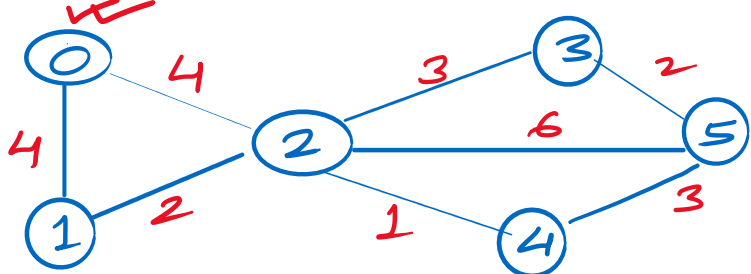


Shortest Distance Algorithms: →

Dijkstra's Algorithm → Source to all nodes.

① Queue ② Set ③ Priority Queue



Adjacency List

{ node, weight }

0 → { {1, 4}, {2, 4} }

1 → { {0, 4}, {2, 2} }

2 → { {0, 4}, {1, 2}, {3, 3}, {4, 1} }

3 → { {2, 3}, {5, 2} }

4 → { {2, 1}, {5, 3} }

5 → { {3, 2}, {4, 3} }

(8, 5)
(0, 5)
(5, 4)
(7, 3)
(4, 2)
(3, 1)
(0, 0)

Big O $[(E+V) \log V]$

Distance Array:

0	1	2	3	4	5
0	4	4	7	5	8

Relaxation

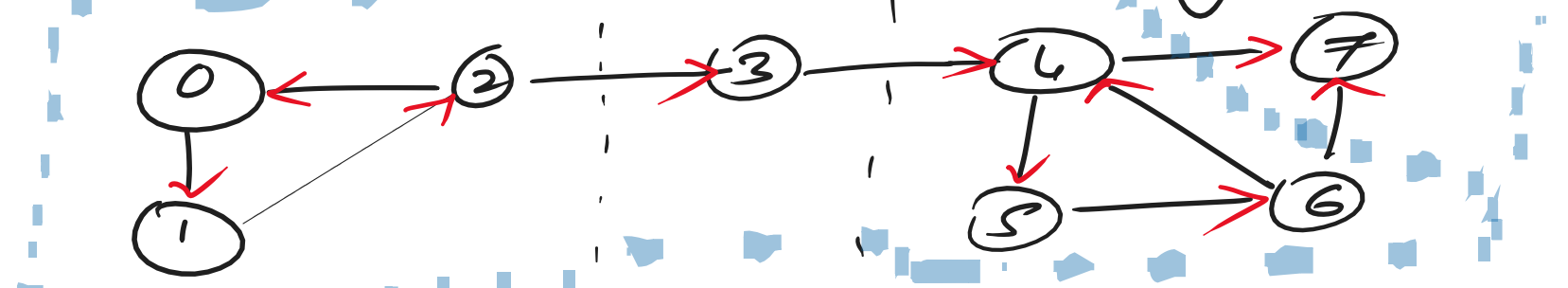
For adj list → TC → Big O $[E+V(\log V)]$

For matrix → (V^2)

