```
1 import pandas as pd
```

- 2 import numpy as np
- 3 import matplotlib.pyplot as plt
- 4 import seaborn as sn
- 5 %matplotlib inline
- 6 import scipy.stats as stats

1 data = pd.read\_csv('/content/sample\_data/DataClustering.csv')

## 1 data.head()

	<b>x1</b>	x2	х3	<b>x4</b>	7
0	0.832354	1.389428	0.962226	0.993671	
1	1.256087	1.500487	0.904118	0.738035	
2	0.976953	1.058524	1.217530	1.357238	
3	1.014365	1.122684	1.195847	0.984144	
4	1.041386	1.219014	0.864819	1.720825	

### 1 data.shape

(351, 4)

### 1 data.info()

<class 'pandas.core.frame.DataFrame'>
RangeIndex: 351 entries, 0 to 350
Data columns (total 4 columns):
 # Column Non-Null Count Dtype

#	Cocumin	Non-Nuce Counc	Drype
0	x1	351 non-null	float64
1	x2	351 non-null	float64
2	x3	351 non-null	float64
3	x4	351 non-null	float64
dtvn	es: floa	+64(4)	

dtypes: float64(4) memory usage: 11.1 KB

### 1 data.columns

1 columns = ['x1', 'x2', 'x3', 'x4']

2 print(columns)

#### 1 #unique and null values

```
Z TOT COL IN data.columns.values:
   list_vals = pd.unique(data[col]) #list of unique values
   print('\033[1m' + col + '\033[0m' + ' has ' + str(len(list_vals)) + ' unique
5
   if len(list vals) < 10:
6
     list str = ''
7
     for n in range(0, len(list_vals)):
8
       list str = list str + str(list vals[n]) + ', '
     print('\033[1m' + ' ##### These are: '+ '\033[0m' +list_str[0:len(list_s
   x1 has 351 unique values, 0 null entries and datatype float64
   x2 has 351 unique values, 0 null entries and datatype float64
   x3 has 351 unique values, 0 null entries and datatype float64
   x4 has 351 unique values, 0 null entries and datatype float64
```

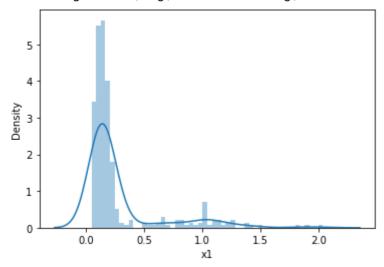
#### 1 data.describe()

	<b>x1</b>	x2	х3	<b>x4</b>
count	351.000000	351.000000	351.000000	351.000000
mean	0.278820	0.472738	1.643857	1.482918
std	0.341446	0.511023	1.668052	0.964016
min	0.048604	0.047022	0.367717	0.232562
25%	0.111341	0.115257	0.815180	0.857948
50%	0.153383	0.165684	1.083528	1.190996
75%	0.212564	0.854725	1.557597	1.724461
max	2.037125	2.476118	12.635585	7.726843

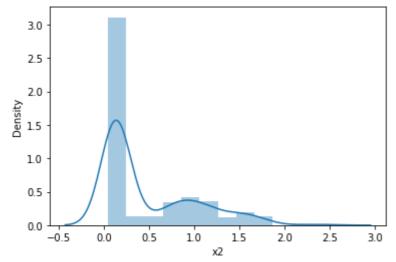
# ▼ Data Visualization

```
1 from matplotlib import pyplot as plt
2 for col in data.columns.values:
3    sn.distplot(data[col])
4    plt.show()
```

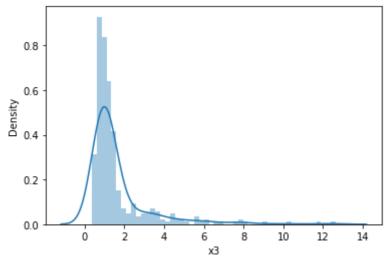
/usr/local/lib/python3.7/dist-packages/seaborn/distributions.py:2619: FutureWarnings.warn(msg, FutureWarning)



/usr/local/lib/python3.7/dist-packages/seaborn/distributions.py:2619: FutureWarnings.warn(msg, FutureWarning)



/usr/local/lib/python3.7/dist-packages/seaborn/distributions.py:2619: FutureWarnings.warn(msg, FutureWarning)



/usr/local/lib/python3.7/dist-packages/seaborn/distributions.py:2619: FutureWarnings.warn(msg, FutureWarning)

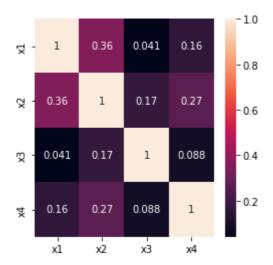


1 # visualization of correlation

2 corr = data.corr(method = 'spearman')

