

# Information Extraction Project 3

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## 1 Code compile and usage

A C++ program has been implemented for handling this project. To compile the C++ program, in project directory, run the below command in terminal.

```
1 make
```

Successful compiling can generate an executable program called **test\_tree**. **test\_tree** can deliver all required experiments with suitable setting. The usage of running **test\_tree** is as the below:

```
1 ./test_tree -m mode
```

where option **-m** can control the which part of experiment to run, feasible values are in  $\{1, 2, 3\}$

- **1**: Part 1: Construct agglomerative clustering tree.
- **2**: Part 2: Construct Bit-encoding based decision tree.
- **3**: Part 3: Construct Chou's decision tree.

## 2 Agglomerative clustering tree

To complete the required experiment, run the below command in terminal

```
1 ./test_tree -m 1
```

We get the below output:

```
1 Initialize agglomerative clustering tree...
2 Agglomerative clustering tree is growing...
3 Print out growed agglomerative clustering tree...
4 level is 9, letters: o, a, u, i, e, , z, v, k, m, f, q, j, b, p, w, c, t, h, x, r, l, n, y, s, g, d,
5 level is 4, letters: o, a, u, i, e, ,
6 level is 8, letters: z, v, k, m, f, q, j, b, p, w, c, t, h, x, r, l, n, y, s, g, d,
7 level is 3, letters: o, a, u, i, e,
8 level is 0, letters: ,
9 level is 7, letters: z, v, k, m, f, q, j, b, p, w, c, t, h,
10 level is 4, letters: x, r, l, n, y, s, g, d,
11 level is 2, letters: o, a, u, i,
12 level is 0, letters: e,
13 level is 6, letters: z, v, k, m, f, q, j, b, p, w, c, t,
14 level is 0, letters: h,
15 level is 3, letters: x, r, l, n,
16 level is 2, letters: y, s, g, d,
17 level is 1, letters: o, a,
18 level is 1, letters: u, i,
19 level is 5, letters: z, v, k, m, f, q, j, b, p,
20 level is 2, letters: w, c, t,
21 level is 2, letters: x, r, l,
```

