EE2016: Microprocessor Theory and Lab

Lab Experiment #1

Implementation and Performance Comparison of 4-bit Serial-Parallel Multiplier with Booth's Algorithm in FPGA

(Xilinx's Spartan 3E Board)

Batch 35

Sarathchandra Koppera EE21B073

Vikas Gollapalli EE21B051

Contents

1. Aim of the Experiment	3
2. Code	.3
3. Results	7
4. Explanation	9
5. Learning Outcomes	.11

1 Aim of the Experiment

- 1. To study the 4-bit serial-parallel multiplier and Booth's algorithm for multiplication
- 2. To implement both the above in FPGA platform
- 3. To demonstrate its working given a test set, by writing a test bench code to display the output in LEDs
- 4. To compare the performance of both the algorithms in terms of number of clock cycles, given the same set of multiplicand and multiplier.

2 Code

Verilog code for Serial –Parallel Multiplier

```
module noradd(
  input [3:0]A,
  input [3:0]B,
  output reg [7:0]product
    );
always@(A or B)
begin
   product = 8'b00000000;
   if(B[0] == 1'b1)
    product = product + (A<<0);</pre>
   if(B[1] == 1'b1)
    product = product + (A<<1);</pre>
   if(B[2] == 1'b1)
     product = product + (A<<2);</pre>
   if(B[3] == 1'b1)
     product = product + (A<<3);</pre>
end
endmodule
```

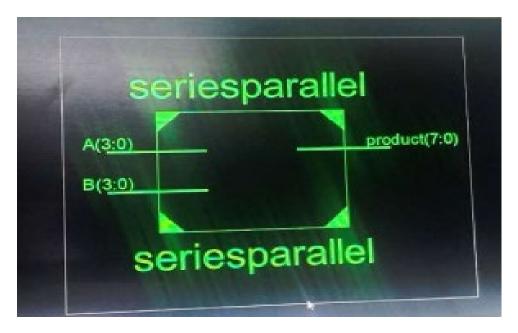
```
module testi;
 // Inputs
reg [3:0] A;
 reg [3:0] B;
 // Outputs
 wire [7:0] product;
 // Instantiate the Unit Under Test (UUT)
noradd uut (
  .A(A),
 .B(B),
 .product(product)
 );
 initial begin
 // Initialize Inputs
 A = 0;
 B = 0;
  // Wait 100 ns for global reset to finish
 #100;
 // Add stimulus here
 A = 1;
 B = 1;
 end
endmodule
```

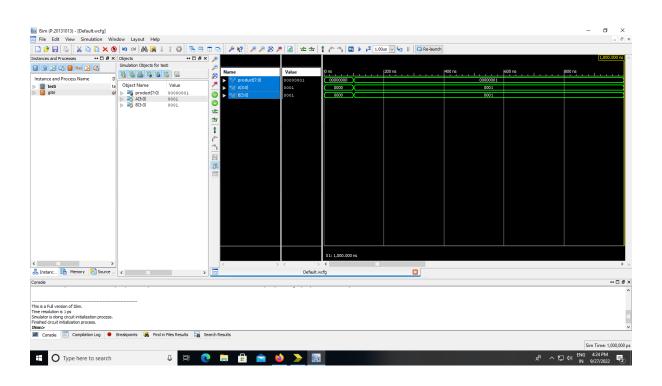
```
module BOOTHS MULTIPLIER(
   output [7:0] prod,
   output busy,
    input [3:0] mc,
   input [3:0] mp,
    input clk,
    input start
 reg [3:0] A, Q, M; // all registers are of 4 bits
 reg Q 1;
 reg [\overline{2}:0] count;
 wire [3:0] sum, difference;
 always @(posedge clk)
 begin
 if (start)
 begin
  A <= 1'b0;
  M \ll mc;
   Q \ll mp;
   Q 1 <= 1'b0; // bit written to the left of lsb of number to be multiplied
  count <= 3'b0;
  end
  else
  begin
  case (\{Q[0], Q_1\})
    2'b0_1 : \{A, Q, Q_1\} \le \{sum[3], sum, Q\};
    2'b1_0 : \{A, Q, Q_1\} \leftarrow \{difference[3], difference, Q\};
   default: \{A, Q, Q_1\} \le \{A[3], A, Q\};
   endcase
   count <= count + 1'b1;</pre>
  end
 end
 alu adder(sum, A, M, 0); // adder
 alu subtracter(difference, A,~M, 1); //subtractor using 2's compliment
 assign prod = \{A, Q\}; // make it fill up the arguments
 assign busy = (count < 5);
endmodule
// The following is an alu. It is an adder, but capable of subtraction:
// Recall that subtraction means adding the two's complement-- a - b = a + (-b) = a
// + (inverted b + 1)
// The 1 will be coming in as cin (carry-in)
module alu(out, a, b, cin);
output [3:0] out;
input [3:0] a;
input [3:0] b;
input cin;
 assign out = a + b + cin;
endmodule
```

```
module BOOTHS MULTIPLIER TB;
// Inputs
reg [3:0] mc;
reg [3:0] mp;
reg clk;
reg start;
// Outputs
wire [7:0] prod;
wire busy;
// Instantiate the Unit Under Test (UUT)
BOOTHS MULTIPLIER uut (
  .prod(prod),
  .busy(busy),
  .mc(mc),
  .mp(mp),
  .clk(clk),
  .start(start)
 );
 initial begin
 // Initialize Inputs
 mc = 4'b0110;
 mp = 4'b0010;
  clk = 1;
        start = 1;
        #10 clk = ~clk;
  #10 clk = \sim clk;
  start = 0;
  #10 clk = \sim clk;
        $finish;
 end
 initial begin
      $dumpfile("BOOTHS.vcd");
      $dumpvars(0,BOOTHS MULTIPLIER TB);
    end
endmodule
```

