

Introduction to Non-Linear Data Structures: →

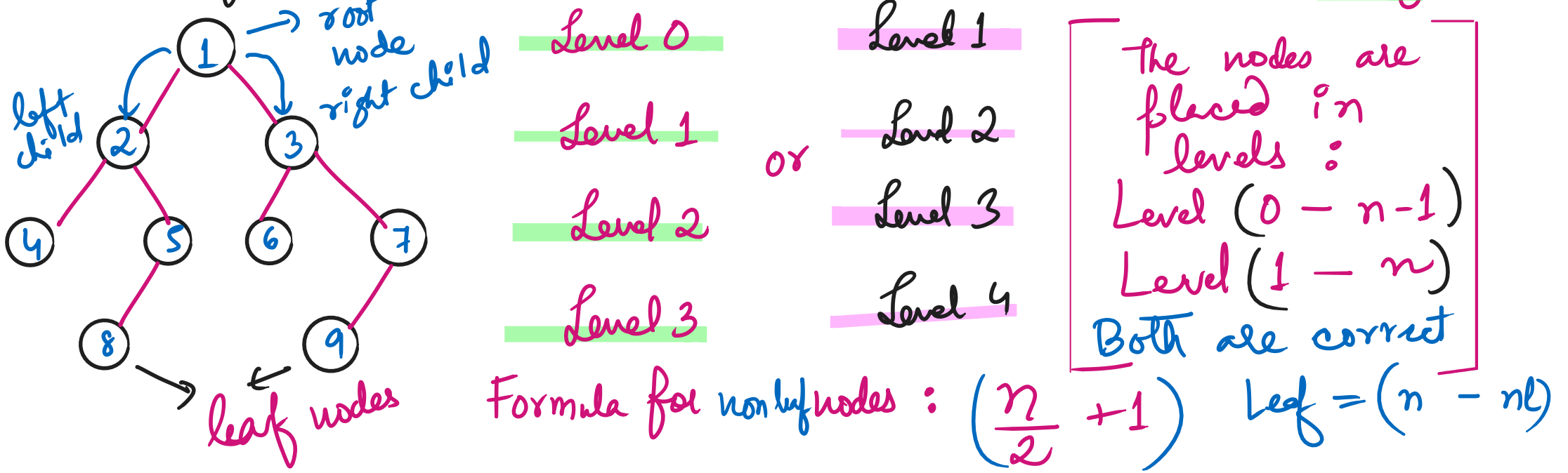
① Trees :

Types:

- (i) Binary Tree ✓
- (ii) Binary Search Tree (BST) ✓
- (iii) AVL Tree
- (iv) Red Black Tree
- (v) Complete Binary Tree → (Heaps) ✓
- (vi) Binary Index Tree (Fenwick Tree)
- (vii) Segment Tree
- (viii) Orthogonal Range Trees
- (ix) K-dimensional Trees
- (x) Skewed Trees ✓
- (xi) Suffix Trees (Tries) ✓

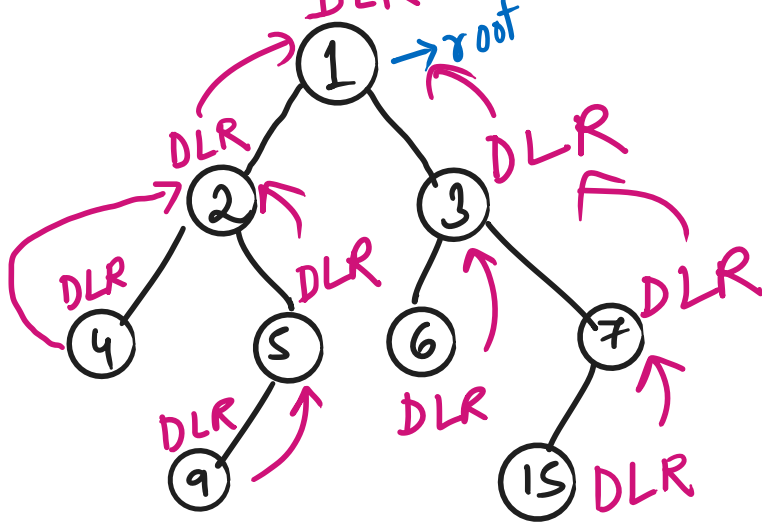
Binary Tree: It is a non-linear data structure where there are entities called nodes. Each node has children nodes called left or right child. The starting node of the tree is called the root node.

