

0/1)

```
public double getSlope(int[] p1, int[] p2){  
    if(p1[0] == p2[0]) return Double.POSITIVE_INFINITY; // parallel to y axis  
    return ((double)p2[1] - p1[1]) / (p2[0] - p1[0]);
```

$$(y_2 - y_1) / (x_2 - x_1)$$

```
public boolean checkStraightLine(int[][] pts) {  
    double slope = getSlope(pts[0], pts[1]);
```

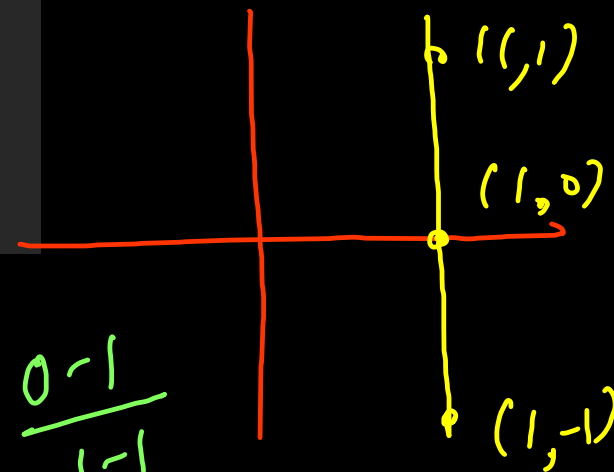
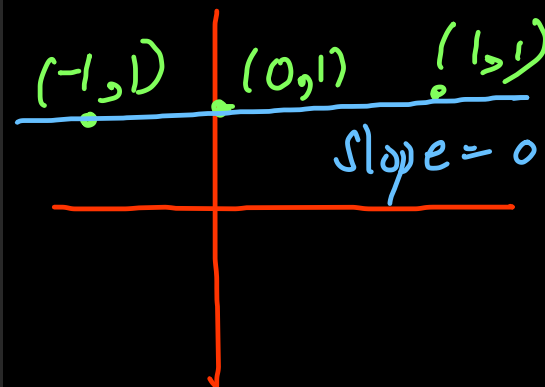
```
    for(int i = 2; i < pts.length; i++){  
        double curr = getSlope(pts[i], pts[0]);  
        if(curr != slope) return false;
```

```
    }
```

```
    return true;
```

```
}
```

0/∞)



$$\begin{aligned} \text{Slope} &= \frac{0-1}{1-1} \\ &= \frac{-1}{0} \\ &= +\infty \end{aligned}$$

LC 1037 Valid Boomerang

```
public double getSlope(int[] p1, int[] p2){
    if(p1[0] == p2[0] && p1[1] == p2[1]) return Double.NEGATIVE_INFINITY;
    if(p1[0] == p2[0]) return Double.POSITIVE_INFINITY; // parallel to y axis
    return ((double)p2[1] - p1[1]) / (p2[0] - p1[0]);
}

public boolean isBoomerang(int[][] points) {
    double s1 = getSlope(points[0], points[1]);
    double s2 = getSlope(points[1], points[2]);

    if(s1 == Double.NEGATIVE_INFINITY || s2 == Double.NEGATIVE_INFINITY)
        return false;

    if(s1 == s2) return false;
    return true; // distinct and different slope
}
```

Largest Perimeter \rightarrow Triangle

$\{ \boxed{2, 2, 3}, \cancel{11}, \cancel{15}, \cancel{26} \}$

$\uparrow \quad \uparrow \quad \uparrow$
 $i \quad j \quad k$

$$\begin{aligned} 11 + 15 &\not> 26 \\ 3 + 11 &\not> 15 \\ 2 + 3 &\not> 11 \\ 2 + 2 &> 3 \end{aligned}$$