3 fig, ax = plt.subplots(figsize = (4,4))

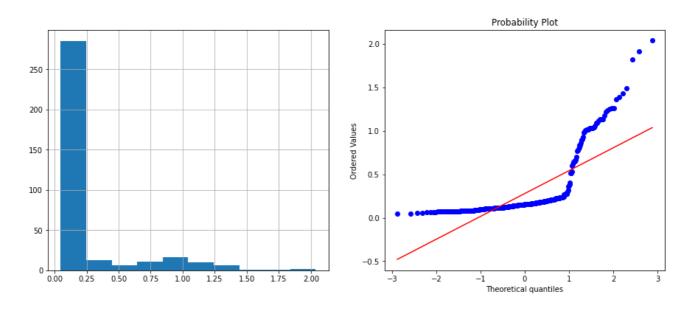
```
4 sn.heatmap(abs(corr), annot = True)
5 plt.show()
```



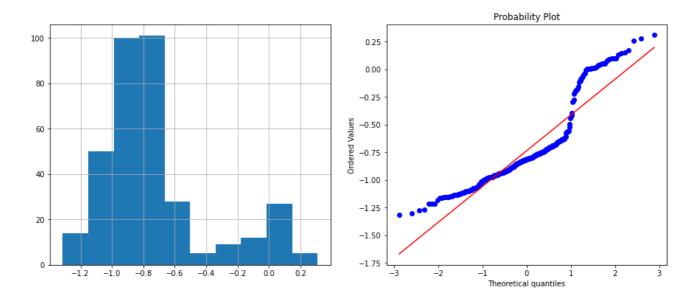
# ▼ Data Pre-Processing

```
1 def diagnostic_plots(data,x):
2   plt.figure(figsize = (15,6))
3   plt.subplot(1,2,1)
4   data[x].hist()
5   plt.subplot(1,2,2)
6   stats.probplot(data[x], dist = "norm" , plot = plt)
7   plt.show()
```

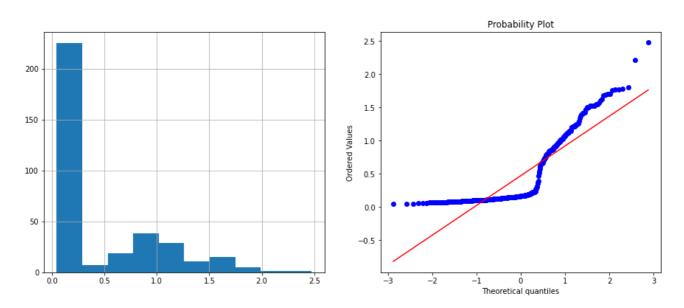
## 1 diagnostic\_plots(data,'x1')



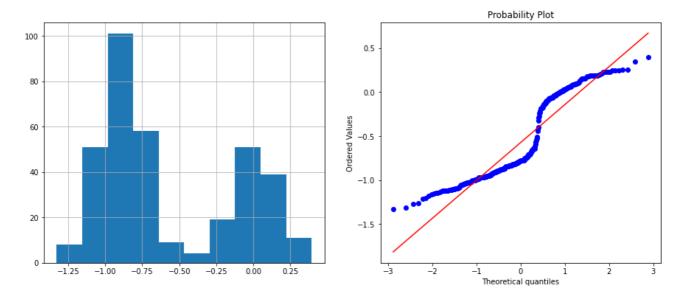
- 1 data['e\_x1'] = np.log10(data['x1'])
- 2 diagnostic\_plots(data, 'e\_x1')



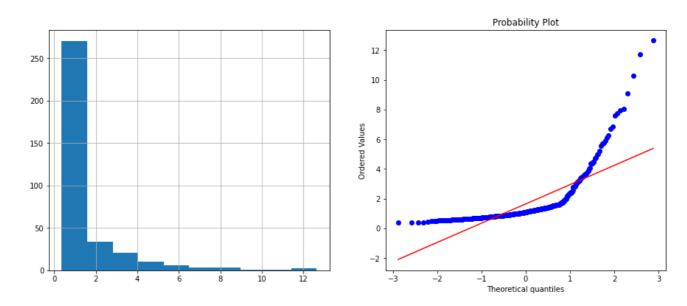
# 1 diagnostic\_plots(data,'x2')



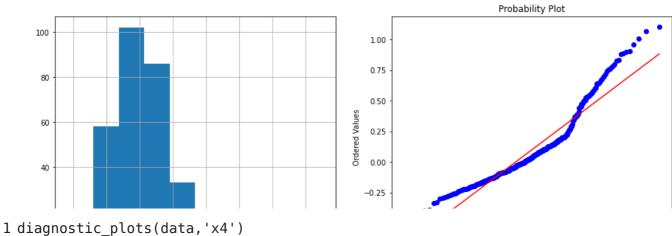
1 data['e\_x2'] = np.log10(data['x2'])
2 diagnostic\_plots(data,'e\_x2')

