

Operators: →

- ① Arithmetic : +, -, /, *, %
- ② Assignment : $\circ =, +=, -=, /=, *=, \% =$
- ③ Augmented | ShortHand
- ④ Logical : && || ! and or not
- ⑤ Relational | Comparison (Boolean) : >, <, >=, <=, ==, !=
- ⑥ Unary Operators : ++ / -- (Prefix / Postfix)
- ⑦ Ternary Operator (Short Hand If Else Operator)

(Condition) ? tv : fv ;

← → $\frac{C}{C++}$
- Return Type var = (Condition) ? tv : fv ;

↑ Same

Same ↑

* Bitwise Operators: → (They work on individual bits)

<u>Op</u>	<u>Symbol</u>	<u>Description</u>								
AND	$\&$	Ampersand								
OR	$ $	Pipe Symbol								
XOR	\wedge	Caret								
Right Shift	$>>$	Angular Brackets								
Left Shift	$<<$									
NOT	\sim	Negation								
	<u>bin</u>	Tilde								
7 → 0111	{	7 & 9 = 1 int int int								
9 → 1001										
int 0001										
3 → 001										
8 → 100										
3 & 8 = 10										
11										
6 → 0110										
5 → 0101										
0111 =										
Bitwise Shift:										
value = 10										
unit / step = 2										
10 << 2										
↑ = 40										
discarded										
8 bit - 1 byte										
000001010100										
(b 8 4 2 1 l 4 3 2 1 0)										
0100000101010100										
added										
discarded										
00000000000000000000000000000000										
32 8 added										
discarded										
Anything outside reference line is discarded.										
To balance we add 0										
NOT Table										
<table border="1"> <tr> <td>T</td><td>F</td></tr> <tr> <td>F</td><td>T</td></tr> </table>	T	F	F	T	<table border="1"> <tr> <td>0</td><td>1</td></tr> <tr> <td>1</td><td>0</td></tr> </table>	0	1	1	0	
T	F									
F	T									
0	1									
1	0									
abs(-6) = 6 → BIN = 0110										
Negation of { 2's Com } { 1's Com = 1001 + 1 = 0001 } PV										
TV										
10										
-6										
(PV)										

or
Double Negation

MCQ: Q: $\sim S$

Formula: $\sim n = -n - 1 = -S - 1 = -6$
 $(-499) = -(-499) - 1 = (498)$

* Power of 2 $n = \{7, 8, 2, 4, 9\}$

$7 \times \begin{array}{r} 0111 \\ 1001 \end{array}$ 2^2
 10 0010
 $4 \times \begin{array}{r} 0100 \\ 0011 \end{array}$ 2^2
 $8 \times \begin{array}{r} 1000 \\ 0111 \end{array}$ 2^2
 $if ((n \& (n-1)) == 0) \{$
 $\rightarrow p \circ 2$
 $\rightarrow n \neq p \circ 2$
 $9 \times \begin{array}{r} 1001 \\ 1000 \end{array}$

{ Decision Making — Looping — Branching — Jumps }

Conditional Statements:

- * simple if \rightarrow Only one condition
- * if else \rightarrow Exactly two conditions
- * if else if else ladder \rightarrow More than 2 conditions
- * nested if \rightarrow Condition inside condition
- * switch case \rightarrow more than 5 \rightarrow optimal
- * ternary operator \rightarrow short hand if else

(22) e { d by 4 if { if { < 0 0 > 0
e { nd by 4 if { if { $=$
(21) o { d by 3 else { else {
o { nd by 3 if {
else {
(29) Nesting
 or
 Branching

Looping Statements: \rightarrow

- * while (condition) {
 - Statements;
 - inc/dec operations;
}

(Uncertain)
Entry Controlled Loop

At Least once

do {

- Statements;
- inc/dec operators

}

{ while (condition);
Exit Controlled Loop

for loop: (Finite Case) No of Steps "known"

for (initialization ; condition ; inc/dec) {

- Statements;
- i
- c
- id

}

for (int i=0; i<5; i++)
 sout (i); → Stmt

9/2/ S 2/4/
 0000
 0100
 ——————
 0100
 0010
 ——————
 0110
 0001
 ——————
 0111

0111 → 0010
 0010 → 0000
 0000 → 0100
 0100 → 0101

r = 0 (DRY RUN)
 twice unique

0101 = S