

Office	Use Only	

Semester One 2018 Examination Period

	<u> </u>	on i crioa		
]	Faculty of Busines	ss and Econo	omics	
EXAM CODES:	ETC1010			
TITLE OF PAPER:	DATA MODELLING	AND COMPU	TING - Paper	1
EXAM DURATION:	2 hours writing time			
READING TIME:	10 minutes			
THIS PAPER IS FOR	STUDENTS STUDY	YING AT: (tick	$where \ applicable$	e)
☐ Berwick ☐ Clayton☐ Caulfield ☐ Gipps☐ Parkville ☐ Other	land Peninsula	☐ Off Campus ☐ Enhancement		pen Learning th Africa
During an exam, you mucalculator, pencil case, mocauthorised for the exam desk, chair or person will unauthorised materials, or Part 7 of the Monash United No exam paper of room.	obile phone, smart watch, or specifically permitted be deemed to be in your attempting to cheat or versity (Council) Regulat	device or other many and as noted below. The possession of the cheating in an expirite state of the cheating in the cheatin	aterial/item which Any material or are reminded tha am is a discipline	h has not been item on your t possession of offence under
AUTHORISED MATE	ERIALS			
OPEN BOOK		\square YES	\square NO	
CALCULATORS only a HP 10bII+ calculate	tor is permitted	$ oxed{oxed}$ YES	□ NO	
SPECIFICALLY PERD if yes, items permitted		\square YES	⊠NO	
STUDENTS SHOULD TO WRITE THEIR A	NSWERS ON THIS I	PAPER.		REQUIRED
	Candidates must co	mplete this sect	con.	
STUDENT ID:		DESK 1	NUMBER:	

Instructions

There are four questions worth a total of 100 marks. You should attempt them all.

QUESTION 1

This question is about tidy data, principles and practice.

		/ 1	
(a)	Fill in the blanks.		
. ,			[6 marks]
	A	is a quantity, quality, or property that you can mea	asure. For
	tabular (tidy) data, thes	se would be all the column headers.	
	An	is a set of measurements made under similar condi-	tions (you
		neasurements in an observation at the same time and on the same	
	The	of a variable typically changes from observation to ol	bservation
	· · · · · · · · · · · · · · · · · · ·	me, observation, object, variable, variance, variability, varia sure, type, model, regression.	$tion, \ case,$
	variable, observation, va	lue	
(h)	From the following sum	mary	
(D)	Trom the following sum	nary,	
	<pre>> glimpse(grad)</pre>		
	Observations: 412		
	Variables: 16		
	\$ subject	<pre><chr> "economics", "econom</chr></pre>	
	\$ Inst	<pre><chr> "ARIZONA STATE UNIVERSITY", "AUBURN UNIVERSITY" </chr></pre>	
	\$ AvNumPubs \$ AvNumCits	<pre><dbl> 0.90, 0.79, 0.51, 0.49, 0.30, 0.84, 0.99, 0.43 <dbl> 1.57, 0.64, 1.03, 2.66, 3.03, 2.31, 2.31, 1.67</dbl></dbl></pre>	
	\$ PctFacGrants	<pre><dbl> 31.3, 77.6, 43.5, 36.9, 36.8, 27.1, 56.4, 35.2</dbl></pre>	
	\$ PctCompletion	<pre><dbl> 31.7, 44.4, 46.8, 34.2, 48.7, 54.6, 83.3, 45.6</dbl></pre>	
	•	<pre><dbl> 5.60, 3.84, 5.00, 5.50, 5.29, 6.00, 4.00, 5.09</dbl></pre>	
	\$ PctMinorityFac	<pre><dbl> 13.3, 8.3, 0.0, 0.0, 0.0, 10.5, 11.1, 0.0, 9.4</dbl></pre>	
	\$ PctFemaleFac	<pre><dbl> 17.6, 15.4, 16.7, 66.7, 45.0, 13.3, 5.6, 10.0</dbl></pre>	
	\$ PctFemaleStud	<dbl> 36.4, 23.8, 40.6, 37.2, 29.2, 30.9, 34.4, 31.4</dbl>	
	\$ PctIntlStud	<pre><dbl> 72.7, 61.9, 76.2, 87.2, 87.5, 82.7, 40.6, 68.6</dbl></pre>	
	\$ AvNumPhDs	<pre><dbl> 2.8, 3.8, 8.0, 11.6, 5.0, 8.8, 3.2, 4.4, 8.8,</dbl></pre>	7
	\$ AvGREs	<pre><int> 779, 709, 796, 788, 750, 781, 800, 791, 764, 6</int></pre>	387
	\$ TotFac	<pre><int> 18, 14, 25, 34, 21, 31, 18, 30, 40, 18, 10, 50</int></pre>	ο,
	<pre>\$ PctAsstProf</pre>	<pre><int> NA, 7, 20, 26, 33, 32, 0, 10, 10, 6, 50, 12, 3</int></pre>	17,
	\$ NumStud	<int> 33, 21, 64, 148, 24, 81, 32, 35, 96, 76, 35, 31</int>	111
	(i) Which variables we	ould be considered to be quantitative? Circle them.	
	,		[2 marks]
	Everything except	for subject, Inst,	
	(ii) How many observa-	tions?	
			[2 marks]
	412		
	(iii) How many variable	es?	
			[2 marks]
	16		