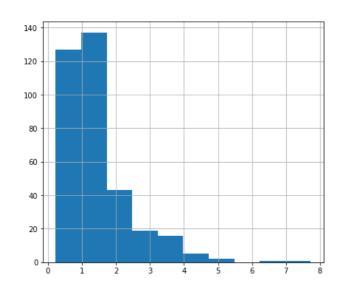


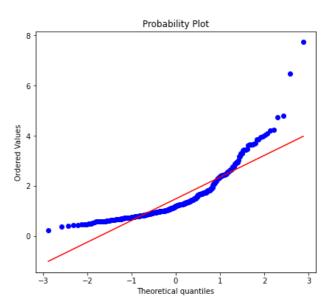
# 1 diagnostic\_plots(data,'x3')



1 data['e\_x3'] = np.log10(data['x3'])
2 diagnostic\_plots(data,'e\_x3')

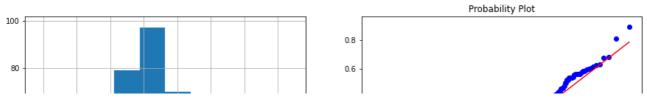




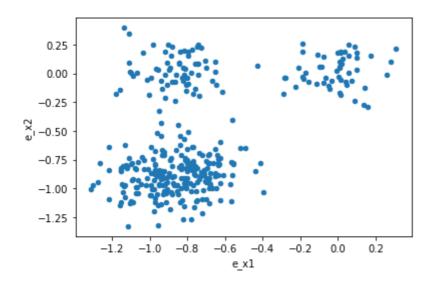


```
1 data['e_x4'] = np.log10(data['x4'])
```

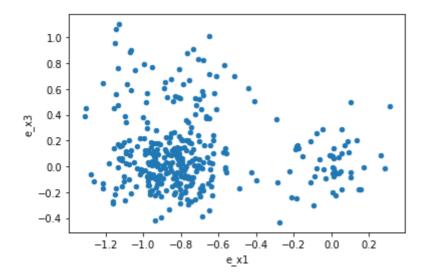
2 diagnostic\_plots(data, 'e\_x4')



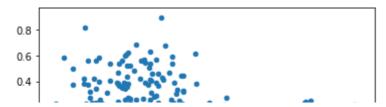
1 data.plot(kind = 'scatter', x = 'e\_x1',y = 'e\_x2');
2 plt.show()



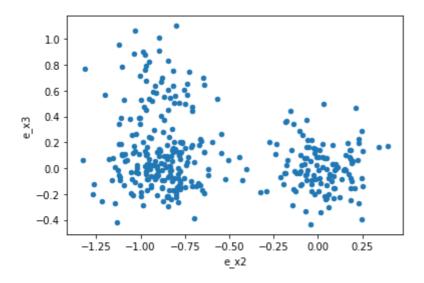
1 data.plot(kind = 'scatter', x = 'e\_x1',y = 'e\_x3');
2 plt.show()



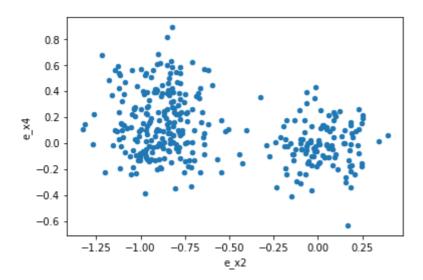
1 data.plot(kind = 'scatter', x = 'e\_x1',y = 'e\_x4');
2 plt.show()



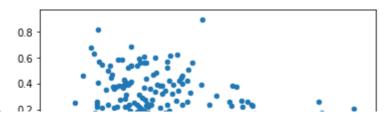
1 data.plot(kind = 'scatter', x = 'e\_x2',y = 'e\_x3');
2 plt.show()



1 data.plot(kind = 'scatter', x = 'e\_x2',y = 'e\_x4');
2 plt.show()



1 data.plot(kind = 'scatter', x = 'e\_x3',y = 'e\_x4');
2 plt.show()



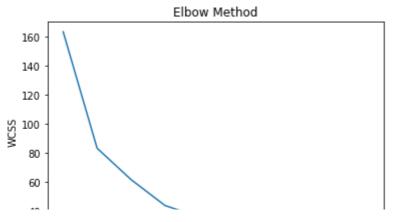
1 data.head()