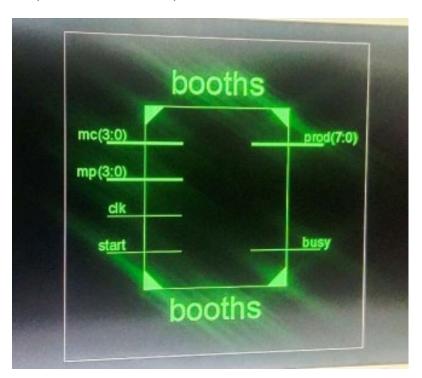
3 Results

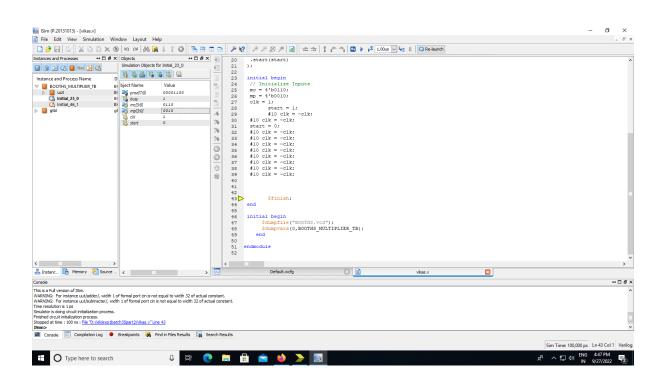
Output for Serial –Parallel Multiplier





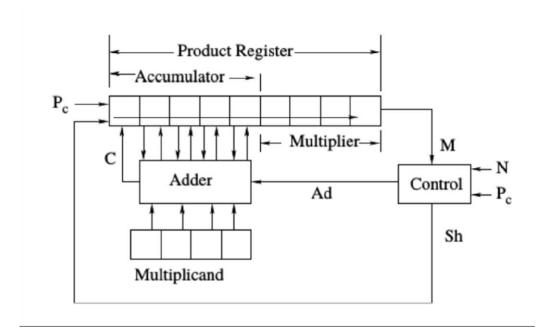
Output for Booth's Multiplier





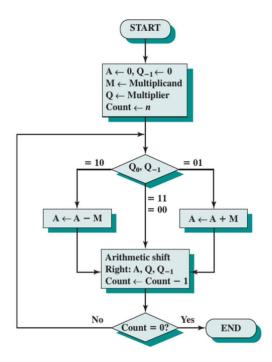
4 Explanation

Serial-Parallel Multiplier



In this algorithm, we multiply the multiplicand by least significant digit of the multiplier, shift right, then repeat for the next to accumulate the sum of product, keep doing till most significant digit and add them now. The only difference is that for each multiplication above, we use repeated addition and use the same accumulator to hold the product.

Booth's algorithm



With the help of the method of Booth's algorithm we can multiply two signed binary numbers in 2's complement notation. Booth's algorithm performs lesser number of additions and subtractions when compared to normal multiplication algorithm.

5 Learning Outcomes

- 1. We learnt the logic behind the Serial-Parallel and Booth's algorithm and realization using the Verilog language
- 2. We also learnt how to implement a test bench and implement the multiplication of two numbers
- 3. We also learnt that booth's algorithm is much faster than serial-parallel multiplier in terms of clock cycles. Theoretically booth's algorithm takes n clock cycles to compute a n-bit multiplication while a serial-parallel multiplier has a time complexity of 2n. Booth's algorithm gives correct result for signed bits while serial-parallel multiplier will give incorrect result for un signed bits.