(c) The following data is showing tuberculosis incidence for Australia, in messy format. Observations: 16 Variables: 22 <chr> "AUS", "AUS", "AUS", "AUS", "AUS", "AUS", "AUS", "AUS"... \$ iso3 <int> 2001, 2002, 2003, 2004, 2005, 2006, 2007, 2008, 2009, ... \$ year \$ m04 <int> NA, NA, NA, NA, NA, 1, 0, NA, 0, 0, 0, 2, NA, NA, NA, NA \$ m514 <int> NA, NA, NA, NA, NA, NA, 1, 3, NA, 3, 2, 2, 1, NA, NA, NA, NA \$ m014 <int> 1, 1, 0, 0, 0, 1, 3, 2, 3, 2, 2, 3, NA, NA, NA, NA \$ m1524 <int> 23, 15, 14, 18, 32, 33, 30, 46, 30, 42, 38, 26, NA, NA... \$ m2534 <int> 20, 20, 10, 16, 27, 35, 33, 33, 37, 33, 44, 40, NA, NA... \$ m3544 <int> 18, 26, 2, 17, 23, 23, 20, 20, 16, 22, 26, 17, NA, NA,... \$ m4554 <int> 18, 19, 11, 15, 11, 21, 15, 27, 24, 25, 19, 25, NA, NA... \$ m5564 <int> 13, 13, 5, 11, 12, 16, 14, 23, 12, 9, 12, 16, NA, NA, ... \$ m65 <int> 35, 34, 30, 32, 30, 43, 37, 42, 34, 27, 37, 37, NA, NA... <int> NA, NA, NA, NA, NA, NA, NA, NA, O, O, O, O, NA, NA, NA... \$ mu \$ f04 <int> NA, NA, NA, NA, NA, NA, 1, 0, NA, 1, 1, 2, 0, NA, NA, NA, NA \$ f514 <int> NA, NA, NA, NA, NA, 1, 4, NA, 3, 3, 1, 1, NA, NA, NA, NA \$ f014 <int> 1, 0, 0, 0, 2, 2, 4, 3, 4, 4, 3, 1, NA, NA, NA, NA \$ f1524 <int> 21, 15, 9, 6, 18, 18, 26, 27, 31, 36, 26, 27, NA, NA, ... \$ f2534 <int> 27, 21, 13, 17, 26, 27, 37, 32, 27, 43, 40, 48, NA, NA... \$ f3544 <int> 16, 15, 3, 5, 11, 14, 20, 14, 14, 12, 23, 15, NA, NA, ... \$ f4554 <int> 7, 6, 5, 7, 10, 7, 12, 6, 12, 2, 7, 11, NA, NA, NA, NA \$ f5564 <int> 8, 4, 4, 3, 6, 9, 7, 11, 11, 5, 7, 9, NA, NA, NA, NA <int> 20, 23, 7, 19, 14, 21, 23, 10, 12, 12, 17, 15, NA, NA,... \$ f65 \$ fu <int> NA, NA, NA, NA, NA, NA, NA, NA, O, O, O, O, NA, NA, NA... (i) How many observations? [2 marks] 16 (ii) How many variables? [2 marks] 4 (iii) Which variables would be considered to be categorical? [2 marks] iso3, gender, age

