```
sexted array with minimum Campanisans.
AM
             fu (i=0 ton)
                  if (ave[i] == value)
                      Welement from d
92. Write Pseude Cade for iterative és recursive insertien sent.
 Invention sort is called Online serting. Why? What about other serting algorithms that has been discussed?
Aus Eteretine
             void insertion_ sout ( int avec), int n)
                for ( ut i=1; i < n; i++)
                  x= aur[i];
while (j>-1 llantj]>x)
                          A[j+1] = A[j];
                 avr [j+1]=x;
```

91. Write linear rearch Paudo cade to rearch an element in a

```
Recursion

void inscrition_asent (int arr[], int n)

if (n <=1)

return;

inscrition = nent (arr, n=1);

int last = aver[n=1];

int j = n=2;

while (j >=0 &l aver[j] > last)

{

aver[j+1] = last;

aver[j+1] = last;
```

Insertion sort is called 'Online Sort' because it does not need to know anything about what values it will sort and information is requested while algorithm is running.

Other Sorting Algarithms :-

- 9 Buller Sont
-) guick sout
- ·) Merge Sout
-) Selection Sout
-) Heap south

3. Complexity of all senting algorithm that has been disco And. Souting Algorithm Annage 8ut Warst Selection Sout $0(n^2)$ 0(n²) $O(n^2)$ Bubble Sort 0(n²) 0(n²) 0(n) 0(n²) 0(n²) Insertion Sort 0(n) o(n legn) o(n lagn) O(n legn) Heap Sout o(nlegn) Juich Sont 0(u2) 0(n legn) o (n legn) O(n legn) o(n logn) Merge Sout 94. Divide all serting algorithms into inplace stable Online ONLINE SORTING AM. INPLACE SORTING STABLE SORTING Insertion Sout Menge Sort Bullille Sort delection Sout Bulle Sout Insertion Sout Encertian Sort Count Sout quick sort Heap Sout

gs. Write recursive / iterative Pseudocade for linary search we is the Time of Space Camplexity of Linear of Briany Search I terratine > mit beauch (entarrij, int l, inch a, int ky) while (1 (.x) { ant m=((1+n)/2); if (and [m] = hey) return m; else if (hey < arr. [m]) neturn - 1; (couraine > int be search (int arr(), intl, int u, int by) while (l(=n) { int m=((l+x)/2); if (key == aur [m])
return in; else if (hy (avr[m])
return b_search (avr, l, mid-1, hy); setum 6_ search (au, mid+1, 4, key), Time Camplexity:
) himar Gearch - O(n)

) Binary Search - O(leg n)

Write recurrence relation for binary resursive search.

$$T(n) = T(n/2) + 1 - (1)$$

 $T(n/2) = T(n/4) + 1 - (2)$
 $T(n/4) = T(n/3) + 1 - (3)$

$$T(n) = T(n/2) + 1$$

= $T(n/4) + 1 + 1$

= $T(n/8) + 1 + 1 + 1$

:

 $T(n/2^{*}) + 1(k Tunes)$

Let $g^{k} = n$
 $k = leg n$.

 $T(n) = T(n/n) + leg n$
 $T(n) = T(1) + leg n$
 $T(n) = O(leg n) \rightarrow Ausmen$.

97. Find two indexes such that A[i] + A[j] = & in minimum time Camplexity.

98. Which sorting is best for practical uses? Explain.

Finch sout is factest general-purpose sout. In most practical situations quickwest is the method of chaice as stability is important and space is available, mergesout might be best.

19. What do you mean by inventions in an array? Count the number of inversions in Array arr []: [7,21,31,8,10,1,20,6,4,5] using merge sout.

Ans. 1 Pain (Ali7, Aly1) is said to be invension of

· Total no of inversions in given away are 31 waing merge cont.

310. In which cases Juich Sort will give lest & west case time complexity.

Monet Case $O(n^2) \rightarrow$ The manet case occurs when the pinet element is an extreme (smallest /largest) element. This happens when input array is sorted or remove sented and either first or last element is selected as pivot.

Best Case o(nlegn) - The hest case occurs when me will select pivot element as a mean element.

911. Write Recurrence Relation of Merge/Quick Sort in last of worst case. What are the similarities of differences between complexities of two algorithm of why?

Ans Marge Sout -Best Case → T(n) = 2T (n/2) + O(n) Warst Case → T(n) = 2T (n/2) + O(n) (n legn)

Juch Sort -

But Case -> T(n). 2T(n/2)+O(n) -> O(nlegn) Worst Case -> T(n)= T(n-1)+0(n) -> 0(n2)(

In quick sout, array of element is divided into 2 parts repeated until it is not possible to divide it further.

In merge sout the elements are split into 2 enbarra

(n/2) again Ef again until only one element is left.

white a unoion of stable selection sand? for (ent 2.0; 1(n.2; 2+1) int min · i; fan (int j - i+1; j < n; j ++) if (almin 1 > a[j])
min - j. int bey a [min]; while (min > i) a[min]=a[min-j]; min --; a [i] = hey;

918. Bulle sent scans away even when away i sented. Con you medify, the bulle sent se that it does not scan the whole away once it is sorted.

A lutter version of lubble sort, known as in lubble sort, includes a flag that is set of a exchange is made after an entire time pass over. If no exchange is made then it should be called the away is already order because no two elements need to be switched.

```
void buddle ! eat of 1, int "
   for ( int 10; 1(n, i++)
          int snaps . 0;
 for ( ent jeo; jxn-i-j; j++)
          if (an (j) > arr (j+1))
              int t = an [j];
avr [j] = avr [j+1];
avr [j+1]=t;
            3
      3
 if (surap == 0)
lireal;
```

3

3