	<b>x1</b>	x2	х3	х4	e_x1	e_x2	e_x3	e_x4
0	0.832354	1.389428	0.962226	0.993671	-0.079692	0.142836	-0.016723	-0.002757
1	1.256087	1.500487	0.904118	0.738035	0.099020	0.176232	-0.043775	-0.131923
2	0.976953	1.058524	1.217530	1.357238	-0.010126	0.024701	0.085480	0.132656
3	1.014365	1.122684	1.195847	0.984144	0.006194	0.050257	0.077675	-0.006941
4	1.041386	1.219014	0.864819	1.720825	0.017612	0.086009	-0.063075	0.235737

```
1 data1 = data.drop(['x1','x2','x3','x4'],axis=1)
2 data1.head()
```

	e_x1	e_x2	e_x3	e_x4
0	-0.079692	0.142836	-0.016723	-0.002757
1	0.099020	0.176232	-0.043775	-0.131923
2	-0.010126	0.024701	0.085480	0.132656
3	0.006194	0.050257	0.077675	-0.006941
4	0.017612	0.086009	-0.063075	0.235737

# ▼ k means clustering

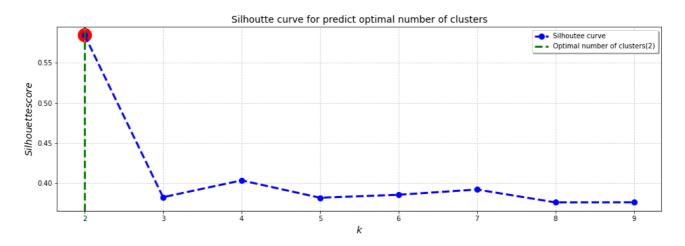


1 # # define and map colors

so we are getting sharp elbow at k=2, k=4 and k=5, so it creates a confusion regarding taking proper value of k

```
2 # colors = ['#DF2020', '#81DF20', '#2095DF']
     3 # data1['c'] = df.cluster.map({0:colors[0], 1:colors[1], 2:colors[2]})
     4 # plt.scatter(data1, c=df.c, alpha = 0.6, s=10)
     1 # Silhoute's Method
     1 from sklearn.metrics import silhouette_samples, silhouette_score
     2 silhouette_score(data, kmeans.labels )
        0.09684349876691904
     1 kmeans per k = [KMeans(n clusters=k, random state=42).fit(data) for k in range(
     2 silhouette scores = [silhouette score(data, model.labels ) for model in kmeans
     1 print(silhouette scores)
        [0.5845000763505325,\ 0.38250695193757606,\ 0.40344396087241646,\ 0.381813824664]
     1 #Plotting the silhoutee score graph
     2 from pylab import rcParams
     3 rcParams['figure.figsize'] = 16, 5
     4 plt.plot(range(2,10), silhouette_scores, "bo--", color = 'blue', linewidth=3, m
     5 plt.xlabel("$k$", fontsize = 14, family = 'Arial')
     6 plt.ylabel("$Silhouette score$", fontsize = 14, family = 'Arial')
     7 plt.grid(which='major', color='#cccccc', linestyle='--')
     8 plt.title('Silhoutte curve for predict optimal number of clusters', family='Ari
     9
    10 #Calculate number of Clusters
    11 k = np.argmax(silhouette_scores)+2
    12
    13 #Draw a vertical line to mark optimal number of clusters
    14 plt.axvline(x=k, linestyle='--', c='green', linewidth=3, label='Optimal number
    15 plt.scatter(k, silhouette_scores[k-2], c='red', s=400)
https://colab.research.google.com/drive/1kwqImIM21HZVmBkeUnJKgONYjjw5pFSJ#scrollTo=I_KSavCmHSiw&printMode=true
```

16 plt.legend(shadow=True)
17 plt.show()



```
1 #predict the labels of clusters.
2 km=KMeans(n_clusters=2,init='k-means++',random_state=0)
3 label = km.fit_predict(data1)
4 y=label

1 y1=data1[label==0];y2=data1[label==1]

1 # plt.scatter(data1[0],data1[1])
```

# **→** DBSCAN

```
1 from sklearn.cluster import DBSCAN
2 dbscan = DBSCAN(eps = 0.8, min_samples = 4)
```

```
1 model = dbscan.fit(data1)
1 labels = model.labels
1 from sklearn import metrics
1 sample cores = np.zeros like(labels,dtype = bool)
1 sample cores[dbscan.core sample indices ]=True
1 n clusters = len(set(labels))
1 print(n clusters)
    3
1 #Step 1. epsilon hyperparameter tuning
2 #Using the elbow point i.e. the point of the maximum curvature
3 from sklearn.cluster import DBSCAN
4 from sklearn import metrics
5 from sklearn.neighbors import NearestNeighbors
7 neigh = NearestNeighbors(n neighbors=2)
8 nbrs = neigh.fit(data1)
9 distances, indices = nbrs.kneighbors(data1)
10 distances = np.sort(distances, axis=0)
11 distances = distances[:,1]
12 #plt.plot(distances)
13 indices[:,1].shape
14 plt.plot(indices[:,0], distances)
15 plt.grid()
```

```
1 ##interpretation of the epsilon
2 !pip install kneed
3 from kneed import KneeLocator
```

