

## “1689. Partitioning Into Minimum Number Of Deci-Binary Numbers”

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### Question :

### 1689. Partitioning Into Minimum Number Of Deci-Binary Numbers Solved

Medium Topics Companies Hint

A decimal number is called **deci-binary** if each of its digits is either **0** or **1** without any leading zeros. For example, **101** and **1100** are **deci-binary**, while **112** and **3001** are not.

Given a string **n** that represents a positive decimal integer, return the **minimum** number of positive **deci-binary** numbers needed so that they sum up to **n**.

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Given a string **n** that represents a positive decimal integer, return the minimum number of positive deci-binary numbers needed so that they sum up to **n**.

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### Constraints :

- $1 \leq n.length \leq 105$
  - **n** consists of only digits.
  - **n** does not contain any leading zeros and represents a positive integer.
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### Inputs :

- A string **n** representing a positive decimal integer.

## Outputs :

- An integer representing the minimum number of deci-binary numbers required.
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### Example 1 :

Input:

`n = "32"`

Output:

`3`

Explanation:

The number `32` can be formed by summing `10 + 11 + 11`.

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### Example 2 :

Input:

`n = "82734"`

Output:

`8`

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### Example 3 :

Input:

`n = "27346209830709182346"`

Output:

`9`

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## Algorithm :

1. Initialize a variable `max_number` to `'0'`.
2. Iterate through each character of the string `n`.
3. For every character, compare it with `max_number`. If it is greater, update `max_number`.
4. At the end of the loop, convert `max_number` to an integer and return it.

5. This works because the minimum number of deci-binary numbers needed is determined by the largest digit in the string.
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### **Code :**

```
int minPartitions(char* n) {  
    char max_number = '0';  
    for (int i = 0; n[i] != '\0'; i++) {  
        if (max_number < n[i]) {  
            max_number = n[i];  
        }  
    }  
    return max_number - '0';  
}
```

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### **Time Complexity**

- $O(n)$ : The algorithm iterates through the string `n` once, where `n` is the length of the string.