

CHAPTER - 4 : QUEUE

- Prof. TRUPESH PATEL.

"A linear list which permits deletion to be performed at one end of the list and insertion at the other end is called **Queue**."

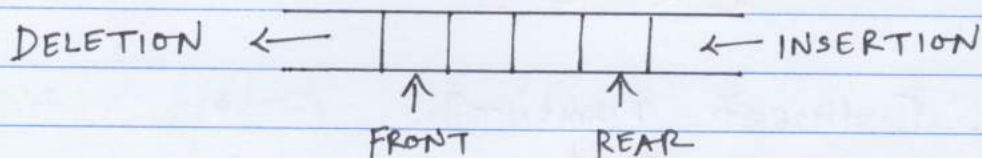
It follows **FIFO** (first in first out) or **FCFS** (first come first served) mechanism to process information.

FRONT - The end of queue from that deletion is to be performed.

REAR - The end of queue from that insertion is to be performed.

INSERTION = ENQUEUE

DELETION = DEQUEUE



Applications of Queue :-

- ~ Queue of people at ticketing.
- ~ Queue of processes in operating system.
- ~ Job scheduling in operating system use concept of Queue.
- ~ Queue is used in shared resources.
- ~ Queue is used in BFS (Breadth first Search) algorithm which eventually helps in tree traversal.
- ~ Congestion in network can be resolved with Queue concept.

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Algorithm : Inserting an element in a queue.

QINSERT (Q, F, R, N, Y)

Here, Q - Queue is represented by vector Q.

F - pointer to the front element.

R - pointer to the Rear element.

Y - Y is to be inserted at Rear end of a queue.

1. [OVERFLOW ?]

IF $R \geq N$

Then Write ('Queue overflow')
Return.

2. [Increment Rear POINTER]

$R \leftarrow R + 1$

3. [INSERT ELEMENT]

$Q[R] \leftarrow Y$

4. [IS FRONT POINTER PROPERLY SET ?]

IF $F = 0$

Then $F \leftarrow 1$

Return

Algorithm : Deletes an element from a Queue.

QDELETE (Q, F, R)

Here, Q - Queue is represented by vector Q.

F - pointer to the front element of a Queue.

R - pointer to the Rear element of a Queue.

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1. [Underflow?]

If $F = 0$

Then Write ('UNDERFLOW')

Return 0

// 0 denotes an empty queue

2. [Delete element]

$Y \leftarrow Q[F]$

3. [Queue empty?]

If $F = R$

then $F \leftarrow R \leftarrow 0$

else $F \leftarrow F + 1$

// INCREMENT FRONT POINTER

4. [Return element]

Return (Y)

EXAMPLE: perform operations on queue with size 4. show queue trace in each case.

Insert 'A', Insert 'B', Insert 'C', Delete 'A', Delete 'B', Insert 'D', Insert 'E'.

$\begin{matrix} 0 & 0 \\ \uparrow & \uparrow \\ F & R \end{matrix}$

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 Empty Queue

$\begin{matrix} 1 & 1 \\ \uparrow & \uparrow \\ F & R \end{matrix}$

A			
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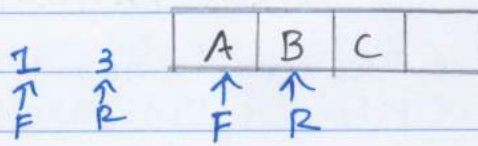
 Insert 'A'

$\begin{matrix} 1 & 2 \\ \uparrow & \uparrow \\ F & R \end{matrix}$

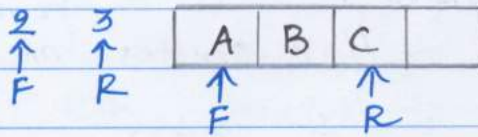
A	B		
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 Insert 'B'

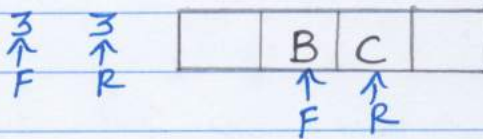
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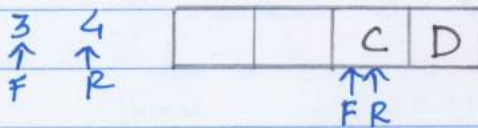
Insert 'C'



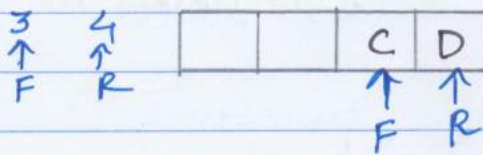
Delete 'A'



Delete 'B'



Insert 'D'



Insert 'E'

