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|  | <h2>Problem H</h2> <h2>Connections</h2> | <p>ACM-ICPC Thailand Mini Programming Contest Local Training 2016</p>    |
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A *directed graph* is a graph whose edges are one way only. A *strongly connected component* of a directed graph G is a subset S of the nodes of G satisfying the following rules:

1. If u and v are members of S then there are paths from u to v , and from v to u in G .
2. If u is a member of S and v is another node of G , then if there are paths from u to v , and from v to u in G then v is also in S .

The strongly connected components of a graph partition its nodes into disjoint sets. That means that every node is in some strongly connected component, and no node is in more than one.

Given a directed graph, how many strongly connected components does it have?

Input

Input starts with a line containing a single integer N , with $0 < N \leq 100$. This tells you how many test cases there will be.

Each following pair of lines contains a single test case. The first line of each test case contains an integer n , with $1 < n \leq 200$. This is the number of nodes the graph has. The second line starts with an integer e with $0 < e < 4n - 4$. This tells you how many edges this particular graph has. Following this are e pairs of integers a, b , with $0 \leq a, b \leq n - 1$. These pairs indicate that there is a directed edge from a to b . There is at most one edge from one node to another.

Output

Each line of output is an integer saying how many strongly connected components the corresponding graph has.

I/O Example

| Sample Input | Sample Output |
|-------------------------------|---------------|
| 3 | 5 |
| 6 | 2 |
| 2 0 5 5 0 | 1 |
| 5 | |
| 7 0 1 0 2 1 0 1 3 2 4 3 1 4 2 | |
| 3 | |
| 4 0 1 0 2 1 0 2 1 | |