

Bias in Machine Learning

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Outline

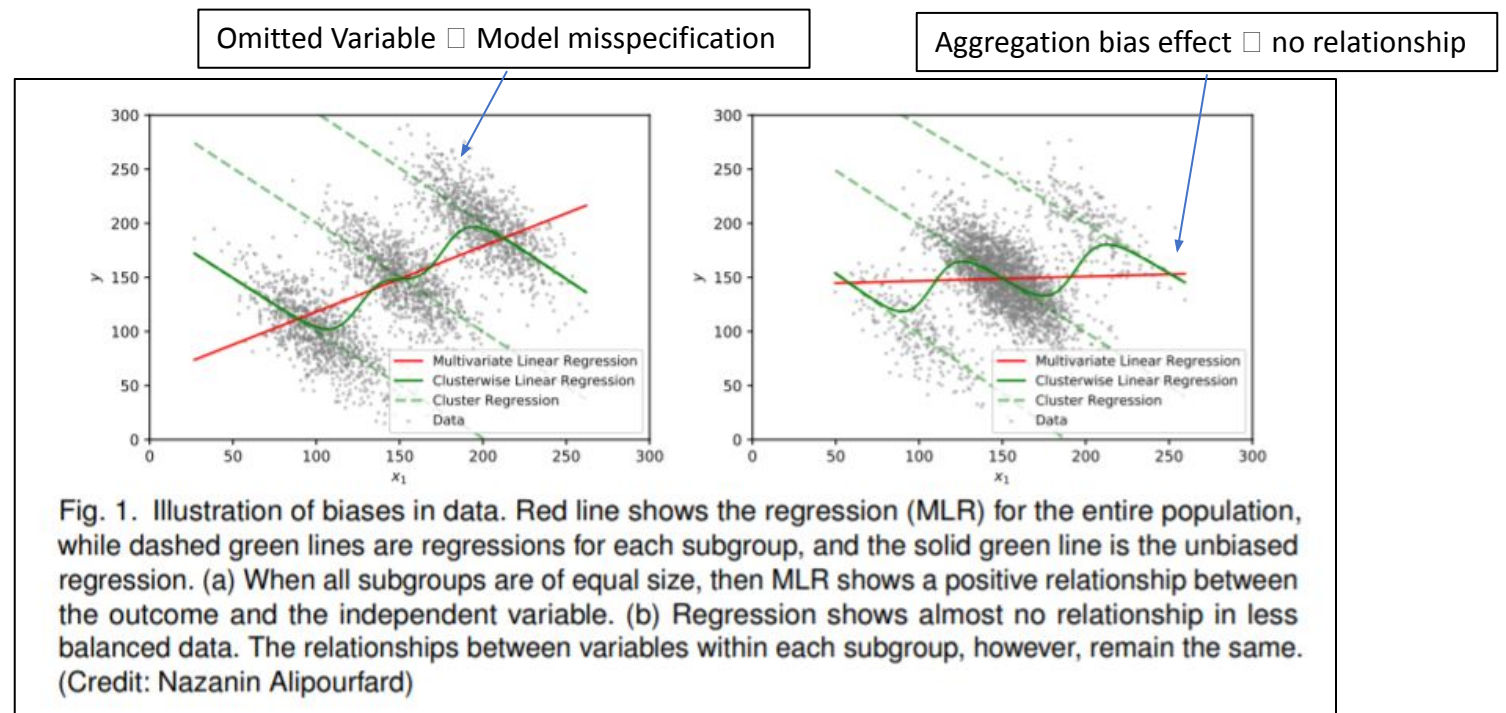
- Biases in machine learning algorithms
- A Simple Discrete Choice model to detect bias
- A debiasing algorithm based on VAE to debias training data (Amini et al 2019, ACM conference)

An Example of Bias

- nutrition study- body mass index (BMI) as a function of daily pasta calorie intake
- positive relationship in the population (red solid line)
- Data, especially big data, is often heterogeneous, generated by subgroups with their own characteristics and behaviors. The heterogeneities bias the data.
- data is disaggregated by fitness level

BIAS

- Suppose you have a sample with people only from one fitness group, can you use the same model to make conclusions for the population?



Another Example of Bias: Simpson's Paradox

According to Simpson's Paradox, a trend, association, or a characteristic observed in underlying subgroups may be quite different from association or characteristic observed when these subgroups are aggregated.

Gender bias lawsuit in university admissions against UC Berkeley

<u>Aggregate Data</u>		
	Women	Men
# applicants	30	120
# admits	4	20
Acc. Rate	13.33%	16.67%

Department 1
(Lower Acc. Rate)

	Women	Men
# applicants	20	40
# admits	2	4
Acc. Rate	10%	10%

Department 2
(Higher Acc. Rate)

	Women	Men
# applicants	10	80
# admits	2	16
Acc. Rate	20%	20%

Why Are AI Applications Becoming Increasingly Popular?

