

# CSE 4/535 Information Retrieval

Sayantan Pal PhD Student, Department of CSE 338Z Davis Hall



#### Department of CSE

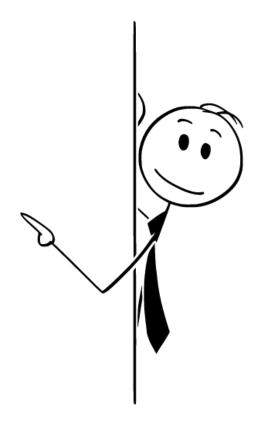
### Before we start

- Midterm 2 Poll, Please answer by Wednesday (Oct 18)
- Timeline will be updated based on Poll responses, check website on Friday (Oct 20th)
- Today's lecture Evaluation Methodology Result Summaries (intuitive, less math)
  - Midterm 2 Easy to score



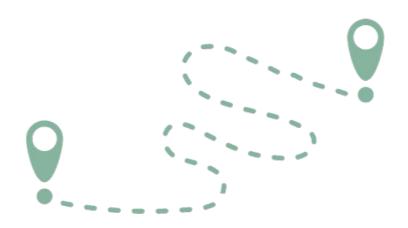
# Recap - Previous Class

- 1. Precision, Recall, F1
- 2. P@R, 11 point Precision



## Today's Lecture...

- Evaluating a search engine
  - MAP score
  - Kappa Measure
  - o DCG
  - A/B Testing



## Single Value Measures

- Average precision at seen relevant documents
  - Precision figures after each new relevant document is observed are 1, .066, 0.5, 0.4, 0.3
  - Mean Avg precision is (1+.66+.5+.4+.3)/5 or 0.57
- R-precision
  - Generate a single value summary of ranking by computing precision at the R-th position in the ranking, where R is the total number of relevant documents
  - E.g. R=10, 4 relevant documents in first ten returned docs, R-precision is 0.4 (precision at 10)
- Precision histograms
  - Used to compare retrieval history of two algorithms



## Mean Average Precision

- Consider rank position of each *relevant* doc
  - K<sub>1</sub>, K<sub>2</sub>, ... K<sub>R</sub>
- Compute Precision@K for each K<sub>1</sub>, K<sub>2</sub>, ... K<sub>R</sub>
- Average precision = average of P@K

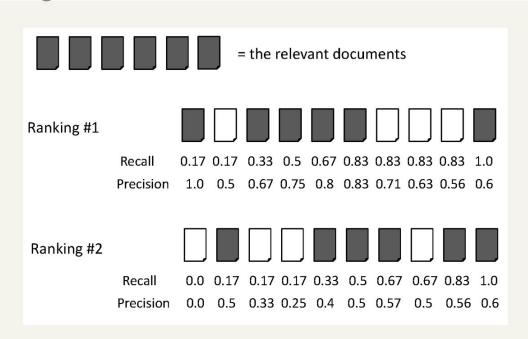
■ Ex: has AvgPrec of 
$$\frac{1}{3} \cdot \left(\frac{1}{1} + \frac{2}{3} + \frac{3}{5}\right) \approx 0.76$$

MAP is Average Precision across multiple queries/rankings





## Average Precision



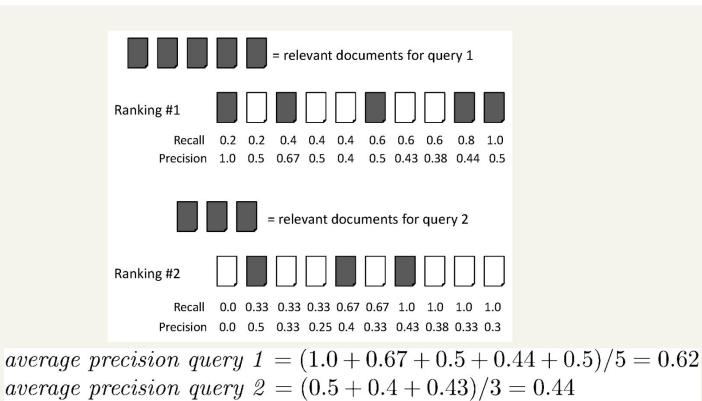
Ranking #1: (1.0 + 0.67 + 0.75 + 0.8 + 0.83 + 0.6)/6 = 0.78

Ranking #2: (0.5 + 0.4 + 0.5 + 0.57 + 0.56 + 0.6)/6 = 0.52





#### **MAP**



mean average precision = (0.62 + 0.44)/2 = 0.53



## Mean average precision

- If a relevant document never gets retrieved, we assume the precision corresponding to that relevant doc to be zero
- MAP is macro-averaging: each query counts equally
- Now perhaps most commonly used measure in research papers
- Good for web search?
- MAP assumes user is interested in finding many relevant documents for each query
- MAP requires many relevance judgments in text collection

### Variance

- For a test collection, it is usual that a system does crummily on some information needs (e.g., MAP = 0.1) and excellently on others (e.g., MAP = 0.7)
- Indeed, it is usually the case that the variance in performance of the same system across queries is much greater than the variance of different systems on the same query.
- That is, there are easy information needs and hard ones!





