

Task 1:

a) We create a 2D array by using the number of vertices + 1. The array becomes a $V \times V$ matrix. We iterate through the edges and insert them into the 2D array accordingly.

b) We create a dictionary to store the vertices in, and each vertex has an empty list in attached to it. We iterate through the edges and connect the attached adjacent node and its weight in a tuple with that list.

2. Task-2.

We create an adjacency list and by following the pseudocode of bfs we traverse the graph.

Task 3:

We create an adjacency list and by following the pseudocode of the ~~bfs~~ ^{dfs} we traverse the graph.

Task 4:

Along with the visited array in dfs we create another array named in stack to keep all the nodes/vertices that are currently being explored. While traversing through the graph by using dfs if we encounter ~~two~~ the same vertex that's already in stack then we can say that the graph has a cycle.

Task 5.

while traversing through the graph with using
bfs we create an another array naming
previous-city. We insert the previous city
visited of some vertex in that array of that. And by
following up through those previous cities
we can find the shortest path and
time also.

Task 6;

We create and store the graph in an adjacency
matrix.
We create a checking function so that we
don't go out of bounds of the matrix or
visit a node that has already been visited.
We iterate through all the dot
way points and check their adjacent
position for diamonds. if found we
add them all up.