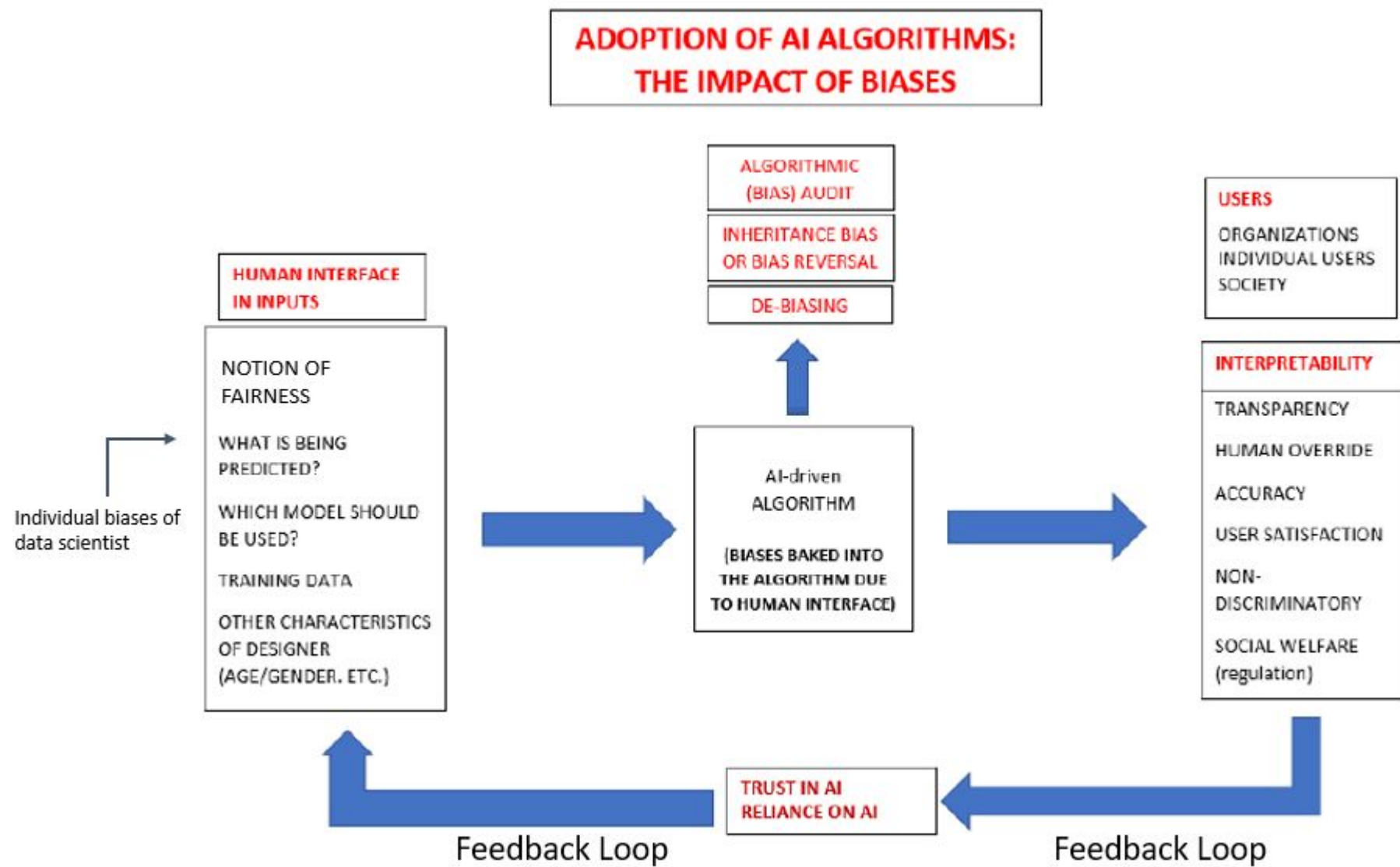
- Benefits of using AI systems (AI-driven algorithms) is that they are highly effective
 1. Productivity improves significantly (machines don't get tired)
 2. Machines account for many more factors than people can (big data)



AI Applications Can Also Suffer From Biases

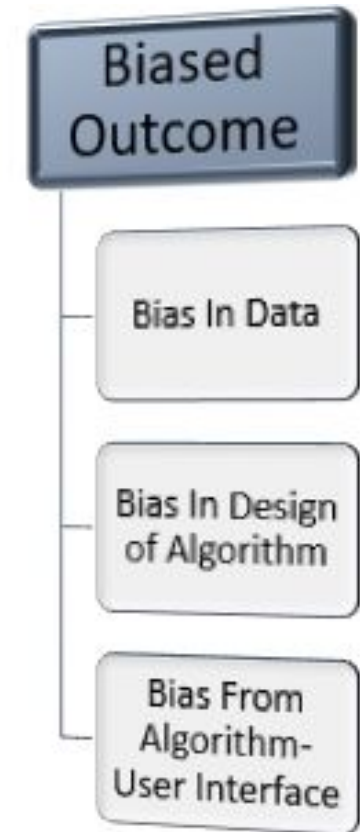
- Many sensitive environments to make important and life-changing decisions and biases outcomes due to these algorithm can have serious consequences
- It is important to take bias and fairness issues into consideration while designing and engineering these types of systems.





Sources of Bias

- These biases (resulting in unfair outcomes) stem from hidden biases, either in the training data or the design of the algorithm or the user interface
 - It is extremely important for society that AI-driven algorithms are properly tuned to deliver fair outcomes and are seen to be fair (interpretability)
 - i.e., they do not exhibit biases against sub-groups of the population, i.e., they are non-discriminatory and users can trust and rely on the system