#### From document collections to test collections

- Still need
  - Test queries
  - Relevance assessments
- Test queries
  - Best designed by domain experts
  - Random query terms generally not a good idea
- Relevance assessments
  - Human judges, time-consuming
  - Are human panels perfect?

### Unit of Evaluation

- We can compute precision, recall, F, and ROC curve for different units.
- Possible units
  - Documents (most common)
  - Facts (used in some TREC evaluations)
  - Entities (e.g., car companies)
  - o May produce different results. Why?





## Kappa measure for inter-judge (dis)agreement

- Kappa measure
  - Agreement measure among judges
  - Designed for categorical judgments
  - Corrects for chance agreement
- Kappa = [P(A) P(E)] / [1 P(E)]
- P(A) proportion of time judges agree
- P(E) what agreement would be by chance
- Kappa = 0 for chance agreement, 1 for total agreement.





## Kappa Measure: Example

Number of docs	Judge 1	Judge 2
300	Relevant	Relevant
70	Nonrelevant	Nonrelevant
20	Relevant	Nonrelevant
10	Nonrelevant	relevant
		59





## Kappa Example

- P(A) = 370/400 = 0.925
- $\blacksquare$  P(nonrelevant) = (10+20+70+70)/800 = 0.2125
- Arr P(relevant) = (10+20+300+300)/800 = 0.7878
- $P(E) = 0.2125^2 + 0.7878^2 = 0.665$
- Kappa = (0.925 0.665)/(1-0.665) = 0.776
- Kappa > 0.8 = good agreement
- 0.67 < Kappa < 0.8 -> "tentative conclusions" (Carletta '96)
- Depends on purpose of study
- For >2 judges: average pairwise kappas

### Standard relevance benchmarks: Others

#### GOV2

- Another TREC/NIST collection
- 25 million web pages
- Largest collection that is easily available
- But still 3 orders of magnitude smaller than what Google/Yahoo/MSN index

#### NTCIR

- East Asian language and cross-language information retrieval
- Cross Language Evaluation Forum (CLEF)
  - This evaluation series has concentrated on European languages and cross-language information retrieval.
- Many others

# Interjudge Agreement: TREC 3

information	number of	disagreements	NR	R
need	docs judged			
51	211	6	4	2
62	400	157	149	8
67	400	68	37	31
95	400	110	108	2
127	400	106	12	94

## Impact of Inter-judge Agreement

- Impact on absolute performance measure can be significant (0.32 vs 0.39)
- Little impact on ranking of different systems or relative performance
- Suppose we want to know if algorithm A is better than algorithm B
- A standard information retrieval experiment will give us a reliable answer to this question.





## Critique of pure relevance

- Relevance vs Marginal Relevance
  - A document can be redundant even if it is highly relevant
  - Duplicates
  - The same information from different sources
  - Marginal relevance is a better measure of utility for the user.
- Using facts/entities as evaluation units more directly measures true relevance.
- But harder to create evaluation set



## Can we avoid human judgment?

- No actually, maybe we can use proxies
- Makes experimental work hard
  - Especially on a large scale
- In some very specific settings, can use proxies
  - E.g.: for approximate vector space retrieval, we can compare the cosine distance closeness of the closest docs to those found by an approximate retrieval algorithm
- But once we have test collections, we can reuse them (so long as we don't overtrain too badly)

