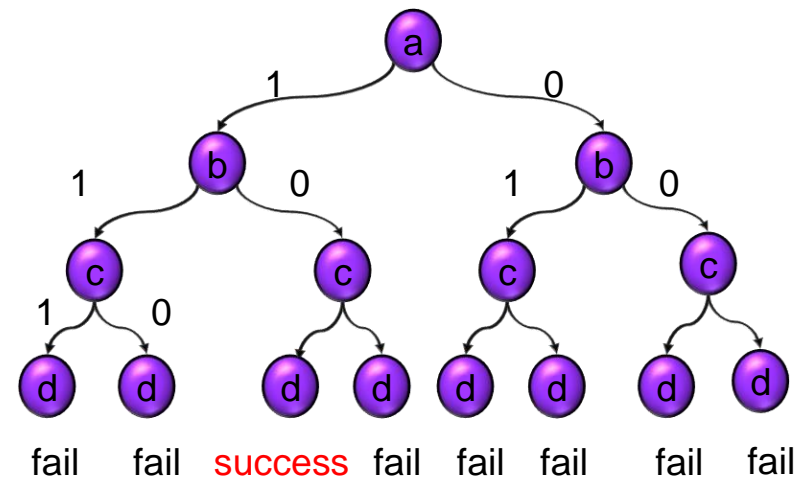


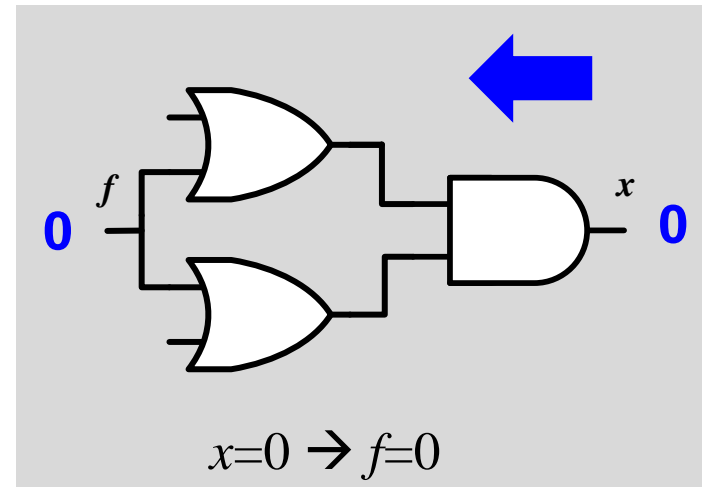
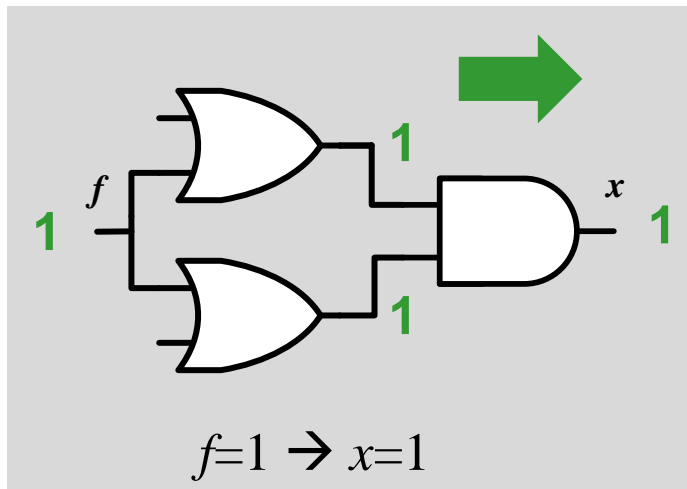
Combinational ATPG

- Introduction
- Deterministic Test Pattern Generation
- Acceleration techniques
 - ♦ Learning [Schulz 1988]
 - ♦ Redundant fault identification [Iyer 1996]
- Concluding Remarks



Learning

- **Learning** memorizes circuit information to speed up test generation
 - ♦ **Static learning:** performed in preprocess. no test pattern required.
 - ♦ **Dynamic learning:** performed in test generation (not in lecture)
- Static learning example: WWW Fig 4.22
 - ♦ Set $f=1$, implies $x=1$
 - ♦ So we learn $x=0$, implies $f=0$