Note: If a node has no children, it is called a leaf node.



Tree Traversals:

Pre order (DLR)



O/p: 1, 2, 4, 5, 9, 3, 6, 7, 15

(rest fixed)

(DFS) (Recursion)
(Depth First Search)

```

graph TD
    1((1)) -- LDR --> 2((2))
    1 -- LDR --> 3((3))
    2 -- LDR --> 4((4))
    2 -- LDR --> 5((5))
    3 -- LDR --> 6((6))
    3 -- LDR --> 7((7))
    5 -- LDR --> 9((9))
    7 -- LDR --> 15((15))
  
```

op: 4, 2, 9, 5, 1, 6, 3, 15, 7

(BFS)
(queue)

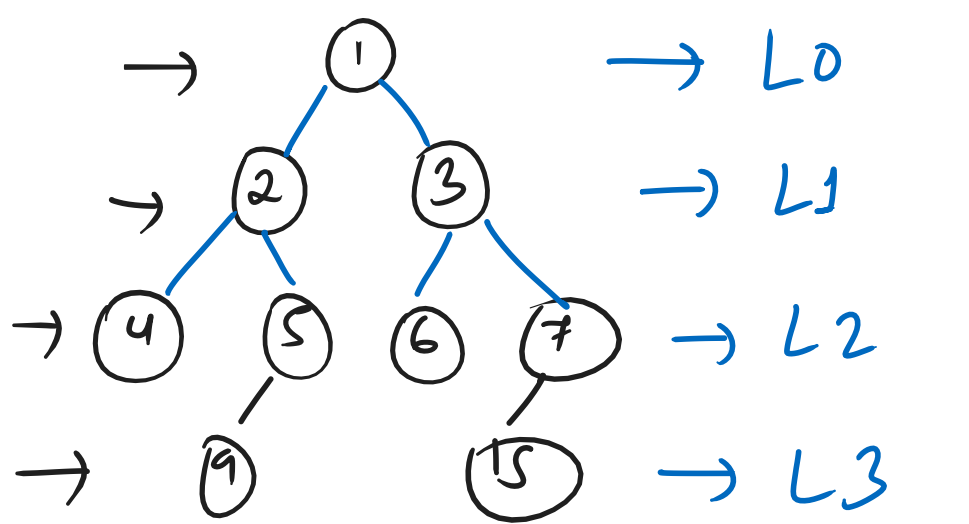
```

graph TD
    1((1)) -- LRD --> 2((2))
    1 -- LRD --> 3((3))
    2 -- LRD --> 4((4))
    2 -- LRD --> 5((5))
    3 -- LRD --> 6((6))
    3 -- LRD --> 7((7))
    5 -- LRD --> 9((9))
    7 -- LRD --> 15((15))

```

o/p: 4, 9, 5, 2, 6, 15, 7, 3, 1
(DSP / SNS) ↙
root
last

{Breadth First Search} or {Level Order Traversal (LEO)}



L0 queue [1] \rightarrow (size)
 L1 queue [2, 3] \rightarrow
 L2 queue [4, 5, 6, 7] \rightarrow
 L3 queue [8, 15] \rightarrow