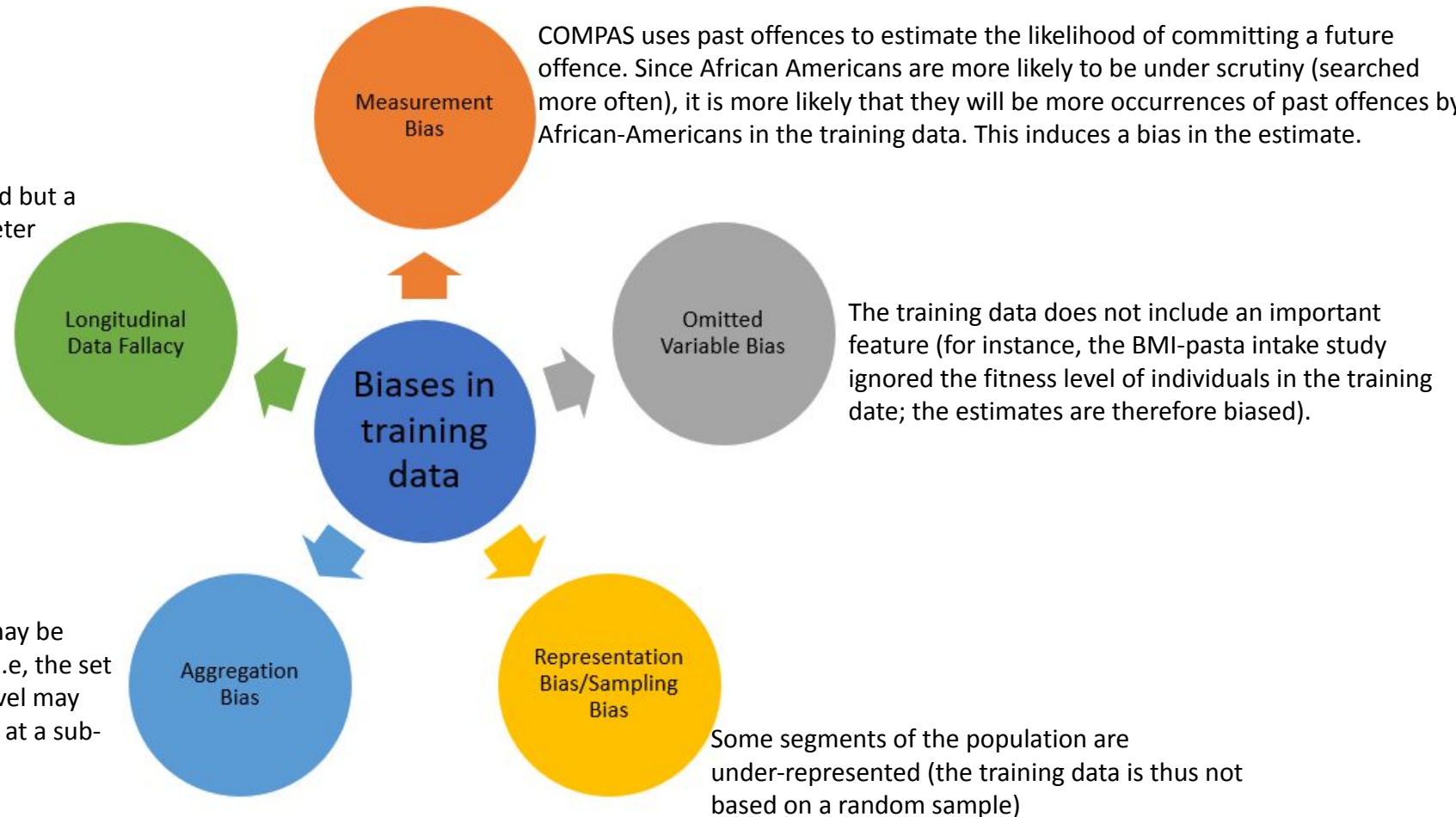


Biases In Training Data

Longitudinal Times Series Analysis may be required but a Cross-Sectional Analysis is conducted. The parameter estimates from the latter will be then biased.

COMPAS uses past offences to estimate the likelihood of committing a future offence. Since African Americans are more likely to be under scrutiny (searched more often), it is more likely that they will be more occurrences of past offences by African-Americans in the training data. This induces a bias in the estimate.

Models that describes the overall population may be unsuitable for some groups of the population, i.e, the set of features that are relevant at an aggregate level may differ from the set of features that are relevant at a sub-group level.



Biases in the Design of Algorithms



Algorithmic Bias

- Choice of model (linear regressions vs. logistic regression), choice of predictors, regularization employed in minimizing the loss function, number of features, etc.

Emergent Bias

- Can arise due to changes in the population, cultural changes, or societal developments that arise after the design of the algorithm, thus model specification may become obsolete.

Evaluation Bias

- Evaluation scheme in a science project contest (how much weight should be given to impact vs. methodology, presentation, etc.) may affect the predictions of the model

Biases at the Algorithm-User Interface (with user-generated training data)

Due to the existence of the feedback loop phenomenon, which is a situation in which the trained machine learning model makes decisions that produce outcomes, and these very outcomes affect future data that will be collected for subsequent training rounds or models.

Social bias:

When a user sees that other users have given a high rating to a restaurant, they may be hesitant to voice their own opinion and may prefer to mimic previous user responses.

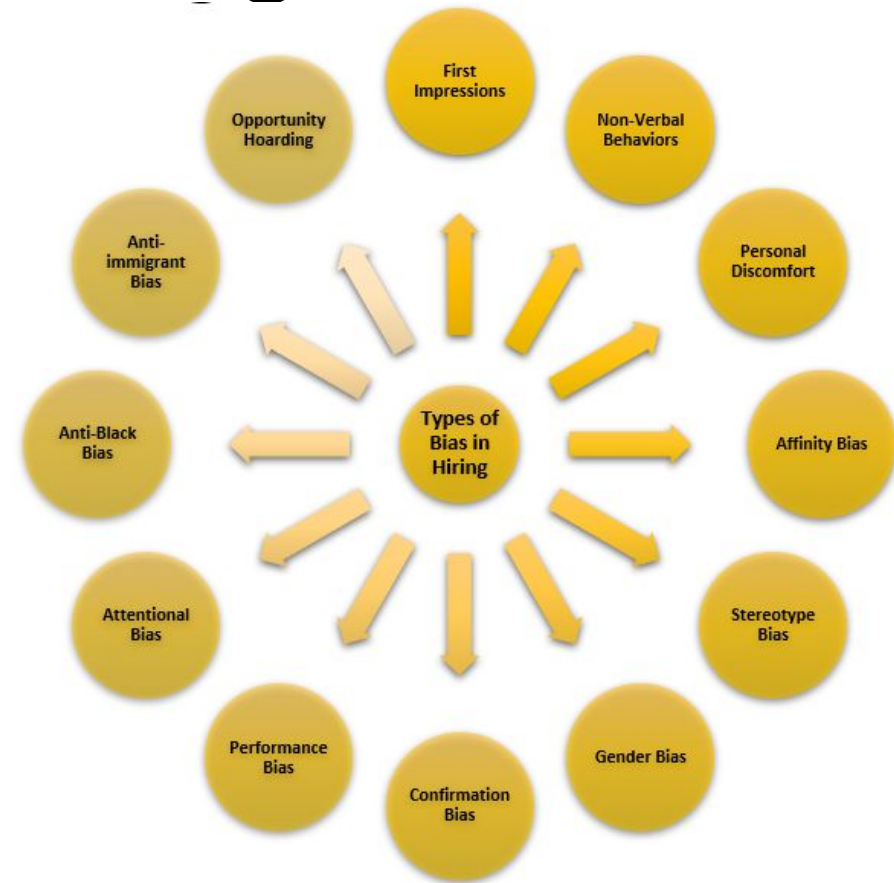
Self selection bias:

