
        for child in get_children(node):
            value = min(value, alphabeta(child, depth - 1, alpha, beta, True))
            beta = min(beta, value)
            print(f' MIN updating  $\beta$ = $\{\beta\}$  after visiting {child}')
            if beta <= alpha:
                print(f' Pruned remaining children of {node} ( $\alpha$ = $\{\alpha\}$ ,  $\beta$ = $\{\beta\}$ )')
                break
        return value

print("\n--- Running Alpha-Beta Pruning on Minimax Tree ---\n")
optimal_value = alphabeta('A', depth=4, alpha=-math.inf, beta=math.inf, maximizingPlayer=True)
print("\nOptimal value at the root (A):", optimal_value)

```

OutPut:

--- Running Alpha-Beta Pruning on Minimax Tree ---

MAX Node A: $\alpha=-\text{inf}$, $\beta=\text{inf}$

MIN Node B: $\alpha=-\text{inf}$, $\beta=\text{inf}$

MAX Node D: $\alpha=-\text{inf}$, $\beta=\text{inf}$

MAX updating $\alpha=3$ after visiting H

MAX updating $\alpha=5$ after visiting I

MIN updating $\beta=5$ after visiting D

MAX Node E: $\alpha=-\text{inf}$, $\beta=5$

MAX updating $\alpha=6$ after visiting J

Pruned remaining children of E ($\alpha=6$, $\beta=5$)

MIN updating $\beta=5$ after visiting E

MAX updating $\alpha=5$ after visiting B

MIN Node C: $\alpha=5$, $\beta=\text{inf}$

MAX Node F: $\alpha=5$, $\beta=\text{inf}$

MAX updating $\alpha=5$ after visiting L

MAX updating $\alpha=5$ after visiting M

MIN updating $\beta=2$ after visiting F

Pruned remaining children of C ($\alpha=5$, $\beta=2$)

MAX updating $\alpha=5$ after visiting C

Optimal value at the root (A): 5