## BEYOND BINARY RELEVANCE





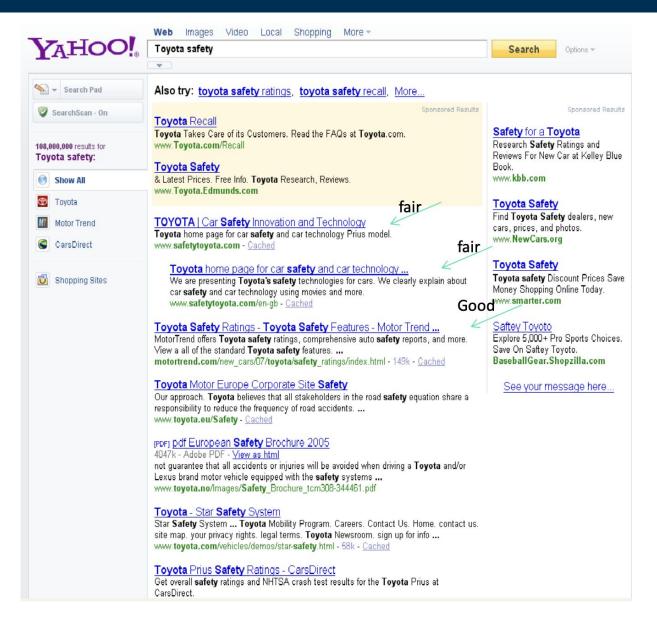
## Evaluation at large search engines

- Search engines have test collections of queries and handranked results
- Recall is difficult to measure on the web
- Search engines often use precision at top k, e.g., k = 10
- ... or measures that reward you more for getting rank 1 right than for getting rank 10 right.
  - NDCG (Normalized Discounted Cumulative Gain)
- Search engines also use non-relevance-based measures.
  - Click through on first result
    - Not very reliable if you look at a single click through ... but pretty reliable in the aggregate.
  - Studies of user behavior in the lab
  - A/B testing



#### Department of CSE







## DCG: Graded (Non-Binary) Relevance

- DCG: Two assumptions are made in using DCG
  - Highly relevant documents are more useful when appearing earlier in a search engine result list (have higher ranks)
  - Highly relevant documents are more useful than marginally relevant documents, which are in turn more useful than irrelevant documents.
  - highly relevant documents appearing lower in search result should be penalized as the graded relevance value is reduced logarithmically proportional to the position of the result. Discounted CG accumulated at rank position p, where rel<sub>i</sub> is the graded relevance (0,1,2,3,4) of the result at position i.

$$DCG_{p} = rel_{1} + \sum_{i=2}^{p} \frac{rel_{i}}{\log_{2} i}$$



## DCG Example

10 ranked documents judged on 0–3 relevance scale:

discounted gain:

$$3, 2/1, 3/1.59, 0, 0, 1/2.59, 2/2.81, 2/3, 3/3.17, 0$$
  
=  $3, 2, 1.89, 0, 0, 0.39, 0.71, 0.67, 0.95, 0$ 

DCG:

3, 5, 6.89, 6.89, 6.89, 7.28, 7.99, 8.66, 9.61, 9.61





#### NDCG

- Search result lists vary in length depending on the <u>query</u>. Comparing a search engine's performance from one query to the next cannot be consistently achieved using DCG alone, so the cumulative gain at each position for a chosen value of p should be normalized across queries.
- Sort documents of a result list by relevance, producing an <u>ideal</u>
   DCG (IDCG) at position p. For a query, the normalized discounted cumulative gain, or nDCG, is computed as:

$$nDCG_{p} = \frac{DCG_{p}}{IDCGp}$$





## NDCG - Example

#### 4 documents: d<sub>1</sub>, d<sub>2</sub>, d<sub>3</sub>, d<sub>4</sub>

i	Ground Truth		Ranking Function <sub>1</sub>		Ranking Function <sub>2</sub>	
	Document Order	r <sub>i</sub>	Document Order	r <sub>i</sub>	Document Order	r <sub>i</sub>
1	d4	2	d3	2	d3	2
2	d3	2	d4	2	d2	1
3	d2	1	d2	1	d4	2
4	d1	0	d1	0	d1	0
	NDCG <sub>GT</sub> =1.00		NDCG <sub>RF1</sub> =1.00		NDCG <sub>RF2</sub> =0.9203	

$$DCG_{GT} = 2 + \left(\frac{2}{\log_2 2} + \frac{1}{\log_2 3} + \frac{0}{\log_2 4}\right) = 4.6309$$

$$DCG_{RF1} = 2 + \left(\frac{2}{\log_2 2} + \frac{1}{\log_2 3} + \frac{0}{\log_2 4}\right) = 4.6309$$

$$DCG_{RF2} = 2 + \left(\frac{1}{\log_2 2} + \frac{2}{\log_2 3} + \frac{0}{\log_2 4}\right) = 4.2619$$

$$MaxDCG = DCG_{GT} = 4.6309$$





## Mean Reciprocal Rank

- Consider rank position, K, of first relevant doc
  - Could be only clicked doc

- Reciprocal Rank score = K
- MRR is the mean RR across multiple queries





## Human judgments are

- Expensive
- Inconsistent
  - Between raters
  - Over time
- Decay in value as documents/query mix evolves
- Not always representative of "real users"
  - Rating vis-à-vis query, don't know underlying need
  - May not understand meaning of terms, etc.
- So what alternatives do we have?