More affected users (with extremely positive or negative opinions) are more likely to respond to a survey, the intermediate opinion individuals often don't respond. Thus, user responses may be skewed in either direction

A Simple Model to Detect Bias: Estimating Affinity Bias in Hiring Decisions

Affinity Bias

The tendency to want to work with someone who is like us culturally, someone we like, and who we can socialize with. Our similarity and comfort level with the candidate can then override our assessment of the candidate's skills and the abilities to do the job.



Modeling a Simple Shortlisting decision

Let y_i represent the shortlisting decision, which can take one of two discrete values (0=not selected, 1=shortlisted/hired).

The agent who makes the shortlisting decision prefers one alternative over the other because it provides more utility (or a gain measure). Thus, economic logic is absorbed into the classification model by using a latent variable.

A candidate is shortlisted by a recruiter if his productivity exceeds a certain standard or benchmark (y_0). This benchmark acts as a threshold for a positive or negative decision. Consequently, the value y_i is contingent on $y_i^* > y_0$.

We model productivity (y_i^*) as a latent variable that is unobserved, but is known to be related to the candidate's educational background, relevant work experience, etc. For convenience, we employ one feature X_1 , but the model can be extended to include several features

$$\begin{aligned} &\text{if } y_i^* > y_0, y_i = 1 \\ &\text{else } y_i = 0 \end{aligned}$$

Modeling a Shortlisting decision

y_i^* is the i^{th} candidate's productivity (y_i^*) is a linear function of \mathbf{X}_1

$$y_i^* = \beta_0' + \beta_1 X_1 + u$$

intercept

β_1 is the marginal effect of X_1 on productivity

u captures the random error term

$$\begin{aligned} \text{if } y_i^* > y_0, & y_i = 1 \\ \text{else } & y_i = 0 \end{aligned}$$

Evaluating the Probability of Shortlisting (without Bias)

The probability (p_i) of selection of an i^{th} candidate with characteristic $X_1 = x_1$ is

$$p_i = \text{Prob} (y_i = 1 | X_1 = x_1) = \text{Prob} (y_i^* > y_0 | X_1 = x_1)$$

$$\begin{aligned} \text{i.e., } \text{Prob} (\beta'_0 + \beta_1 X_1 + u > y_0 | X_1 = x_1) &= \text{Prob} (u > [y_0 - (\beta'_0 + \beta_1 x_1)]) \\ &= \text{Prob} (u < [(\beta'_0 + \beta_1 x_1) - y_0]) \\ &= F(\beta'_0 + \beta_1 x_1 - y_0) \end{aligned}$$

where F is the cumulative distribution function that is assumed to be symmetric, e.g., u could arise from a logistic distribution. Then, the probability of shortlisting is modeled as a logit function, as given below:

$$\ln \left(\frac{p_i}{1 - p_i} \right) = E[y_i^*] = \beta'_0 + \beta_1 x_1 - y_0$$
$$p_i = \frac{1}{1 + e^{-(\beta'_0 + \beta_1 x_1 - y_0)}}$$

Introducing Affinity Bias in the Model (1)

Overestimate productivity; $A=1 \rightarrow y_i^* + \tau$

Shortlist if $(y_i^* + \tau) > y_0$; $A=1$

Shortlist if $y_i^* > (y_0 - \tau)$; $A=1$

In general, shortlist if $y_i^* > (y_0 - \tau A)$

$$\begin{aligned} \text{Prob}(\beta'_0 + \beta_1 x_1 + u > (y_0 - \tau A)) &= F(\beta'_0 + \beta_1 x_1 - (y_0 - \tau A)) \\ &= F(\beta'_0 + \beta_1 x_1 + \tau A - y_0) \end{aligned}$$


$$\ln\left(\frac{p_i}{1-p_i}\right) = E[y_i^*] = \beta'_0 + \beta_1 x_1 + \tau A - y_0$$

It follows that the probability p of a candidate being shortlisted is

$$p_i = \frac{1}{1 + e^{-(\beta'_0 + \beta_1 x_1 + \tau A - y_0)}}$$

Introducing Affinity Bias in the Model (2)

Let $\beta_0(\tau) = \beta'_0 + \tau A - y_0$

Then $\ln\left(\frac{p_i}{1-p_i}\right) = \beta_0(\tau) + \beta_1 x_1$  Logit model

$$p_i(\tau) = \frac{1}{1 + e^{-(\beta_0(\tau) + \beta_1 x_1)}}$$

probability of a candidate
being shortlisted is 

The probability of shortlisting is a function of the **affinity bias parameter (τ)** 