Triangle can be used using (a, b, c) sides

$$\checkmark a + b > c$$

$$\checkmark a + c > b$$

$$\checkmark b + c > a$$

$$a + b > c$$

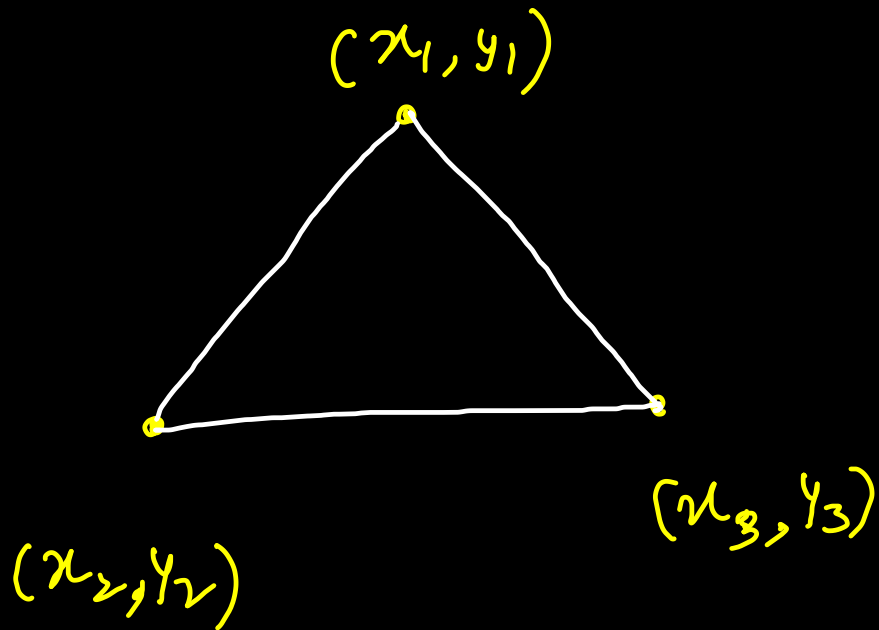
if c is max^m
size

```
public int largestPerimeter(int[] nums) {  
    Arrays.sort(nums); → nlogn  
    int n = nums.length;  
    int i = n - 3, j = n - 2, k = n - 1;  
  
    while(i >= 0){  
        valid triangle  
        if(nums[i] + nums[j] > nums[k])  
            return nums[i] + nums[j] + nums[k];  
        perimeter  
        i--; j--; k--;  
    }  
  
    return 0;  
}
```

LC 976) Largest
Perimeter Triangle.

Three Pointer Technique
 $O(n)$

Area of Triangle



$$= \frac{1}{2} \left(x_1(y_2 - y_3) + x_2(y_3 - y_1) + x_3(y_1 - y_2) \right)$$

$n = 50 \text{ max}$

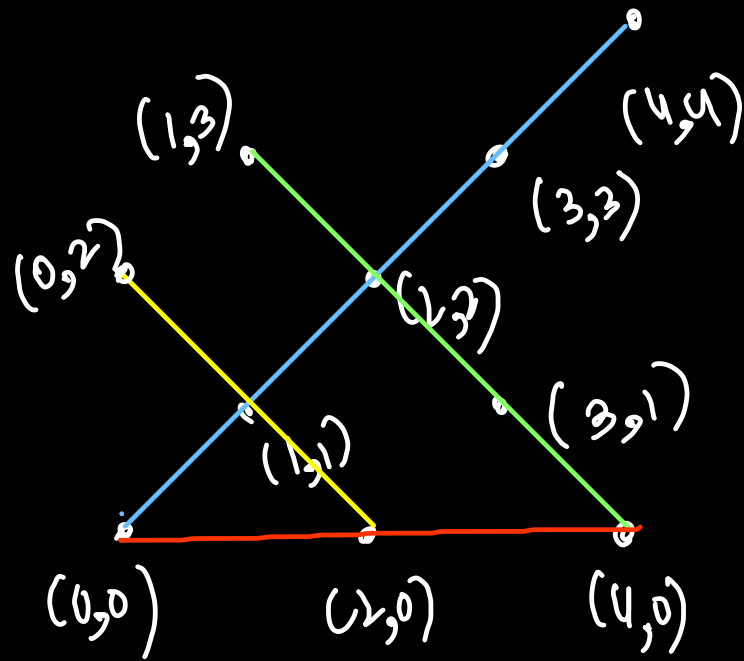
$O(n^3)$

```
public double getArea(int[] p1, int[] p2, int[] p3){  
    return Math.abs(0.5 * (p1[0] * (p2[1] - p3[1])  
        + p2[0] * (p3[1] - p1[1]) + p3[0] * (p1[1] - p2[1])));  
}  
  
public double largestTriangleArea(int[][] points) {  
    double max = 0;  
  
    for(int[] p1: points)  
        for(int[] p2: points)  
            for(int[] p3: points)  
                max = Math.max(max, getArea(p1, p2, p3));  
  
    return max;  
}
```