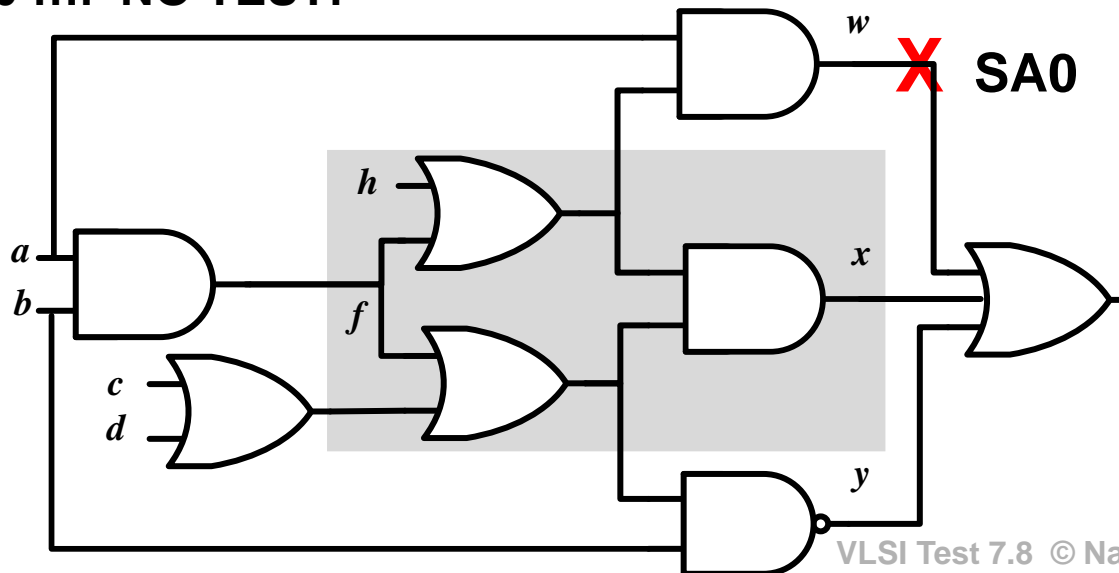


Contrapositive Law: $If\ p \rightarrow q\ then\ q' \rightarrow p'$

Learning Reduces Backtracks (1)

without learning

- Obj : $w=1$. assign $h=1, a=1$
- Obj : $x=0$. assign $c=0, d=0, b=0$
 - ♦ $y=1$ conflict!
- backtrack $b=1$
 - ♦ $x=1$ conflict!
- backtrack $d=1$, conflict!
- backtrack $c=1$, conflict!
- backtrack $a=0$, conflict!
- backtrack $h=0$ NO TEST!



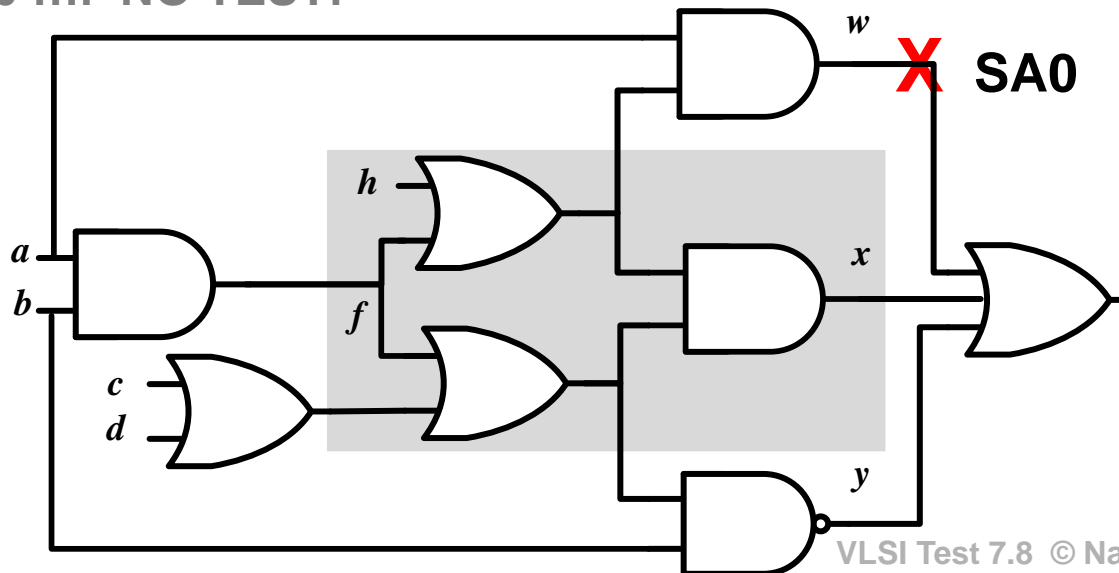
Learning Reduces Backtracks (2)

without learning

- Obj : $w=1$. assign $h=1$, $a=1$
- Obj : $x=0$. assign $c=0$, $d=0$, $b=0$
 - ♦ $y=1$ conflict!
- backtrack $b=1$
 - ♦ $x=1$ conflict!
- backtrack $d=1$, conflict!
- backtrack $c=1$, conflict!
- backtrack $a=0$, conflict!
- backtrack $h=0$ NO TEST!