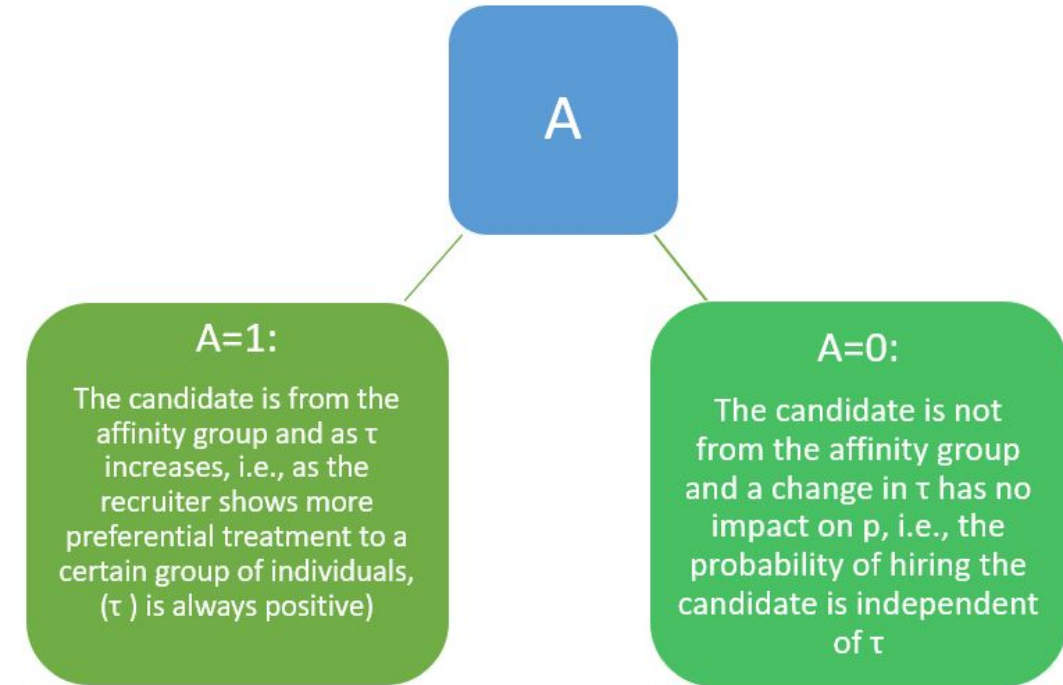
How does Affinity Bias Parameter (τ) Affect the Probability of Shortlisting

Differentiating $p(\tau)$, we get

$$p'_i(\tau) = \frac{-1}{[1 + e^{-(\beta_0(\tau) + \beta_1 x_1)}]^2} \cdot e^{-(\beta_0(\tau) + \beta_1 x_1)} \cdot (-\beta'_0(\tau))$$

Since $\beta_0 = \beta'_0 + \tau A - y_0$, it follows that $\beta'_0(\tau) = A$ and

$$p'_i(\tau) = \frac{A \cdot e^{-(\beta_0(\tau) + \beta_1 x_1)}}{[1 + e^{-(\beta_0(\tau) + \beta_1 x_1)}]^2}$$



Note, $p(\tau)$ is increasing in τ for individuals in the preferred group, as expected

Estimate T by running simple logistic regression.

We run a logistic regression with the shortlisting decision ($y_i = 1/0$) on the feature X_1 for the entire sample (consisting of candidates in the preferred group with $A = 1$ and candidates from the non-preferred group ($A = 0$)).

Response variable y_i

Independent Variables: X_1 and A

Logit model: $\log(p_i / 1 - p_i) = \beta_0 + \beta_1 X_1 + \tau A$

Chi square

Uncovering and Mitigating Algorithmic Bias through Learned Latent Structure

- The problem of severely imbalanced training datasets and the question of how to integrate debiasing capabilities into AI algorithms still remains largely unsolved.
- This paper tackles the challenge of integrating debiasing directly into a model training process that adapts automatically to the shortcoming of the training data.
- The latent structure of the data is learned in an unsupervised manner to uncover hidden and implicit biases in the data

Random Batch Sampling During Standard Face Detection Training



Homogenous skin color, pose

Batch Sampling During Training with Learned Debiasing



Diverse skin color, pose, illumination

Figure 1: **Batches sampled for training without (left) and with (right) learned debiasing.** The proposed algorithm identifies, in an unsupervised manner, under-represented parts of training data and subsequently increases their respective sampling probability. The resulting batch (right) from the CelebA dataset shows increased diversity in features such as skin color, illumination, and occlusions.

Classification Problem: Facial Detection

$$\begin{array}{l} \mathcal{D}_{train} = \{(x^{(i)}, y^{(i)})\}_{i=1}^n \\ \text{features } x \in \mathbb{R}^m \\ \text{labels } y \in \mathbb{R}^d \end{array} \longrightarrow \theta^* = \arg \min_{\theta} \frac{1}{n} \sum_{i=1}^n \mathcal{L}_i(\theta)$$

$$\text{new point } (x, y) \longrightarrow \hat{y} = f_{\theta}(x) \text{ where } \hat{y} \text{ is "close" to } y,$$