max^m points on a line

{Google Interview}

Maximum number of collinear pts



Brute force

HashMap $\{ \text{slope}, \text{count} \}$

$+\infty : 2$

$-1 : 2+1$

$0 : 2$

base pt as (0,2)

$O(n^2)$

~~max = 5~~

$+\infty : 2$

$+1 : 2+1+1$
 $+1$

$0 : 2+1$

base pt: (0,0)

```

public double getSlope(int[] p1, int[] p2) {
    if (p1[0] == p2[0] && p1[1] == p2[1])
        return Double.NEGATIVE_INFINITY;
    if (p1[0] == p2[0])
        return Double.POSITIVE_INFINITY; // parallel to y axis
    return ((double) p2[1] - p1[1]) / (p2[0] - p1[0]);
}

public int maxPoints(int[][] points) {
    if (points.length <= 2) return points.length;
    int collinear = 2;

    for (int[] p1: points) {
        HashMap<Double, Integer> lines = new HashMap<>();
        // Double -> Slope, Integer -> Count of Points

        for (int[] p2: points) {
            double slope = getSlope(p1, p2);
            lines.put(slope, lines.getOrDefault(slope, 1) + 1);
            collinear = Math.max(collinear, lines.get(slope));
        }
    }

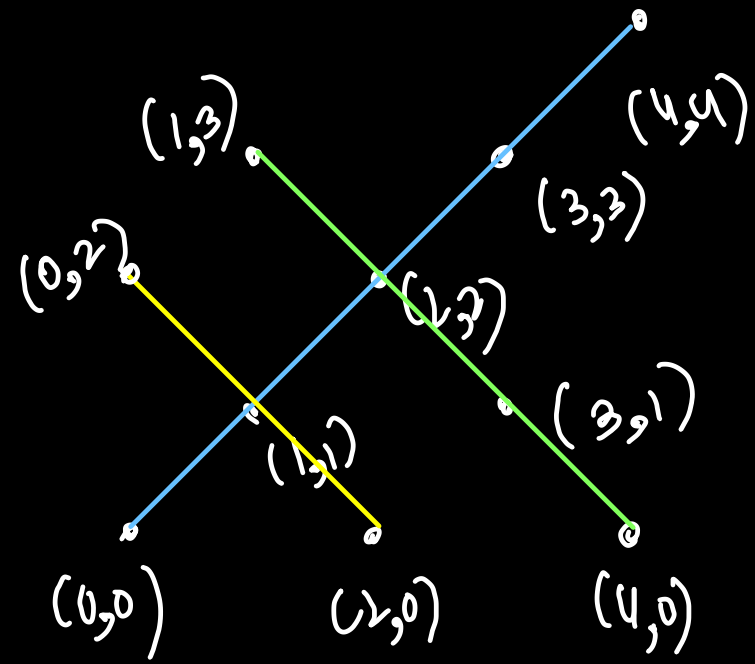
    return collinear;
}

```

new for every basept $O(n^2)$

basept exists already

collinear = ~~2~~ / ~~3~~ / ~~4~~ / 5



basept (0,2)	basept (1,3)	basept (0,0)
tl: 2	tl: 2	tl: 2
0: 2	-1: 2+1+1	+1
-1: 2+1	green	+1
yellow		blue

LC 492

```
public int[] constructRectangle(int area) {  
    int breadth = (int) Math.sqrt(area);  
    while (area % breadth != 0) breadth--;  
    int length = area / breadth;  
    return new int[] {length, breadth};  
}
```

$\rightarrow O(\log N)$

$\rightarrow O(\sqrt{N})$ worst (prime no)