 $4 \ kn = KneeLocator(indices[:,0], \ distances, \ curve='convex', \ direction='increasing' \ d$ 

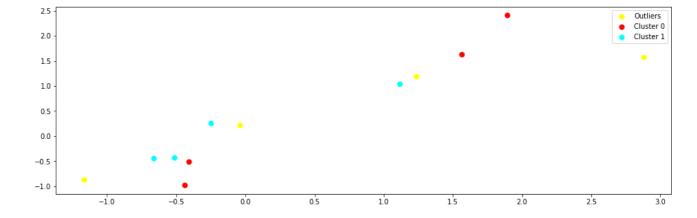
5 #import scipy.interpolate as interp

 $6 \ \#np.interp(kn.knee,indices[:,0], distances) \ \#this gives the corrosponding \ensuremath{\$}\ensuremath{\mbox{eps}}$ 

Looking in indexes: <a href="https://pypi.org/simple">https://us-python.pkg.dev/colab-Requirement already</a> satisfied: kneed in /usr/local/lib/python3.7/dist-package Requirement already satisfied: scipy>=1.0.0 in /usr/local/lib/python3.7/dist-Requirement already satisfied: numpy>=1.14.2 in /usr/local/lib/python3.7/dist-package requirement requirement requirement requirement requirement requirement requireme

```
1 ##Clustering using the DBSCAN
2 m = DBSCAN(eps=0.6, min_samples=4)
3 label_db = m.fit_predict(data1)
4 np.unique(label_db) # checking the no
array([-1, 0, 1, 2, 3, 4])
```

```
1 y1=data1[label_db==-1];y2=data1[label_db==0];y3=data1[label_db==1];
2 # y4=data1[label_db==2];y5=data1[label_db==3];y6=data1[label_db==4]
3 plt.scatter(y1[0],y1[1], s=50, c='yellow', label ='Outliers')
4 plt.scatter(y2[0],y2[1], s=50, c='red', label ='Cluster 0')
5 plt.scatter(y3[0],y3[1], s=50, c='cyan', label ='Cluster 1')
6 # plt.scatter(y4[0],y4[1], s=50, c='magenta', label ='Cluster 2')
7 # plt.scatter(y5[0],y5[1], s=50, c='pink', label ='Cluster 3')
8 # plt.scatter(y6[0],y6[1], s=50, c='blue', label ='Cluster 4')
9 plt.legend()
10 plt.show()
```



```
1 #Visualisation of the data using tsne
```

<sup>2</sup> from sklearn.manifold import TSNE

```
4 tsne = TSNE(n_components=2, verbose=1, perplexity=30, n_iter=300, random_state=
5 tsne_results = tsne.fit_transform(data1)
6
7 x = tsne_results[:,0]
8 y = tsne_results[:,1]
9 target=label_db
10
11 plt.figure(1)
12 plt.title('Clustering Using KMeans')
13 sn.scatterplot( x, y, hue= label, palette=sn.color_palette("hls",2 ), data=data
14 print('No in legends corrosponds to the cluster nos.')
15 plt.figure(2)
16 plt.title('Clustering Using DBSCAN')
17 sn.scatterplot( x, y, hue= label_db, palette=sn.color_palette("hls",4 ), data=d
18 print('-1 corrosponds to the outliers and rest are clusters')
```

```
ee769 Assignment3 203070025.ipynb - Colaboratory
/usr/local/lib/python3.7/dist-packages/sklearn/manifold/ t sne.py:783: Future
  FutureWarning,
/usr/local/lib/python3.7/dist-packages/sklearn/manifold/ t sne.py:793: Future
  FutureWarning,
[t-SNE] Computing 91 nearest neighbors...
[t-SNE] Indexed 351 samples in 0.001s...
[t-SNE] Computed neighbors for 351 samples in 0.009s...
[t-SNE] Computed conditional probabilities for sample 351 / 351
[t-SNE] Mean sigma: 0.628714
[t-SNE] KL divergence after 250 iterations with early exaggeration: 57.370386
[t-SNE] KL divergence after 300 iterations: 0.471396
No in legends corrosponds to the cluster nos.
/usr/local/lib/python3.7/dist-packages/seaborn/ decorators.py:43: FutureWarni
  FutureWarning
/usr/local/lib/python3.7/dist-packages/seaborn/ decorators.py:43: FutureWarni
  FutureWarning
ValueError
                                          Traceback (most recent call last)
<ipython-input-260-fe21387cd2cf> in <module>
     15 plt.figure(2)
     16 plt.title('Clustering Using DBSCAN')
---> 17 sn.scatterplot(x, y, hue= label db,
palette=sn.color palette("hls",4 ), data=data1)
     18 print('-1 corrosponds to the outliers and rest are clusters')
                               🛕 4 frames 🗕
/usr/local/lib/python3.7/dist-packages/seaborn/ core.py in
categorical_mapping(self, data, palette, order)
    202
                        if len(palette) != n colors:
    203
                            err = "The palette list has the wrong number of
colors."
--> 204
                            raise ValueError(err)
ValuaFrror: The nalette list has the wrong number of colors
```

