

## Assignment - 1

Q1

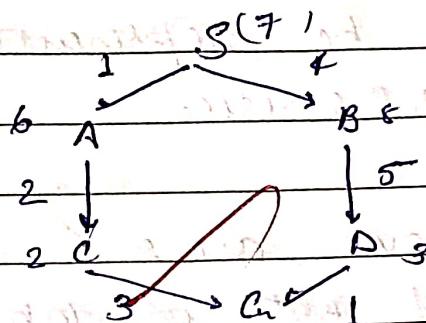
$$S \rightarrow A(1) \rightarrow S \rightarrow B(4) \rightarrow h(S) = 7$$

$$B \rightarrow D(5) \quad h(A) = 6$$

$$A \rightarrow C(2) \quad h(D) = 5$$

$$C \rightarrow G(3) \quad h(C) = 2$$

$$D \rightarrow G(1) \quad h(D) = 3, h(G) = 0$$



$$S \rightarrow A \rightarrow C \rightarrow G$$

$$f(A) = g(A) + h(A)$$

$$= 1 + 6 = 7$$

$$f(B) = 4 + 5 = 9$$

$$S \rightarrow A \rightarrow C \Rightarrow f(C) = 8$$

$$S \rightarrow A \rightarrow C \rightarrow G$$

$$f(C) = 8 + 2 + 1 = 11$$

$$\text{Path} = S \rightarrow A \rightarrow C \rightarrow G$$

Q2

Initial State      Goal State

1 2 3

4 5 6

7 8 -

1 2 3

4 5 6

7 - 8

if each states are represented in BFS

of  $3 \times 3$  grid as:-

A 1D array of length 9 where

each index corresponds to a file position, the empty space is represented by a special symbol like 0 as -.

Initial state can be represented as [1, 2, 3, 4, 5, 6, 7, 8, -] such state will be represented as node in the BFS tree.

ii) Valid moves are:-

- UP (if not in top row)
- Down (if not in bottom row)
- Left (if not in leftmost col.)
- Right (if not in rightmost col.)

Each states move produces a new state

(a) Start at initial state in queue.

(b) At each step:-

i) remove front state.

ii) Generate all valid child states

iii) Add unseen states to queue.

(c) Maintain a visited set to avoid revisiting

(d) BFS explores level by level & be ensures fewest moves.

(iv)

$$\begin{bmatrix} 1 & 2 & 3 \\ 4 & 6 & 6 \\ 7 & 8 & - \end{bmatrix}$$

$$\begin{array}{c} \downarrow \quad \downarrow \\ \begin{bmatrix} 1 & 2 & 3 \\ 4 & 5 & 6 \\ 7 & - & 8 \end{bmatrix} \quad \begin{bmatrix} 1 & 2 & 3 \\ 4 & 5 & - \\ 7 & 8 & 6 \end{bmatrix} \\ \downarrow \\ \text{Goal} \end{array}$$

- BPS searches by level by level manner.
- Here only one move is needed.  
we can move either UP or left i.e.  
by going left we achieve goal.

Q3

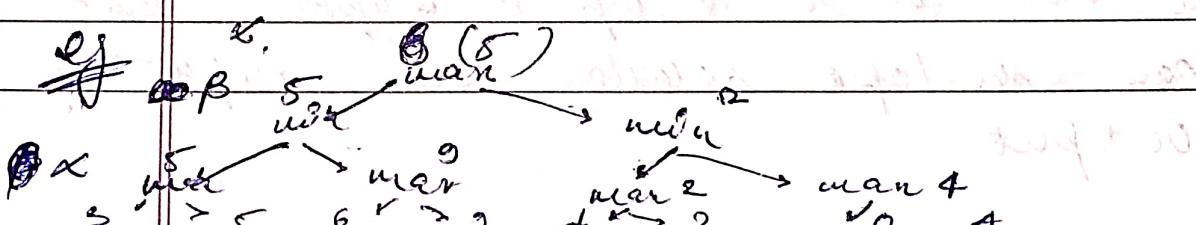
Min Max :- used in 2 player games. when  
Man tries to maximize the score,  
Min tries to minimize the score,  
without pruning it evaluates all  
leaf nodes.