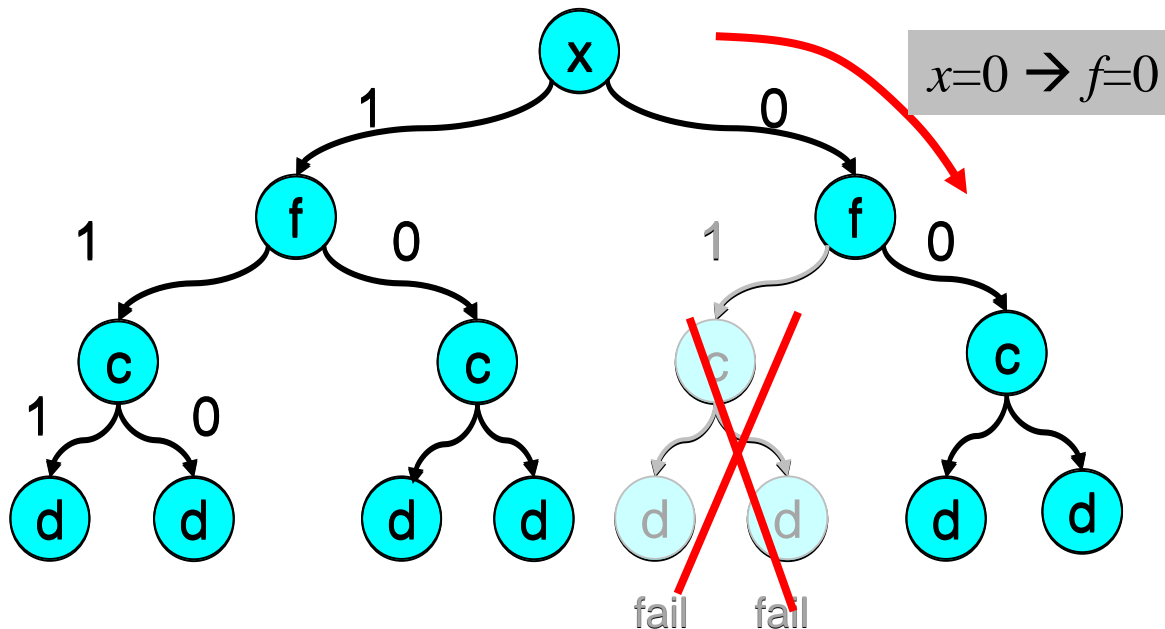
with learning

- Obj : $w=1$. assign $h=1$, $a=1$
- Obj : $x=0 \rightarrow f=0$. assign $b=0$
 - ♦ $y=1$ conflict!
- backtrack $b=1$
 - ♦ $x=1$ conflict!
- backtrack $a=0$, conflict!
- backtrack $h=0$... NO TEST!



Learning Speedup Decision

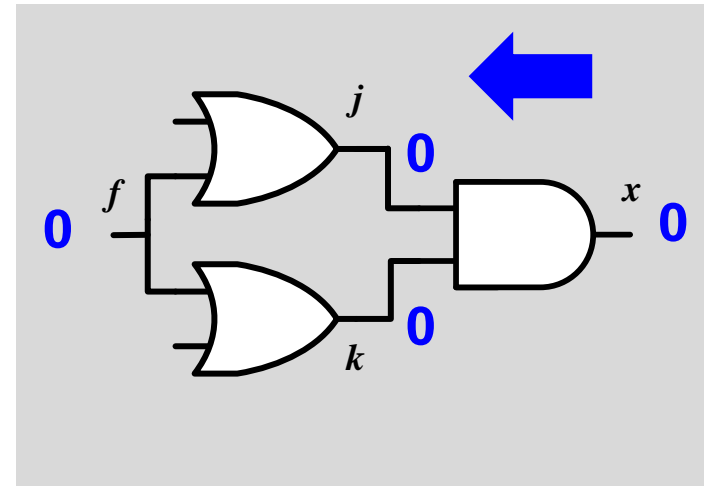
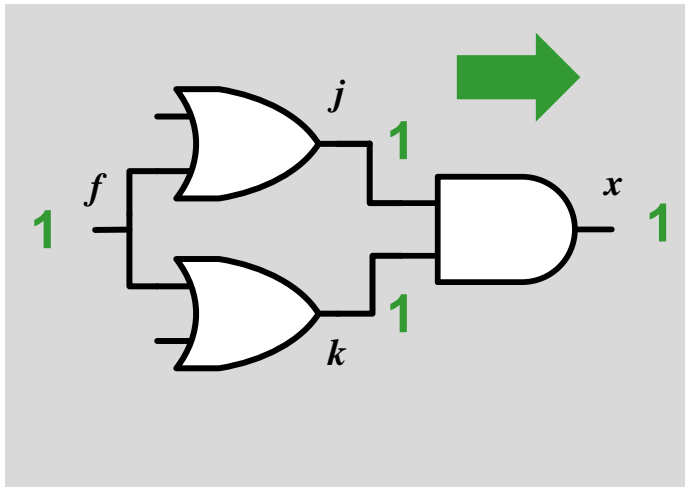
- Learning helps to
 - ♦ 1. Prune impossible sub-trees ASAP
 - ♦ 2. Find necessary assignments ASAP



Learning Trade-off Memory for Run Time

But ... Too Many to Learn!

- $f=1 \rightarrow j=1$ so $j=0 \rightarrow f=0$
 - ♦ Only local implication. not worth learning
- $f=1 \rightarrow k=1$ so $k=0 \rightarrow f=0$
 - ♦ Only local implication. not worth learning
- $f=1 \rightarrow x=1$ so $x=0 \rightarrow f=0$
 - ♦ global implication. **worth learning!**



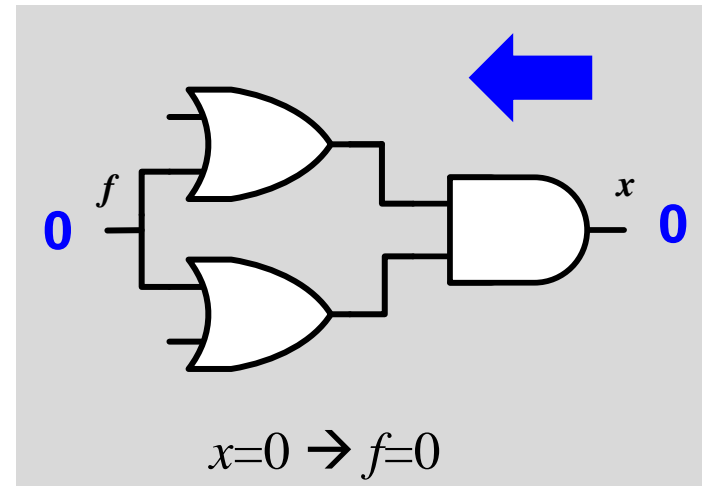
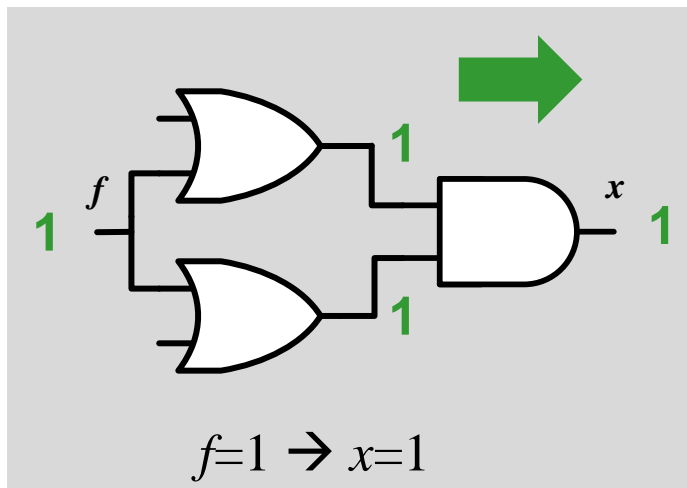
Which Are Worth Learning?