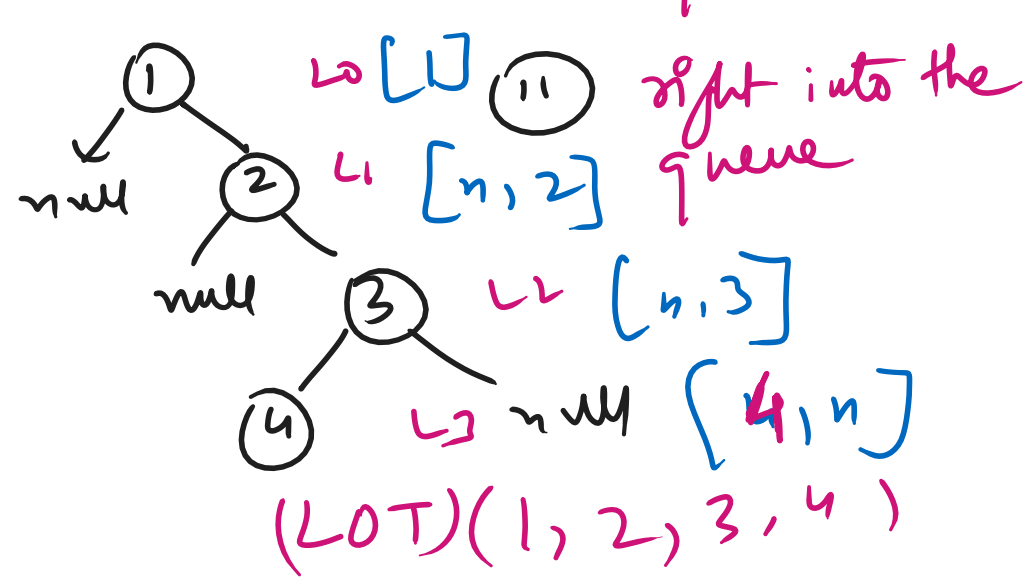
O/p: Top to Bottom
Level By Level
Left to Right

$$\Rightarrow 1, 2, 3, 4, 5, 6, 7, 9, 15$$

(FIFO) Queue

- * For every node, we push the:

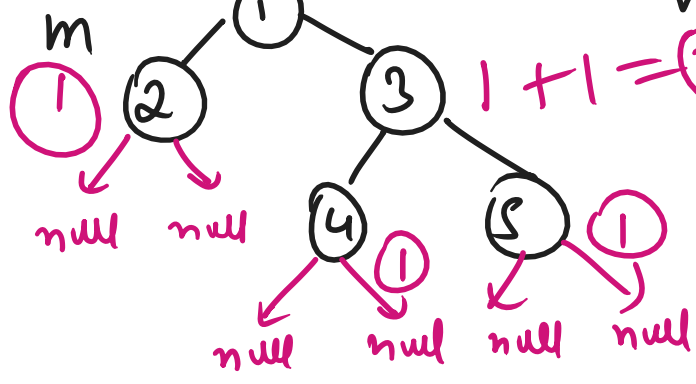
① left into the queue



Binary Trees Important Interview Questions: → Leet Code, Coding Ninjas, Code Chef

- (I) Height of a Binary Tree
- (II) Identical Trees
- (III) Mirror of a Binary Tree
- (IV) Symmetric Tree
- (V) Sum of all nodes with "Even Grandparents"
- (VI) Serialize / Deserialize Binary Tree
- (VII) Lowest Common Ancestor of Binary Tree (LCA)
- (VIII) House Robber III
- (IX) Left View of Binary Tree
- (X) Right View of Binary Tree

* Height of a Binary Tree \Rightarrow Defⁿ: The maximum no. of nodes from the root node to any of its descendants.



Pseudo-code: left height, right height
total height = $\max(lh, rh) + 1$

$$\text{total height} = \max(lh, rh) + 1$$

Recursion Tree \Rightarrow

Diagram illustrating the Recursion Tree for finding the height of a binary tree:

- Root node (1) has children (5) and (1). Both children are null.
- Node (5) has children (1) and (1). Both children are null.
- Node (1) has children (1) and (1). Both children are null.

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