## → PCA

1 from sklearn.decomposition import PCA

2 from sklearn.preprocessing import StandardScaler

Clustering Using KMeans

1 df\_pca = pd.read\_csv('/content/sample\_data/DataPCA.csv') 2 df pca.head()

	<b>x1</b>	x2	х3	<b>x4</b>	<b>x5</b>	х6	х7	1
0	0.840261	-1.088160	4.861744	4.273055	4.312457	-0.137834	0.076453	
1	1.320591	-1.174113	5.247360	3.295027	4.283410	-0.363759	-0.170605	
2	1.537909	-1.175882	5.556251	3.394183	3.971574	-0.888398	0.080617	
3	0.363552	-1.130608	4.329890	5.547488	4.539732	0.342330	0.251953	
4	1.567938	-1.114719	5.542104	2.493071	4.156157	-0.609694	-0.291367	
	l							

1 #unique and null values

2 for col in df pca.columns.values:

list vals = pd.unique(df pca[col]) #list of unique values

```
print('\033[1m' + col + '\033[0m' + ' has ' + str(len(list vals)) + ' unique
5
   if len(list_vals) < 10:</pre>
6
     list str = ''
7
     for n in range(0, len(list_vals)):
8
       list str = list str + str(list vals[n]) + ', '
9
     print('\033[1m' + ' ##### These are: '+ '\033[0m' +list str[0:len(list s
   x1 has 190 unique values, 0 null entries and datatype float64
   x2 has 190 unique values, 0 null entries and datatype float64
   x3 has 190 unique values, 0 null entries and datatype float64
   x4 has 190 unique values, 0 null entries and datatype float64
   x5 has 190 unique values, 0 null entries and datatype float64
   x6 has 190 unique values, 0 null entries and datatype float64
   x7 has 190 unique values, 0 null entries and datatype float64
```

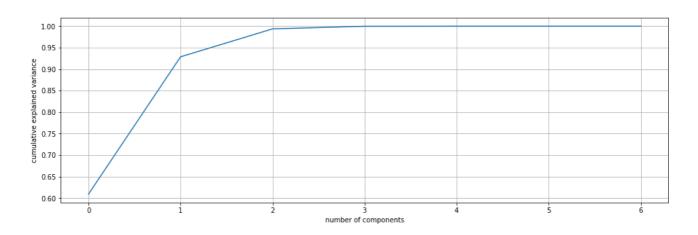
## 1 df\_pca.describe()

	<b>x1</b>	x2	х3	x4	<b>x5</b>	х6	
count	190.000000	190.000000	190.000000	190.000000	190.000000	190.000000	190.0000
mean	1.286644	-1.135656	5.254907	3.342504	4.233765	-0.412937	-0.1190
std	0.508765	0.233921	0.549171	0.995603	0.328327	0.482069	0.2396
min	-0.074116	-1.734167	3.967657	0.649854	3.306106	-1.936695	-0.7865
25%	0.928244	-1.298233	4.883782	2.645102	4.020569	-0.741547	-0.2781
50%	1.271034	-1.145689	5.249568	3.400840	4.242064	-0.377963	-0.1228
<b>75</b> %	1.637682	-0.997318	5.625487	3.996560	4.463035	-0.096413	0.0369
max	2.504835	-0.440730	6.857529	5.817673	5.056247	0.823165	0.5268
4							<b>•</b>

<sup>1 #</sup>Checking the data distribution of the variables
2 plt.figure()