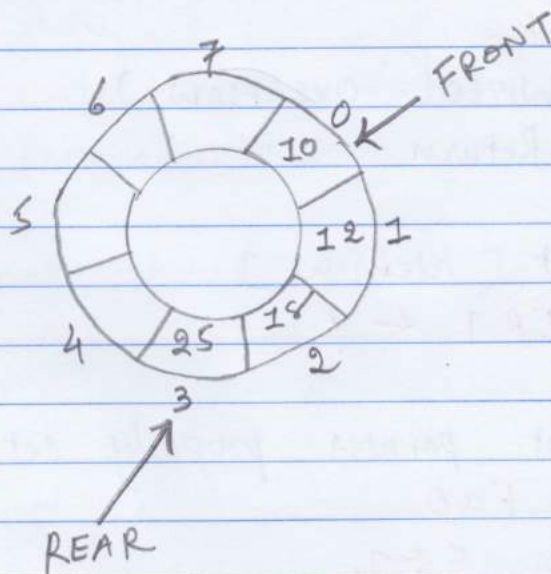
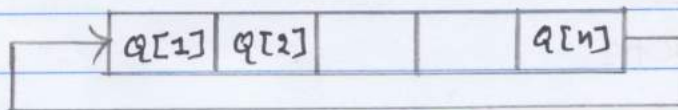
(R=4) \geq (N=4) So queue overflow, but space is there with queue, this leads to the memory wastage.

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Circular Queue: A more suitable method of representing simple queue which prevents an excessive use of memory is to arrange the elements $Q[1], Q[2], \dots, Q[n]$ in a circular fashion with $Q[1]$ following $Q[n]$, this is called Circular Queue.

In a circular queue, the last node is connected back to the first node to make a circle.

Circular Queue follows **FIFO** principle.
It is also known as **Ring Buffer**.



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Algorithm: Insert Y at the REAR end of circular queue.

CQINSERT(F, R, Q, N, Y)

Here, Q - Vector Q to represent queue.

F - front pointer to the front element of a queue.

R - Rear pointer to the rear element of a queue.

Y - element to be inserted.

1. [Reset rear pointer?]

if $R = N$
then $R \leftarrow 1$
else $R \leftarrow R + 1$

2. [overflow?]

if $F = R$
then Write('OVERFLOW')
Return

3. [Insert element]

$Q[R] \leftarrow Y$

4. [Is front pointer properly set?]

if $F = 0$
then $F \leftarrow 1$
Return

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Algorithm: Delete last element of the queue.

CQDELETE(F, R, Q, N)

Here, F - pointer to the front element
R - pointer to the Rear element
Q - vector Q represents queue.
N - Vector Q consist N elements.

1. [Underflow?]

IF $F = 0$

Then Write('Underflow')
Return (0)

2. [Delete Element]

$Y \leftarrow Q[F]$

3. [Queue empty?]

If $F = R$

then $F \leftarrow R \leftarrow 0$

Return(Y)

4. [Increment front pointer]

IF $F = N$

Then $F \leftarrow 1$

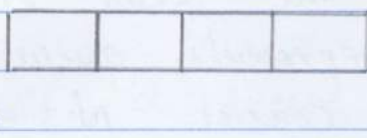
Else $F \leftarrow F + 1$

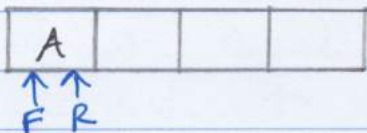
Return(Y)

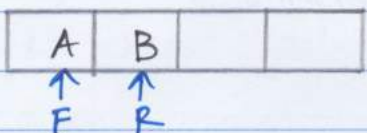
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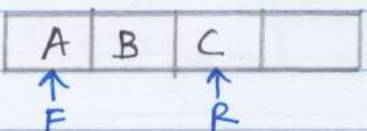
perform following operations on circular queue.

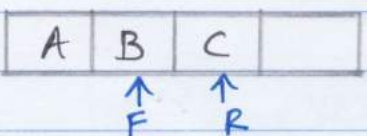
Insert 'A', Insert 'B', Insert 'C', Delete 'A', Delete 'B', Insert 'D', Insert 'E'.