$h \times n$ for

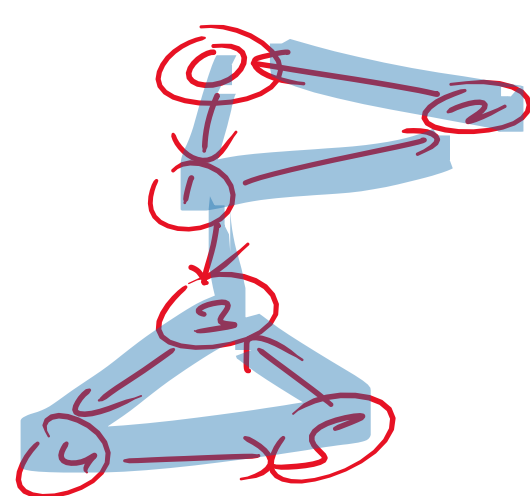
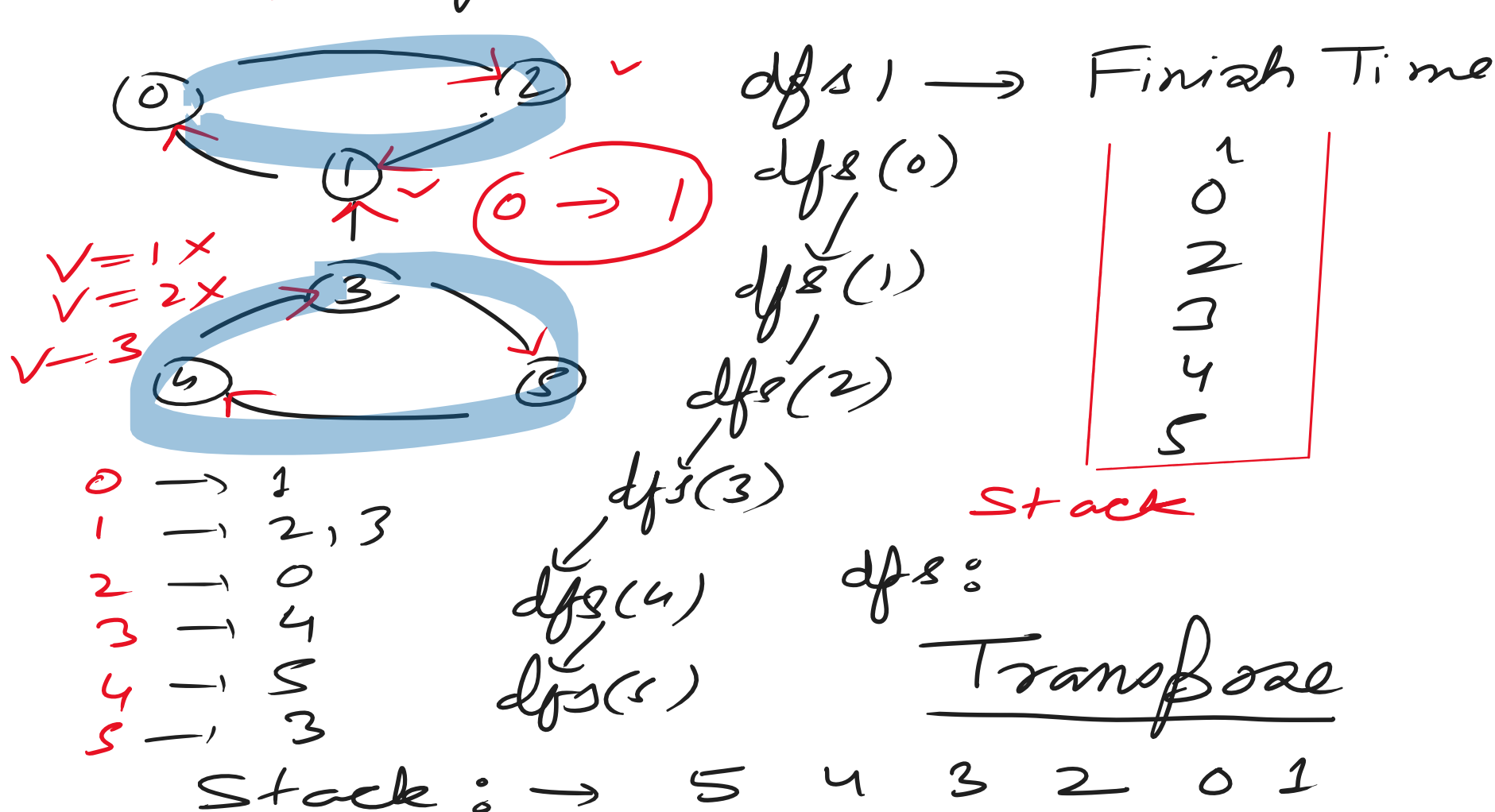
*** Strongly connected components:

(SCCs) Kosaraju's Algorithm



An SCC is a component or part of a graph where you can reach every other node from any node in that component.

Note: Single node is also an SCC.



dfs(0)
dfs(1) → dfs(2)
dfs(2)

"Those who forget the past, are forced to repeat it."

"Dynamic Programming"

A bigger problem can be solved by finding solutions of overlapping subproblems.

① Recursion (TLE) ② Memoization (Don't calculate prev) ③ Tabulation (Store prev val) ④ Space Optimization (vars) $O(1)$

Fibonacci Series: n^{th} Element: →

0, 1, 1, 2, 3, 5, 8, 13, 21, ...

6th Fib Value: → $fib(n) = fib(n-1) + fib(n-2)$

8 f(6) → Bigger Problem