SOCRATES Algorithm [Schulz 1988]

- In preprocess phase, sets **all signals** to 0 and 1
 - ♦ Discovers what other signals are implied
 - ♦ **Two criteria** to select **useful** learning

```
analyze_results(f)
  for every signal x whose value  $\neq$  unknown
    if (all gate inputs to x are non-controlling)
      & (there is forward path from f to x)
        save learning result ( $x=v_x' \rightarrow f=v_f'$ )
```

```
static_learning()
  for every signal f
    assign_value(f, 0)
    implication()
    analyze_results(f)
    assign_value(f, 1)
    implication()
    analyze_results(f)
```



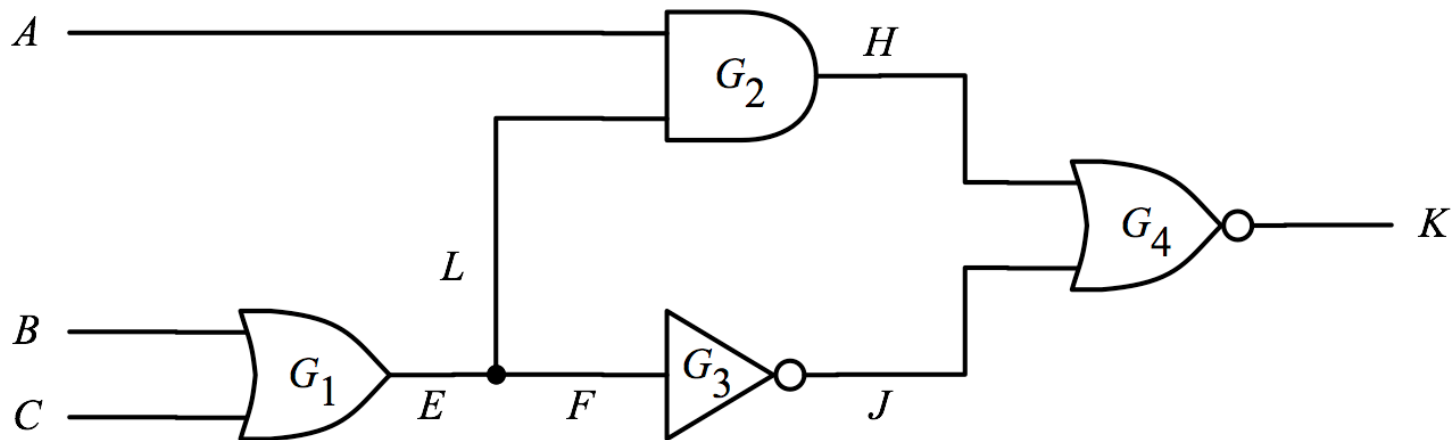
Quiz

Q1: Set $E = 0$. What can you learn about K using contrapositive law?

A:

Q2: (Cont'd) If we want to detect K SA 0 fault, what is value of E ?

A:

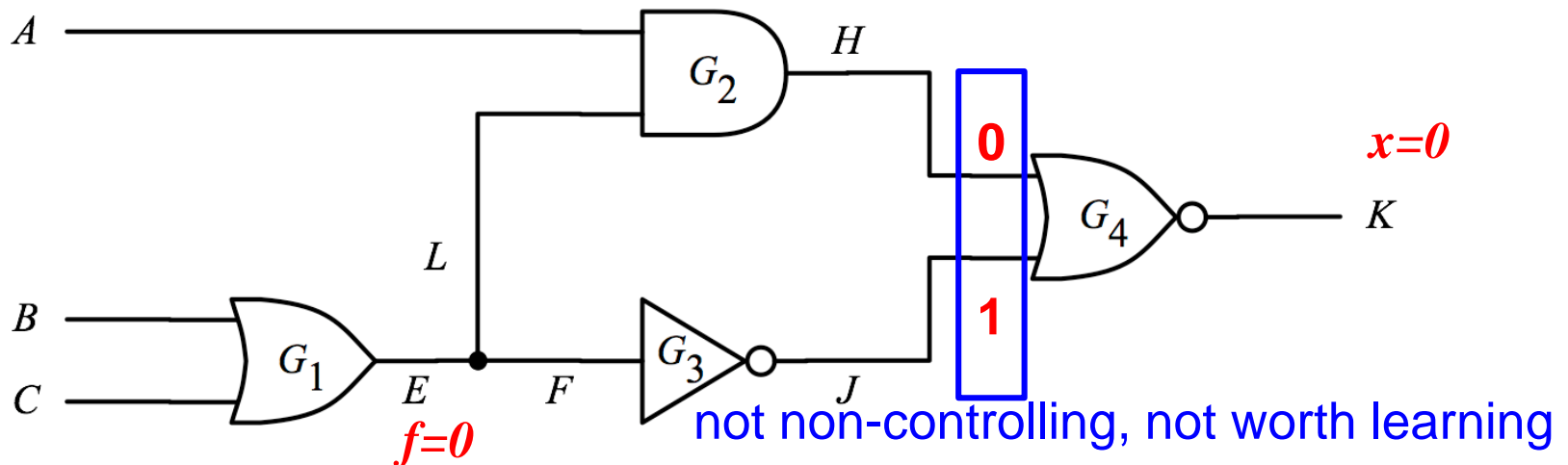


FFT

- Q1: Why SOCRATES requires both inputs are non-controlling?
 ♦ Hint: use following circuit as example
- Q2: Why forward path from f to x ?