## A/B testing

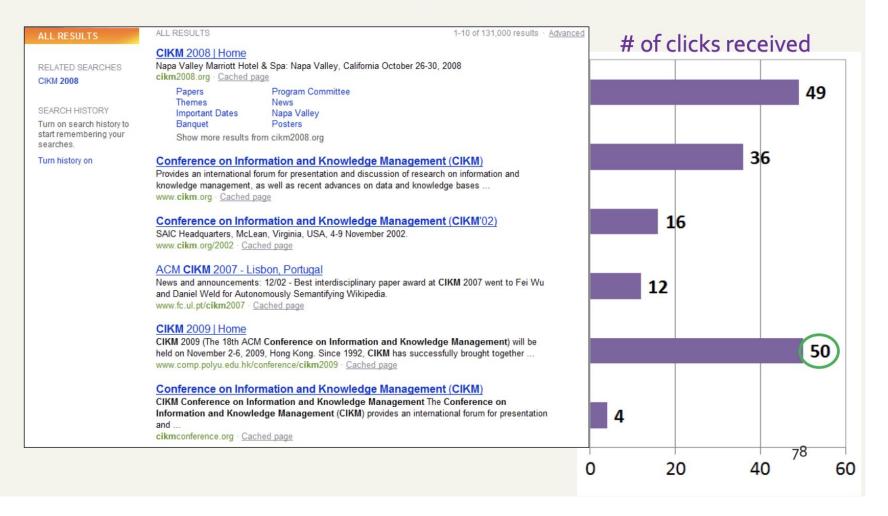
- Purpose: Test a single innovation
- Prerequisite: You have a large search engine up and running.
- Have most users use old system
- Divert a small proportion of traffic (e.g., 1%) to the new system that includes the innovation
- Evaluate with an "automatic" measure like clickthrough on first result
- Now we can directly see if the innovation does improve user happiness.
- Probably the evaluation methodology that large search engines trust most
- In principle less powerful than doing a multivariate regression analysis, but easier to understand

## USING USER CLICKS





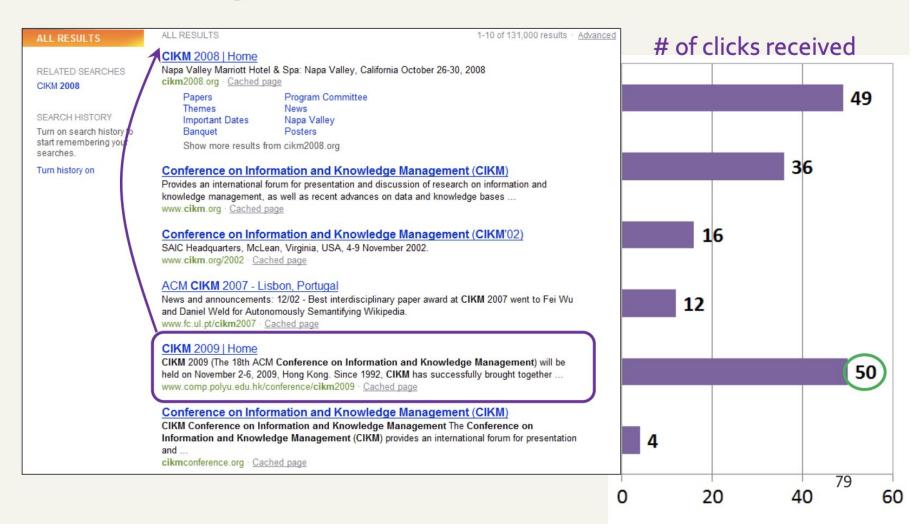
#### Search Results for "CIKM" (in 2009!)





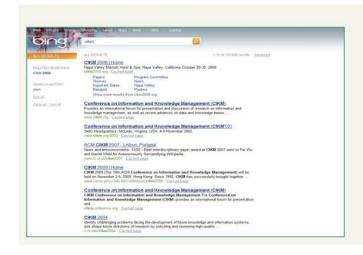


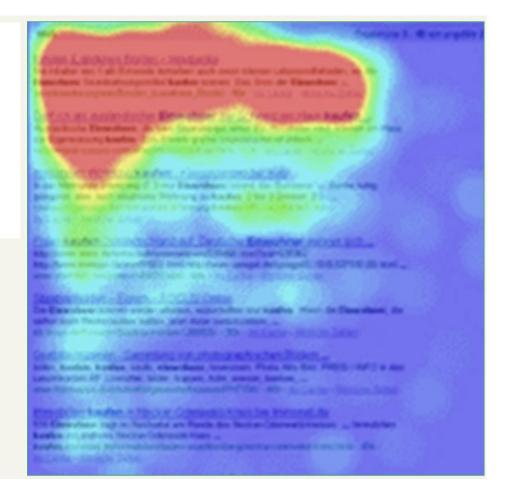
#### Adapt ranking to user clicks?