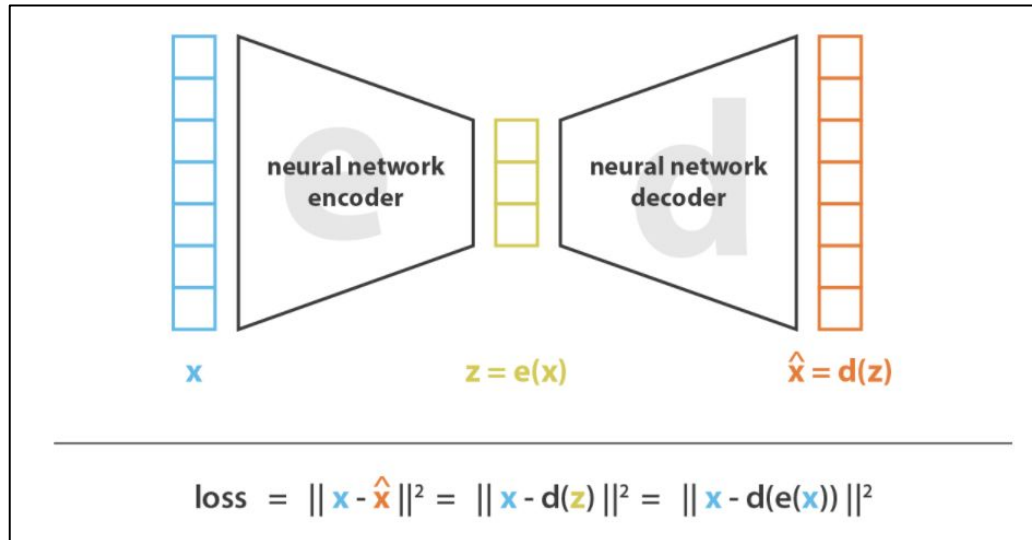
$$\text{Each data point } x_i \longrightarrow \text{continuous latent vector } z \in \mathbb{R}^k$$

Definition 1 A classifier, $f_{\theta}(x)$, is *biased* if its decision changes after being exposed to additional sensitive feature inputs. In other words, a classifier is fair with respect to a set of latent features, z , if: $f_{\theta}(x) = f_{\theta}(x, z)$.

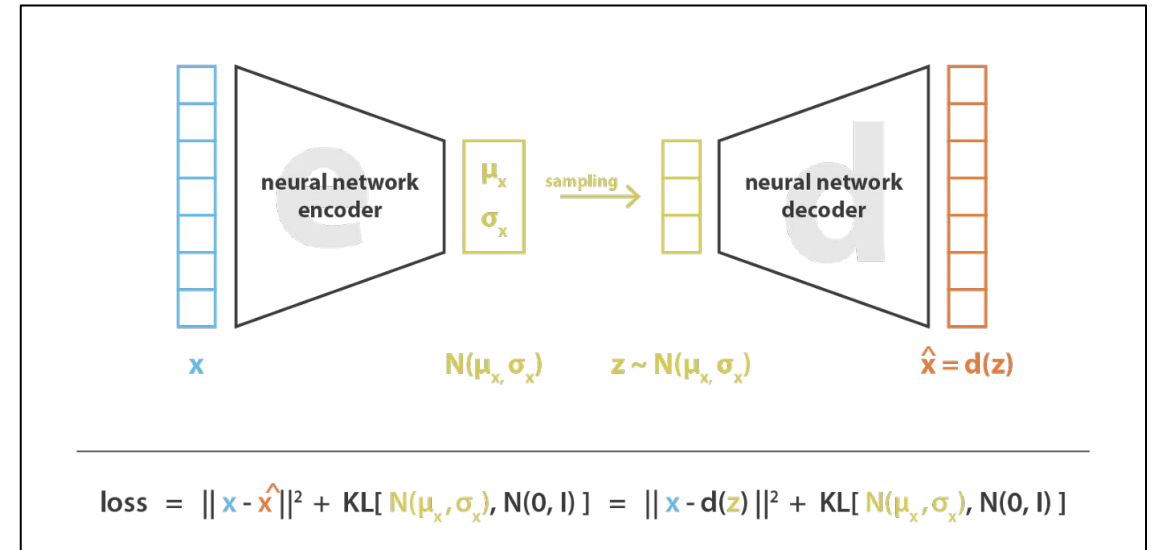
- To ensure fairness of classifier across these latent variables, data set should contain roughly uniform samples over the latent space

De-biasing Variational Autoencoder...(1)