$n = 37$

$breadth = \sqrt{37}$
 $= 6$
 $\sqrt{37}$
 $\sqrt{36}$
 $\sqrt{35}$
 $\sqrt{34}$
 $\sqrt{33}$
 $\sqrt{32}$
 $\sqrt{31}$
 $\sqrt{30}$
 $\sqrt{29}$
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 $\sqrt{12}$
 $\sqrt{11}$
 $\sqrt{10}$
 $\sqrt{9}$
 $\sqrt{8}$
 $\sqrt{7}$
 $\sqrt{6}$
 $\sqrt{5}$
 $\sqrt{4}$
 $\sqrt{3}$
 $\sqrt{2}$
 $\sqrt{1}$

$n = 50$

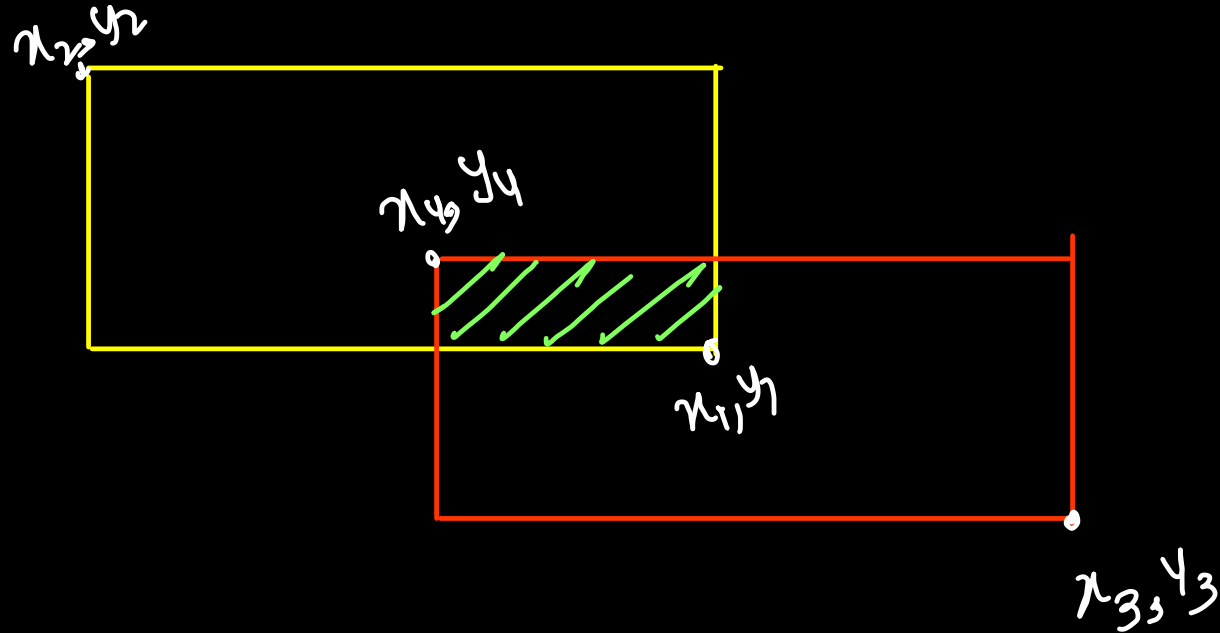
$breadth = \sqrt{50} = 7 \Rightarrow 50 \% 7 \neq 0$

6 $\Rightarrow 50 \% 6 \neq 0$

⑤ $\Rightarrow 50 \% 5 = 0 \Rightarrow length = 50 / 5 = 10$

$\{10, 5\}$ $length$

Are rectangles overlap



$$x_1 > x_4$$

$$x_4 > x_2$$

$$y_2 > y_3$$

$$x_3 > x_2$$

```
public boolean isRectangleOverlap(int[] rec1, int[] rec2) {  
    return (rec1[0] < rec2[2]  
        && rec1[1] < rec2[3]  
        && rec1[2] > rec2[0]  
        && rec1[3] > rec2[1]);  
}
```

$\rightarrow O(1)$ time