(iv) What value indicates missing information? [2 marks] NA

(v) Map out the steps that you would need to take to get it into tidy format.

[4 marks]

- Gather into long form
- Split strings into gender and age

(d) TRUE or FALSE: The variables used to connect multiple tables are called keys. A key is a variable (or set of variables) that uniquely identifies a measured value.

[2 marks]

TRUE

(e) Identify the possible key(s) in the following data:

[2 marks]

- > library(babynames)
- > babynames
- # A tibble: 1,858,689 x 5

	year	sex	name	n	prop
	<dbl></dbl>	<chr></chr>	<chr></chr>	<int></int>	<dbl></dbl>
1	1880.	F	Mary	7065	0.0724
2	1880.	F	Anna	2604	0.0267
3	1880.	F	Emma	2003	0.0205
4	1880.	F	Elizabeth	1939	0.0199
5	1880.	F	Minnie	1746	0.0179
6	1880.	F	Margaret	1578	0.0162
7	1880.	F	Ida	1472	0.0151
8	1880.	F	Alice	1414	0.0145
9	1880.	F	Bertha	1320	0.0135
10	1880.	F	Sarah	1288	0.0132
# .	wit	th 1,8	58,679 more	rows	

year, sex, name

[Total: 28 marks]

— END OF QUESTION 1 —

QUESTION 2

This question is about wrangling data, verbs, definitions and usage.

(a) Match the verb to its usage by drawing lines to connect the verb and usage:

[6 marks]

verb	usage
filter	create new, or change, a variable
select	order a table by values in one column
mutate	operate on subsets specified by a categorical variable
summarise	subset variables
arrange	subset cases
group_by	compute a single number from a collection
verb	usage
filter	subset cases
select	subset variables
mutate	create new, or change, a variable
summarise	compute a single number from a collection
arrange	order a table by values in one column
group_by	operate on subsets specified by a categorical variable

(b) For each of these questions, write down the verbs that you would need to use to do the calculations to answer the question about the nycflights 13 data.

[10 marks]

```
> glimpse(flights)
Observations: 336,776
```

Variables: 15

```
$ year
               <int> 2013, 2013, 2013, 2013, 2013, 2013, 2013, 2013, 2013...
$ month
               $ day
$ dep_time
               <int> 517, 533, 542, 544, 554, 554, 555, 557, 557, 558, 55...
$ dep_delay
               <dbl> 2, 4, 2, -1, -6, -4, -5, -3, -3, -2, -2, -2, -2, -2, ...
               <int> 830, 850, 923, 1004, 812, 740, 913, 709, 838, 753, 8...
$ arr_time
               <dbl> 11, 20, 33, -18, -25, 12, 19, -14, -8, 8, -2, -3, 7,...
$ arr_delay
               <chr> "UA", "UA", "AA", "B6", "DL", "UA", "B6", "EV", "B6"...
$ carrier
$ flight
               <int> 1545, 1714, 1141, 725, 461, 1696, 507, 5708, 79, 301...
               <chr> "N14228", "N24211", "N619AA", "N804JB", "N668DN", "N...
$ tailnum
               <chr> "EWR", "LGA", "JFK", "JFK", "LGA", "EWR", "EWR", "LG...
$ origin
               <chr> "IAH", "IAH", "MIA", "BQN", "ATL", "ORD", "FLL", "IA...
$ dest
               <dbl> 227, 227, 160, 183, 116, 150, 158, 53, 140, 138, 149...
$ air_time
$ distance
               <dbl> 1400, 1416, 1089, 1576, 762, 719, 1065, 229, 944, 73...
$ hour
               <dbl> 5, 5, 5, 5, 6, 5, 6, 6, 6, 6, 6, 6, 6, 6, 6, 5, 6, 6...
```

(i) Find all flights that were operated by United, American, or Delta.

filter

(ii) What hour of day should you fly if you want to avoid delays as much as possible?

