

# Python for Machine Learning

## A Comprehensive Introduction

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March 12, 2025

# NumPy Basics and Applications

- NumPy is the foundational library for numerical and scientific computing in Python.
- Unlike regular Python lists, NumPy arrays are more efficient for numerical operations because they are implemented in C, offering significant performance improvements.
- NumPy provides a powerful data structure called an **ndarray** (N-dimensional array) to handle large datasets.
- NumPy is used extensively for manipulating images, signal processing, scientific computing, and machine learning.
- **Difference between Lists and NumPy Arrays:**
  - Python Lists:
    - Can hold elements of mixed data types (e.g., integers, floats, strings).
    - Slower for numerical operations as they are not optimized for this purpose.
  - NumPy Arrays:
    - Homogeneous data types (all elements must be of the same type).
    - Optimized for numerical operations with vectorized operations.
    - Allow for broadcasting, element-wise operations, and are memory efficient.

# Creating and Accessing NumPy Arrays

- NumPy arrays can be created from Python lists or using NumPy functions.
- Arrays can have any number of dimensions.
- NumPy supports slicing and indexing for element access.

```
1 import numpy as np
2
3 # Creating NumPy arrays from Python lists
4 arr1 = np.array([1, 2, 3, 4]) # 1D array
5 arr2 = np.array([[1, 2], [3, 4]]) # 2D array
6
7 # Accessing elements using index
8 print(arr1[0]) # Output: 1 (First element of 1D array)
9 print(arr2[1, 1]) # Output: 4 (Element at second row,
10 # second column of 2D array)
11
12 # Slicing arrays
13 print(arr1[1:3]) # Output: [2 3]
14 print(arr2[:, 1]) # Output: [2 4] (All rows, second column)
```

- **\*\*Indexing\*\***: Use square brackets for indexing and slicing, similar to Python lists

# Array Operations and Broadcasting

- NumPy allows vectorized operations for efficient array manipulation.
- Broadcasting makes it easy to perform operations on arrays of different shapes.

```
1 # Element-wise operations
2 arr1 = np.array([1, 2, 3, 4])
3 arr2 = np.array([10, 20, 30, 40])
4
5 # Adding two arrays
6 arr3 = arr1 + arr2 # Output: [11 22 33 44]
7 print(arr3)
8
9 # Scalar operations (multiplying by a scalar)
10 arr4 = arr1 * 2 # Output: [2 4 6 8]
11 print(arr4)
12
13 # Broadcasting with arrays of different shapes
14 arr5 = np.array([1, 2, 3]) # Shape (3,)
15 arr6 = np.array([[1], [2], [3]]) # Shape (3, 1)
16
17 arr7 = arr5 + arr6 # Broadcasting to shape (3, 3)
18 print(arr7)
```

# Array Aggregations and Statistical Operations

- NumPy provides efficient functions to perform aggregations such as sum, mean, min, and max.
- Statistical operations can be computed along specific axes or on the entire array.

```
1 # Aggregation functions
2 arr = np.array([1, 2, 3, 4, 5])
3
4 # Sum of all elements
5 sum_arr = np.sum(arr) # Output: 15
6 print(sum_arr)
7
8 # Mean of all elements
9 mean_arr = np.mean(arr) # Output: 3.0
10 print(mean_arr)
11
12 # Min and Max of the array
13 min_arr = np.min(arr) # Output: 1
14 max_arr = np.max(arr) # Output: 5
15 print(min_arr, max_arr)
16
```

# Reshaping and Transposing Arrays

- Reshaping arrays allows changing the dimensions while maintaining the same number of elements.
- Transposing swaps the axes of a 2D array.

```
1 # Reshaping an array
2 arr = np.array([1, 2, 3, 4, 5, 6])
3
4 # Reshaping into a 2x3 array
5 reshaped_arr = arr.reshape(2, 3)
6 print(reshaped_arr)
7 # Output: [[1 2 3]
8 #          [4 5 6]]
9
10 # Transposing an array (for 2D arrays)
11 transposed_arr = reshaped_arr.T
12 print(transposed_arr)
13 # Output: [[1 4]
14 #          [2 5]
15 #          [3 6]]
```

- **\*\*Reshaping\*\***: The 'reshape()' function is used to change the dimensions of an array

# NumPy Random Functions

- NumPy includes a 'random' module to generate random numbers and sample from distributions.
- This is useful in simulations, data sampling, and testing.

```
1 # Generating random numbers
2 rand_arr = np.random.rand(2, 3) # Random numbers between 0
   and 1
3 print(rand_arr)
4
5 # Generating random integers
6 rand_int_arr = np.random.randint(0, 10, size=(2, 3)) #
   Integers between 0 and 10
7 print(rand_int_arr)
8
9 # Random numbers from a normal distribution
10 normal_arr = np.random.randn(3, 3) # Normal distribution
   with mean 0 and std 1
11 print(normal_arr)
```

- **\*\*Random Numbers\*\***: Functions like 'np.random.rand()', 'np.random.randint()', and 'np.random.randn()' help generate random values for simulations or data generation.