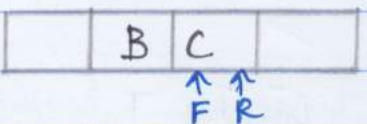
$F=0, R=0$  Empty Queue

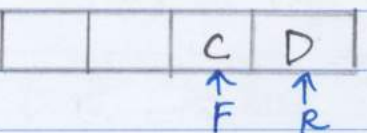
$F=1, R=1$  Insert 'A'

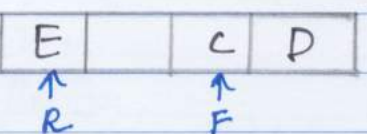
$F=1, R=2$  Insert 'B'

$F=1, R=3$  Insert 'C'

$F=2, R=3$  Delete 'A'

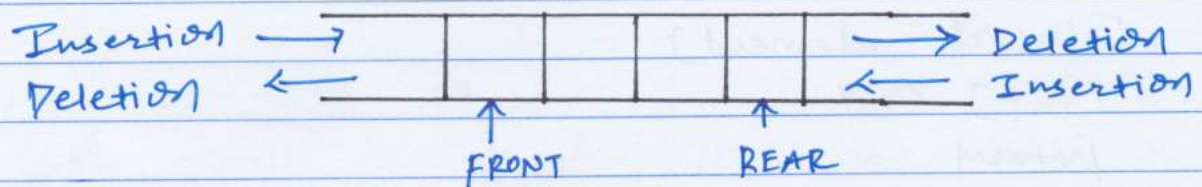
$F=3, R=3$  Delete 'B'

$F=3, R=4$  Insert 'D'

$F=3, R=1$  Insert 'E'

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DQueue: A DQueue (double ended queue) is a linear list in which insertion and deletion are performed from either end of the structure. 22

Input Restricted dqueue: allows insertion at only one end
Output Restricted dqueue: allows deletion from only one end



Algorithms:

- ~ DQINSERT_REAR is same as QINSERT(Enqueue)
- ~ DQDELETE_FRONT is same as QDELETE(Dequeue)
- ~ DQINSERT_FRONT
- ~ DQDELETE_REAR

Algorithm: Inserts y at front end of the circular queue.

DQINSERT_FRONT(Q, F, R, N, y)

Here, Q = Queue is represented by a vector Q containing N elements.

F = pointer to front element of a queue.

R = pointer to rear element of a queue.

1. [overflow?]

IF $F=0$

Then Write('Empty')


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Return  
If  $F = 1$   
Then Write('overflow')  
Return
```

2. [Decrement front pointer]
 $F \leftarrow F - 1$

3. [Insert element]
 $Q[F] \leftarrow Y$
Return

Algorithm: Delete and return an element from rear end of the queue.

DQDELETE-REAR(Q, F, R)

Here, Q = Queue is represented by a Vector Q containing N elements.

F = pointer to the front element of a queue.

R = pointer to the Rear element of a queue.

1. [Underflow?]

IF $R = 0$

Then Write('Underflow')
Return (0)

2. [Delete Element]
 $Y \leftarrow Q[R]$

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3. [Queue Empty?]

IF $R = F$
Then $R \leftarrow F \leftarrow 0$
Else $R \leftarrow R - 1$

4. [Return Element]
Return (Y).

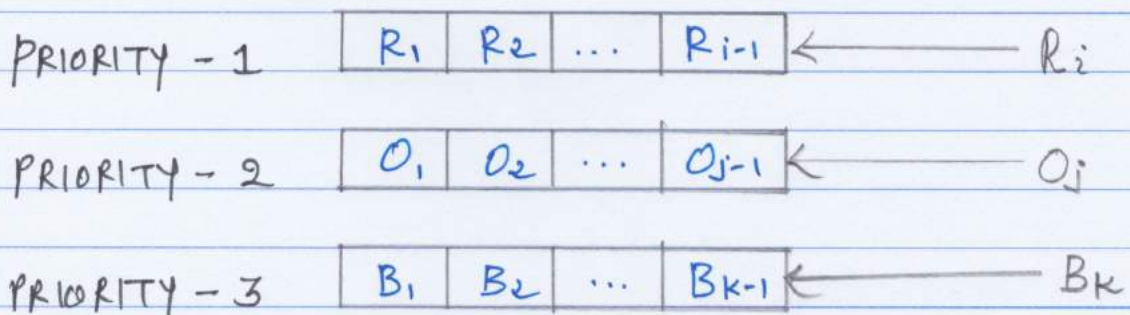
~ PRIORITY QUEUE :-

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A queue in which we are able to insert & remove items from any position based on some property (such as priority of the task to be processed) is often referred as PRIORITY QUEUE.

TASK	R_1	R_2	...	R_{i-1}	O_1, O_2	...	O_{j-1}	B_1, B_2	...	B_{k-1}	...
PRIORITY	1	1	...	1	2	2	...	2	3	3	...
				\uparrow R_i			\uparrow O_j			\uparrow B_k	

priority queue with insertion allowed at any position.



priority Queue viewed as a set of queue