(iii) Find all destinations that are flown to by at least two carriers.

filter

(iv) Find the busiest airports.

count

(v) Find the plane (identified by their tail number) that has the highest average delays.

group_by, summarise (arrange)

Full verb list: filter, select, mutate, summarise, arrange, group_by, near, desc, starts_with, ends_with, contains, matches, rename, top_n, first, min_rank, lag, cumsum, count, tally

[Total: 16 marks]

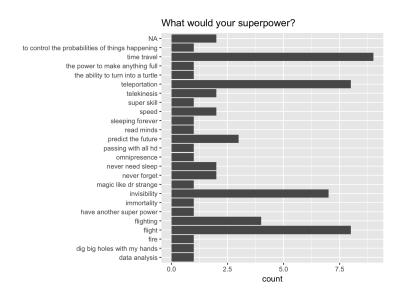
— END OF QUESTION 2 —

QUESTION 3

This question is about making good plots of data.

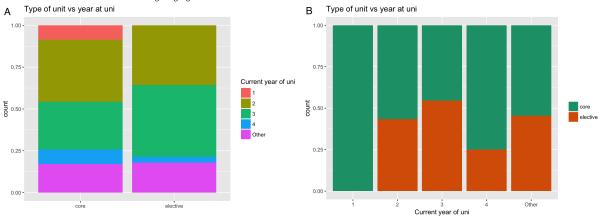
(a) How would you improve the following plot?

[2 marks]



sort the categories

(b) Each of the following two plots was produced to answer the question how does taking ETC1010 as core or elective vary by year in school?



(i) Which variable is the explanatory variable?

[2 marks]

current year of uni

(ii) Which display makes it easier to answer the question? Explain your answer.

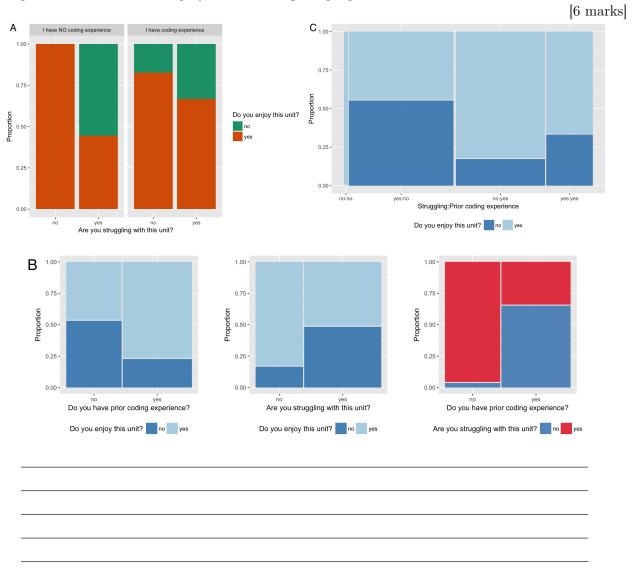
[4 marks]

Display 2. The focus is then on proportion of core/elective by year in uni.

(iii) Give one suggestion to improve the plot.

use a mosaic plot

(c) Below are three plots (A, B, C) made to examine how enjoyment of the unit, and whether you are struggling, depends on having prior coding experience or not. Write a paragraph describing the pros and cons of each display, in addressing the purpose.



Plot A shows three variables in the one display. The only possible comparison is the variable mapped to colour, difference in proportion in the categories of the other two variables.