- Standard Variational Autoencoder



autoencoder

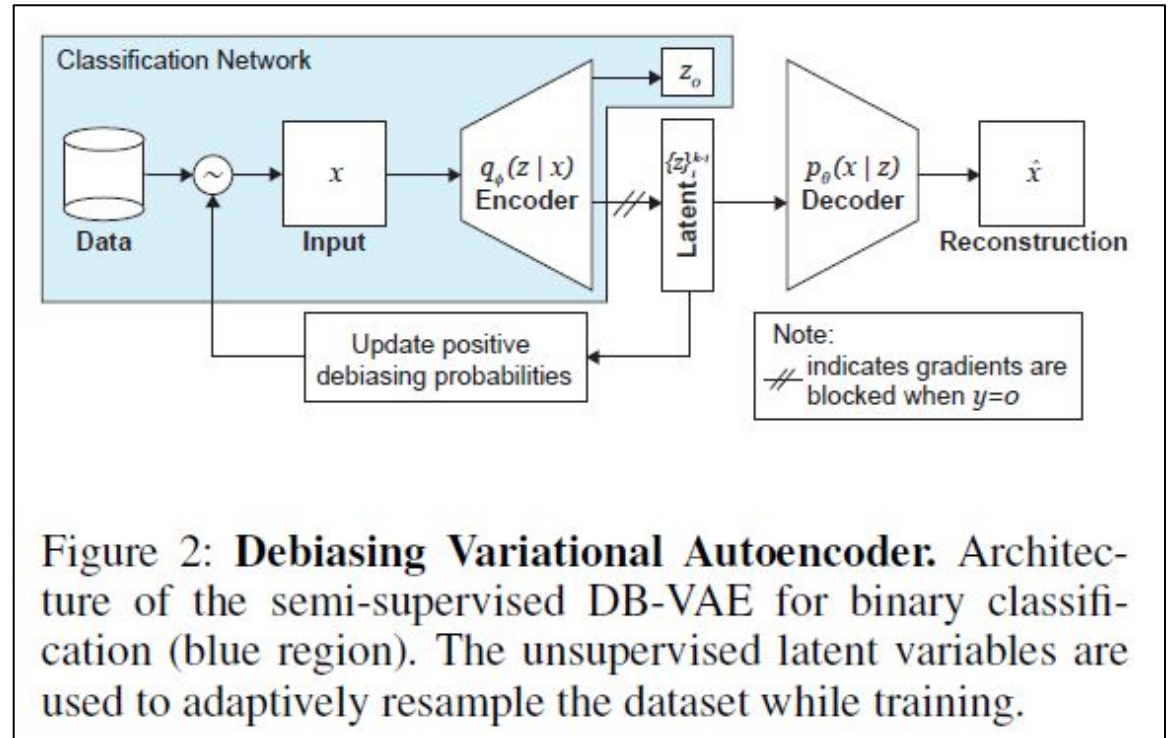


Variational autoencoder

a variational autoencoder can be defined as being an autoencoder whose training is regularized to avoid overfitting and ensure that the latent space has good properties that enable generative process

De-biasing Variational Autoencoder...(2)

- Learn the latent variables of the class in an entirely unsupervised manner and proceed to adaptively resample the dataset while training
- The encoder portion of the VAE learns an approximation $q_\phi(z|x)$ of the true distribution of the latent variables given a data point
- A decoder network mirroring the encoder is then used to reconstruct the input back from the latent space by approximating $p_\theta(x|z)$



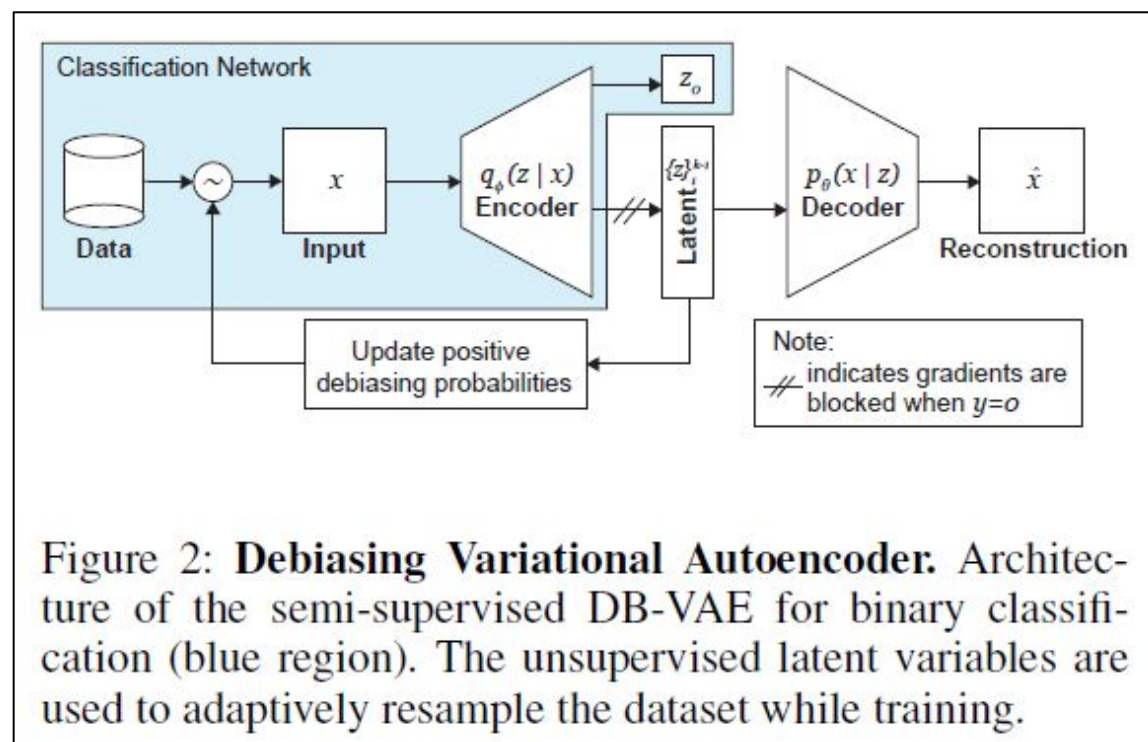
De-biasing Variational Autoencoder...(3)

$$\mathcal{L}_{TOTAL} = c_1 \underbrace{\left[\sum_{i \in \{0,1\}} y_i \log \left(\frac{1}{\hat{y}_i} \right) \right]}_{\mathcal{L}_y(y, \hat{y})} + c_2 \underbrace{\left[\|x - \hat{x}\|_p \right]}_{\mathcal{L}_x(x, \hat{x})} + c_3 \underbrace{\left[\frac{1}{2} \sum_{j=0}^{k-1} (\sigma_j + \mu_j^2 - 1 - \log(\sigma_j)) \right]}_{\mathcal{L}_{KL}(\mu, \sigma)}$$

Supervised latent loss

KL Divergence

Reconstruction loss



De-biasing Variational Autoencoder...(4)

- **Goal**
 1. **By reducing the over-represented regions of the latent space according to frequency of occurrence, we increase the probability of selecting rarer data for training.**
 2. **This is done adaptively as the latent variables themselves are being learned during training.**
- The training dataset is fed through the encoder network, which provides an initial estimate $Q(z|X)$ of the latent distribution.
- approximate the distribution of the latent space with a histogram $\hat{Q}(z|X) \propto \prod_i \hat{Q}_i(z_i|X)$