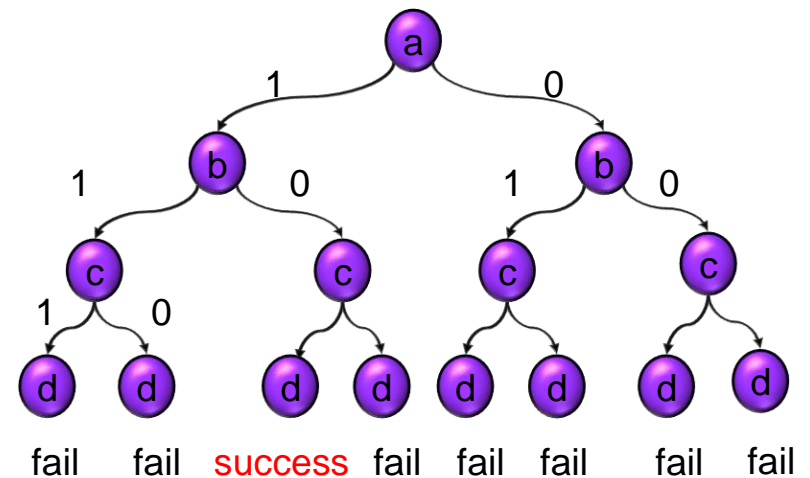
```
analyze_results(f)
  for every signal x whose value ≠ unknown
    if (all gate inputs to x are non-controlling)
      & (there is forward path from f to x)
        save learning result ( $x=v_x' \rightarrow f=v_f'$ )
```

```
static_learning()
  for every signal f
    assign_value(f, 0)
    implication()
    analyze_results(f)
    assign_value(f, 1)
    implication()
    analyze_results(f)
```



Combinational ATPG

- Introduction
- Deterministic Test Pattern Generation
- Acceleration techniques
 - ♦ Learning [Schulz 1988]
 - ♦ Redundant fault identification [Iyer 1996]
- Concluding Remarks

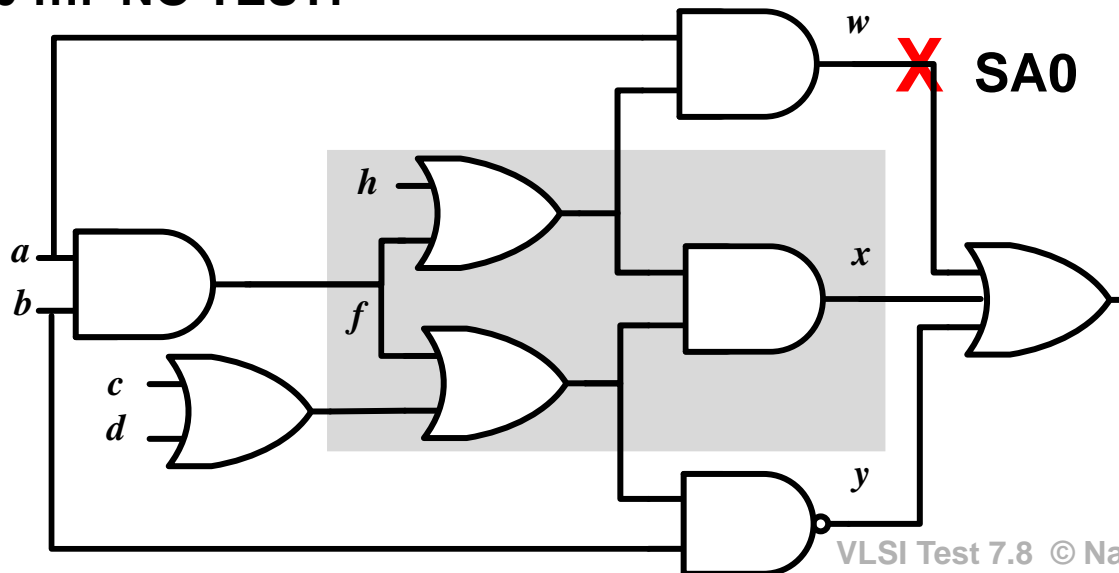


Proving Redundant Fault is Difficult

without learning

- Obj : $w=1$. assign $h=1, a=1$
- Obj : $x=0$. assign $c=0, d=0, b=0$
 - ♦ $y=1$ conflict!
- backtrack $b=1$
 - ♦ $x=1$ conflict!
- backtrack $c=1$, conflict!
- backtrack $d=1$, conflict!
- backtrack $a=0$, conflict!
- backtrack $h=0$ NO TEST!