Plot B shows all pairs of variables, displayed in separate mosaic plots. We can do all pairwise comparisons, and also see relative numbers in each category.

Plot C shows all three variables in one display, and with the mosaic style it can be seen that the "not struggling/no prior coding experience" has only one person.

(d) John Tukey said "The greatest value of a picture is when it forces us to notice what we never <u>5cm</u> to see.? What is the missing word?

2 marks

- \square wanted \square tried \square expected \square wanted expected
- (e) Which of the following are true about the grammar of graphics?

[3 marks]

 \Box the variables are directly mapped to an element in the plot

it is possible to see how one display is similar or different from another, rather than thinking of lots like animals in a zoo, specific beasts (pie chart, barchart, scatterplot, ?)
themes are one of the seven components
ne first two
[Total: 21 marks]
— END OF QUESTION 3 —

QUESTION 4

This question is about multiple regression modelling.

(a) For the model $y = \beta_0 + \beta_1 x_1 + \beta_2 x_2 + \varepsilon$, what is the correct model formula in R?

[3 marks]

$$\Box$$
 y ~ x1 + x2 \Box y ~ x1 * x2 \Box y ~ x1 + x2 - 1} \Box y ~ b1*x1 + b2*x2 y x1 * x2

(b) If you wanted to force the intercept to go through 0 what the formula be? (write it out here)

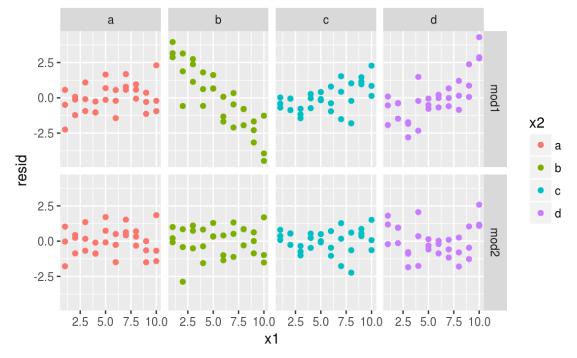
[2 marks]

(c) It's also useful to see what the model doesn't capture, the so-called $\underline{5cm}$ which are left after subtracting the predictions from the data.

[2 marks]

- \Box fitted values \Box residuals \Box predictions \Box coefficients residuals
- (d) The following plot shows the residuals from two different model fits (mod1, mod2). Which model (or both, or neither) best captures the original structure in the data? Explain your answer.

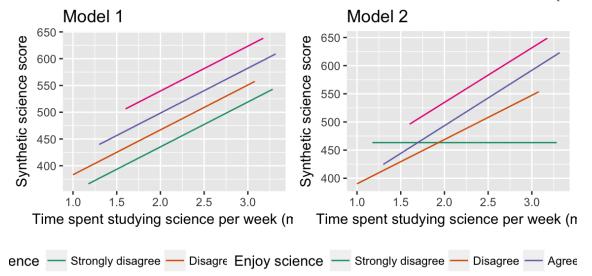
[3 marks]



mod2 because there is structure remaining in the residuals for mod1

(e) The following plot shows the fitted values from two different model fits.

[4 marks]



(i) Which model (or both, or neither) contains an interaction term? Explain your answer.

Model 2, because there is a different slope for each group.

- (f) TRUE or FALSE: Adding an interaction between two quantitative variables to the model enables a nonlinear relationship to be fitted.

[2 marks]

TRUE

(g) From the following model summary, for science score,

term <chr></chr>	estimate <dbl></dbl>	std.error <dbl></dbl>
(Intercept)	4.633345e+02	43.50881
log_science_time	-3.995844e-03	18.60566
science_fun_cDisagree	-1.518829e+02	55.46131
science_fun_cAgree	-1.667660e+02	48.13726
science_fun_cStrongly agree	-1.224884e+02	53.60320
log_science_time:science_fun_cDisagree	7.864348e+01	23.75214
log_science_time:science_fun_cAgree	9.840520e+01	20.56815
log_science_time:science_fun_cStrongly agree	9.693076e+01	22.78145

(i) Write out the fitted model equation(s).