Alpha - beta pruning

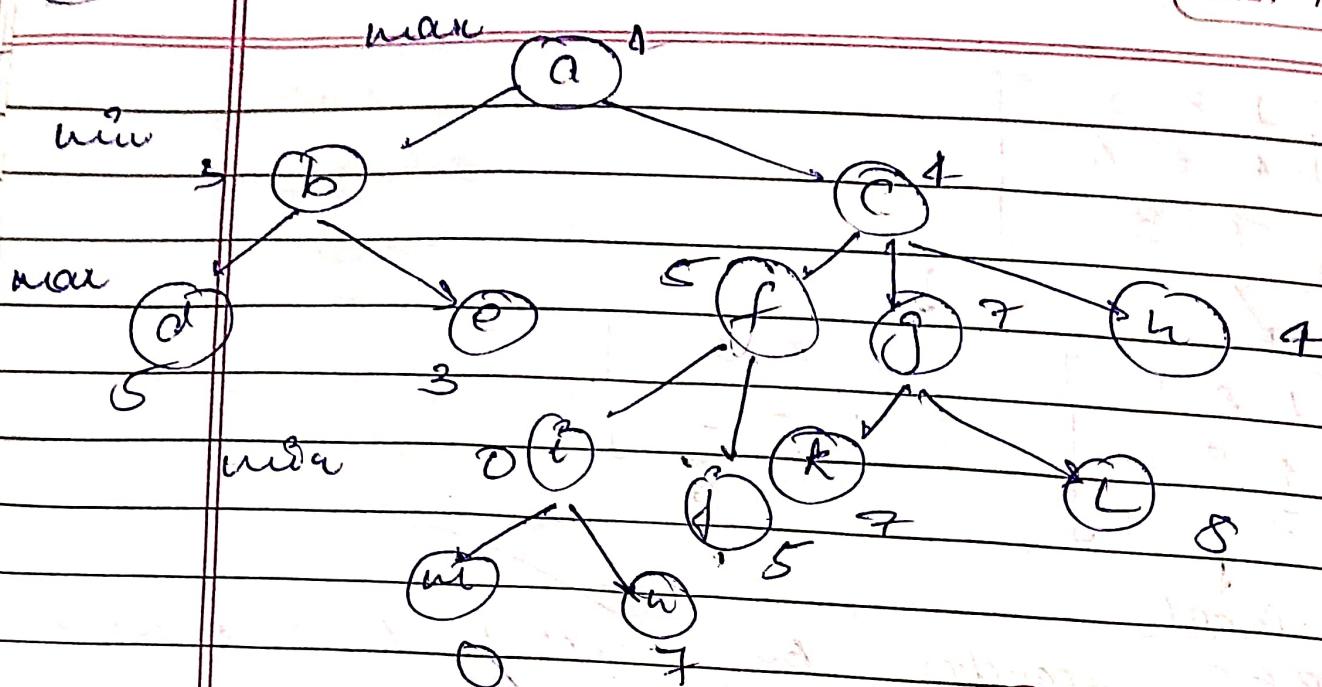
Improves MINMAX by pruning unnecessary  
branches. Alpha ( $\alpha$ )  $\rightarrow$  best value for Man.

Beta ( $\beta$ )  $\rightarrow$  Best value for min.

If  $\alpha \geq \beta$   $\rightarrow$  prune (stop exploring)



Q6



During Traversal :-

- i) If a min node finds a value  $\leq$  current alpha remaining children pruned.
- ii) If a max node finds a value  $>$  current Beta, remaining children are pruned.
- iii) Reduces numbers of nodes evaluated.
- iv) Improves speed up of decision making without changing the final output.

Q4

Supervised Learning :-

Involves Training a model using labeled dataset.

The goal is to develop a mapping that can develop relation b/w input & output



→ learning  
Algo

→ Model

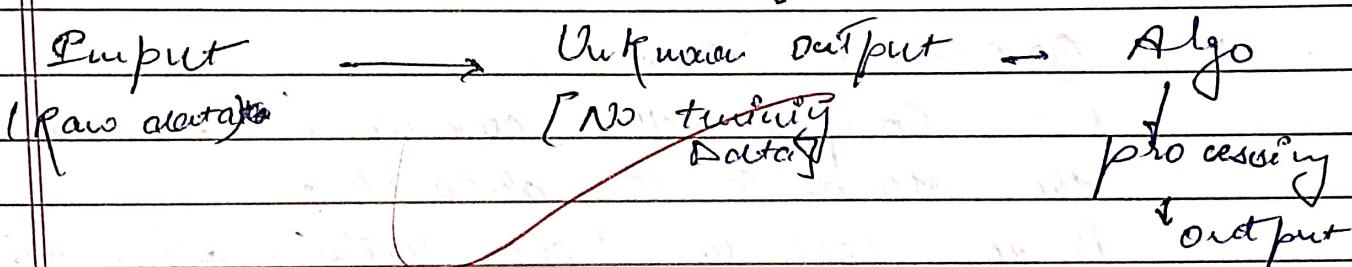
[Naïve Bayes,  
Linear Regression  
KNN, SVM]

↓  
Output

Example :- email spam detection.

\* ~~Unsupervised learning~~  
learning based only on input database  
without labelled outputs. Finds patterns  
or groups in unlabelled data like  
clusters or dimensionality reduction.  
No supervisor is present.

→ Interpretation



Example :- Customer Segmentation in market

\* Reinforcement learning

Involves training an agent to interact  
with an environment to learn from  
the feedback it receives

e.g. - self driving cars, chess, etc.

Q5

→ Suppose we have a dataset of students marks.

Students	Maths	Physics	Chemistry	English
S <sub>1</sub>	80	75	72	65
S <sub>2</sub>	90	88	85	70
S <sub>3</sub>	78	70	68	60
S <sub>4</sub>	88	82	80	72
S <sub>5</sub>	92	90	88	74

feature Scaling

→ Since PCA is sensitive to the scale of data, we standardise each feature

$$z_i = \frac{x_i - \mu}{\sigma}$$

Now, energy features has mean = 0, variance = 1

### \* Covariance Matrix

we compute the covariance matrix of the standardized dataset.

It tell us how features vary with each other.

∴ The matrix will be  $4 \times 4$  since we have 4 features.

### \* Eigen value & Eigen vectors

Eigen values → amount of variance explained by eigen vectors → direction of new axes

Suppose we get :-

$$PC_1 = 70\% \text{ variance}$$

$$PC_2 = 20\% \text{ variance}$$

$$PC_3 = 4\% \text{ variance}$$

$$PC_4 = 3\% \text{ variance}$$

### Dimension Reduction

- We select the top 2 principal components ( $PC_1 + PC_2$ )
- Together they retain about the variance
- So we reduce dataset from 4D to 2D without losing much information.

### Interpretation

- If  $(PC_1 + PC_2) = 90\%$  it means our reduced dataset preserves 90% of original information.
- Clusters, trends & patterns in data can now be clearly observed.