Independent histogram for each latent variable z_i

Resampling frequency is inversely related to the histogram frequency

$$\mathcal{W}(z(x)|X) \propto \prod_i \frac{1}{\hat{Q}_i(z_i(x)|X) + \alpha}$$

The probability distribution
of selecting a data point x

Debiasing parameter

As $\alpha \rightarrow \infty$

- no debiasing
- subsampled training set \rightarrow original training dataset

As $\alpha \rightarrow 0$

- Debiasing
- subsampled training set \rightarrow uniform over latent variables

Results...(1)

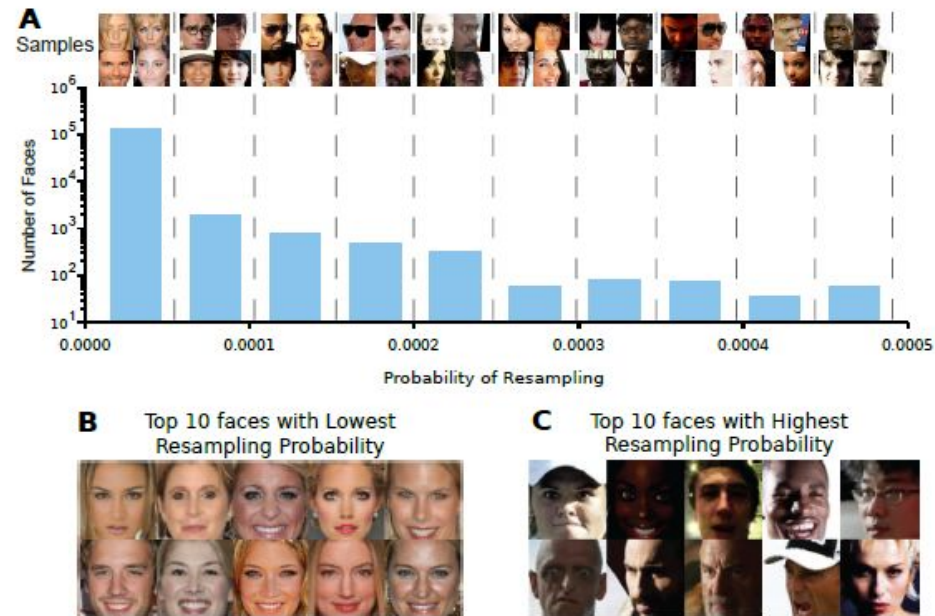
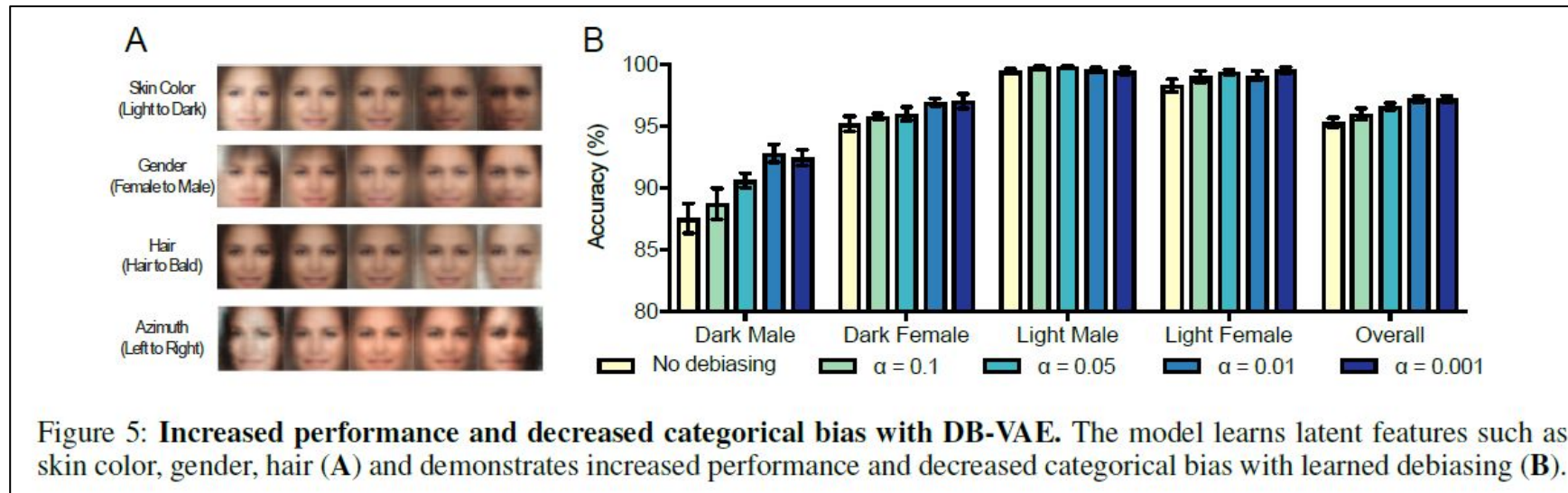


Figure 4: **Sampling probabilities over the training dataset.** Histogram over resampling probabilities showing four samples from each bin (A). The top ten faces with the lowest (B) and highest (C) probabilities of being sampled.

Results...(2)



- Measure overall accuracy of classifier -> mean accuracy over all sensitive categories
- Measure bias of the classifier-> variance in accuracies across all realizations of these categories

Table 1: Accuracy and bias on PPB test dataset.

	$\mathbb{E}[\mathcal{A}]$ (Precision)	$Var[\mathcal{A}]$ (Measure of Bias)
No Debiasing	95.13	28.84
$\alpha = 0.1$	95.84	25.43
$\alpha = 0.05$	96.47	18.08
$\alpha = 0.01$	97.13	9.49
$\alpha = 0.001$	97.36	9.43

Thank You