**Can We Find
Redundant Fault
Faster?**



Redundant Fault Identification

- **Untestable faults** (aka. **redundant faults**)
 - ♦ faults that cannot be **excited**, or
 - ♦ faults that cannot be **propagated**, or
 - ♦ faults that cannot be **simultaneously** excited and propagated
- Why redundant fault identification?
 - ① Speed up ATPG
 - * ATPG spend long time on untestable faults
 - ② Reduce area
 - * Redundant logic can be removed
- To prove redundant fault is **NP-complete**
 - ♦ Quickly identify many redundant fault (not all) is good enough

Redundant Faults are Trouble for ATPG

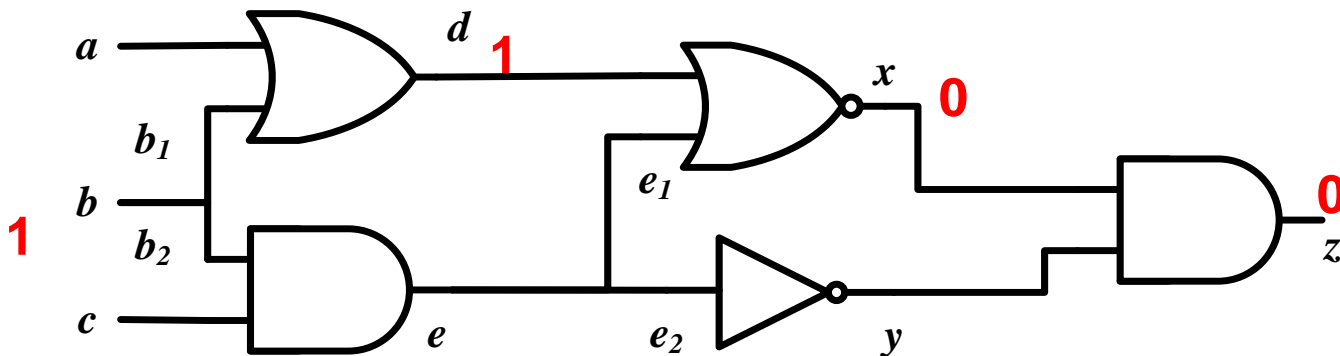
FIRE [Iyer 1996]

- **Fault Independent Redundant Identification (FIRE)**
 - ◆ based on single-line conflict analysis
- **Idea**
 - ◆ **S0** = set of faults untestable when signal $s=0$
 - ◆ **S1** = set of faults untestable when signal $s=1$
 - ◆ intersection **S0** \cap **S1** are untestable faults
- **To find unexcitable faults**
 - ◆ use **forward implication**
- **To find unobservable faults**
 - ◆ use **backward tracing**
- **Advantage: close to linear time complexity (for one signal)**
 - ◆ **FFT**: can we solve NPC problem in linear time?

FIRE Example

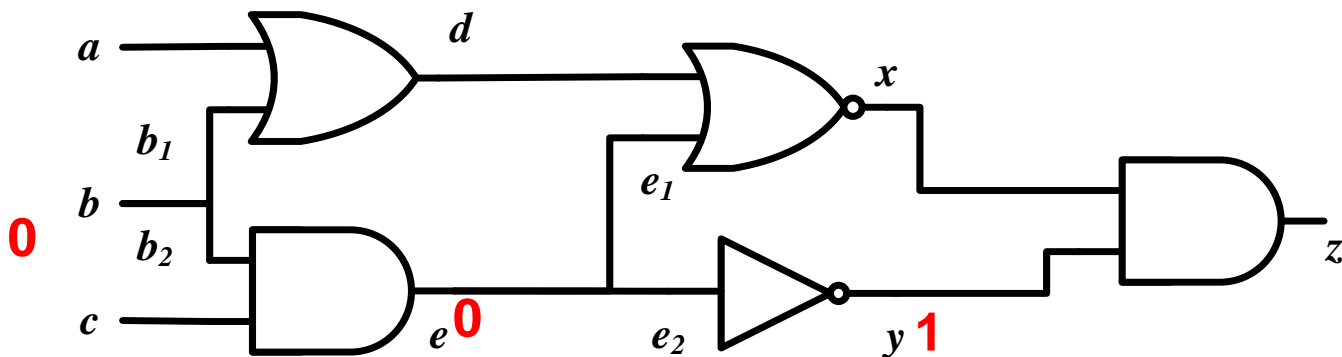
- set $b=1$ implies $\rightarrow \{b=1, b_1=1, b_2=1, d=1, x=0, z=0\}$
 - ◆ Faults unexcitable when $b=1$: $\{b/1, b_1/1, b_2/1, d/1, x/0, z/0\}$
 - ◆ Faults unobservable when $b=1$: $\{a/0, a/1, e_1/0, e_1/1, y/0, y/1, e_2/0, e_2/1, e/0, e/1, b_2/0, b_2/1, c/0, c/1\}$
 - * Q: why $b/0$ not in the list?
 - ◆ Faults untestable when $b=1$: union of above two sets
 - * **S1** = $\{a/0, a/1, b/1, b_1/1, b_2/1, d/1, e_1/0, e_1/1, e_2/0, e_2/1, e/1, e/1, x/0, y/0, y/1, z/0, b_2/0, c/0, c/1\}$

$b/1 = b$ SA1 fault



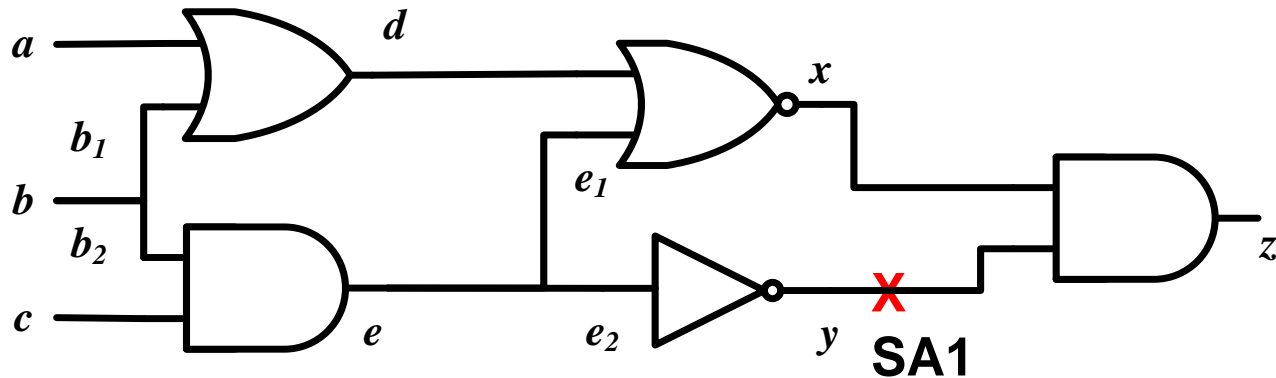
FIRE Example (cont'd)