[3 marks]

Strongly disagree: $science = 463 - 0.004log\ science\ time$

Disagree: $science = 312 + 78log\ science\ time$ Agree: $science = 297 + 98log\ science\ time$

Strongly agree: $science = 341 + 97log\ science\ time$

(ii) For a new observation where science time=1000, and science fun is Agree, predict the average science score. [3 marks] 591 (iii) Would be the predicted average score for a student who answered Strongly agree for science fun be higher? Why? [2 marks] Yes, the intercept is much higher, and the rate of change not enough to offset the big difference. (iv) What was the purpose of using the log transformed values for science time, do you think? [3 marks] It probably had a right-skewed distribution. (h) From the model summary, this is the equation describing the fitted model. TRUE or FALSE [2 marks] log(Price) = 5.873 + 0.080Rooms + 0.051Bathroom - 0.016DistanceFALSE! (i) When imputing missing values in preparation for fitting a multiple linear model, we will use a separate regression model for the variable with missing values. The variable containing missing values, will be regressed on other explanatory variables, using the complete cases. Explain why it is not a good idea to use the response variable to do the imputation. [3 marks] Using the response to impute explanatory variables isn't advised because it will affect your model, actually it is likely to artificially inflate the model fit statistics. (i) Of the two models (mod3 or mod4), based on the fit statistics below, which is the best? Explain your answer. [3 marks] > glance(mod3) r.squared adj.r.squared sigma statistic p.value df 1 0.3545374 0.354395 0.1802053 2489.321 AIC BIC deviance df.residual logLik 1 8019.584 -16023.17 -15957.48 883.032 27192 > glance(mod4) r.squared adj.r.squared sigma statistic p.value df 1 0.5315746 0.5314196 0.1535252 3428.14 0 10 BIC deviance df.residual logLik AIC 1 12378.79 -24735.57 -24645.25 640.8208 27188

mod4 because the \mathbb{R}^2 is much higher, and the deviance is much lower.

[Total: 35 marks]

— END OF QUESTION 4 —

Formula sheet

Summary statistics

$$\bar{y} = \frac{1}{n} \sum_{i=1}^{n} y_i, \quad s_y = \sqrt{\frac{\sum_{i=1}^{n} (y_i - \bar{y})^2}{n-1}}, \quad r_{xy} = \frac{\sum_{i=1}^{n} (x_i - \bar{x})(y_i - \bar{y})}{(n-1)s_x s_y}$$

Types of variables: categorical, quantitative, logical, date.

Descriptive words for univariate distributions:

- unimodal, bimodal, multimodal
- symmetric, right-skewed, left-skewed, uniform
- outliers

Descriptive words for bivariate distributions:

- shape: linear, non-linear, no relationship
- strength: weak, moderate, strong
- form: positive, negative

Tidy data

Verbs: gather, spread, nest/unnest, separate/unite

Wrangling data

Verbs: filter, arrange, select, mutate, summarise, group/ungroup

Grammar of graphics

There are seven components of the grammar that define a data plot: DATA, AESTHETICS/MAPPINGS, GEOM, STAT, POSITION, COORDINATE, FACET.

Colour palettes: sequential, diverging, qualitative

Models

Simple linear:

$$Y = \beta_0 + \beta_1 X + \varepsilon$$

- $\varepsilon \sim N(\mu, \sigma)$
- Fitted values: $\hat{Y} = b_0 + b_1 X$
- Residual: $e = Y \hat{Y}$
- Estimates: $b_1 = r \frac{s_y}{s_x}, b_0 = \bar{Y} b_1 \bar{X}$
- $R^2 = 1 \frac{\sum e^2}{\sum Y^2}$
- $MSE = \frac{\sum_{i=1}^{n} (y_i \hat{y}_i)^2}{(n-2)}$
- $RMSE = \sqrt{MSE}$
- $\bullet MAE = \frac{\sum_{i=1}^{n} |y_i \hat{y}_i|}{(n-2)}$