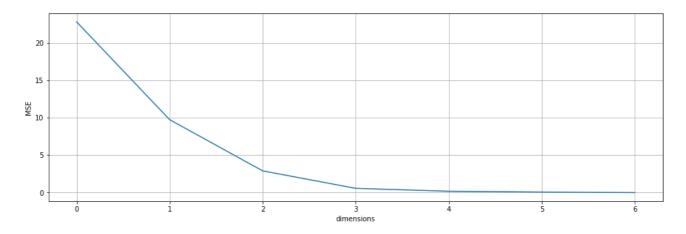
<sup>3</sup> df\_pca.diff().hist(color="b", alpha=0.5, bins=50)

```
array([[<matplotlib.axes. subplots.AxesSubplot object at 0x7f50b87e3c10>,
           <matplotlib.axes. subplots.AxesSubplot object at 0x7f50b87e39d0>,
           <matplotlib.axes. subplots.AxesSubplot object at 0x7f50b83ea610>],
          [<matplotlib.axes._subplots.AxesSubplot object at 0x7f50b85cb790>,
           <matplotlib.axes. subplots.AxesSubplot object at 0x7f50b88aac50>,
           <matplotlib.axes. subplots.AxesSubplot object at 0x7f50b83d4050>],
          [<matplotlib.axes. subplots.AxesSubplot object at 0x7f50b88d3990>,
           <matplotlib.axes. subplots.AxesSubplot object at 0x7f50b837b490>,
           <matplotlib.axes. subplots.AxesSubplot object at 0x7f50b837bbd0>]],
         dtype=object)
   <Figure size 1152x360 with 0 Axes>
1 #Apply Standard Scaling
2 col=df pca.columns
3 feature=col.tolist()
5 sc=StandardScaler() #as the PCA requirement making the mean as the origin i.e
6 X=sc.fit transform(df pca)
7 X=pd.DataFrame(X,columns=feature) #retaining the column names
    10
1 #Plotting of the cumulative variance vs the no. of components
2 pca=PCA().fit(X)
3 plt.plot(np.cumsum(pca.explained variance ratio )) #cumulative sum of the varia
4 plt.xlabel('number of components')
5 plt.ylabel('cumulative explained variance')
6 plt.grid()
7 #np.cumsum(PCA().fit(X).explained variance ratio ).dtype
```



```
1 #taking the no of components as 4 as observed from above that the maximum varia
2 from numpy import linalg as LA
3 pca = PCA(n_components=4)
4 Xd = pca.fit_transform(X)
5 Xd_reconstructed=pca.inverse_transform(Xd)
6 MSE_for_reduction_upto4_components=LA.norm((X-Xd_reconstructed),None)
7 MSE_for_reduction_upto4_components
```

```
1 #MSError visualisation for the various no of dimensions for PCA
2 from numpy import linalg as LA
3 loss=[]
4 for i in range(1,8):
5
      pca = PCA(n components=i)
6
      Xd = pca.fit transform(X)
7
      Xd reconstructed=pca.inverse transform(Xd)
8
      total loss=LA.norm((X-Xd reconstructed),None)
9
      loss.append(total loss)
10
11 # Plottting
12 plt.ylabel('MSE')
13 plt.xlabel('dimensions')
14 plt.plot(loss)
15 plt.grid()
```



### Part 3 Non-Linear Dimension Reduction

```
1 from sklearn.decomposition import KernelPCA
2 #from sklearn.model selection import GridSearchCV
3 #from sklearn.pipeline import Pipeline
1 df kpca = pd.read csv('/content/sample data/DataKPCA.csv')
1 #Visualisation of the data
2 # Check for unique and null values
3 Xk=df kpca #data copied in Xk
4 for col in Xk.columns.values:
   list_vals = pd.unique(Xk[col]) #list of unique values
5
   print('\033[1m' + col + '\033[0m' + ' has ' + str(len(list_vals)) + ' unique
7
   if len(list vals) < 10:
     list str = ''
8
     for n in range(0, len(list vals)):
```

```
list_str = list_str + str(list_vals[n]) + ', '
print('\033[1m' + ' ##### These are: '+ '\033[0m' +list_str[0:len(list_s

x1 has 190 unique values, 0 null entries and datatype float64
x2 has 190 unique values, 0 null entries and datatype float64
x3 has 190 unique values, 0 null entries and datatype float64
x4 has 190 unique values, 0 null entries and datatype float64
x5 has 190 unique values, 0 null entries and datatype float64
x6 has 190 unique values, 0 null entries and datatype float64
```

x7 has 190 unique values, 0 null entries and datatype float64

## 1 Xk.describe()

		<b>x1</b>	x2	х3	x4	<b>x5</b>	<b>x6</b>	
(	count	190.000000	190.000000	190.000000	190.000000	190.000000	190.000000	190.0000
ı	mean	3.121555	14.985682	-47.909555	-8.811677	-2.175834	1.893953	1.9583
	std	0.589013	1.298751	2.459375	2.337179	0.505819	0.159647	0.1087
	min	1.964315	11.577329	-52.837231	-14.068488	-3.613443	1.750006	1.7613
	25%	2.679532	14.087484	-49.736194	-10.392405	-2.512570	1.773690	1.8802
	50%	3.039420	14.943396	-48.185549	-9.045948	-2.156469	1.852369	1.9423
	<b>75</b> %	3.489341	15.764749	-46.405402	-7.235609	-1.828925	1.954614	2.0188
	max	4.820967	18.747792	-40.772554	-1.907331	-0.972995	2.580983	2.3328
4								<b>•</b>