- set $b=0$ implies $\rightarrow \{b=0, b_1=0, b_2=0, e=0, e_1=0, e_2=0, y=1\}$
 - ♦ Faults unexcitable when $b=0$: $\{b/0, b_1/0, b_2/0, e/0, e_1/0, e_2/0, y/1\}$
 - ♦ Faults unobservable when $b=0$: $\{c/0, c/1\}$
 - ♦ Faults untestable when $b=0$: union of above two sets
 - * $S_0 = \{b/0, b_1/0, b_2/0, c/0, c/1, e/0, e_1/0, e_2/0, y/1\}$
 - * $S_1 = \{a/0, a/1, b/1, b_1/1, b_2/1, d/1, e_1/0, e_1/1, e_2/0, e_2/1, e/1, e/1, x/0, y/0, y/1, z/0, b_2/0, c/0, c/1\}$
- Intersection of S_1 and S_0 are untestable faults
 - ♦ $S_1 \cap S_0 = \{b_2/0, c/0, c/1, e/0, e_1/0, e_2/0, y/1\}$



FFT

- Q1: Use PODAM to find a test for **y/1** fault. Prove y/1 is untestable.
- Q2: Can we use linear time algorithm to solve NPC problem?



Quiz

Q1: Set B=0. Find set of faults undetectable.

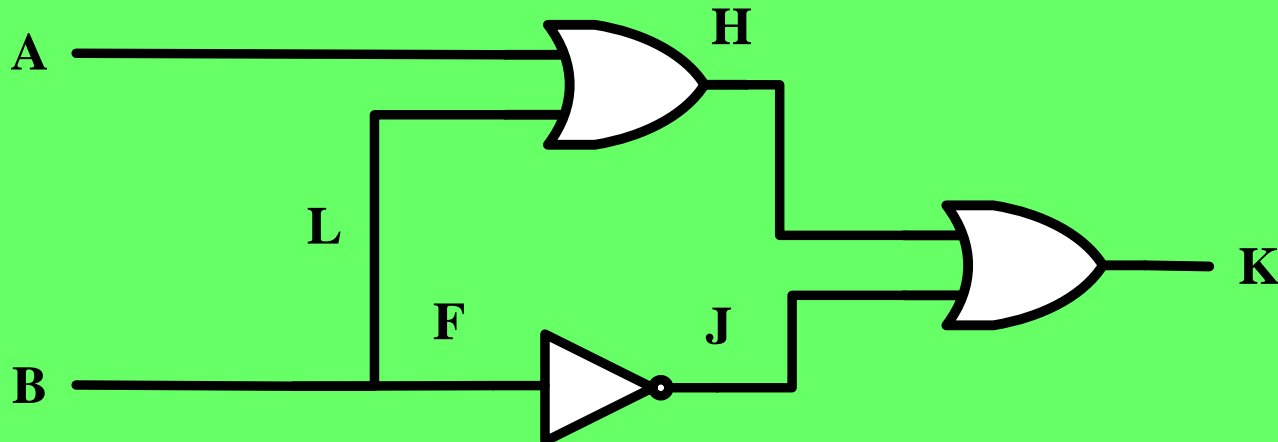
A: faults unexcitable = { }
 faults unobservable = { }

Q2: Set B=1. Find set of faults undetectable.

A: faults unexcitable = { }
 faults unobservable = { }

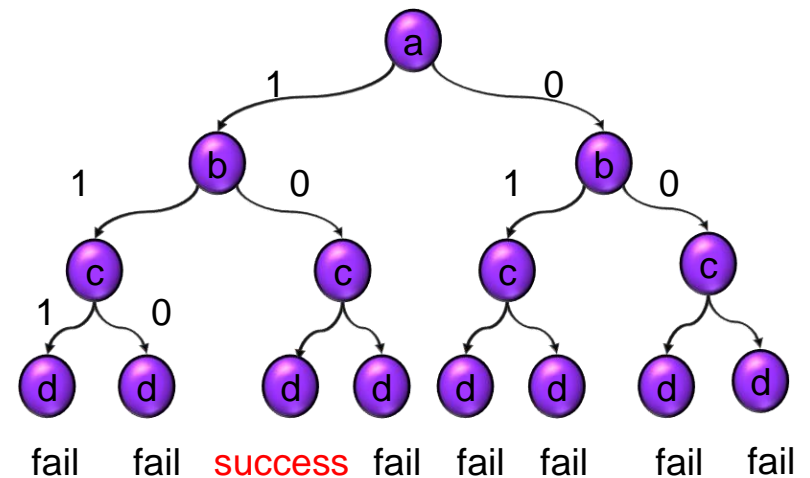
Q3: (cont'd) Which faults are redundant ?

