

1.	<p>Transfer Following Statements in Logical equivalence using Quantifiers.</p> <p>a) "None of my friends are perfect". <math>\sim \text{Ex}(\text{f}(\text{x}) \wedge \text{p}(\text{x})) = \text{for all } \text{x} (\sim \text{f}(\text{x}) \vee \sim \text{p}(\text{x})) = \text{for all } (\text{f}(\text{x}) \rightarrow \sim \text{p}(\text{x}))</math></p> <p>b) "Some Real numbers are rational". <math>\text{Ex}(\text{R}(\text{x}) \wedge \text{T}(\text{x}))</math></p> <p>c) "Not all rainy days are cold" <math>\text{Ex}(\text{R}(\text{x}) \wedge \sim \text{C}(\text{x}))</math></p> <p>d) "Gold and Silver ornaments are precious." <math>\forall \text{x}((\text{G}(\text{x}) \vee \text{S}(\text{x})) \rightarrow \text{P}(\text{x}))</math></p> <p>e) "Every clever student is successful" <math>(\forall \text{x})((\text{C}(\text{x}) \wedge \text{S}(\text{x})) \rightarrow \text{A}(\text{x}))</math></p>
2.	<p>Negate following and represent them in both English and symbolic form</p> <p>a) All good students study hard.</p> <p>b) There is a triangle whose sum of angles <math>\neq 180^\circ</math>.</p>
3.	<p>Verify Following argument is valid or not, using rules of inference.</p> <p>a) <math>\{p \rightarrow q, q \rightarrow r, p\}</math> are the premises with conclusion <math>r</math>. <b>valid</b></p> <p>b) <math>\{p \rightarrow q, q \rightarrow r, \neg p\}</math> are the premises with conclusion <math>\neg r</math>. <b>not valid</b></p> <p>c) The conclusion <math>\neg p</math> follows from <math>\{p \rightarrow q, q \rightarrow r, \neg r\}</math> premises. <b>valid</b></p> <p>d) <math>\{a \vee b, b \rightarrow c, a \rightarrow d, \neg d\} \rightarrow c</math> <b>valid</b></p>
4.	<p>Check the following arguments are valid or not?</p> <p>a) S1: If today is David's b'day then today is 2<sup>nd</sup> april.  S2: Today is 2<sup>nd</sup> April.  <math>\therefore</math> Today is David's B'day.  <b>Not valid</b></p> <p>b) S1: If Canada is a country then London is a city.  S2: London is not a city.  Conclusion: Canada is a country.  <b>Not valid</b></p>
5.	<p>Check the argument is valid or not?</p> <p>If today is Tuesday, then I have a test in computer science or a test in Economics.  If my Economic professor is sick, then I will not have a test in economics. Today is Tuesday &amp; my economics professor is sick, therefore, I have a test in computer science.</p>