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```

22 level is 0, letters: n,
23 level is 1, letters: y, s,
24 level is 1, letters: g, d,
25 level is 0, letters: o,
26 level is 0, letters: a,
27 level is 0, letters: u,
28 level is 0, letters: i,
29 level is 4, letters: z, v, k, m, f,
30 level is 3, letters: q, j, b, p,
31 level is 1, letters: w, c,
32 level is 0, letters: t,
33 level is 1, letters: x, r,
34 level is 0, letters: l,
35 level is 0, letters: y,
36 level is 0, letters: s,
37 level is 0, letters: g,
38 level is 0, letters: d,
39 level is 3, letters: z, v, k, m,
40 level is 0, letters: f,
41 level is 2, letters: q, j, b,
42 level is 0, letters: p,
43 level is 0, letters: w,
44 level is 0, letters: c,
45 level is 0, letters: x,
46 level is 0, letters: r,
47 level is 2, letters: z, v, k,
48 level is 0, letters: m,
49 level is 1, letters: q, j,
50 level is 0, letters: b,
51 level is 1, letters: z, v,
52 level is 0, letters: k,
53 level is 0, letters: q,
54 level is 0, letters: j,
55 level is 0, letters: z,
56 level is 0, letters: v,

```

For the questions shown in the description of this project. The below are the answers.

## 2.1 Drawing clustering tree

The clustering tree after growing is shown in Figure 1 based on the information of output shown in Section 2.

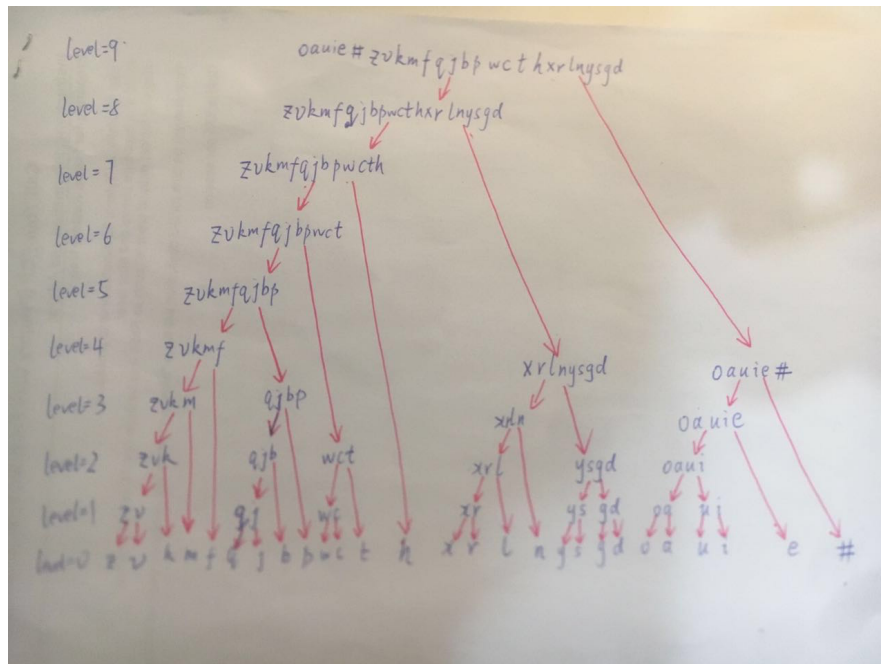


Figure 1: Clustering tree

## 2.2 The best 2-way clustering of letters

As shown in Figure 1, the best 2-way clustering of letters are  $\{z, v, k, m, f, q, j, b, p, w, c, t, h, x, r, l, n, y, s, g, d\}$  and  $\{o, a, u, i, e, \#\}$ .

In Project 1, we found that in 2-state HMM, vowel and consonant have the same state with large probabilities. The best 2-way clustering is consistent with this observation in Project 1.

In Homework #9, we found that  $a, e, i, o, u, \#$  have larger probabilities to belong to the same set by Chou's algorithm. The best 2-way clustering is also consistent with the observation in Homework #9.

## 2.3 The best 4-way clustering of letters

By the output shown in Section 2, we have the best 4-way clustering of letters is  $\{o, a, u, i, e\}$ ,  $\{\#\}$ ,  $\{z, v, k, m, f, q, j, b, p, w, c, t, h\}$ , and  $\{x, r, l, n, y, s, g, d\}$ .

It is also consistent with the observation in 4-state HMM in Project 1 that the letters in the same set have higher probabilities with the same state in 4-state HMM.

## 3 Bit-encoding based decision tree

To complete the required experiment, run the below command in terminal

```
1 ./test_tree -m 2
```

```
1 Constructing agglomerative clustering tree...
2 Construct bit encoding decision tree...
3 Encoding l1, l2, l3, l4...
4 Build development, and held-out data sets...
5 Bit encoding decision tree is growing...
6 Process: .....
7 No frontier node...
8 Bit tree growing complete...
9 Print out growed bit encoding decision tree...
10 path: , questioned bit 18
11 path: 0, questioned bit 19
12 path: 1, questioned bit 19
13 path: 00, questioned bit 20
14 path: 01, questioned bit 9
15 path: 10, questioned bit 9
16 path: 11, questioned bit 9
17 path: 000, questioned bit 21
18 path: 001, questioned bit 9
19 path: 010, questioned bit 0
20 path: 011, questioned bit 10
21 path: 100, questioned bit 10
22 path: 101, questioned bit 10
23 path: 110, questioned bit 10
24 path: 111, questioned bit 20
25 path: 0000, questioned bit 9
26 path: 0001, questioned bit 9
27 path: 0010, questioned bit 10
28 path: 0011, questioned bit 10
29 path: 0100, questioned bit 1
30 path: 0101, questioned bit 1
31 path: 0110, questioned bit 0
32 path: 0111, questioned bit 0
33 path: 1000, questioned bit 0
34 path: 1001, questioned bit 20
35 path: 1010, questioned bit 20
36 path: 1011, questioned bit 20
37 path: 1100, questioned bit 20
38 path: 1101, questioned bit 20
39 path: 1110, questioned bit 10
40 path: 1111, questioned bit 21
41 path: 00000, questioned bit 22
42 path: 00001, questioned bit 22
43 path: 00010, questioned bit 10
44 path: 00011, questioned bit 22
```

