Table 1

| Problem 1   | Actions | Expansions | Goal Tests | New Nodes | Elapsed Time | Plan Length |
|---|---------|------------|------------|-----------|--------------|-------------|
| using breadth_first_search  | 20      | 43         | 56         | 178       | 0,0233       | 6           |
| depth_first_graph_search  | 20      | 21         | 22         | 84        | 0,0089       | 20          |
| uniform_cost_search   | 20      | 60         | 62         | 240       | 0,0179       | 6           |
| h_unmet_goals   | 20      | 7          | 9          | 29        | 0,0024       | 6           |
| h_pg_levelsum   | 20      | 6          | 8          | 28        | 0,1839       | 6           |
| h_pg_maxlevel   | 20      | 6          | 8          | 24        | 0,0816       | 6           |
| h_pg_setlevel   | 20      | 6          | 8          | 28        | 0,4106       | 6           |
| astar_search with h_unmet_goals                                   | 20      | 50         | 52         | 206       | 0,0188       | 6           |
| astar_search with h_pg_levelsum                                   | 20      | 28         | 30         | 122       | 0,1951       | 6           |
| astar_search with h_pg_maxlevel                                   | 20      | 43         | 45         | 180       | 0,1156       | 6           |
| astar_search with h_pg_setlevel                                   | 20      | 33         | 35         | 138       | 0,2679       | 6           |
|   |         |            |            |           |              |             |
| Problem 2   |         |            |            |           |              |             |
| using breadth_first_search  | 72      | 3343       | 4609       | 30503     | 0,3392       | 9           |
| depth_first_graph_search  | 72      | 624        | 625        | 5602      | 0,4743       | 619         |
| uniform_cost_search   | 72      | 5154       | 5156       | 46618     | 0,5529       | 9           |
| h_unmet_goals   | 72      | 17         | 19         | 170       | 0,0191       | 9           |
| h_pg_levelsum   | 72      | 9          | 11         | 86        | 0,6459       | 9           |
| h_pg_maxlevel   | 72      | 27         | 29         | 249       | 0,3802       | 9           |
| h_pg_setlevel   | 72      | 9          | 11         | 84        | 1,3390       | 9           |
| astar_search with h_unmet_goals                                   | 72      | 2467       | 2469       | 22522     | 0,4631       | 9           |
| astar_search with h_pg_levelsum                                   | 72      | 357        | 359        | 3426      | 4,8746       | 9           |
| astar_search with h_pg_maxlevel                                   | 72      | 2887       | 2889       | 26594     | 25,2050      | 9           |
| astar_search with h_pg_setlevel                                   | 72      | 1037       | 1039       | 9605      | 66,8180      | 9           |
| Problem 3   |         |            |            |           |              |             |
| breadth_first_search  | 88      | 14663      | 18098      | 129625    | 0,835948     | 12          |
| h_unmet_goals   | 88      | 25         | 27         | 230       | 0,021969     | 15          |
| h_pg_levelsum   | 88      | 14         | 16         | 126       | 0,881623     | 14          |
| astar_search with h_unmet_goals                                   | 88      | 7388       | 7390       | 65711     | 1,199514     | 12          |
| astar_search with h_pg_levelsum                                   | 88      | 369        | 371        | 3403      | 9,016453     | 12          |
| D. II.  |         |            |            |           |              |             |
| Problem 4   | 401     | 00700      | 444050     | 044400    | 4704044      |             |
| breadth_first_search  | 104     | 99736      | 114953     | 944130    | 4,731311     | 14          |
| h_unmet_goals   | 104     | 29         | 31         | 280       | 0,035700     | 18          |
| h_pg_levelsum   | 104     | 17         | 19         | 165       | 1,285902     | 17          |
| astar_search with h_unmet_goals                                   | 104     | 104        | 34330      | 34332     | 3,708849     | 14          |
| astar_search with h_pg_levelsum                                   | 104     | 1208       | 1210       | 12210     | 45,648001    | 15          |
| Median Data for Expansions, Time and Plan Length for each Problem |         |            |            |           |              |             |
| Actions   | 20      | 72         | 88         | 104       |              |             |
| Median Expensions   | 28      | 624        | 369        | 104       |              |             |
| Median Time Elapsed   | 0,0816  | 0,5529     | 0,881623   | 3,708849  |              |             |
| Median Plan Length  | 6       | 9          | 12         | 15        |              |             |

Q: Which algorithm or algorithms would be most appropriate for planning in a very restricted domain (i.e., one that has only a few actions) and needs to operate in real time?

A: The "h\_unmet\_goals" algorithm would be a good fit for this kind of problem because it can find a solution in a short amount of time. Unfortunately the plan length increases with an increasing amount of actions.

Q: Which algorithm or algorithms would be most appropriate for planning in very large domains (e.g., planning delivery routes for all UPS drivers in the U.S. on a given day)

A: There could be multiple solutions to this problem, depending on the constraints the algorithm has to perform in. Is for example time a constraint most complete and optimal algorithms wouldn't be a great fit. If we look at the "astar\_search with h\_unmet\_goals" in problem 4 it found the optimal plan (14 steps), but was only the third quickest of all the algorithms. On the other hand, the "h\_unmet\_goals" algorithm was the quickest but it found only a suboptimal plan with 18 steps.

Q: Which algorithm or algorithms would be most appropriate for planning problems where it is important to find only optimal plans?

A: All  $A^*$  algorithms because they are complete and optimal.