# Concatenation and Stacking of Arrays

- NumPy allows joining arrays using concatenation or stacking.
- This is useful for combining datasets or splitting arrays into smaller pieces.

```
1 # Concatenating arrays
2 arr1 = np.array([1, 2, 3])
3 arr2 = np.array([4, 5, 6])
4
5 # Concatenation along a single axis (1D arrays)
6 concatenated_arr = np.concatenate((arr1, arr2))
7 print(concatenated_arr) # Output: [1 2 3 4 5 6]
8
9 # Stacking arrays vertically (axis=0)
10 stacked_arr = np.vstack((arr1, arr2))
11 print(stacked_arr)
12 # Output: [[1 2 3]
13 #          [4 5 6]]
14
15 # Stacking arrays horizontally (axis=1)
16 stacked_arr_h = np.hstack((arr1, arr2))
17 print(stacked_arr_h) # Output: [1 2 3 4 5 6]
```



# NumPy in Image Processing

- NumPy is widely used for processing images in computer vision tasks.
- Images are represented as multi-dimensional arrays (2D for grayscale, 3D for RGB).
- NumPy arrays enable fast manipulation of pixel data, such as resizing, transforming, and applying filters.

```
1 import numpy as np
2 import matplotlib.pyplot as plt
3 from skimage import io
4
5 # Load an image into a NumPy array
6 image = io.imread('image.jpg')
7
8 # Access pixel data and manipulate
9 grayscale_image = np.mean(image, axis=2) # Convert to
    grayscale by averaging RGB channels
10
11 # Show the original and grayscale images
12 plt.subplot(1, 2, 1)
13 plt.imshow(image)
14 plt.title('Original Image')
```

## NumPy for Other Data Types

- NumPy is also used for handling other types of data like time series, sensor data, and signal processing.
- Its powerful indexing and slicing features make it ideal for handling structured data in an efficient manner.
- NumPy can be used in machine learning for tasks like feature extraction, data transformation, and handling large datasets.

```
1 # Example: Time series data processing
2 time = np.linspace(0, 10, 100) # Generate time values from
   0 to 10
3 signal = np.sin(time) # Generate sine wave
4
5 # Plotting the signal
6 plt.plot(time, signal)
7 plt.title('Sine Wave Signal')
8 plt.xlabel('Time')
9 plt.ylabel('Amplitude')
10 plt.show()
```

- Time Series Data: NumPy is perfect for handling continuous data like time series and signals (e.g., sine waves).

# Linear Regression: Introduction

- **\*\*Linear Regression\*\*** is used to model the relationship between a dependent variable ( $y$ ) and one or more independent variables ( $x$ ).
- In simple linear regression, the relationship is modeled as:

$$y = \beta_0 + \beta_1 x + \epsilon$$

where:

- $y$  is the dependent variable (output),
- $x$  is the independent variable (input),
- $\beta_0$  is the intercept,
- $\beta_1$  is the slope (coefficient),
- $\epsilon$  is the error term (residuals).

# The Least Squares Method

- The objective is to find the best-fit line that minimizes the error term (residuals).
- We use the **\*\*Least Squares Method\*\*** to minimize the sum of squared residuals:

$$\beta_1 = \frac{n \sum_{i=1}^n x_i y_i - \sum_{i=1}^n x_i \sum_{i=1}^n y_i}{n \sum_{i=1}^n x_i^2 - (\sum_{i=1}^n x_i)^2}$$

- The intercept  $\beta_0$  is calculated as:

$$\beta_0 = \frac{\sum_{i=1}^n y_i - \beta_1 \sum_{i=1}^n x_i}{n}$$

# Conclusion

- Linear regression is a simple yet powerful technique for modeling relationships between variables.
- Using the basic equations for the slope and intercept, we can easily compute the best-fit line.
- NumPy allows us to perform the necessary calculations efficiently, and we can visualize the results using Matplotlib.
- This approach can be extended to multiple linear regression by adding more features (independent variables).