[u,v,z] = multiaccess $u = 100 \times 1$ -1 -1 1 1 1 -1 1 1 -1 -1 $v = 100 \times 1$ 1 1 -1 1 -1 1 1 1 1 $z = 500 \times 1$ -1.8835 -1.9373 2.0075 0.0352 1.9303

-1.8304 0.0059 0.1797 -1.9736 -1.9128

```
n = length(u);
m = length(z)/n;
%a) Calculate the angle between the code vectors u and v.
theta = acosd(dot(u,v)/(norm(u)*norm(v)));
fprintf('angle(u,v) = %.4f degrees\n', theta);
```

angle(u,v) = 92.2924 degrees

%How does this affect the decoding scheme? %Is it still possible to compute the binary sequences b and c from z?
%Due to the angles being approximately orthogonal, each projection contains %a small leakage, and with noise it makes the projection less exact,

```
%however since the angle is close to 90 degrees and the noise is small, the
%decoding scheme still works.
%Since the angle is near 90 degrees (92.2924) they are nearly orthogonal.
%b) Compute (b1,b2,...,b5) and (c1,c2,...,c5)
b_hat = zeros(m,1);
c_{m,1};
for k = 1:m
   zk = z((k-1) * n + (1:n));
    b_soft = dot(u, zk)/norm(u)^2;
    c_{soft} = dot(v, zk)/norm(v)^2;
    b_hat(k) = sign(b_soft);
    if b_hat(k) == 0
        b_hat(k) = 1;
    end
    c_hat(k) = sign(c_soft);
    if c_hat(k) == 0
       c_hat(k) = 1;
    end
end
disp('b (projection) =');
b (projection) =
disp(b_hat.')
    1 -1 -1
                  1
                       -1
disp('c (projection) =');
c (projection) =
disp(c_hat.')
```

1 -1 -1

1

-1