```

45 path: 00100, questioned bit 11
46 path: 00101, questioned bit 0
47 path: 00110, questioned bit 11
48 path: 00111, questioned bit 11
49 path: 01100, questioned bit 1
50 path: 01101, questioned bit 11
51 path: 10000, questioned bit 1
52 path: 10001, questioned bit 11
53 path: 10010, questioned bit 21
54 path: 10011, questioned bit 0
55 path: 10100, questioned bit 0
56 path: 10101, questioned bit 0
57 path: 11000, questioned bit 21
58 path: 11001, questioned bit 21
59 path: 11110, questioned bit 22
60 path: 11111, questioned bit 22
61 path: 000000, questioned bit 10
62 path: 000001, questioned bit 10
63 path: 000010, questioned bit 10
64 path: 000011, questioned bit 0
65 path: 000100, questioned bit 22
66 path: 000101, questioned bit 22
67 path: 000110, questioned bit 10
68 path: 000111, questioned bit 10
69 path: 001100, questioned bit 0
70 path: 001101, questioned bit 0
71 path: 001110, questioned bit 12
72 path: 001111, questioned bit 0
73 path: 100100, questioned bit 22
74 path: 100101, questioned bit 22
75 path: 110000, questioned bit 22
76 path: 110001, questioned bit 0
77 path: 110010, questioned bit 22
78 path: 110011, questioned bit 22
79 path: 0000000, questioned bit 11
80 path: 0000001, questioned bit 0
81 path: 0000010, questioned bit 11
82 path: 0000011, questioned bit 0
83 path: 0000100, questioned bit 0
84 path: 0000101, questioned bit 11
85 path: 0000110, questioned bit 1
86 path: 0000111, questioned bit 1
87 path: 0001110, questioned bit 11
88 path: 0001111, questioned bit 0
89 path: 0011100, questioned bit 13
90 path: 0011101, questioned bit 0
91 path: 1001000, questioned bit 23
92 path: 1001001, questioned bit 23
93 path: 1001010, questioned bit 23
94 path: 1001011, questioned bit 0
95 path: 1100000, questioned bit 23
96 path: 1100001, questioned bit 0
97 path: 1100010, questioned bit 1
98 path: 1100011, questioned bit 11
99 path: 1100100, questioned bit 11
100 path: 1100101, questioned bit 0
101 path: 1100110, questioned bit 11
102 path: 1100111, questioned bit 11
103 path: 00000100, questioned bit 12
104 path: 00000101, questioned bit 0
105 path: 00001100, questioned bit 10
106 path: 00001101, questioned bit 10
107 path: 00111000, questioned bit 0
108 path: 00111001, questioned bit 0
109 path: 10010010, questioned bit 24
110 path: 10010011, questioned bit 0
111 path: 11000000, questioned bit 0
112 path: 11000001, questioned bit 11
113 path: 11000010, questioned bit 1
114 path: 11000011, questioned bit 1
115 path: 11000100, questioned bit 2
116 path: 11000101, questioned bit 11
117 path: 11000110, questioned bit 12
118 path: 11000111, questioned bit 1
119 path: 11001110, questioned bit 0
120 path: 11001111, questioned bit 0
121 path: 000011010, questioned bit 11
122 path: 000011011, questioned bit 11
123 path: 001110000, questioned bit 1
124 path: 001110001, questioned bit 1
125 path: 100100100, questioned bit 0

```