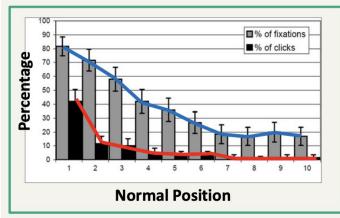
## Eye Tracking User Study

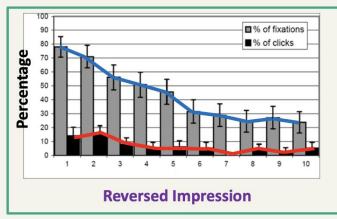






## **Click Position-bias**

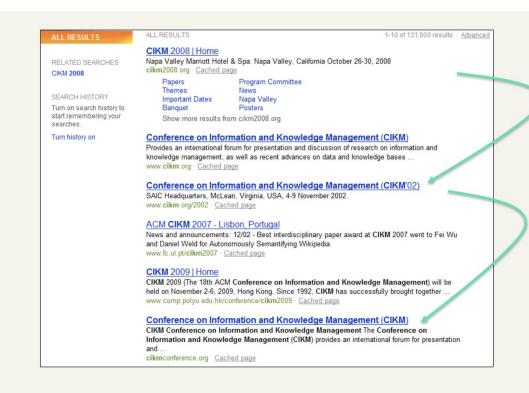




- Higher positions receive more user attention (eye fixation) and clicks than lower positions.
- This is true even in the extreme setting where the order of positions is reversed.
- "Clicks are informative but biased".

[Joachims+o<sub>Z</sub>]

## Relative vs absolute ratings



User's click sequence

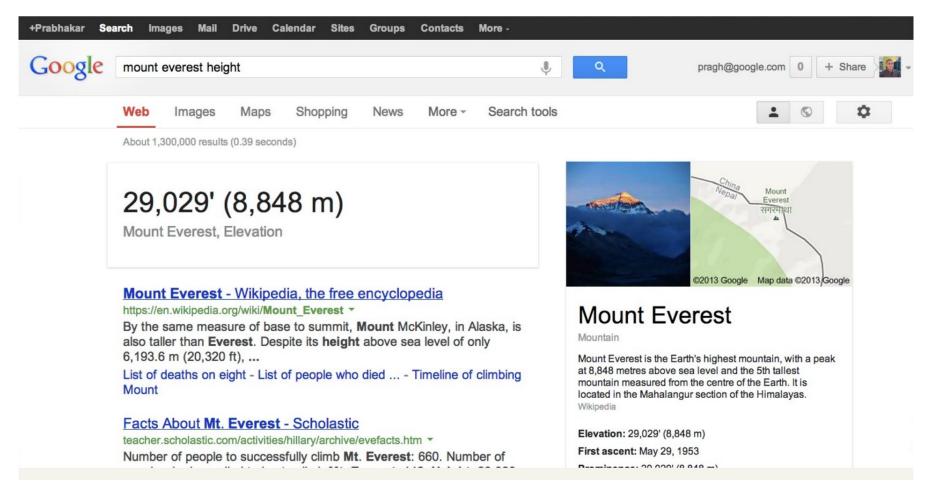
Hard to conclude <u>Result1 > Result3</u> Probably can conclude <u>Result3 > Result2</u>

## Evaluating pairwise relative ratings

- Pairs of the form: Doc A better than Doc B for a query
- Doesn't mean that Doc A relevant to query
- Now, rather than assess a rank-ordering wrt per doc relevance assessments ...
- Assess in terms of conformance with historical pairwise preferences recorded from user clicks
- BUT!
  - Don't learn and test on the same ranking algorithm
  - I.e., if you learn historical clicks from nozama and compare Sergey vs nozama on this history ...



## Facts/entities (what happens to clicks?)



## References

- 1. Slides provided by Sougata Saha (Instructor, Fall 2022 CSE 4/535)
- 2. Materials provided by Dr. Rohini K Srihari
- 3. https://nlp.stanford.edu/IR-book/information-retrieval-book.html