A: $Q1 \cap Q2 = \{ \}$



Combinational ATPG

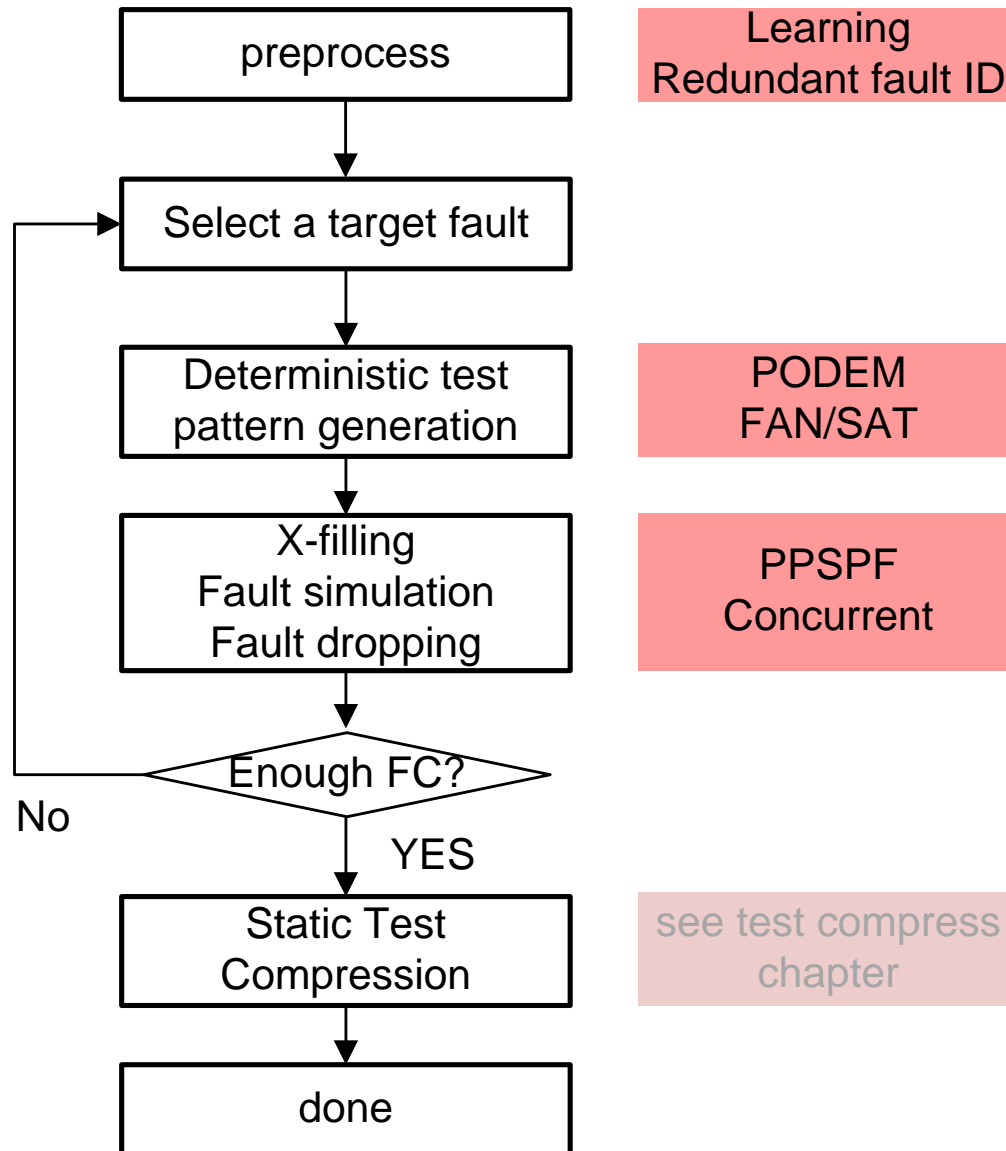
- Introduction
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Summary

- ATPG is NPC. Many acceleration techniques needed
- **Static learning (SOCRATES)** trade off memory for run time
 - ♦ Setting all signals to 0 and 1. imply other signals
 - ♦ Apply contrapositive law: if $p \rightarrow q$ then $q' \rightarrow p'$
- **Redundant fault identification (FIRE)**
 - ♦ Setting a signal to 0 and 1
 - * unexcitable faults \cup unobservable faults
 - ♦ Redundant fault = $S1 \cap S0$
- Many other acceleration techniques
 - ♦ Dominator (TOPS) [Kirkland 87]
 - ♦ Recursive learning [Kunz 92]
 - ♦ Transitive Closure Graph (NNATPG) [Chakradhar 93]
 - ♦ ...

ATPG Review



How to Read ATPG Report?

	Uncollapsed	Collapsed
Total Faults	1234	800
Detected faults	1000	700
Redundant faults	230	98
Aborted faults	4	2
Fault coverage	1000/1234 %	700/800 %
ATPG effectiveness	1230/1234 %	798/800 %
Test Length	328 patterns	
Run Time	10:57	

proven redundant by ATPG

undetected. not sure redundant or not.

$$\frac{\text{detected faults}}{\text{total faults}} \times 100\%$$

$$\frac{\text{detected} + \text{redundant faults}}{\text{total faults}} \times 100\%$$

less are better

References

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- [Schulz 88] M.H Schulz, et al “SOCRATES: A highly efficient automatic test pattern generation system IEEE TCAD, vol.7 no.1 pp.126, 1988.
- [Marques 94] J. Marques, S. Karen, A. Sakallah, “Dynamic search-space Pruning Techniques in Path Sensitization’ DAC 1994.

Commercial Tools

- **Mentor Graphics**
 - ◆ **Fastscan**
- **Synposys**
 - ◆ **Tetramax**
- **Syntest**
 - ◆ **Turboscan**
- **Cadence**
 - ◆ **Encounter Test**