```

126 path: 100100101, questioned bit 0
127 path: 110000010, questioned bit 12
128 path: 110000011, questioned bit 0
129 path: 110001100, questioned bit 13
130 path: 110001101, questioned bit 13
131 path: 110011100, questioned bit 1
132 path: 110011101, questioned bit 1
133 path: 0000110100, questioned bit 12
134 path: 0000110101, questioned bit 2
135 path: 1100000100, questioned bit 13
136 path: 1100000101, questioned bit 0
137 path: 00001101000, questioned bit 13
138 path: 00001101001, questioned bit 13
139 path: 11000001000, questioned bit 0
140 path: 11000001001, questioned bit 0
141 path: 000011010010, questioned bit 14
142 path: 000011010011, questioned bit 2
143 Calculate perplexity on testing data set...
144 perplexity is: 8.17174

```

### 3.1 Draw Bit-encode tree

Based on the output shown in Section 3, we draw the Bit-encode tree in Figure 2. Only the first five levels are drawn. The following levels can be drawn similarly by the path information. The number in node circle is the questioned bit at current Tree node.

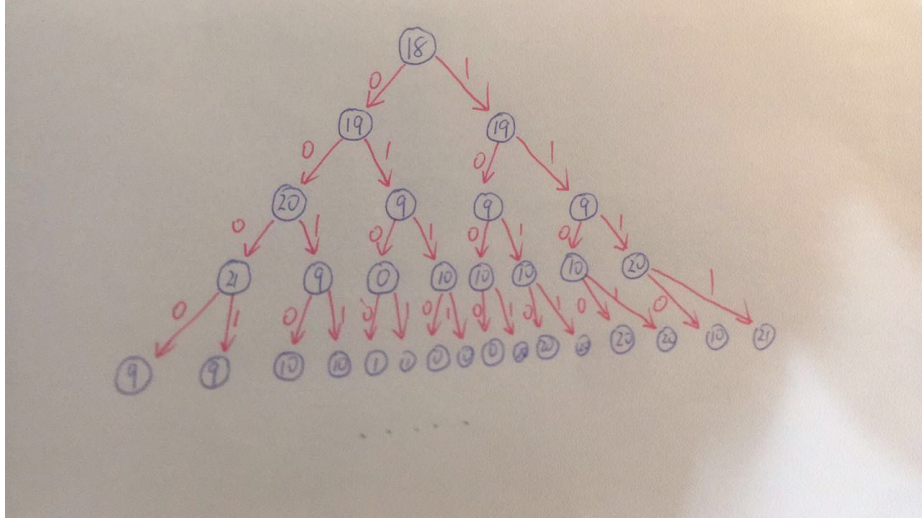


Figure 2: The first five levels Bit-encoded Tree

Based on the tree shown in 2, we can observe that  $b_{11}$  is often asked after some  $b_{3,j}$  has been asked. Therefore, the immediate preceding letter  $l_3$  is more informative than the coarsest information about the letter  $l_1$ .

### 3.2 Compute Perplexity

The perplexity on test dataset is computed as well, which is shown in the output in Section 3. The perplexity is 8.17174 with default threshold 0.005.

## 4 Chou's decision tree

To complete the required experiment, run the below command in terminal

```
1 ./test_tree -m 3
```

The implementation is a little slow, typically requires several minutes to one hour to complete. The threshold for accepting candidate left and right nodes is still 0.005. Repeat the experiments four times, we obtain the below outputs.

```

1 Constructing agglomerative clustering tree...
2 Initialize Chou's decision tree...
3 Build development, and held-out data sets...
4 Chou's decision tree is growing...(A little slow...)
5 Process: .....
6 No frontier node...
7 Bit tree growing complete...
8 Calculate perplexity on testing data set...
9 perplexity is: 4.93075

```

```

1 Constructing agglomerative clustering tree...
2 Initialize Chou's decision tree...
3 Build development, and held-out data sets...
4 Chou's decision tree is growing...(A little slow...)
5 Process: .
6 No frontier node...
7 Bit tree growing complete...
8 Calculate perplexity on testing data set...
9 perplexity: 17.0487
10 perplexity is: 17.0487

```

```

1 Constructing agglomerative clustering tree...
2 Initialize Chou's decision tree...
3 Build development, and held-out data sets...
4 Chou's decision tree is growing...(A little slow, allow several minutes to one hour to complete...)
5 Process: .....
6 No frontier node...
7 Bit tree growing complete...
8 Calculate perplexity on testing data set...
9 perplexity is: 9.01359

```

```

1 Constructing agglomerative clustering tree...
2 Initialize Chou's decision tree...
3 Build development, and held-out data sets...
4 Chou's decision tree is growing...(A little slow, allow several minutes to one hour to complete...)
5 Process: .....
6 No frontier node...
7 Bit tree growing complete...
8 Calculate perplexity on testing data set...
9 perplexity is: 15.5708

```

## 4.1 Tie breaking procedure

For the histories that neither  $l_i \notin \mathcal{A}_i$  nor  $l_i \notin \bar{\mathcal{A}}_i$ , I simply randomly assign them into  $\mathcal{A}_i$  or  $\bar{\mathcal{A}}_i$  without no preference, that is 50 % into  $\mathcal{A}_i$  or  $\bar{\mathcal{A}}_i$ . Such tie breaking procedure also works on test data set as well.

## 4.2 Compute Perplexity

I repeat the experiments 4 times. As shown in the output in Section 4, we can see the perplexity are 4.93075, 17.0487, 9.01359, 15.5708. We can see that Chou's Algorithm highly depends on its initialization. Sometimes, Chou's algorithm can outperform Bit-encoding tree, sometimes, it performs worse or competitively with Bit-encoding tree.