<sup>1 #</sup>Checking the data distribution of the variables

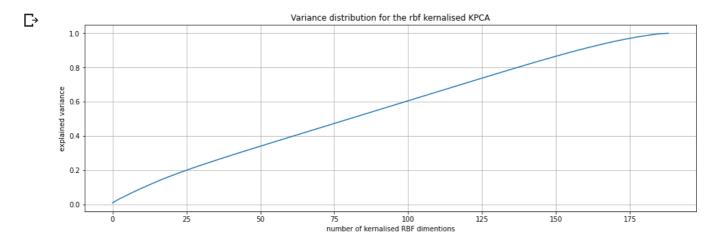
<sup>2</sup> plt.figure()

<sup>3</sup> Xk.diff().hist(color="b", alpha=0.5, bins=50)

## Explained variance plotting in kpca

since we dont have any modeule as explained\_variance ratio in sklearn.decomposition.KernelPCA so we will first transform using the kernel using the default n\_components value as none, then we will apply the PCA to the kernelised input data.

```
1 kpca = KernelPCA(kernel="rbf", fit_inverse_transform=True, gamma=10)
2 Xkpca_rbf = kpca.fit_transform(Xk)
3 pca=PCA().fit(Xkpca_rbf)
4 plt.plot(np.cumsum(pca.explained_variance_ratio_)) #cumulative sum of the varia
5 plt.title('Variance distribution for the rbf kernalised KPCA')
6 plt.xlabel('number of kernalised RBF dimentions')
7 plt.ylabel('explained variance')
8 plt.grid()
```



```
1 kpca = KernelPCA(kernel="poly", fit_inverse_transform=True, gamma=10)
2 Xkpca_poly = kpca.fit_transform(Xk)
```

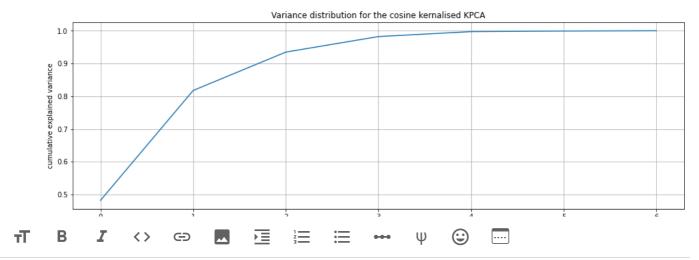
<sup>3</sup> nca=PCA() fit(Xknca nolv)

```
J pea-rent/. ret(Anpea_pory/
```

4 plt.plot(np.cumsum(pca.explained\_variance\_ratio\_)) #cumulative sum of the varia
5 plt.title('Variance distribution for the polnomial kernalised KPCA')
6 plt.xlabel('number of kernalised polynomial dimentions')
7 plt.ylabel('cumulative explained variance')

8 plt.grid()

```
1 #fitting the KPCA dim reduction with optimal dimentions in the data
2 kpca = KernelPCA(kernel="poly", fit inverse transform=True, gamma=10)
3 Xkpca poly = kpca.fit transform(Xk)
4 pca=PCA(n components=40).fit(Xkpca poly)
5 Xkpca trans=pca.fit transform(Xkpca poly)
6 Xkpca trans.shape
7 #X2=pca.inverse_transform(Xkpca_trans)
    (190, 40)
1 #KPCA with cosine kernel
2 kpca = KernelPCA(kernel="cosine", fit_inverse_transform=True, gamma=10)
3 Xkpca_cos = kpca.fit_transform(Xk)
4 pca=PCA().fit(Xkpca_cos)
5 plt.plot(np.cumsum(pca.explained variance ratio )) #cumulative sum of the varia
6 plt.title('Variance distribution for the cosine kernalised KPCA')
7 plt.xlabel('number of kernalised cosine dimentions')
8 plt.ylabel('cumulative explained variance')
9 plt.grid()
10
```



Observations reg the applied Kernel

As we have applied the rbf cosine polynomial which the better results were given by the kernel \ because as observed from the value of rbf there was no significant lower direction given by the polynomial kernel \ because as available which were covering the higher

Observations reg the applied Kernel

As we have applied the rbf cosine polynomial kernels out of which the better results were given by the polynomial kernel \ because as observed from the varince dist diagram of rbf there was no significant lower dimentions were available which were covering the higher variance ratio.

Os completed at 18:08

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